Efficient Bayesian Model Combination With pybmc

Kyle Godbey

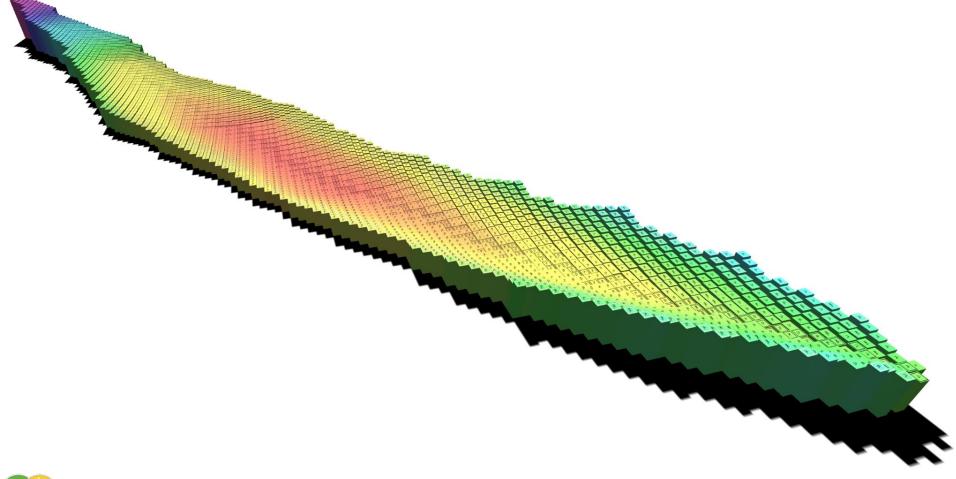
Slides with videos:

https://docs.google.com/presentation/d/1x RZo72xdc_uwMq-Jl6GkgmyKCNaJ4I2mLoLP HqvQcQo/edit?usp=sharing

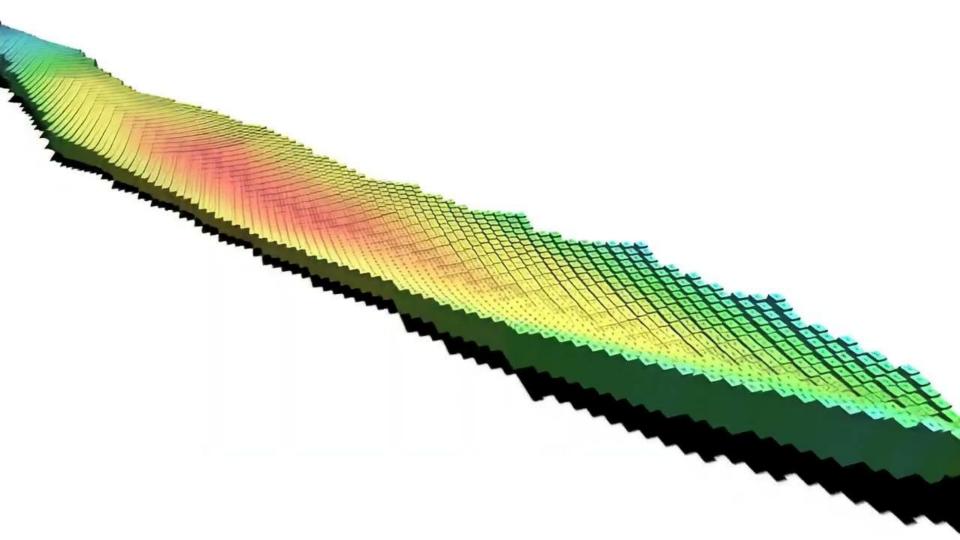












What's Model Combination?

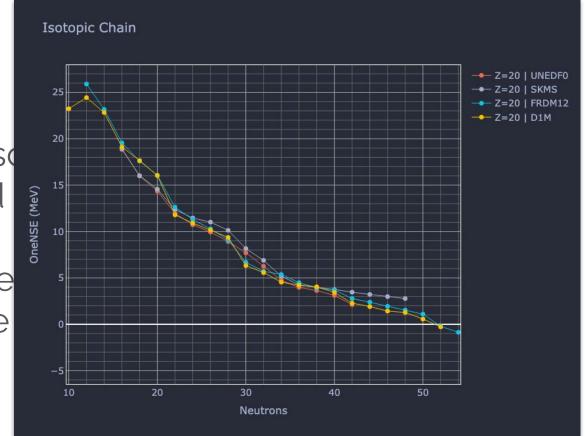
Imagine a scenario where you have many wrong (and potentially useful) models

Will they be wrong in the same ways and places? Are they equally useful?



