

HADES

Light Nuclei Production in Au+Au Collisions

Melanie Szala for the HADES Collaboration

ECT* workshop

Light cluster in nuclei and nuclear matter

2 - 6 September 2019, Villa Tambosi, Trento

Outline

Introduction

Experimental details

- HADES detector
- Particle identification

Results and discussion

- Transverse mass spectra
- Yields
- Statistical description
- Coalescence Parameter B_A

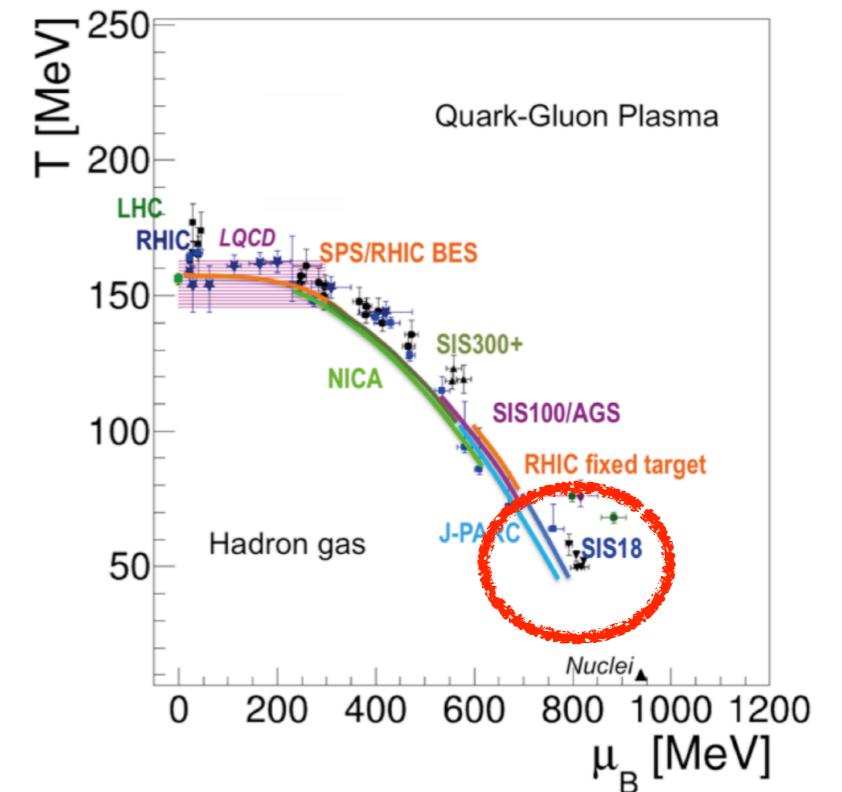
Summary and Outlook



Motivation

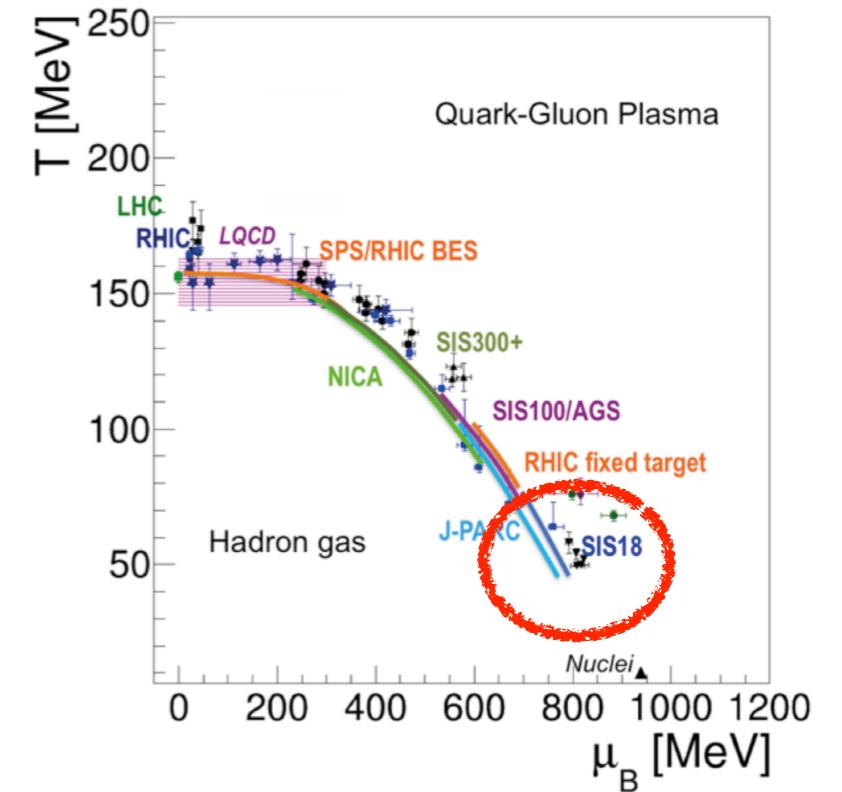
Motivation

- HADES located at SIS18, GSI (energy regime up to $\sqrt{s_{NN}} \approx 2\text{-}3 \text{ GeV}$)



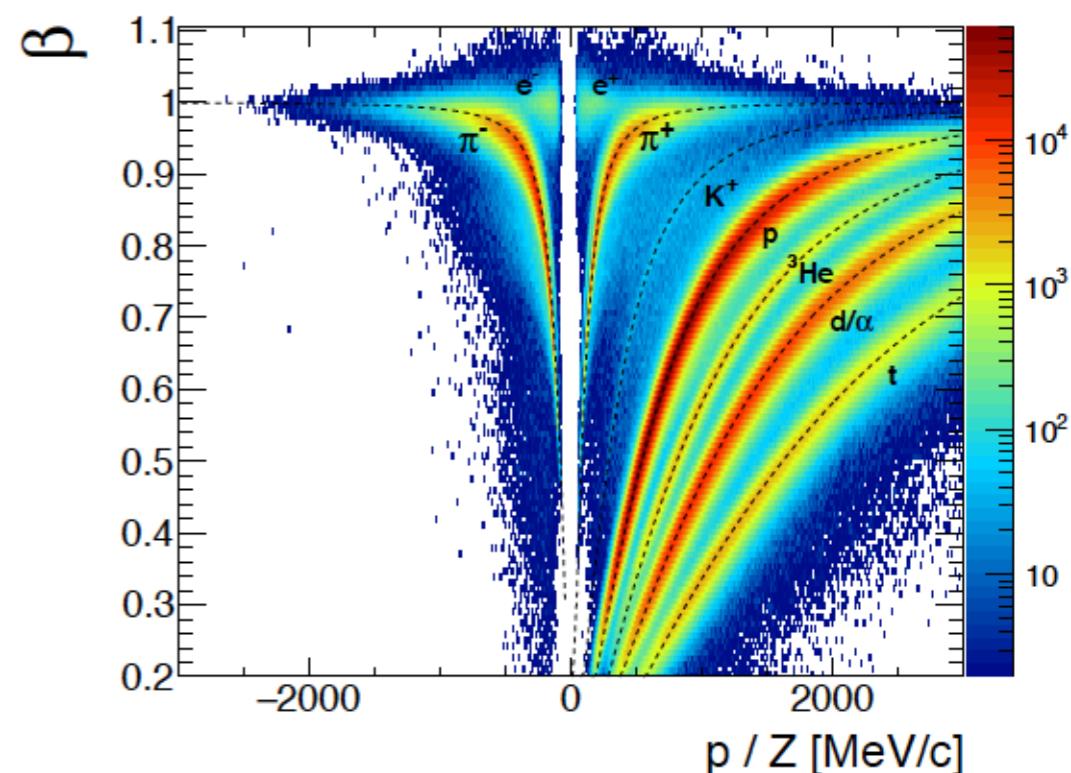
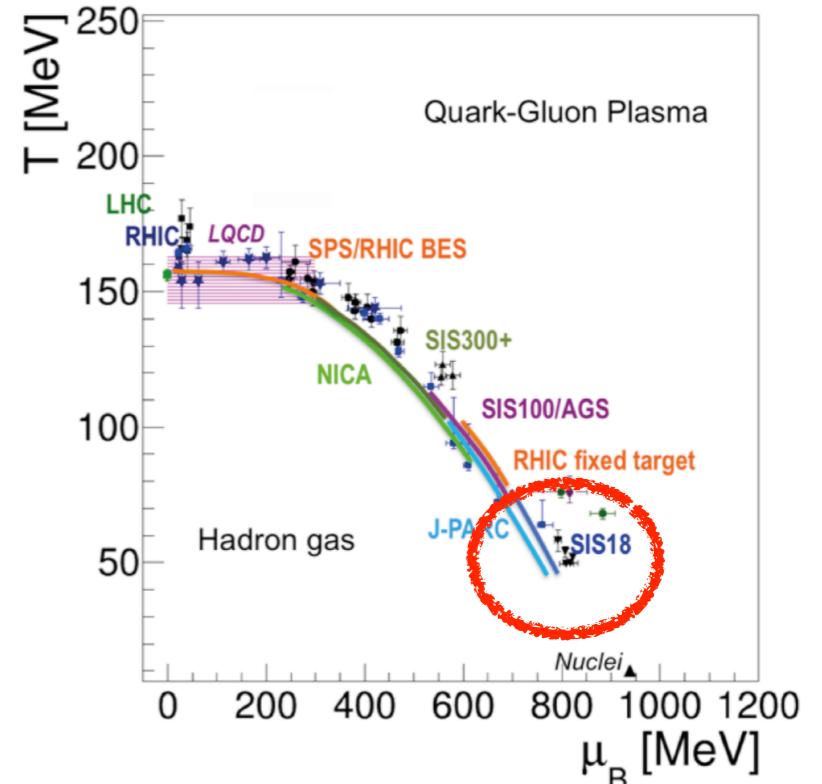
Motivation

- HADES located at SIS18, GSI (energy regime up to $\sqrt{s_{NN}} \approx 2\text{-}3 \text{ GeV}$)
- Large stopping and interpenetration times



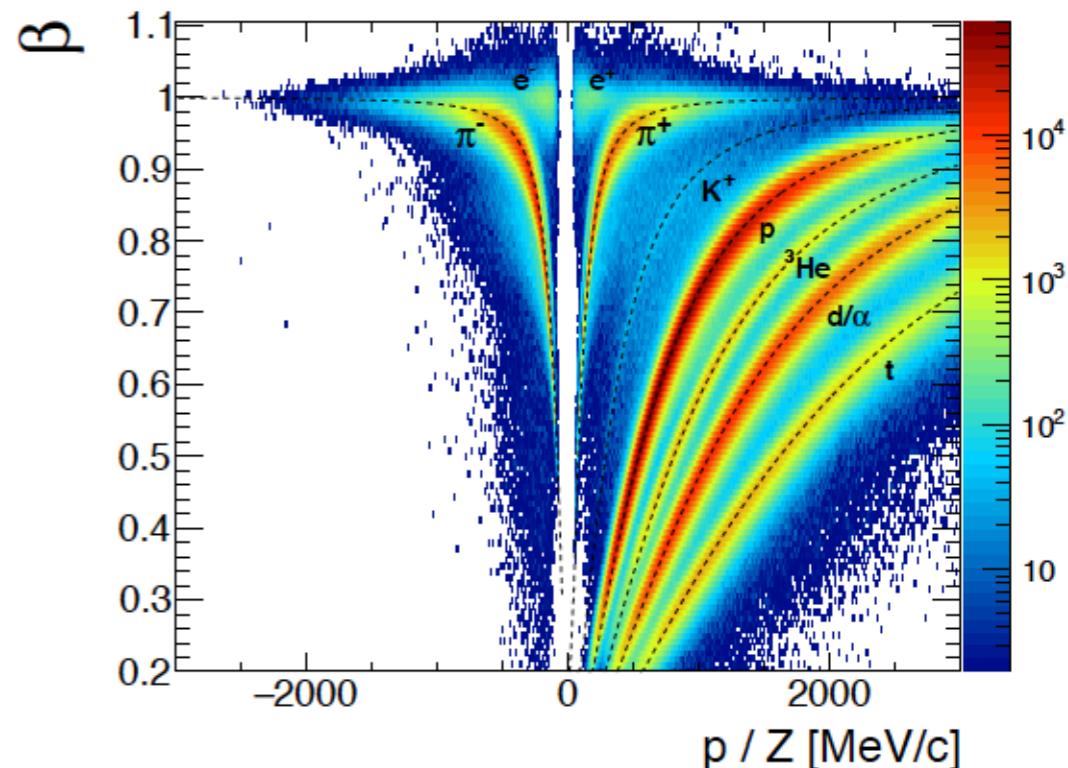
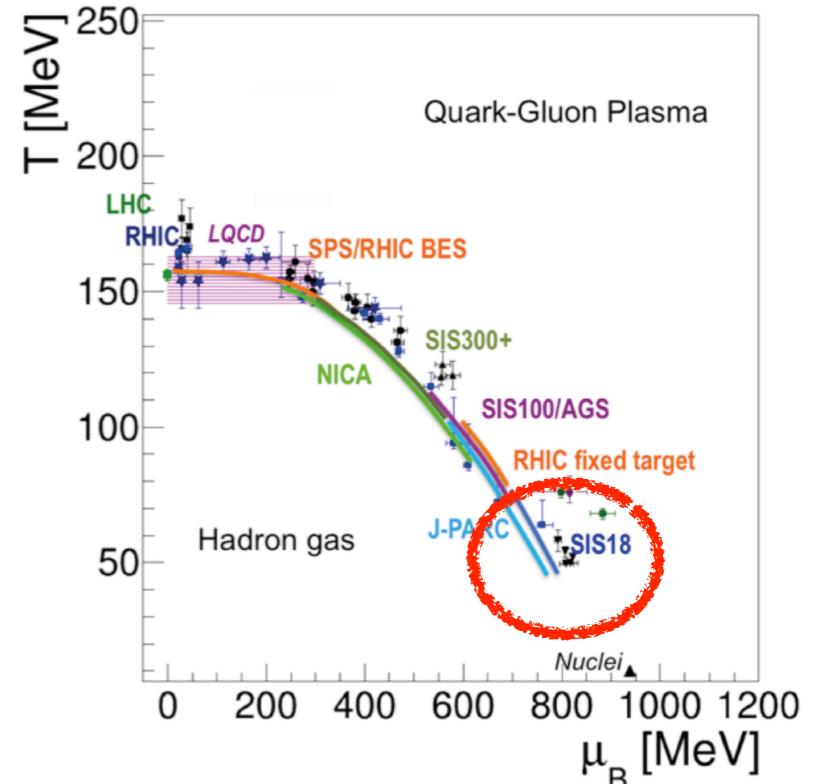
Motivation

- HADES located at SIS18, GSI (energy regime up to $\sqrt{s_{NN}} \approx 2\text{-}3 \text{ GeV}$)
- Large stopping and interpenetration times
- Clear hierarchy in particle multiplicities (M):
 - $M_p \approx 100$
 - $M_\pi \approx 10$
 - $M_{K^+} \approx 10^{-2}, M_{K^-} \approx 10^{-4}$
 - $M_{\text{bound } p} \approx 50$



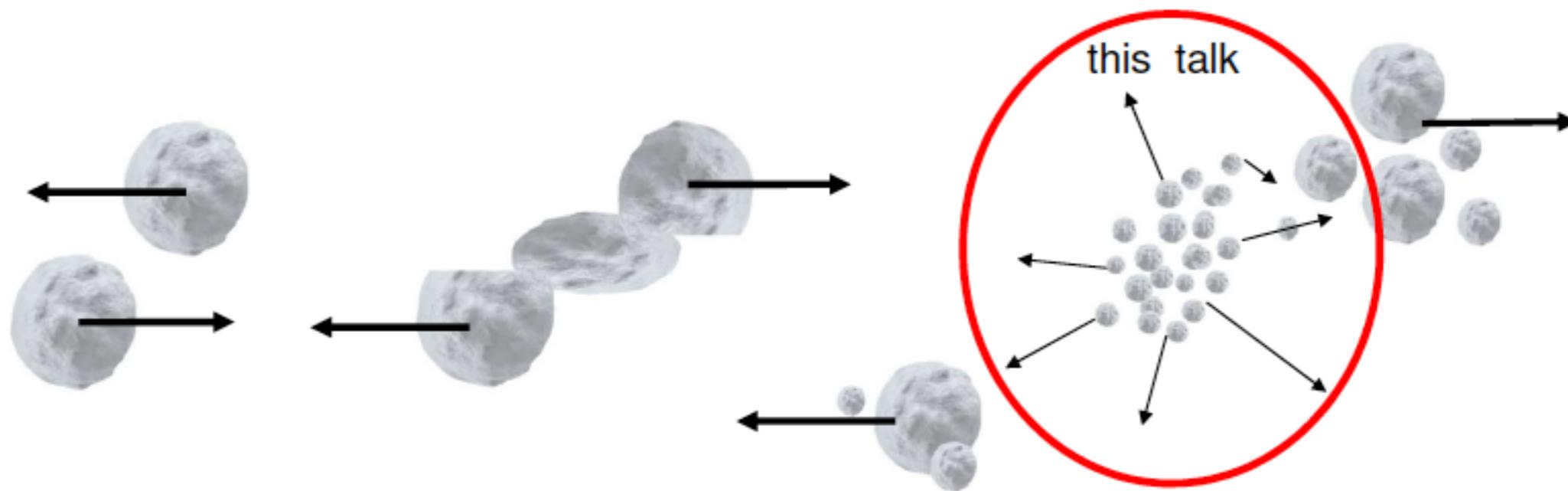
Motivation

- HADES located at SIS18, GSI (energy regime up to $\sqrt{s_{NN}} \approx 2\text{-}3 \text{ GeV}$)
- Large stopping and interpenetration times
- Clear hierarchy in particle multiplicities (M):
 - $M_p \approx 100$
 - $M_\pi \approx 10$
 - $M_{K^\pm} \approx 10^{-2}, M_{K^\mp} \approx 10^{-4}$
 - $M_{\text{bound } p} \approx 50$
- ▶ Light nuclei not a rare probe, contribute to the bulk
- ▶ Detailed investigations needed to understand created medium



