



Neutron star cooling with microscopic equations of state

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Collaboration with F. Burgio and H.-J.
Schulze.

J.-B Wei, G. F. Burgio, and H.-J.Schulze, MNRAS **484**,(2019)

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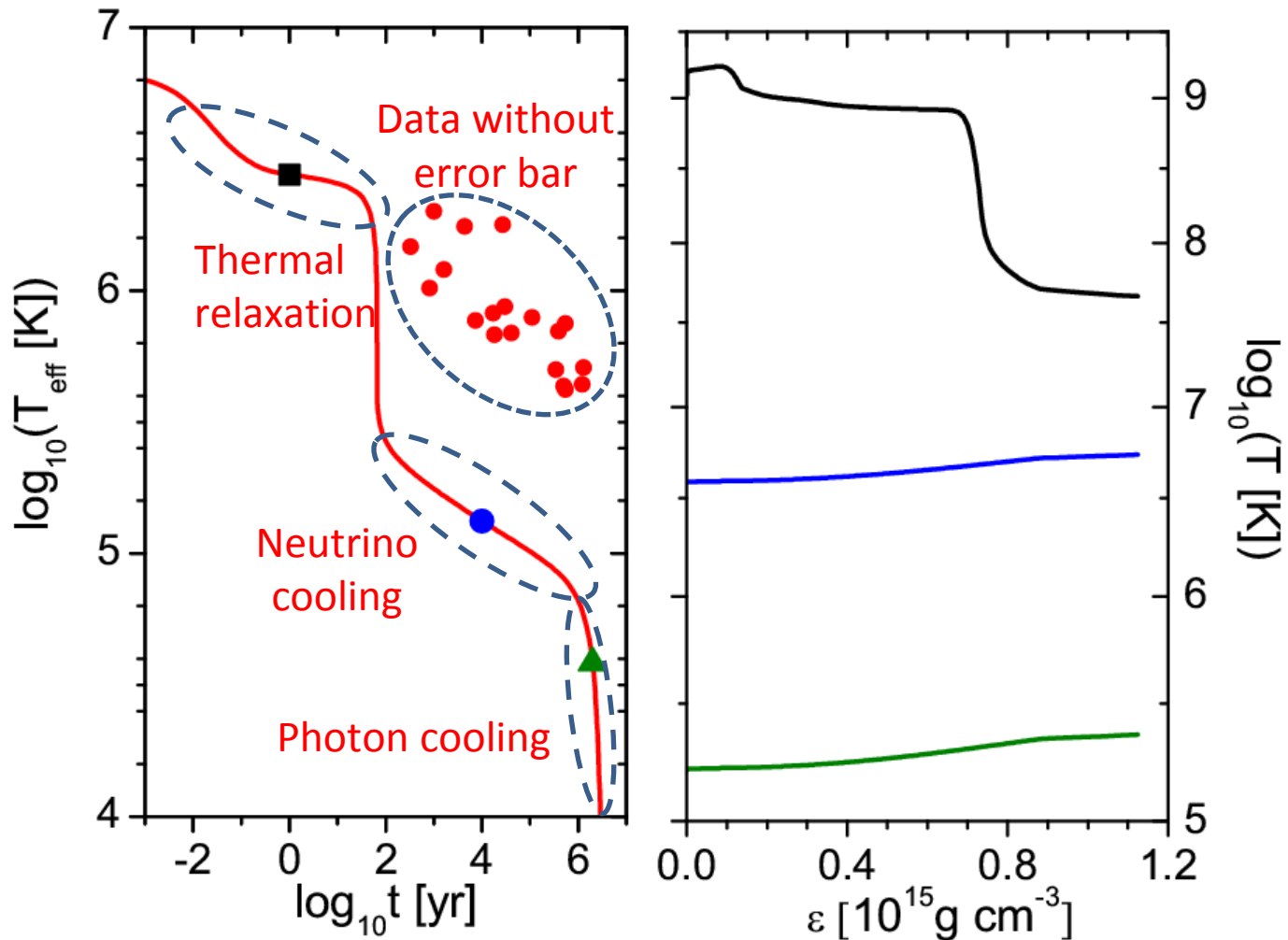
Outline