Imagine a so wrong (and

Will they be places? Are

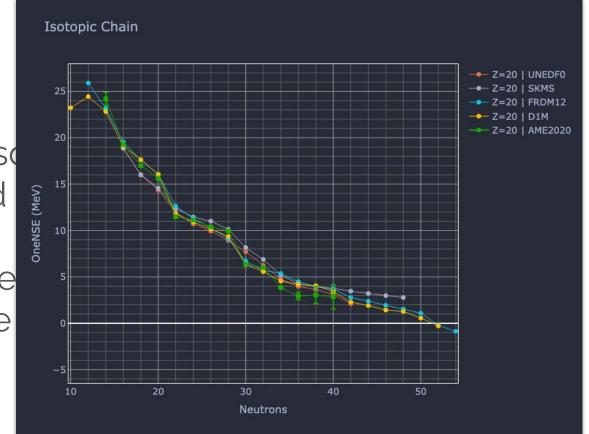




The Bayesian Mass Explorer https://bmex.dev

Imagine a so wrong (and

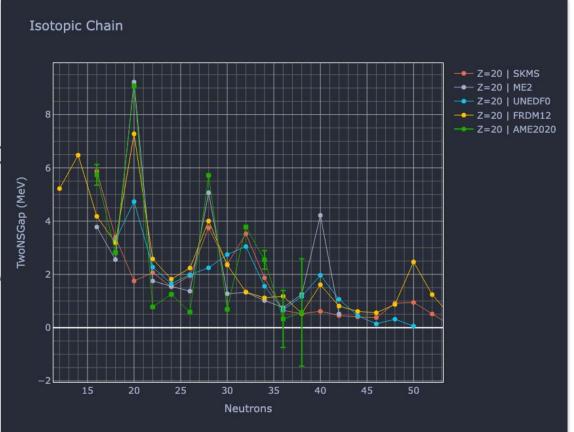
Will they be places? Are





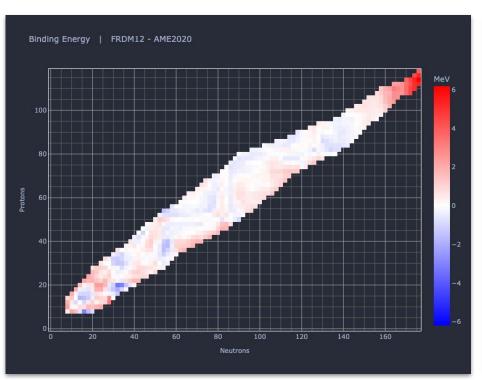
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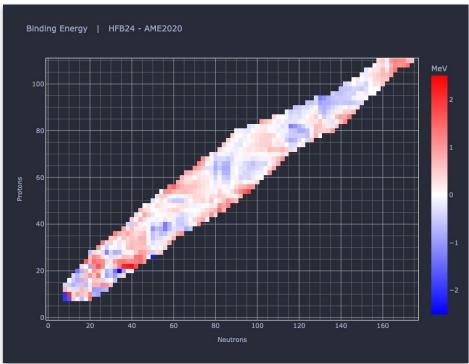
Will they be places? Are



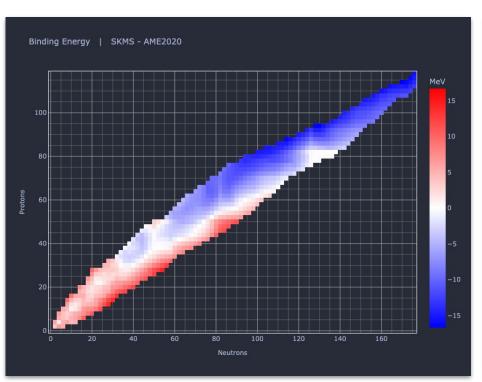


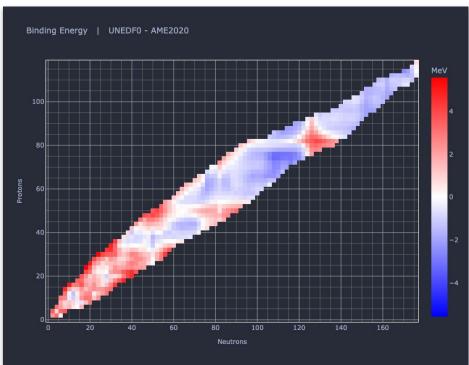
2025 ISNET-11 November 18th, 2025 The Bayesian Mass Explorer https://bmex.dev













Model combination techniques provide a prescription on how to handle this!

