

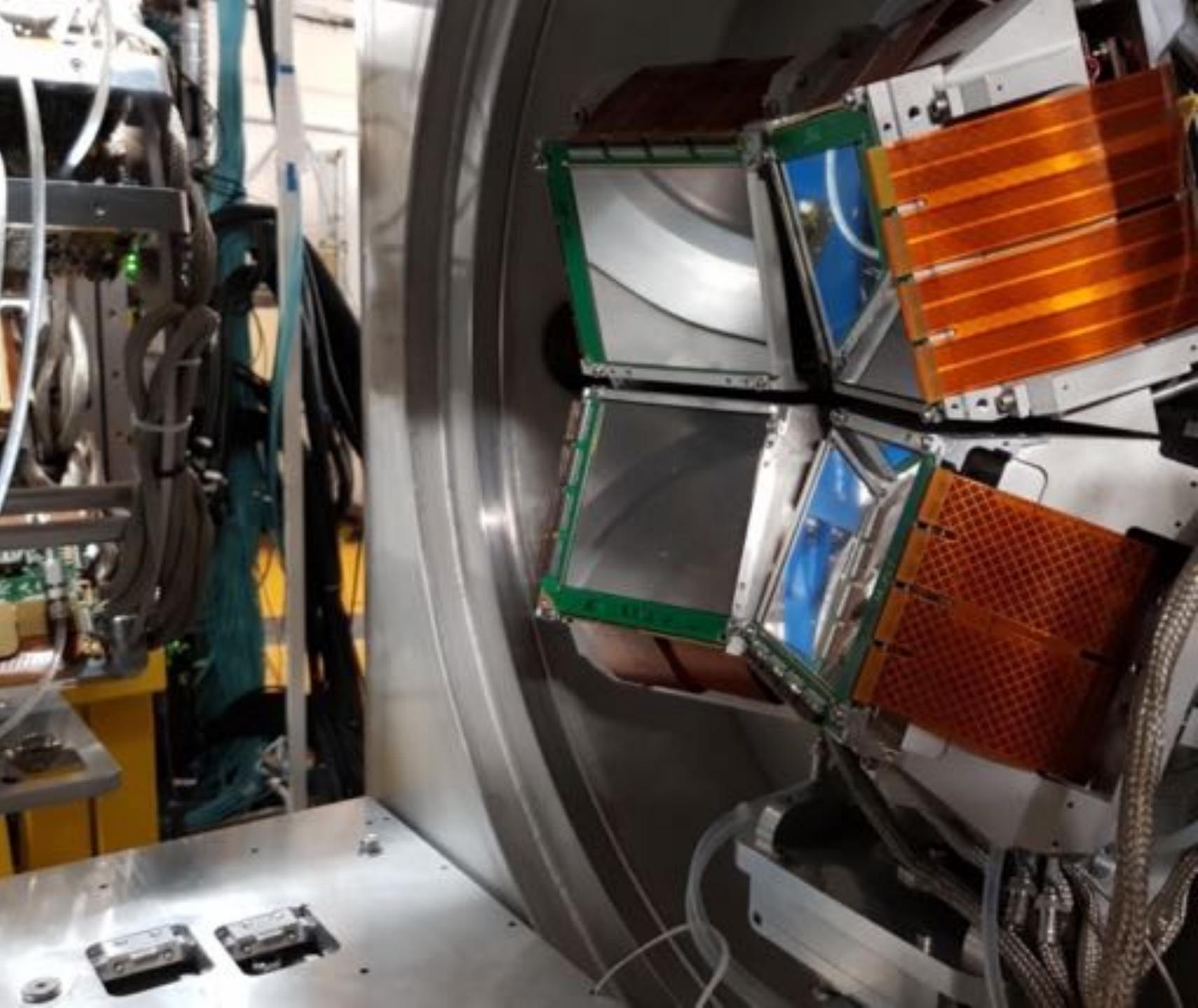
Two-proton cluster states  
close to threshold and their  
decay modes in  $^{15}\text{F}$

Valérian  
Alcindor

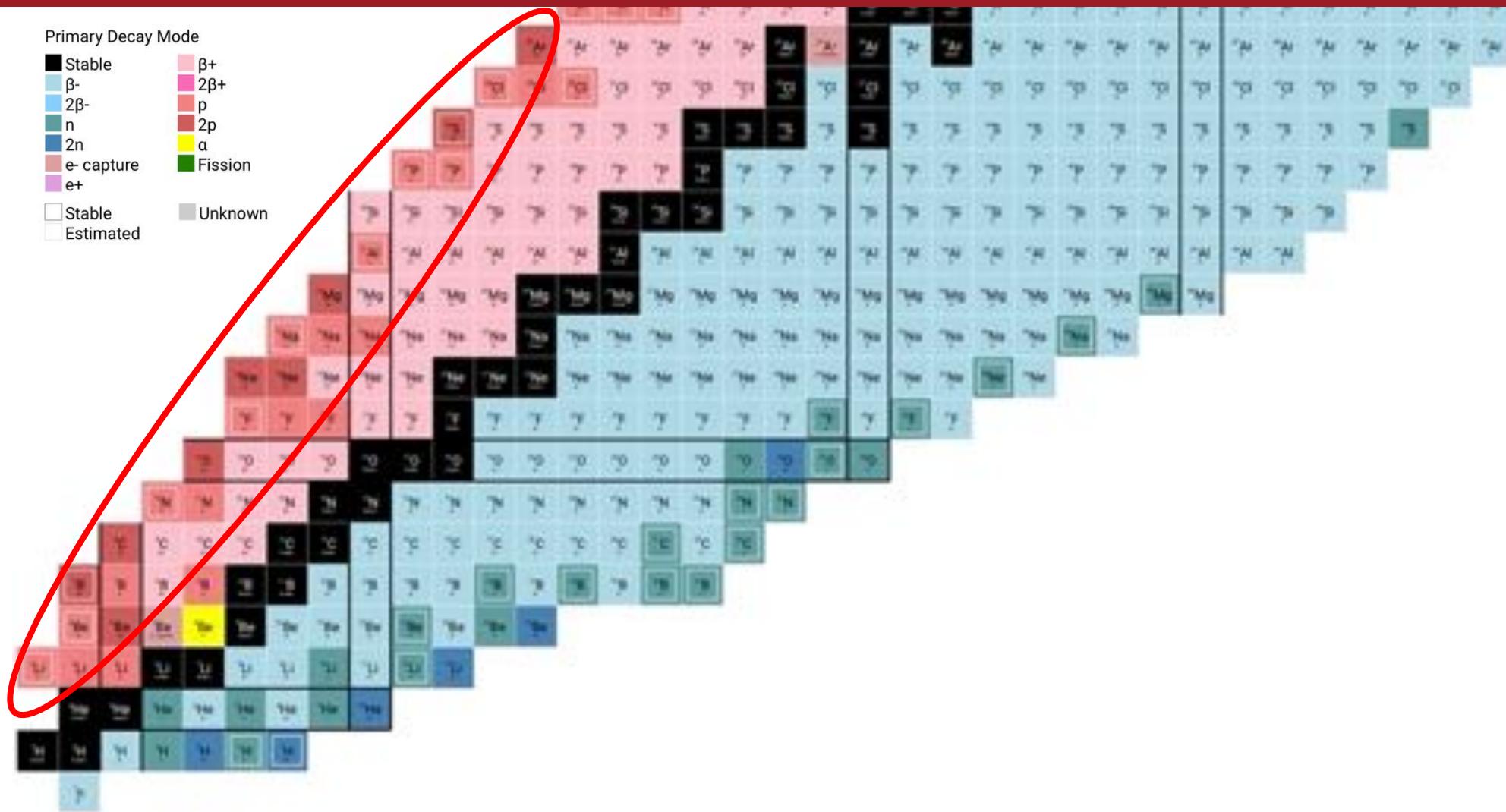
-  
Technische Universität Darmstadt  
Institut für Kernphysik



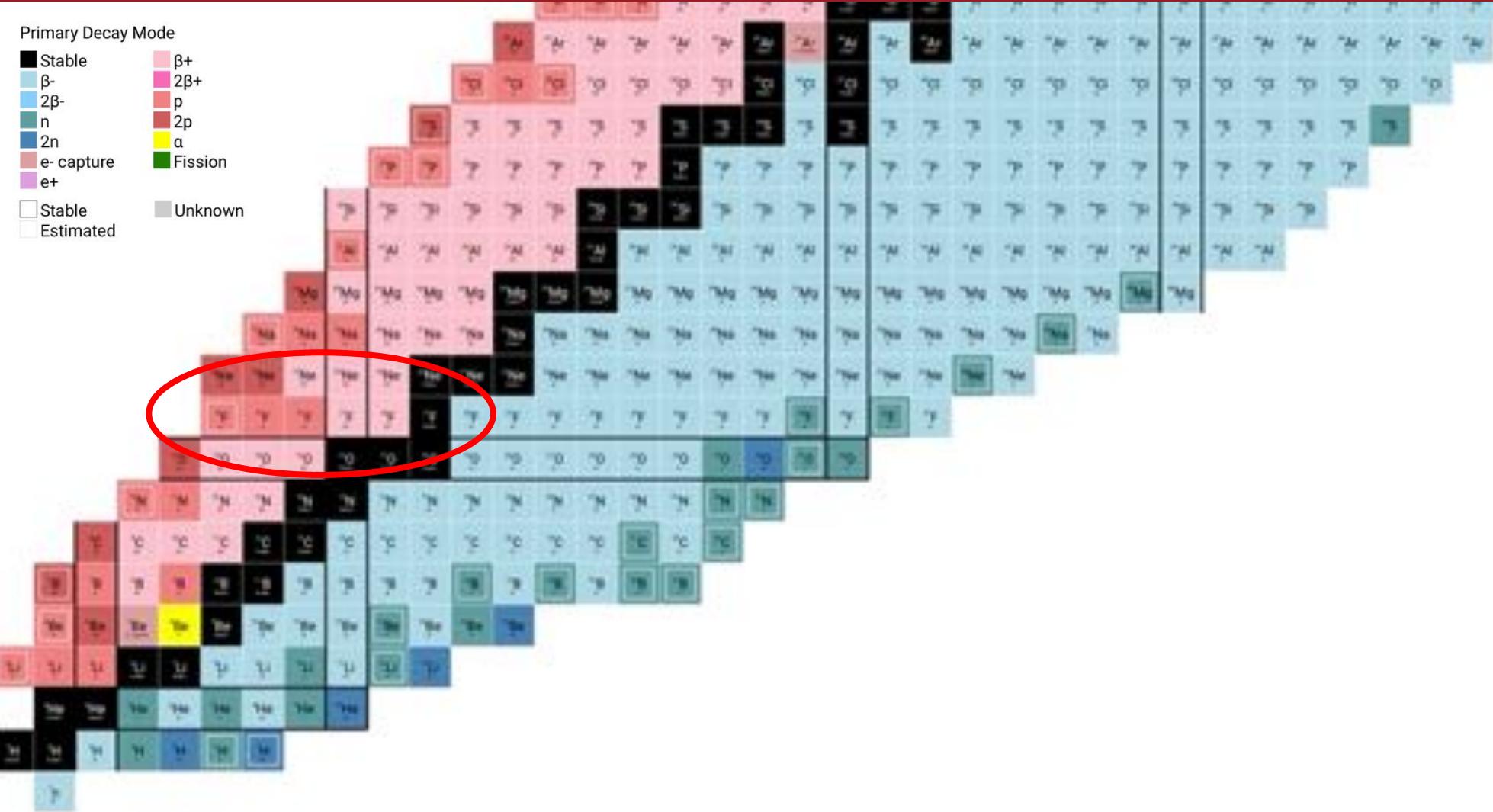
TECHNISCHE  
UNIVERSITÄT  
DARMSTADT



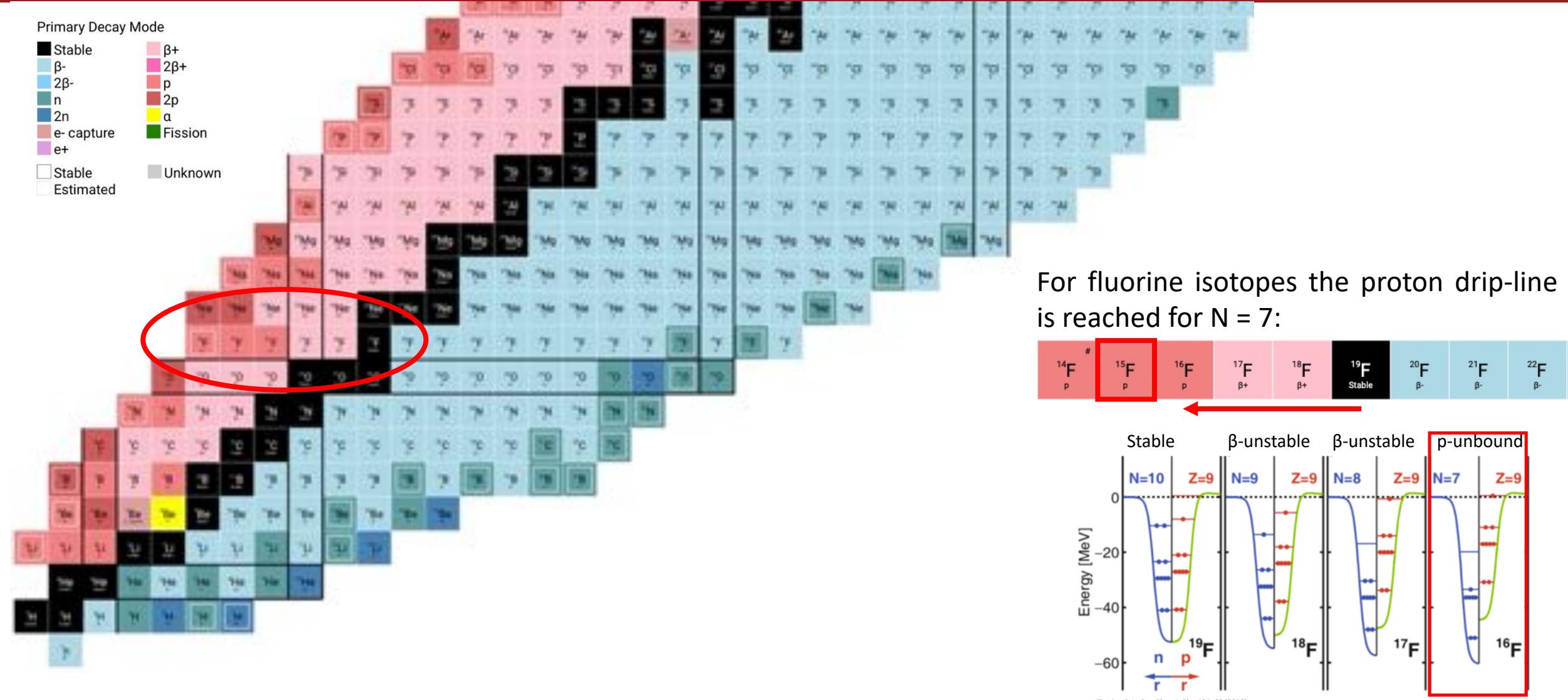
# Physics at the drip line



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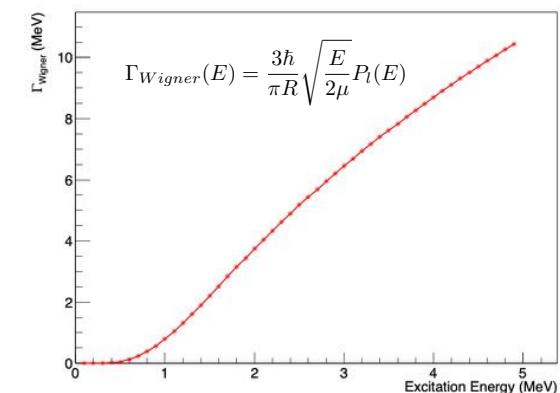


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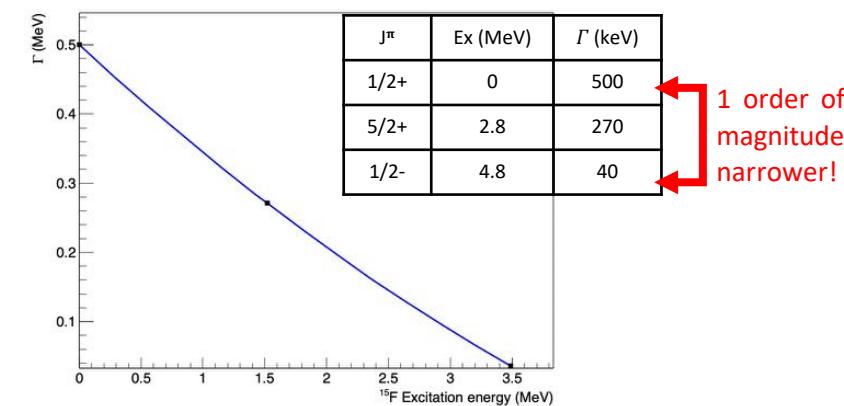
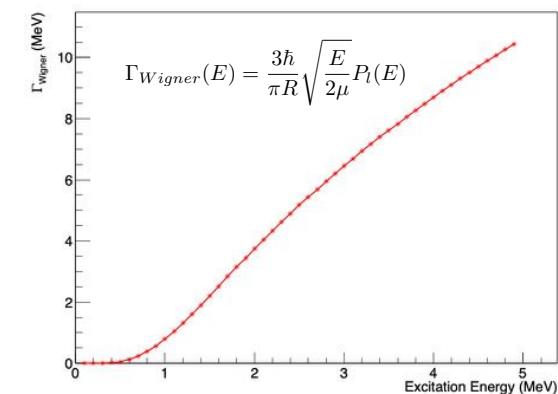
# The unbound nucleus $^{15}\text{F}$

- Expected to be measured as a broad resonance
- Excited states with increased width as a function of excitation energy