Formation of Light Nuclei

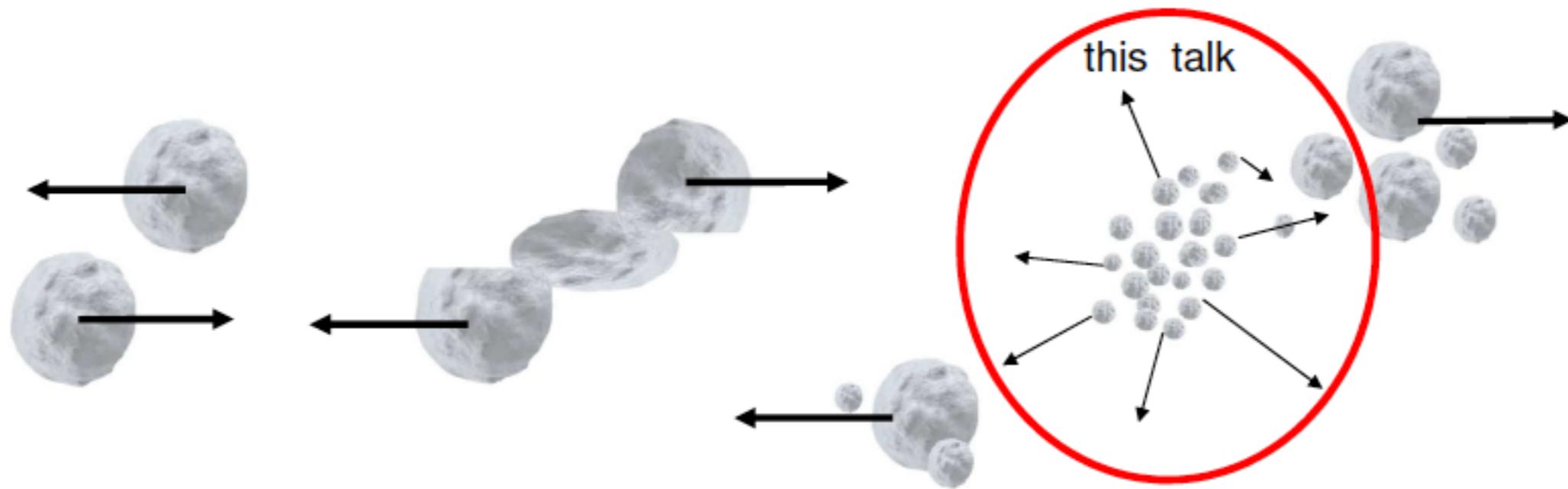
Formation of Light Nuclei



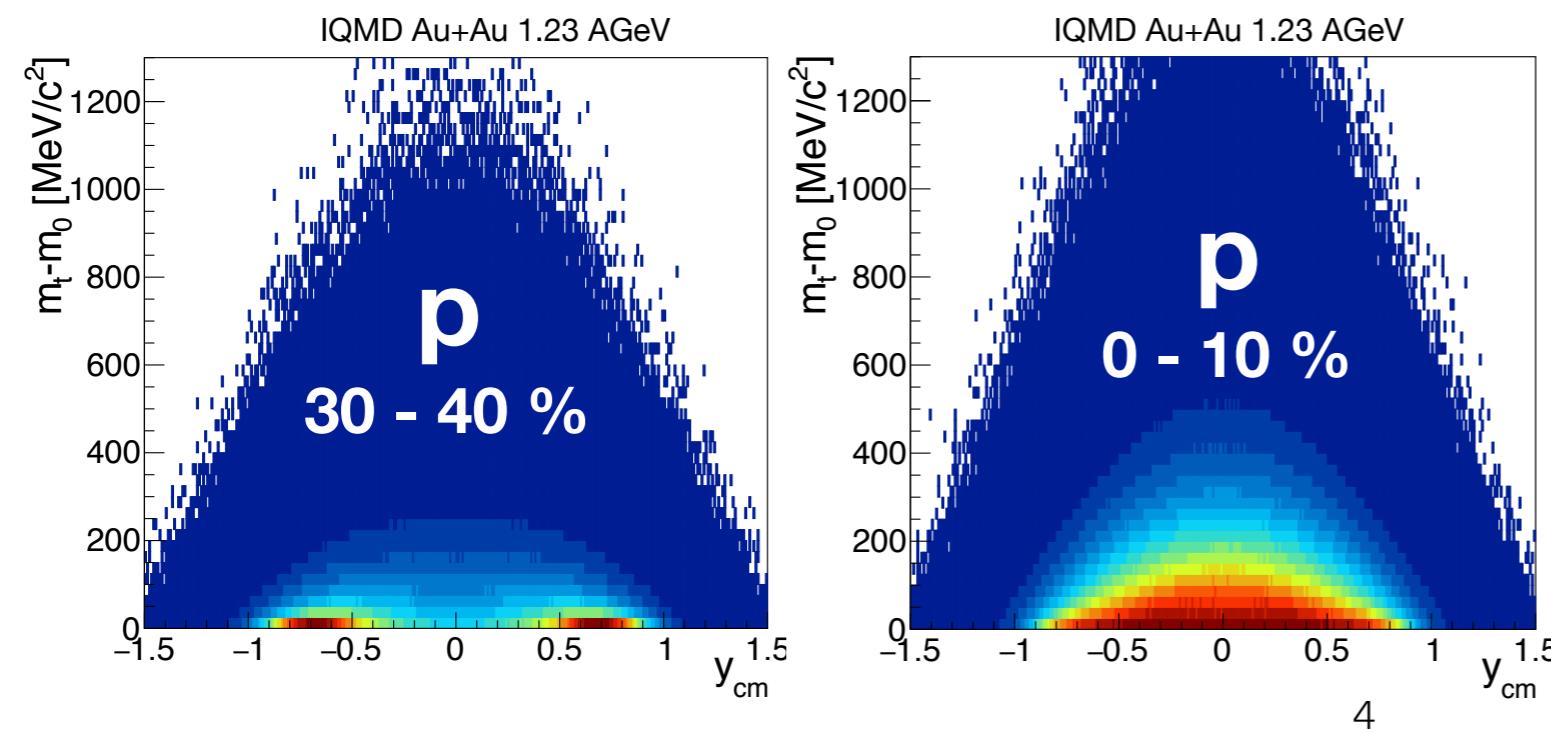
Two distinguished regions

- mid-rap. participants
- spectator break-up regions
- no clear separation between projectile/target spectators and participants at HADES energies

Formation of Light Nuclei

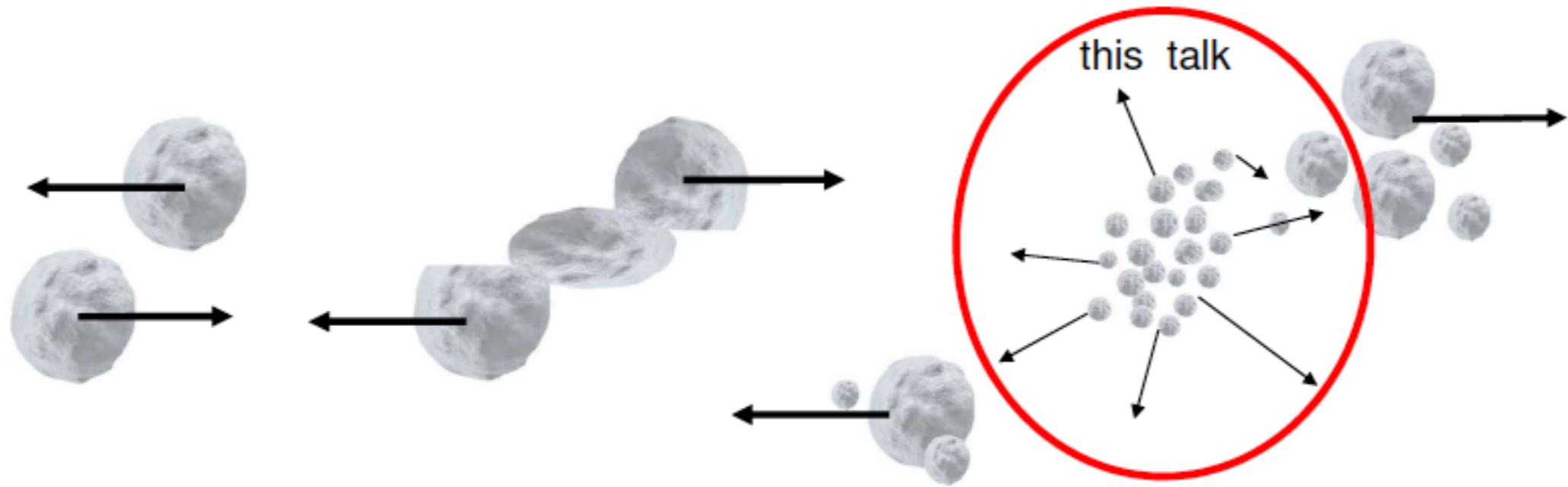


Y. Leifels, EMMI Workshop
11.02.-13.02.2019, GSI

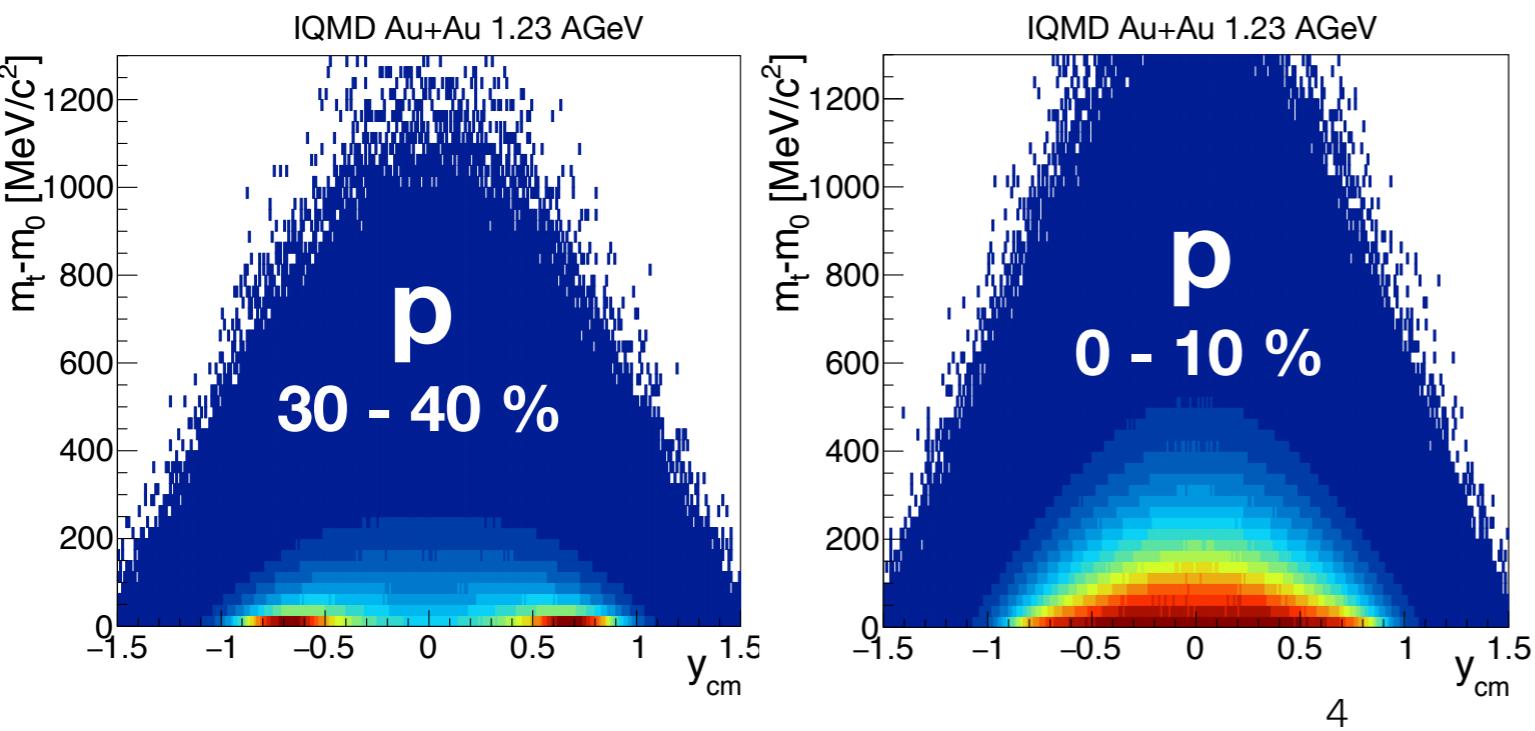


- Two distinguished regions**
- mid-rap. participants
 - spectator break-up regions
 - no clear separation between projectile/target spectators and participants at HADES energies

Formation of Light Nuclei



Y. Leifels, EMMI Workshop
11.02.-13.02.2019, GSI



- Two distinguished regions**
- mid-rap. participants
 - spectator break-up regions
 - no clear separation between projectile/target spectators and participants at HADES energies
 - mid-rap. source observed best in **central collisions**

HADES spectrometer

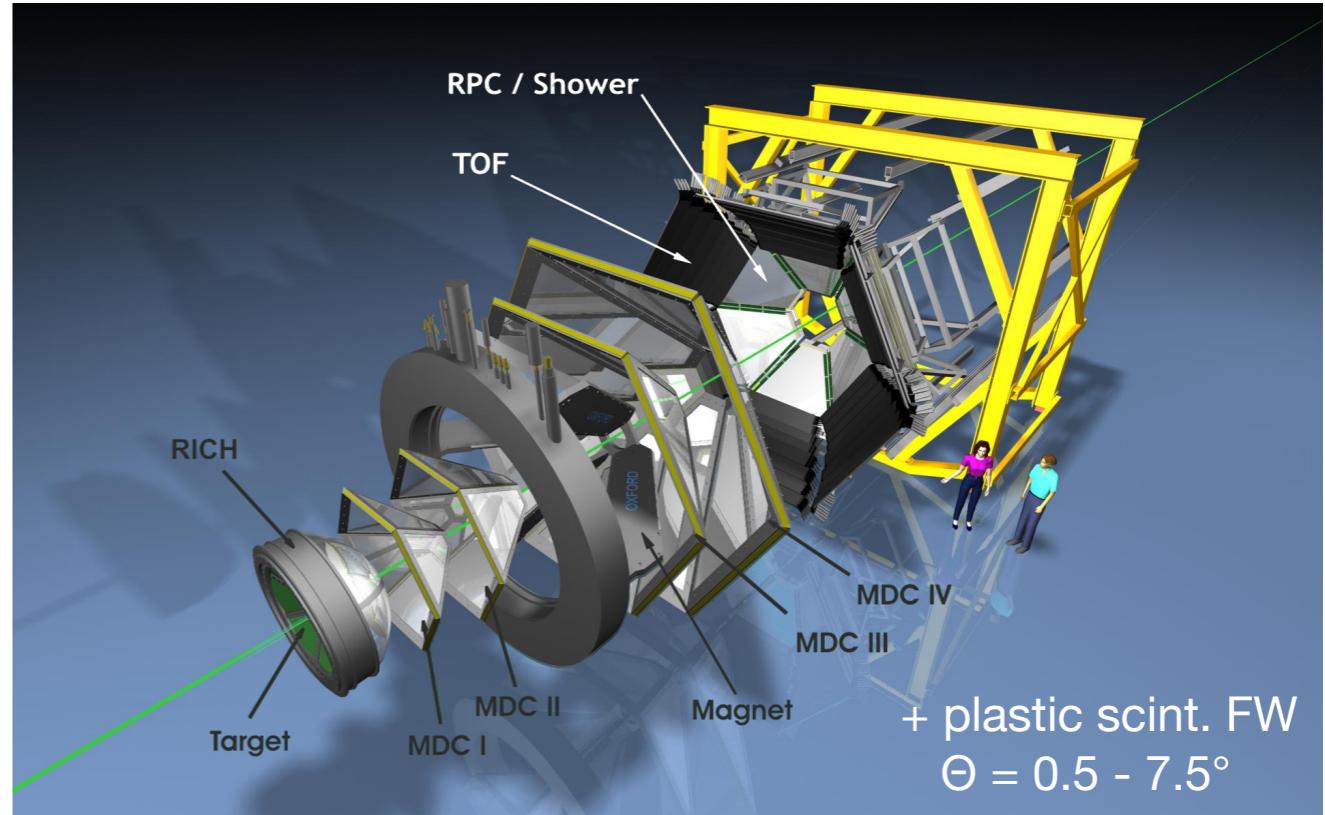
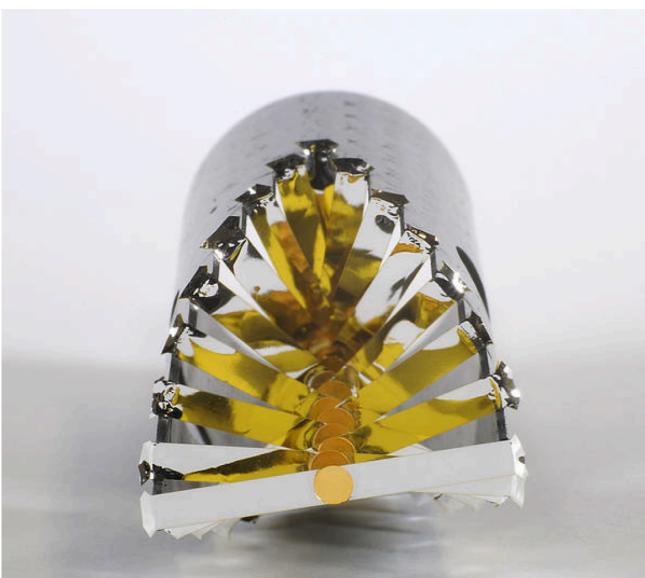
Located at **SIS18, GSI, fixed target experiment**