- ❖ Cooling Processes
- ❖ EOS
- ❖ Results
- ❖ Conclusion



Neutron star cooling

➤ Standard cooling of a Neutron star



Cooling Processes

EOS

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Neutron star cooling

► Cooling equations

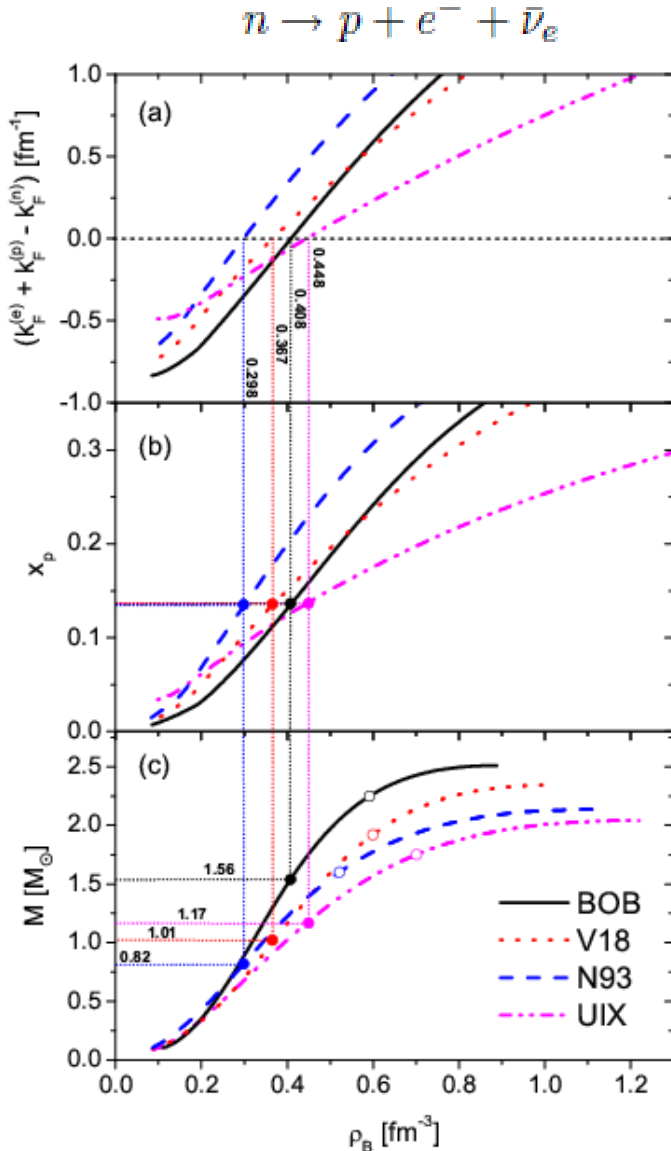
$$\begin{cases} \frac{d(Le^{2\Phi})}{dt} = \frac{4\pi r^2 e^\Phi}{\sqrt{1 - 2Gm/c^2 r}} \left(c_v \frac{dT}{dt} + e^\Phi Q_\nu \right) & \text{Energy balance} \\ \frac{d(Te^\Phi)}{dr} = -\frac{1}{\lambda} \frac{Le^\Phi}{4\pi r^2 \sqrt{1 - 2Gm/c^2 r}} & \text{Energy transport} \end{cases}$$

c_v : specific heat capacity λ : thermal conductivity
 Q_ν : neutrino emission rate

Modified Urca cycle (neutron branch)	$\begin{cases} n + n \rightarrow n + p + e^- + \bar{\nu}_e \\ n + p + e^- \rightarrow n + n + \nu_e \end{cases}$	$\sim 2 \times 10^{21} RT_9^8$	Slow
Modified Urca cycle (proton branch)	$\begin{cases} p + n \rightarrow p + p + e^- + \bar{\nu}_e \\ p + p + e^- \rightarrow p + n + \nu_e \end{cases}$	$\sim 10^{21} RT_9^8$	Slow
Bremsstrahlung	$\begin{cases} n + n \rightarrow n + n + \nu + \bar{\nu} \\ n + p \rightarrow n + p + \nu + \bar{\nu} \\ p + p \rightarrow p + p + \nu + \bar{\nu} \end{cases}$	$\sim 10^{19} RT_9^8$	Slow
Direct Urca cycle	$\begin{cases} n \rightarrow p + e^- + \bar{\nu}_e \\ p + e^- \rightarrow n + \nu_e \end{cases}$	$\sim 10^{27} RT_9^6$	Fast



Direct Urca process

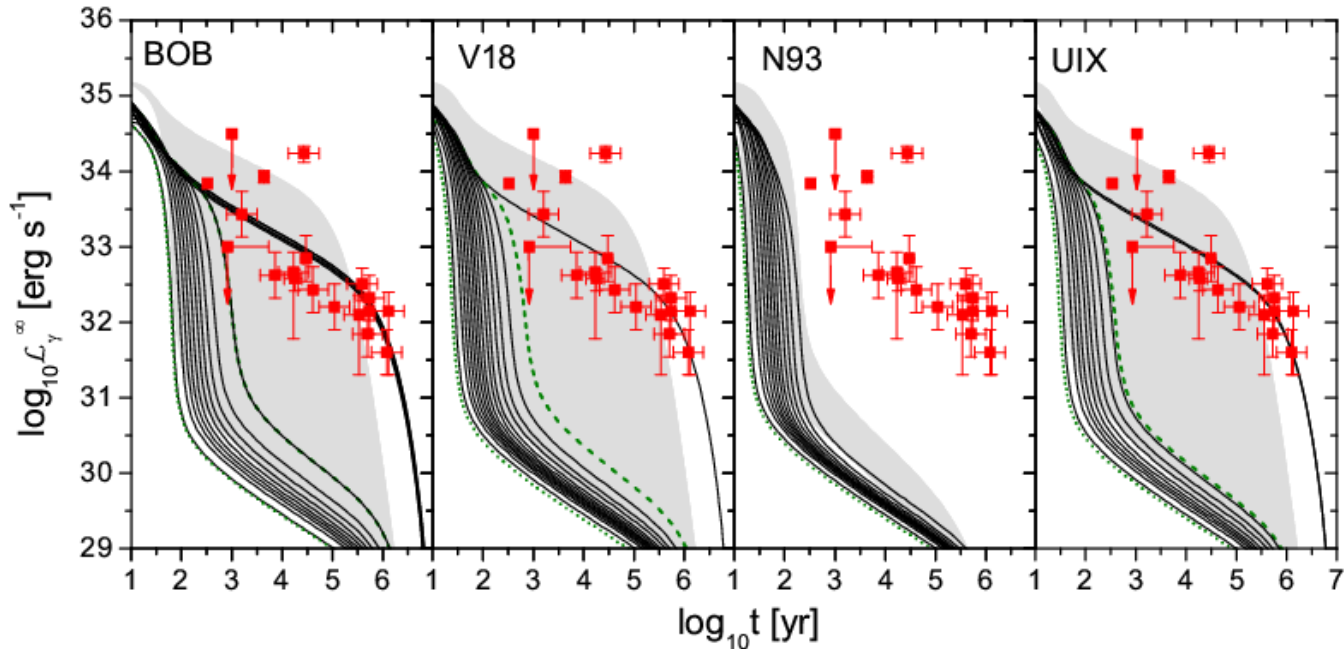


- **EOS:** within the Brueckner–Hartree–Fock (BHF) approach.
 - BOB: Bonn B + microscopic TBF
 - V18: Argonne V18 + microscopic TBF
 - N93: Nijmegen N93 + microscopic TBF
 - UIX : Argonne V18 + phenomenological TBF
- The Direct Urca starts early except EOS BOB.

EOS	x_{DU}	ρ_{DU}	M_{DU}	M_{max}
BOB	0.1357	0.41	1.56	2.51
V18	0.1348	0.37	1.01	2.34
N93	0.1331	0.3	0.82	2.13
UIX	0.1363	0.45	1.17	2.04

Cooling Curves (done with public code by Dany. Page)

$M = 1.0, 1.1, \dots, M_{\max}$



➤ **No superfluidity:**

1. If DU is active ($x_p \gtrsim 13\%$), it dominates all other processes
2. Too fast cooling of most NS

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Superfluidity

➤ Superfluidity

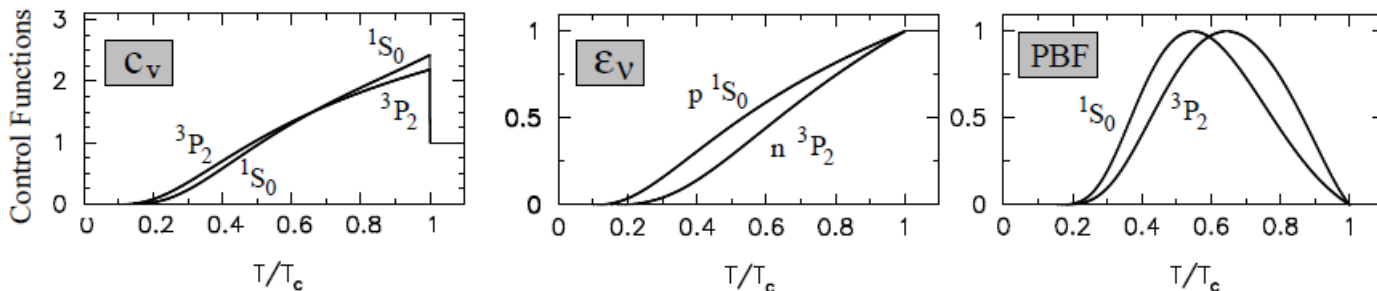
1. Damping of DU, MU, BNN reactions and specific heat.

$$c_v(T) \longrightarrow c_v^{\text{paired}}(T) = R_c(T/T_c) \times c_v^{\text{normal}}(T),$$

$$\epsilon_\nu(T) \longrightarrow \epsilon_\nu^{\text{paired}}(T) = R_\nu(T/T_c) \times \epsilon_\nu^{\text{normal}}(T),$$

2. A new cooling process: Pair Breaking and Formation:

$$Q_{PBF} \sim 10^{21} RT_9^7$$



D. Page, et al, Nuclear Physics A 777 (2006) 497–530

Cooling
Processes

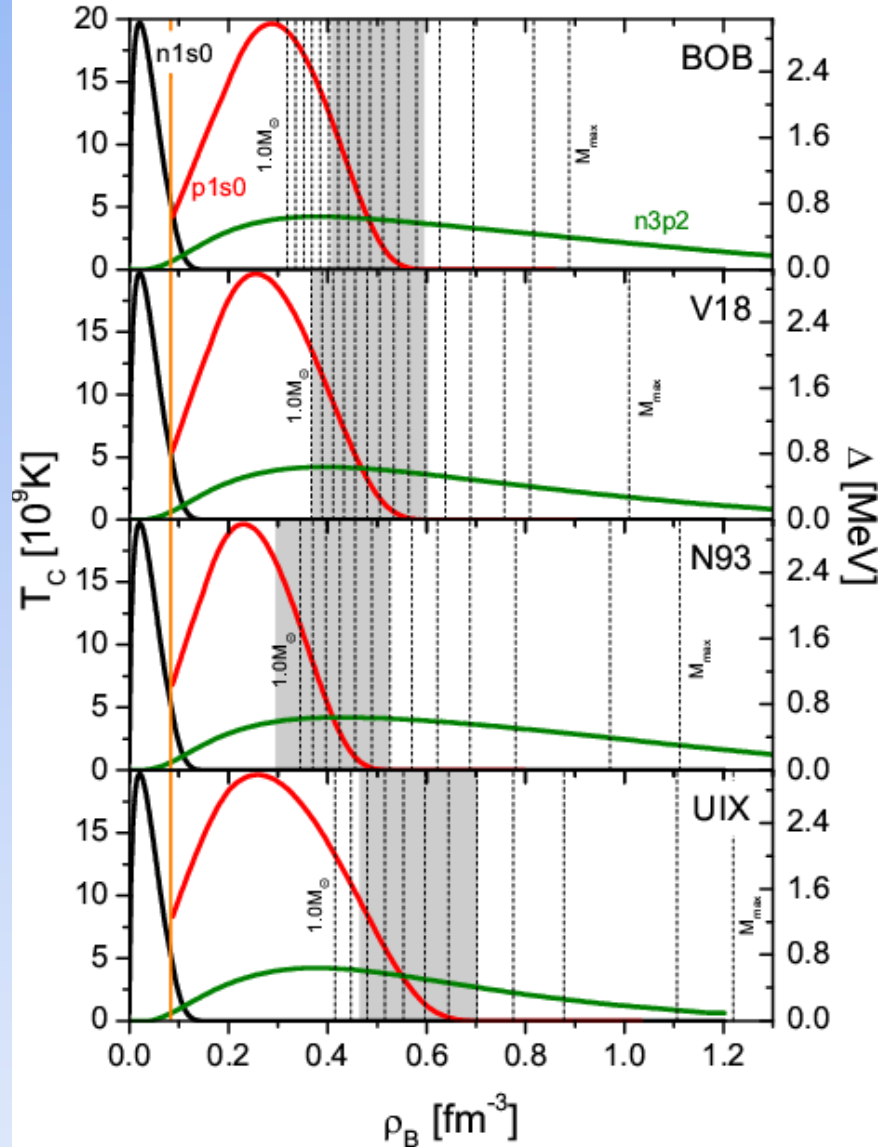
EOS

Results

Conclusion



Superfluidity



➤ **Gaps:** Zhou et al, Phys. Rev. C, 70, 048802
 Derived from BHF method with V18
 N-N potential.

EOS	ρ_{DU}	ρ_{1s0}	M_{1s0}
BOB	0.41	0.59	2.23
V18	0.37	0.6	1.91
N93	0.3	0.52	1.59
UIX	0.45	0.7	1.7

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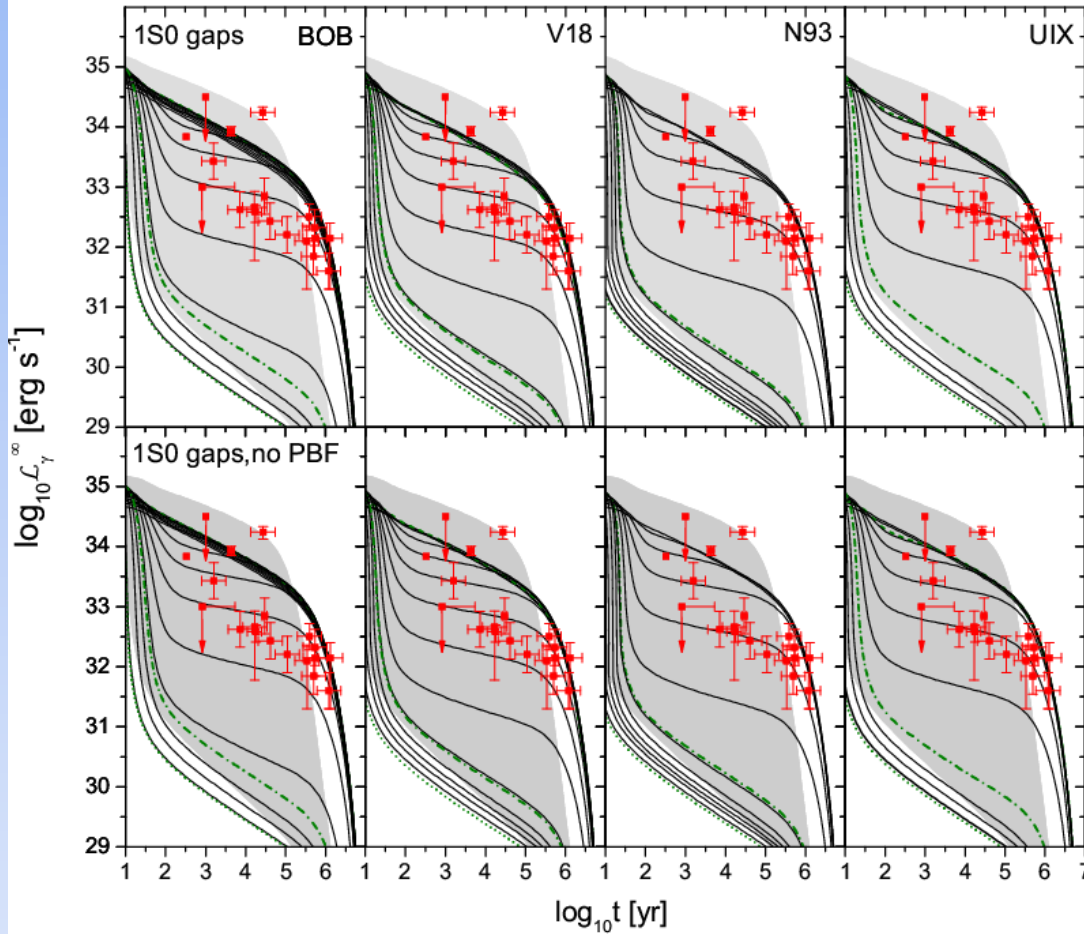
Conclusion



Cooling Curves

$M = 1.0, 1.1, \dots, M_{\max}$

Only 1S0 gap is considered.



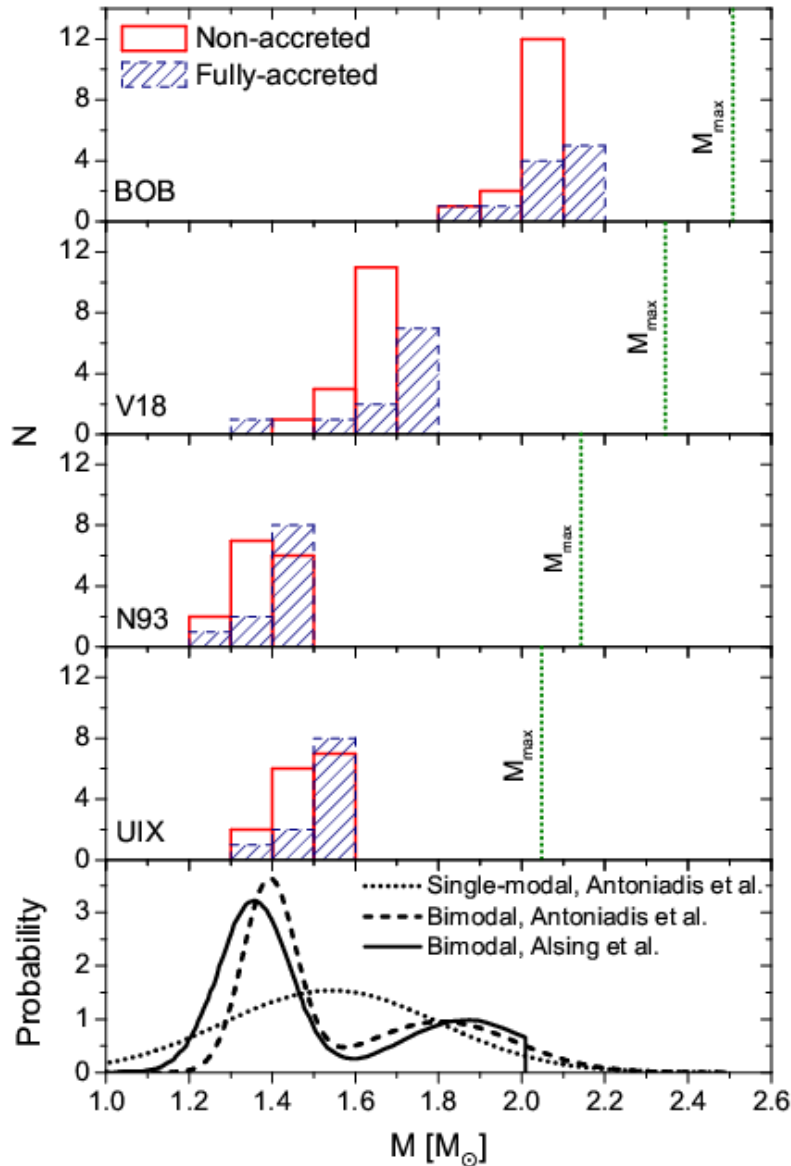
- Yes pairing(1S0):
1. the BCS p1S0 gap alone is able to suppress sufficiently the DU cooling.

- No PBF
1. The effect of PBF is not obvious.

Combined with non and fully accreted cases, all data could be described for all microscopic EoSs.

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Mass Distribution



➤ The mass distribution of cooling data extracted from the cooling curves.

1. The error bar is disregarded
2. Shows a small dependence on envelope model.

➤ BOB model is excluded if we assume the mass distribution is similar to overall mass distribution in the Universe.

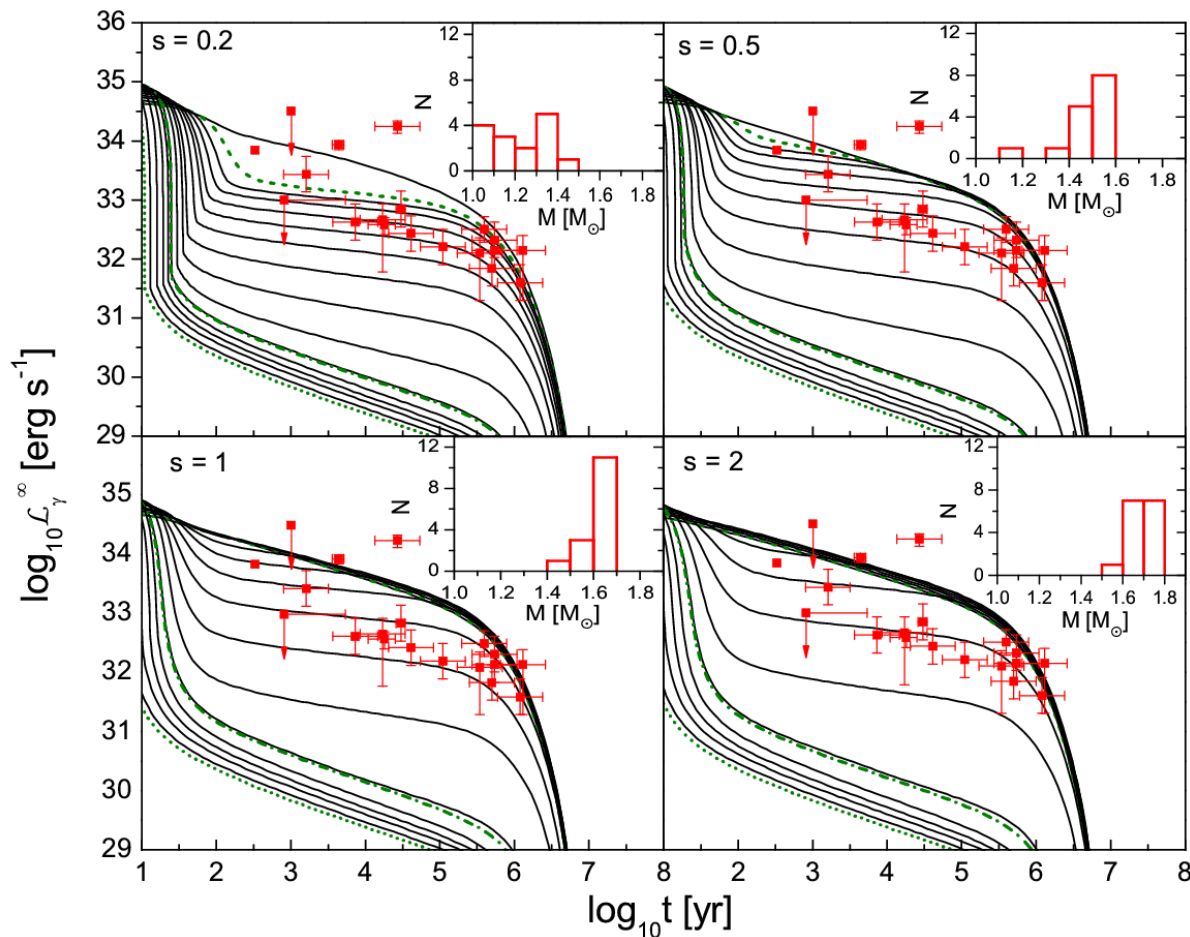
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❖ Dependence on the gap



Scaling factor s : 0.2, 0.5, 1, 2.

The deduced NS mass distributions (shown as insets) depend sensitively on the gap scaling factor.

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Conclusion

NS Cooling with microscopic EOS derived from BHF, and consistent 150 BCS gaps are considered.

- All EOSs feature strong DU cooling for a wide range of masses.
- The presence of superfluidity is required for realistic cooling scenarios. With the suppression due to the gaps, all current cooling data for isolated NSs can be achieved with any of the proposed EOSs.
- A naive and straightforward analysis of the deduced NS mass distribution would exclude only the stiffest EOS BOB.

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Thank you!