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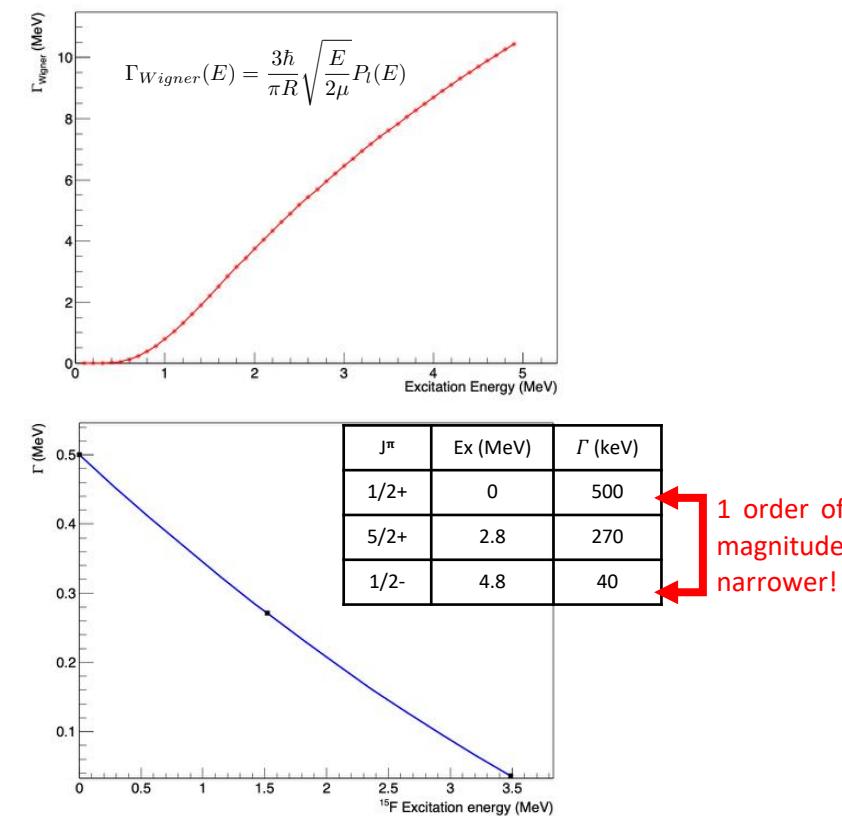
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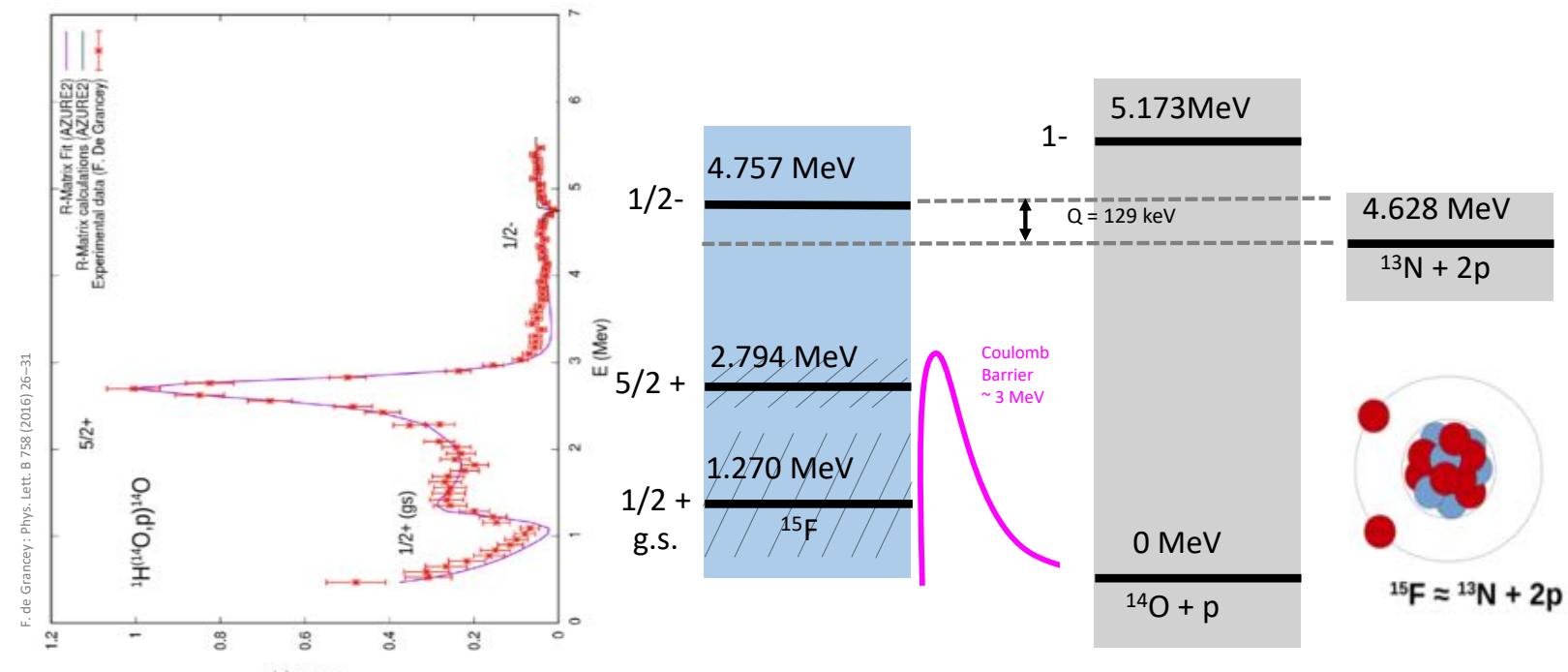
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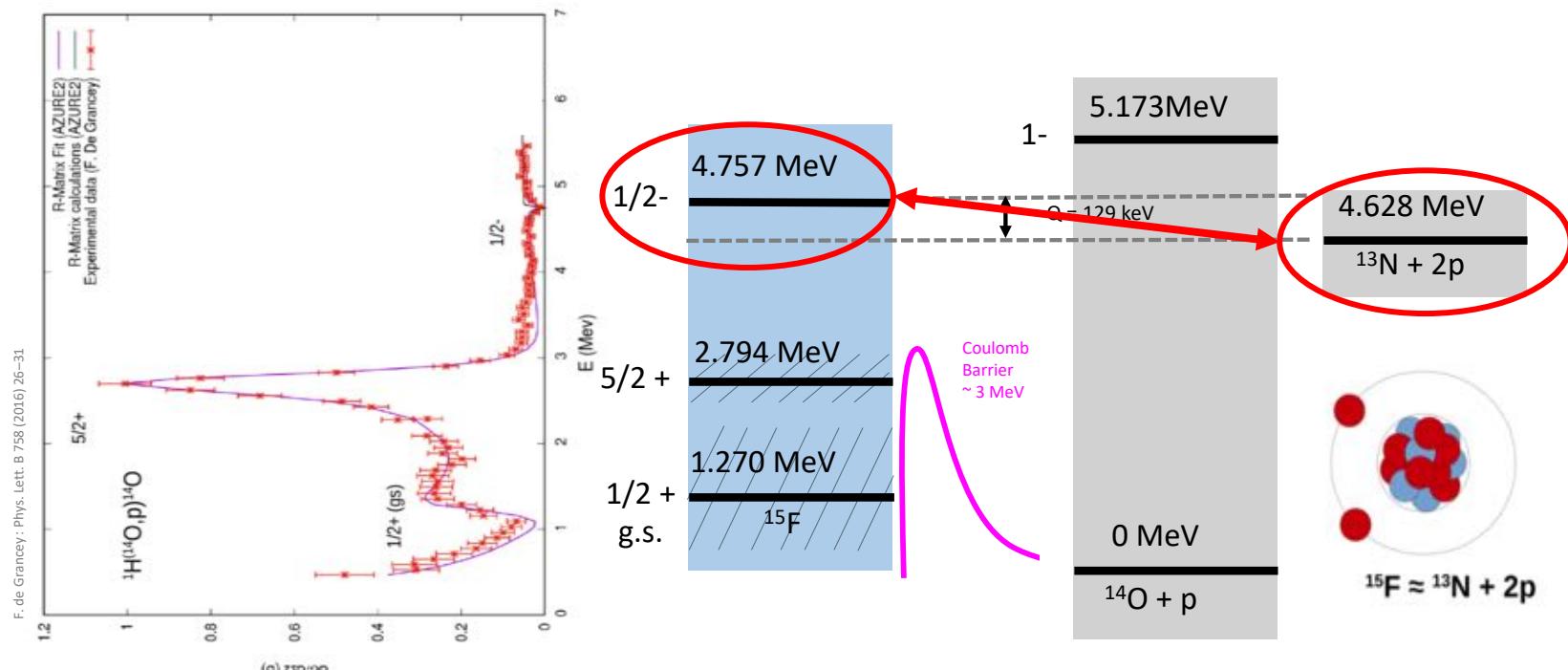
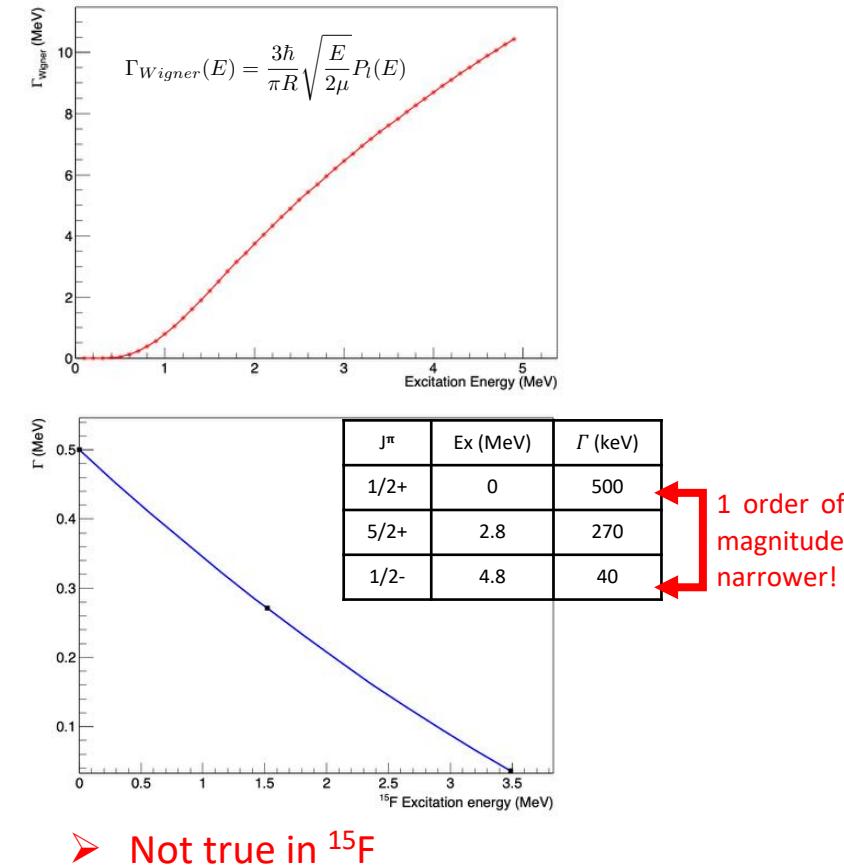


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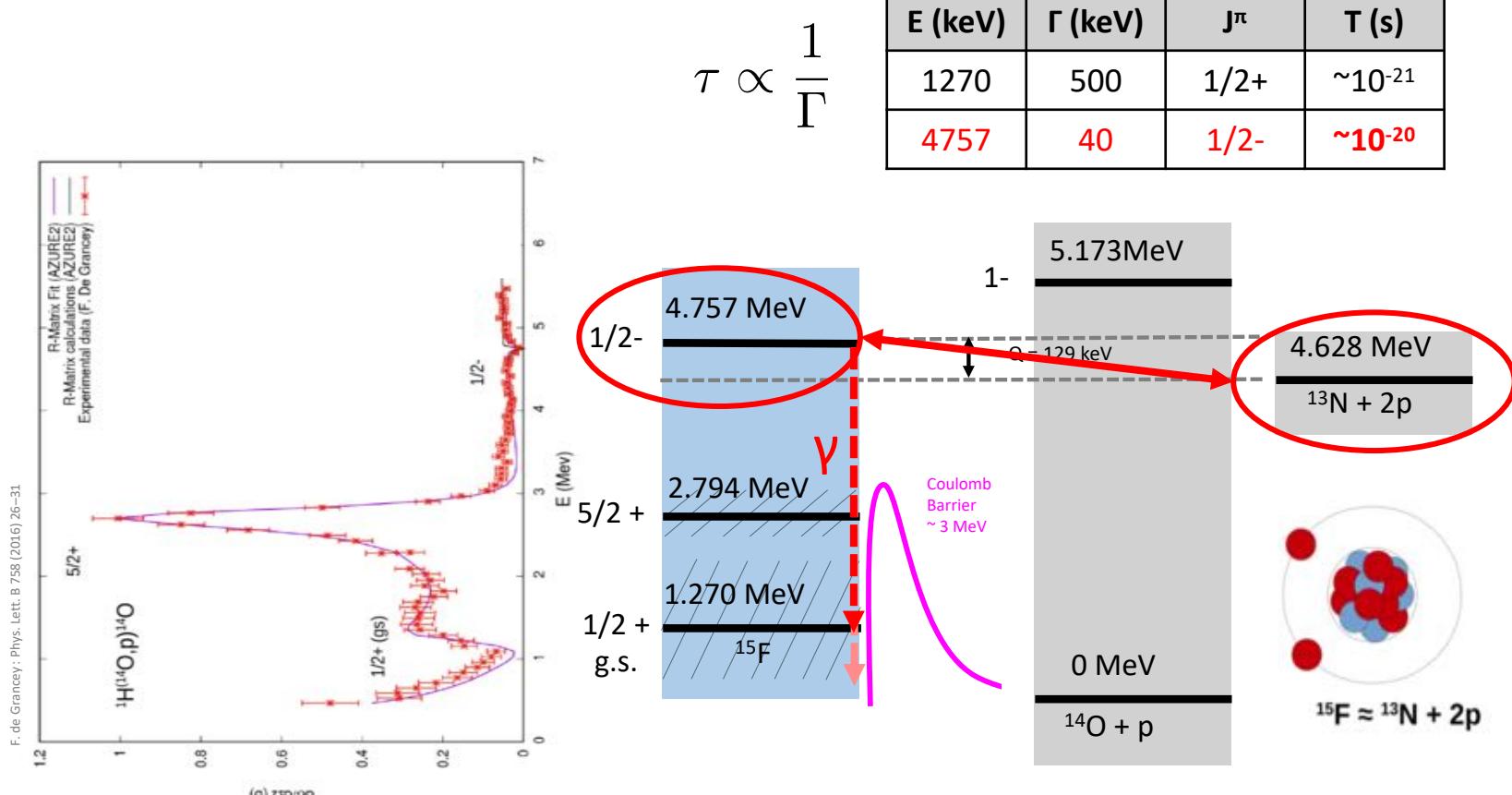
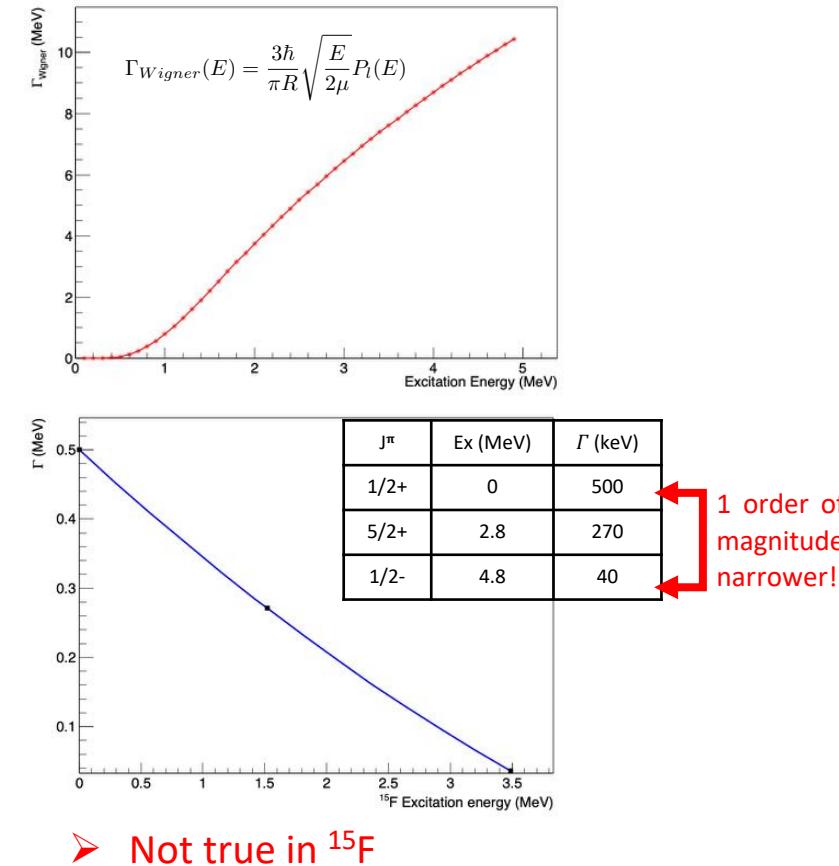
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➤ The structure of this state changed by the nearby threshold: understood at 99% as a  $^{13}\text{N}$  core +  $2p$

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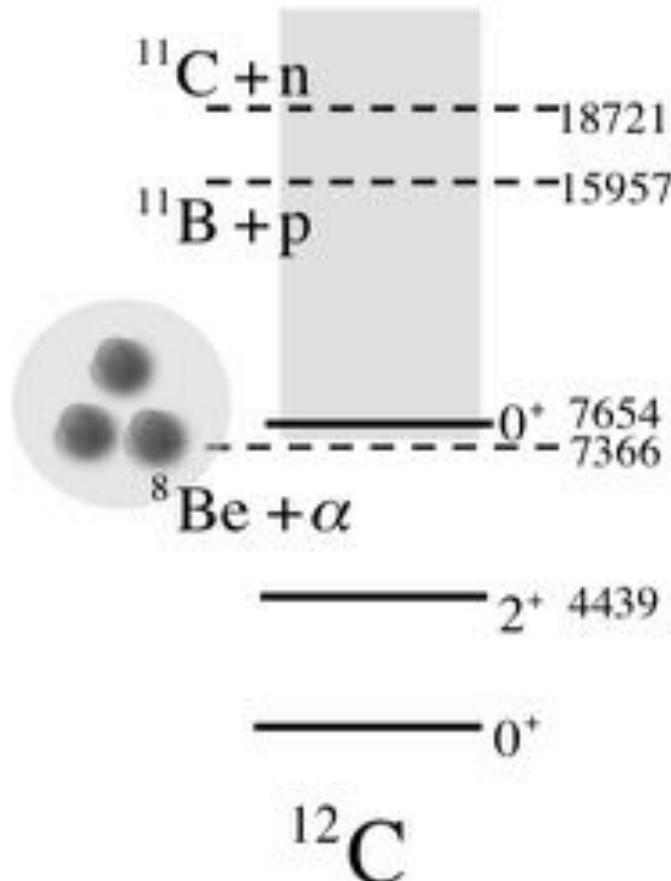


- The structure of this state changed by the nearby threshold: understood at 99% as a  $^{13}\text{N}$  core +  $2_p$
- Can the longer half-life make the measurement of the gamma emission possible?

# Near threshold clusterization

The Hoyle state:

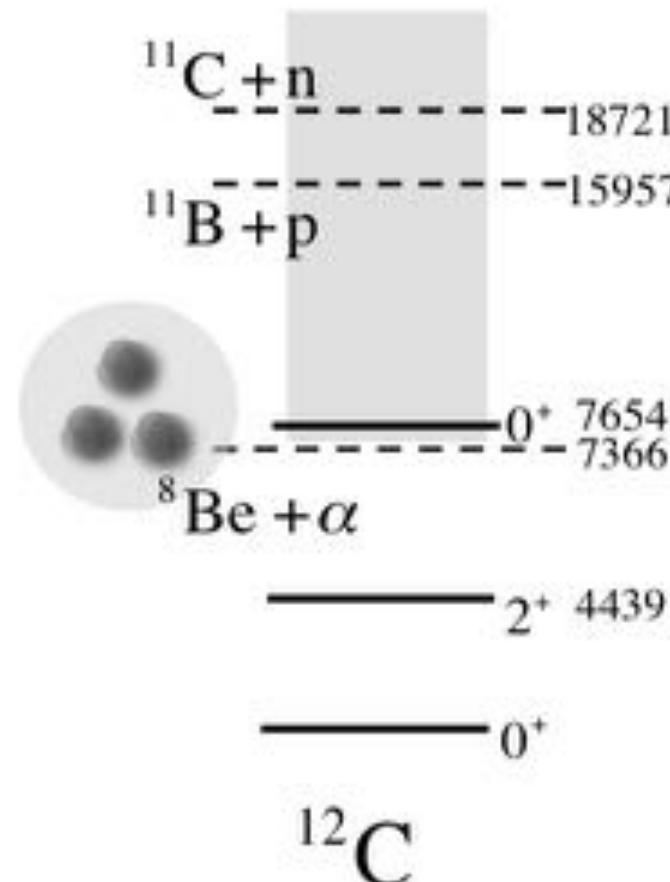
Jacek Okołowicz et al. *Progress of Theoretical Physics Supplement*, Vol. 196, Oct. 2012



- Most "famous" nuclear state
- $3\alpha$ -cluster

# Near threshold clusterization

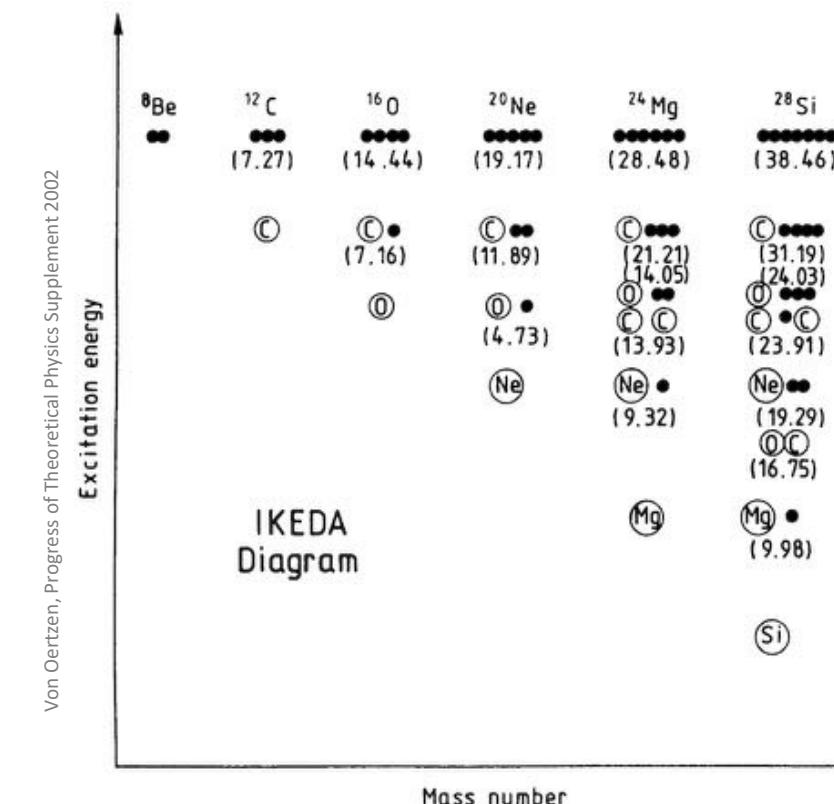
The Hoyle state:



Jacek Okólowicz et al. *Progress of Theoretical Physics Supplement*, Vol. 196, Oct. 2012

## The Systematic Structure-Change into the Molecule-like Structures in the Self-Conjugate 4n Nuclei

Kiyomi IKEDA,\*<sup>a</sup> Noboru TAKIGAWA and Hisashi HORIUCHI



Von Oertzen, *Progress of Theoretical Physics Supplement* 2002

- Most "famous" nuclear state
- 3 $\alpha$ -cluster

- Ikeda conjecture: *the structure of states near their Na decay thresholds should lead to the formation of Na-cluster states.*

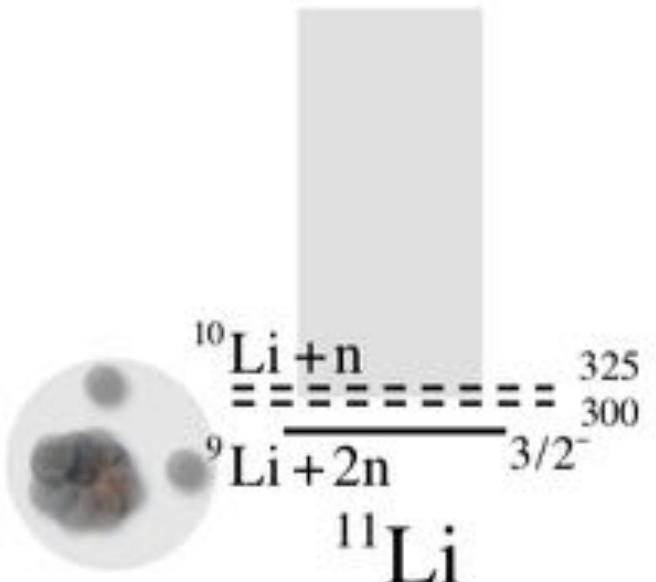
# Near threshold clusterization

Generalization of Ikeda's conjecture

## On the Origin of Nuclear Clustering

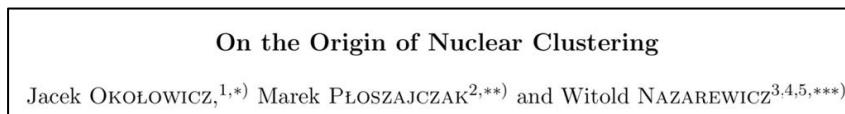
Jacek OKOŁOWICZ,<sup>1,\*)</sup> Marek PŁOSZAJCZAK<sup>2,\*\*)</sup> and Witold NAZAREWICZ<sup>3,4,5,\*\*\*)</sup>