Large acceptance

- Symmetric azimuthal coverage
- 18°-85° in polar angle

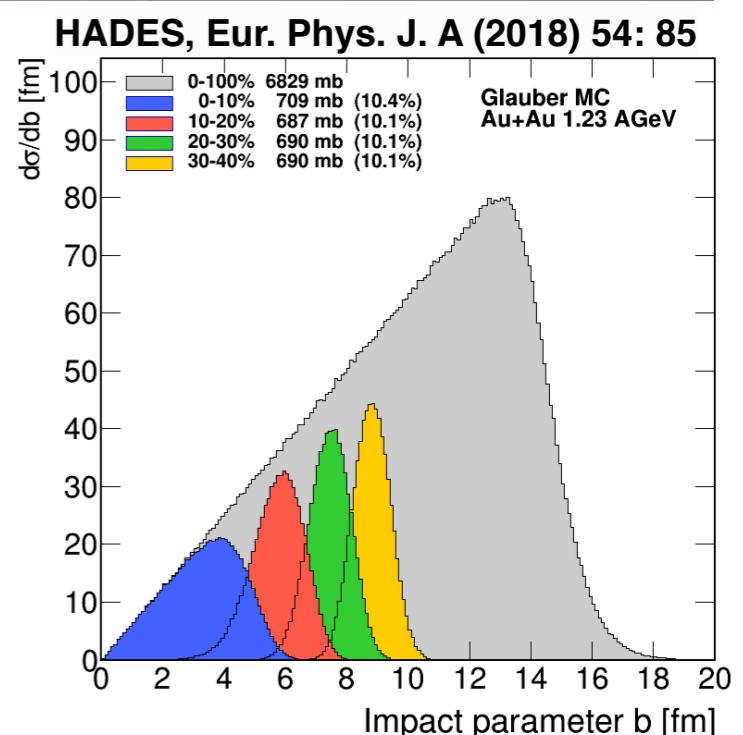
Fast detector

- Trigger rate 8 kHz (16 kHz in Ag+Ag)
- Large statistics

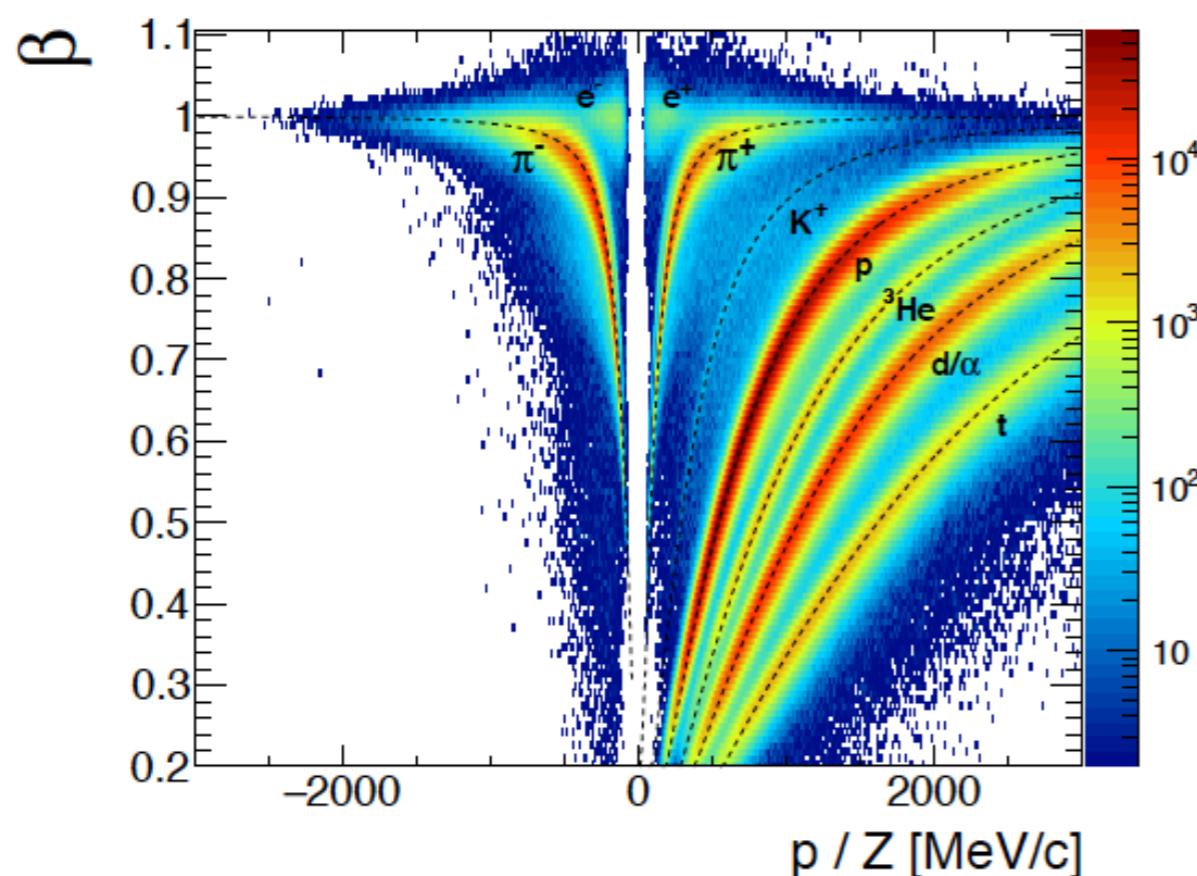


Au + Au @1.23 AGeV, $\sqrt{s_{NN}}=2.4$ GeV

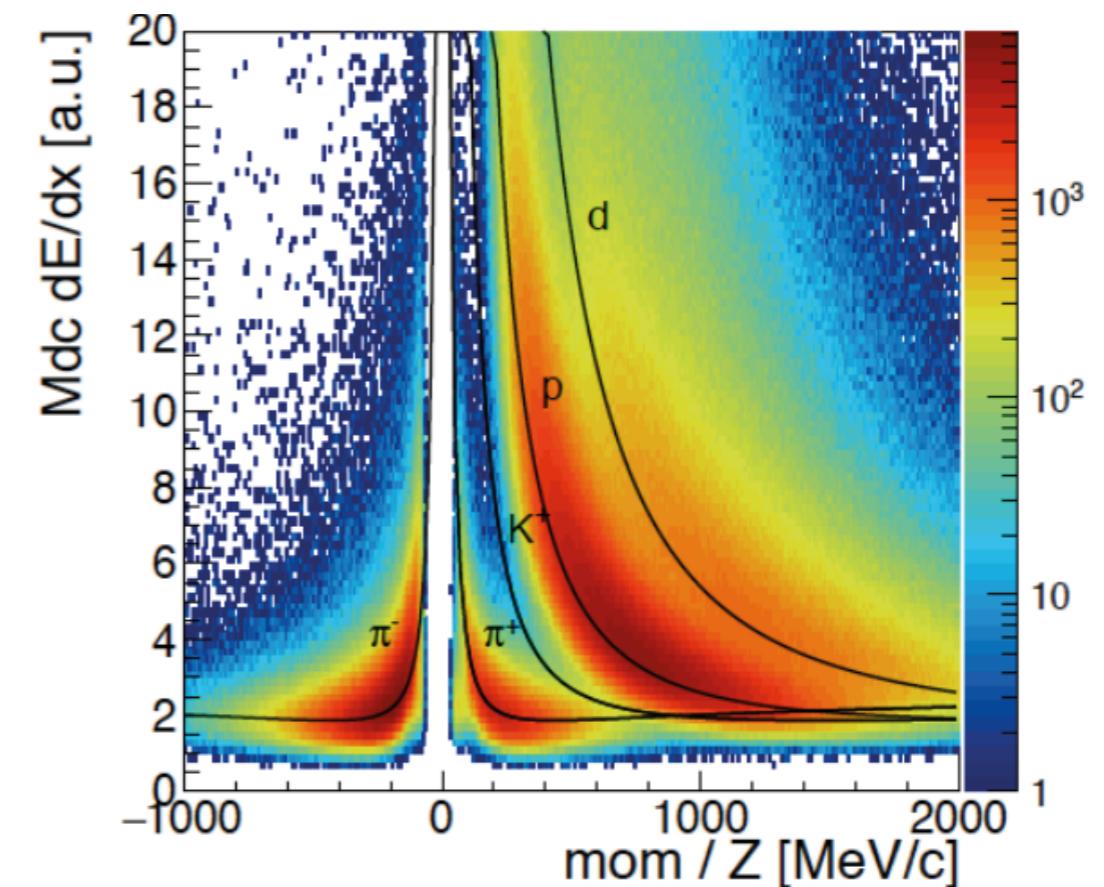
- 15 fold segmented Au target
- 2.2×10^9 events analysed
- Trigger on 40% most central collisions



Particle Identification



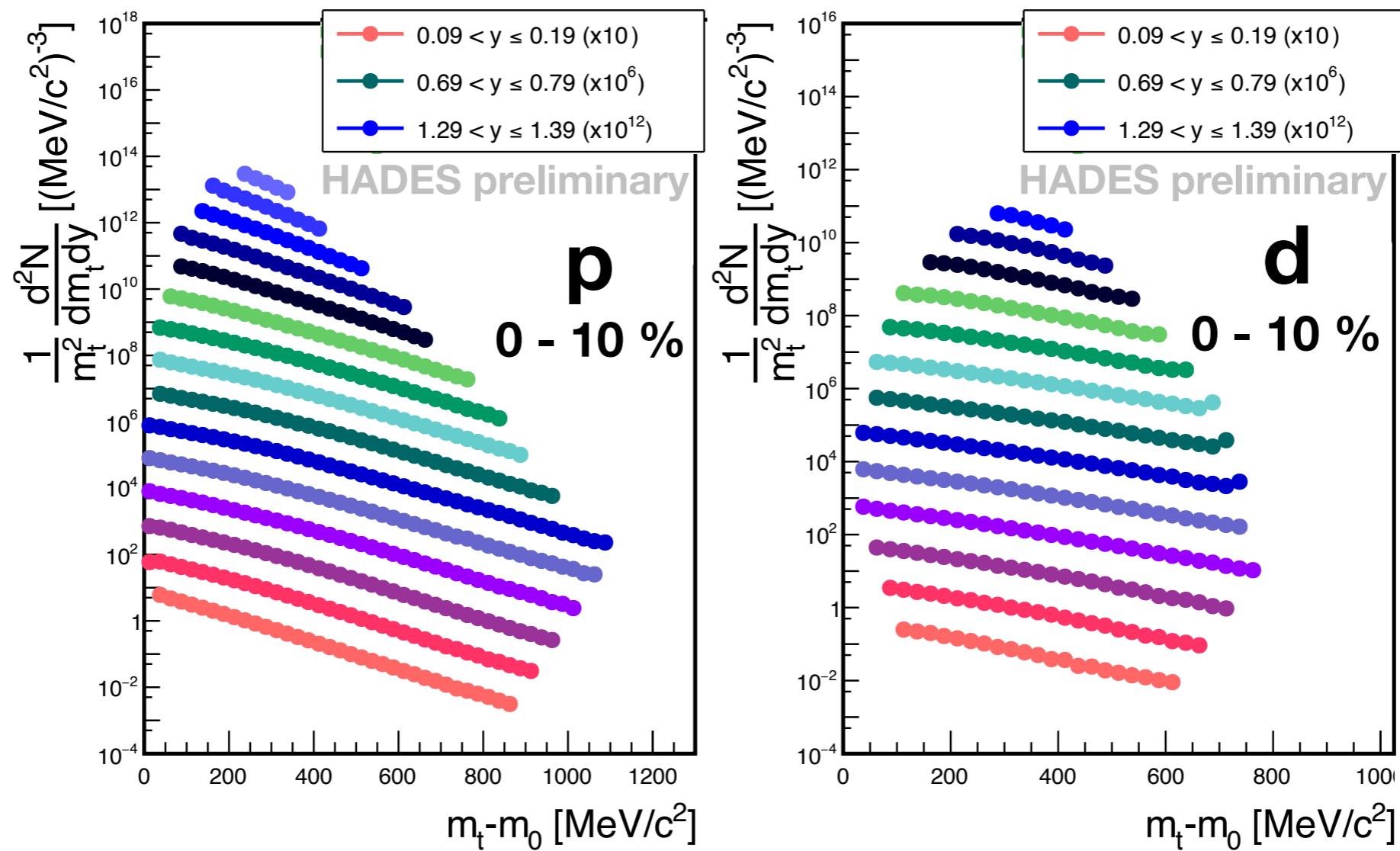
Time-of-Flight



Energy loss

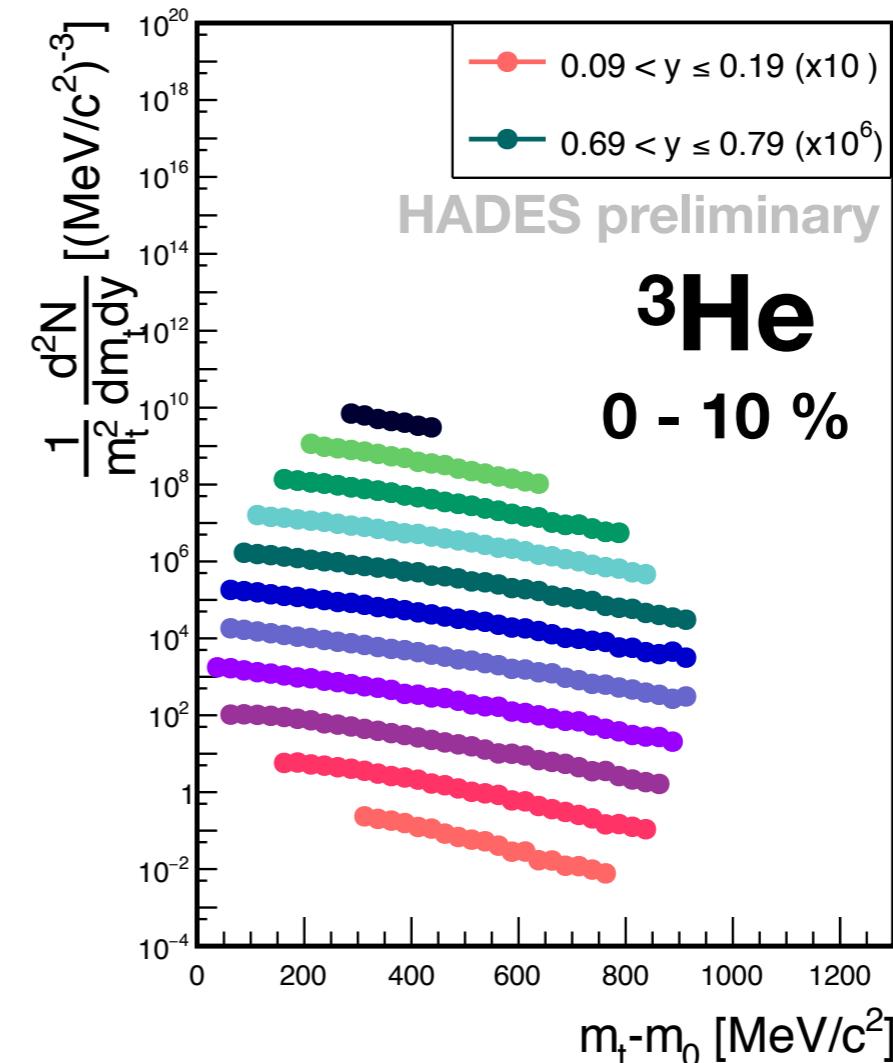
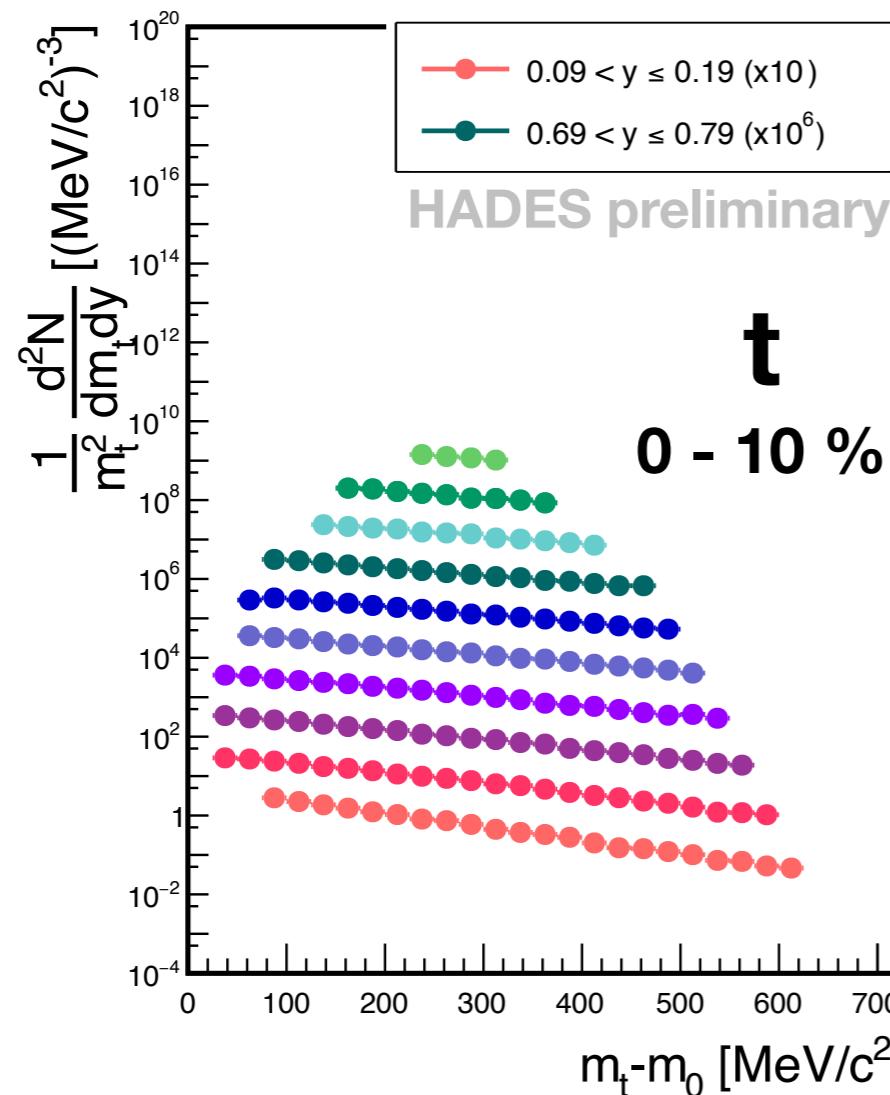
- drift chambers
- TOF detector

Particle spectra



High statistic multi-differential data

Particle spectra



High statistic multi-differential data

Blast Wave Model

- Cylindrically symmetric blast wave model

High
collisions energies
or Midrap. yield

- The momentum distribution in the cylindrically symmetric blast wave model is given by