This talk is going to focus on **forecast combination** specifically, i.e. where we already have independent model forecasts prepared



Additionally, we'll orthogonalize our forecasts to remove model redundancies

Side benefit: we can truncate the principal components to get less overfitting



First, center your data

$$X_{i,k}^{c} = X_{i,k}^{0} - \phi_{0}\left(x_{i}\right)$$
where

where

$$\phi_0(x_i) = \frac{1}{m} \sum_{k=1}^m X_{i,k}^0 = \frac{1}{m} \sum_{k=1}^m f_k(x_i).$$



Then, reduce the dimensionality:

$$egin{aligned} m{X^c_{n imes m}} &= m{U_{n imes n}} & m{S_{n imes m}} & m{V_{m imes m}}^T \ &pprox & \widehat{m{X^c}_{n imes p}} = \widehat{m{U}_{n imes p}} & \widehat{m{S}_{p imes p}} & \widehat{m{V}_{p imes m}}^T. \end{aligned}$$

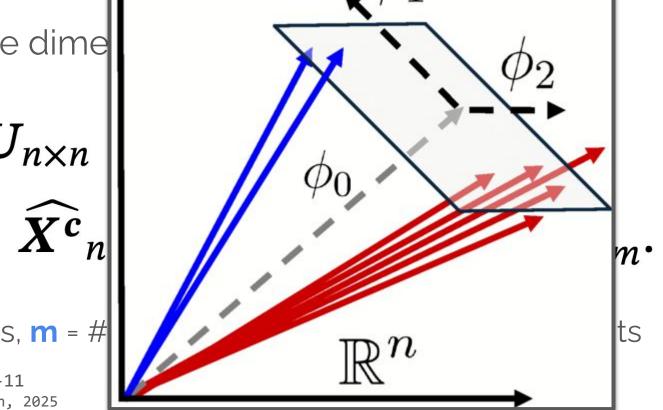
n = # of data points, m = # of models, p = # of kept components



Then, reduce the dime

$$X_{n \times m}^{c} = U_{n \times n}$$

n = # of data points, m = #





Now construct your combined forecast:

$$f^{\dagger}(\mathbf{x}; \mathbf{b}) = \phi_0(\mathbf{x}) + \sum_{i=1}^{P} b_j \phi_j(\mathbf{x})$$



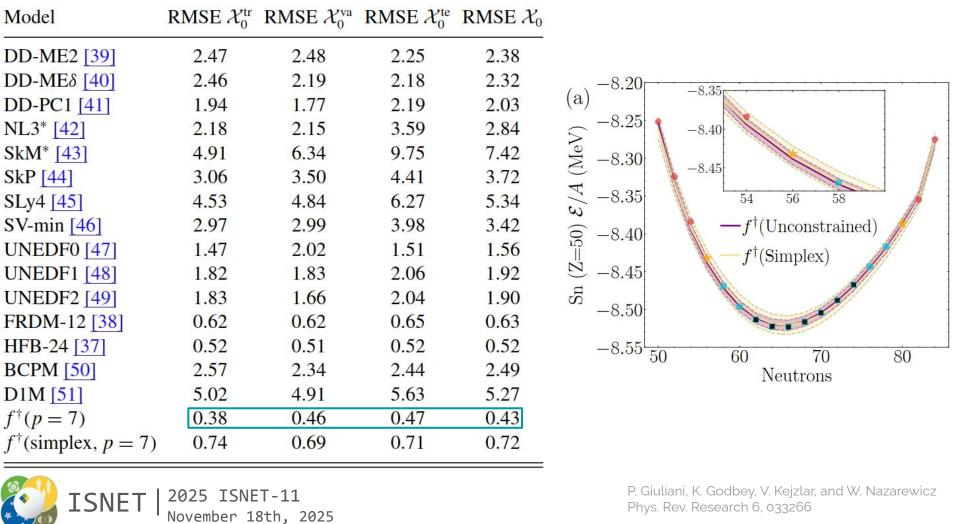
Bringing it Together



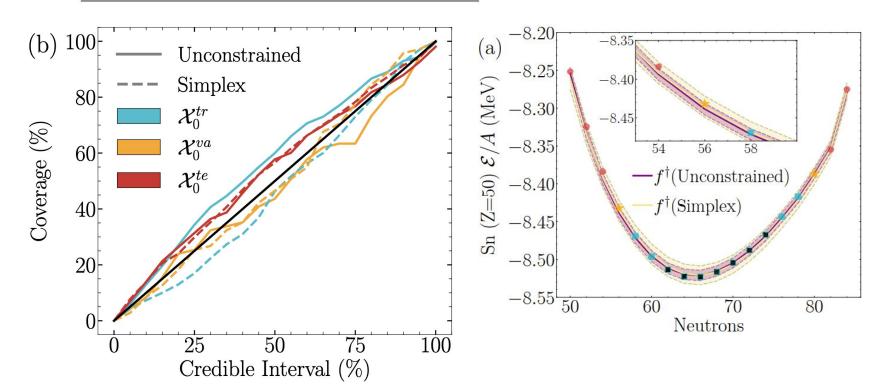
Once you determine the weights, you're ready to go!

P. Giuliani, K. Godbey, V. Kejzlar, and W. Nazarewicz Phys. Rev. Research 6, 033266



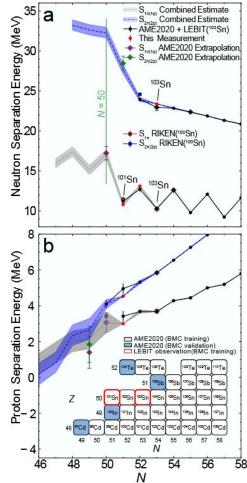


$f^{\dagger}(p=7)$	0.38	0.46	0.47	0.43
$f^{\dagger}(\text{simplex}, p = 7)$	0.74	0.69	0.71	0.72

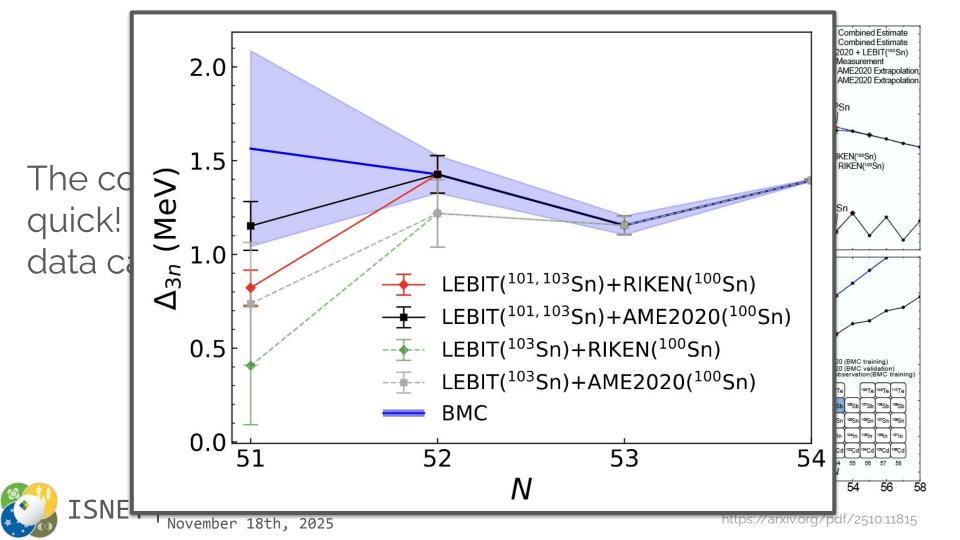


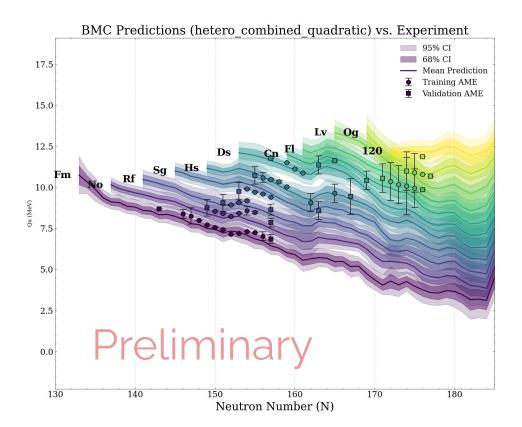


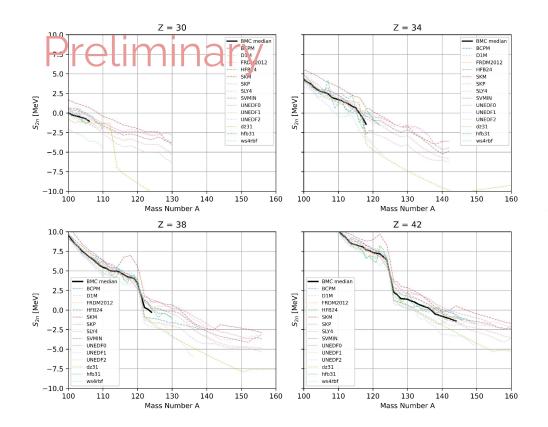
The combination scheme is *very* quick! New (or proposed) experimental data can be easily incorporated

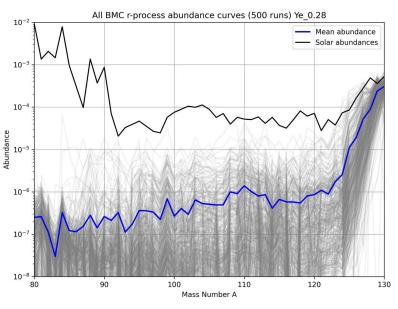












Enter: pybmc

Lightweight Python package designed to streamline model orthogonalization and combination tasks

Currently, the core algorithm has been implemented by Undergraduate students Troy Dasher, An Le, and Pranav Agarwal



Sidebar

Putting the effort into making (and releasing) software can pay off immensely!





Wrapping Up: Known Issues

What if your original model space doesn't contain the right behavior (missing physics)?

Model contamination?

Should the error scale be global?

What about the use of global principal components?



Wrapping Up: Known Issues

What if your original model space doesn't contain the right behavior (missing physics)?

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Care to help?

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Wrapping Up: Known Issues

What if your original model space doesn't contain the right behavior (missing physics)?

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New pull request

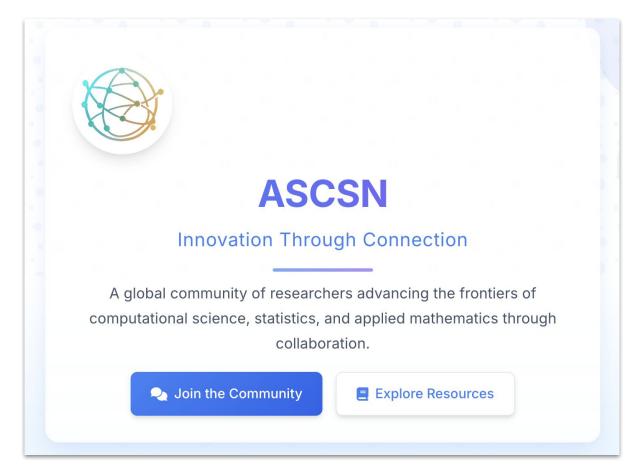
What about the use of global principal components?





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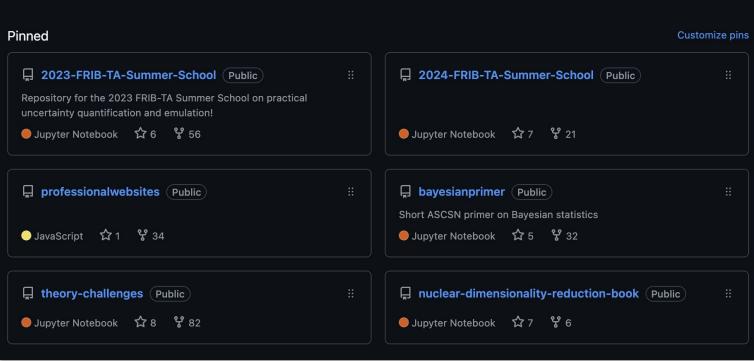
YouTube





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https://dr.ascsn.net



Introduction to Dimensionality Reduction in Nuclear Physics

Introduction

Application 1: The Quantum Harmonic Oscillator

Application 2: Two body single channel nuclear scattering

Application 3: The Empirical Interpolation Method

Application 4: Time Dependent Systems

(evolution in the reduced space)

Aplication 5: Black-Box Methods

Contributors







https://dr.ascsn.net

Contributors

- Eric Flynn | Content
- Pablo Giuliani | Content
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Immense Gratitude to All Collaborators!

Funding

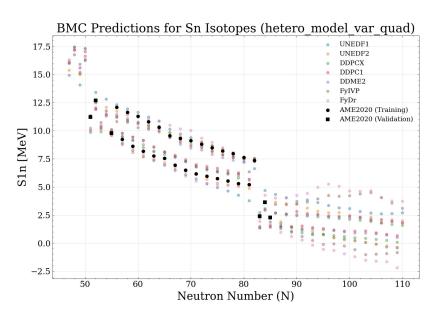
DOE NNSA Grant No. DE-NA0004074 DOE Grant Nos. DE-SC0013365, DE-SC0023175 NSF CSSI Program No. 2004601

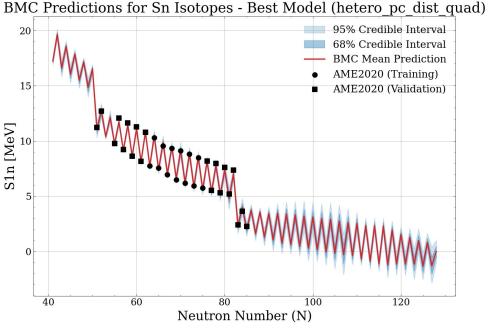
Computing Resources

Australian National Computational Infrastructure Raijin and Gadi Oak Ridge Leadership Computing Facility Summit and Frontier Argonne Leadership Computing Facility Polaris Texas A&M High Performance Research Computing Terra and Ada Michigan State University HPCC

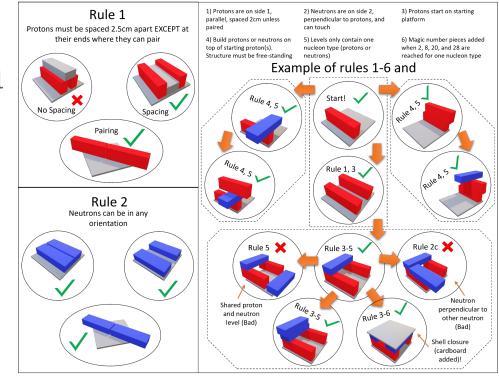


Heteroscedastic Uncertainty

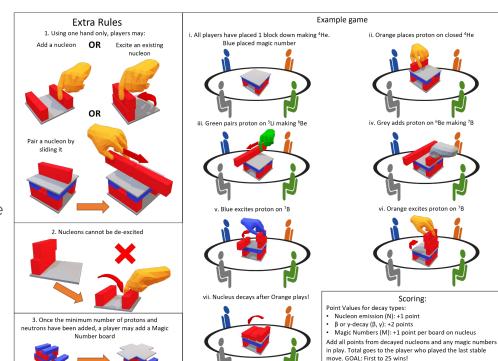




- We focus on highlighting structure with dynamic decays
- Rule sets for varying student level (younger students to adults)
 - Coulomb repulsion
 - Pairing
 - Nucleon Excitations
 - Magic numbers



- We focus on highlighting structure with dynamic decays
- Alternate multiplayer rule set:
 - Highlights competing forces and effects that may make nuclei more unstable
 - Promotes focus on excitation or more proton or neutron-rich systems



Blue wins the round!

Example: 8 protons and 8 neutrons

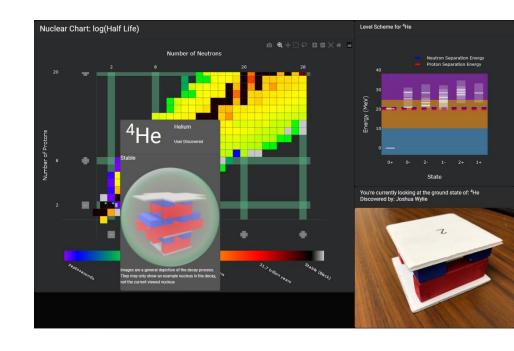
Ex: It decayed on Orange's turn, so Blue will get the points. We have two protons which fell onto their sides, β -decaying

into two neutrons. Blue gets 2(β)+2(β)+1(M)=5 points!



Website will be available:

- User may click on a nucleus to see the relation between in-game view and real nuclear properties (a translation tool)
- User-input for "discoveries" (blue diamonds) of ground state, excited state, and second excited state configurations
- "Discovered" nuclear states are shown with user-submitted photos



- Website will be available:
 - User may click on a nucleus to see the relation between in-game view and real nuclear properties (a translation tool)
 - Supplement so users can see game representation of actual physical phenomena (decay modes)