Jacek Okołowicz et al. *Progress of Theoretical Physics Supplement*, Vol. 196, Oct. 2012

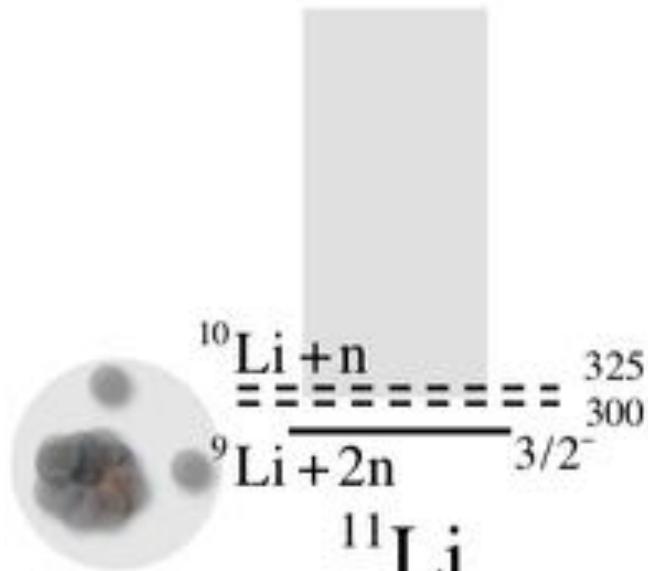


# Near threshold clusterization

## Generalization of Ikeda's conjecture

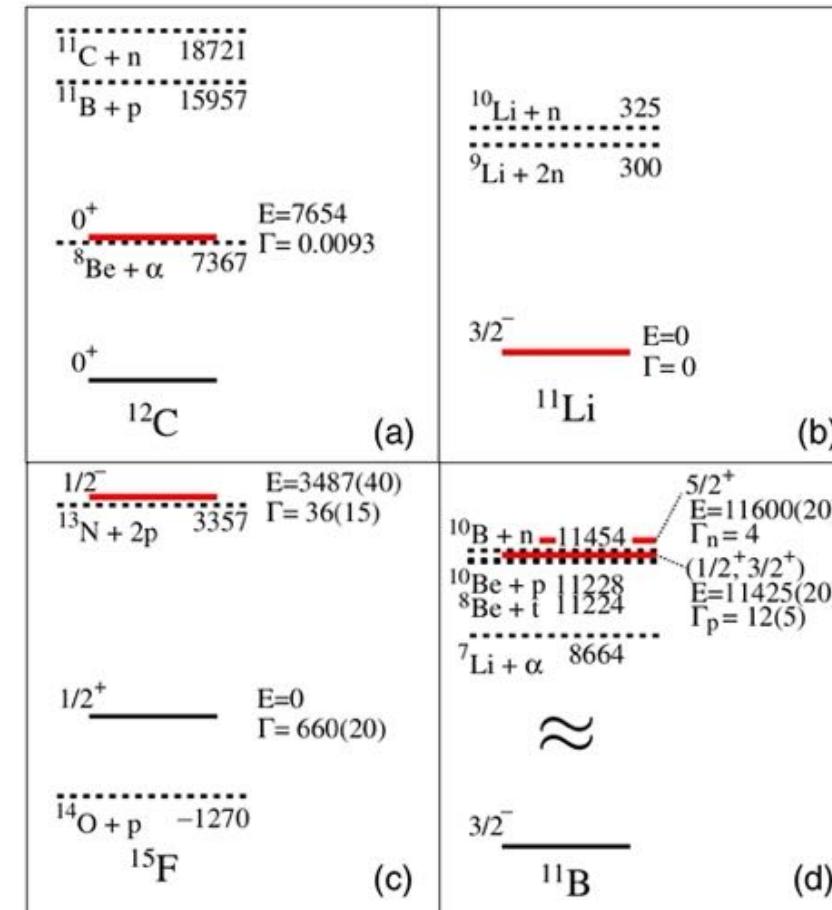


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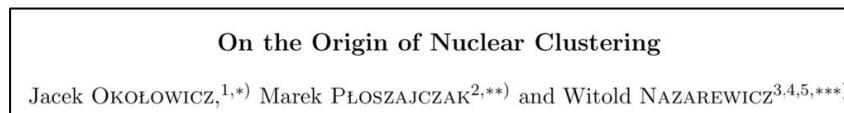
## Convenient Location of a Near-Threshold Proton-Emitting Resonance in $^{11}\text{B}$

J. Okołowicz<sup>1</sup>, M. Płoszajczak,<sup>2</sup> and W. Nazarewicz<sup>3</sup>

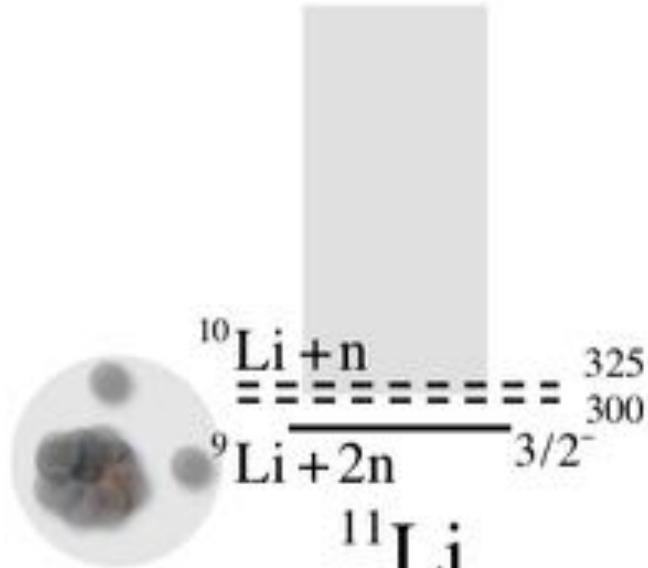


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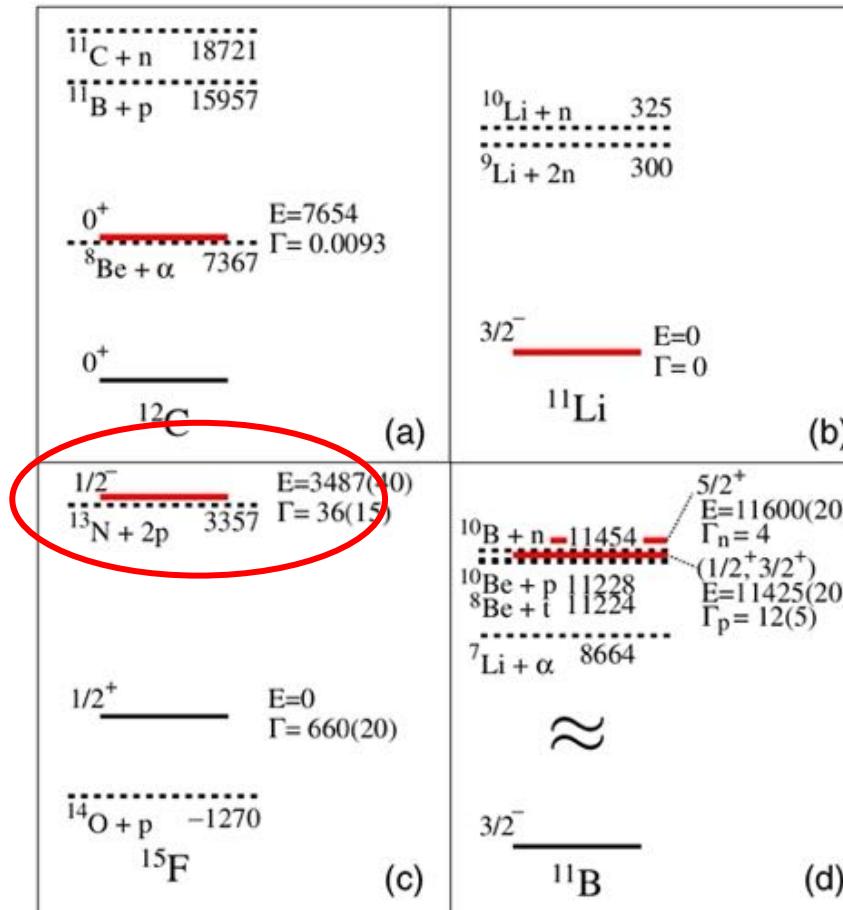


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➤ Does Ikeda's conjecture hold for all near threshold states ?

# Motivations

Predictions of other narrow states:

$$3/2^- \frac{7250}{\Gamma = 40}$$

$$5/2^- \frac{6880}{\Gamma = 10}$$

$$3/2^- \frac{6300}{\Gamma = 350}$$

$$5/2^- \frac{5920}{\Gamma = 6}$$

$$1/2^- \frac{5490}{\Gamma = 5}$$

$$1/2^- \frac{4630}{\Gamma = 38}$$

$^{15}\text{F}$

(Canton et al.)

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- Large differences for the width of the  $3/2^-$  state between Canton et al. and Fortune and Sherr.

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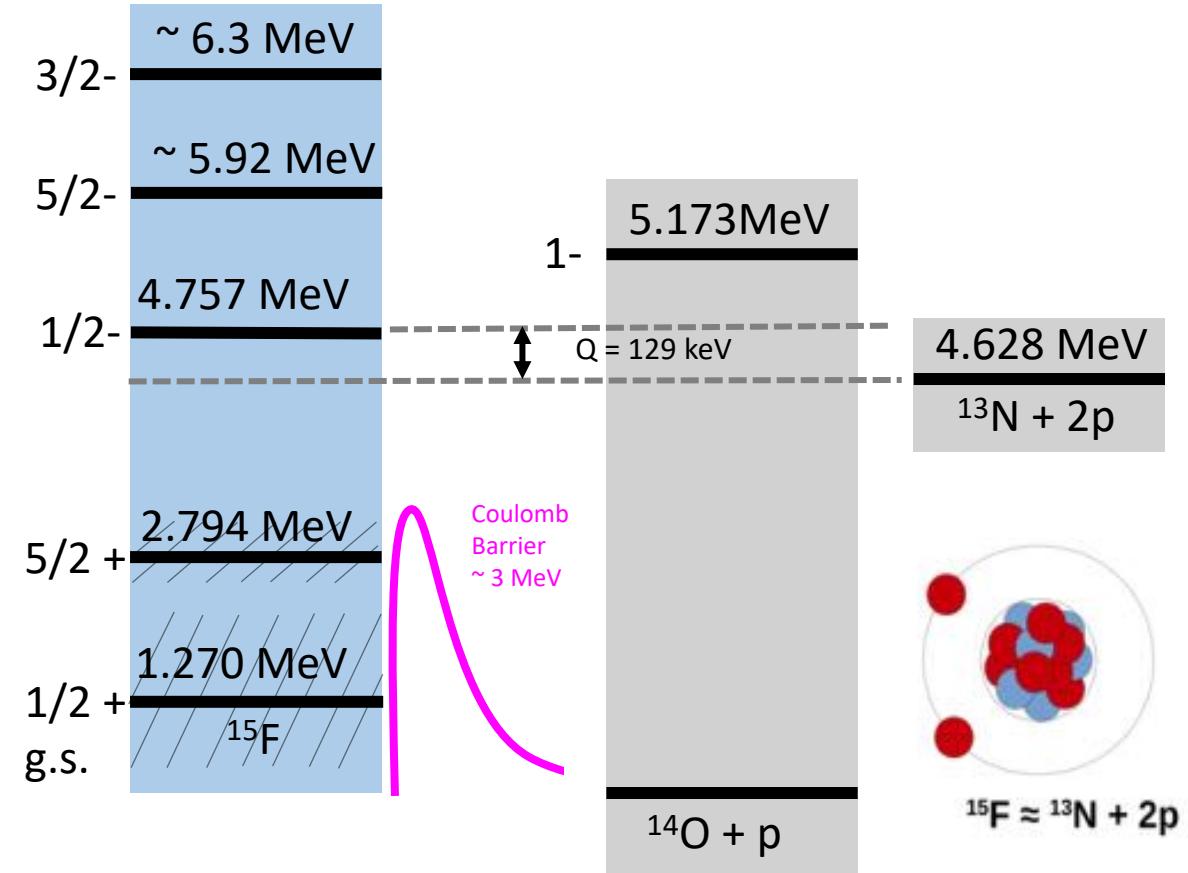
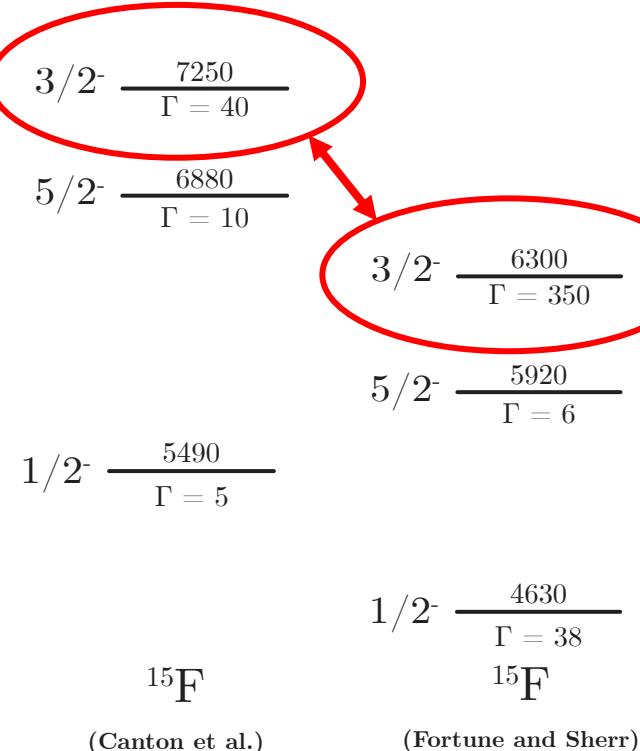
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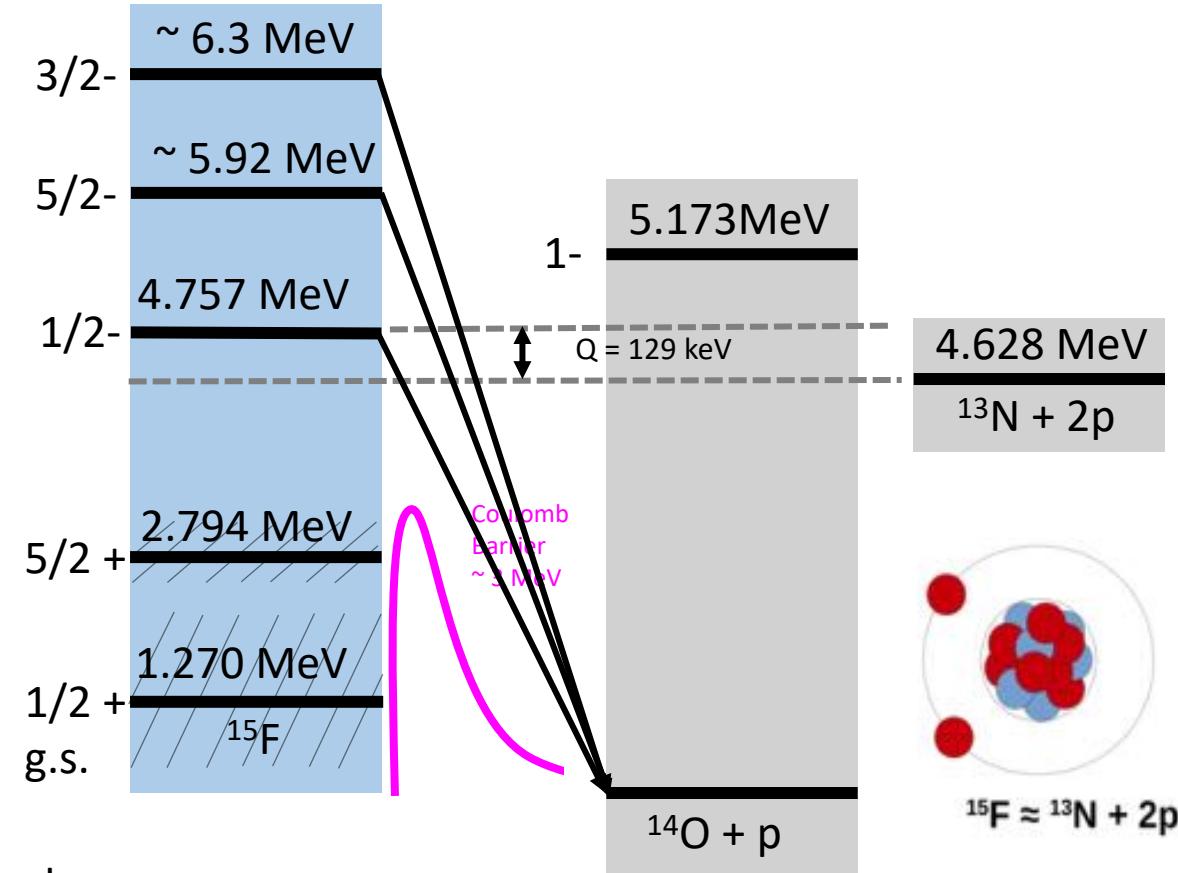
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- Measurement of the excited negative parity states of  $^{15}\text{F}$ :  ${}^1\text{H}({}^{14}\text{O}, \text{p}) {}^{14}\text{O}$