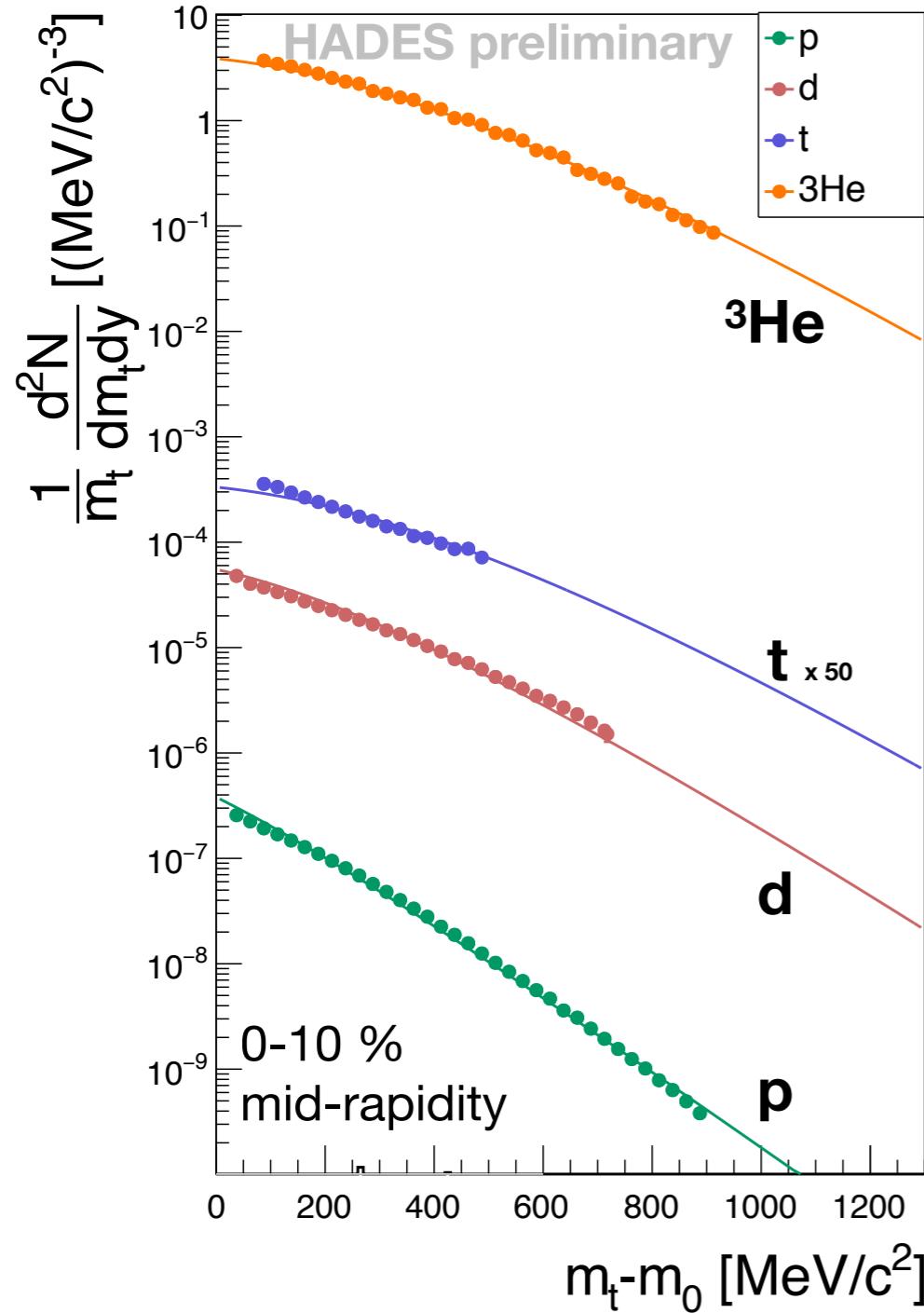
$$\frac{dN}{p_T dp_T} \propto \int_0^R r dr m_T I_0 \left(\frac{p_T \sinh \rho(r)}{T_{\text{kin}}} \right) \\ \times K_1 \left(\frac{m_T \cosh \rho(r)}{T_{\text{kin}}} \right)$$

with linear flow velocity profile

$$\beta = \beta_S (r/R)^n$$

$$n = 1$$

Blast Wave Fit



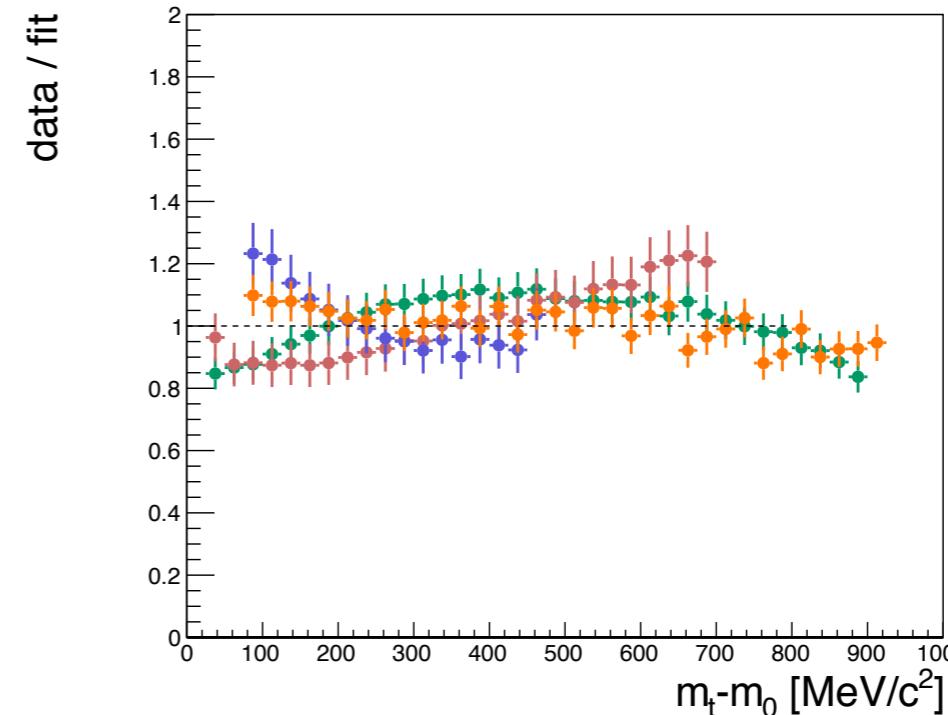
Blast Wave Model: Phys.Rev.C48:2462-2475,1993

$$\frac{dn}{m_T dm_T} \propto \int_0^R r dr m_T I_0\left(\frac{p_T \sinh \rho}{T}\right) K_1\left(\frac{m_T \cosh \rho}{T}\right)$$

$T_{\text{kin}} = 71 \pm 8 \text{ MeV}$

$\langle \beta_r \rangle = 0.30 \pm 0.02$

Linear velocity profile



- p, d, t, ${}^3\text{He}$ described with simple BW model
- 20 % deviations from fit for all particles

Blast Wave Model

- Cylindrically symmetric blast wave model

High
collisions energies
or Midrap. yield

- The momentum distribution in the cylindrically symmetric blast wave model is given by

$$\frac{dN}{p_T dp_T} \propto \int_0^R r dr m_T I_0 \left(\frac{p_T \sinh \rho(r)}{T_{\text{kin}}} \right) \times K_1 \left(\frac{m_T \cosh \rho(r)}{T_{\text{kin}}} \right)$$

with linear flow velocity profile

$$\beta = \beta_S (r/R)^n$$

$$n = 1$$

- Spherically symmetric blast wave model

Intermediate
collisions energies

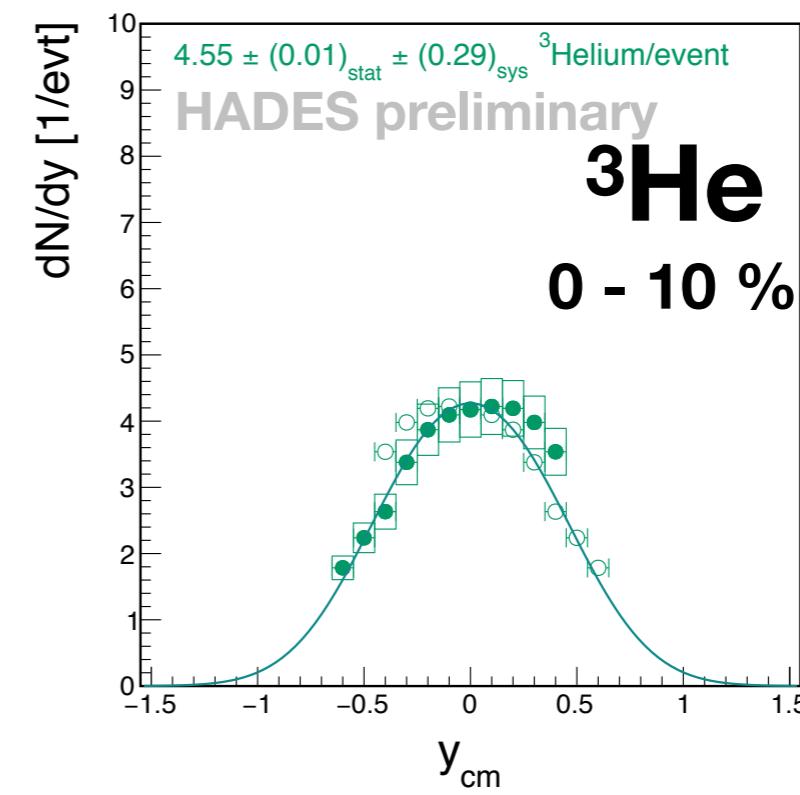
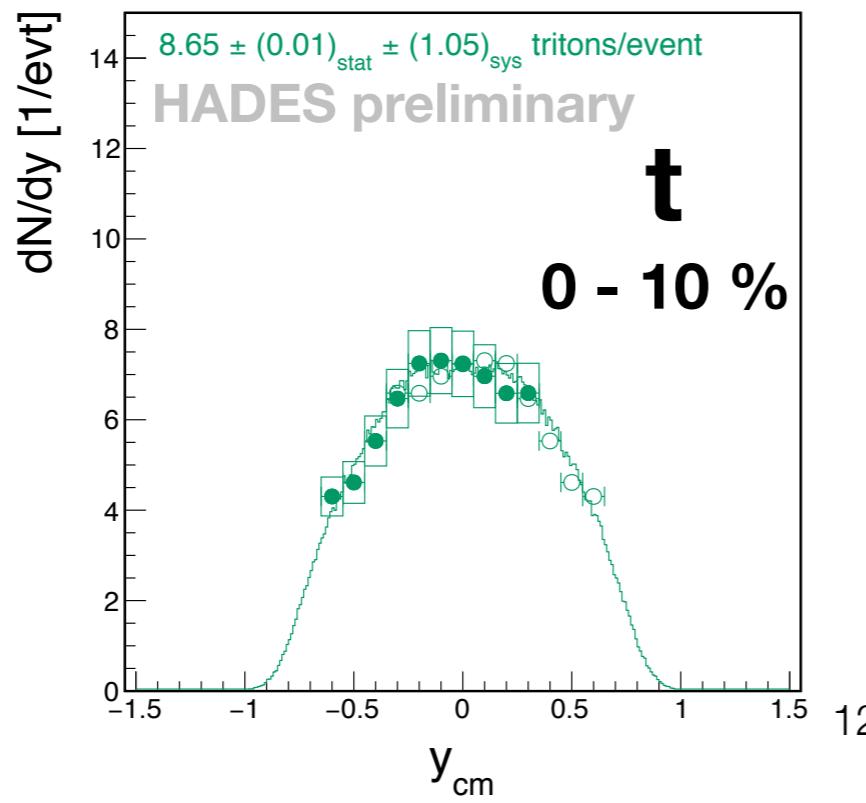
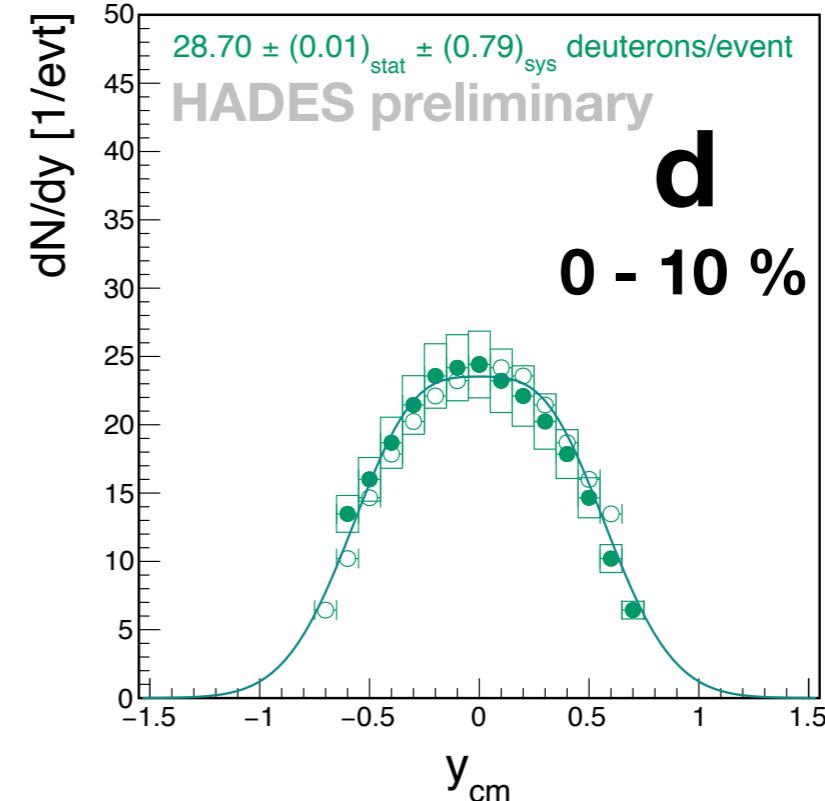
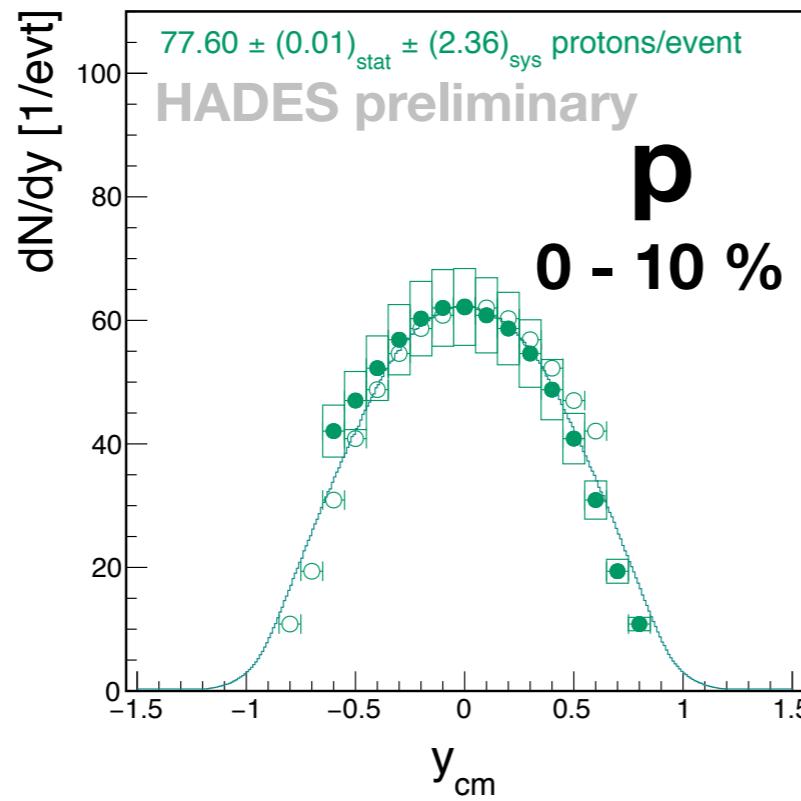
- In the spherically symmetric blast wave model the momentum distribution is given by the **Siemens-Rasmussen formula**

$$\frac{d^2N}{2\pi p_t dp_t dy_0} = CE e^{-\gamma_r \frac{E}{T}} \left[\left(\gamma_r + \frac{T}{E} \right) \frac{\sinh(\alpha)}{\alpha} - \frac{T \cosh(\alpha)}{E} \right]$$

$$E = m_t \cosh(y)$$

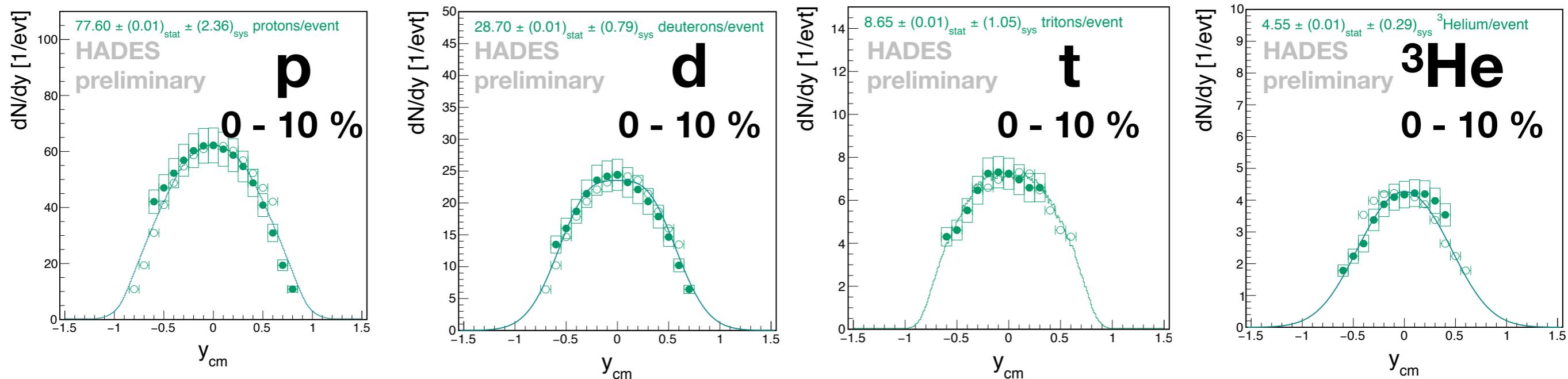
$$\alpha = (\gamma \beta_r p) \text{ and } \gamma = \frac{1}{\sqrt{1-\beta_r^2}}$$

Particle yields





Baryon Number Conservation



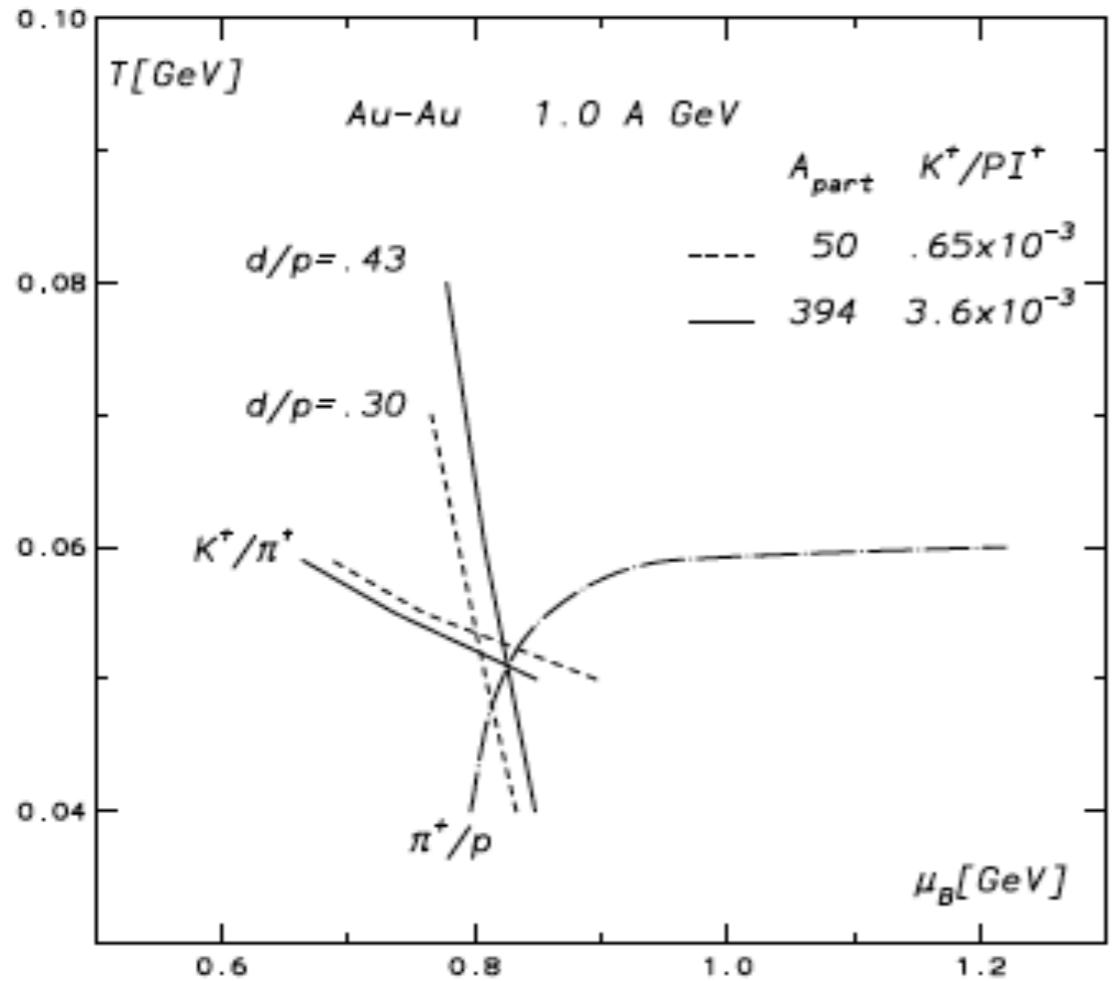
$$\begin{aligned}
 \langle A_{\text{part}} \rangle &= p + n + d + t + {}^3\text{He} + x({}^4\text{He}, \dots) \\
 &= 77.6 + 1.5 * 77.6 + 2 * 28.7 + 3 * 8.65 + 3 * 4.55 + x({}^4\text{He}, \dots) \\
 &= 291 + x({}^4\text{He}, \dots)
 \end{aligned}$$

$$\langle A_{\text{part}} \rangle = 303 \pm 11$$

Glauber Fit to nb. of tracks in detector

HADES, Eur. Phys. J. A (2018) 54: 85

Statistical Model



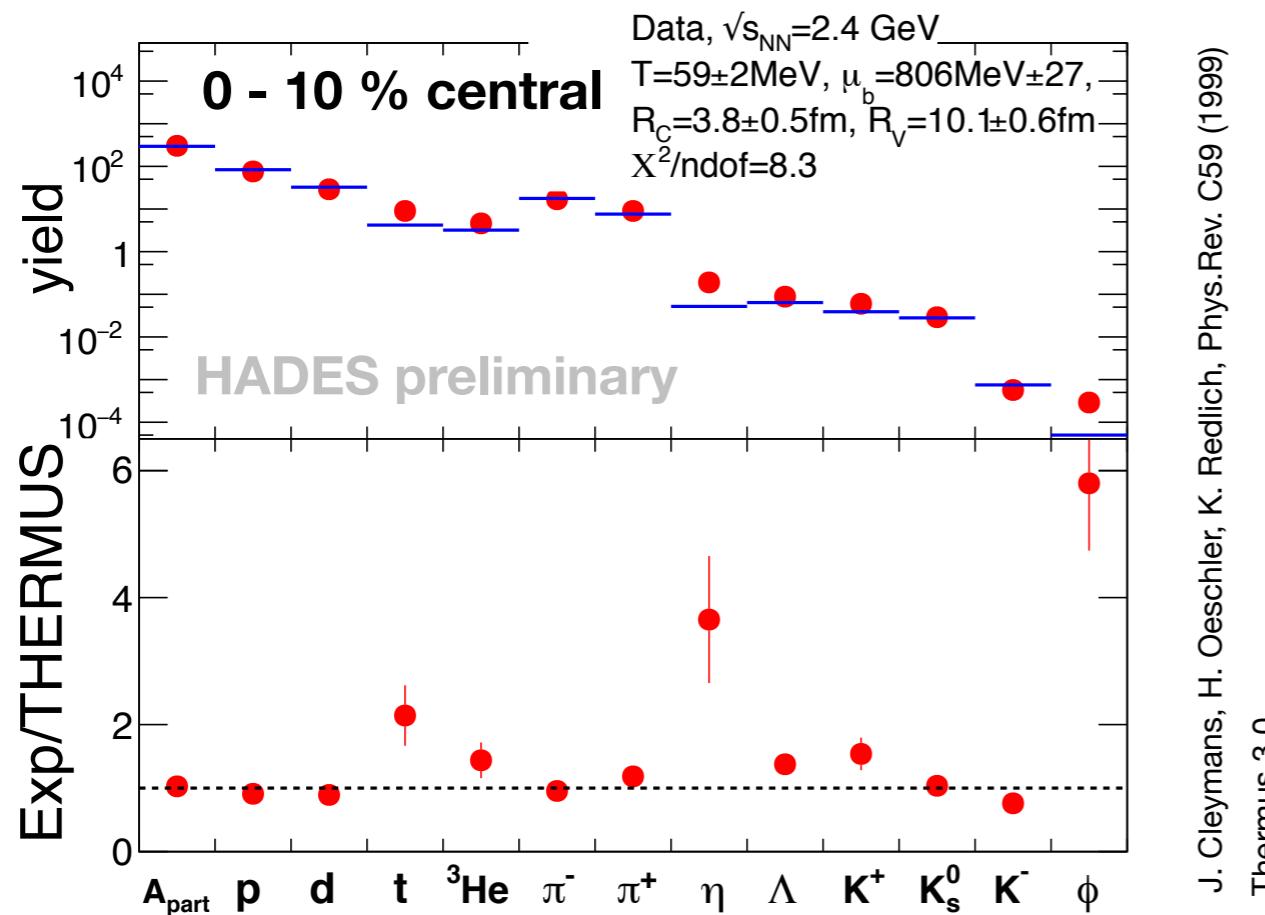
J. Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
Thermus 3.0

- Freeze-out points previously estimated based on ratios of p , d , K^+ , π^+

Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)

J.

Statistical Model



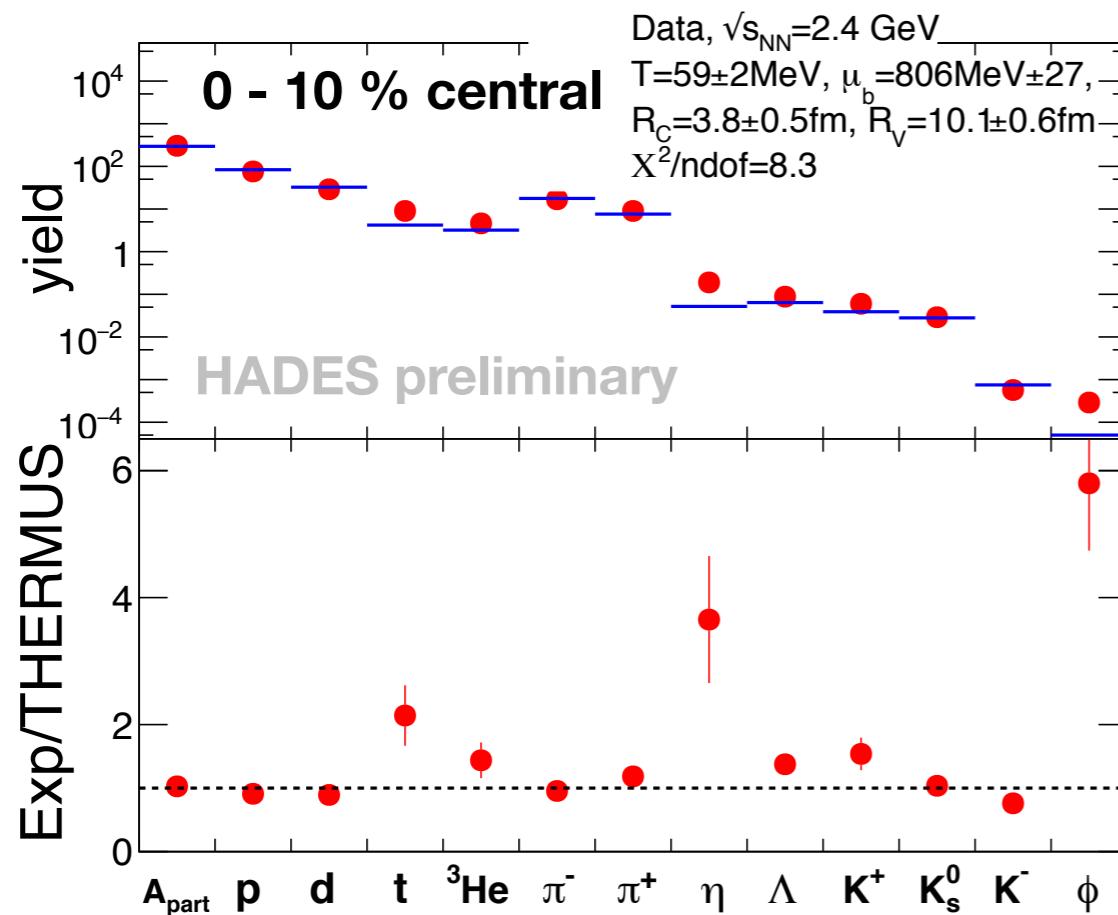
J. Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
Thermus 3.0

- Freeze-out points previously estimated based on ratios of p, d, K⁺, π⁺

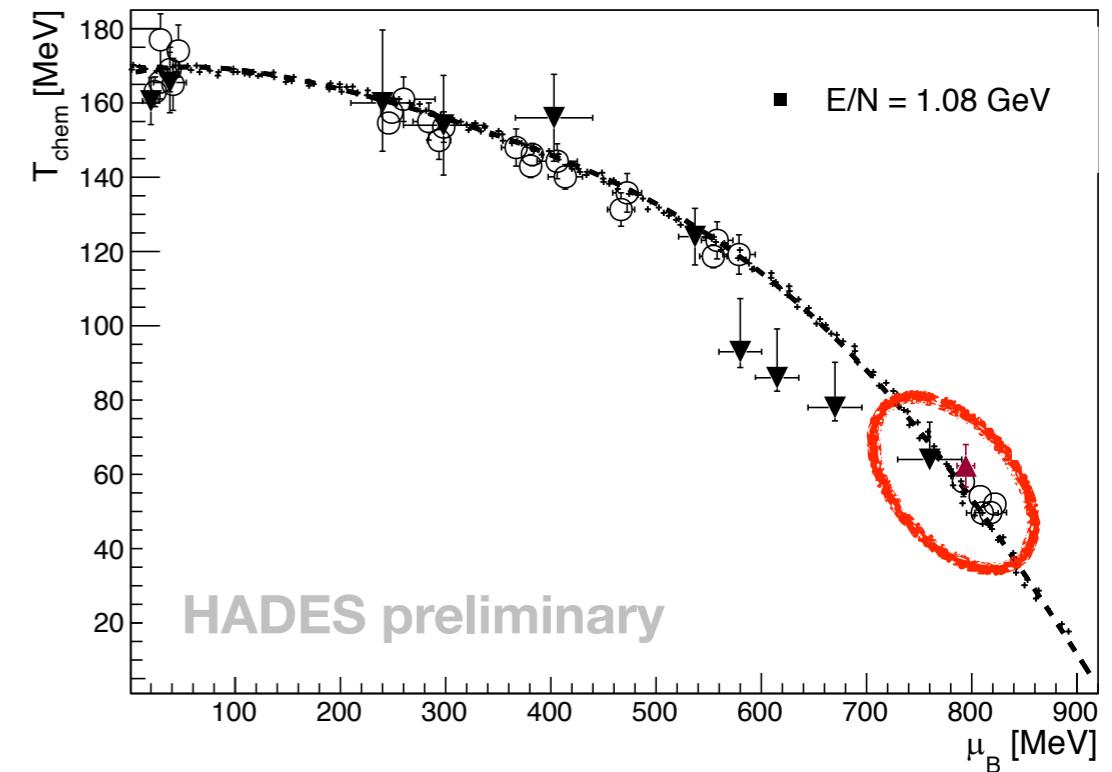
Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)

J.

Statistical Model



J. Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
Thermus 3.0

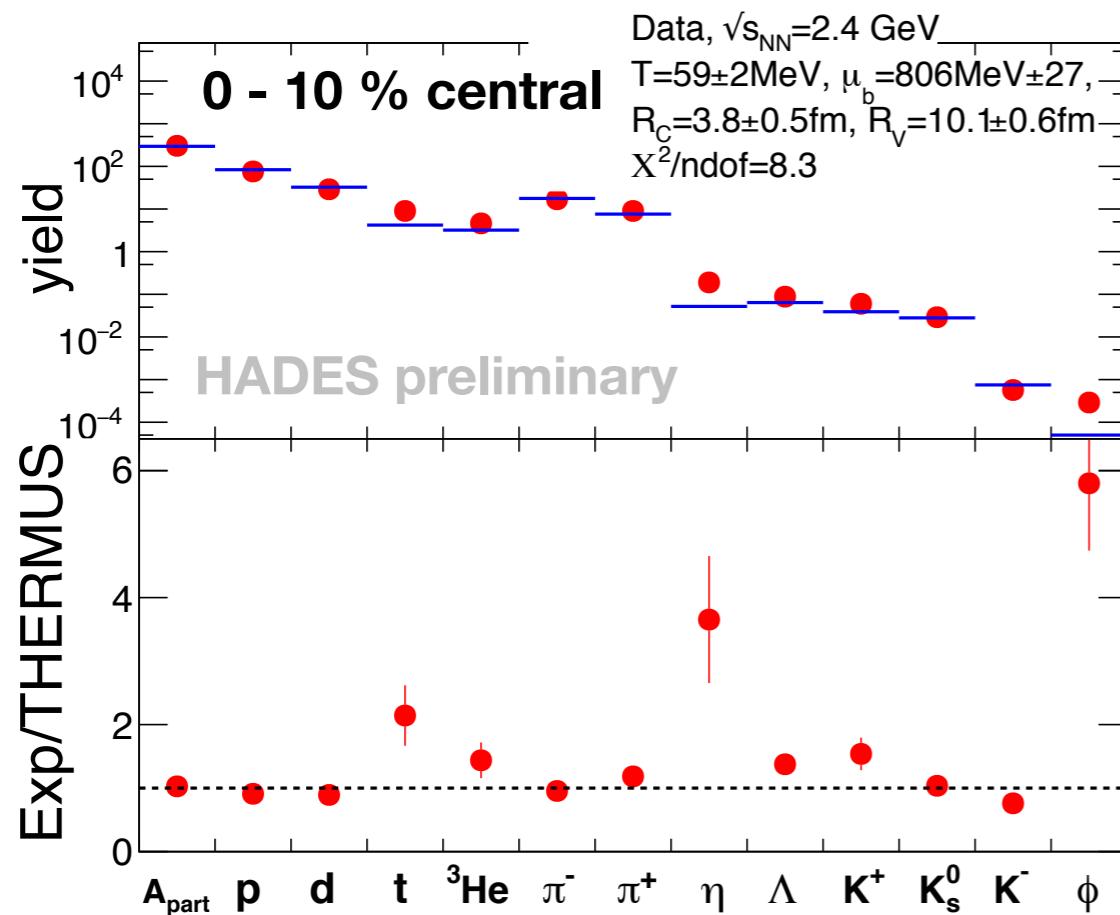


- Freeze-out points previously estimated based on ratios of p, d, K⁺, π⁺

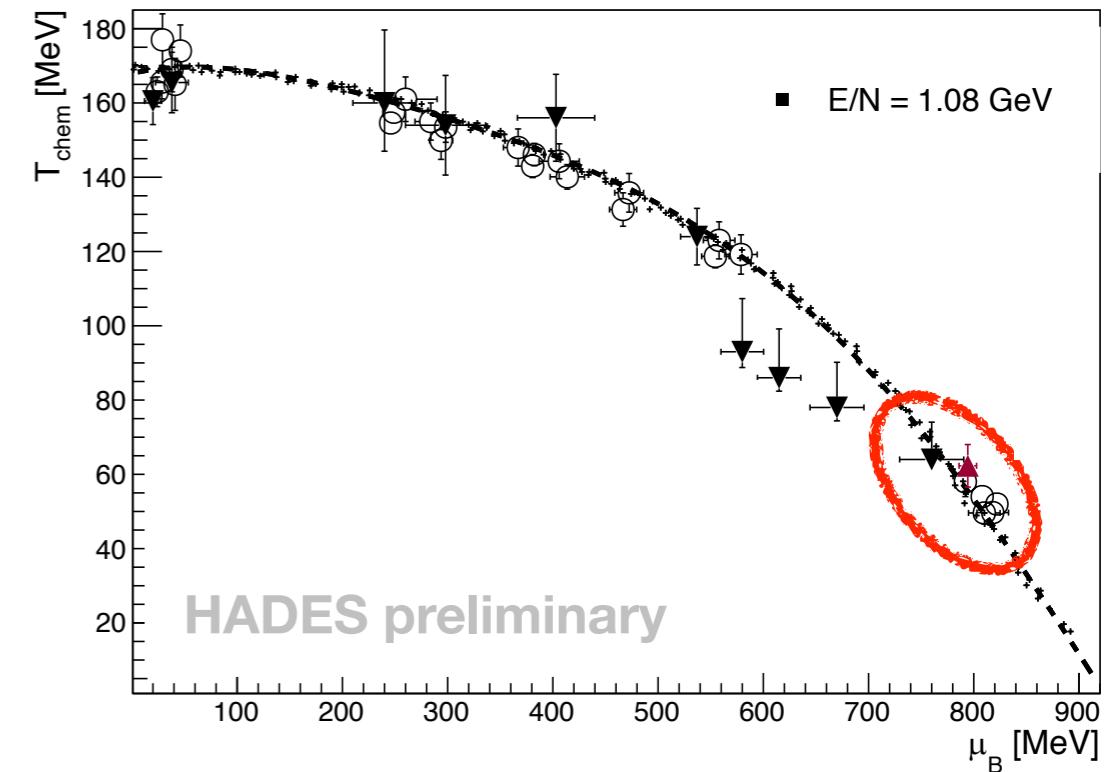
Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)

J.