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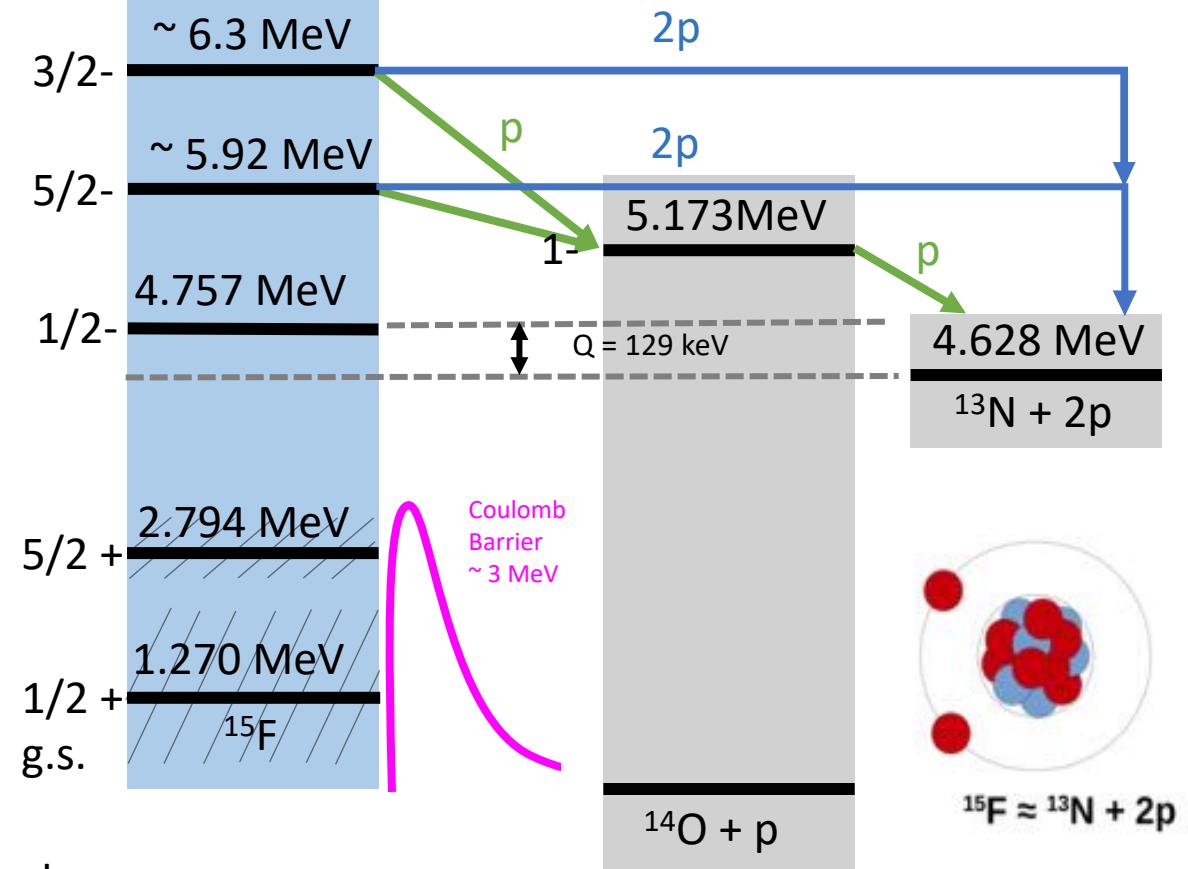
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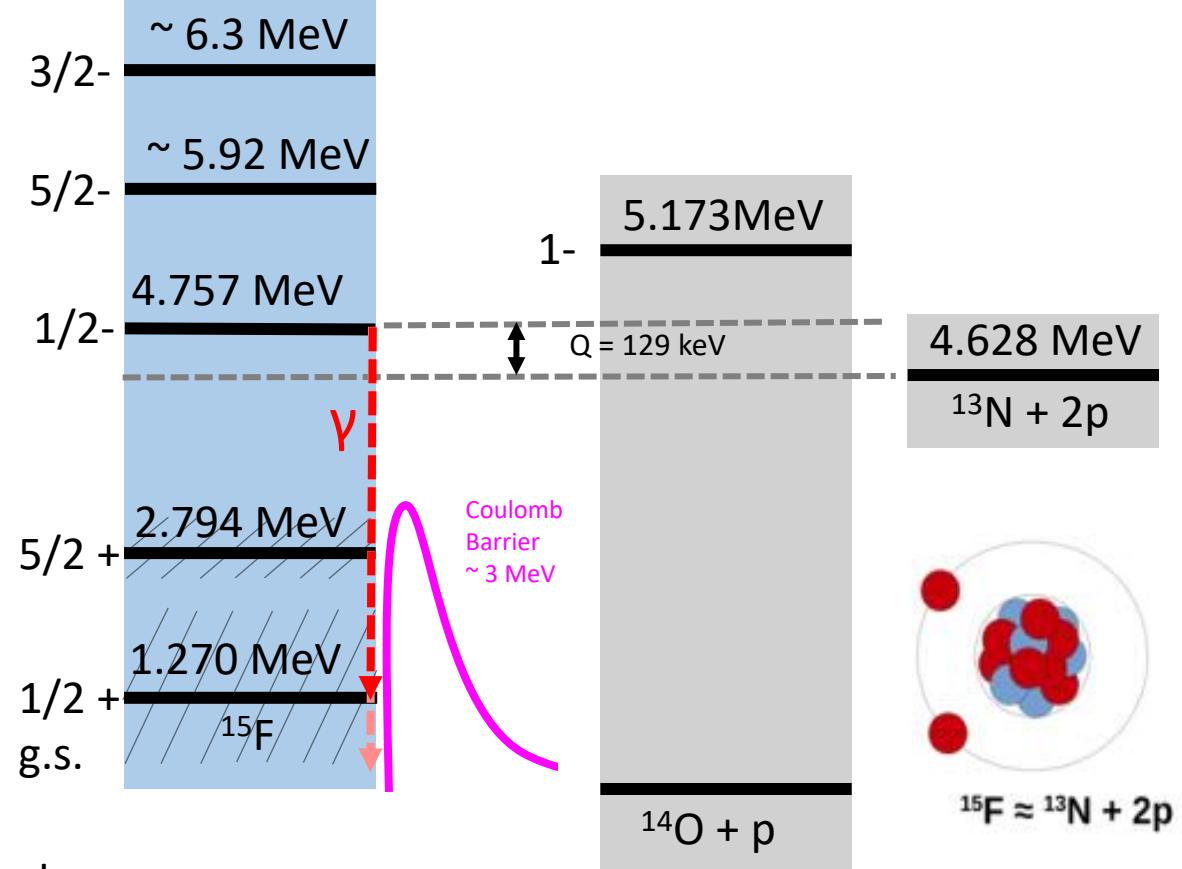
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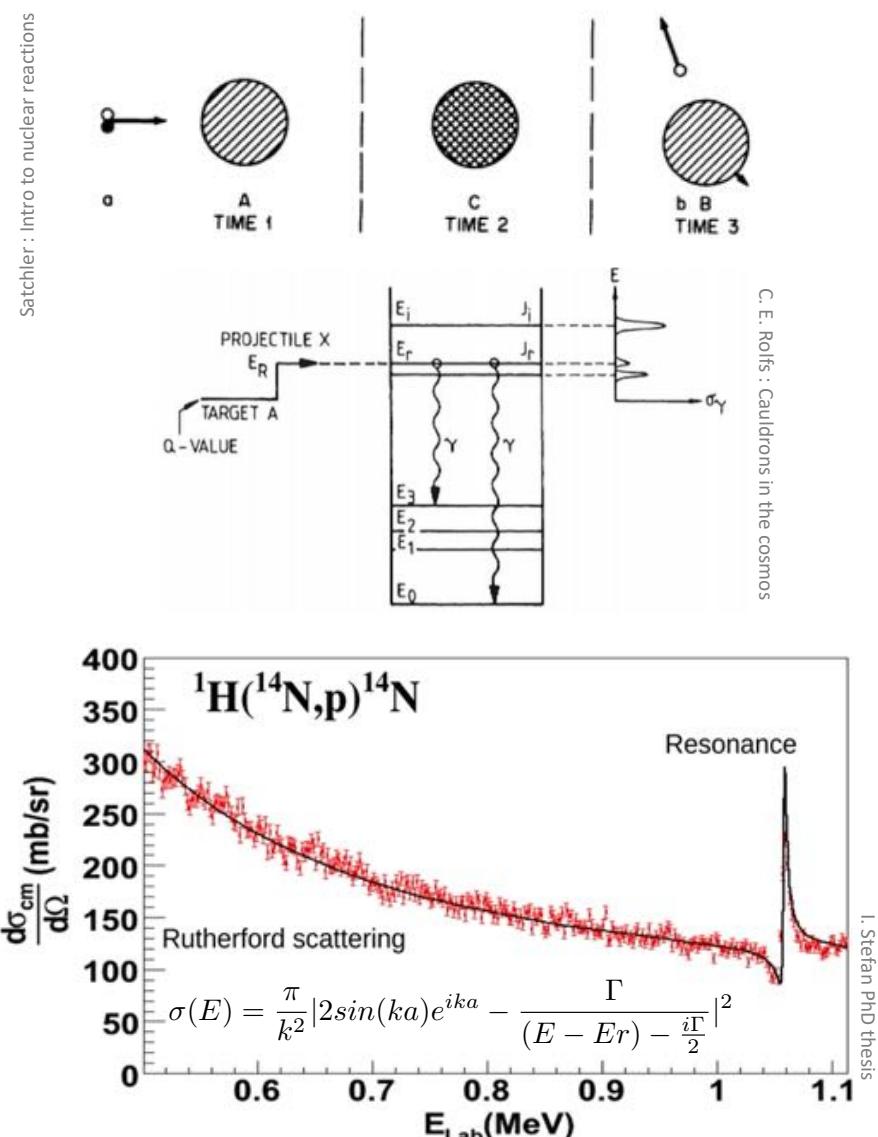
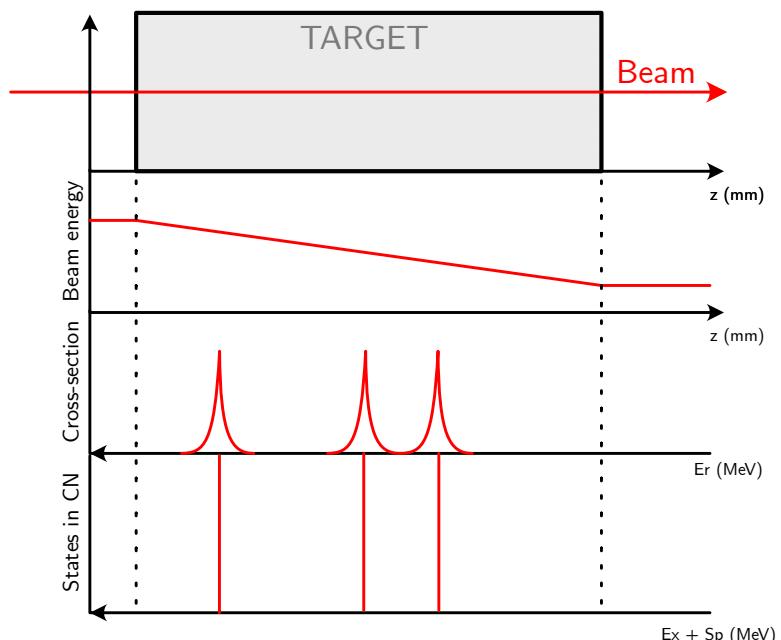
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- Observation of the gamma branching ratio:**  $^1\text{H}(^{14}\text{O})^{15}\text{F}^{(*)}(\gamma)^{15}\text{F}(\text{p})^{14}\text{O}$

# Experimental method

To fulfill those goals:

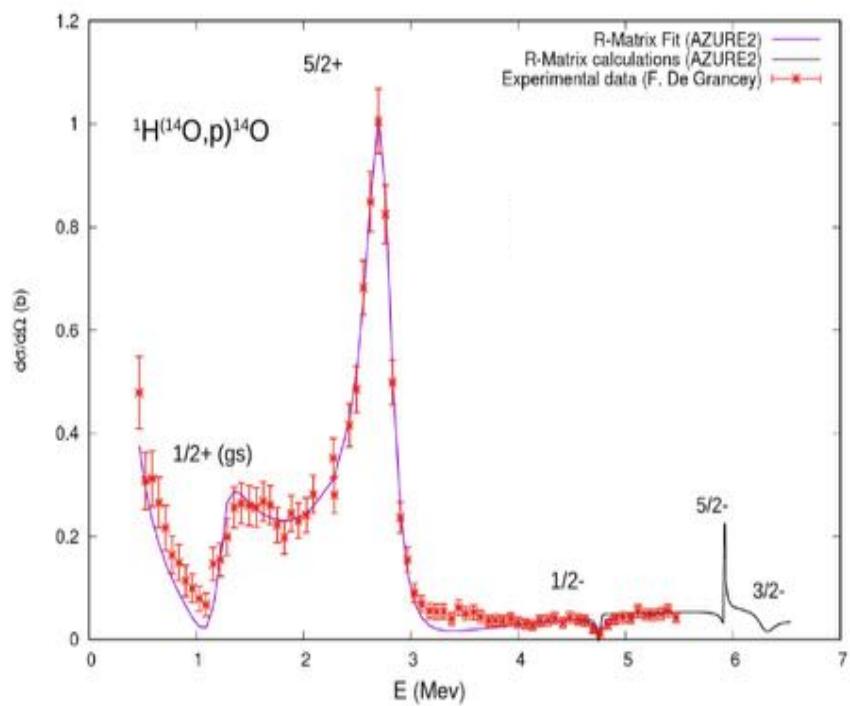
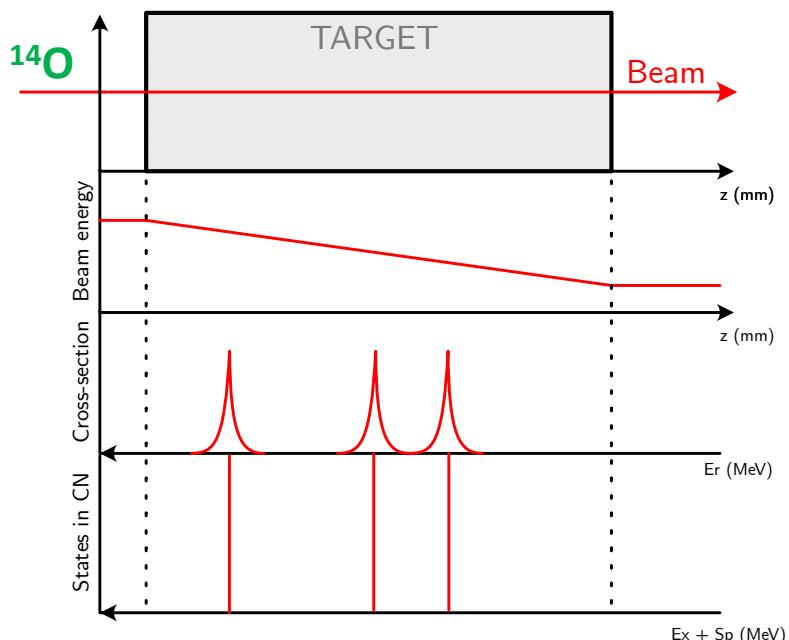
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# Experimental method

To fulfill those goals:

- The thick target technique was used
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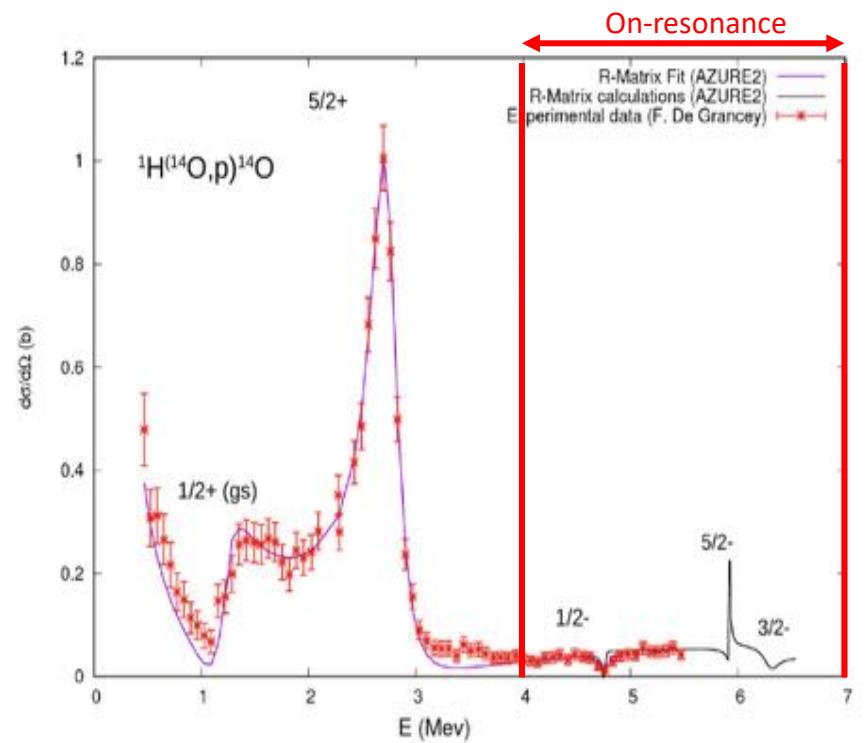
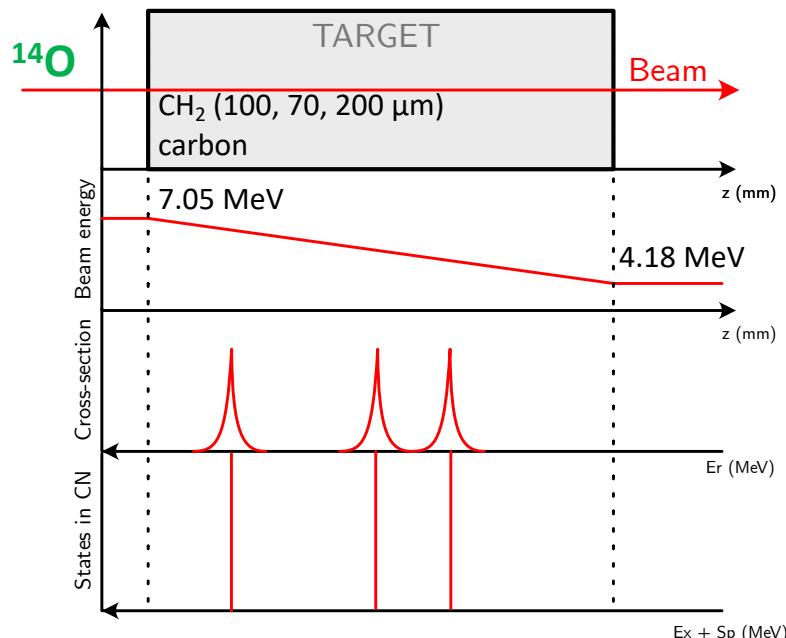


F. de Grancey : Phys. Lett. B 758 (2016) 26–31

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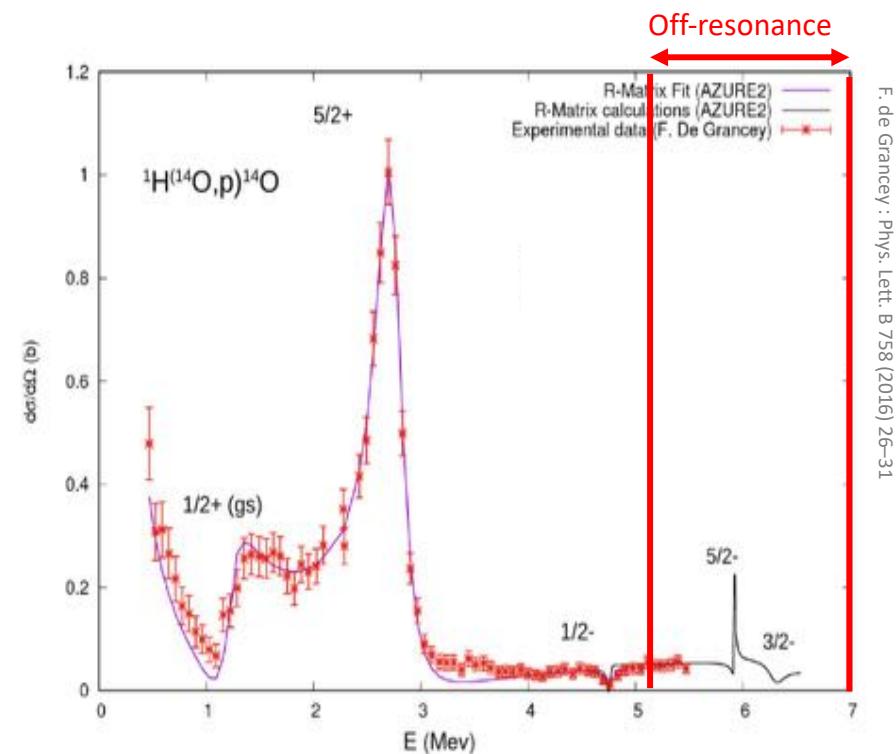
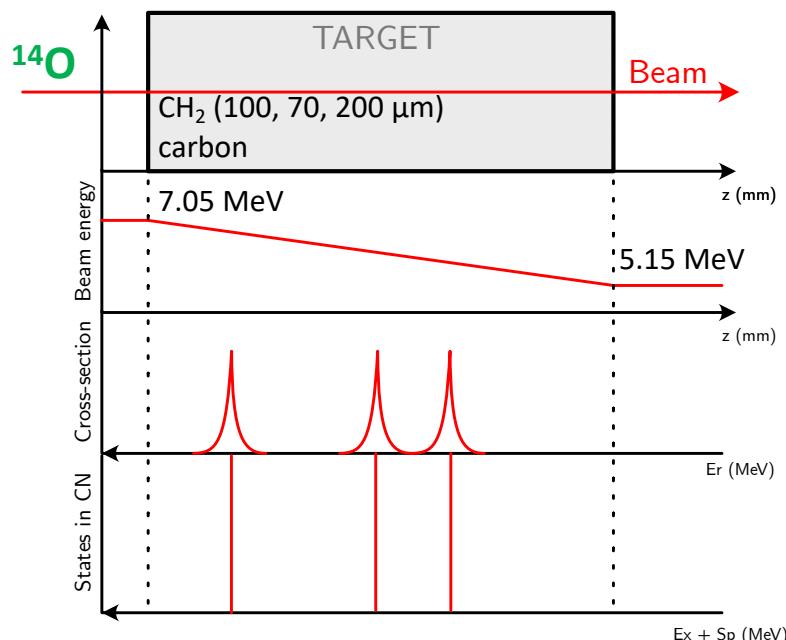


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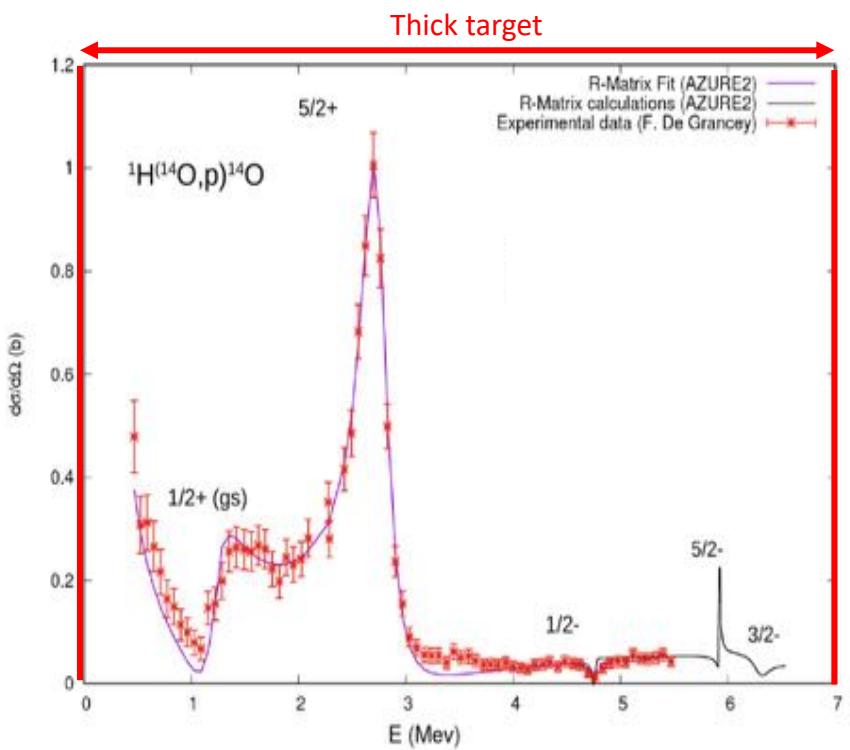
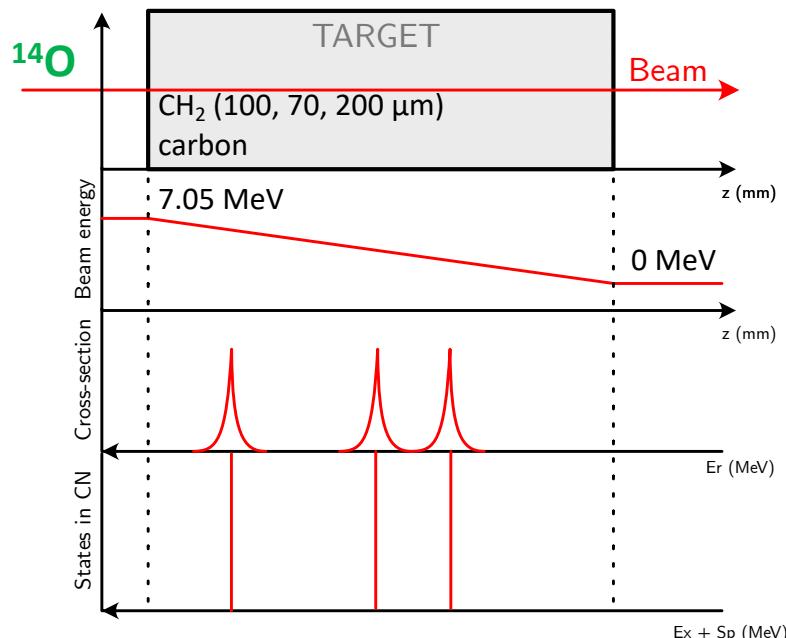


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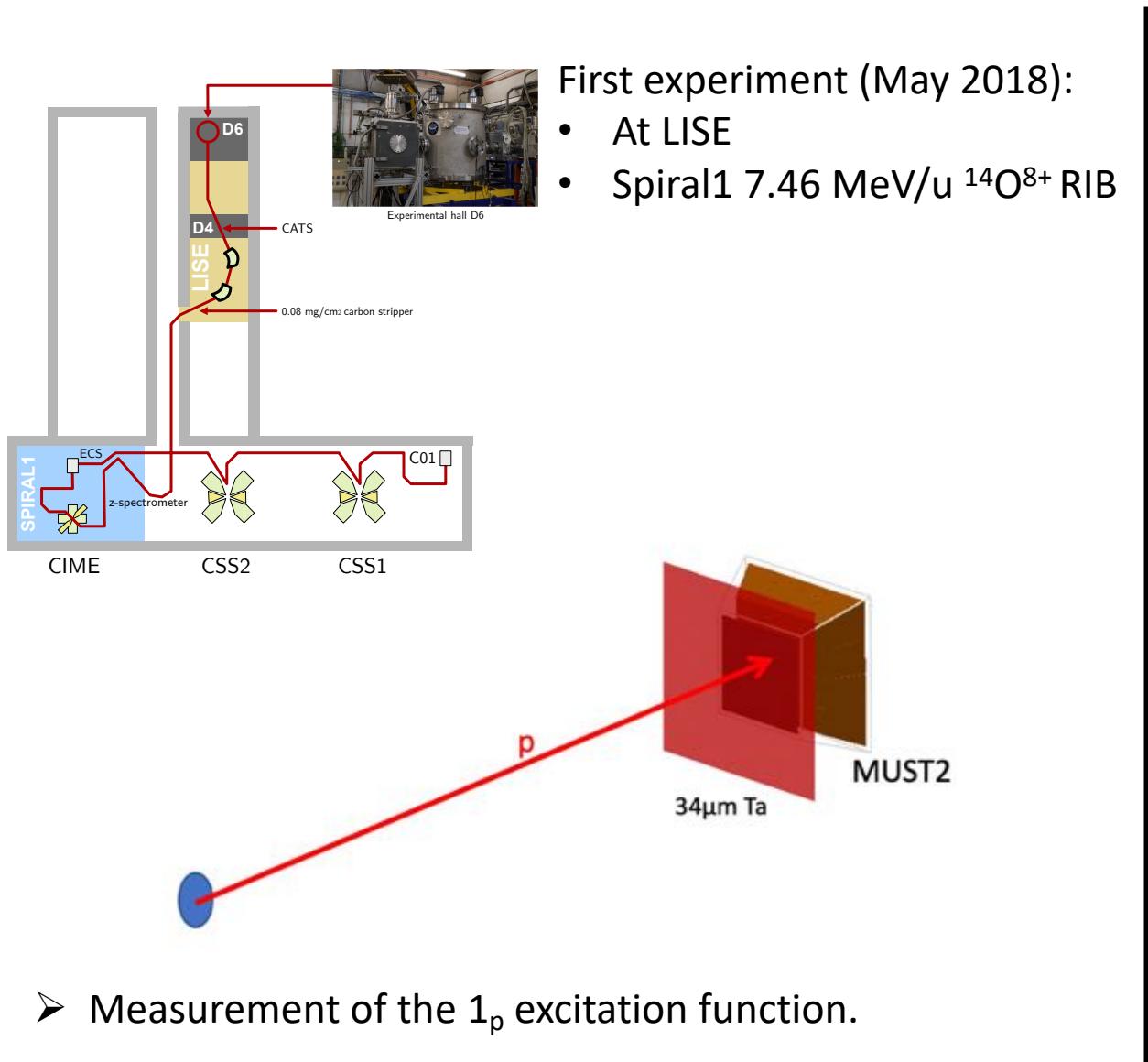
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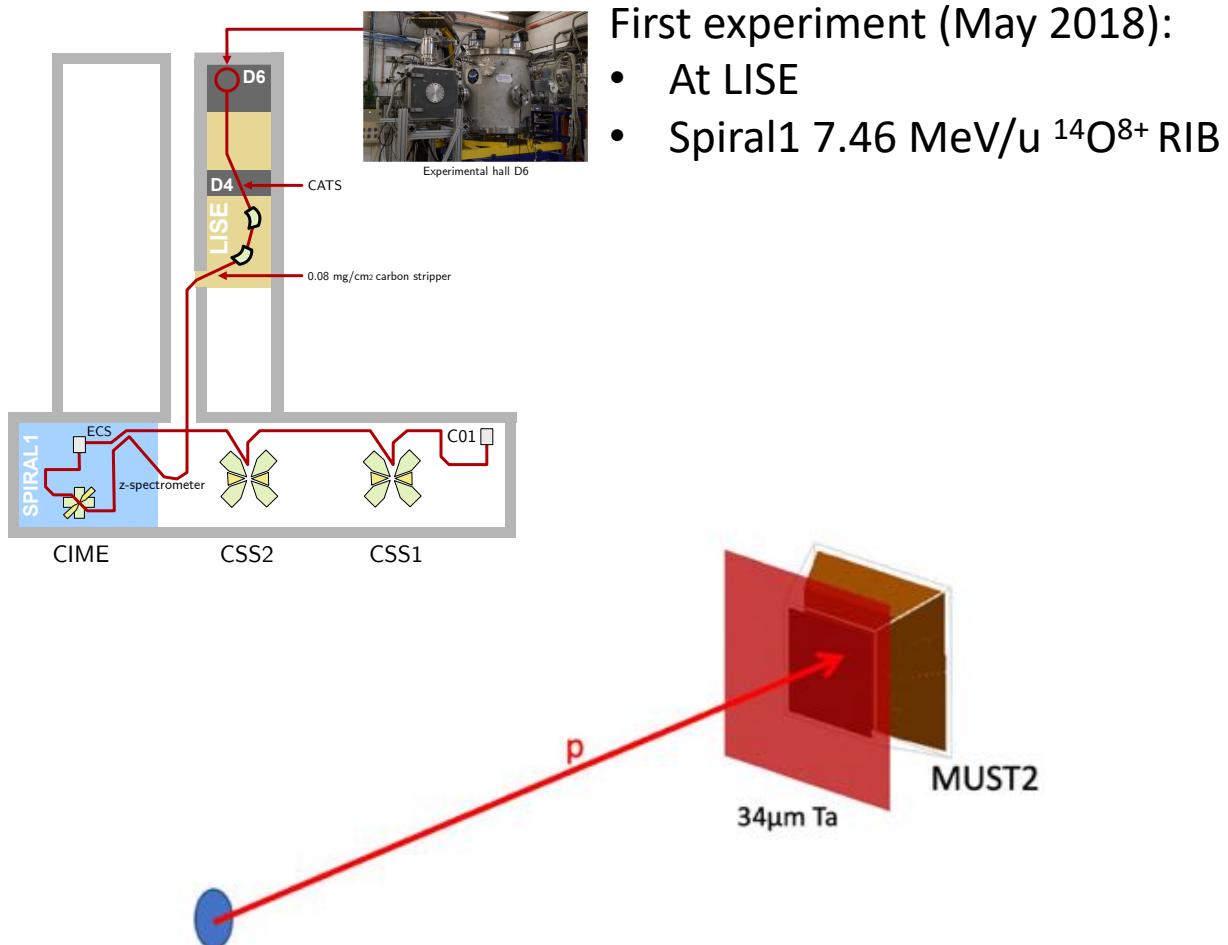


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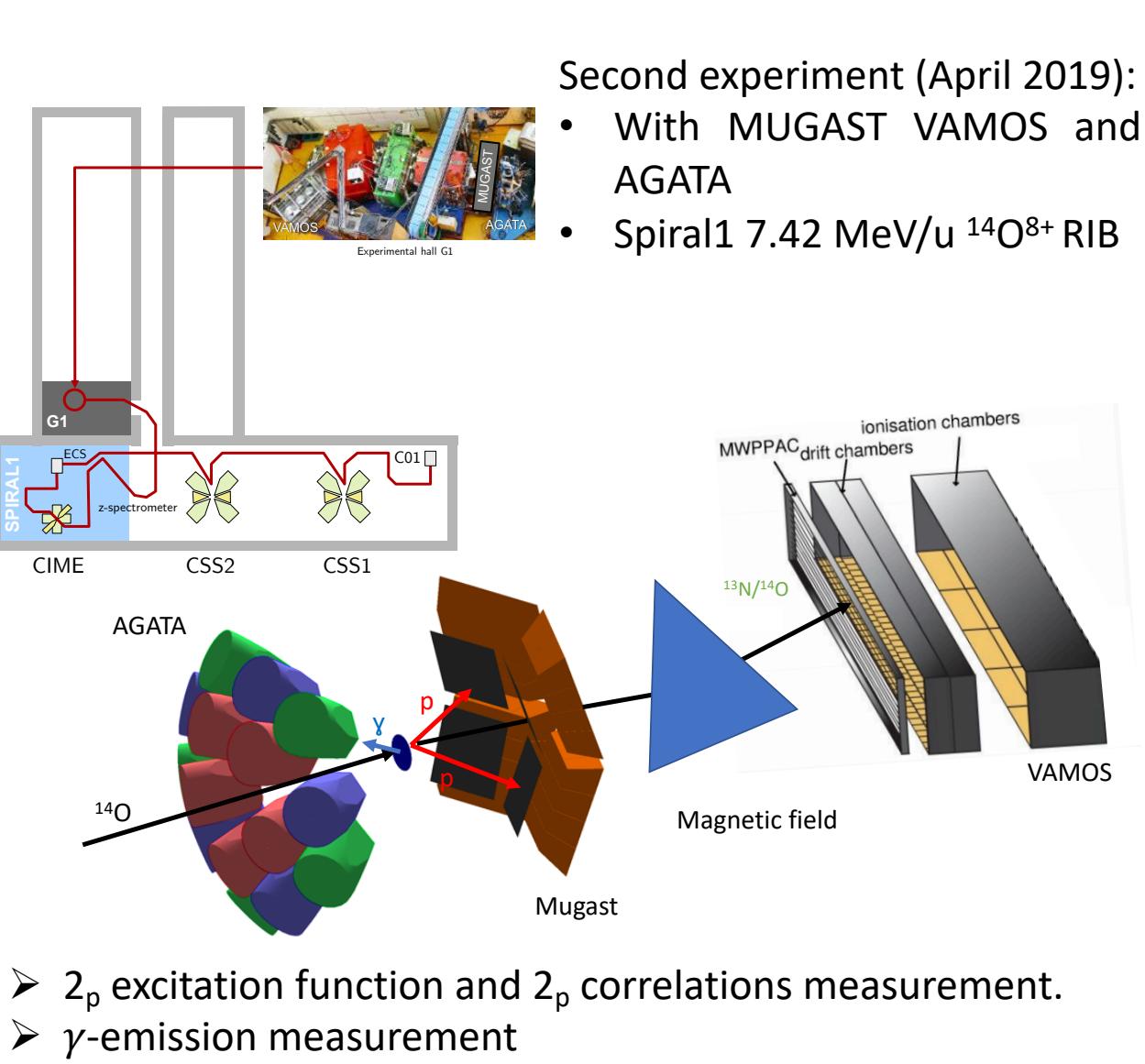


# Experimental setup



First experiment (May 2018):

- At LISE
- Spiral1 7.46 MeV/u  $^{14}\text{O}^{8+}$  RIB



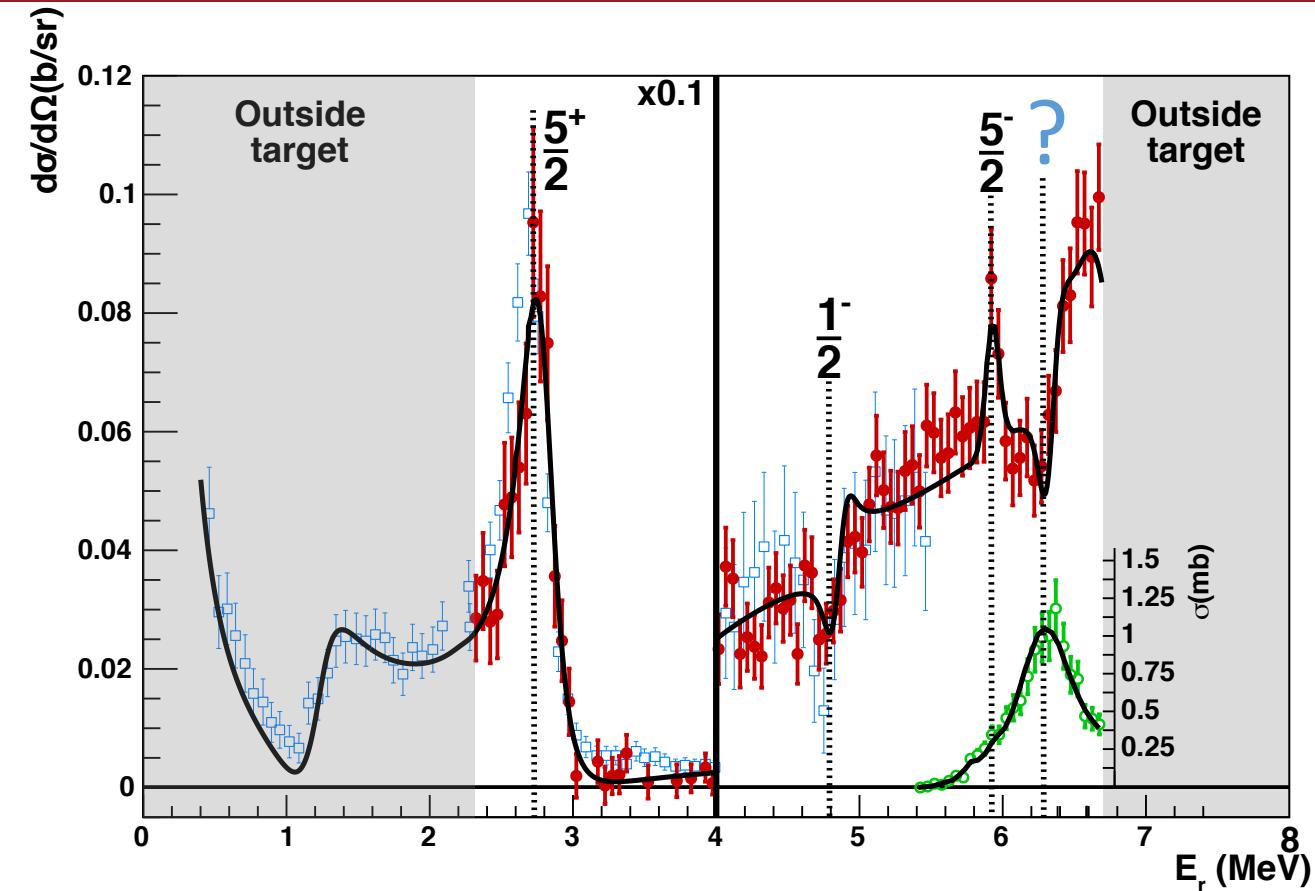
Second experiment (April 2019):

- With MUGAST VAMOS and AGATA
- Spiral1 7.42 MeV/u  $^{14}\text{O}^{8+}$  RIB

➤ Measurement of the  $1_p$  excitation function.

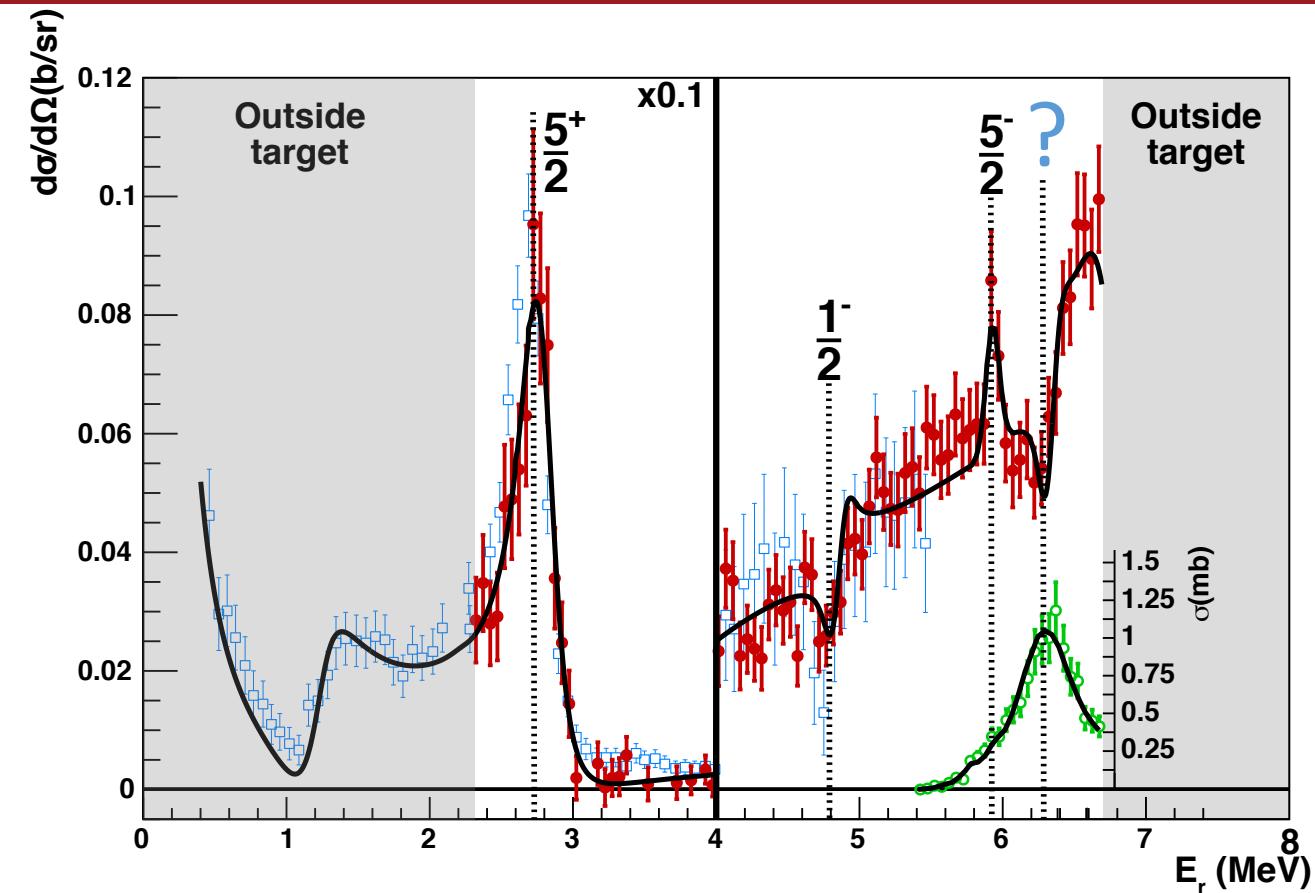
- $2_p$  excitation function and  $2_p$  correlations measurement.
- $\gamma$ -emission measurement

# Results: $^1\text{H}(^{14}\text{O},\text{p})^{14}\text{O}$ and $^1\text{H}(^{14}\text{O},2\text{p})^{13}\text{N}$



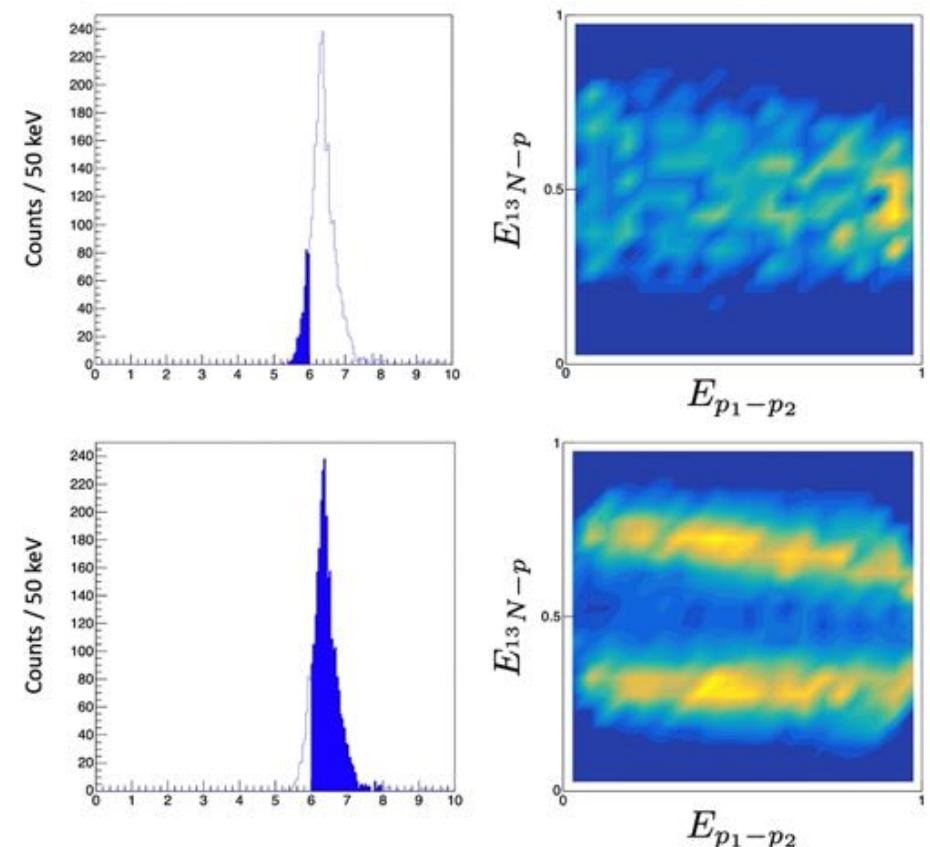
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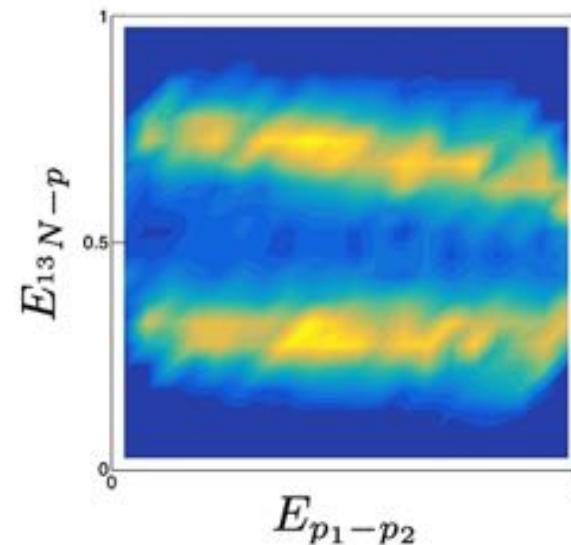
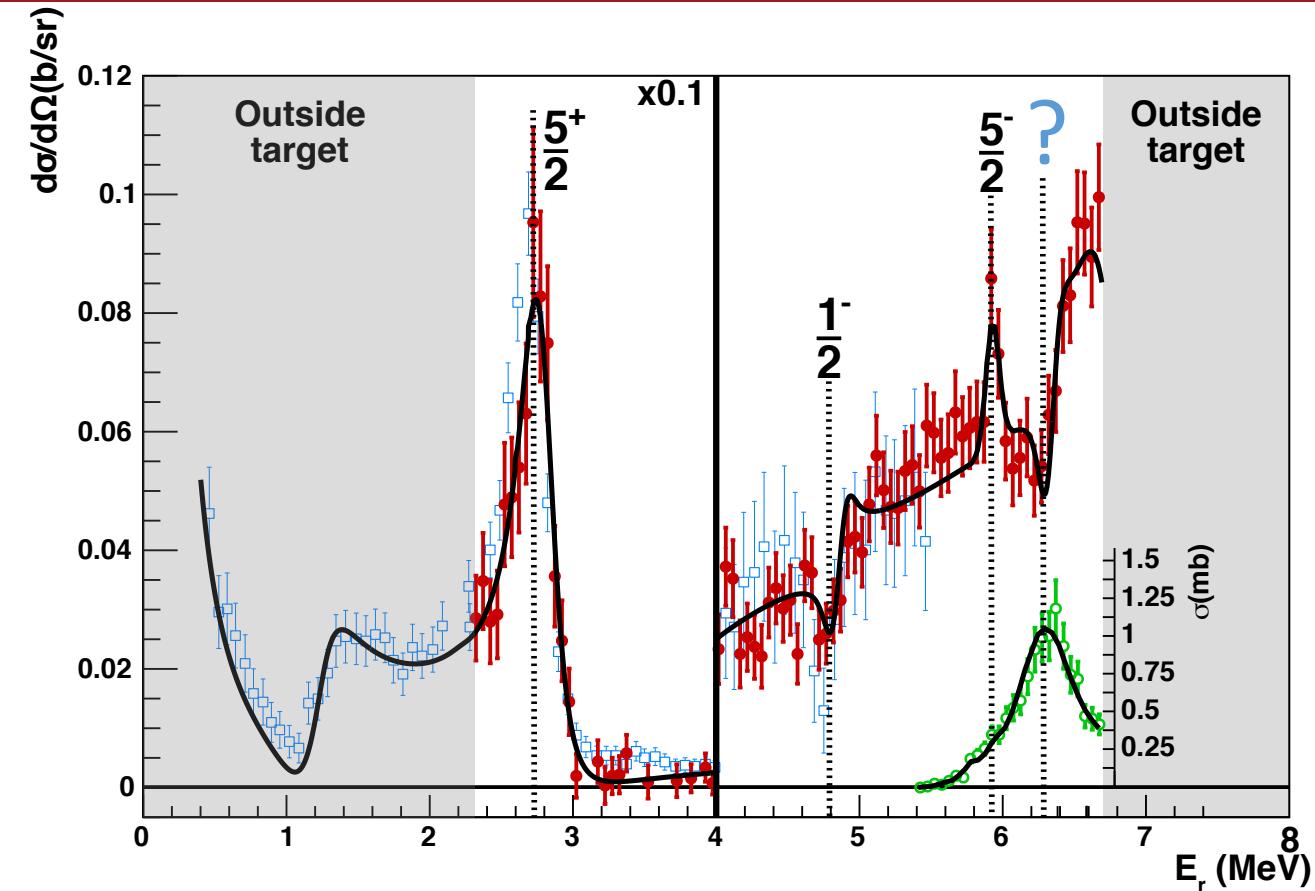
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Dalitz plot:



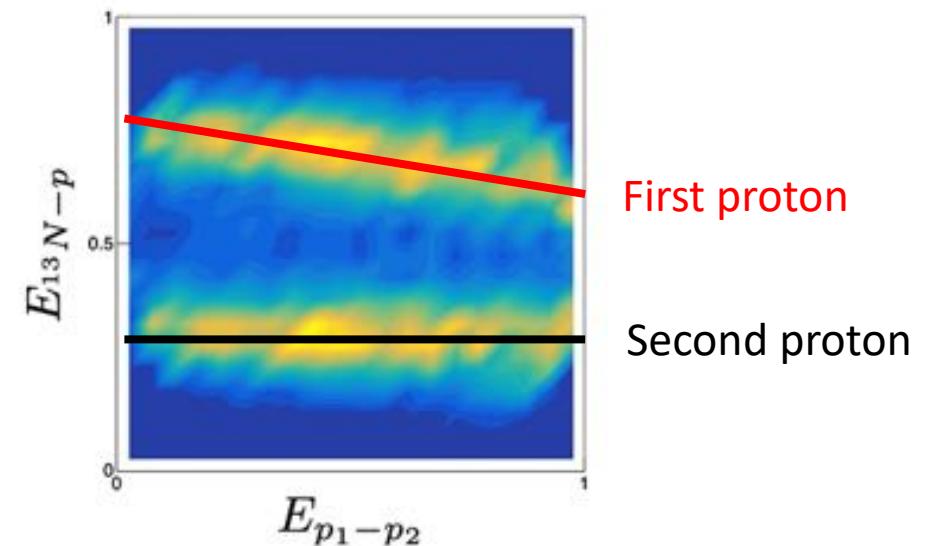
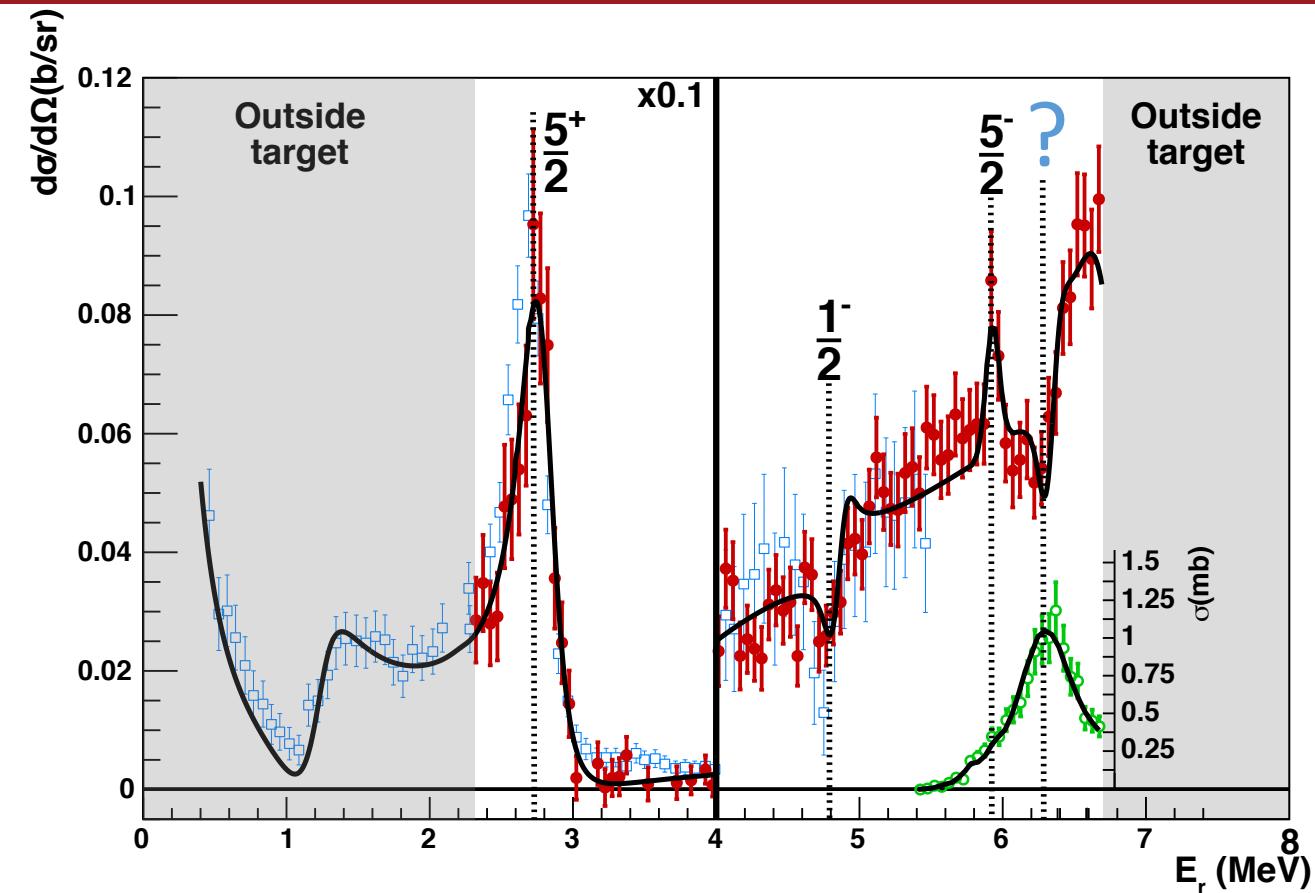
- The two states above 6 MeV are both decaying sequentially by  $2_p$  emission

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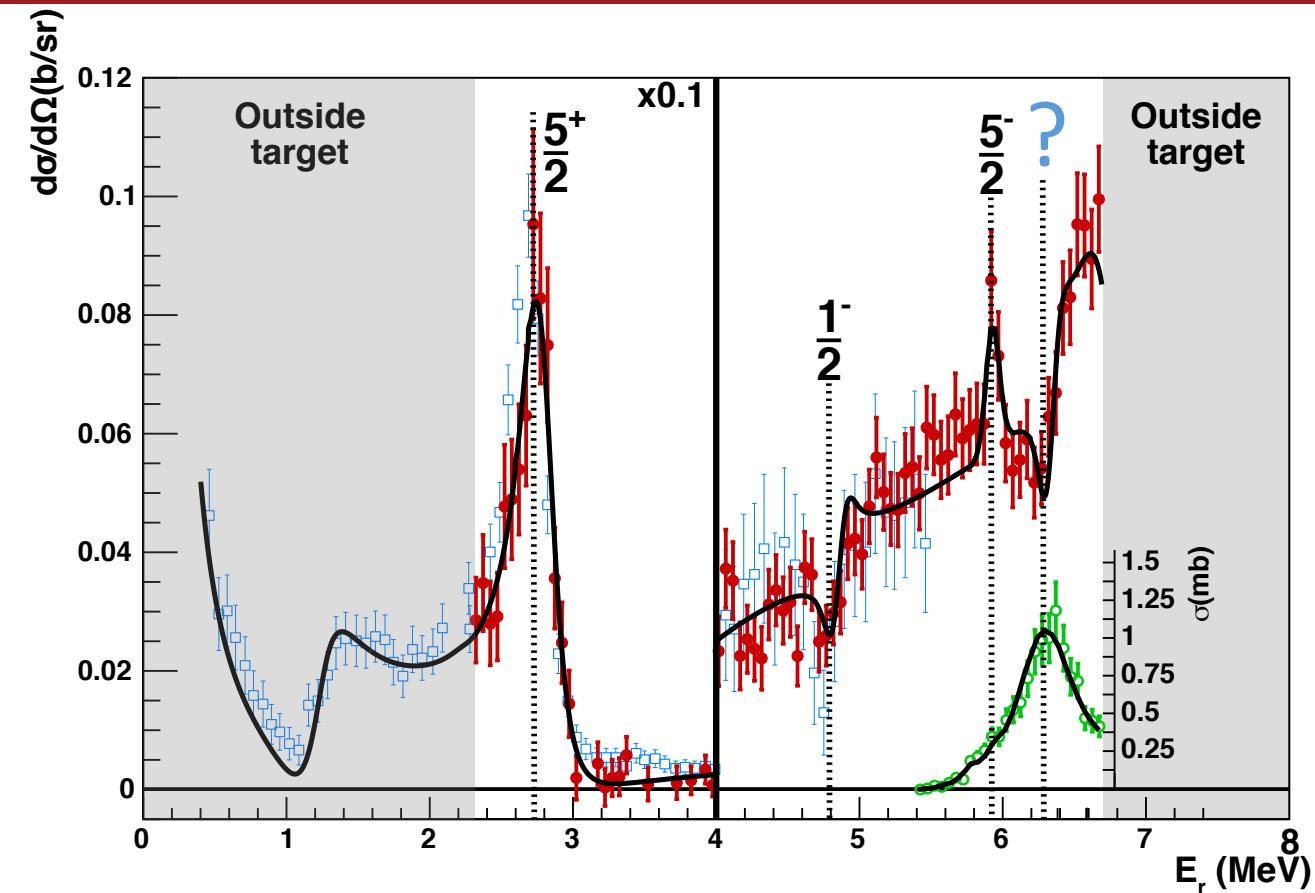
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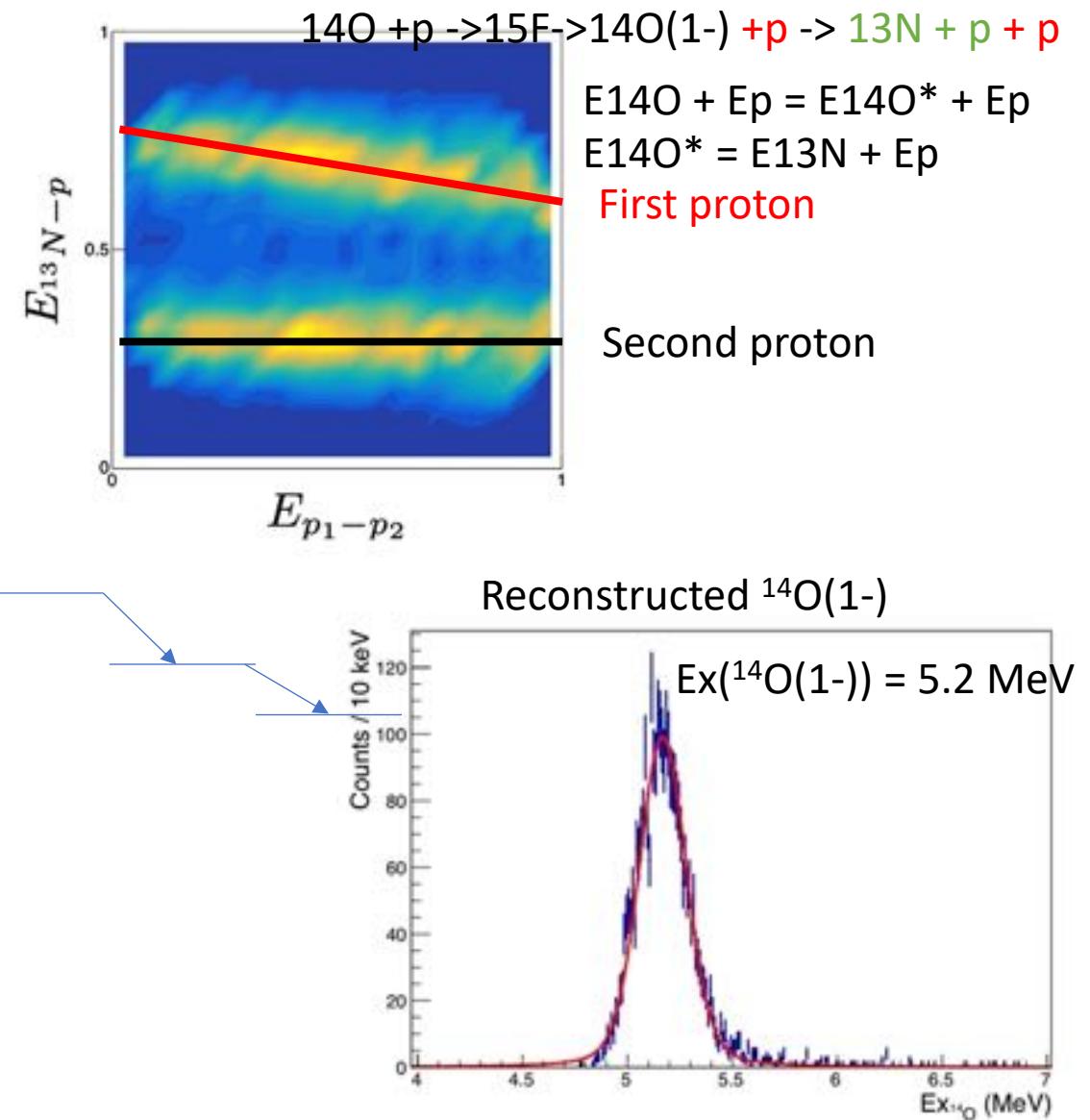


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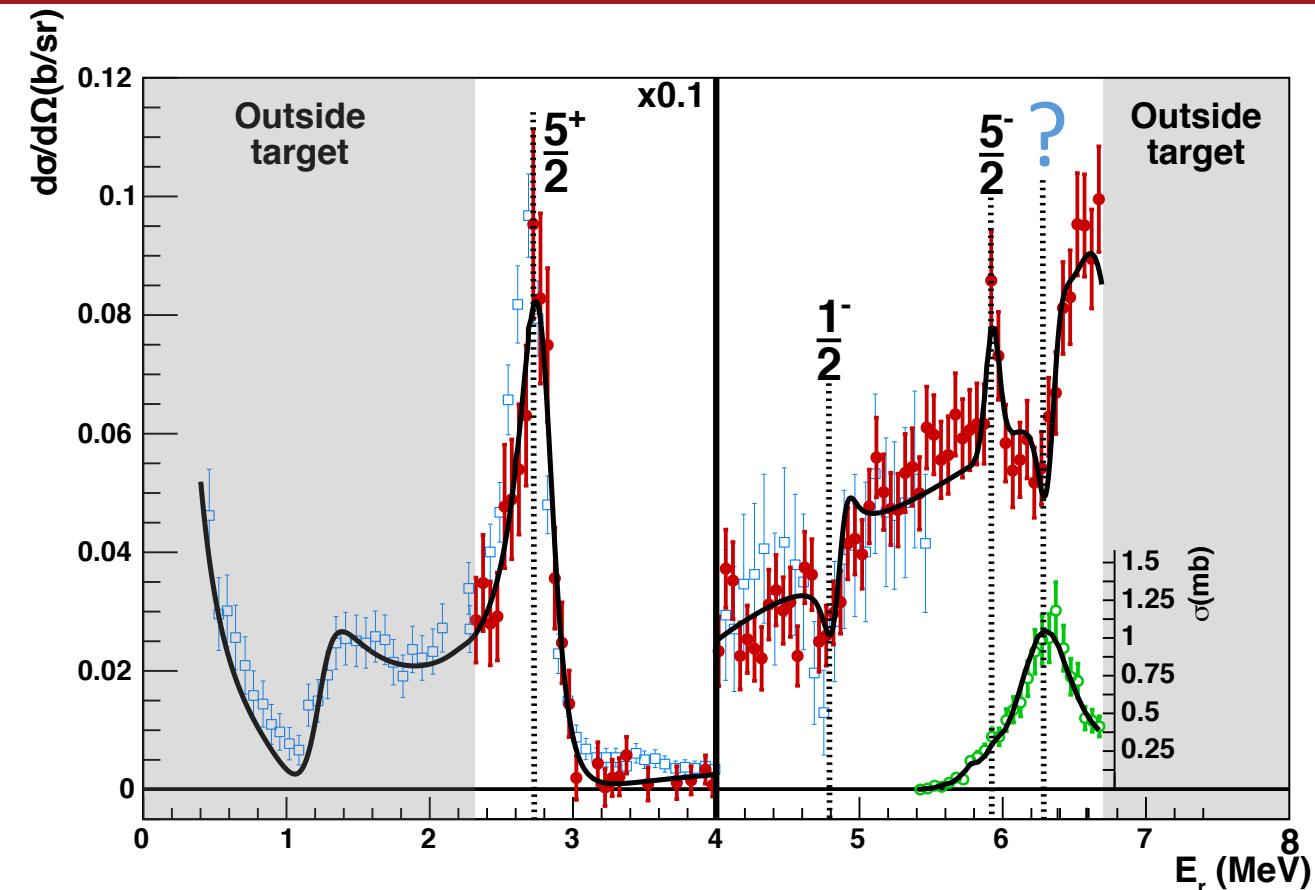
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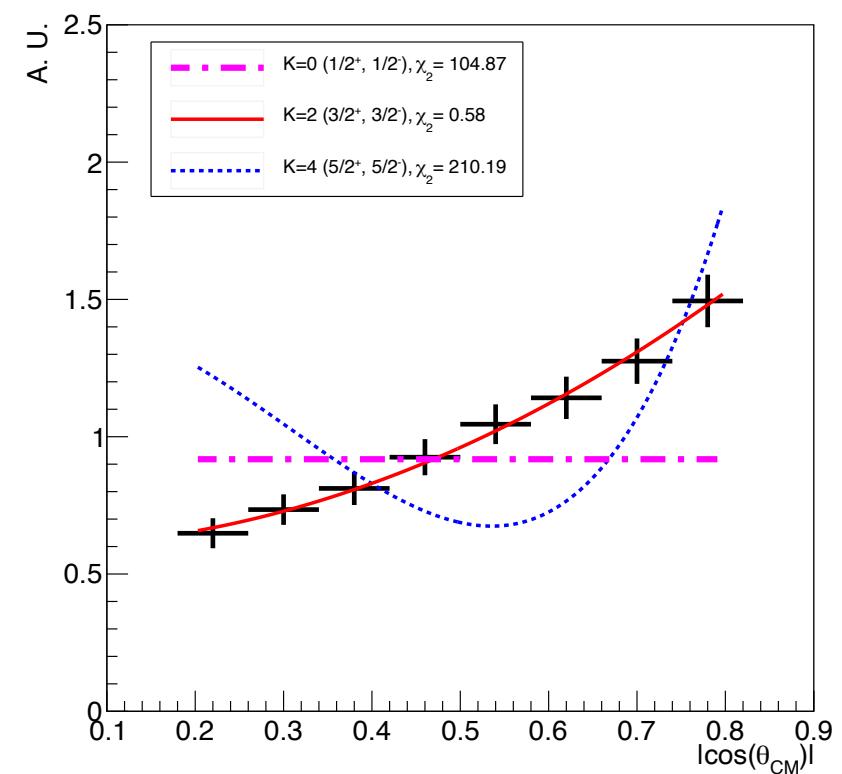


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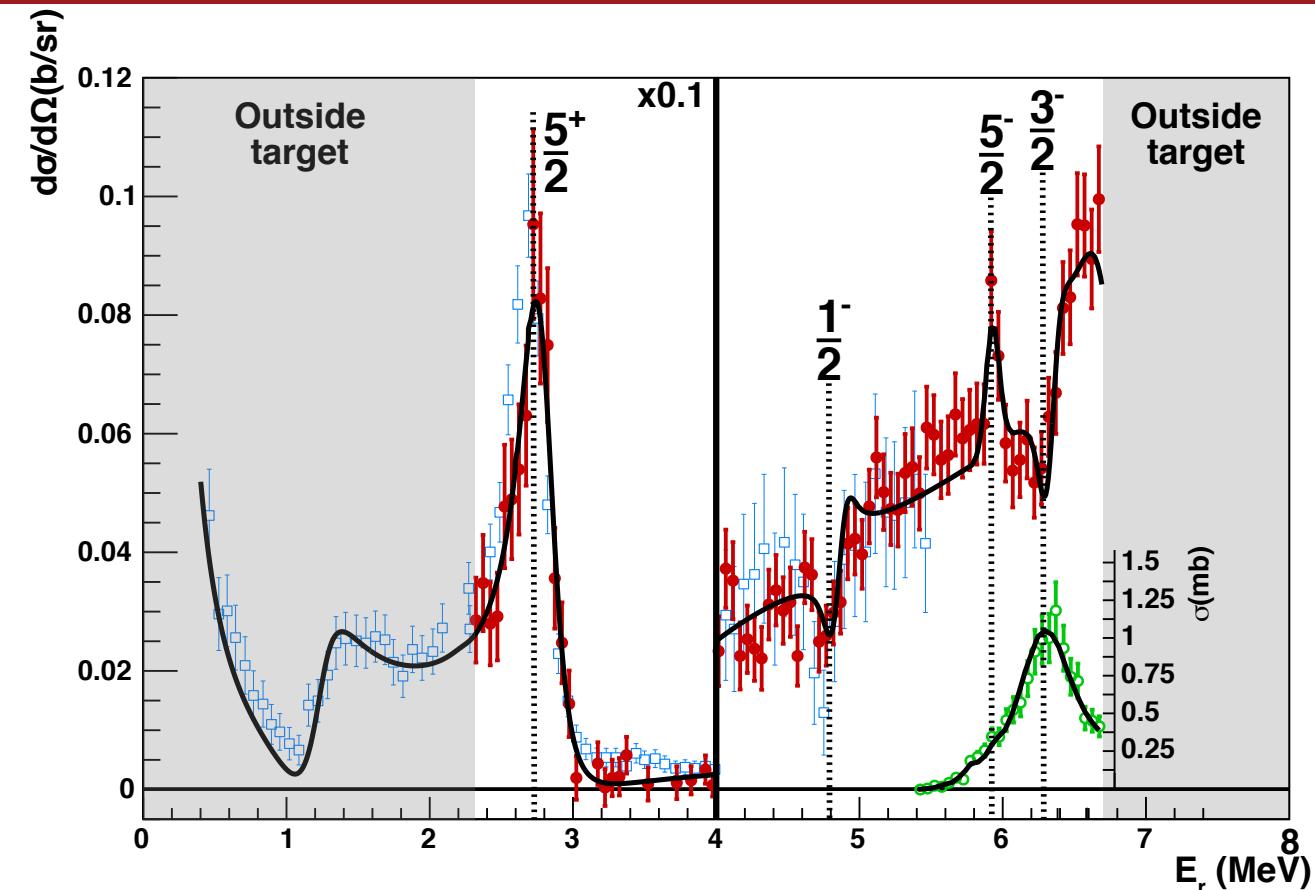
- State at  $E_r \sim 6.3$  MeV consistent with both a  $3/2^-$  and  $1/2^+$  state

Legendre polynomials fit of the centre of mass angular distribution of the first sequentially emitted proton in the  $^1\text{H}(^{14}\text{O}, 2\text{p})^{13}\text{N}$ :



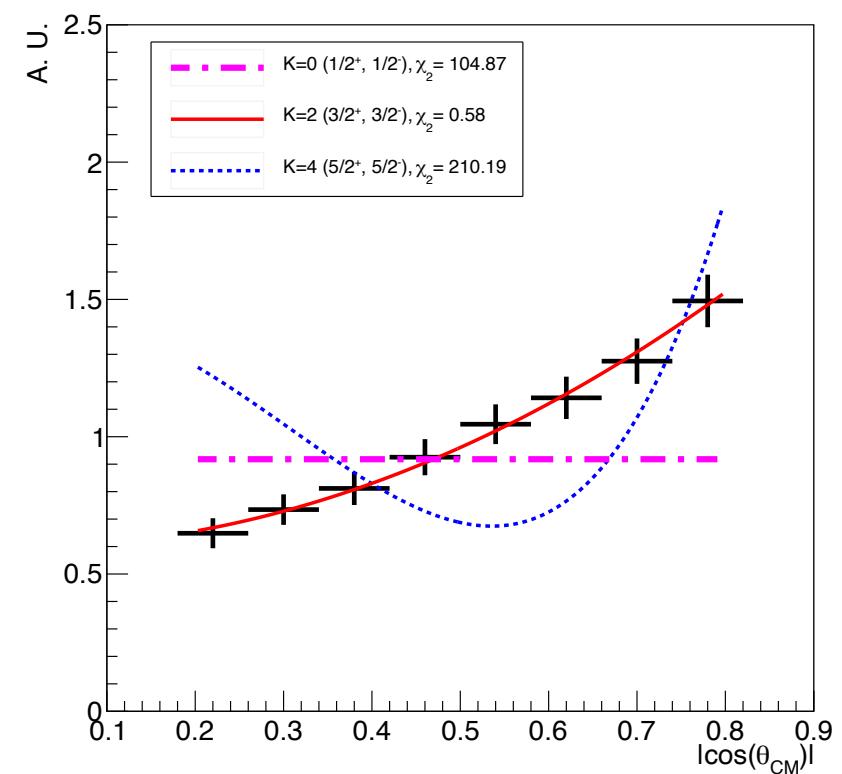
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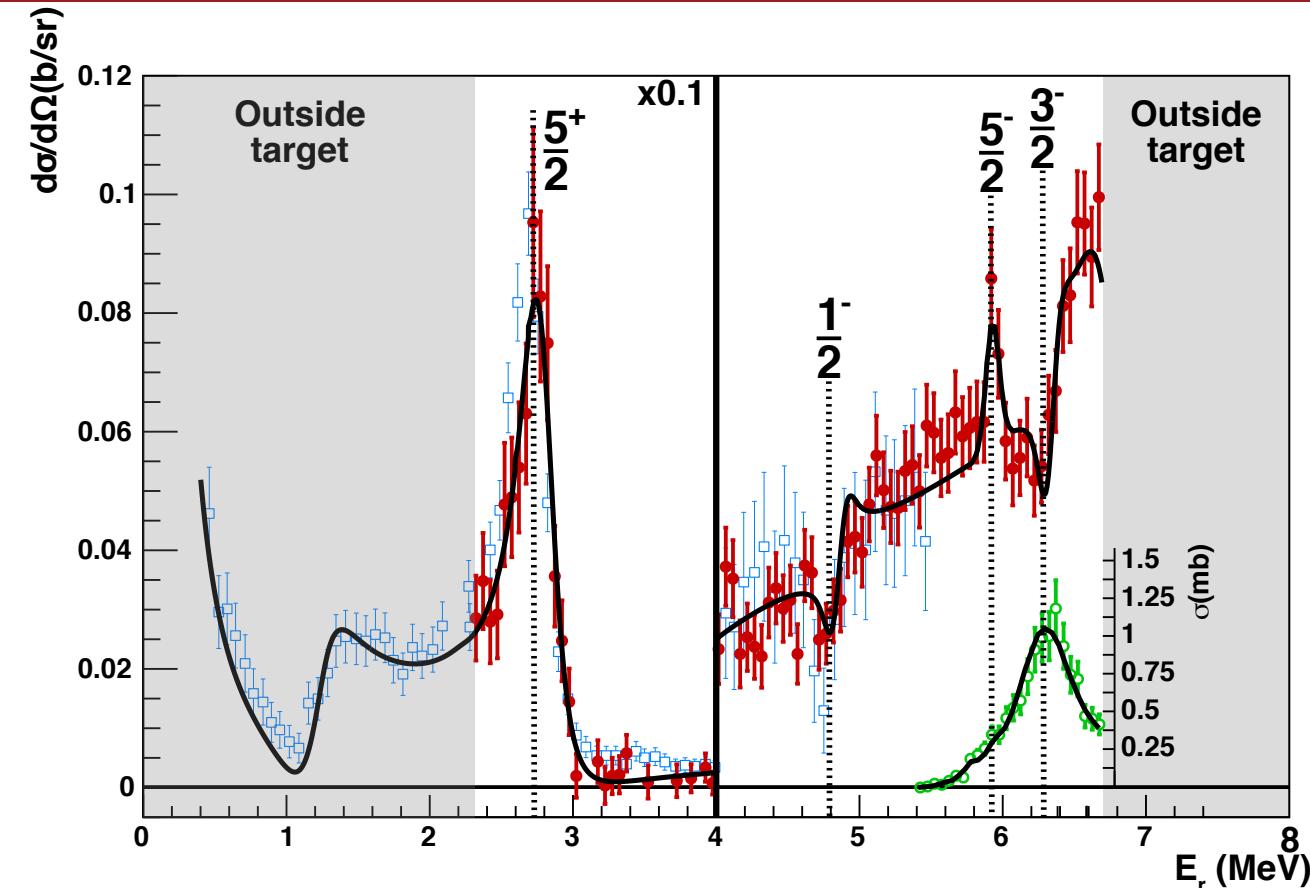
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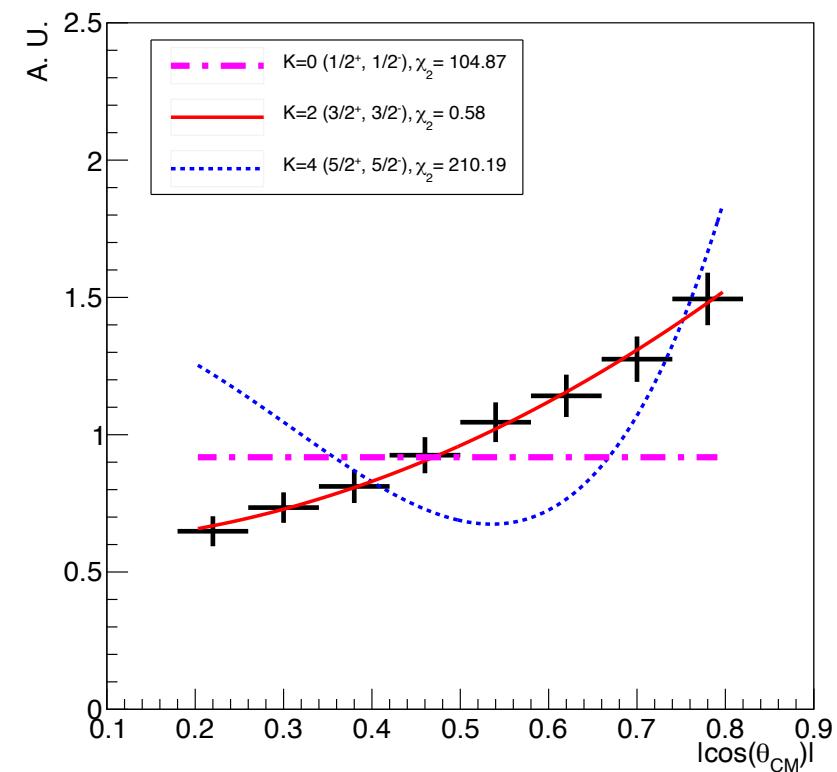
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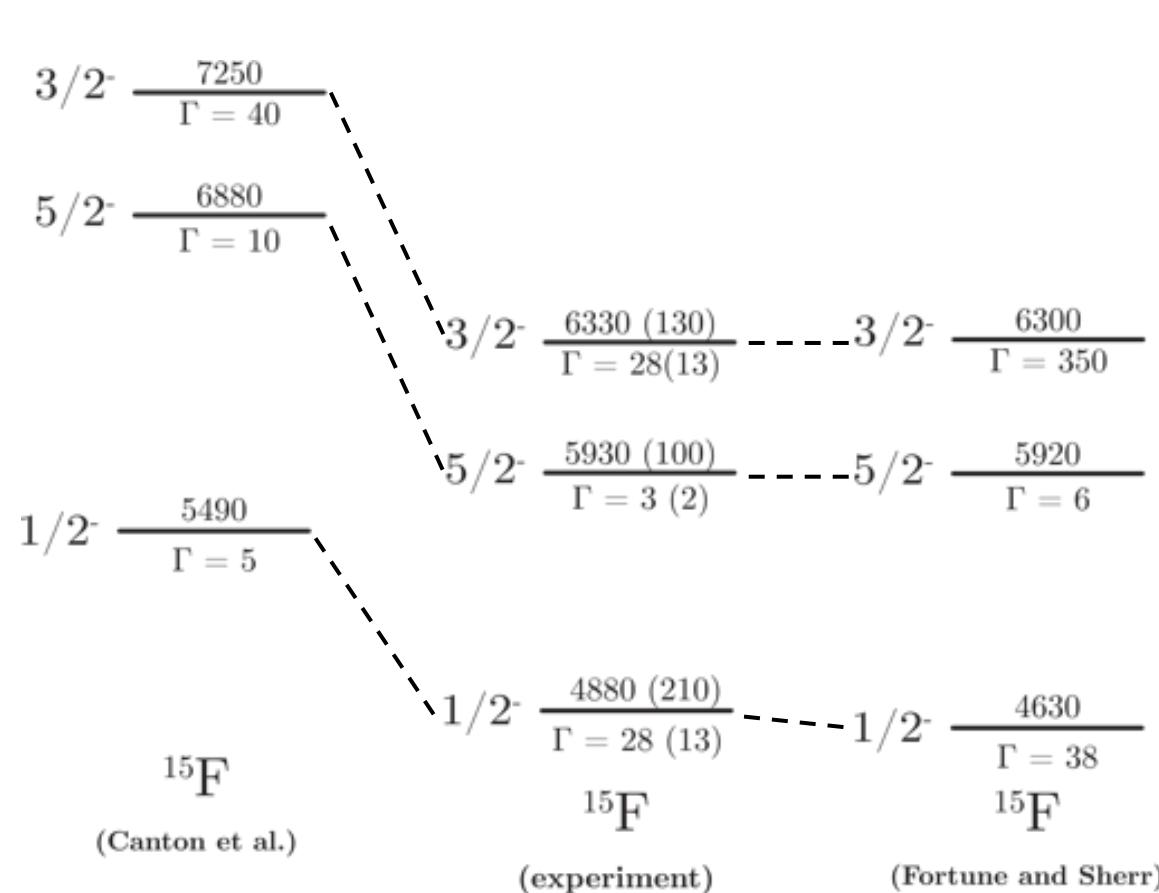
Previous work			This work			
$J^\pi$	$E_r$ (MeV)	$\Gamma_{1\text{p}}$ (keV)	$J^\pi$	$E_r$ (MeV)	$\Gamma_{1\text{p}}$ (keV)	$\Gamma_{2\text{p}}$ (keV)
$1/2^+$	1.270 (20)	~500				
$5/2^+$	2.794 (16)	300 (16)	$5/2^+$	2.81 (12)	251 (26)	
$1/2^-$	4.757 (16)	36 (19)	$1/2^-$	4.88 (21)	30 (15)	
			$5/2^-$	5.93 (10)	3 (2)	0.04 (2)
$5/2^-$ or $3/2^-$	6.4 (2)	200 (200)	$3/2^-$	6.33 (13)	28 (13)	0.33 (8)

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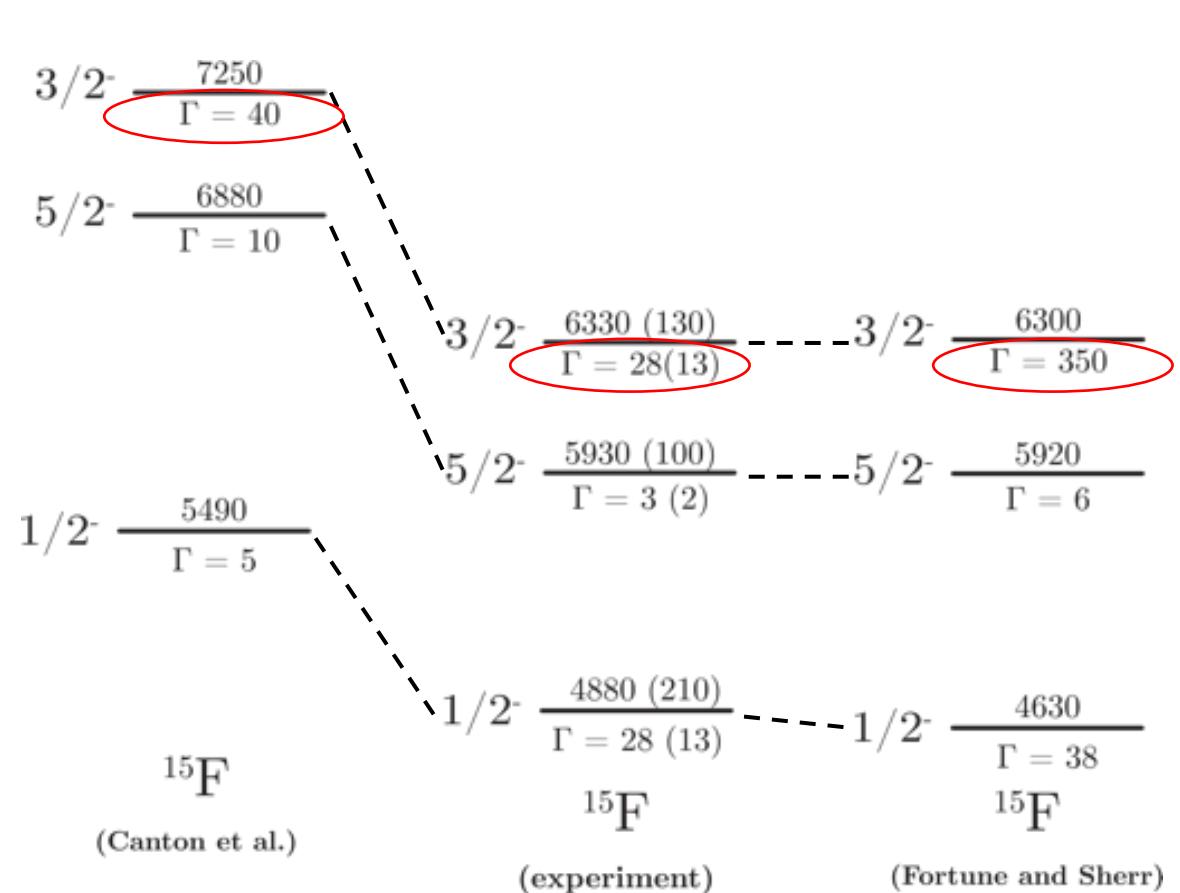
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- Very good agreement with the energies predicted by Fortune and Sherr
- The  $3/2^-$  state is one order of magnitude narrower than Fortune and Sherr prediction, similar to Canton et al.

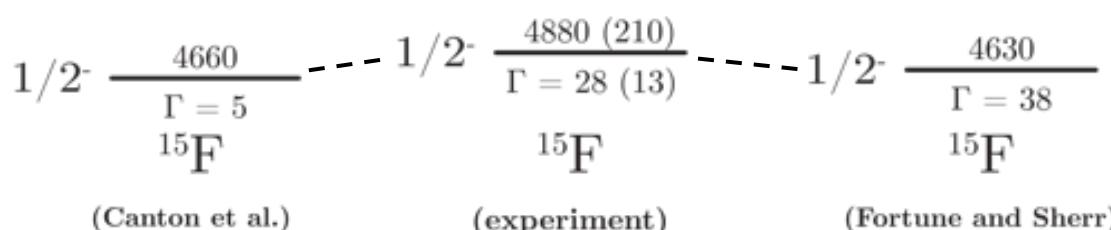
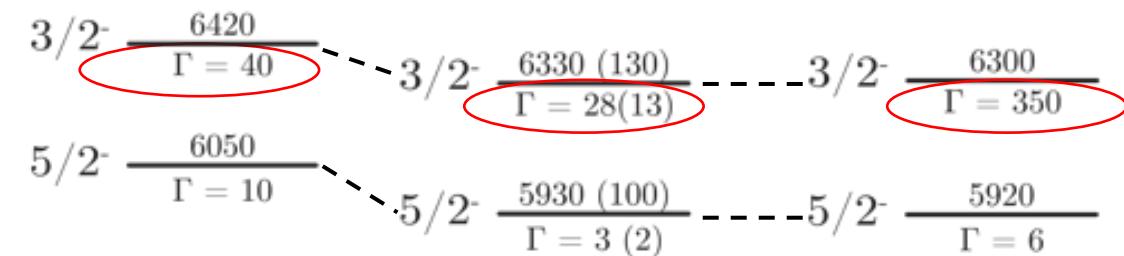
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Scaling down by  $\sim 830$  keV



(Canton et al.)

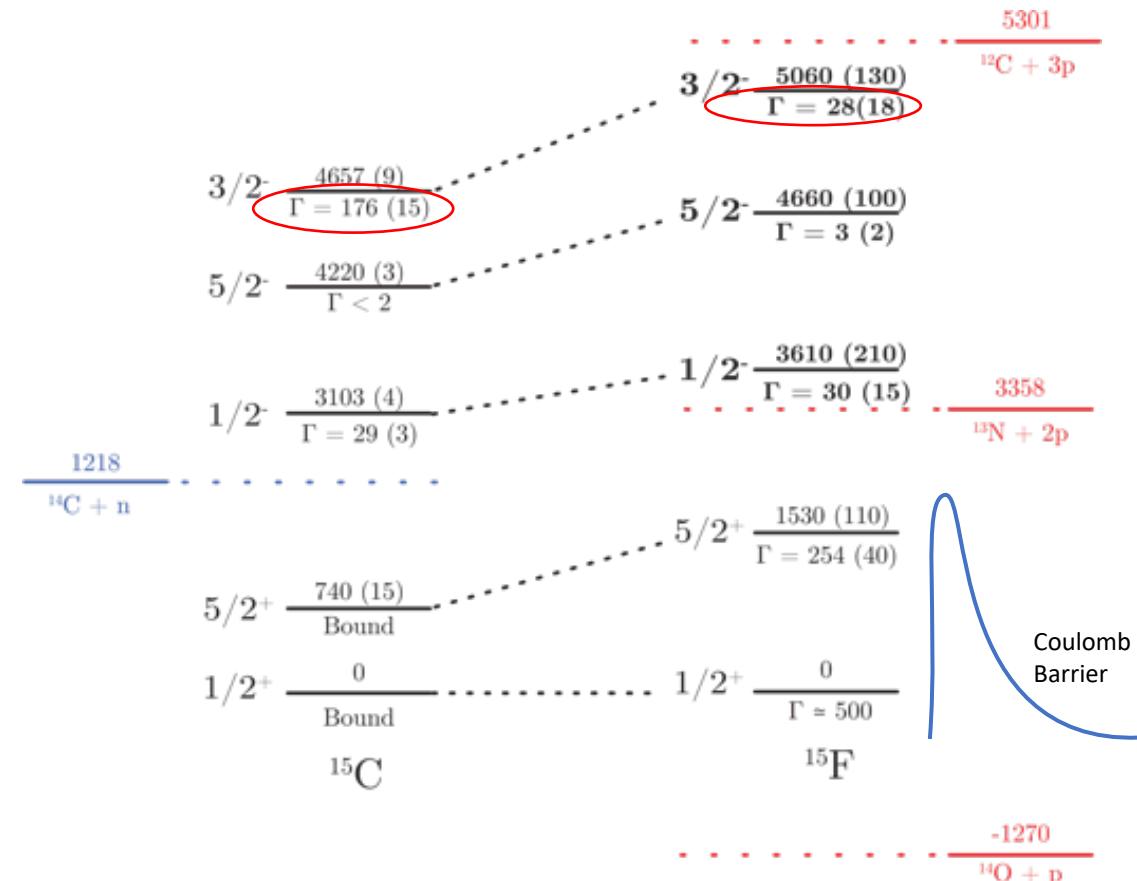
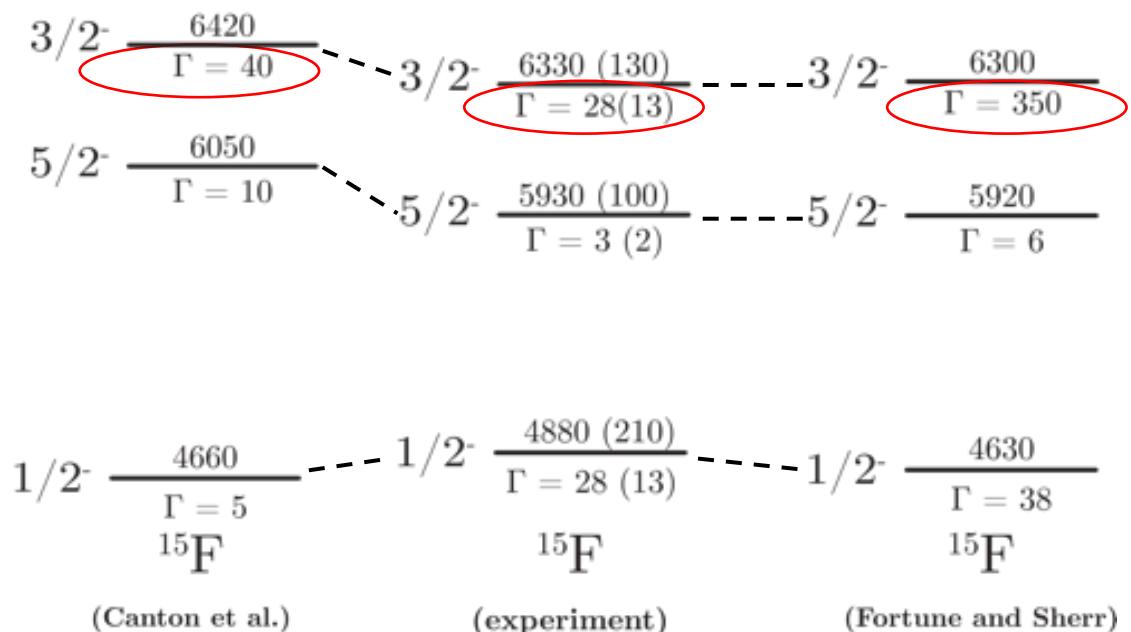
(experiment)

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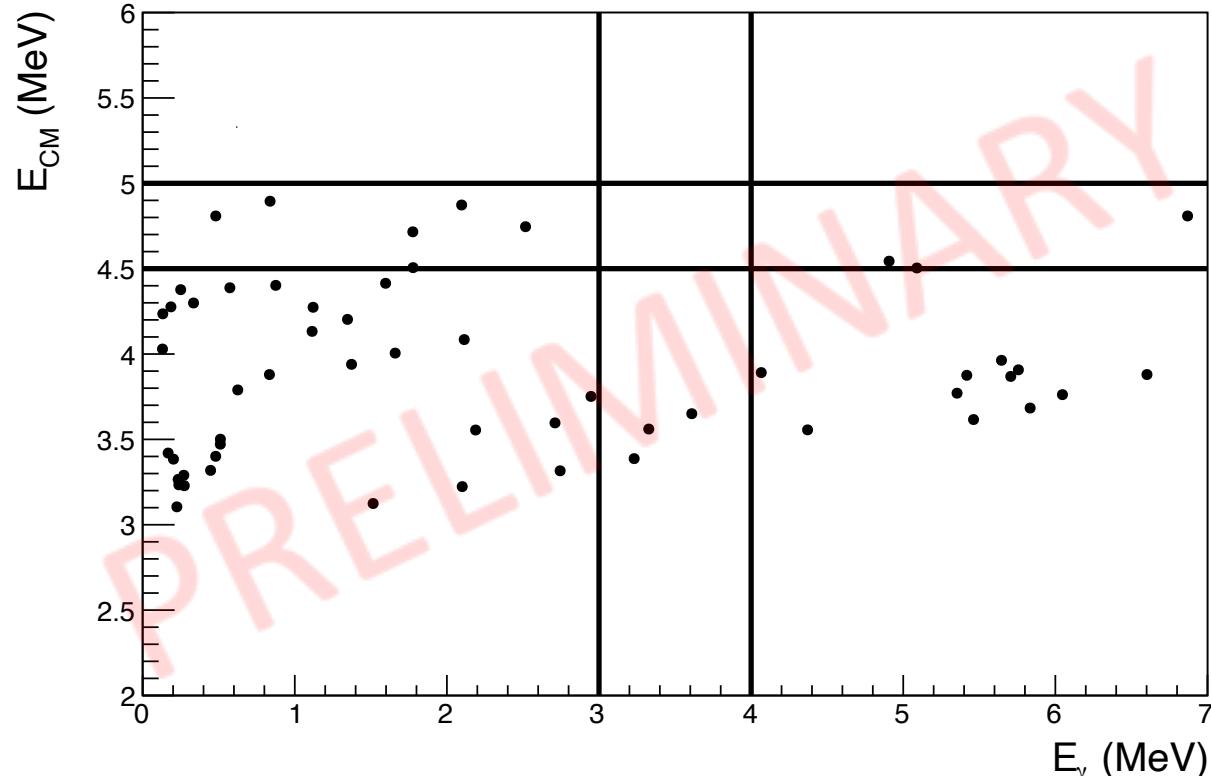
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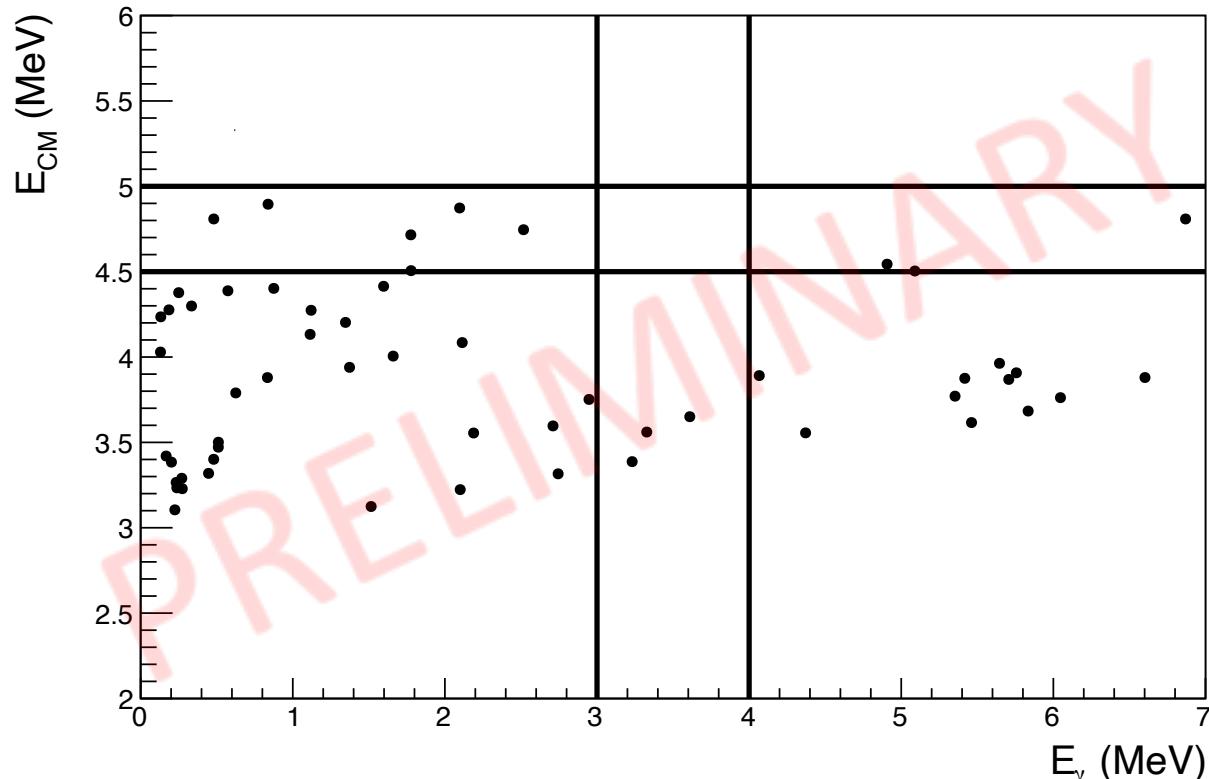
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- $3/2^-$  is  $\sim 4$  times narrower than the mirror state in  $^{15}\text{C}$ !
- Many nearby thresholds: GSM and GSM-CC calculation on the way (A. Mercenne, N. Michel and M. Ploszajczak)

# Results: $\gamma$ -decay between unbound states?



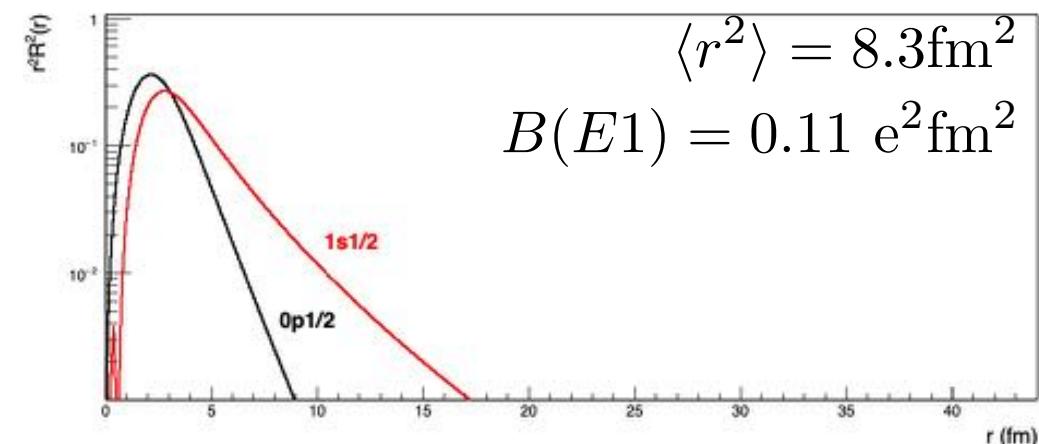
# Results: $\gamma$ -decay between unbound states?



- No events compatible with the expected gamma transition
- $\Gamma_\gamma < 4.4(1.5)$  eV  $\rightarrow$  BR  $< 0.019(10)$  %

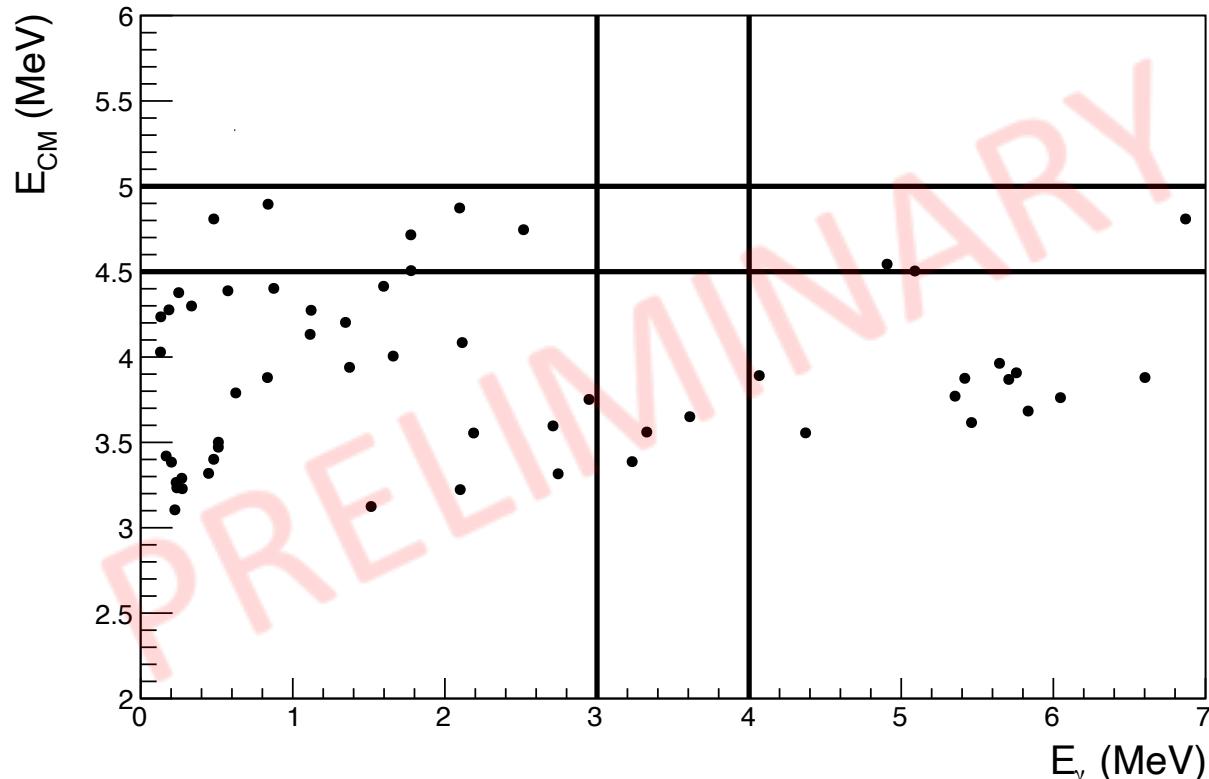
Calculation of the reduced transition probability:

$$B(E1) = \frac{6}{4\pi} \times \left(\frac{\tilde{e}}{e}\right)^2 \times \frac{1}{6} \times \langle r^l \rangle^2$$



$$\Gamma_\gamma^{calc} = 3.25 \text{ eV} \equiv \Gamma_\gamma^{exp} < 4.4(1.5) \text{ eV}$$

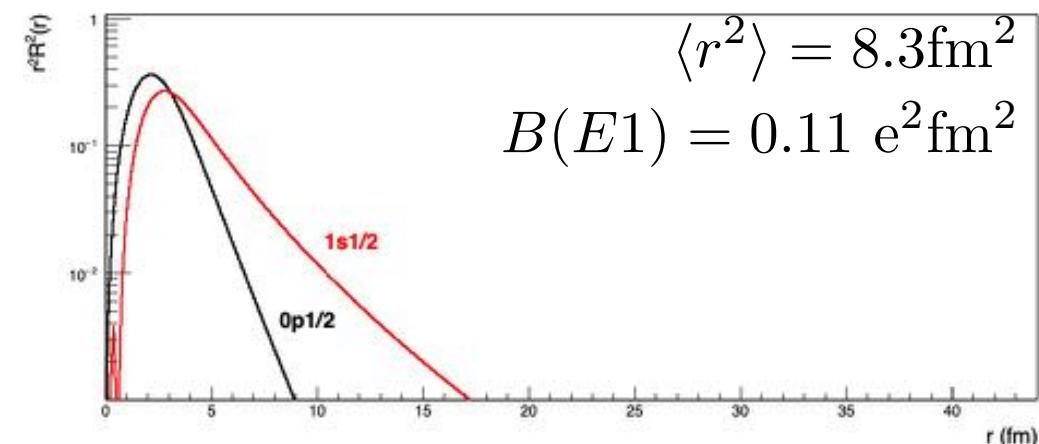
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# Conclusion

- **Measurement of the excitation function of the  ${}^1\text{H}({}^{14}\text{O}, \text{p}) {}^{14}\text{O}$  in the first experiment:**
  - Confirmed the properties of the  $5/2^+$  and  $1/2^-$  states
  - Precise measurement of the **new  $5/2^-$  and  $3/2^-$  states** found to be very **narrow** despite being **3 MeV above the Coulomb Barrier**
- **Interpretation of the structure of the measured states:**
  - The coupling to the nearby thresholds might explain the narrow width of the  $3/2^-$
- **Measurement of the two-proton decay in the second experiment  ${}^1\text{H}({}^{14}\text{O}, \text{p}) {}^{14}\text{O}^{(*)}(\text{p}) {}^{13}\text{N}$ :**
  - Two-proton decay correlations deduced from the use of Dalitz plot showed that **the  $5/2^-$  and  $3/2^-$  states decayed sequentially** through  ${}^{14}\text{O}$  first excited state
- **Gamma branching ratio:**
  - Determination of an upper limit
  - The experimental upper limit is compatible with the calculated gamma width
  - Insight on what makes a good candidate for gamma transition between unbound states

# Conclusion

**Thank you for your attention!**