Statistical Model



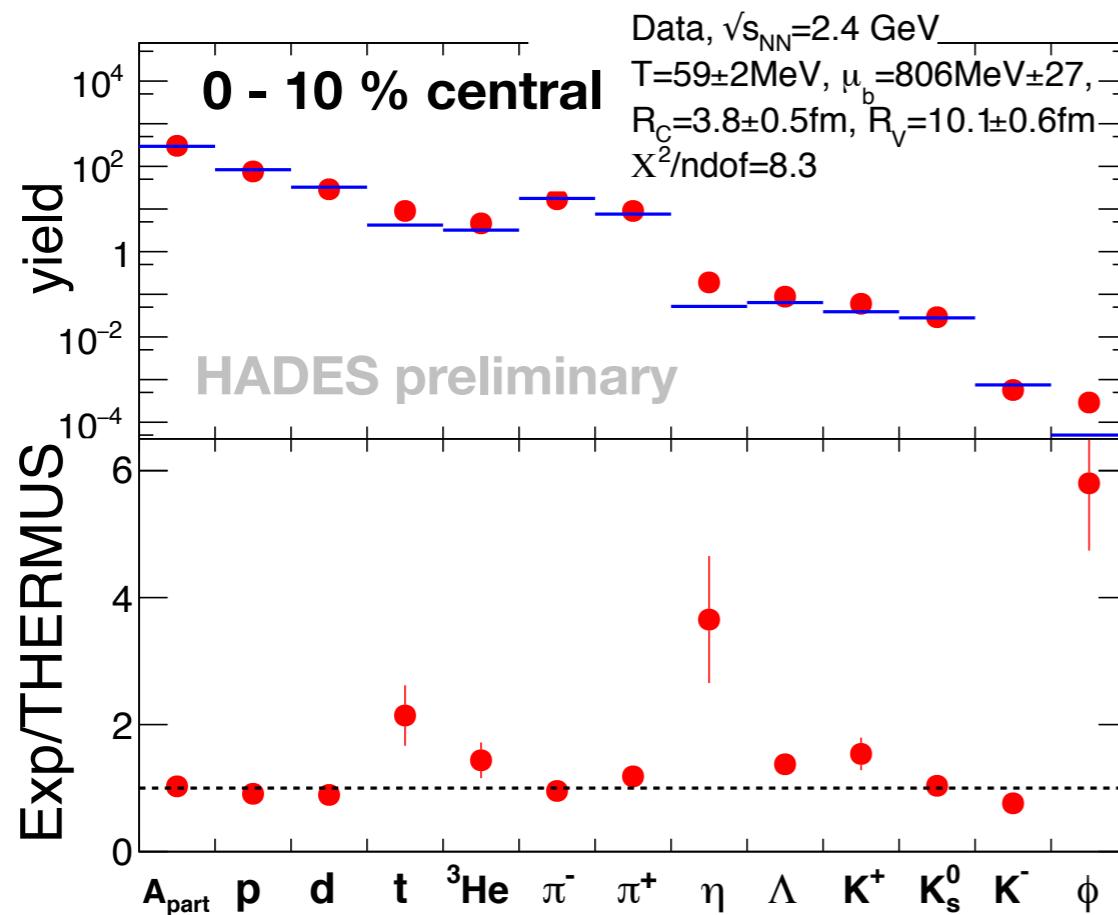
J. Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
Thermus 3.0



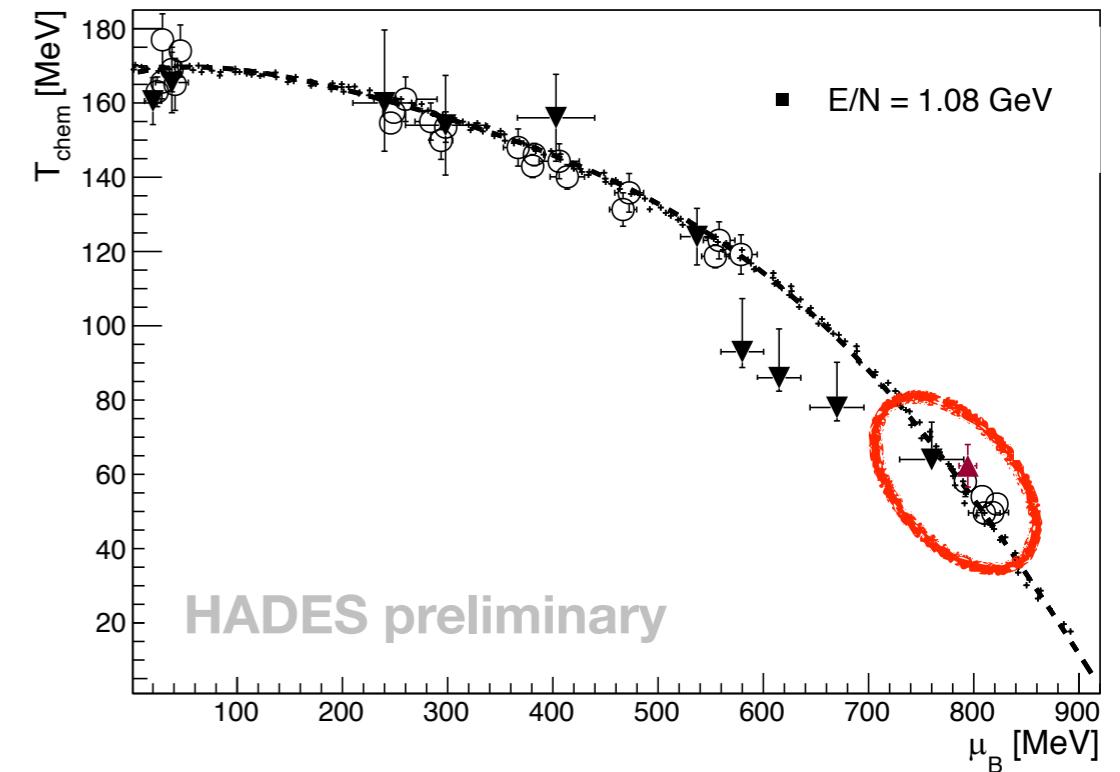
- Freeze-out points previously estimated based on ratios of p, d, K⁺, π⁺
Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
- Fit to HADES data consistent with previous works

J.

Statistical Model



J. Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
Thermus 3.0



- Freeze-out points previously estimated based on ratios of p , d , K^+ , π^+
Cleymans, H. Oeschler, K. Redlich, Phys.Rev. C59 (1999)
- Fit to HADES data consistent with previous works
- Fit to full hadron spectra results in large χ^2

J.

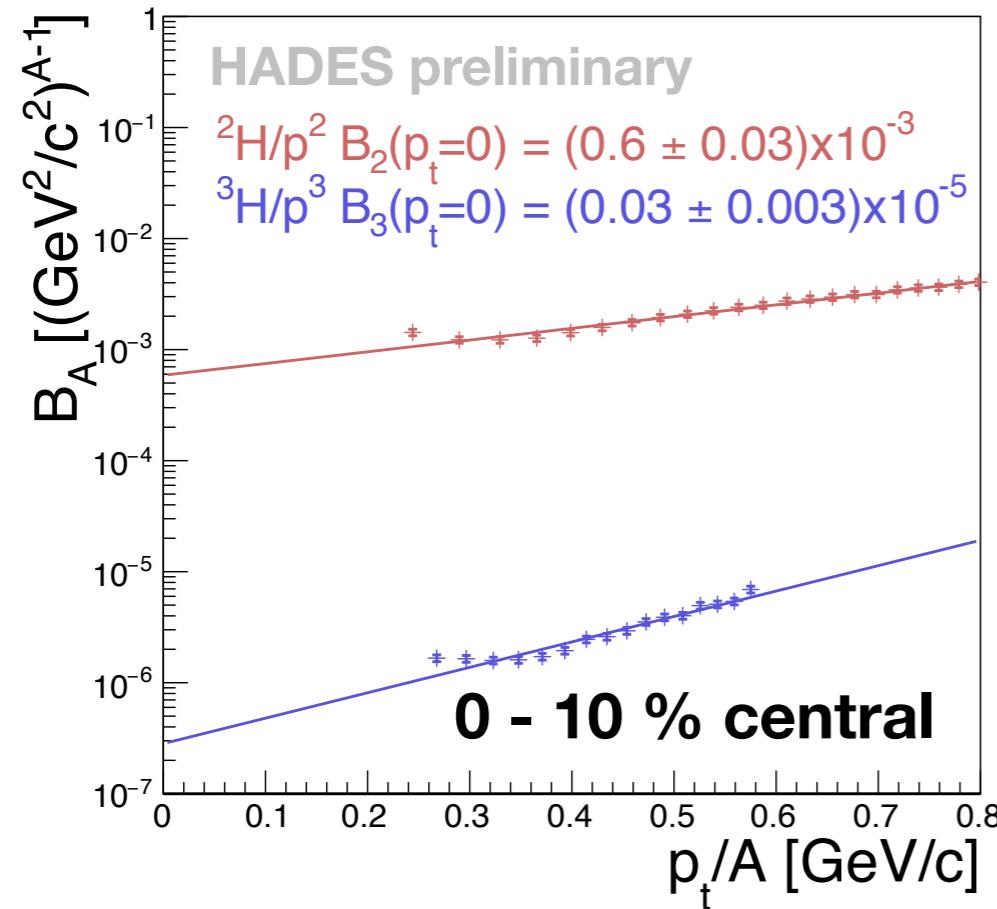
Nucleon Coalescence

- Nuclei are formed at late stages of collision, at kinetic freeze-out
- Nucleons bind into nuclei if they are close in phase space

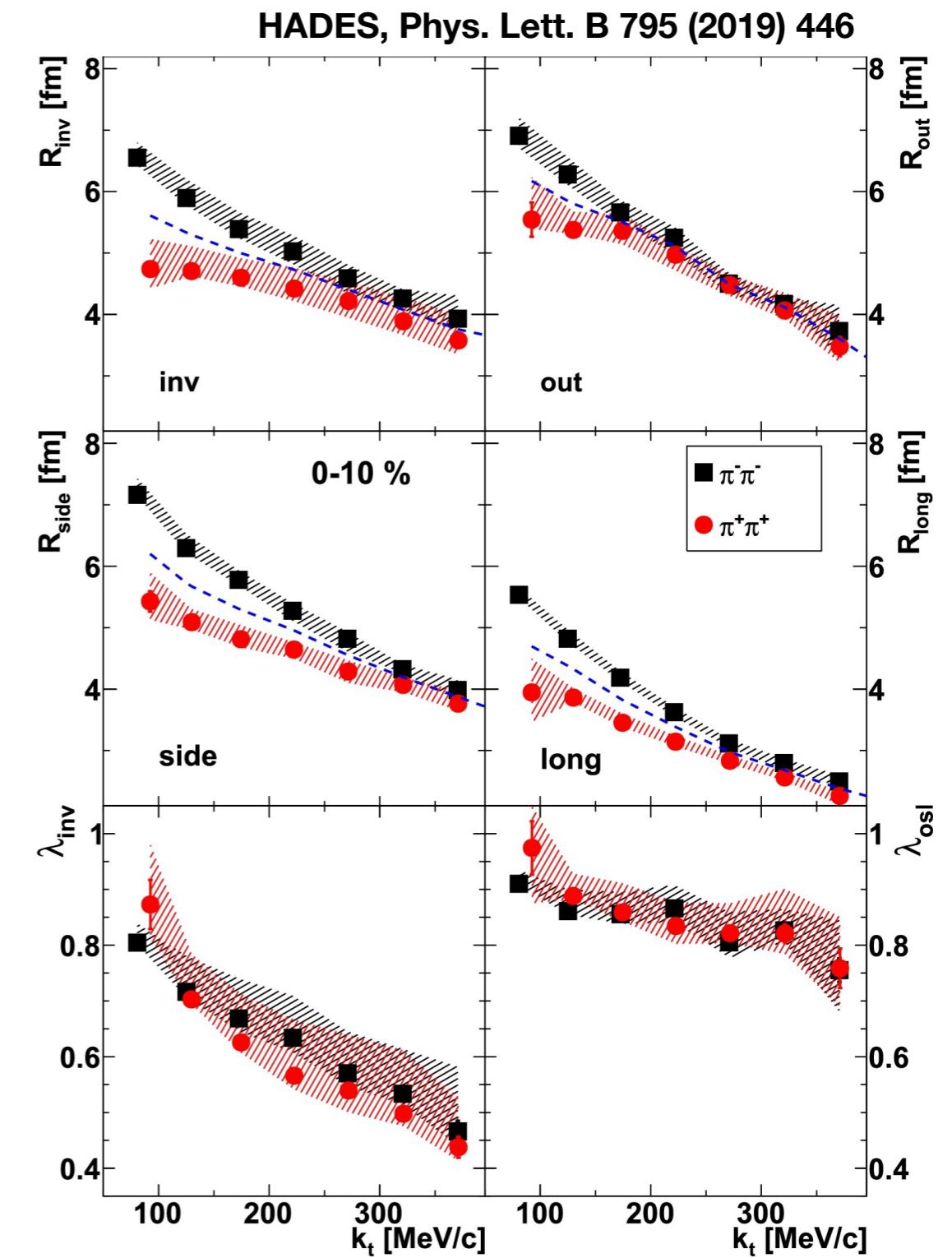
$$E_A \frac{dN_A}{d^3P_A} = B_A \left(E_p \frac{dN_p}{d^3P_p} \right)^Z \left(E_n \frac{dN_n}{d^3P_n} \right)^N \Big|_{P_p=P_n=P_A/A}$$

- Coalescence parameter B_A : probability that number of A nucleon coalesce
- Expectations:
 - $B_A \propto \left(\frac{1}{V}\right)^{(A-1)}$ -> $B_2 \sim 1/V_{HBT}, B_3 \sim 1/V_{HBT}^2$

Nucleon Coalescence

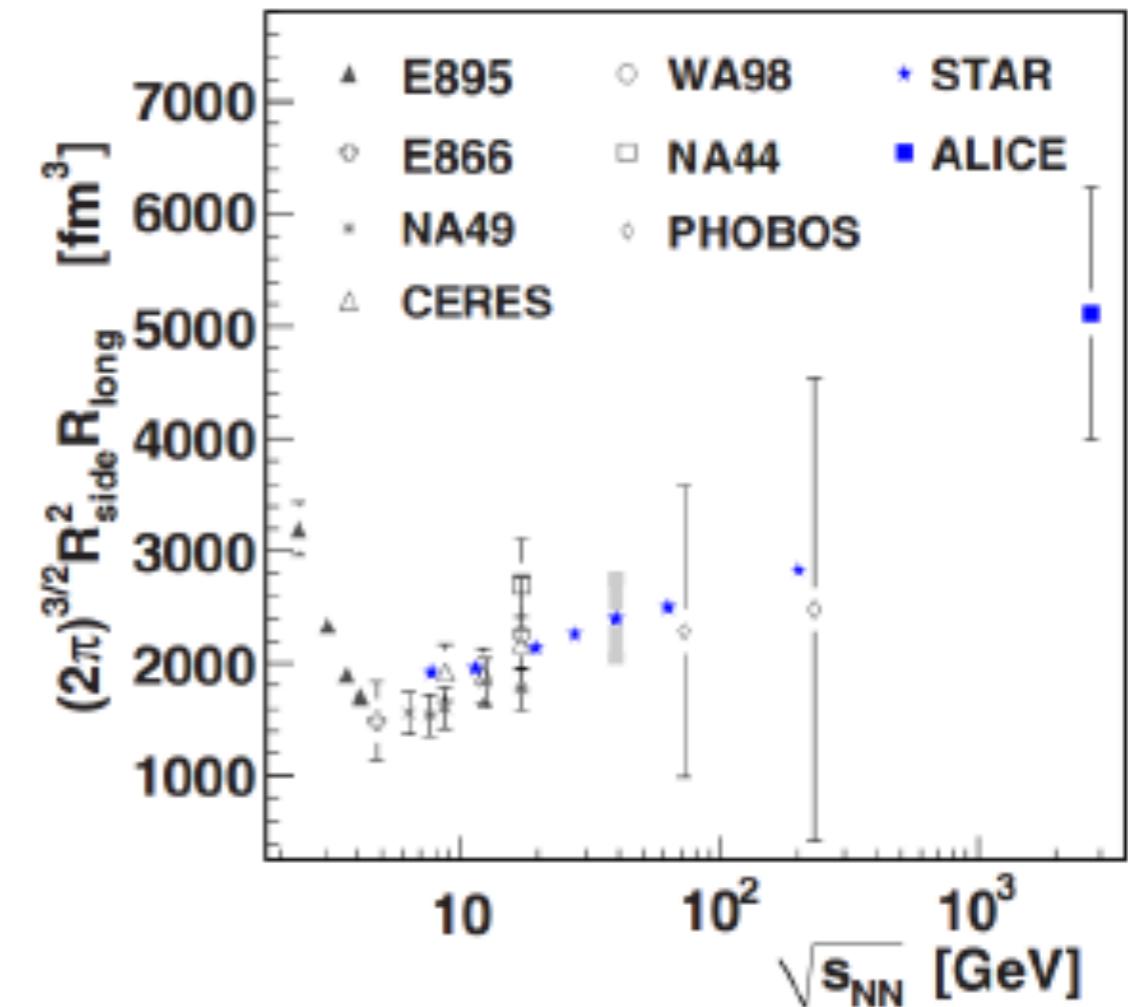
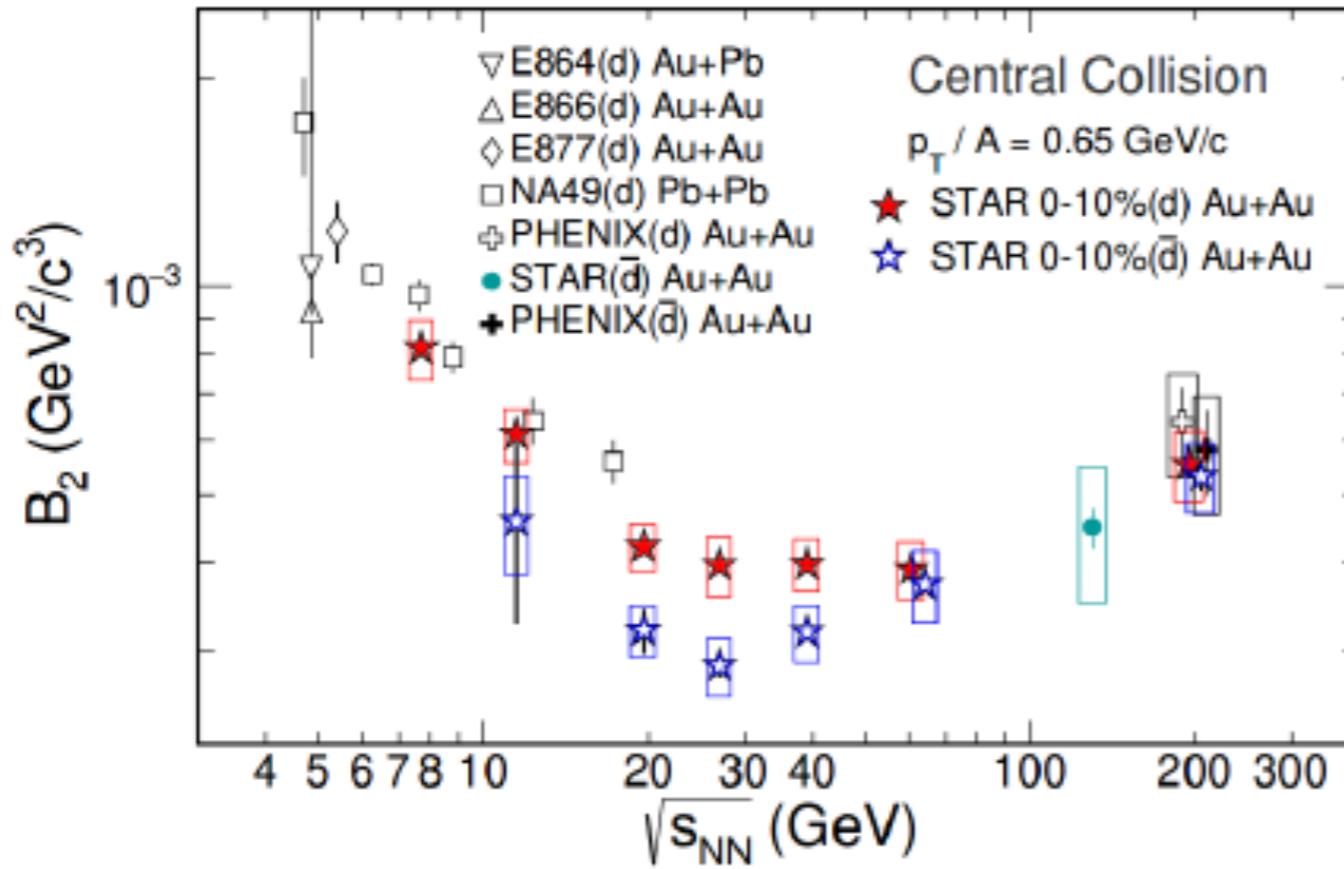


Compatible with coalescence
 $B_2(m_T) \uparrow$, $v_{\text{HBT}}(m_T) \downarrow$



Nucleon Coalescence

STAR, Phys.Rev. C99 (2019) no.6, 064905

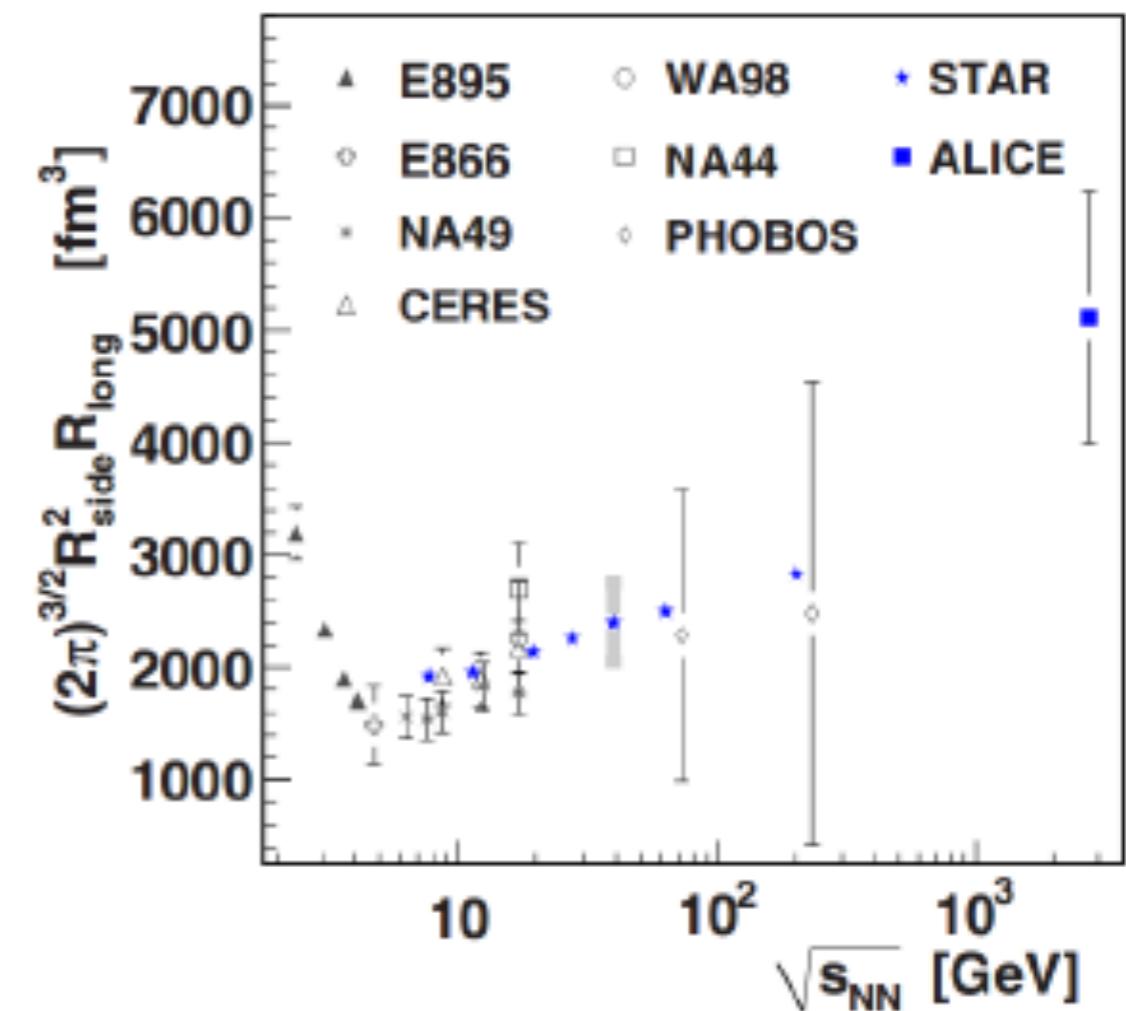
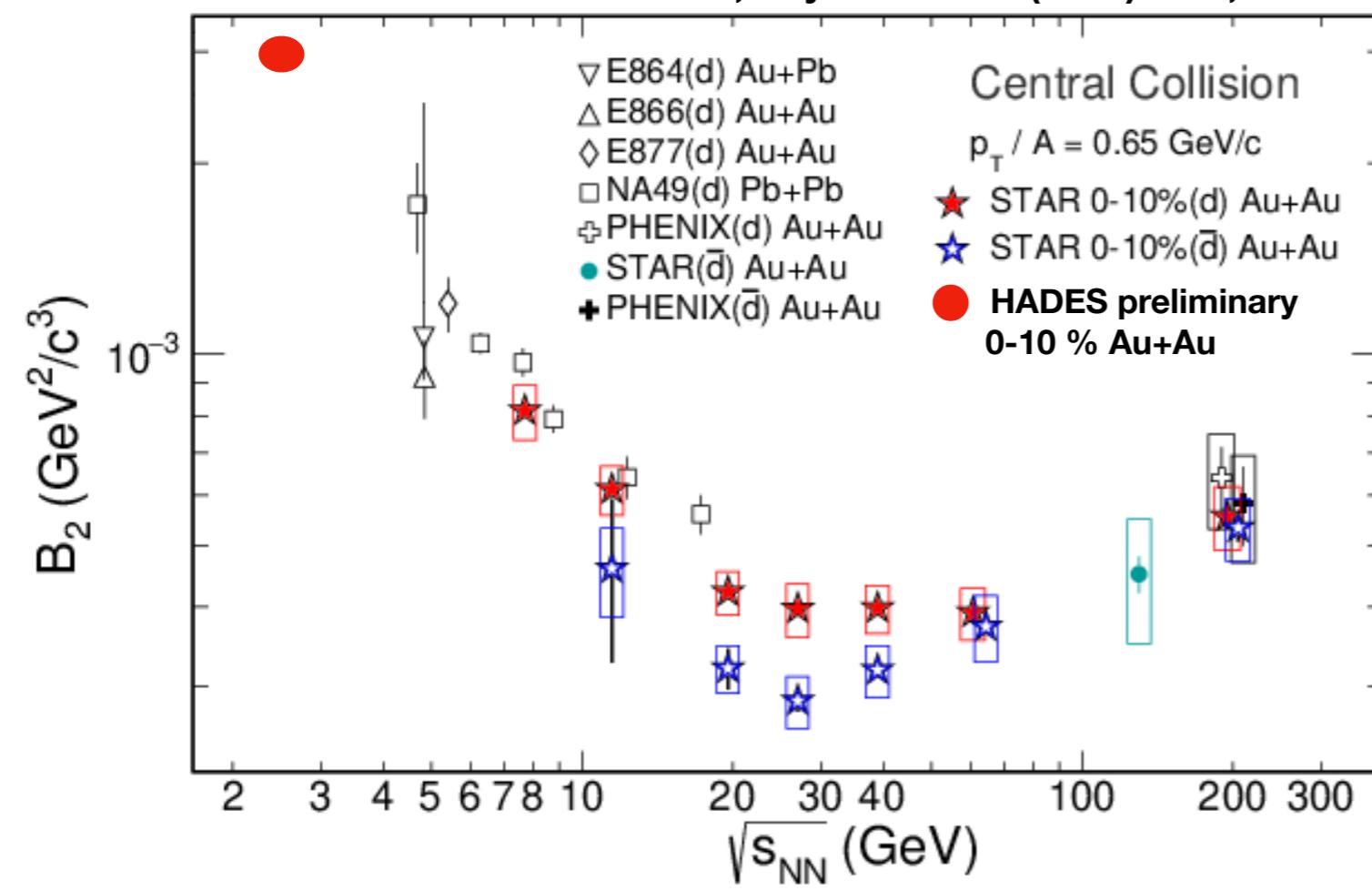


- Deviations from expectations $B_A \sim V_{HBT}^{-(A-1)}$
- V_{HBT} \Rightarrow coalescence B_2

Nucleon Coalescence

STAR, Phys. Rev. C 92 (2015) no.1, 014904

STAR, Phys. Rev. C 99 (2019) no.6, 064905



- Deviations from expectations $B_A \sim V_{HBT}^{-(A-1)}$

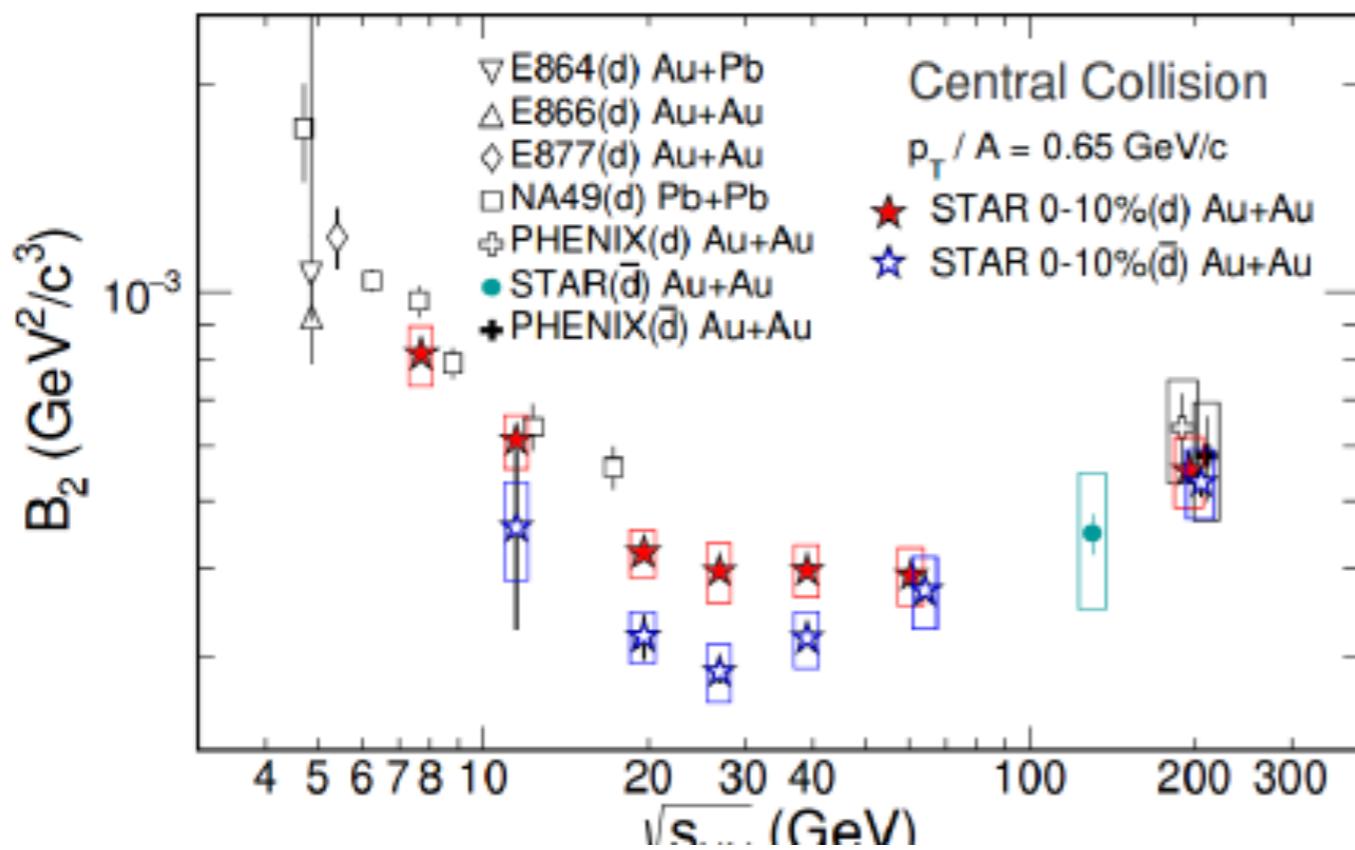
• V_{HBT}

=> coalescence B_2

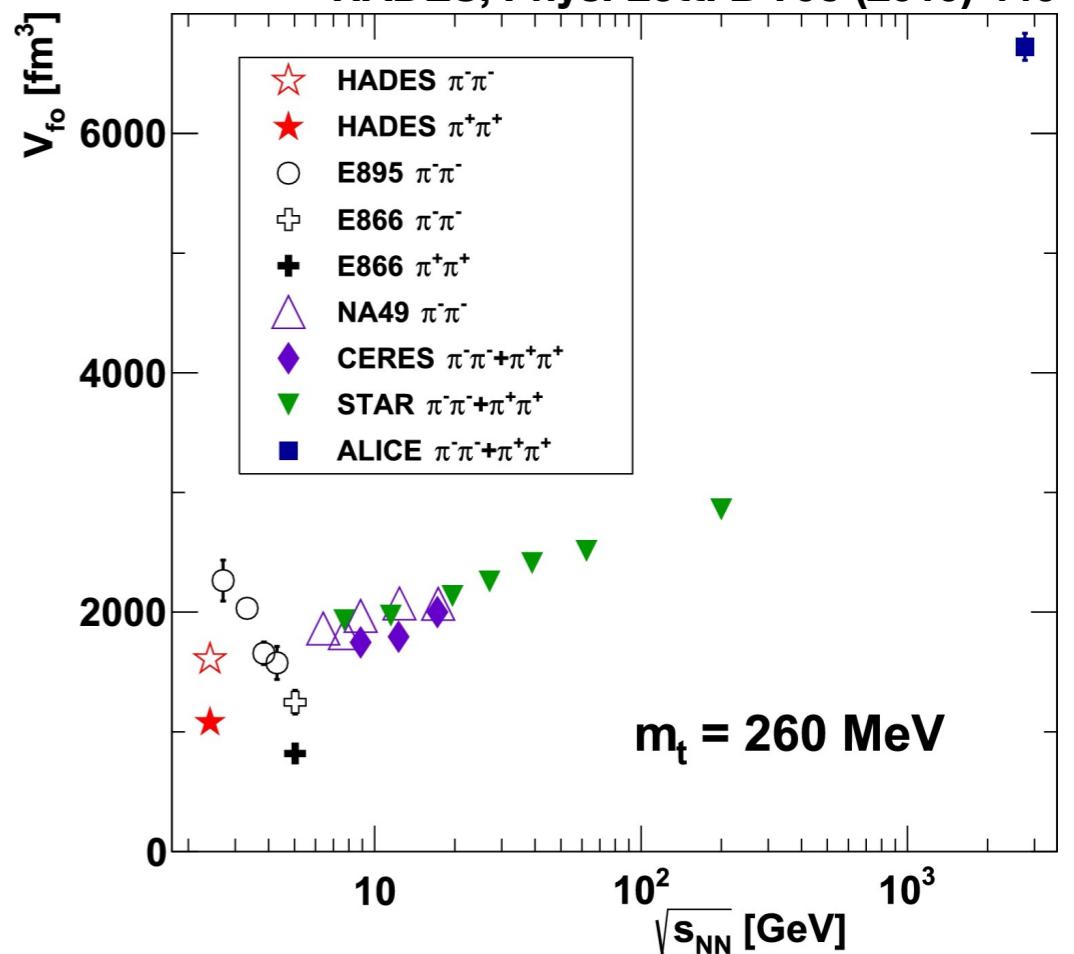


Nucleon Coalescence

STAR, Phys. Rev. C99 (2019) no.6, 064905



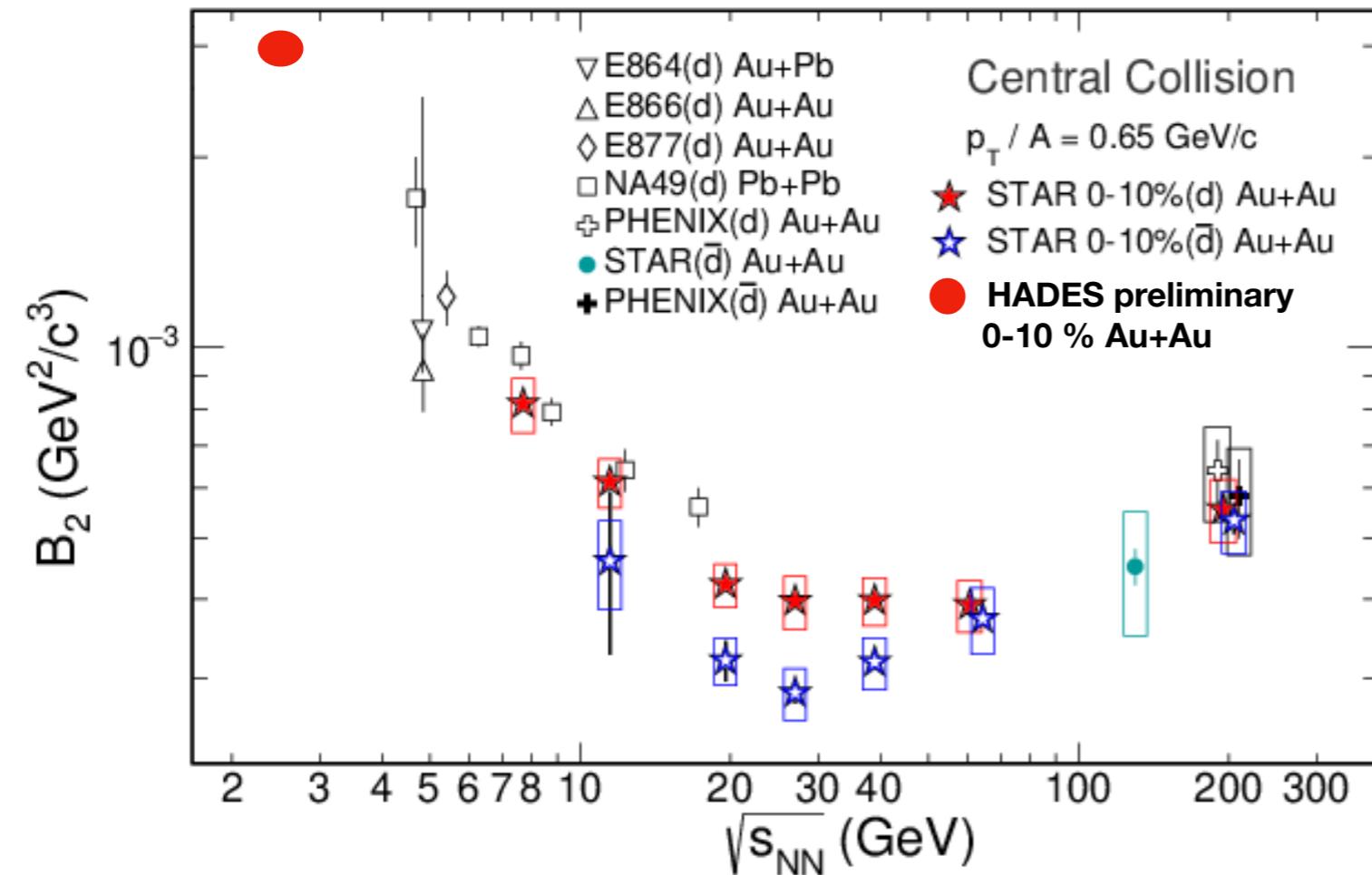
HADES, Phys. Lett. B 795 (2019) 446



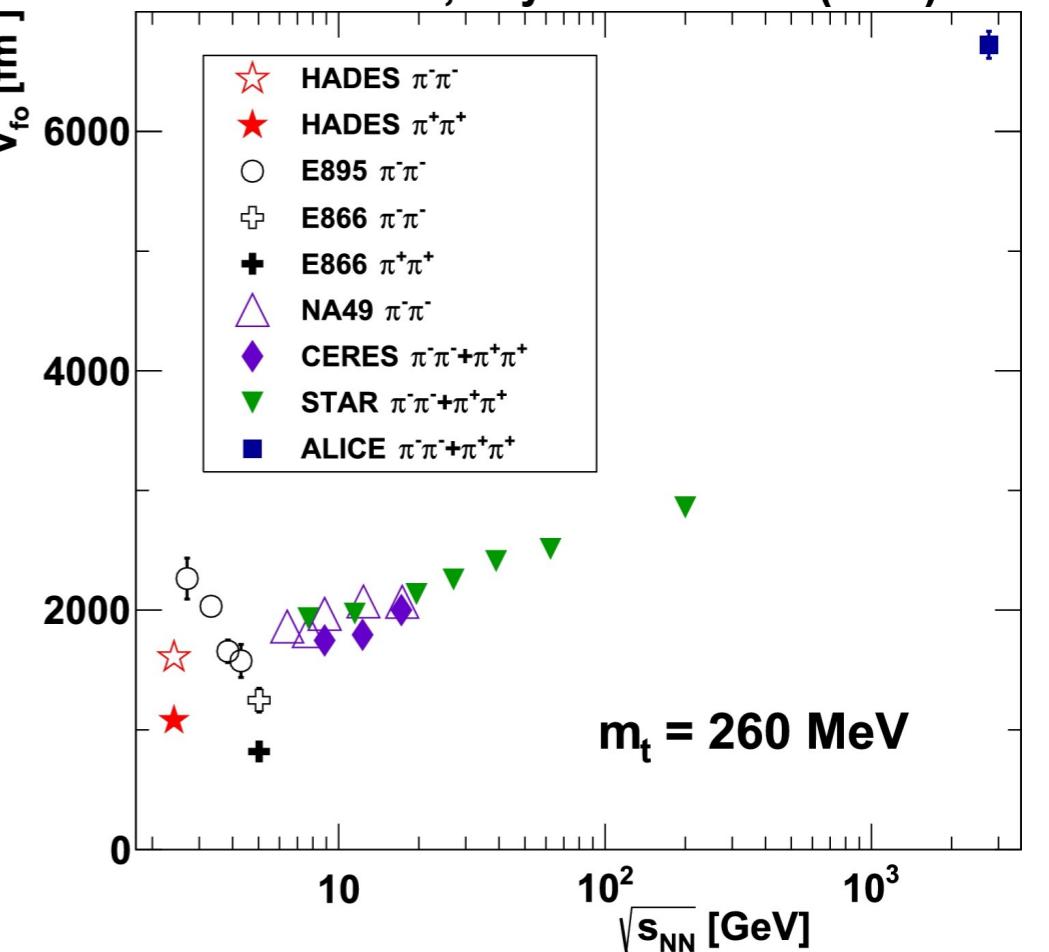
- Compatible with coalescence
- v_{HBT} \Rightarrow coalescence B_2

Nucleon Coalescence

STAR, Phys.Rev. C99 (2019) no.6, 064905

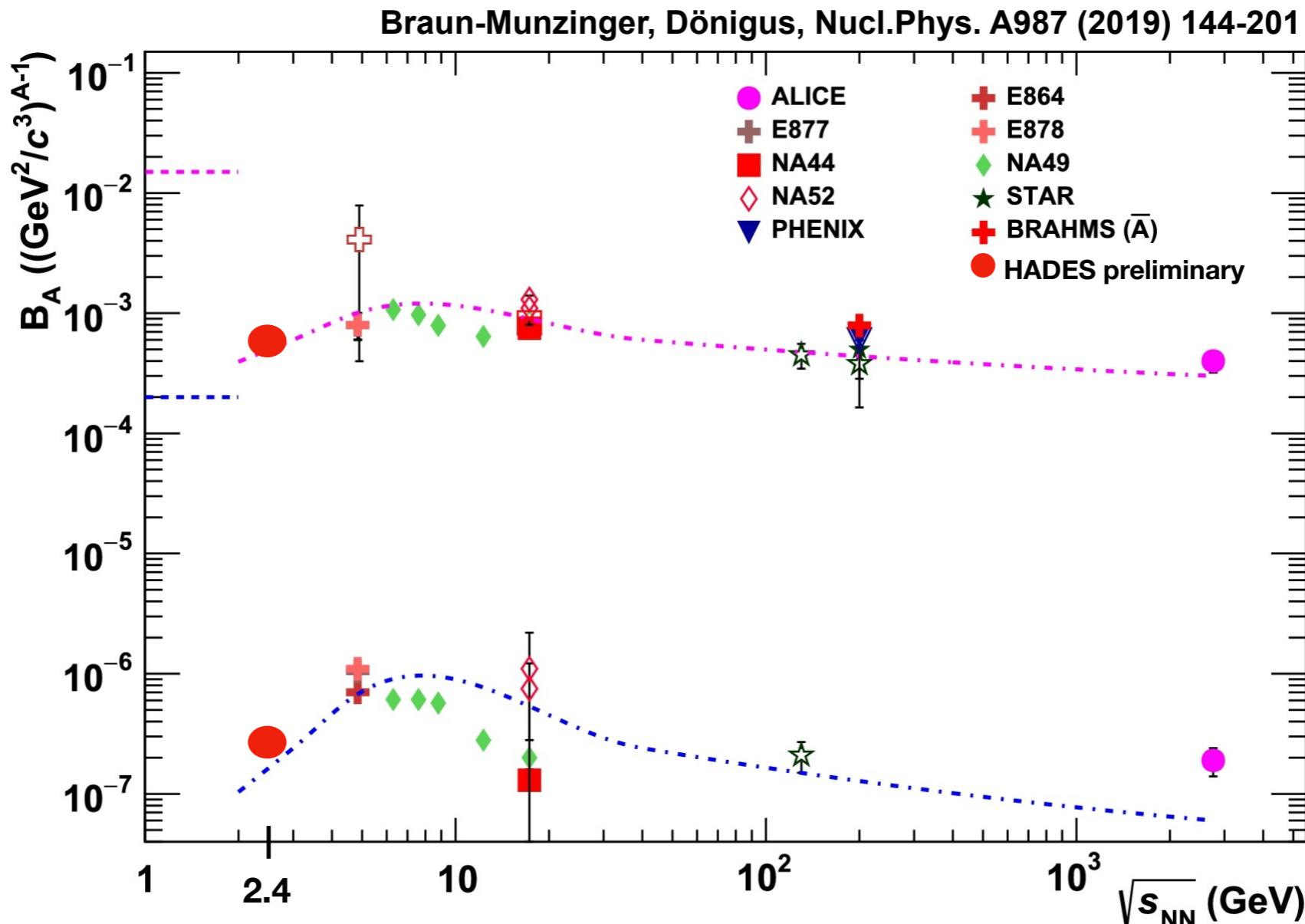


HADES, Phys. Lett. B 795 (2019) 446



- Compatible with coalescence
- v_{HBT} \Rightarrow coalescence B_2

Nucleon Coalescence

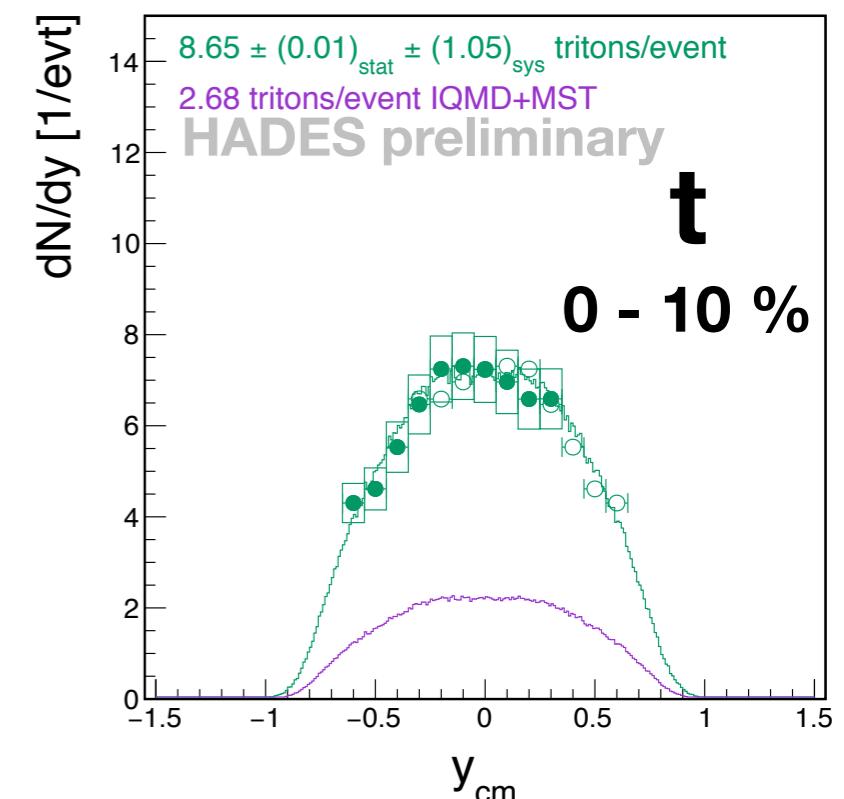
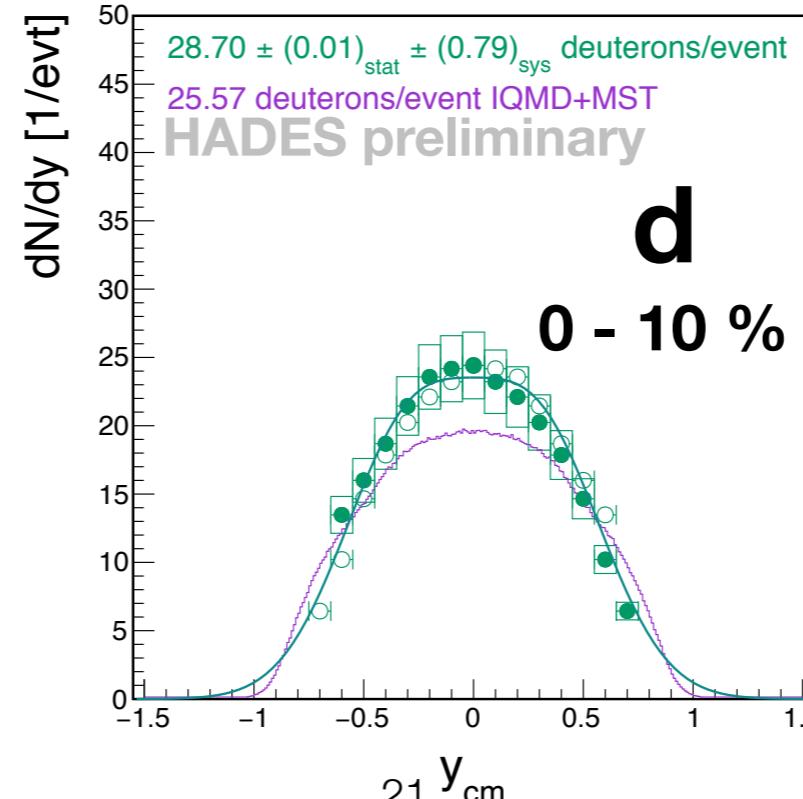
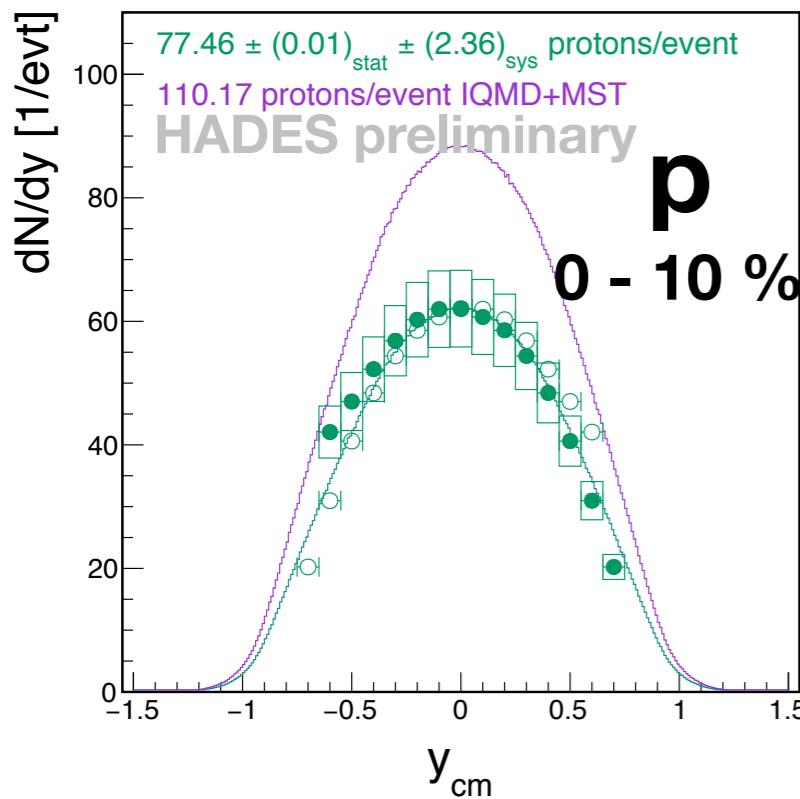


- Deviations from expectations
- Order of magnitude is still right

Comparison to model

IQMD + MST model

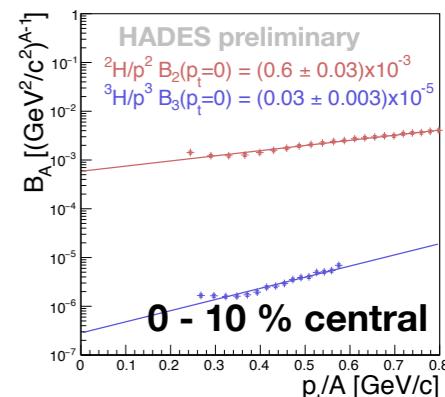
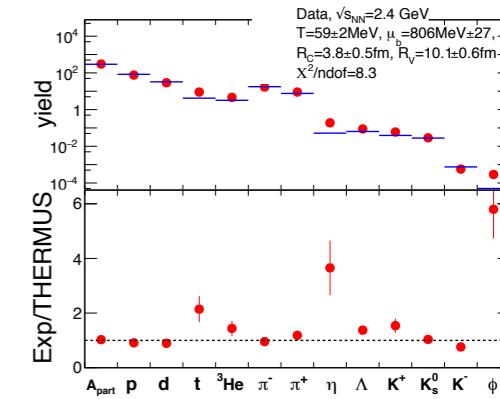
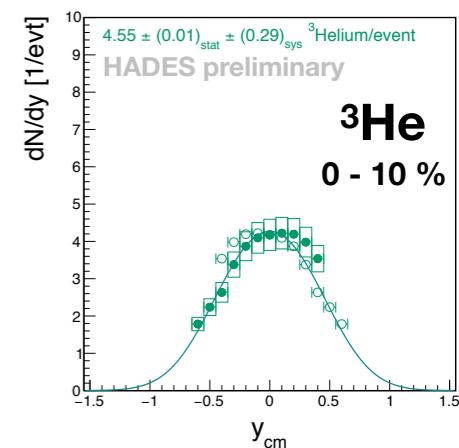
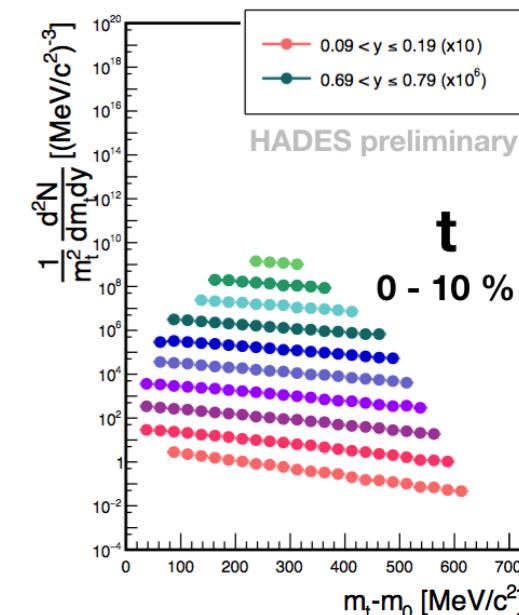
- Light nuclei are clustered with the help of some coalescence afterburner
 - IQMD plus minimal spanning tree (MST):
 - $r = 4$ fm in position space and $t = 200$ fm/c
 - fractions of light nuclei not reproduced by IQMD
- **Light nuclei yields are underestimated by coalescence afterburners around mid-rapidity**



Thanks to Y. Leifels

Summary

- High statistic data sample
- Differential analysis of p, d, t, ^3He performed
- High degree of cluster formation even in most central collisions
- Light nuclei production cannot be described consistently in simple statistical models
- Simple coalescence model does not reproduce light nuclei yields in the participant region
- B_A parameters as function of $p_T(y)$ provided



Outlook

- Transport models
 - major difficulty in formation of clusters
 - is often oversimplified or not omitted
- Nucleon Coalescence model
 - simple coalescence model could not explain behaviour
- Light nuclei are formed in multitude of processes but not generally by simple coalescence
- More advanced models for light nuclei production are needed, e.g FRIGA, PHQMD

P. Danielewicz and Q. Pan, Phys. Rev. C 46, 2002 (1992).

C. Kuhrt, M. Beyer, P. Danielewicz, and G. Ropke, Phys. Rev. C 63, 034605 (2001).

Akira Ono, EPJ Web of Conferences 122, 11001 (2016).

Le Févre, Y. Leifels, J. Aichelin, Ch. Hartnack, V. Kireyev, E. Bratkovskaya. J. Phys. Conf. Ser. 668 (2016) no.1, 0120

Example:

