



TEXAS A&M UNIVERSITY

Cyclotron Institute

Key Reactions in Nuclear

Astrophysics

ECT\*-Trento, February 2025

# Modeling 'some' Key Reactions of Light Nuclei and *Alternative*

**Theodoros Depastas<sup>1</sup>, Shuting Sun<sup>2</sup>, Hongbin He<sup>2</sup>, Hua Zheng<sup>2</sup>  
and Aldo Bonasera<sup>1,3</sup>**

<sup>1</sup> Cyclotron Institute, Texas A&M University, College Station, Texas, USA

<sup>2</sup> School of Physics and Information Technology, Shaanxi Normal University, Xi'an 710119, China

<sup>3</sup> Laboratori Nazionali del Sud, INFN, Catania 95123, Italy

# Introduction: The Hybrid $\alpha$ -Cluster (H $\alpha$ C) & Neck (NM) models

H. Zheng and A. Bonasera. *Symmetry*, **13**:1777, 2021; A. Bonasera and J.B. Natowitz. *Phys Rev C*, **102**, 061602(R), 2020; T. Depastas, S.T. Sun, H. Zheng and A. Bonasera, *Phys Rev C* **108**, 035806 (2023).

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- Semi-classical model
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$$\mathcal{H} = T + E_F + V_B + V_c$$

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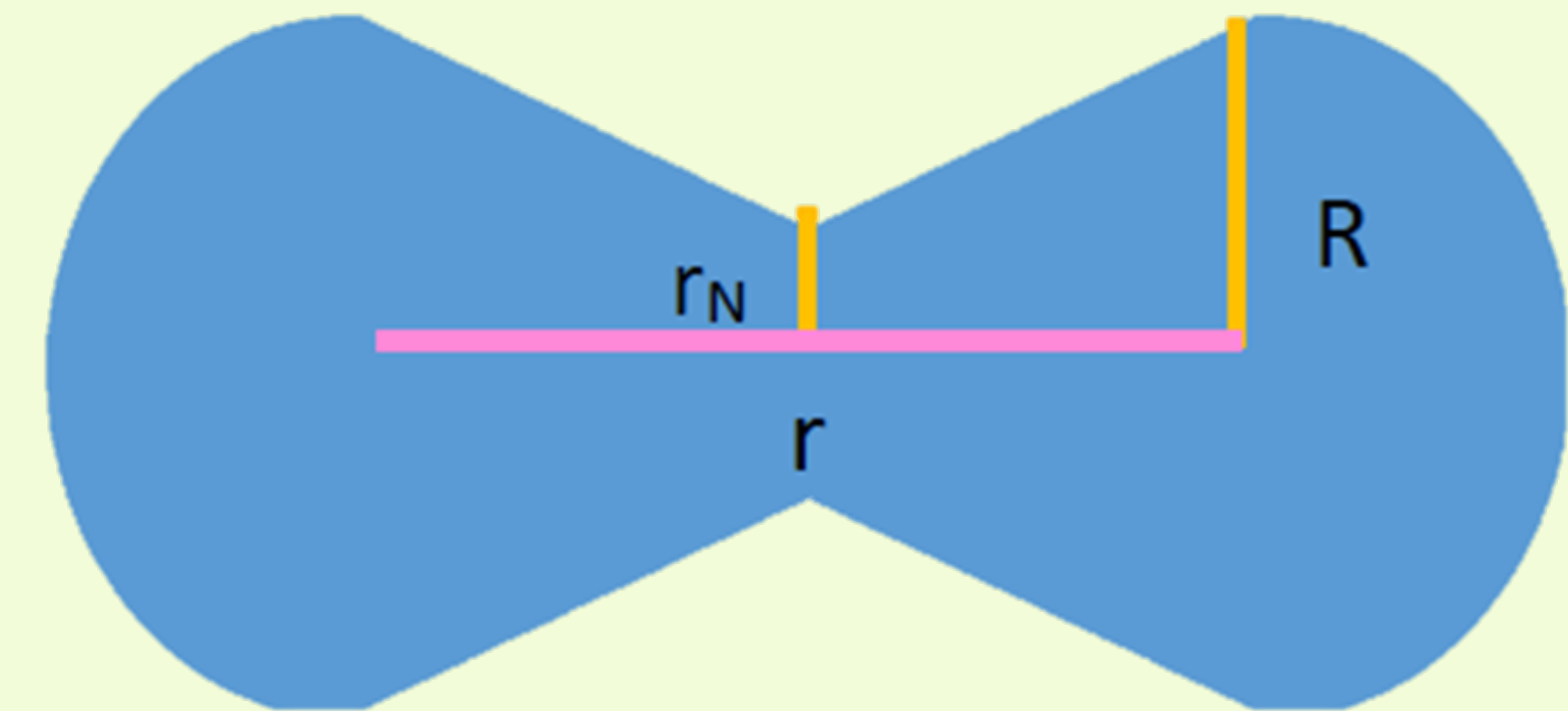
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## Neck Model (NM)

- Classical limit of Wigner-transformed TDHF
- Macroscopic dynamics, d.o.f.  $\rightarrow$  neck radius & internuclear distance
- Interaction  $\rightarrow$  Bass potential + resonances, Coulomb, nucleon exchange through neck
- Neck radius  $\rightarrow$  Volume conservation !

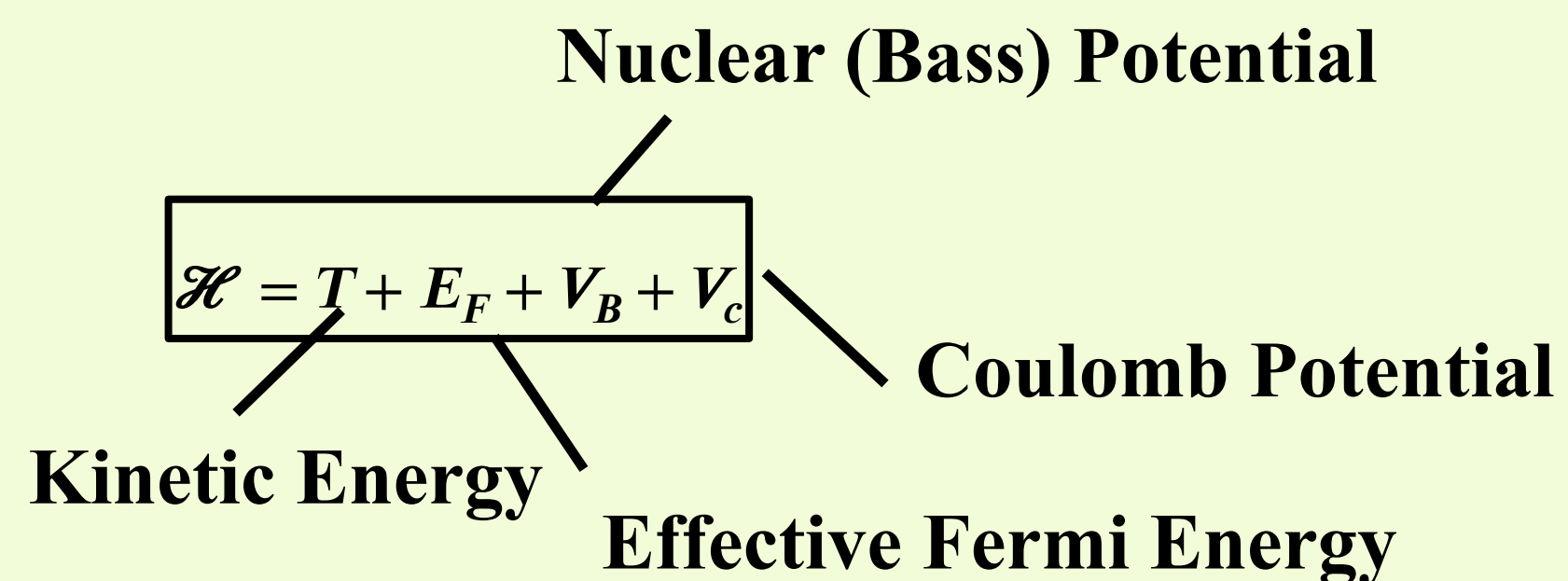




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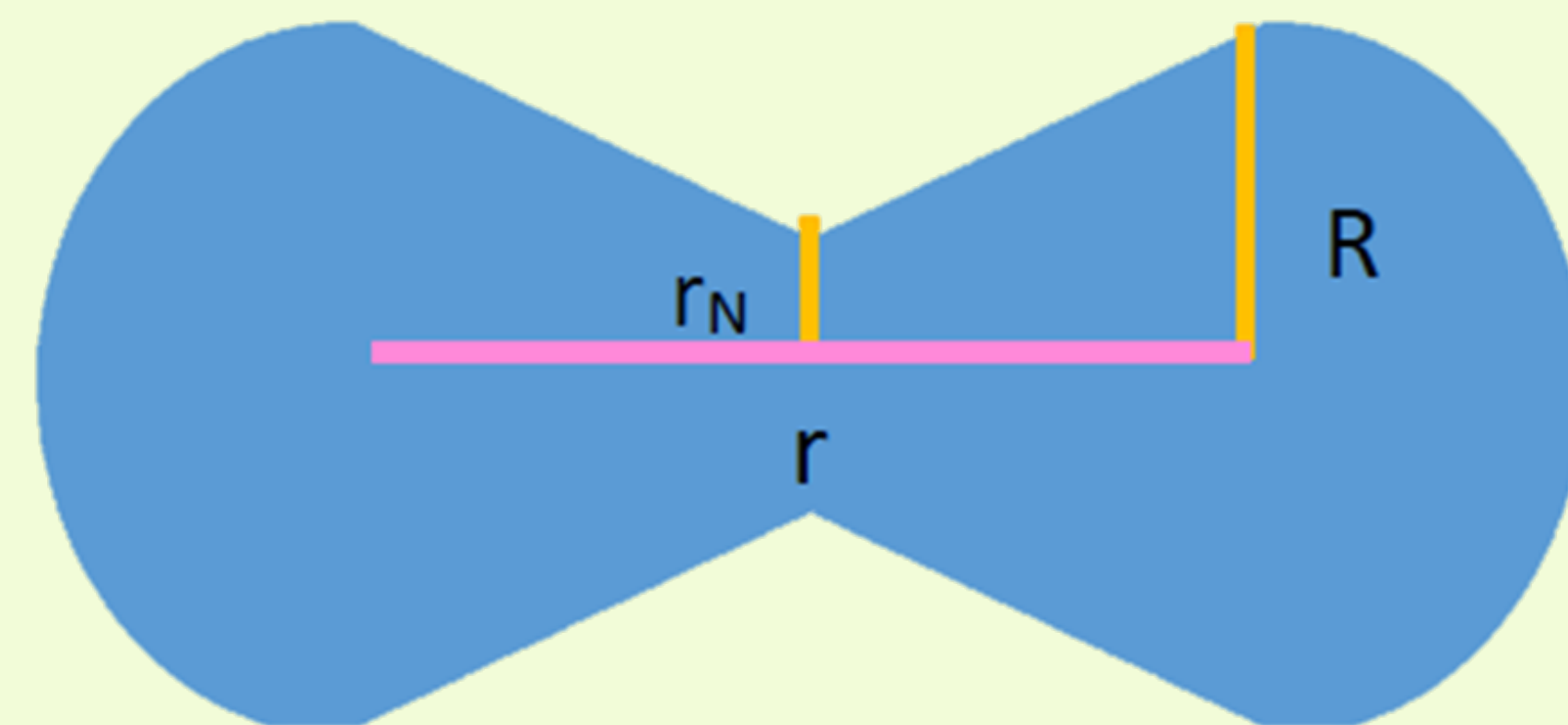
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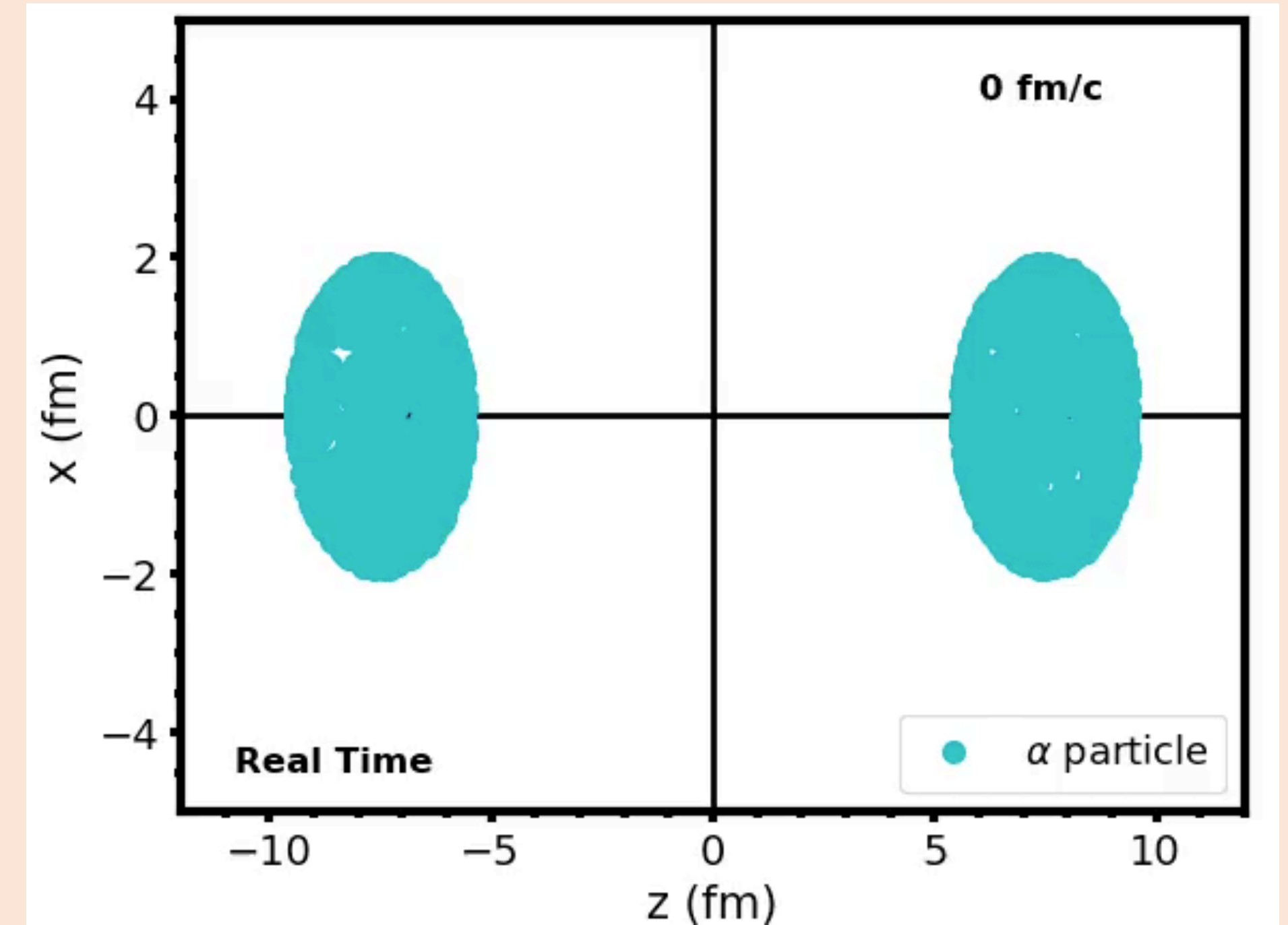
Already used for fusion, fission, ground and excited properties studies

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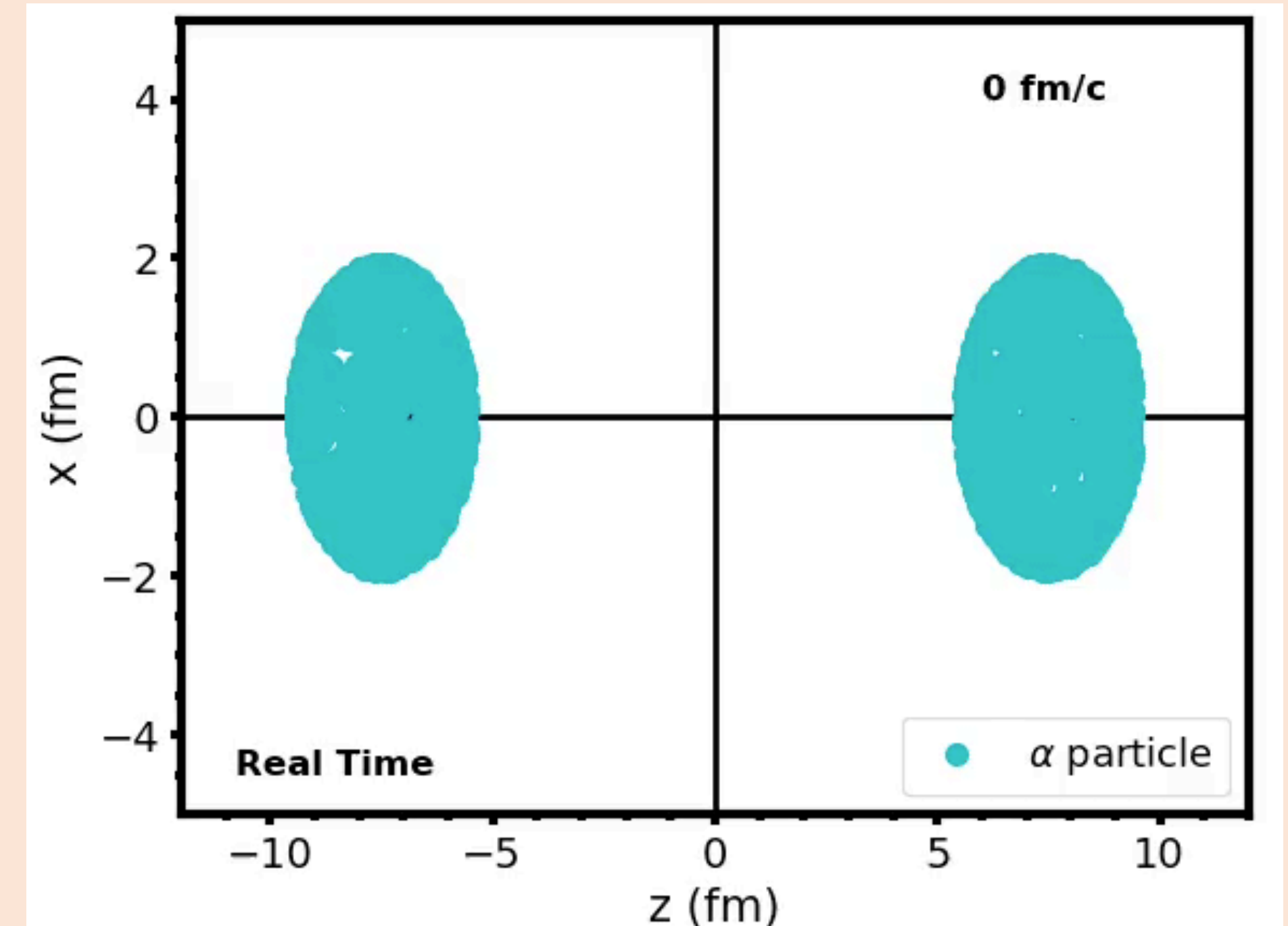
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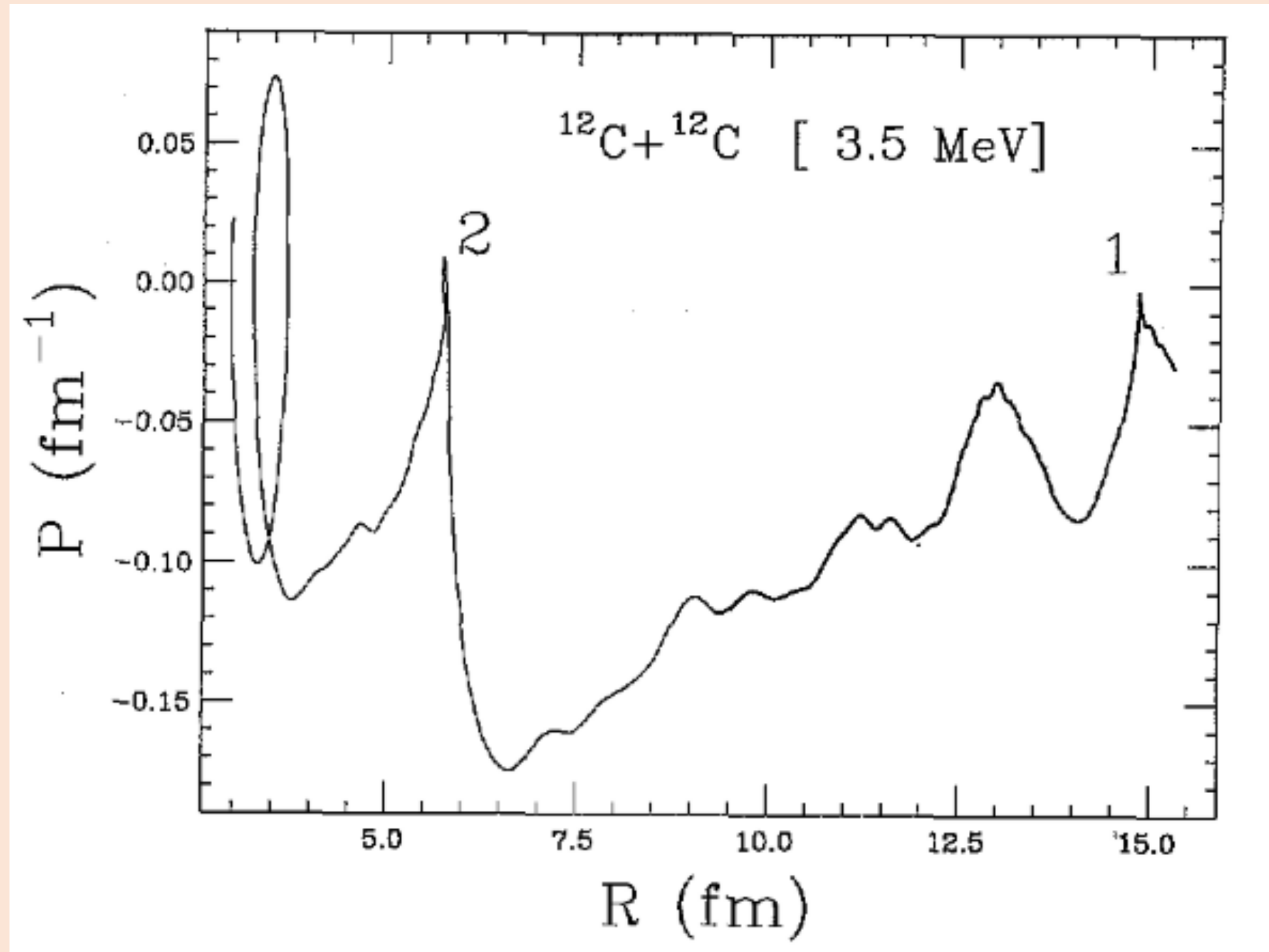
- Nuclei stop @ turning points → Imaginary time evolution
- $t = i\tau$  and  $P = -i\Pi$  → Forces change sign
  - Coulomb → attractive
  - Nuclear Interaction → Repulsive
- Return to real time → fusion

$^{12}\text{C}+^{12}\text{C}$ , HaC model, 300 events,  $E_{\text{cm}}=3.5$  MeV

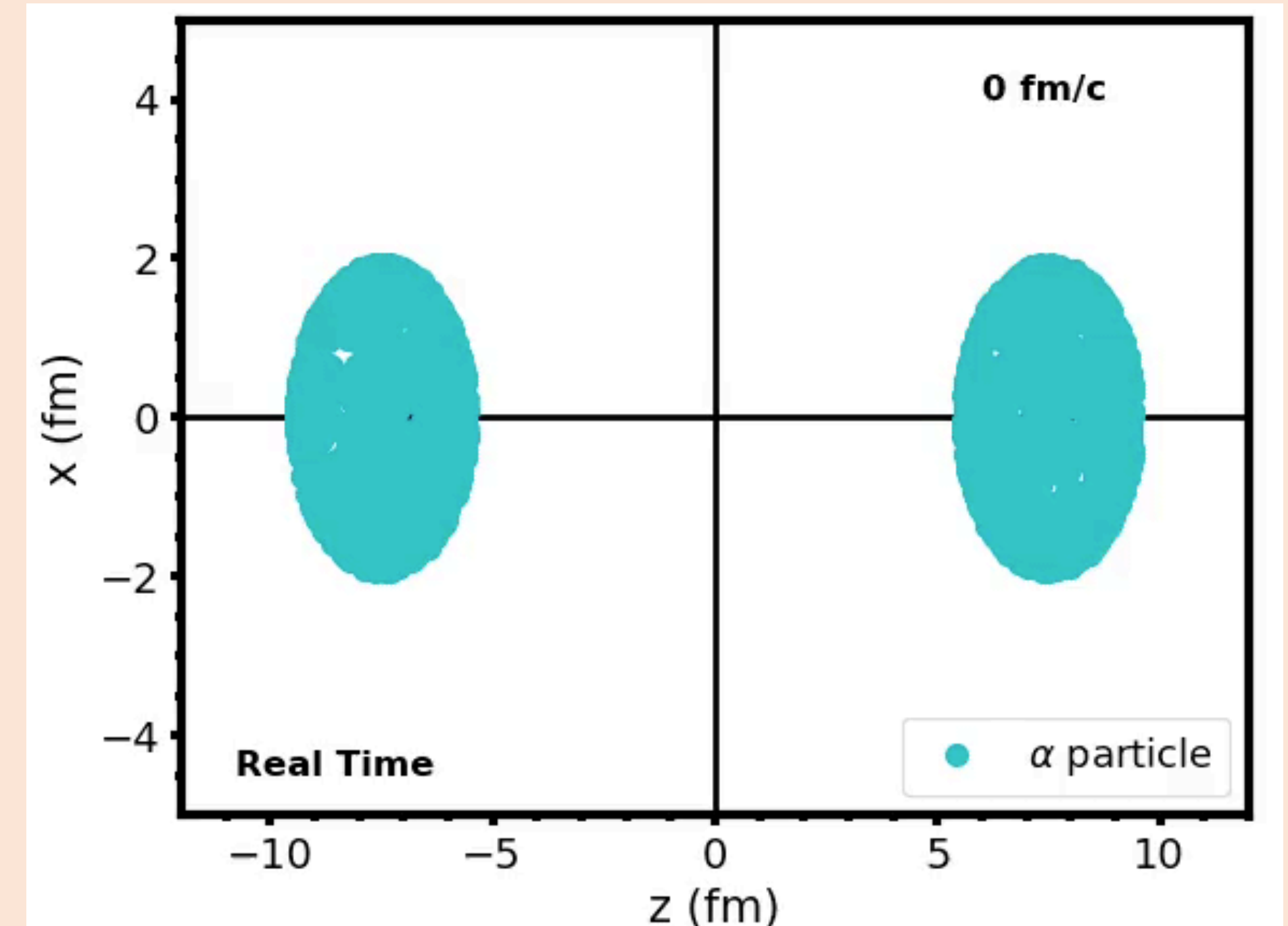


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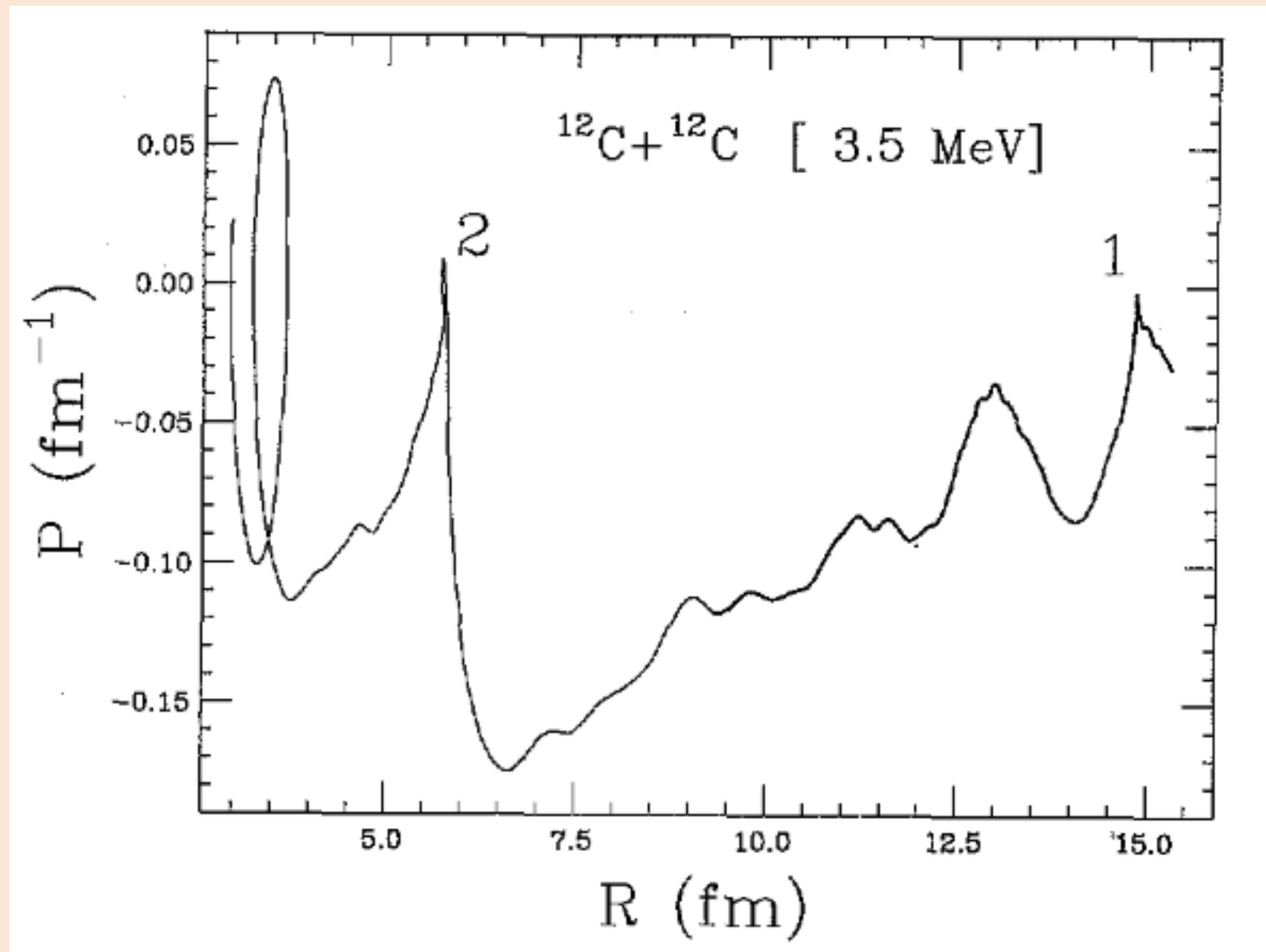
Cross sections:

$$\sigma(E) = \frac{\pi \hbar^2}{2\mu E} (1 + \delta_{ab}) \sum_{l=0}^{\infty} (2l + 1) T_l, \quad T_0 = (1 + e^{2A/\hbar})^{-1}$$

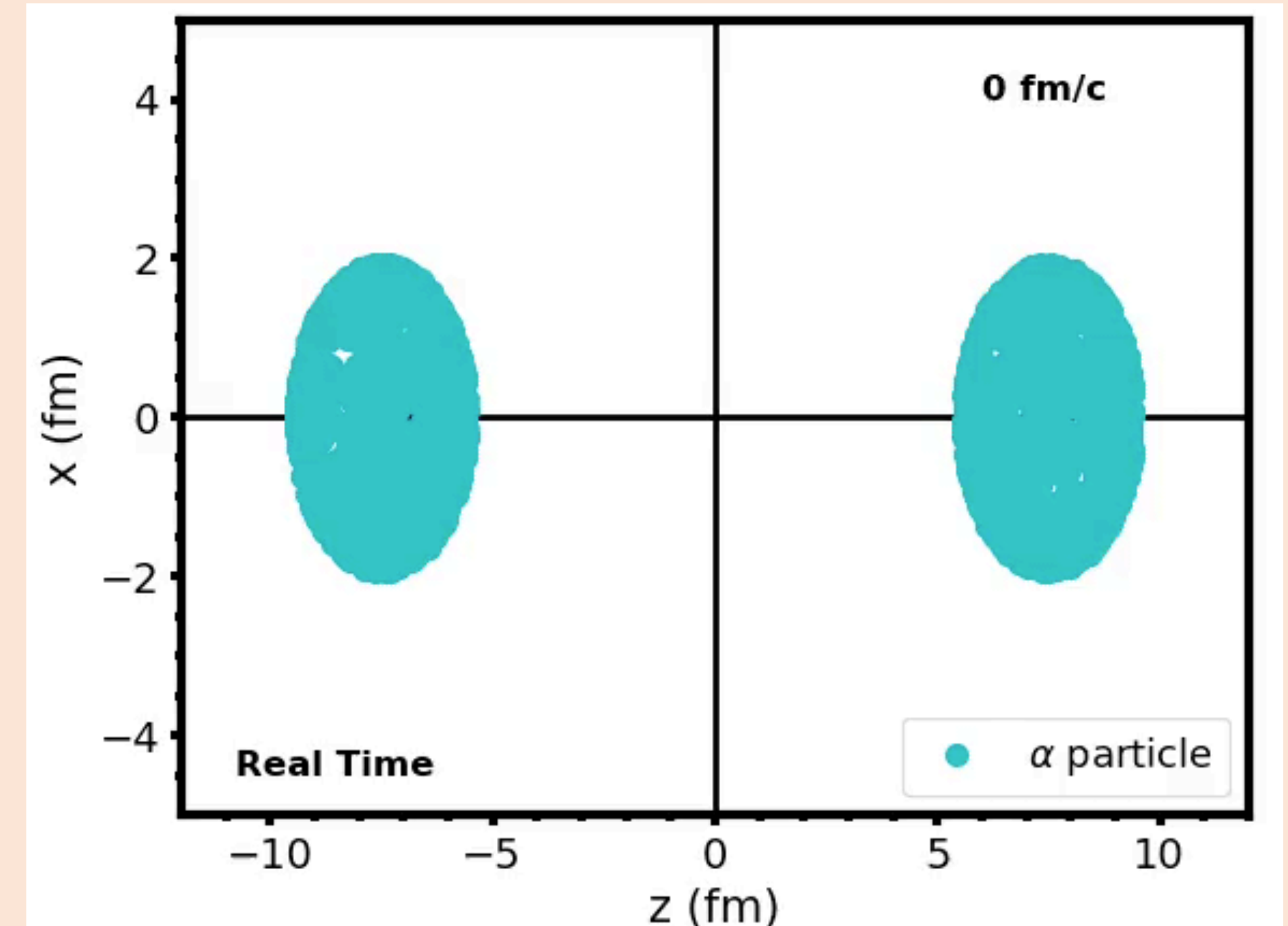
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# Compound Nucleus Model

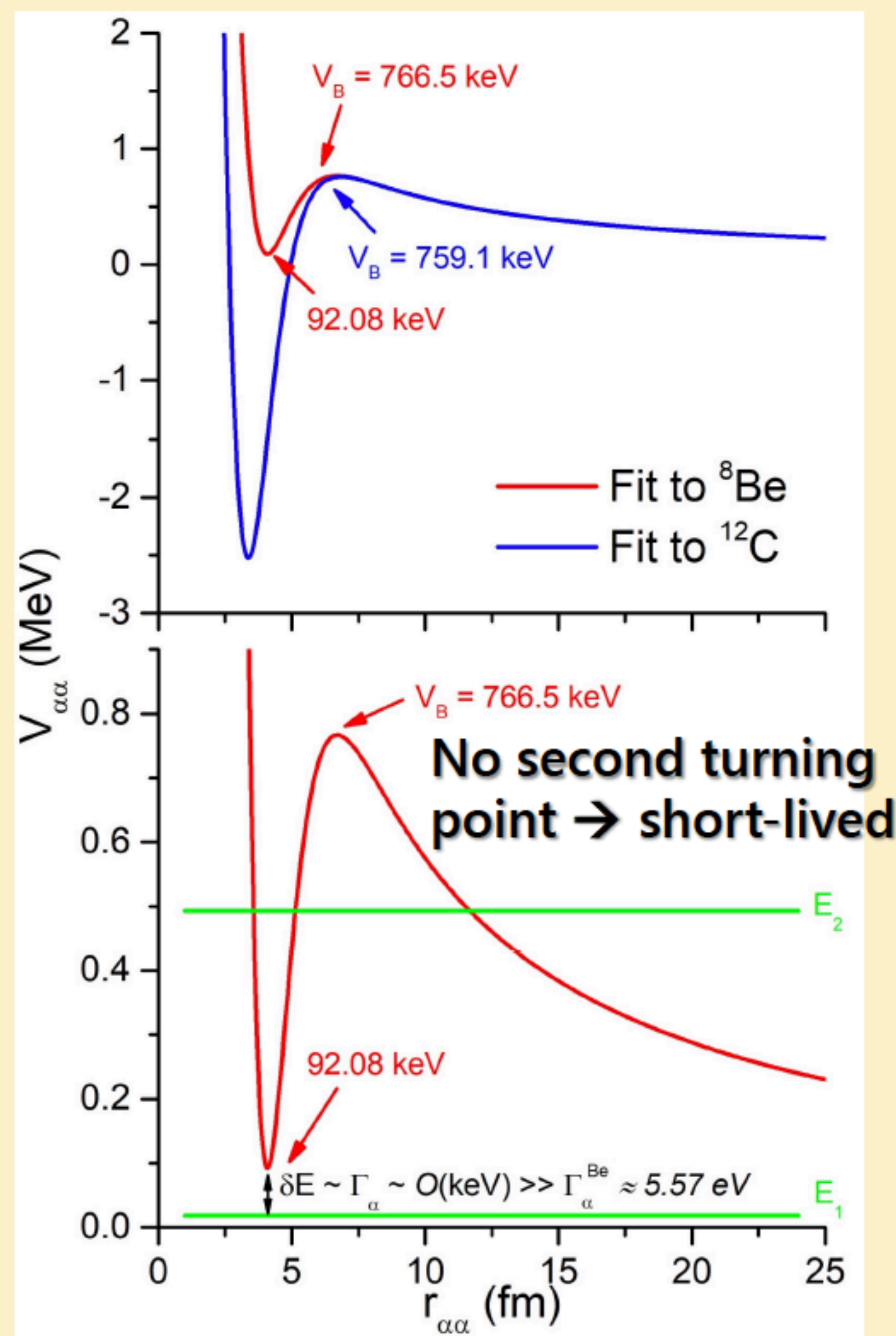
Two step Channel (Normalization of direct calculations)

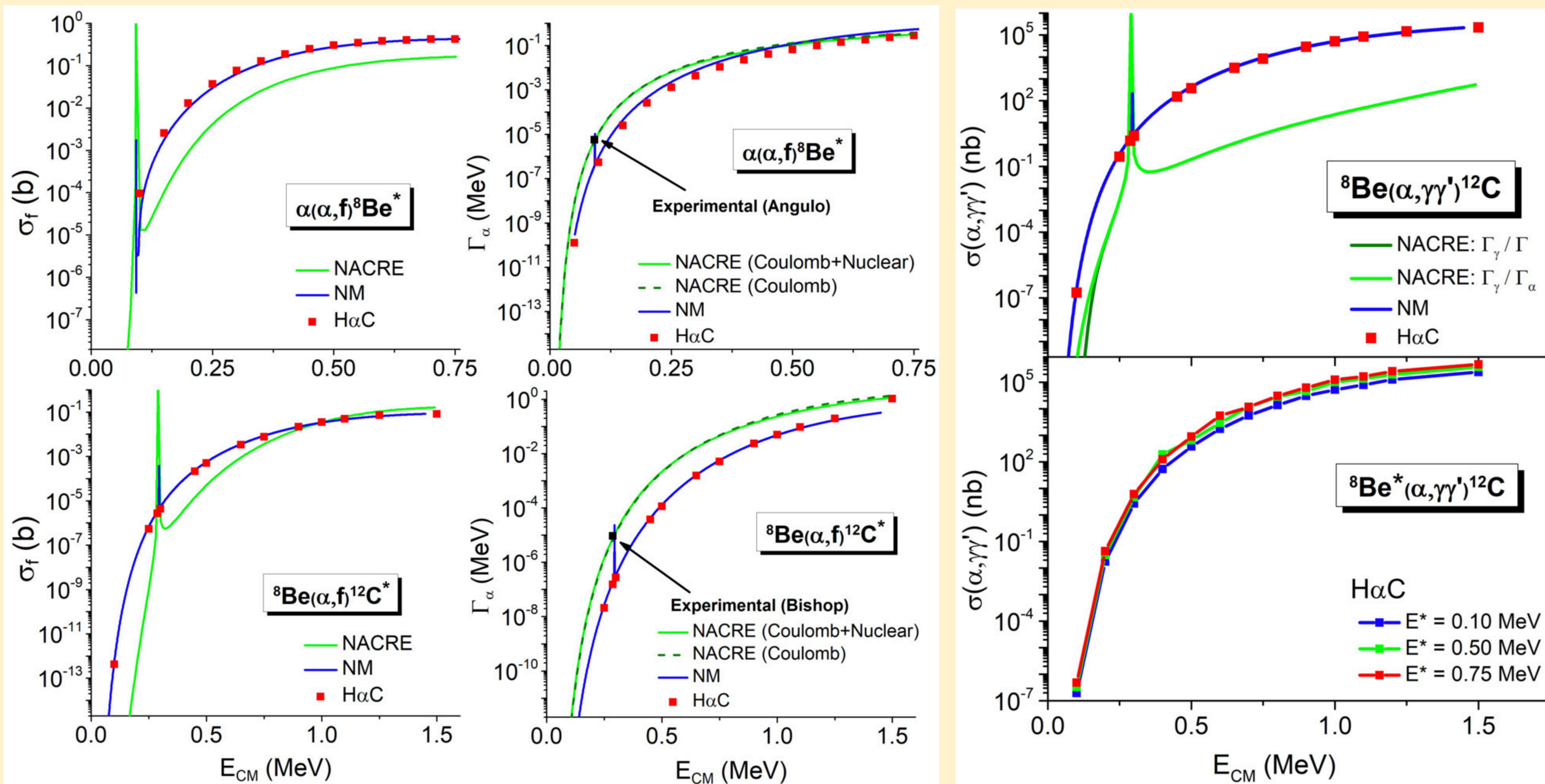
1.  $\alpha + \alpha \rightarrow {}^8\text{Be}^*$
2.  ${}^8\text{Be}^* + \alpha \rightarrow {}^{12}\text{C}^* \rightarrow {}^{12}\text{C} + 2\gamma$  (~3%)

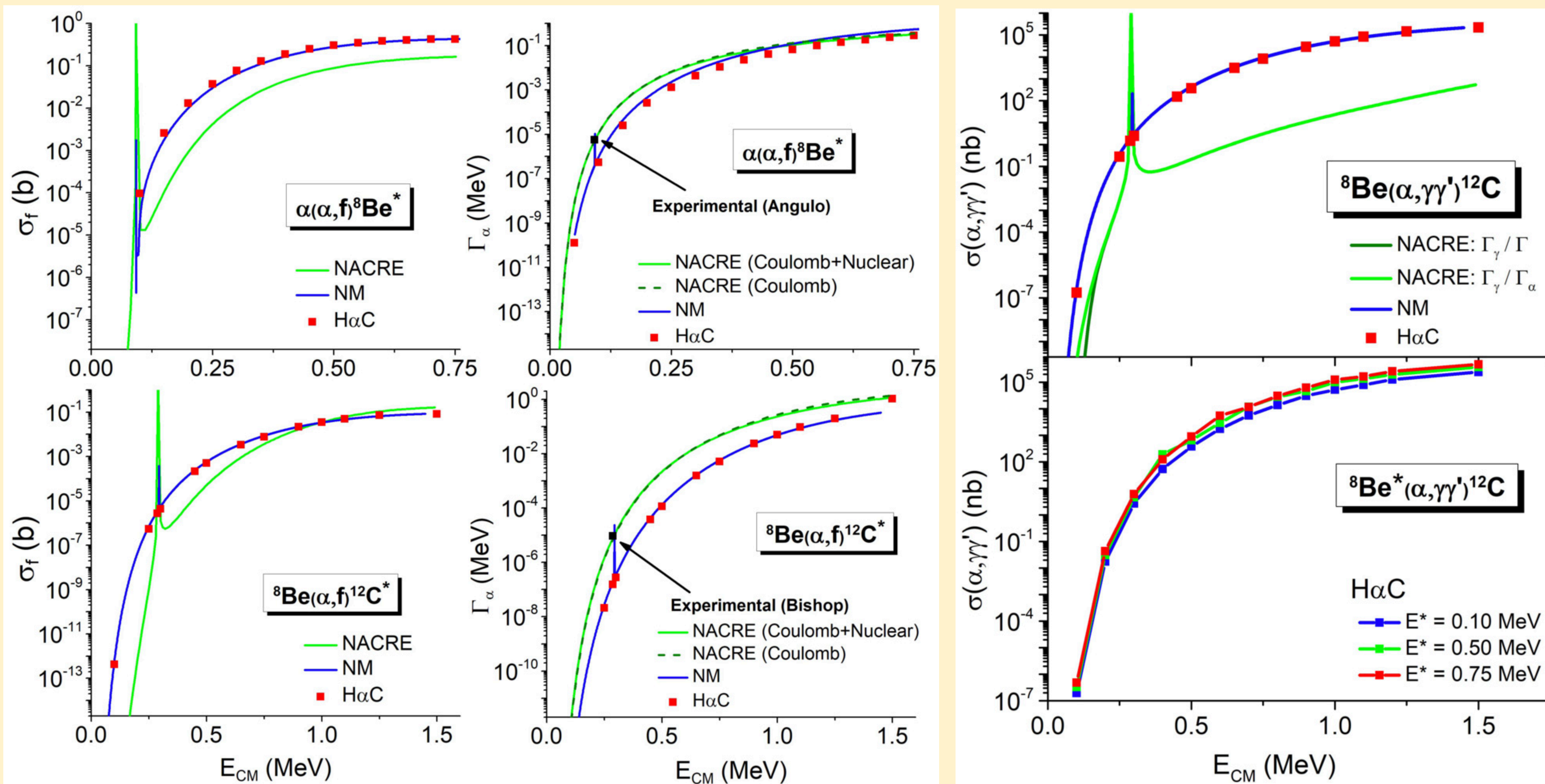
Discrepancies in reaction rates:  $\sim 10^{30}$

Our Model	NACRE Formalism
$\sigma = \sigma_f \frac{\Gamma_\gamma}{\Gamma}$	$\sigma \approx \sigma_f \frac{\Gamma_\gamma}{\Gamma_\alpha}$
$\Gamma_\alpha = \hbar \frac{T_l}{\tau}$	$\Gamma_\alpha = \Gamma_\alpha^{(0)} \frac{T_l}{T_l^{(0)}}$
$\Gamma_\gamma = \Gamma_\gamma^{(0)} \left( \frac{E_\gamma}{E_\gamma^{(0)}} \right)^{2L+1} \frac{\Gamma_\alpha(E_{CM})}{\Gamma_\alpha^{(0)}}$	$\Gamma_\gamma = \Gamma_\gamma^{(0)} \left( \frac{E_\gamma}{E_\gamma^{(0)}} \right)^{2L+1}$

Assumption:  $\gamma$ -Matrix element  $\sim \alpha$ -Matrix Element  $\cdot$  Density  $\sim \Gamma_\alpha$









# Stellar Reaction Rates

T. Depastas, S.T. Sun, H.B. He, H. Zheng and A. Bonasera , *EPJ Web of Conferences* **304**, 02004 (2024); C. Angulo et. al, *Nuc Phys A* **656**, 3–183 (1999); T. Suda, R. Hirschi, M. Fujimoto, *The Astrophysical Journal* **741**, 61 (2011).

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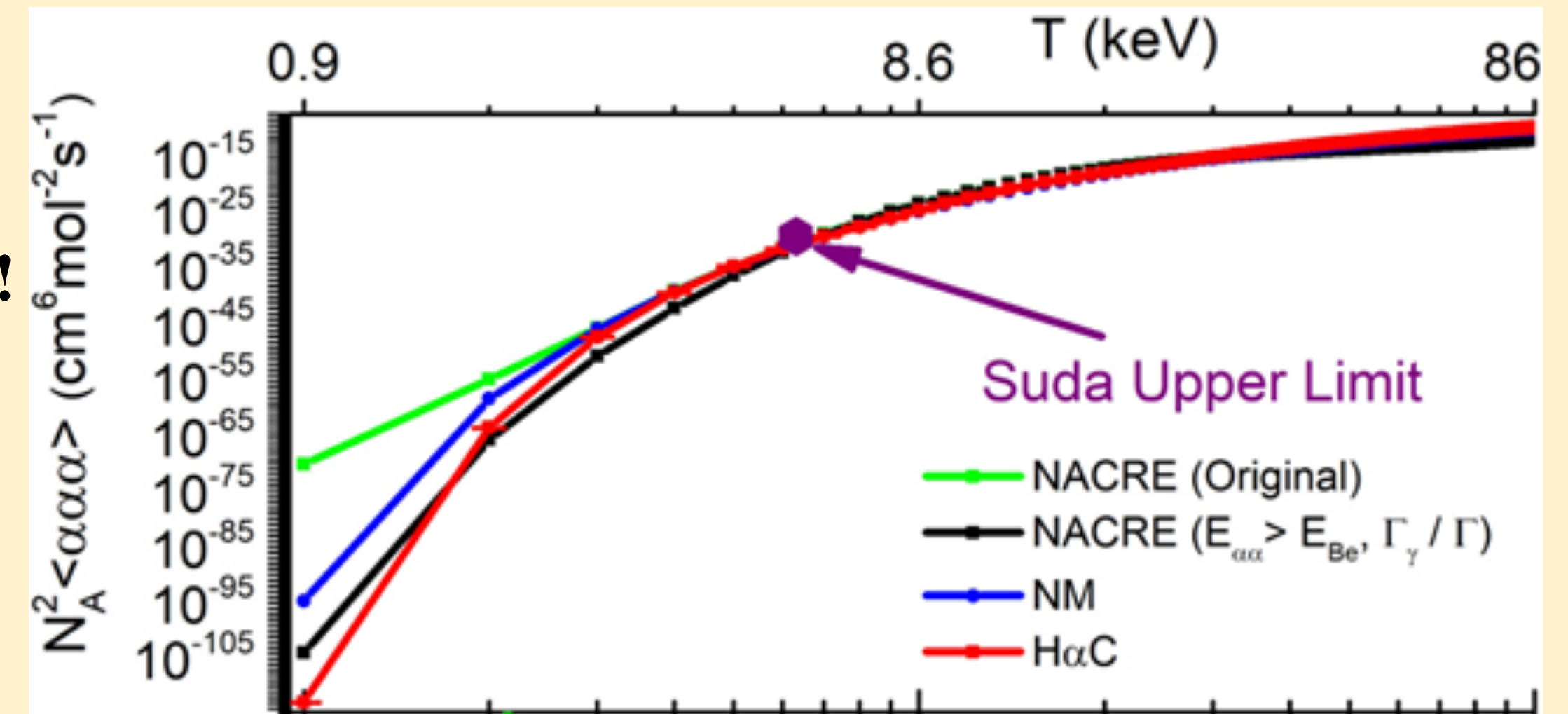
Total reaction rate  $\rightarrow$  integration from  $E_{Be} = -Q = 92.08$  keV

NACRE  $\rightarrow$  integration from 0  $\rightarrow$   $\times 10^{20-30}$  higher rates @  $10^7$  K !

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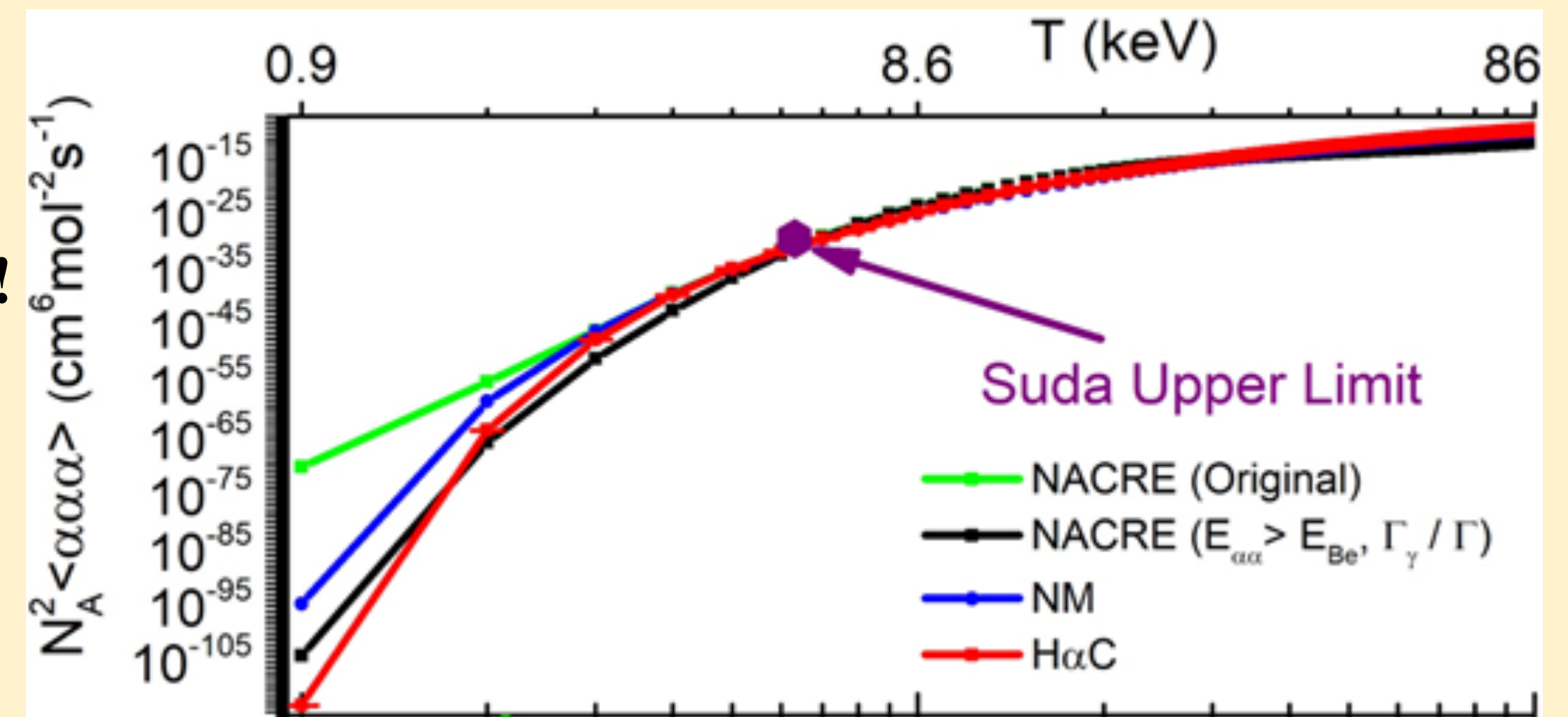
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Astrophysical limits (Suda) :

- Max rate in FGB stars  $\rightarrow$  observed luminosity
- Min Temperature dependence  $\rightarrow$  He-flashes in AGB stars



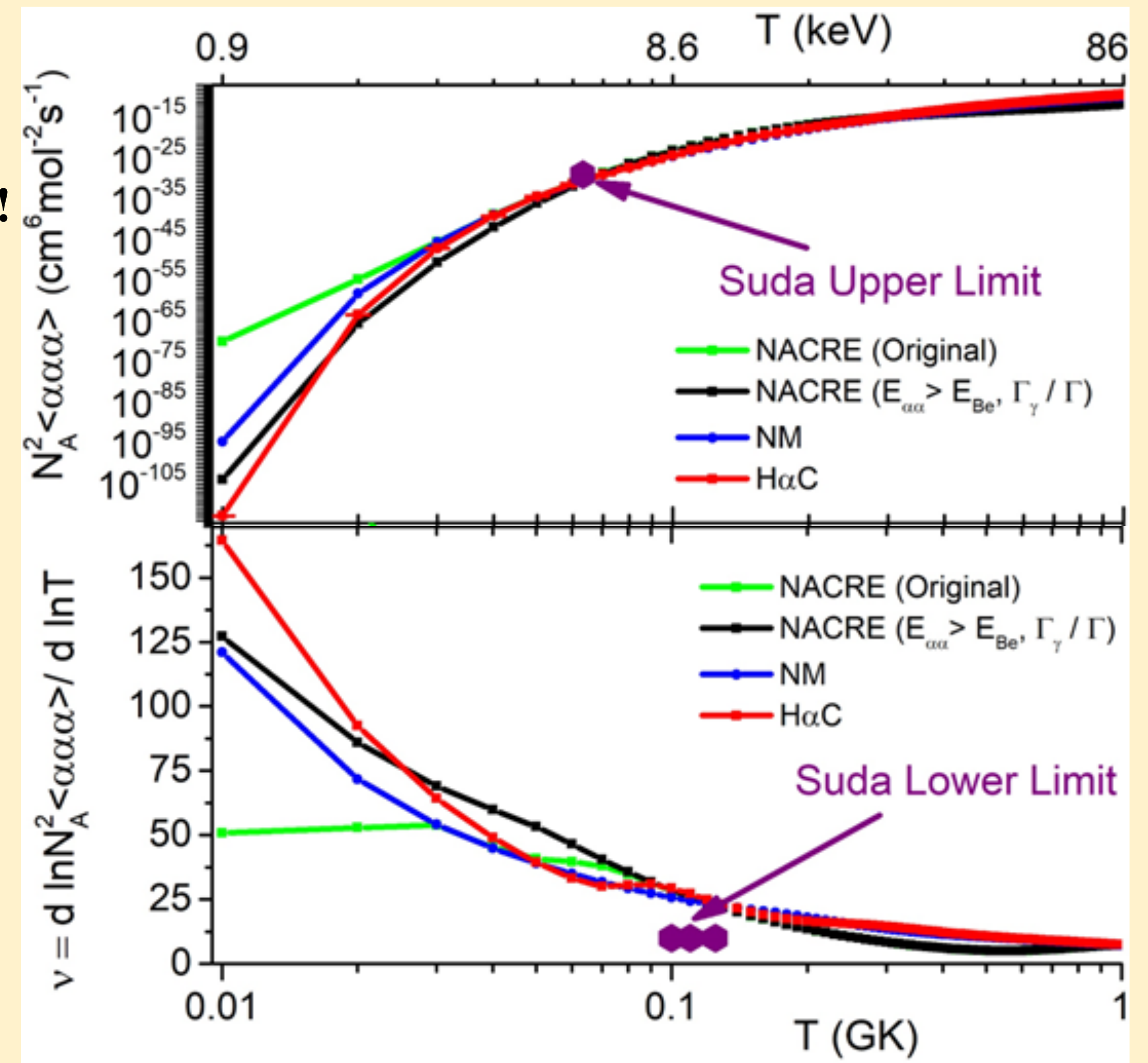
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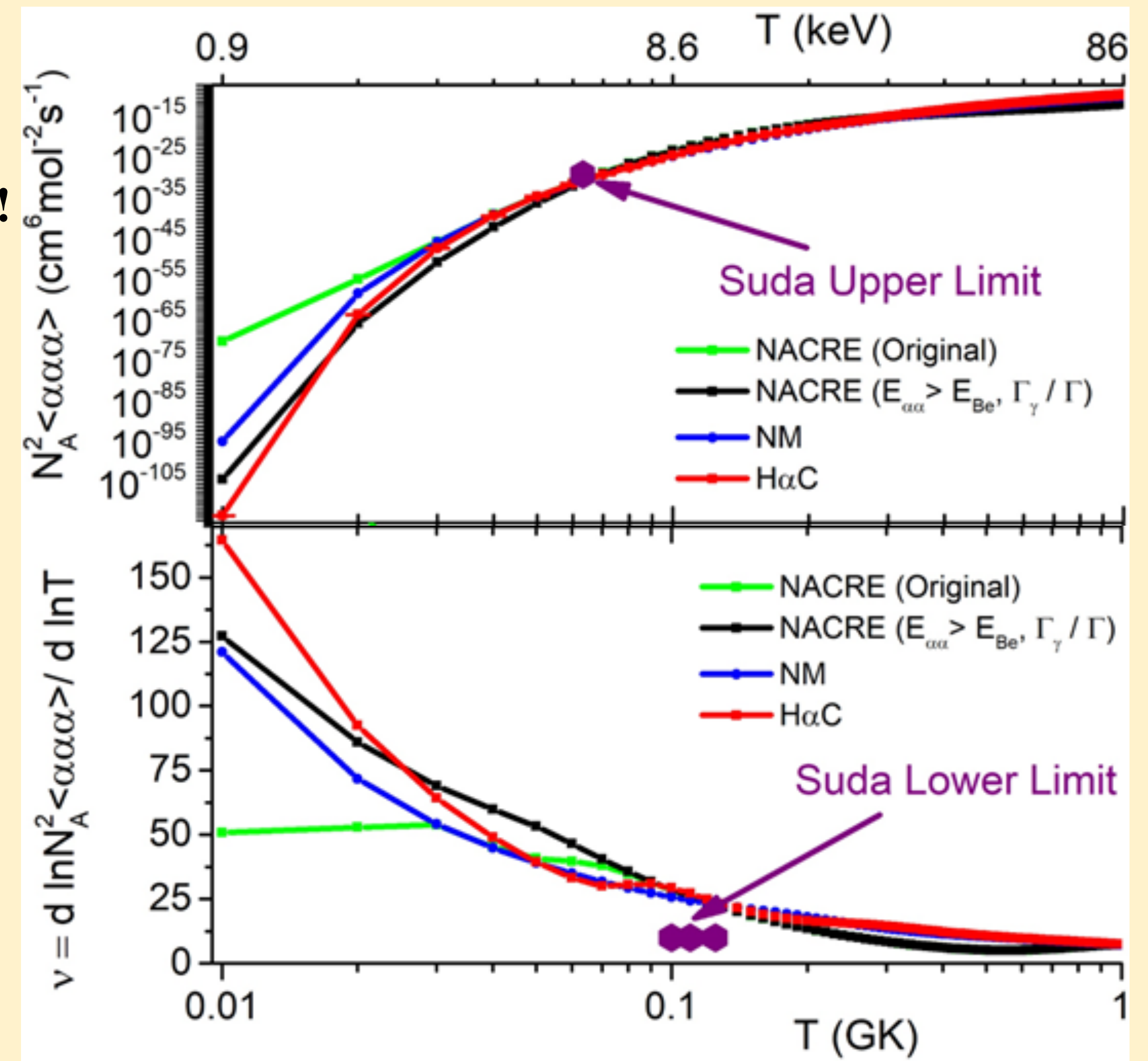
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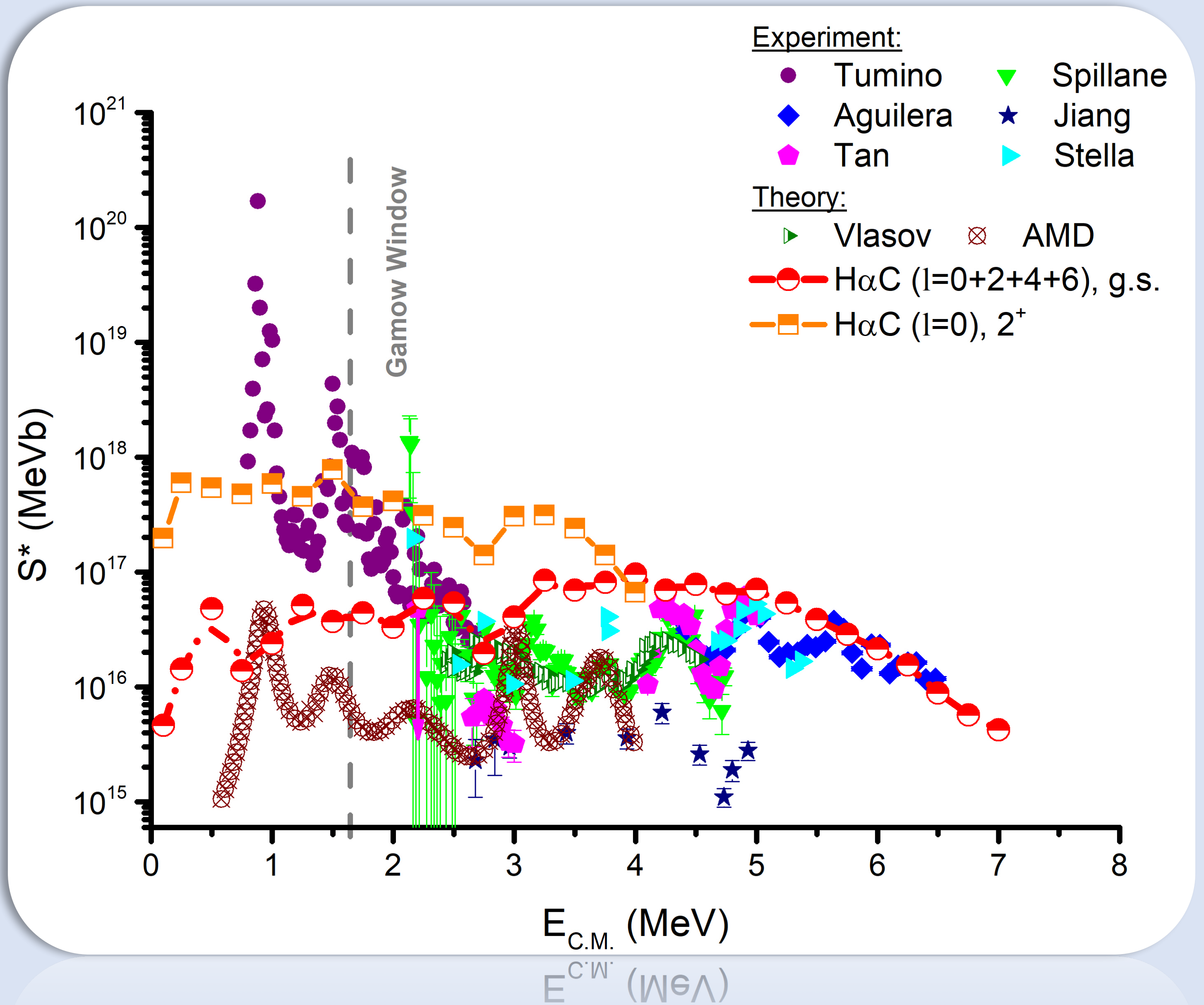
Stringer Constraints (Nuclear) are required !  
Possible THM experiment



# Astrophysical $S^*$ -Factors

A. Bonasera, V. Kondratyev, *Phys. Lett. B* **339** (3) (1994) 207–210; A. Bonasera, J. B. Natowitz, *Phys. Rev. C* **102**, 061602 (2020);  
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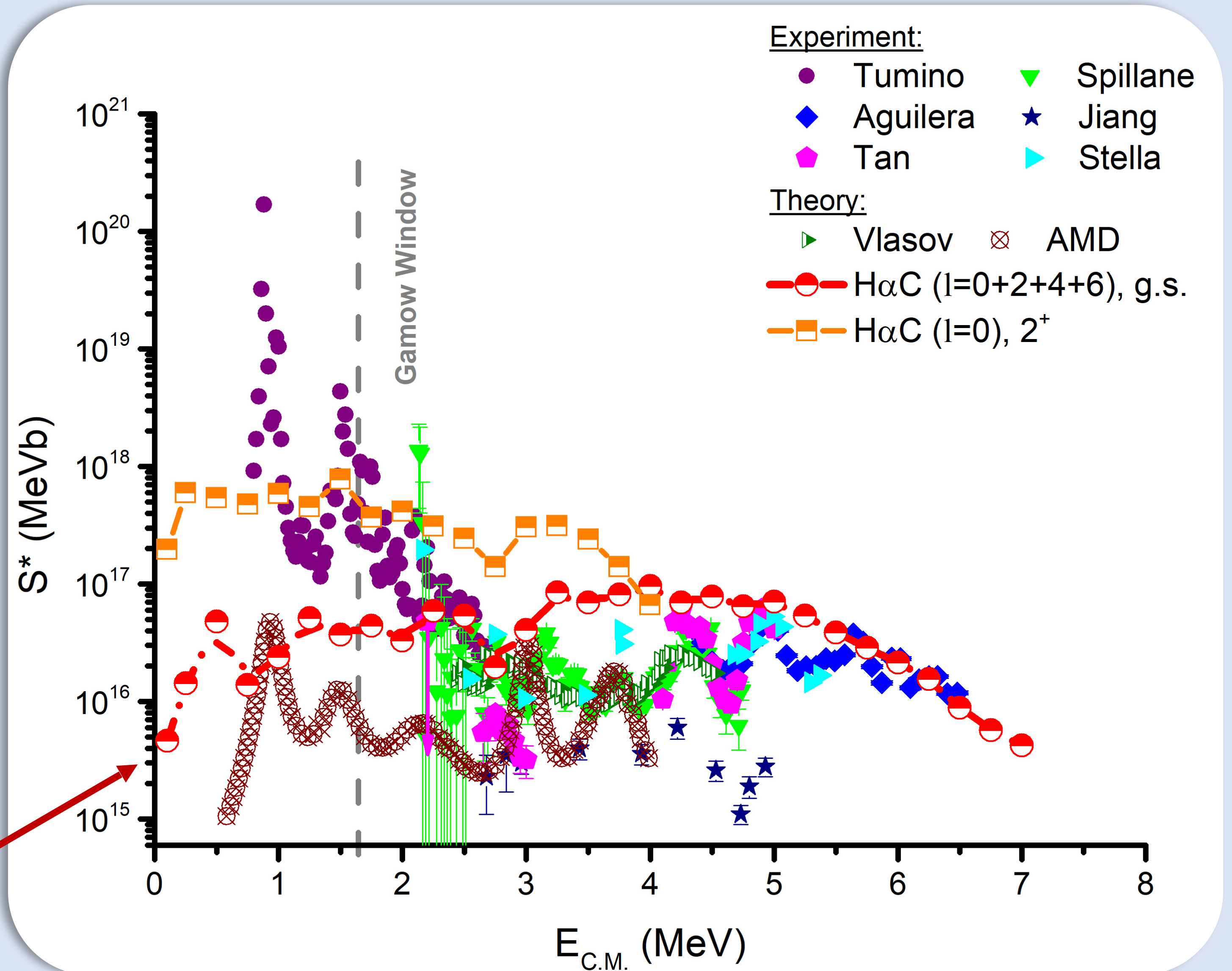


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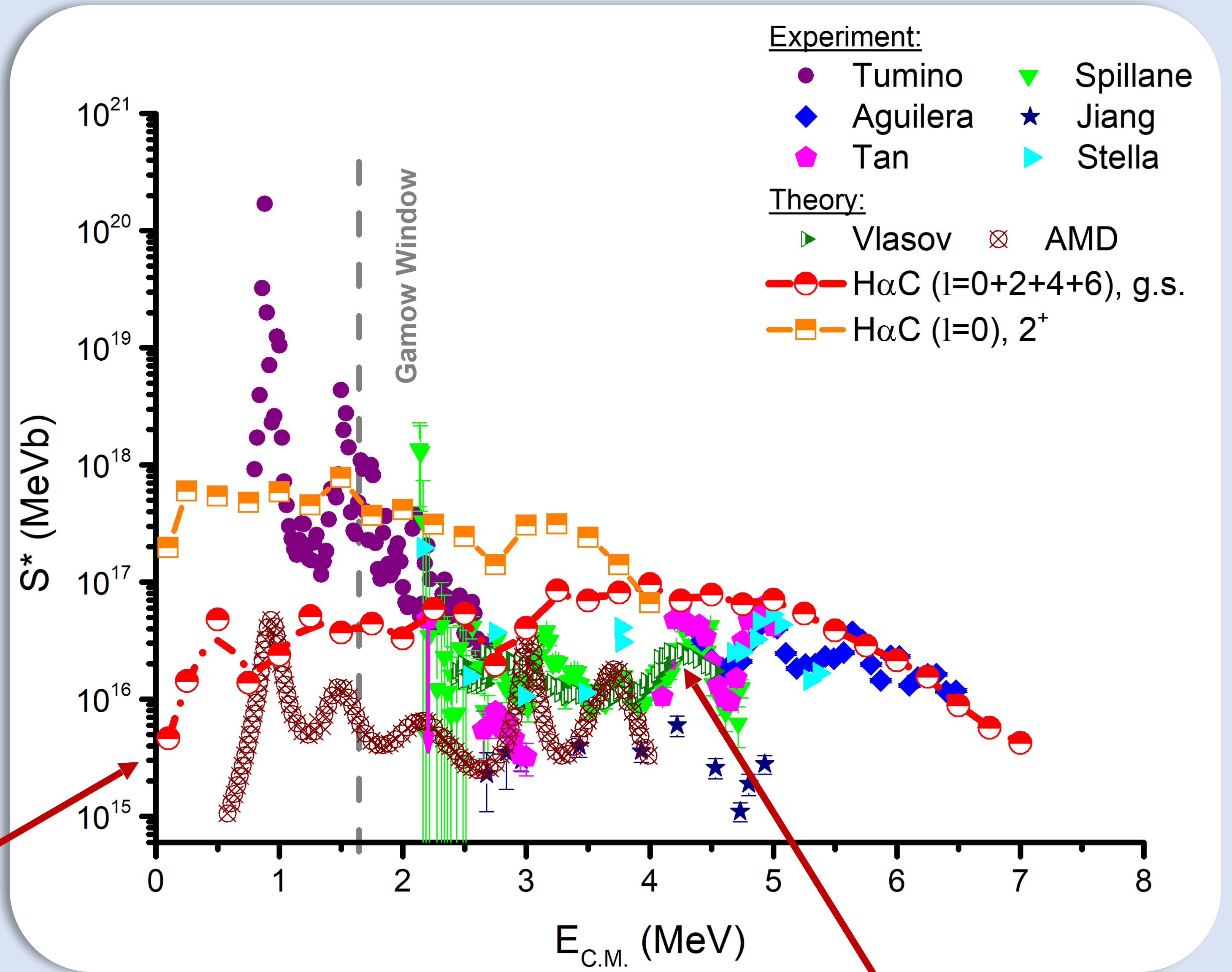
- $S^*$  smooth function  $\sim 10^{15} - 10^{17}$  MeVb



H $\alpha$ C model (ground state fusion)

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- Confirm Neck Model, Vlasov + Experimental (high energy)



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Vlasov Calculations

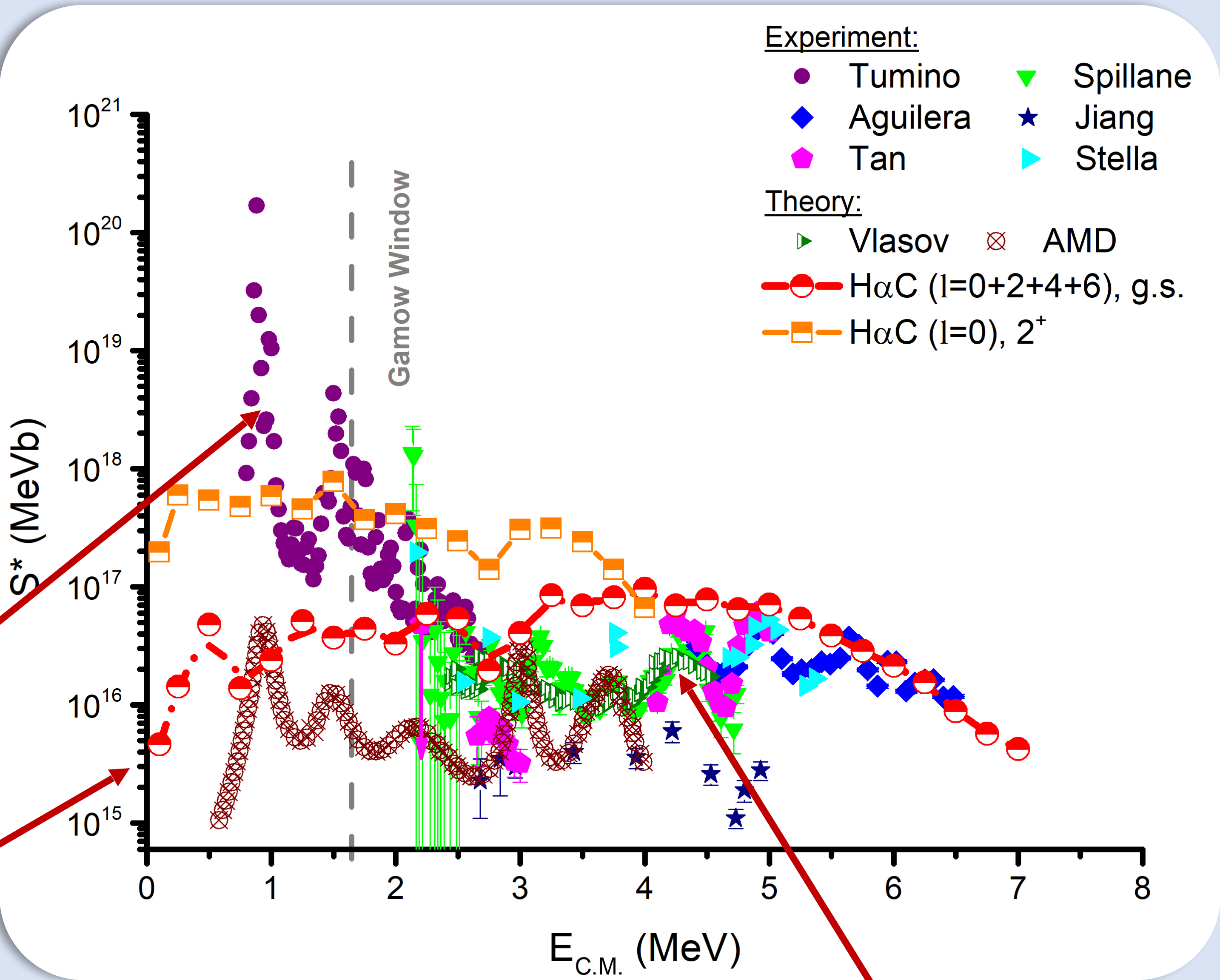
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Trojan Horse Method  
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HaC model (ground state  
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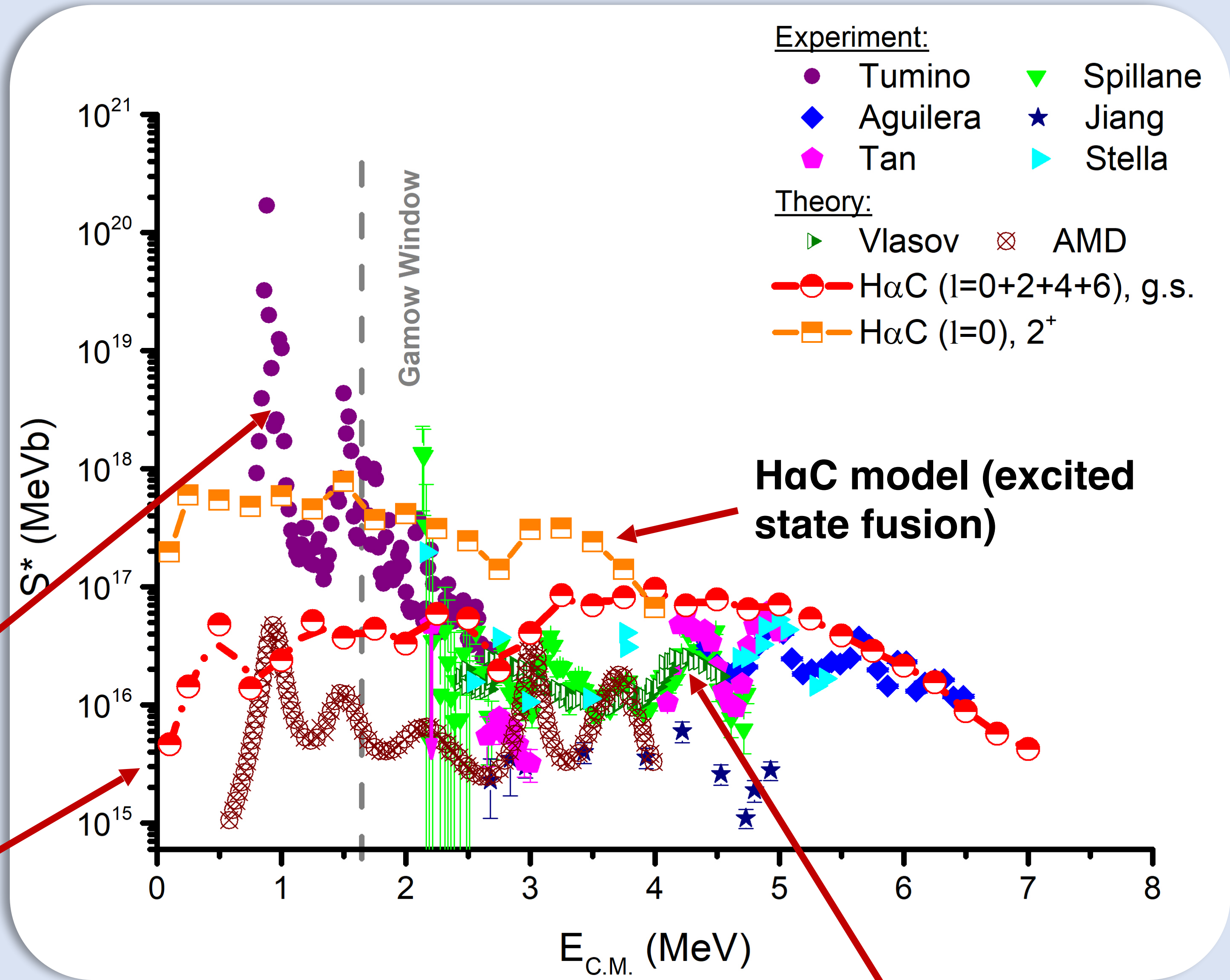
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- Fusion with  $2^+$  excited state  $\rightarrow$  Possible THM study

Trojan Horse Method (Tumino)

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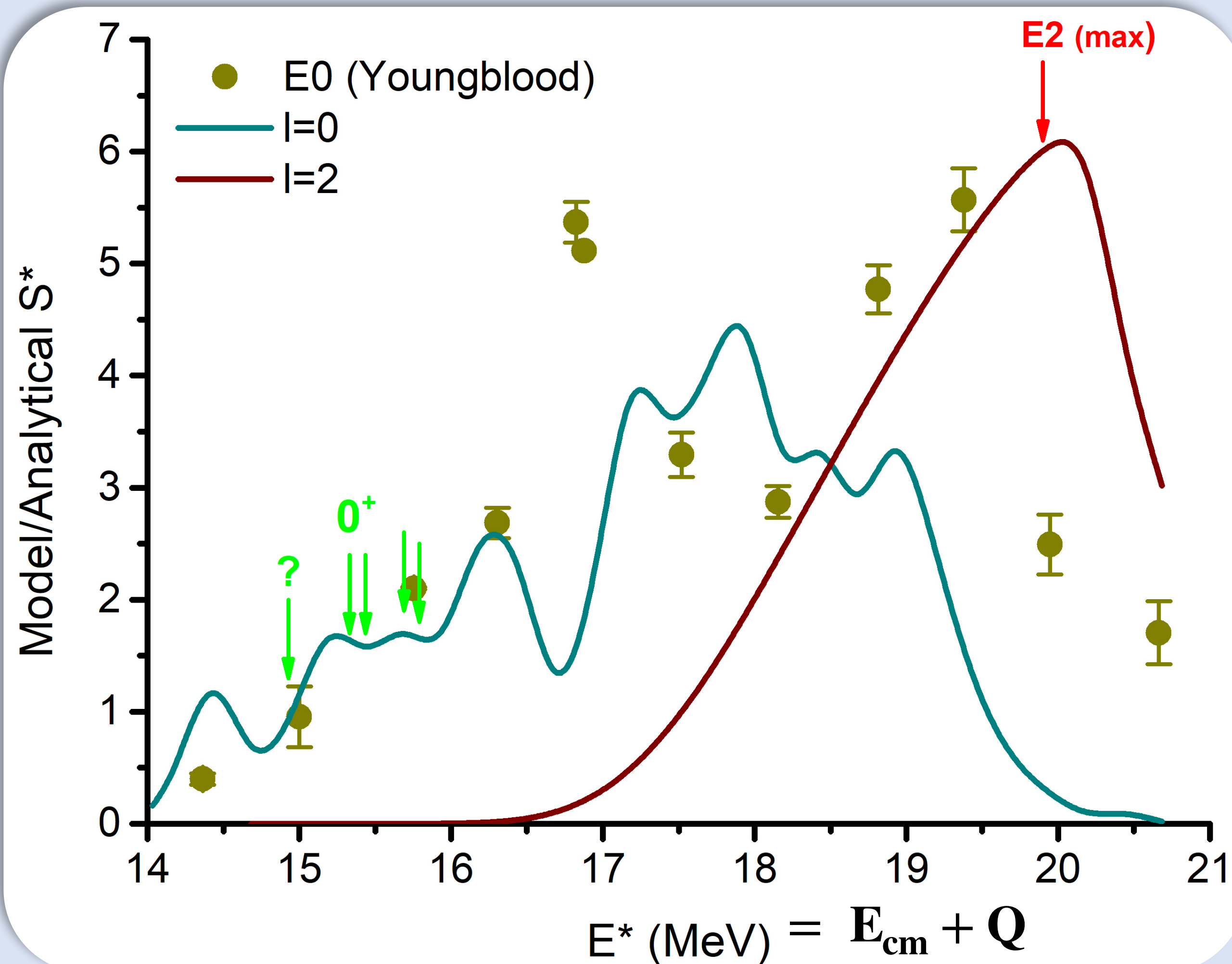
$E_{C.M.}$  (MeV)  
 $E_{C.W.}$  (MeV)  
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# Sub-barrier Resonant Structures

D. Youngblood, Y. L. *et al*, *Phys. Rev. C* **80** (2009) 064318; T. Depastas, S.T. Sun, H. Zheng and A. Bonasera, *Phys Rev C* **108**, 035806 (2023) .

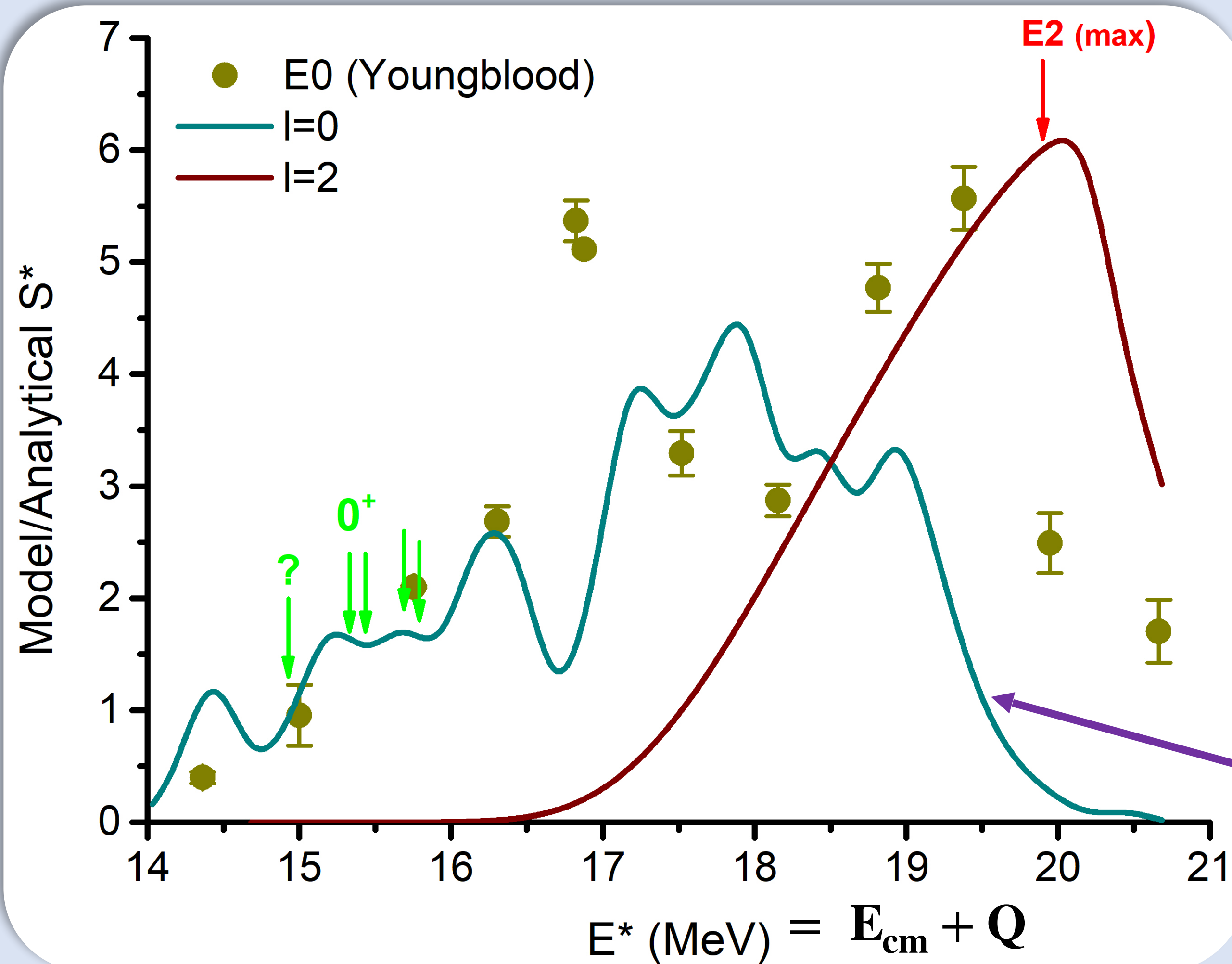
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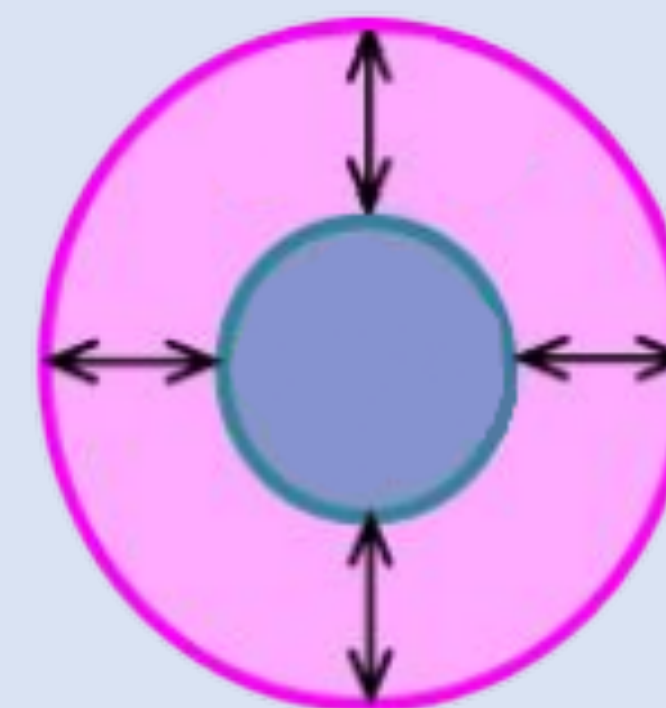
- Oscillations of the  $S^*$  factor  $\rightarrow$  collective resonances
- Similar low energy monopole & quadruple spectra
- IMT study  $\rightarrow$  Probe for sub-barrier dynamics

$E_*$  (MeV)

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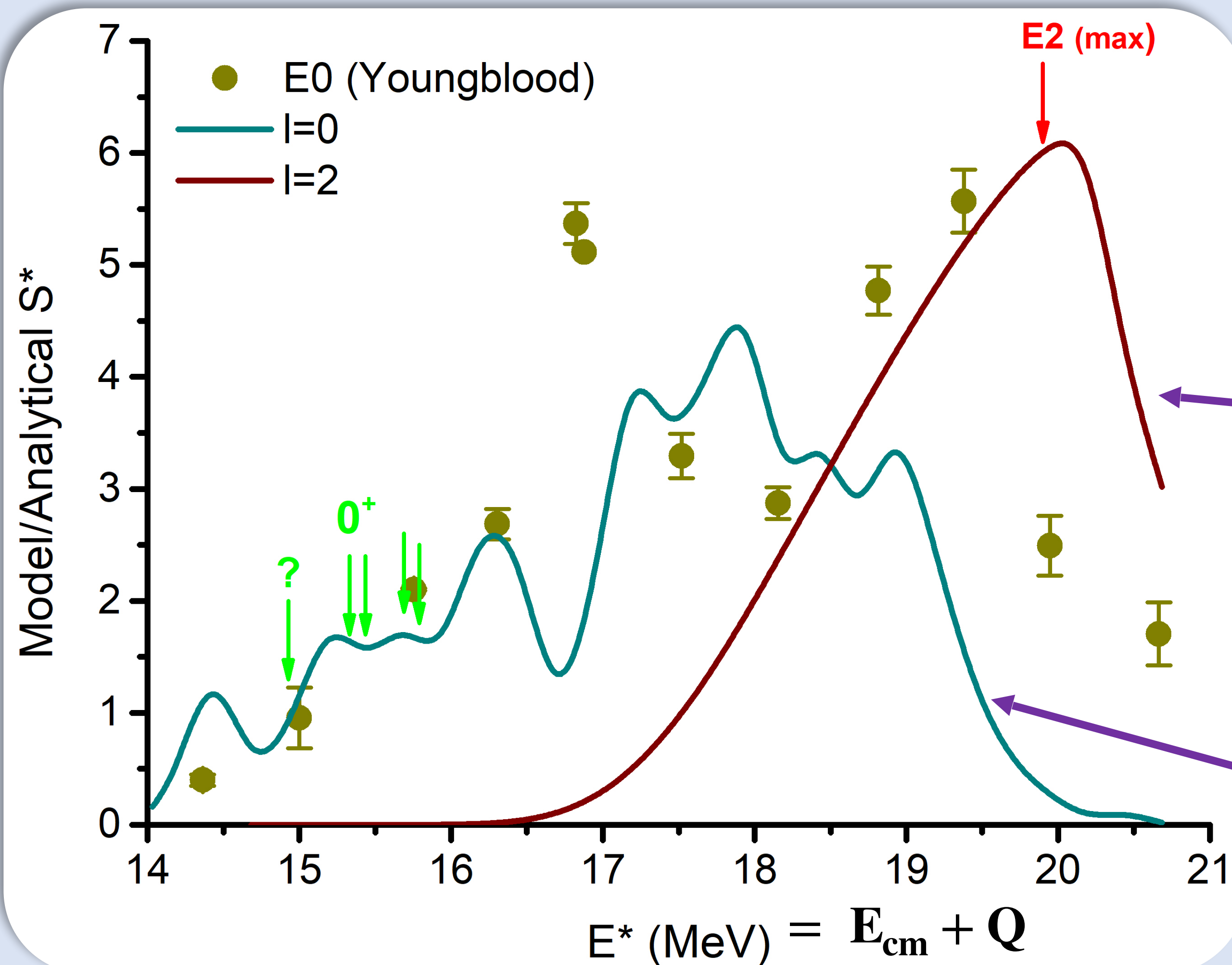


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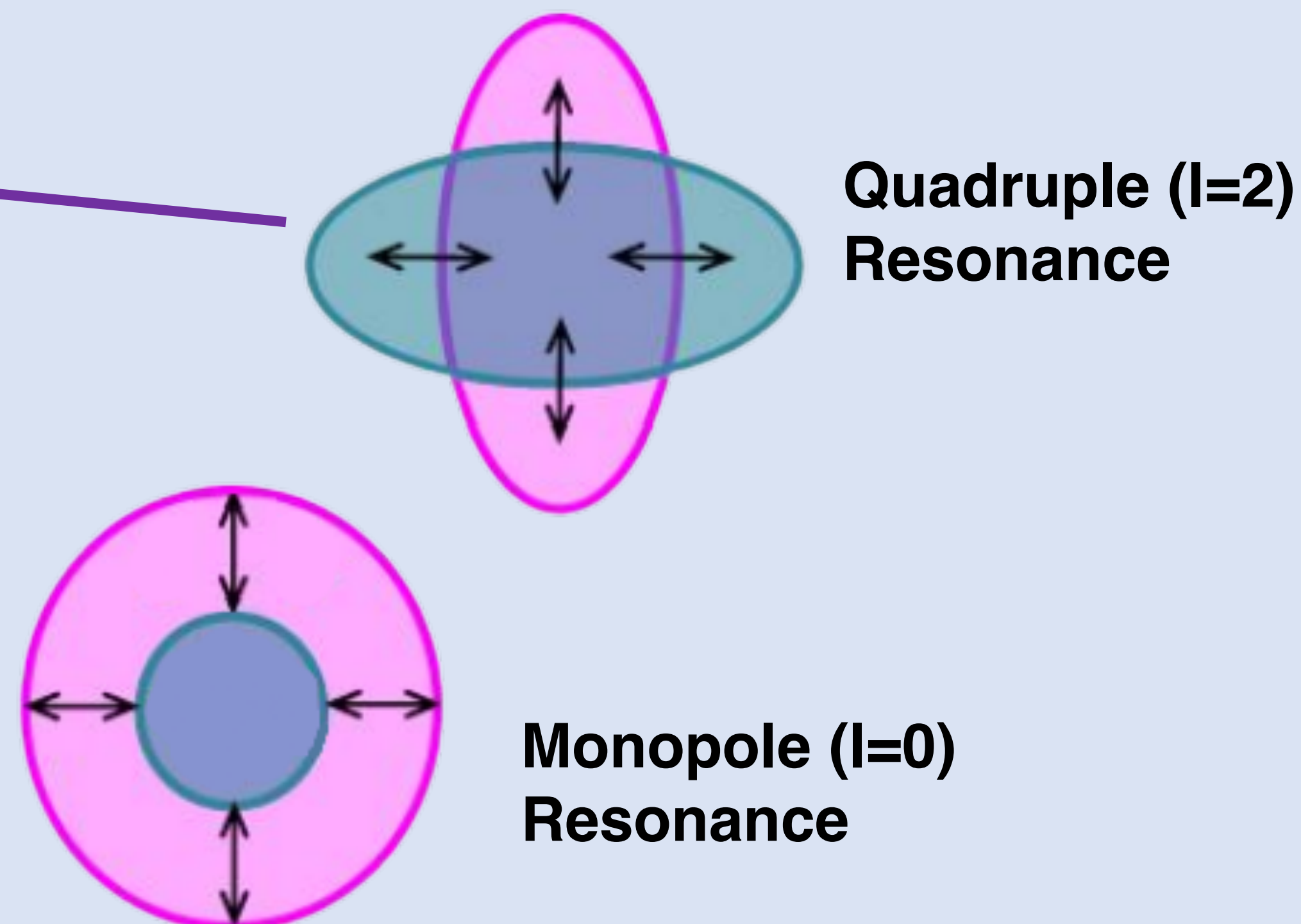


Monopole ( $l=0$ ) Resonance

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The probability of fusion for the  $l$  th-partial wave is given by

## Neck model in imaginary times

PHYSICAL REVIEW C **102**, 061602(R) (2020)

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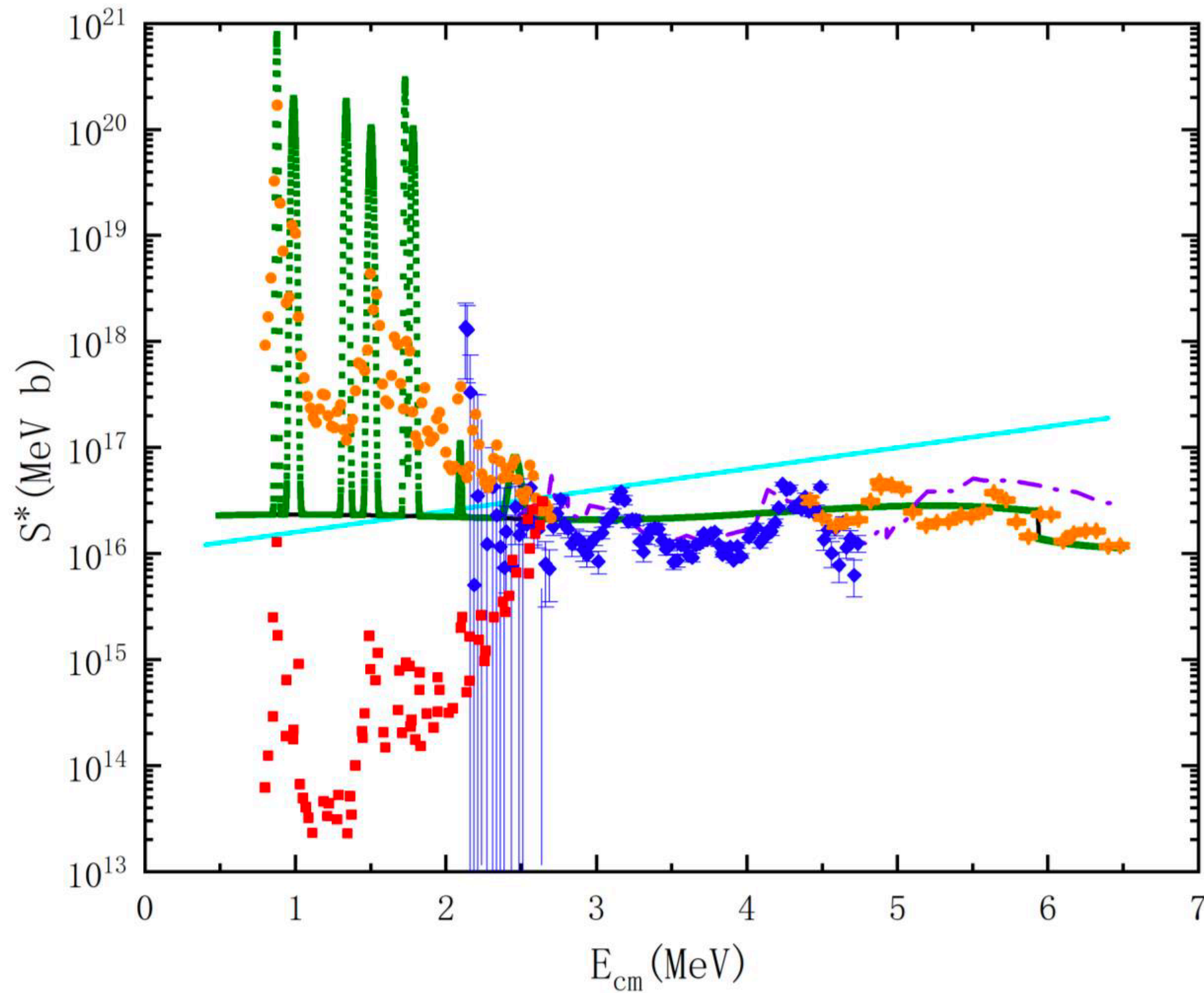
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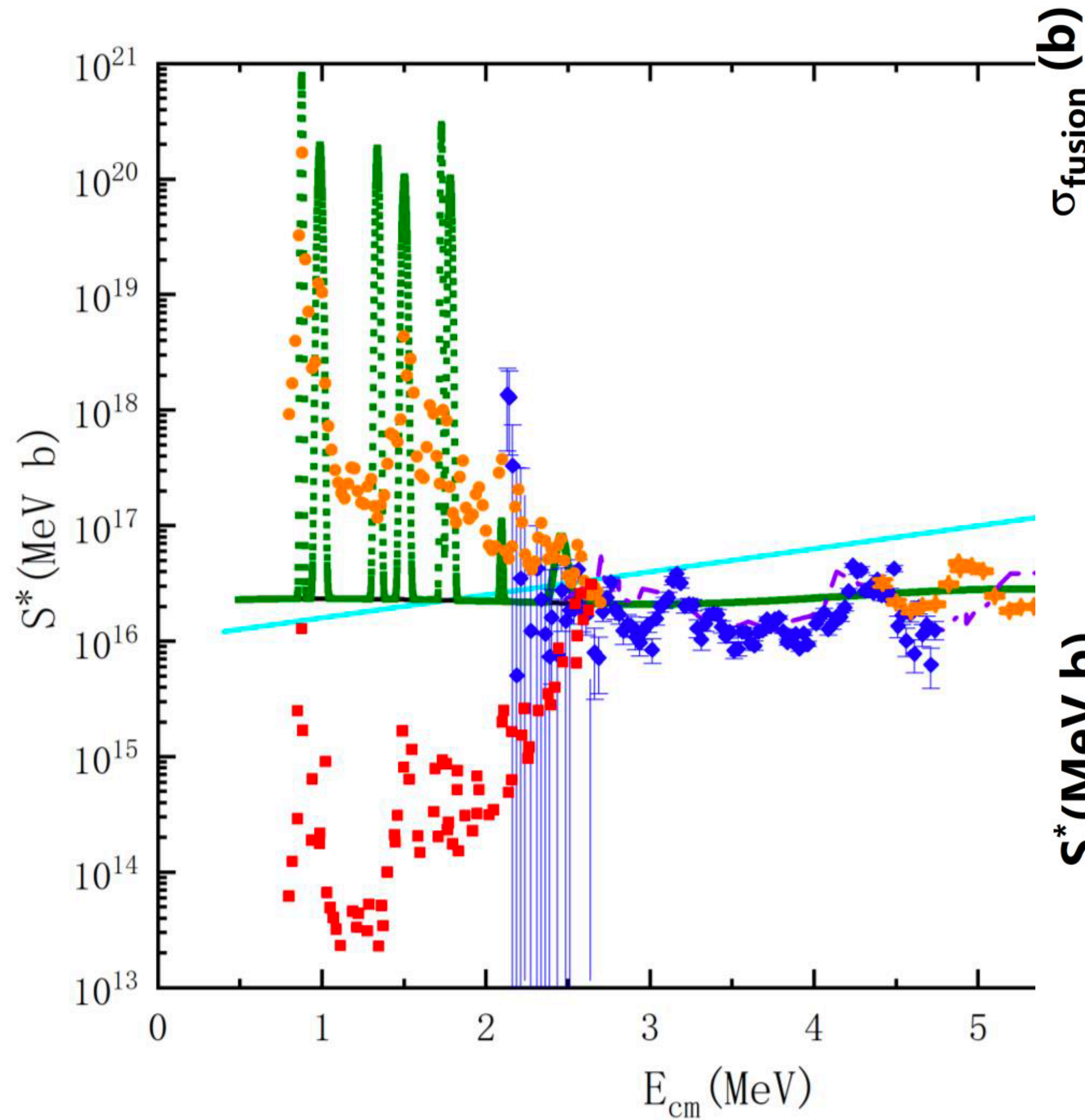


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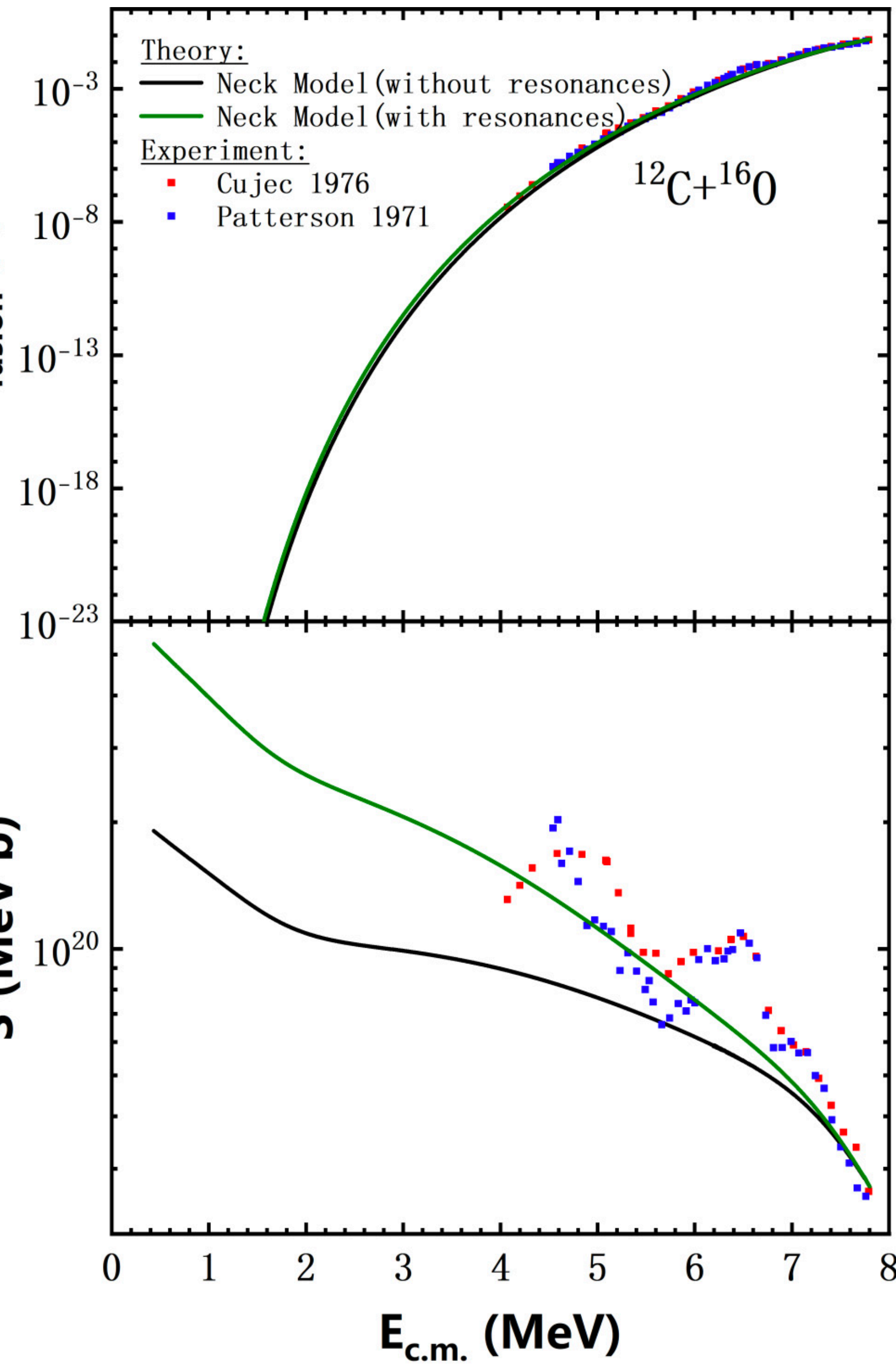
# Neck model in imaginary times

The probability of fusion for the  $l$  th-particle



$\sigma_{\text{fusion}}(b)$

$S^*(\text{MeV b})$



) (2020)

$$2A\}), A = \int_1^2 P dR.$$

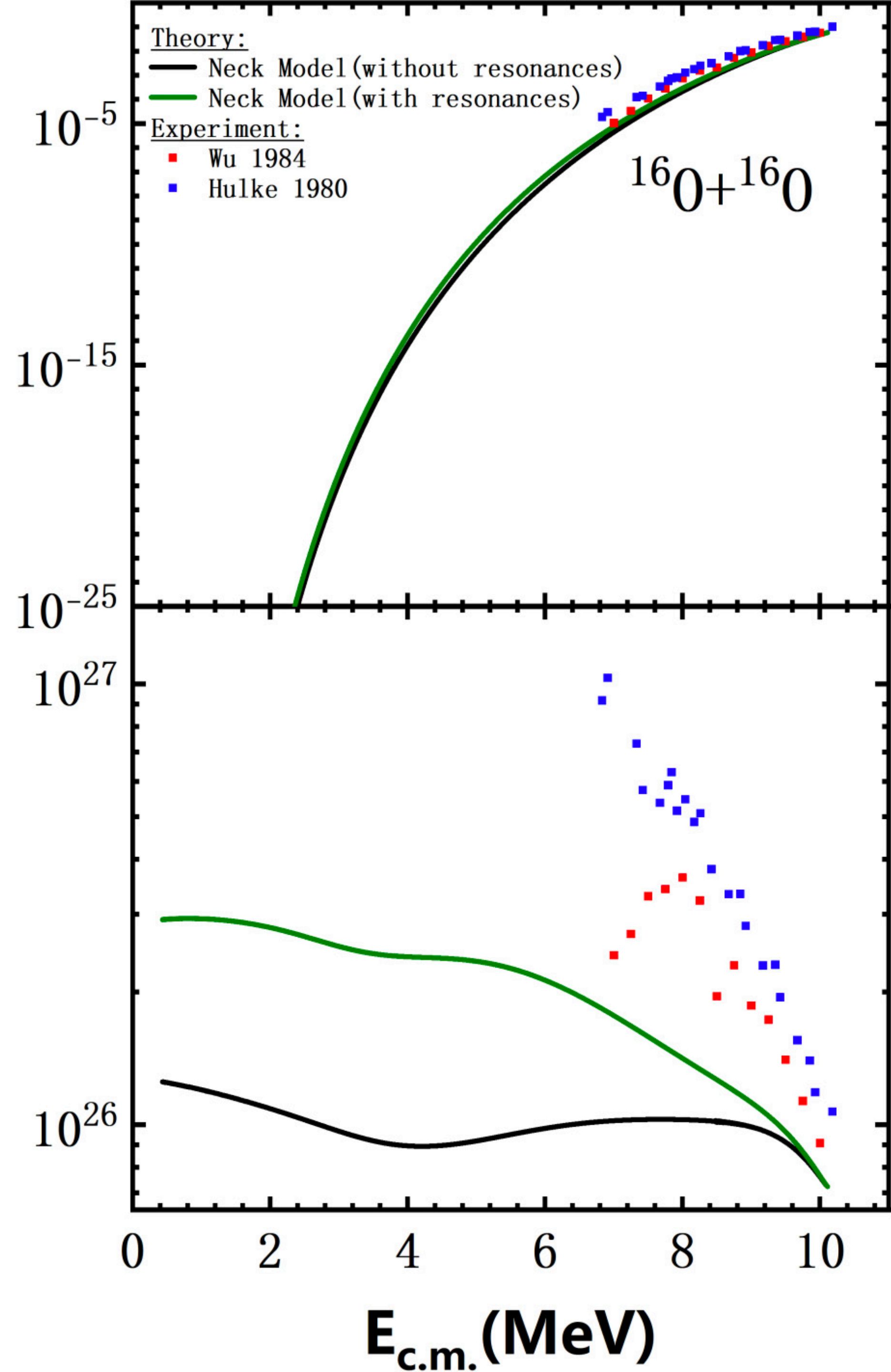
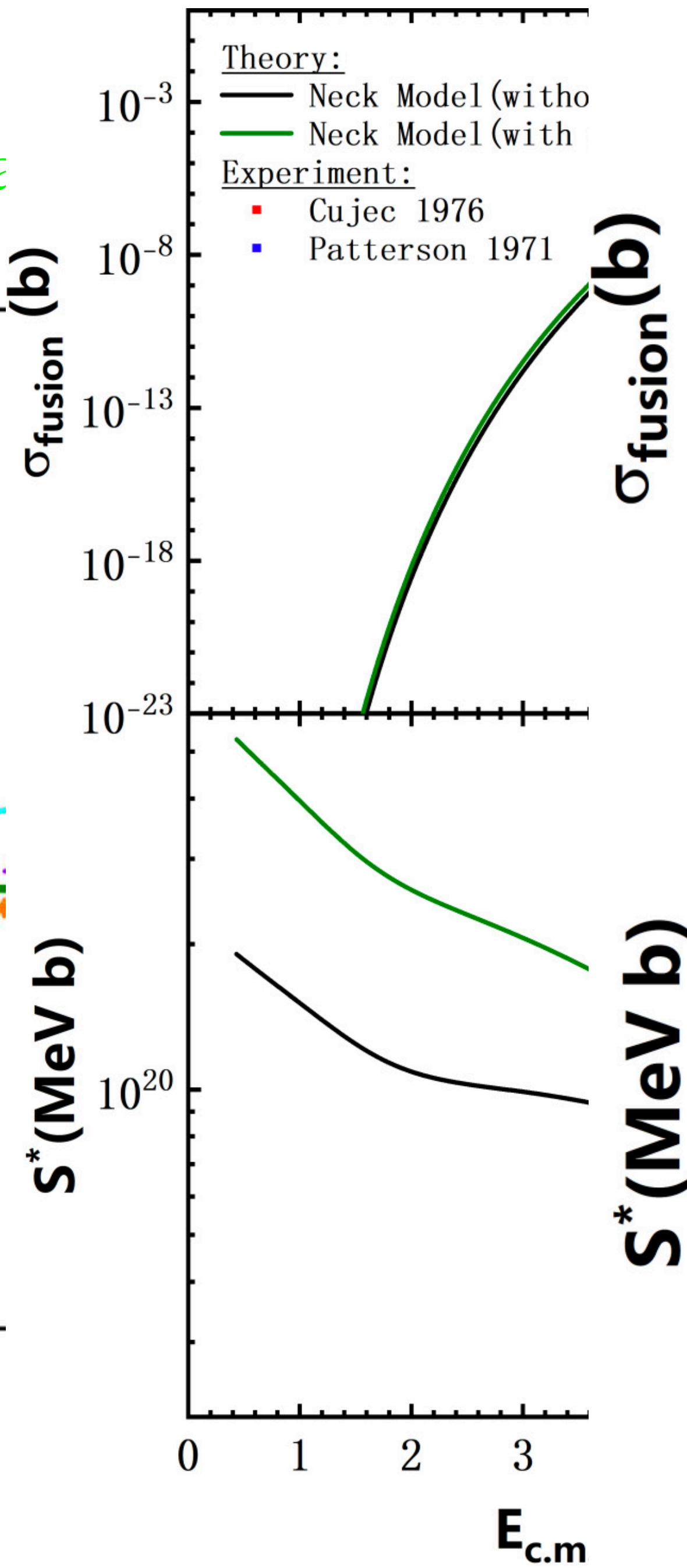
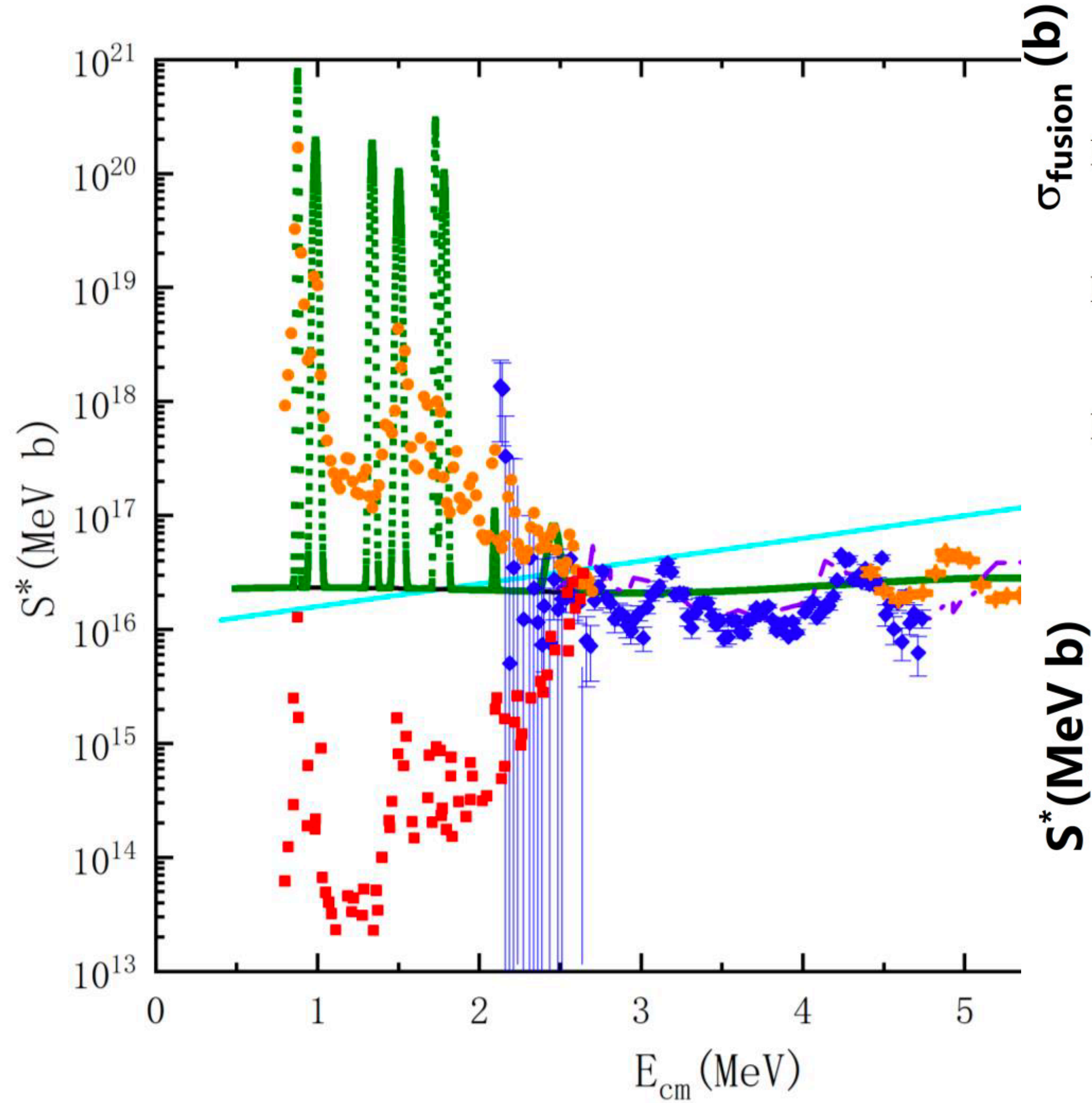
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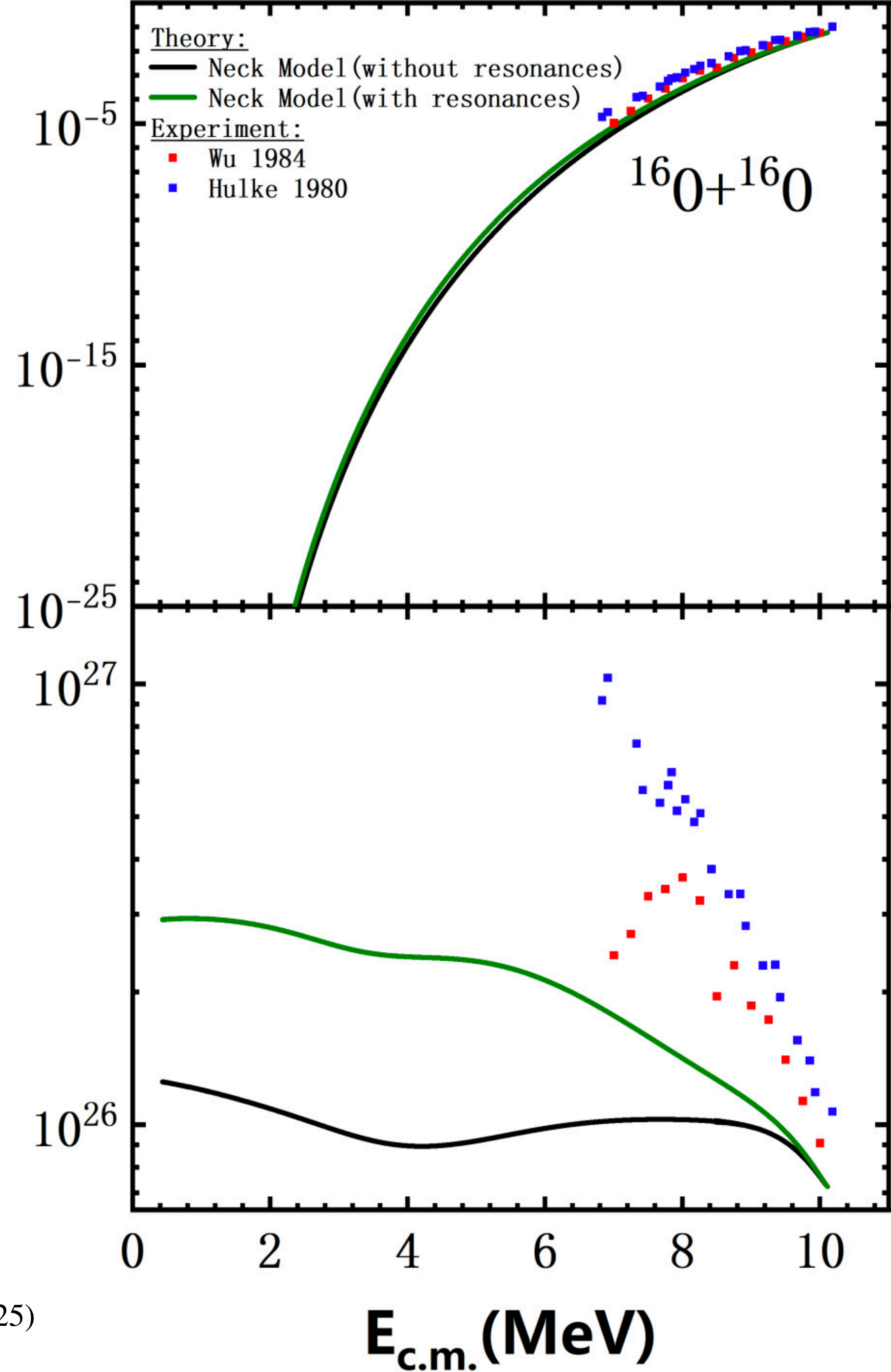
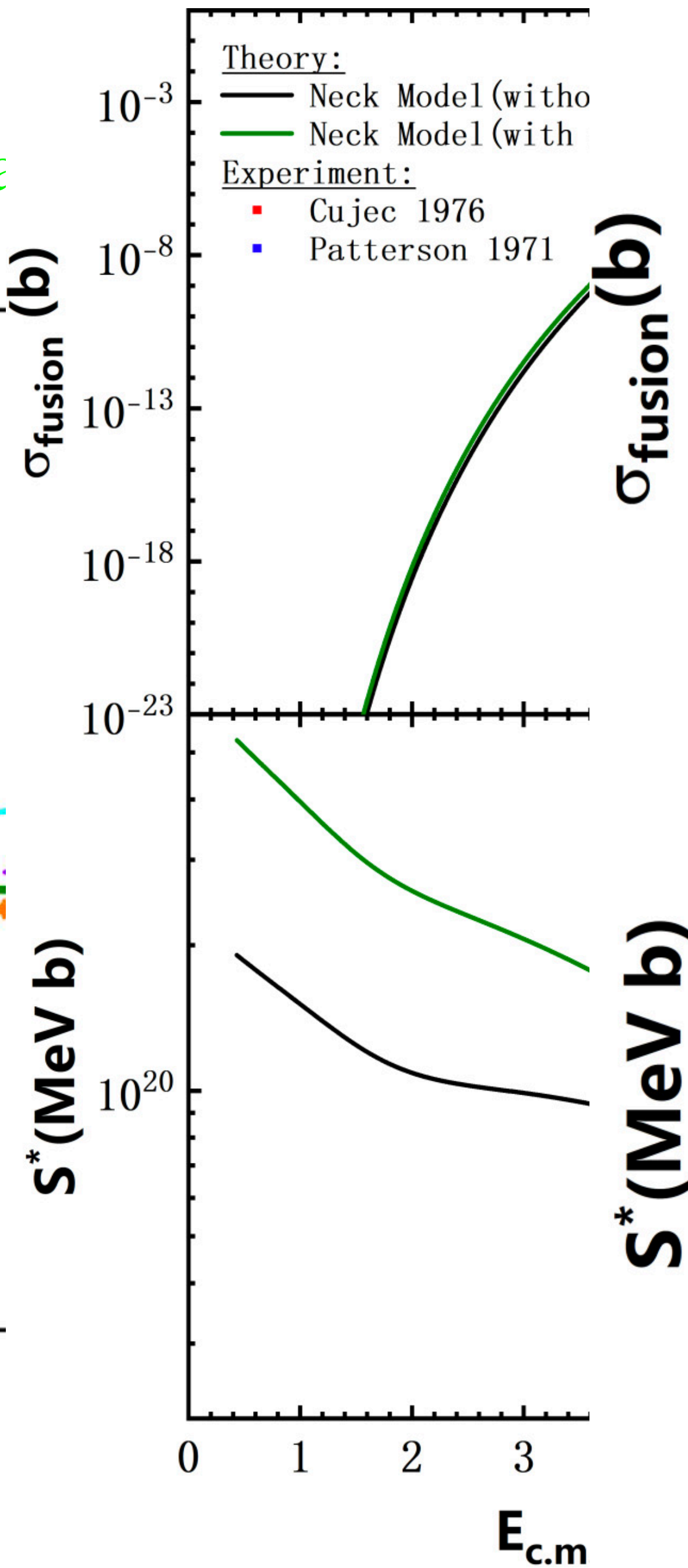
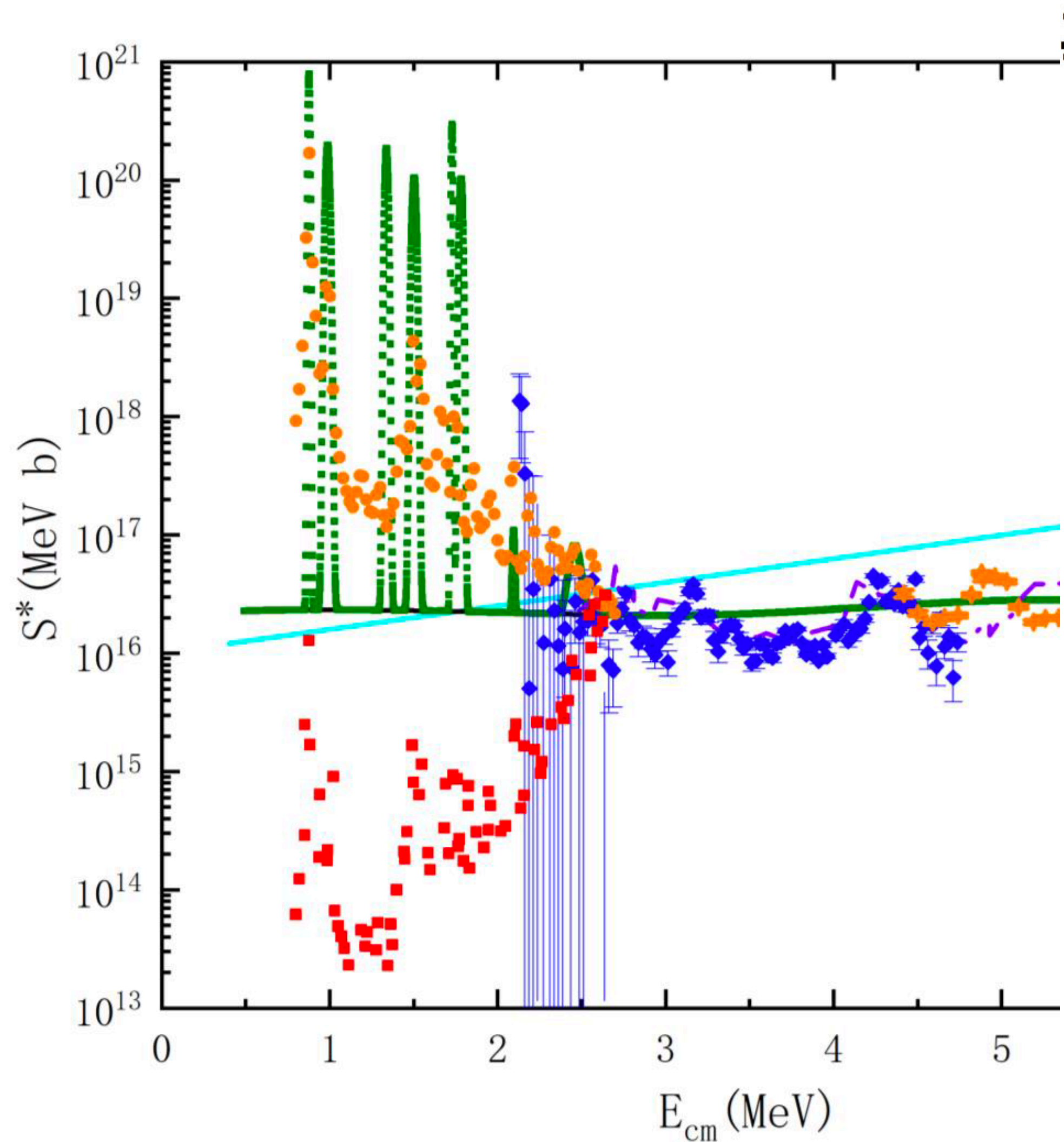
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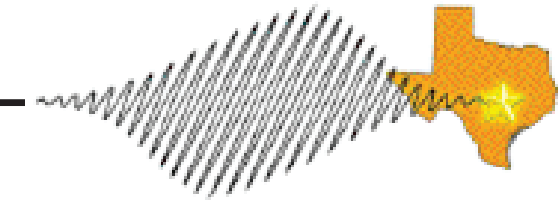
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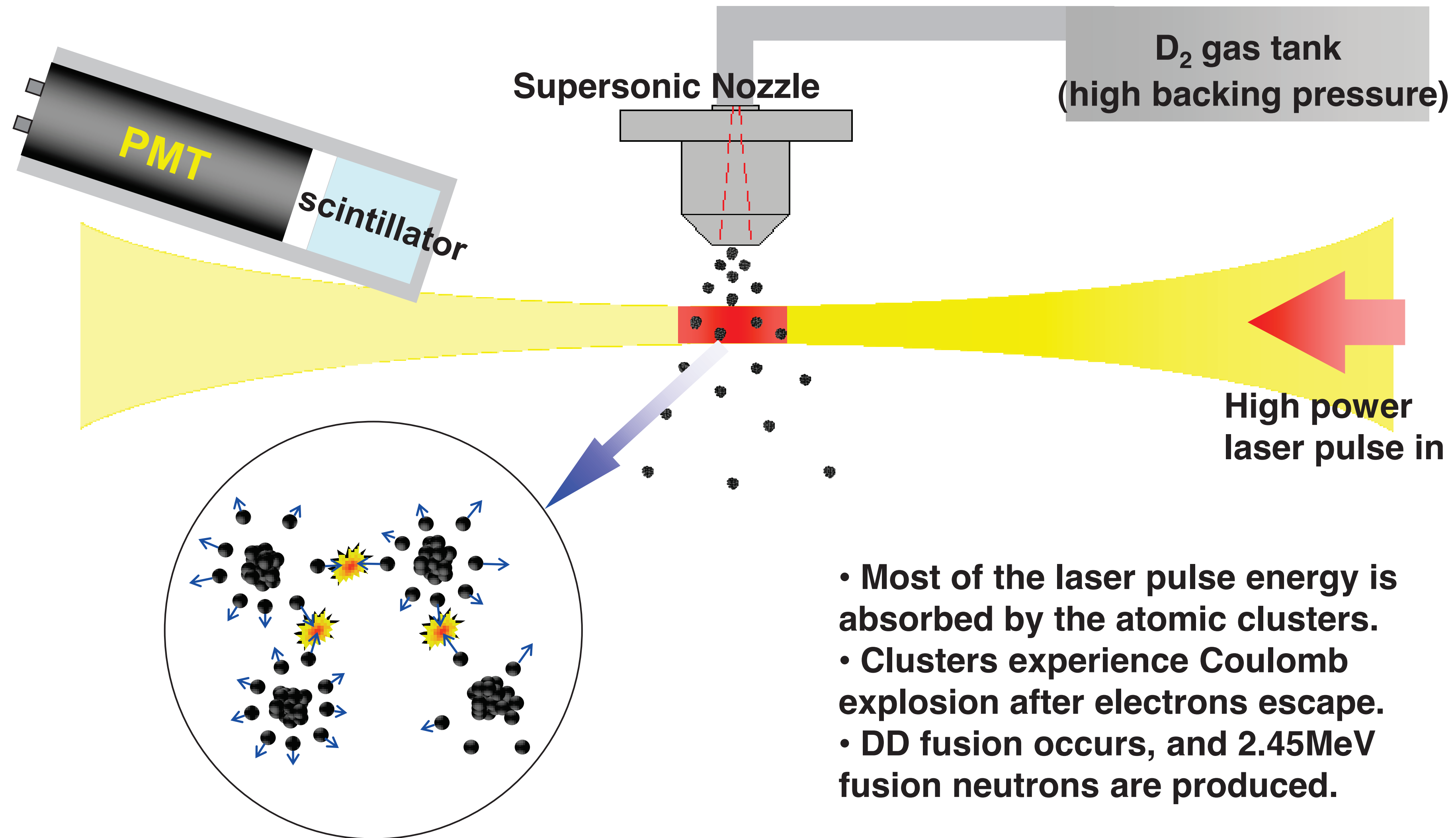


**ALTERNATIVELY**

# High power laser can be used to generate neutrons from the fusion reaction



## Nuclear fusion from laser-cluster interaction



Shot Number 0000000000



Exit VI

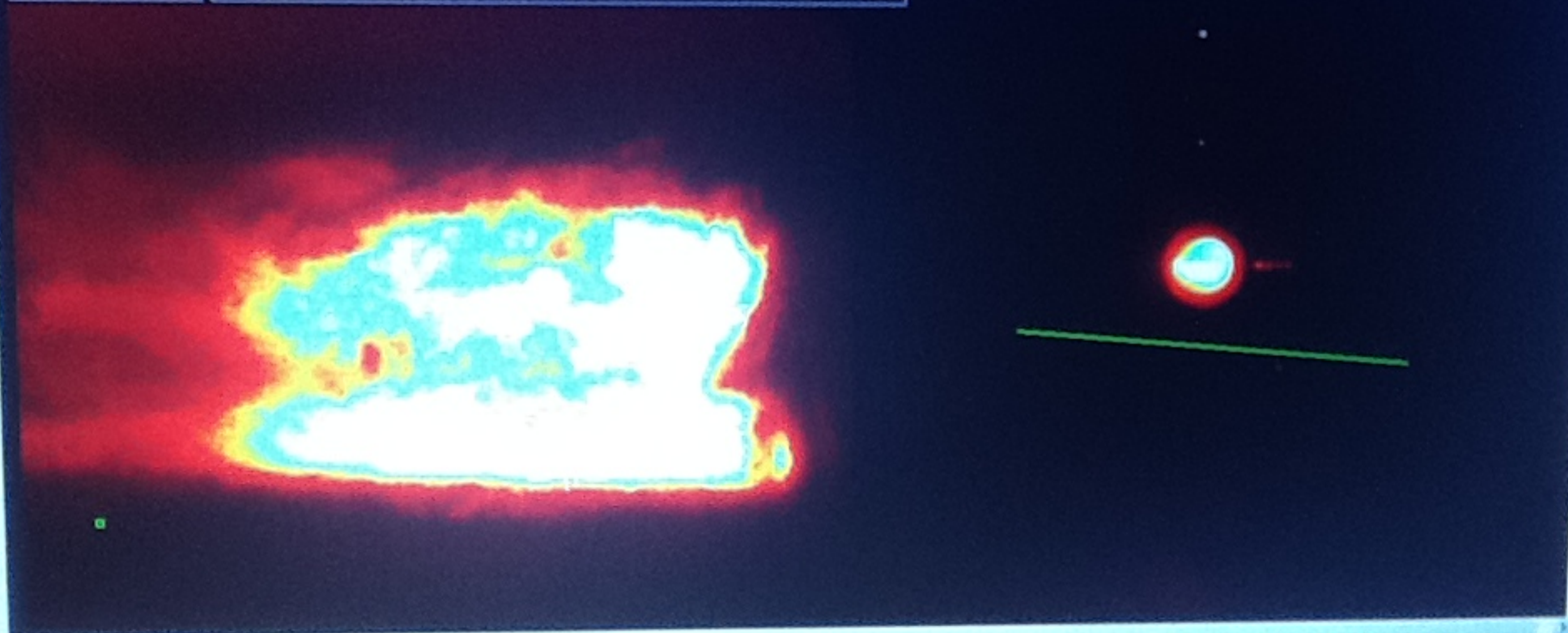
Acquisition Mode Status and Controls Window Names and Network Shared Variables

SSM

IL

Pause

Manual Forward



TAFF64F



Wakefield Camera



Change MASTERCLOCK (SS or Cont. Mode)

Step 7

Developer License Only

Shot Number 00000000

Exit VI

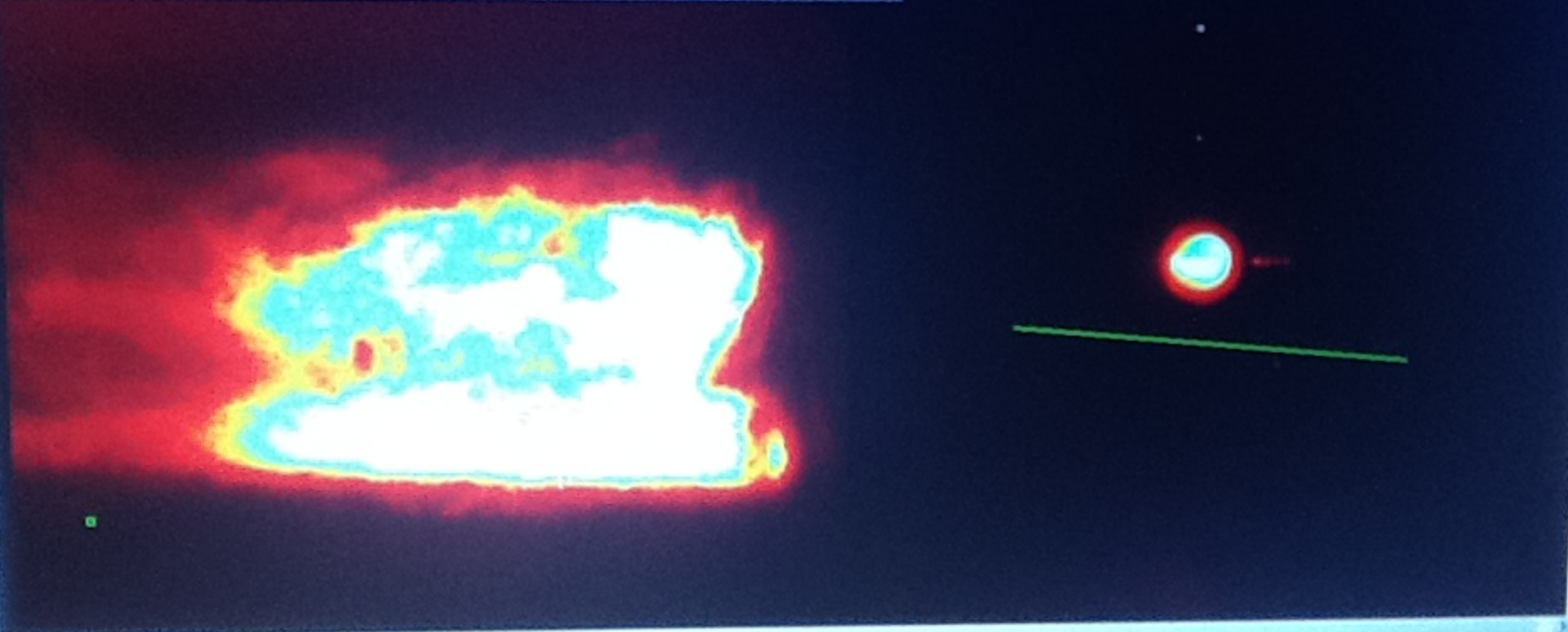
Acquisition Mode Status and Controls Window Names and Network Shared Variables

SSM

IL

Pause

Manual Forward



Measure V for each event

TAFF64F



Wakefield Cam



Change MASTERCLOCK (SS or Cont. Mode)

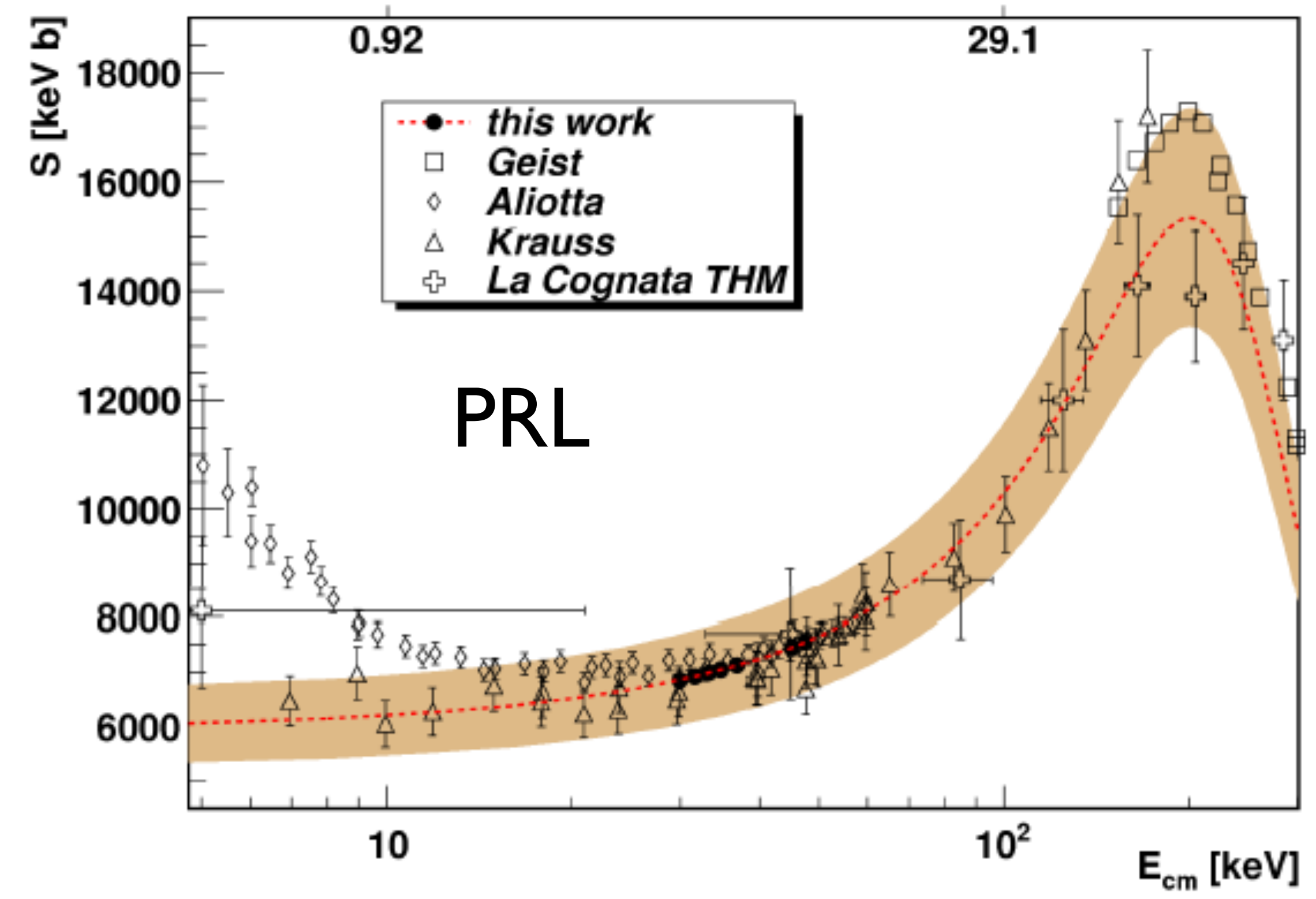
Step 7

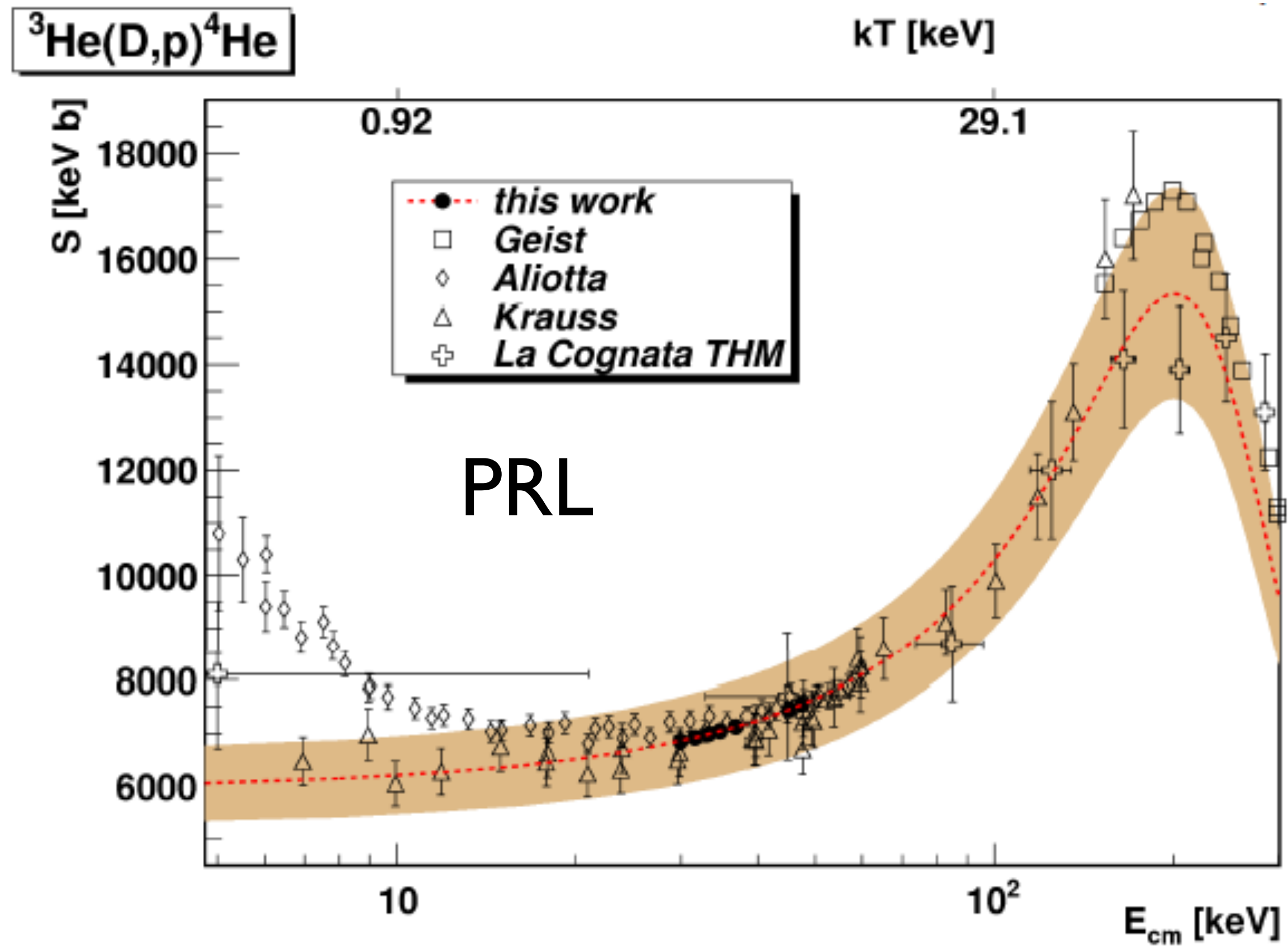
Display 1 (Step 7) Vis

A small, partially visible window in the bottom right corner of the software interface. It has a menu bar with 'File', 'Average', 'Std Dev', and 'Overlay' visible. Below the menu bar, there is a list of items, possibly representing a file directory or a set of parameters, with 'File' and 'Average' being the most prominent.

$^3\text{He}(D,p)^4\text{He}$

kT [keV]





PHYSICAL REVIEW C 87, 058801 (2013)

### Gamow peak approximation near strong resonances

Sachie Kimura

*Department of Physics, University of Milano and INFN, Sezione di Milano, via Celoria 16, 20133 Milano, Italy*

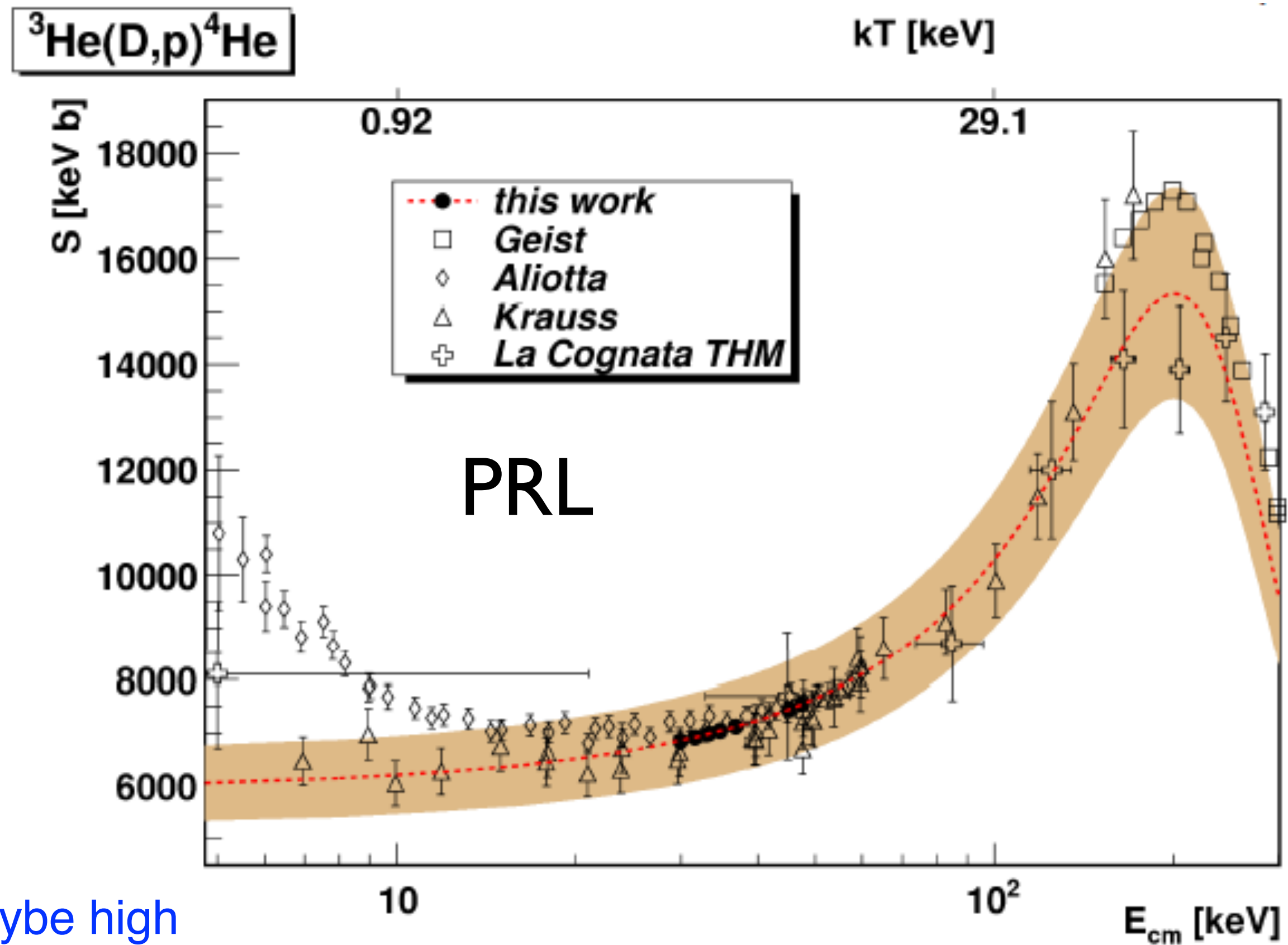
Aldo Bonasera

*Cyclotron Institute, Texas A&M University, College Station Texas 77843-3366, USA and INFN-LNS, via Santa Sofia 62, 95123 Catania, Italy*

(Received 29 November 2012; revised manuscript received 16 April 2013; published 23 May 2013)

We discuss the most effective energy range for charged-particle-induced reactions in a plasma environment at a given plasma temperature. The correspondence between the plasma temperature and the most effective energy should be modified from the one given by the Gamow peak energy, in the presence of a significant incident-energy dependence in the astrophysical  $S$  factor as in the case of resonant reactions. The suggested modification of the effective energy range is important not only in thermonuclear reactions at high temperature in the stellar environment, e.g., in advanced burning stages of massive stars and in explosive stellar environments, as has been already claimed, but also in the application of nuclear reactions driven by ultra-intense laser-pulse





Here maybe high repetition laser low energy fs pulse.

PHYSICAL REVIEW C 87, 058801 (2013)

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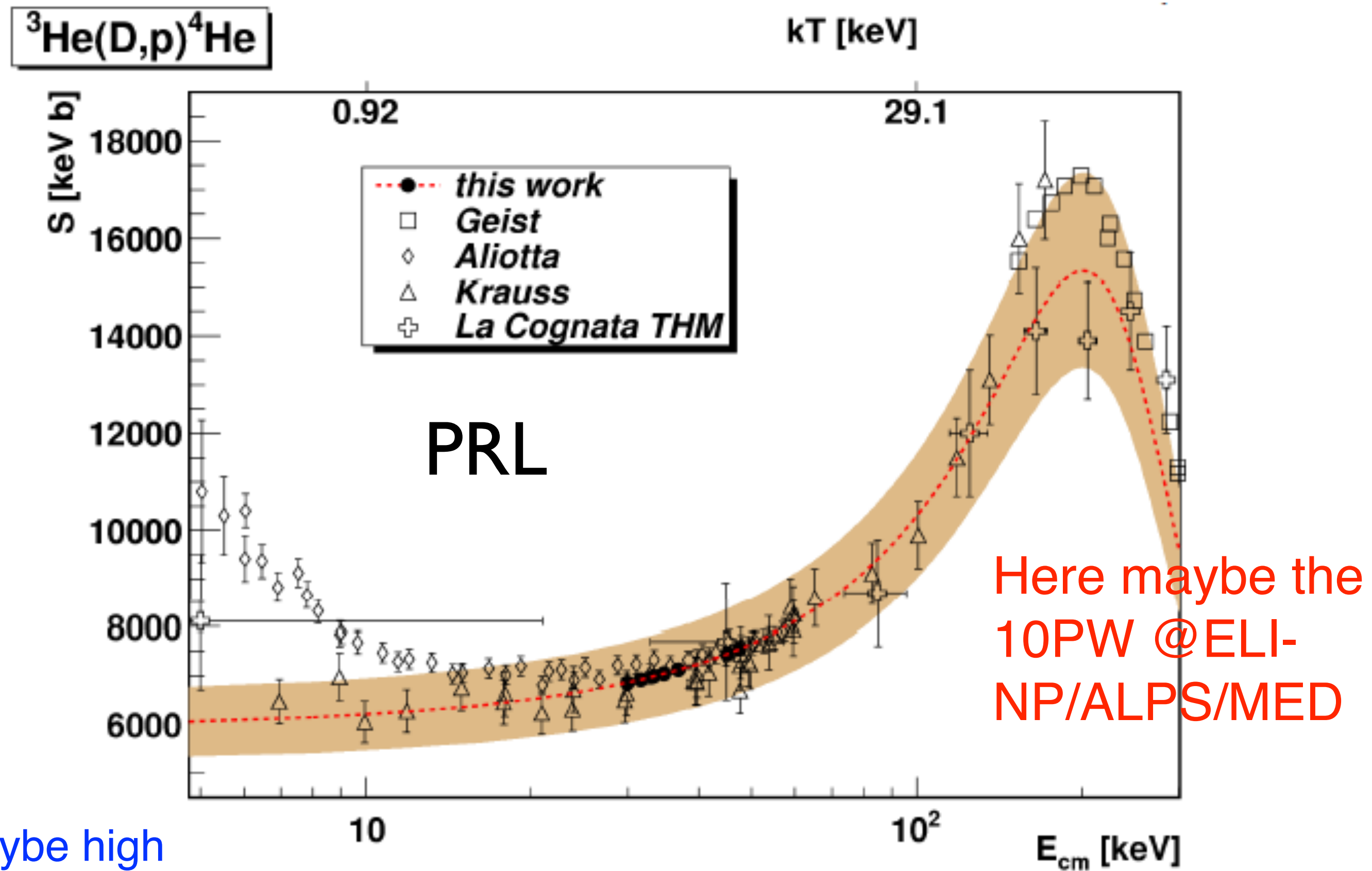
*Department of Physics, University of Milano and INFN, Sezione di Milano, via Celoria 16, 20133 Milano, Italy*

Aldo Bonasera

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# Measurement of the Plasma Astrophysical $S$ Factor for the ${}^3\text{He}({}^2\text{H}, p){}^4\text{He}$ Reaction in Exploding Molecular Clusters

M. Barbui,<sup>1,\*</sup> W. Bang,<sup>2,†</sup> A. Bonasera,<sup>3,1</sup> K. Hagel,<sup>1</sup> K. Schmidt,<sup>1</sup> J. B. Natowitz,<sup>1</sup> R. Burch,<sup>1</sup> G. Giuliani,<sup>1</sup>  
M. Barbarino,<sup>1</sup> H. Zheng,<sup>1</sup> G. Dyer,<sup>2</sup> H. J. Quevedo,<sup>2</sup> E. Gaul,<sup>2</sup> A. C. Bernstein,<sup>2</sup> M. Donovan,<sup>2</sup> S. Kimura,<sup>4</sup>  
M. Mazzocco,<sup>5</sup> F. Consoli,<sup>6</sup> R. De Angelis,<sup>6</sup> P. Andreoli,<sup>6</sup> and T. Ditmire<sup>2</sup>

<sup>1</sup>*Cyclotron Institute, Texas A&M University, College Station, Texas 77843, USA*

<sup>2</sup>*Center for High Energy Density Science, C1510, University of Texas at Austin, Austin, Texas 78712, USA*

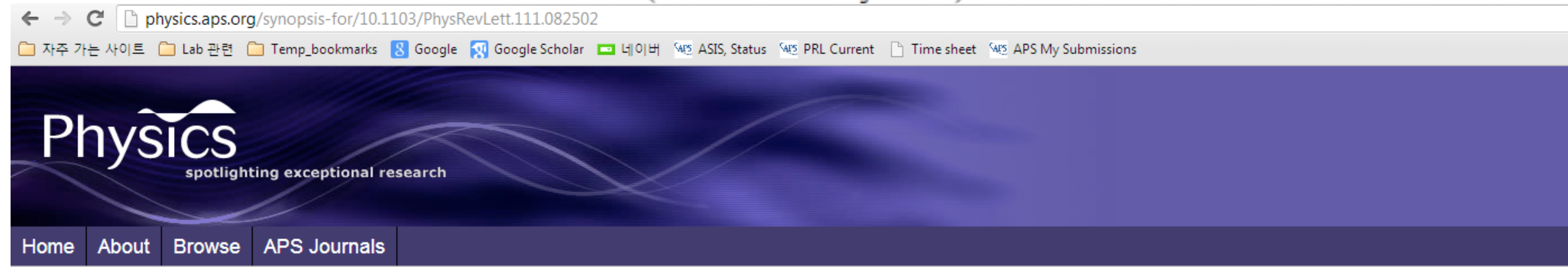
<sup>3</sup>*INFN- Laboratori Nazionali del Sud, Via S. Sofia 62, 95125 Catania, Italy*

<sup>4</sup>*Department of Physics, Università degli Studi di Milano, Via Celoria 16, 20133 Milano, Italy*

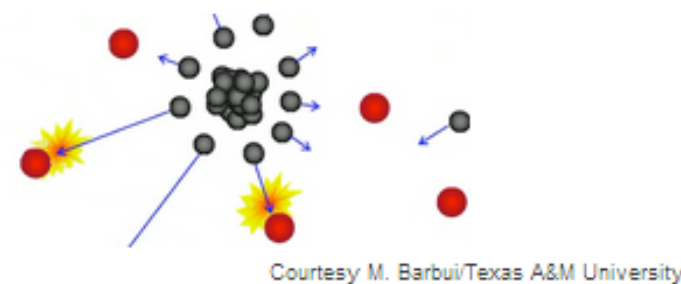
<sup>5</sup>*Dipartimento di Fisica e Astronomia Università degli Studi di Padova and INFN Sezione di Padova, Via Marzolo 8, I-35131 Padova, Italy*

<sup>6</sup>*Associazione Euratom—ENEA Sulla Fusione, Via E. Fermi 45, CP 65-00044 Frascati, Rome, Italy*

(Received 1 July 2013)



## Synopsis: Nuclear Reactions in Lab Plasma



Courtesy M. Barbui/Texas A&M University

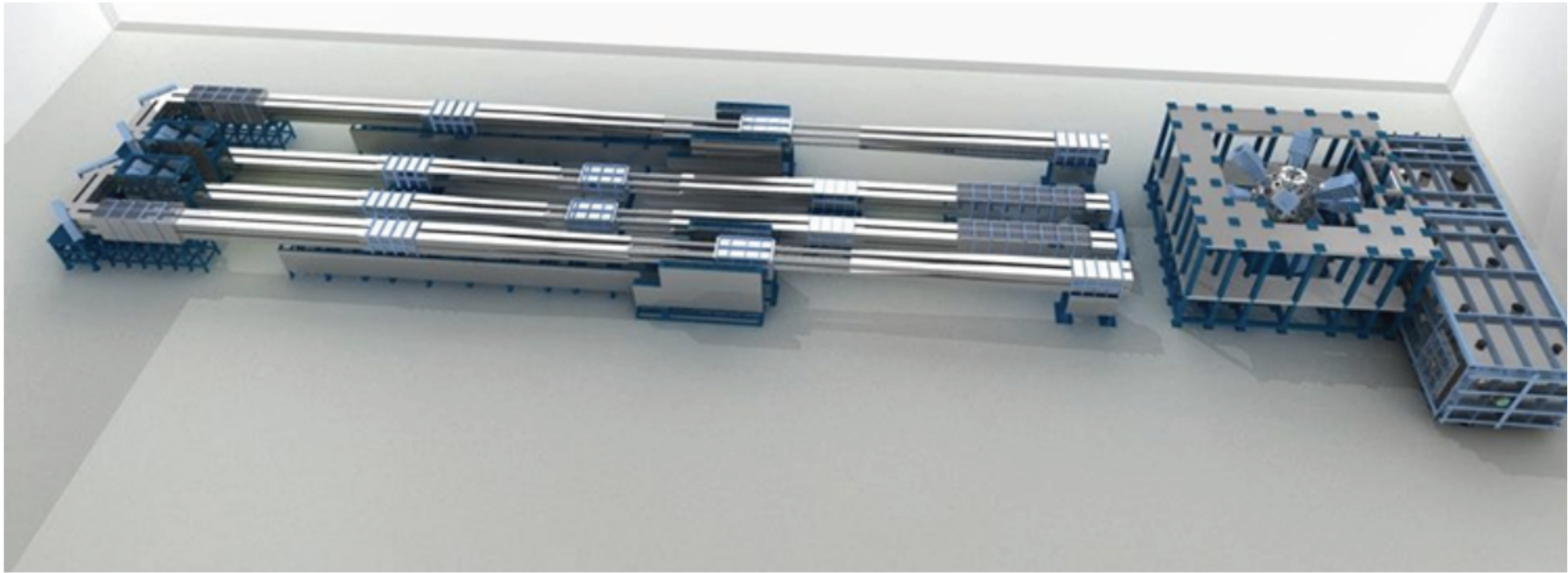
Measurement of the Plasma Astrophysical  $S$  Factor for the  ${}^3\text{He}({}^2\text{H}, p){}^4\text{He}$  Reaction in Exploding Molecular Clusters

M. Barbui, W. Bang, A. Bonasera, K. Hagel, K. Schmidt, J. B. Natowitz, R. Burch, G. Giuliani, M. Barbarino, H. Zheng, G. Dyer, H. J. Quevedo, E. Gaul, A. C. Bernstein, M. Donovan, S. Kimura, M. Mazzocco, F. Consoli, R. De Angelis, P. Andreoli, and T. Ditmire  
*Phys. Rev. Lett.* **111**, 082502 (2013)

Published August 22, 2013

Many low-energy nuclear reactions in astrophysics occur in plasmas, in which the nuclei are free of electrons. By contrast, most nuclear experiments involve neutral targets, whose bound electrons produce a “screening effect.” A new technique uses lasers to remove these unwanted electrons so that low-energy nuclear reactions can be studied directly in laboratory plasma. The authors demonstrate their approach in *Physical Review Letters* on the deuterium/helium-3 interaction that helped synthesize elements in the early Universe and could potentially be used to power a future nuclear fusion reactor.

In a typical nuclear reaction experiment, an ion beam is directed at a target containing neutral atoms. The bound electrons provide a screen that reduces the Coulomb repulsion between the positive nuclei. Therefore, laboratory measurements tend to predict higher reaction rates than would be expected between ionized nuclei. To obtain astrophysically relevant parameters, researchers try to correct their data by estimating the screening effect of the bound electrons.



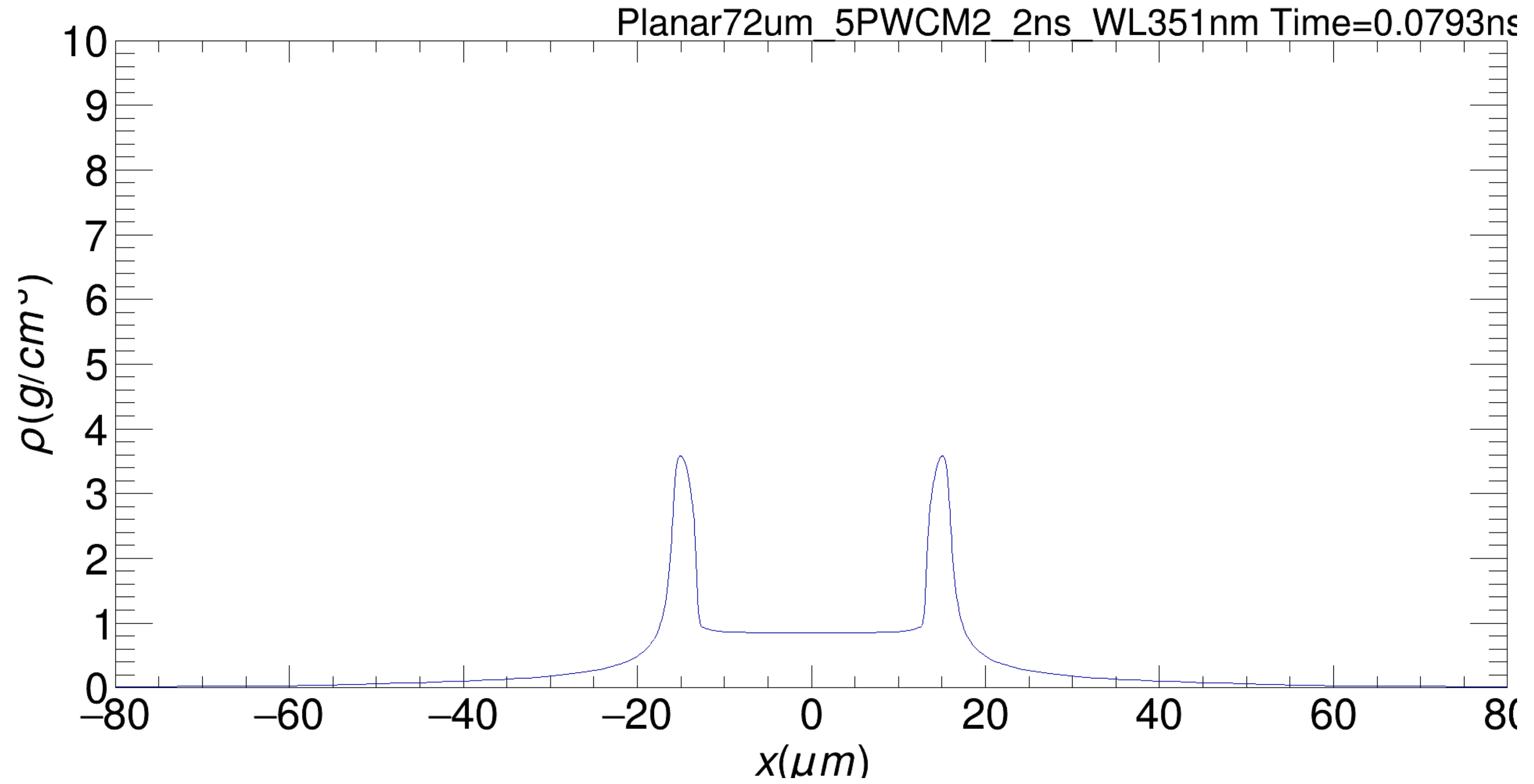
**operating since 2011**

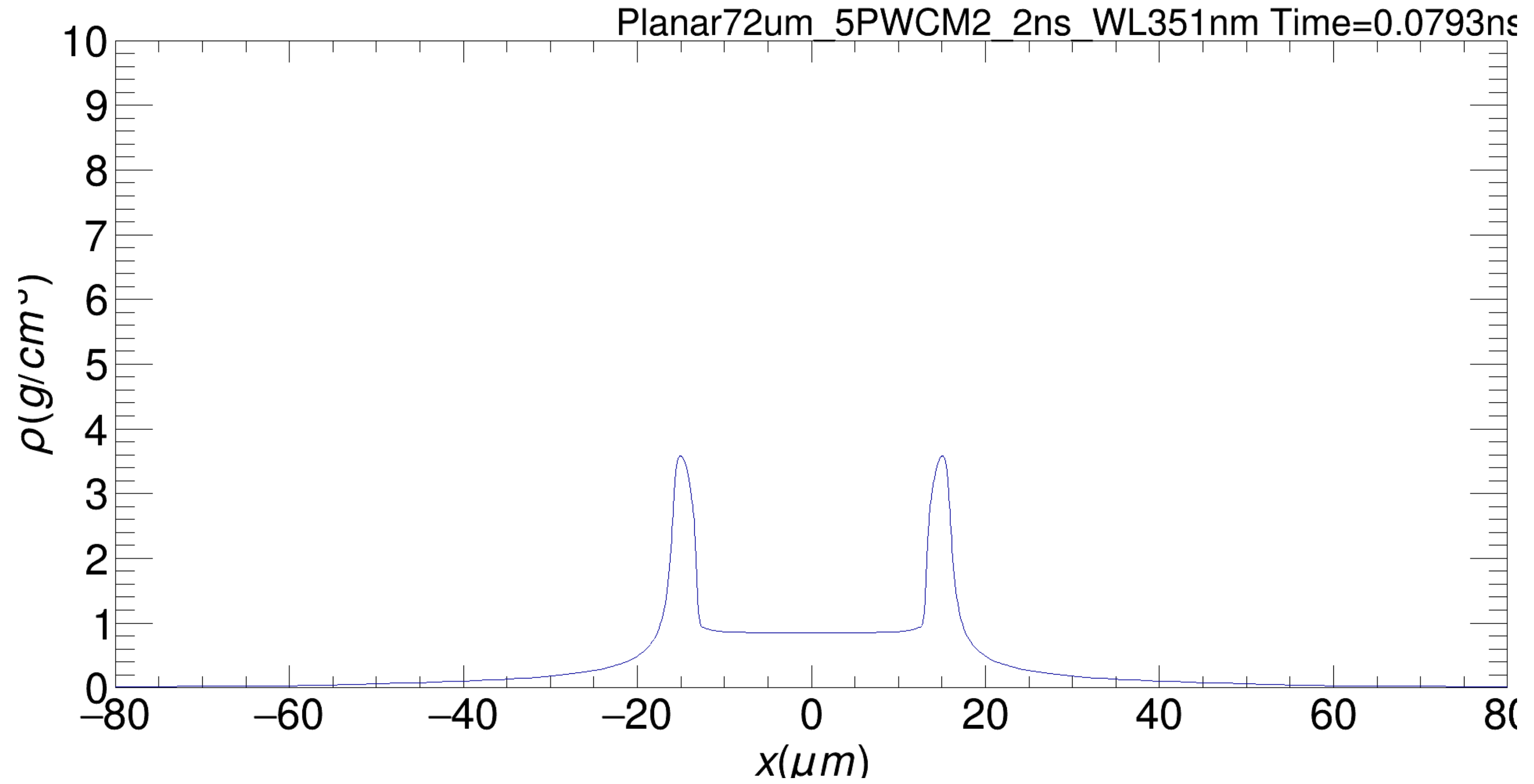
**8 beams output 40 kJ/3 ns/1  $\omega$ , 24 kJ/3 ns/3  $\omega$**

**PW laser (1.5kJ, 2ps, 2011)**

**for SINAP\SIOM\TAMU\INFN\IMUN**

**Collaboration**





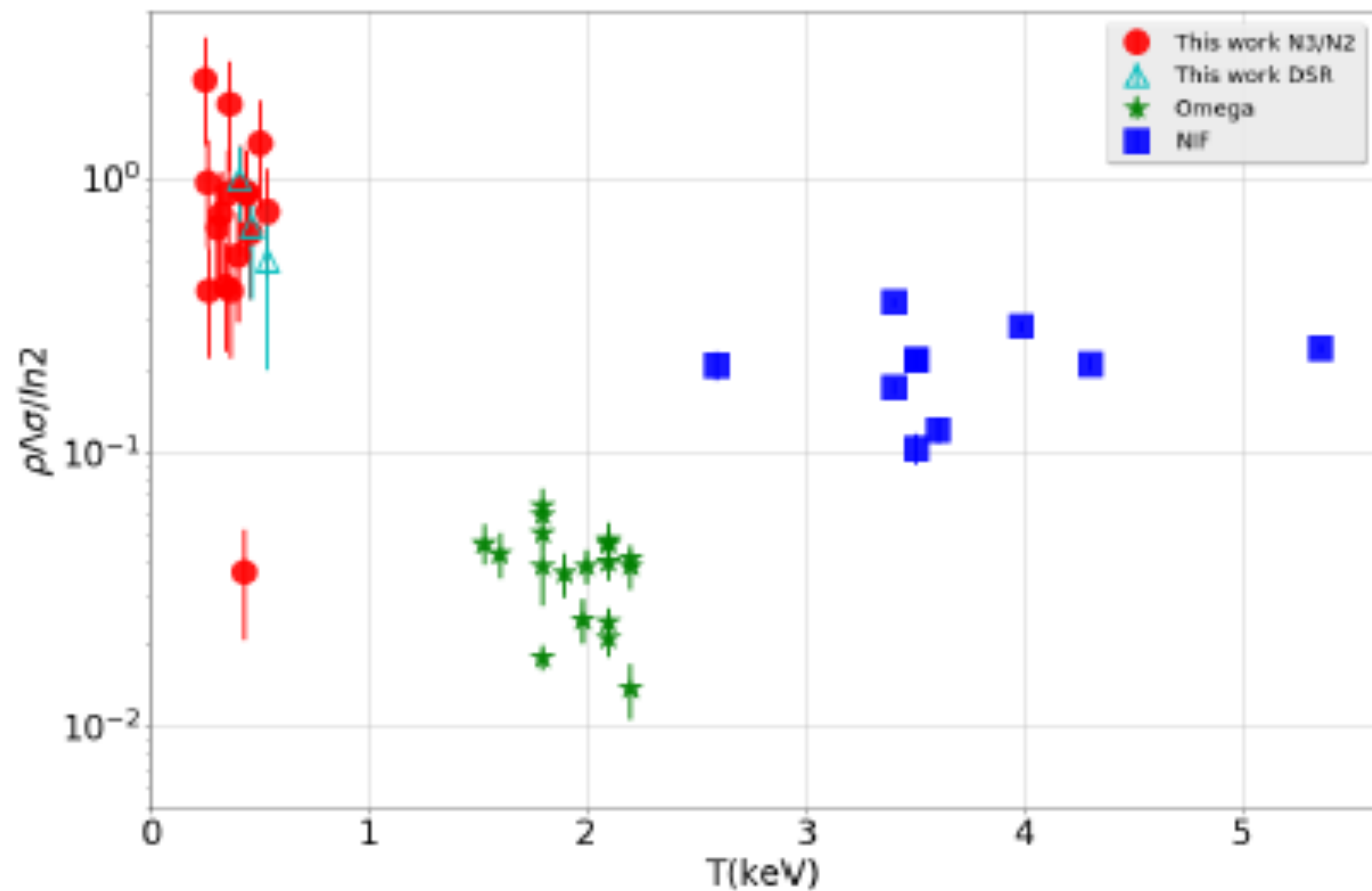


Figure 4: (color online)  $\Lambda \rho \sigma / \ln 2$  obtained from eq.(4) vs  $T$  from eq.(1). Omega and NIF data are derived from the experiments<sup>25</sup>, using the Down Scatter Ratio<sup>21,23</sup>. Our results using the DSR method (N4/N3) are given by the open triangle symbols in good agreement with the N3/N2 ratios..

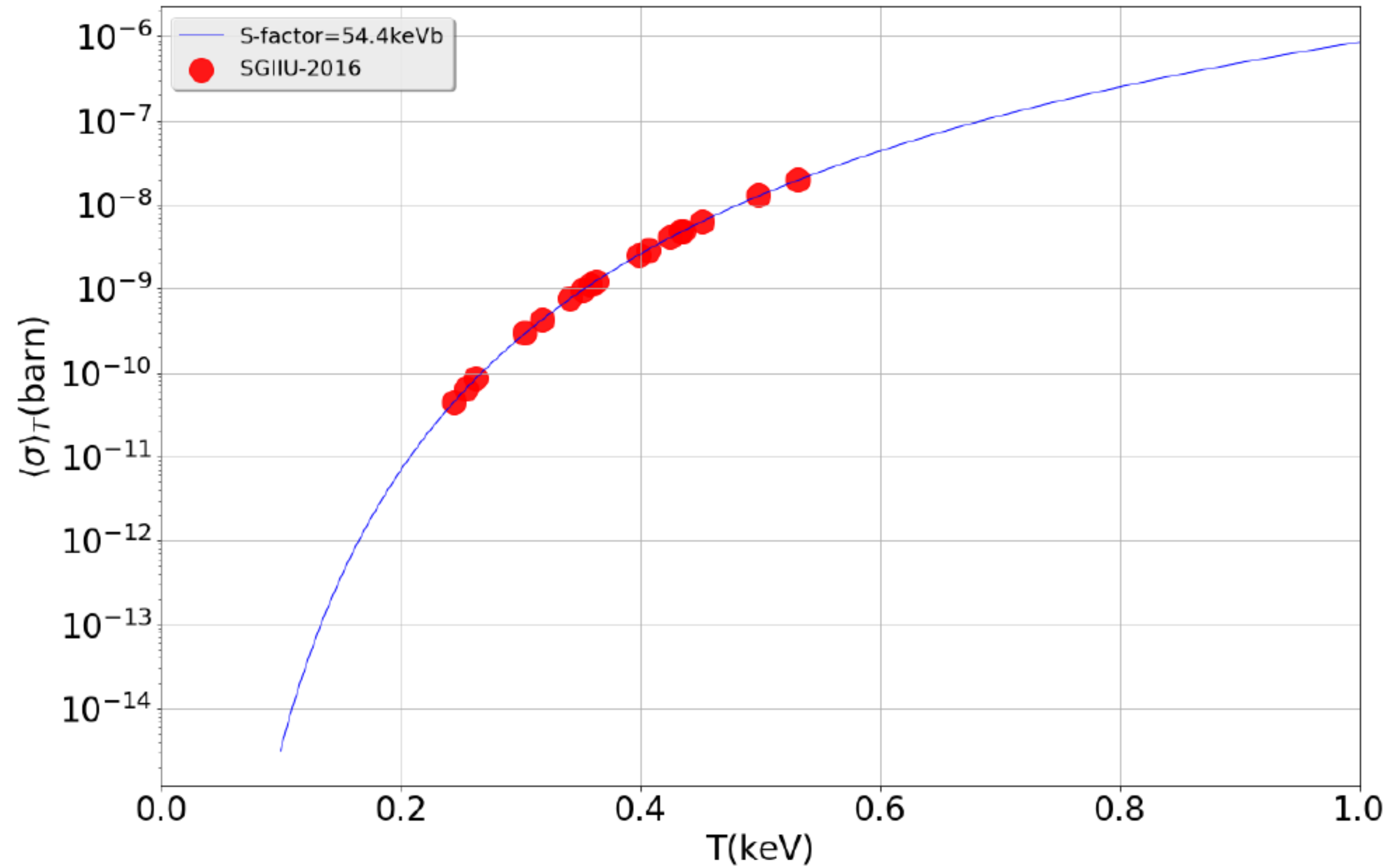


Figure 5: (color online) The average cross section as function of temperature with Maxwell-Boltzmann distribution, expressed by eq. (6) . The red points are the experimental cross section data from eq.(5).





## Nuclear probes of an out-of-equilibrium plasma at the highest compression



G. Zhang<sup>a,b,\*</sup>, M. Huang<sup>c</sup>, A. Bonasera<sup>d,e,\*</sup>, Y.G. Ma<sup>f,b,i,\*</sup>, B.F. Shen<sup>g,h,\*</sup>, H.W. Wang<sup>a,b</sup>,  
W.P. Wang<sup>g</sup>, J.C. Xu<sup>g</sup>, G.T. Fan<sup>a,b</sup>, H.J. Fu<sup>b</sup>, H. Xue<sup>b</sup>, H. Zheng<sup>j</sup>, L.X. Liu<sup>a,b</sup>, S. Zhang<sup>c</sup>,  
W.J. Li<sup>b</sup>, X.G. Cao<sup>a,b</sup>, X.G. Deng<sup>b</sup>, X.Y. Li<sup>b</sup>, Y.C. Liu<sup>b</sup>, Y. Yu<sup>g</sup>, Y. Zhang<sup>b</sup>, C.B. Fu<sup>k</sup>,  
X.P. Zhang<sup>k</sup>

<sup>a</sup> Shanghai Advanced Research Institute, Chinese Academy of Sciences, Shanghai 201210, China

<sup>b</sup> Shanghai Institute of Applied Physics, Chinese Academy of Sciences, Shanghai 201800, China

<sup>c</sup> College of Physics and Electronics Information, Inner Mongolia University for Nationalities, Tongjiao, 028000, China

<sup>d</sup> Cyclotron Institute, Texas A&M University, College Station, TX 77843, USA

<sup>e</sup> Laboratori Nazionali del Sud, INFN, via Santa Sofia, 62, 95123 Catania, Italy

<sup>f</sup> Key Laboratory of Nuclear Physics and Ion-Beam Application (MOE), Institute of Modern Physics, Fudan University, Shanghai 200433, China

<sup>g</sup> State Key Laboratory of High Field Laser Physics, Shanghai Institute of Optics and Fine Mechanics, Chinese Academy of Sciences, Shanghai 201800, China

<sup>h</sup> Department of Physics, Shanghai Normal University, Shanghai 200234, China

<sup>i</sup> University of the Chinese Academy of Sciences, Beijing 100080, China

<sup>j</sup> School of Physics and Information Technology, Shaanxi Normal University, Xi'an 710119, China

<sup>k</sup> School of Physics and Astronomy, Shanghai Jiao Tong University, Shanghai 200240, China

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### ABSTRACT

We report the highest compression reached in laboratory plasmas using eight laser beams,  $E_{\text{laser}} \approx 12$  kJ,  $\tau_{\text{laser}} = 2$  ns in third harmonic on a CD<sub>2</sub> target at the ShenGuang-II Upgrade (SGII-Up) facility in Shanghai, China. We estimate the deuterium density  $\rho_D = 2.0 \pm 0.9$  kg/cm<sup>3</sup>, and the average kinetic energy of the plasma ions less than 1 keV. The highest reached areal density  $\Lambda\rho_D = 4.8 \pm 1.5$  g/cm<sup>2</sup> was obtained from the measured ratio of the sequential ternary fusion reactions ( $dd \rightarrow t+p$  and  $t+d \rightarrow \alpha+n$ ) and the two body reaction fusions ( $dd \rightarrow {}^3\text{He} + n$ ). At such high densities, sequential ternary and also quaternary nuclear reactions become important as well (i.e.  $n(14.1 \text{ MeV}) + {}^{12}\text{C} \rightarrow n' + {}^{12}\text{C}^*$  etc.) resulting in a shift of the neutron (and proton) kinetic energies from their birth values. The Down Scatter Ratio (DSR-quaternary nuclear reactions) method, i.e. the ratio of the 10–12 MeV neutrons divided by the total number of 14.1 MeV neutrons produced, confirms the high densities reported above. The estimated lifetime of the highly compressed plasma is  $52 \pm 9$  ps, much smaller than the lasers pulse duration.

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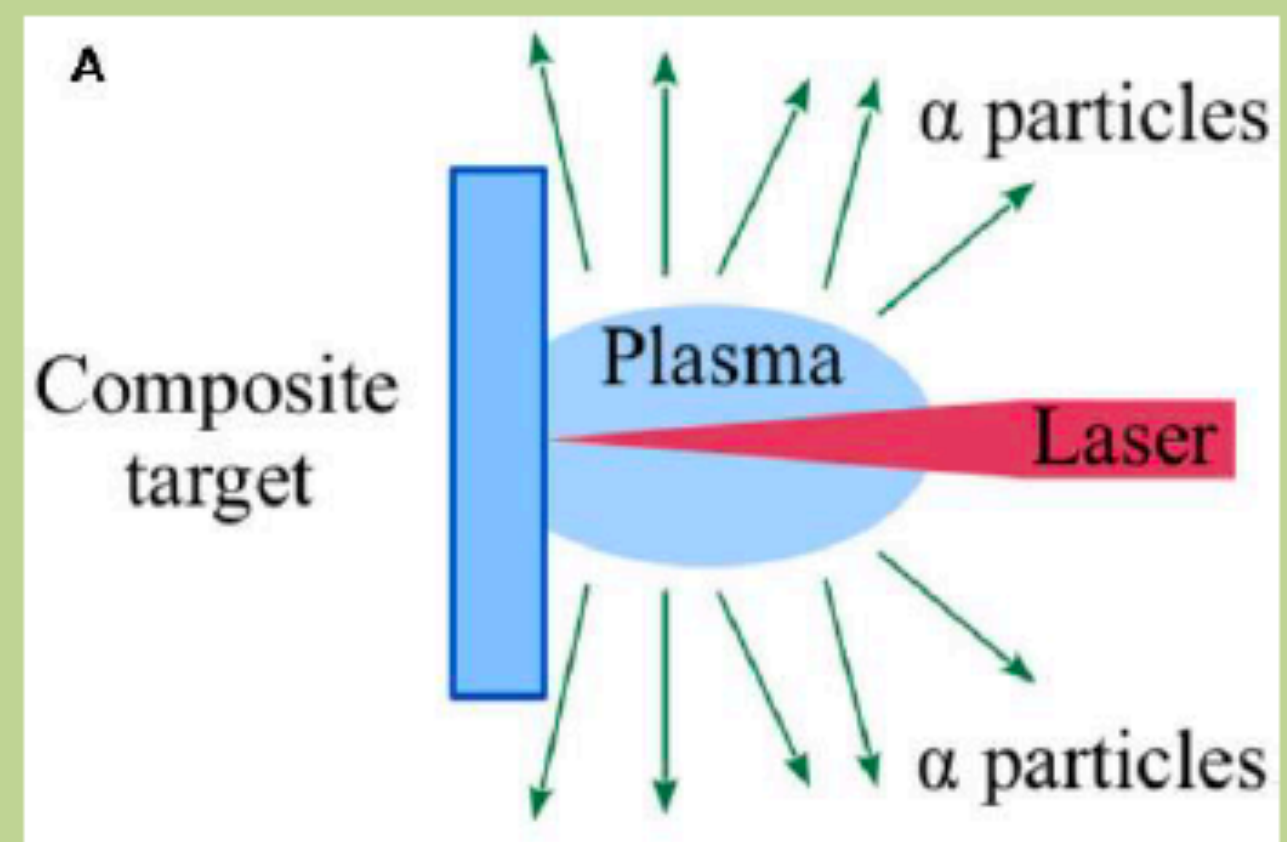
# Laser-initiated $^{11}\text{B}(p,\alpha)2\alpha$ nuclear reaction

- Two main approaches followed to trigger fusion reactions from H and  $^{11}\text{B}$  in laser-matter experiments (Scheme A and B)

## Scheme A: Laser on target

-H and B plasma by laser pulses on composite targets: i.e. B-doped plastic, BN or Si enriched with H and B.

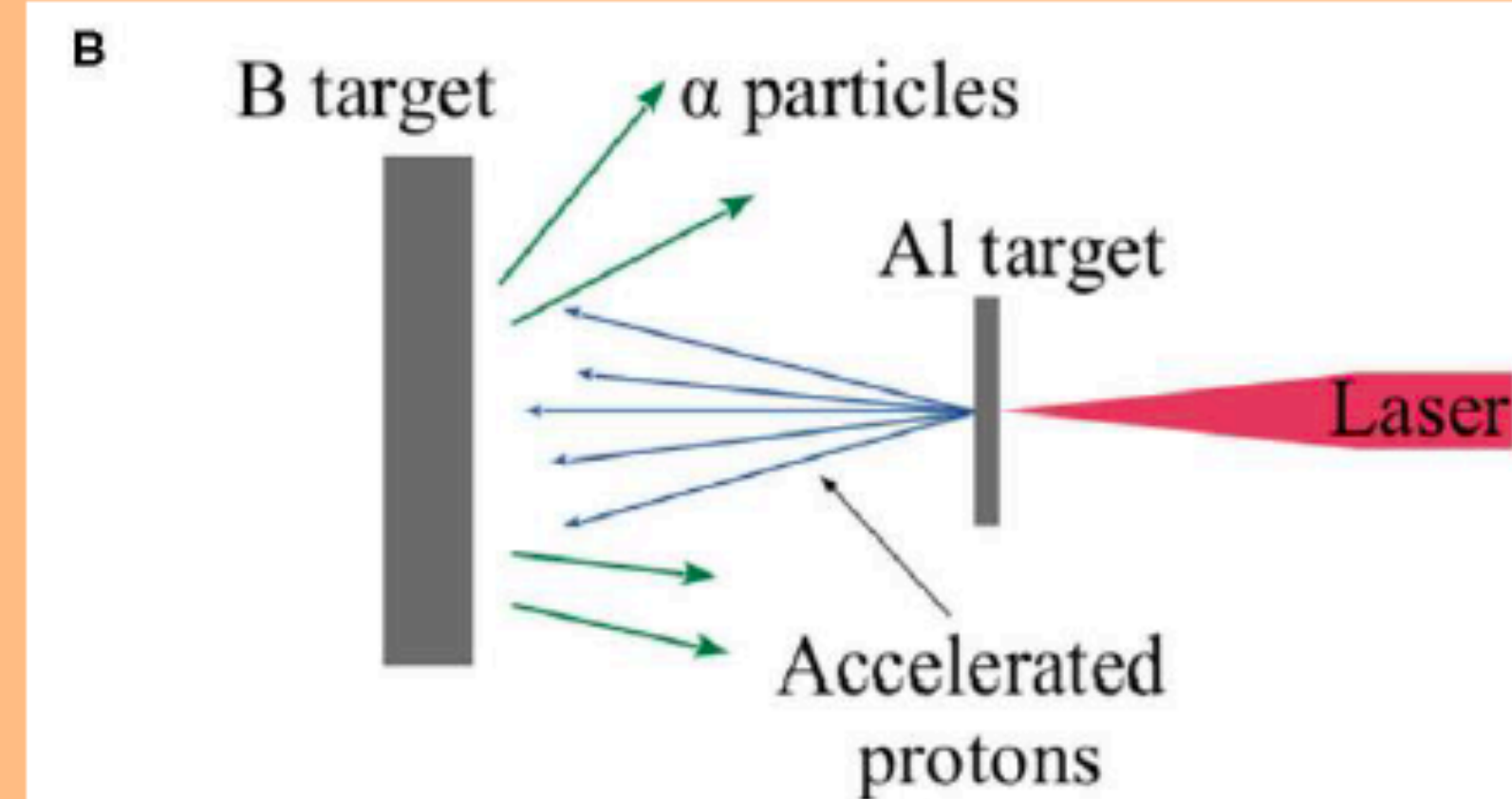
-ns and/or ps/fs laser pulses.

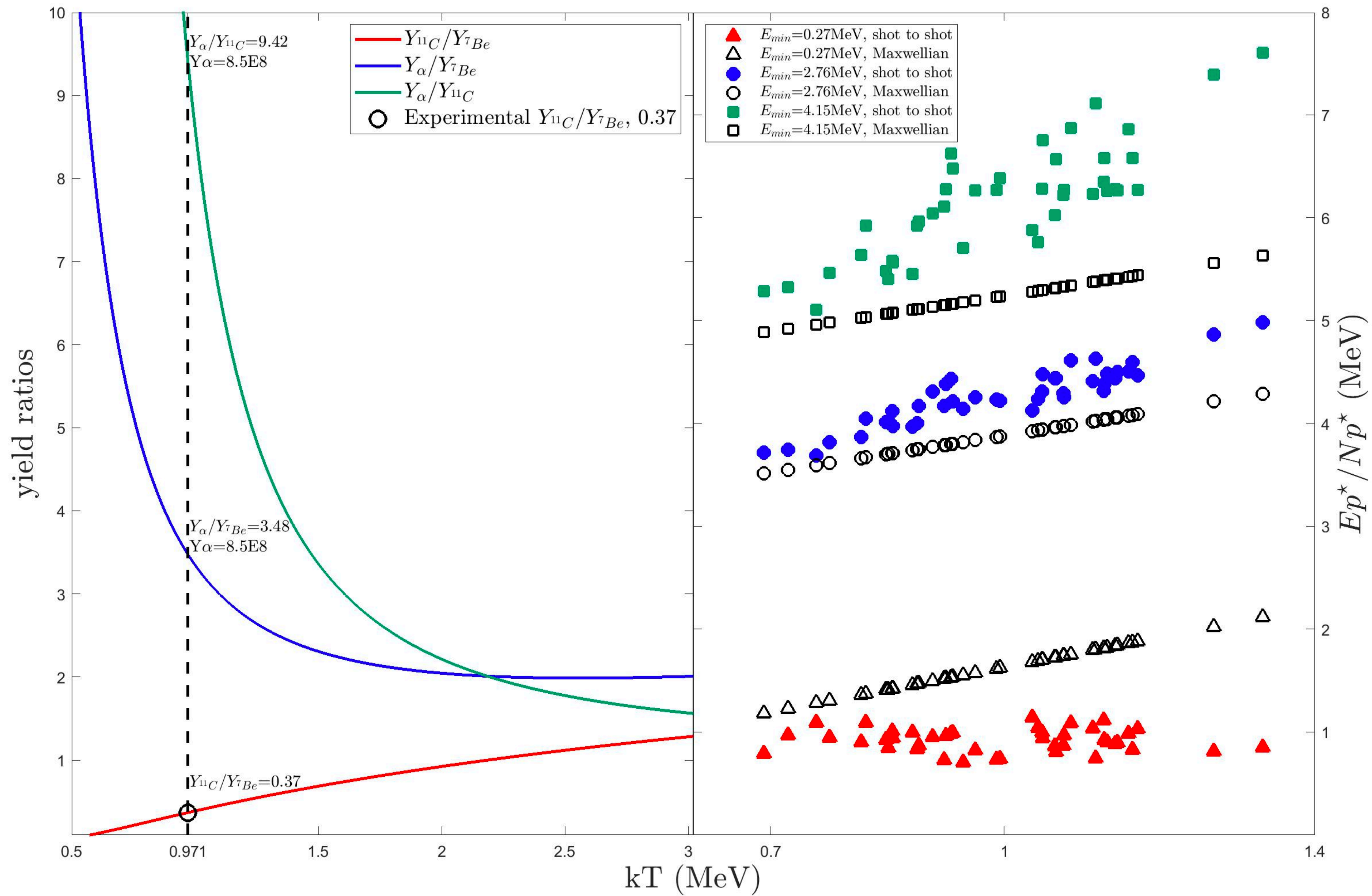


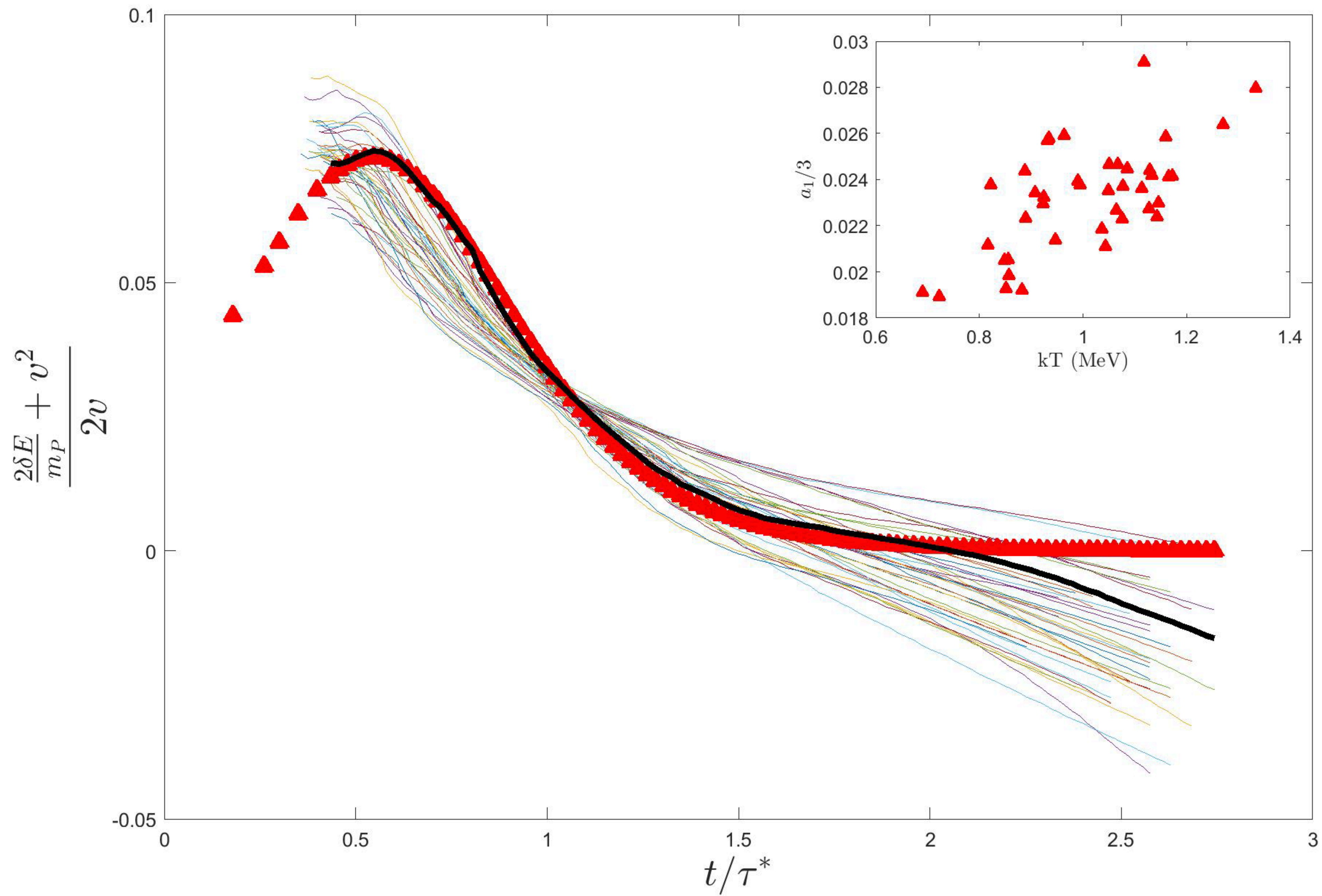
## Scheme B: Pitcher-Catcher

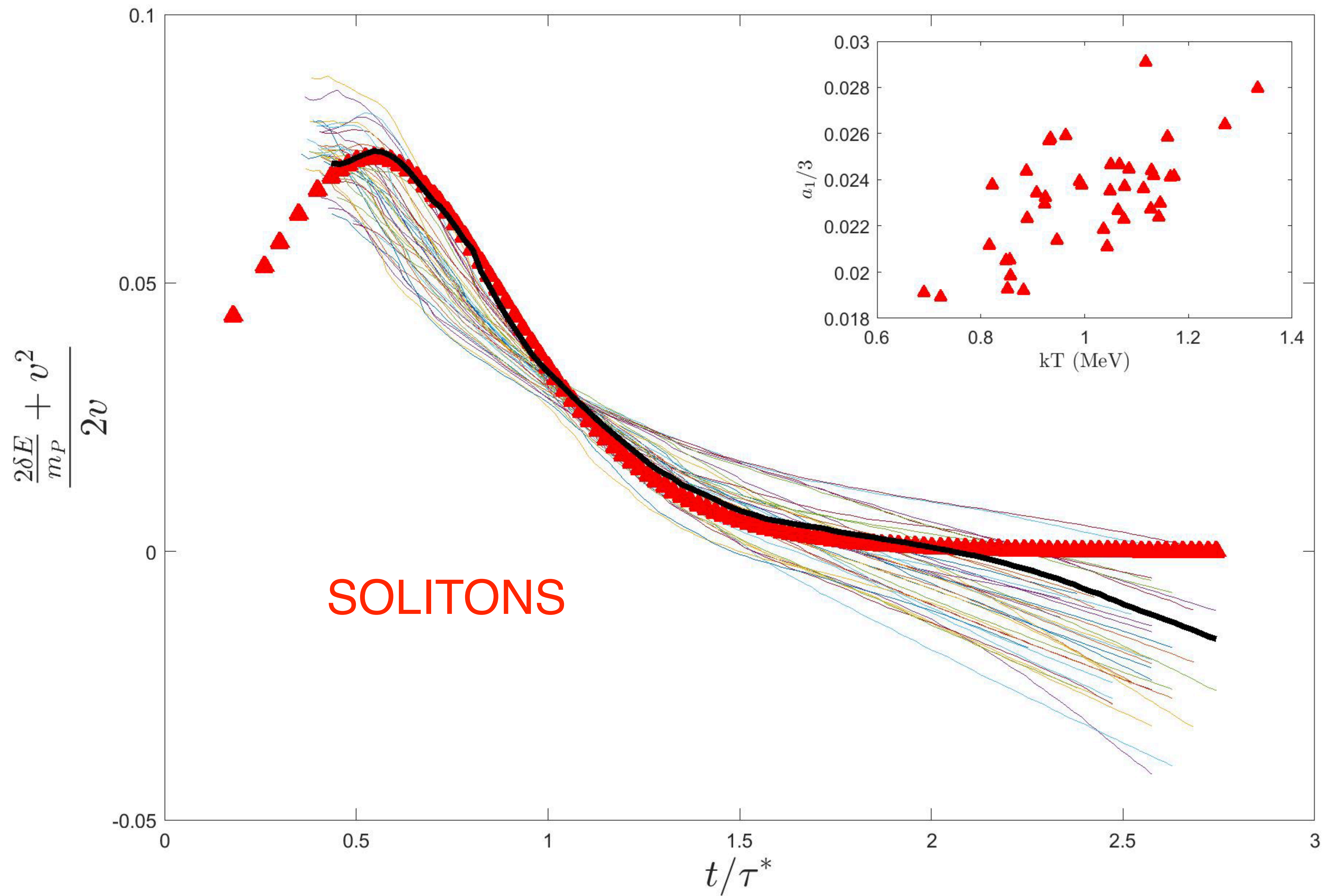
-Laser accelerated protons sent to a borate target or to a borated plasma.

-ps or fs laser pulses

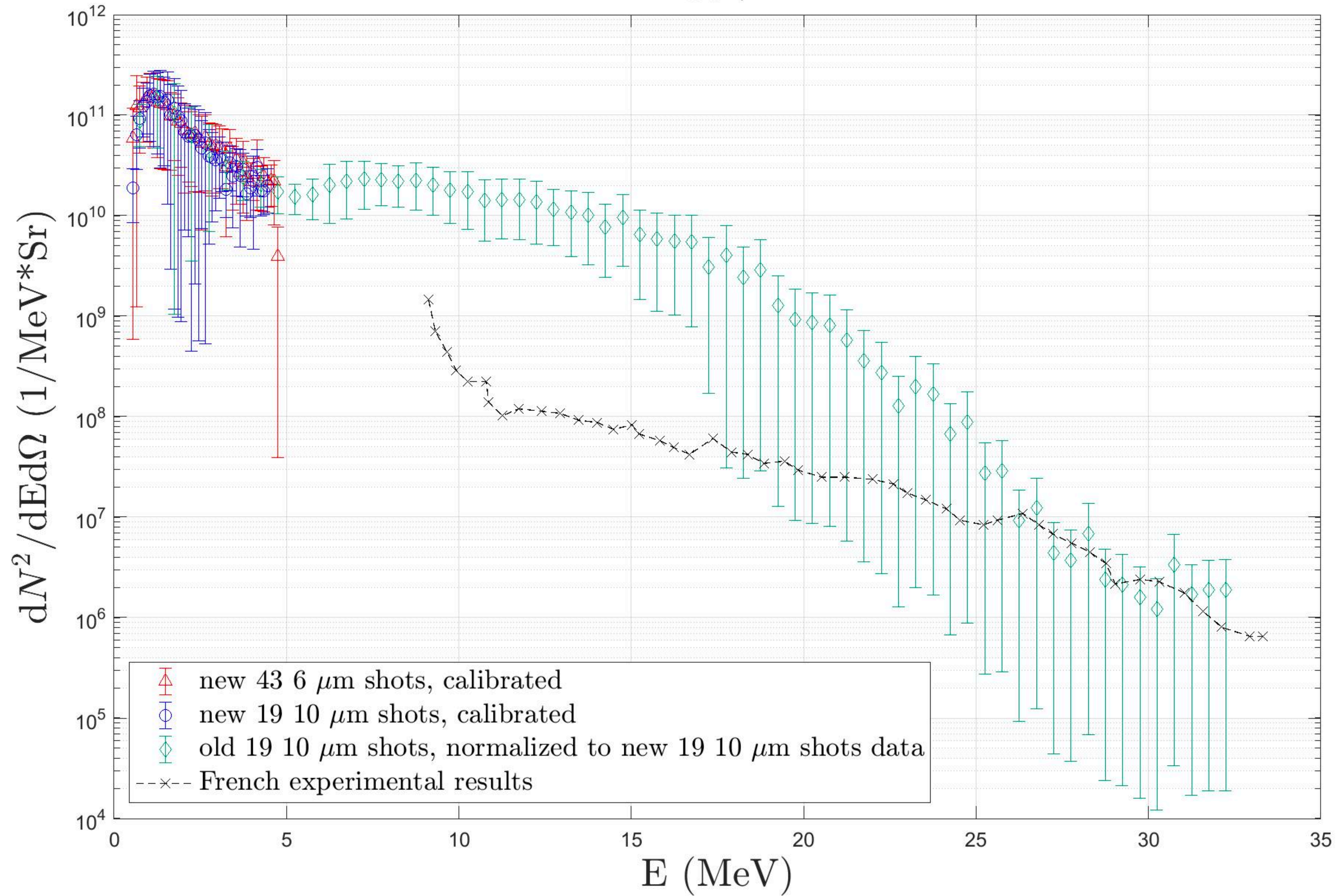




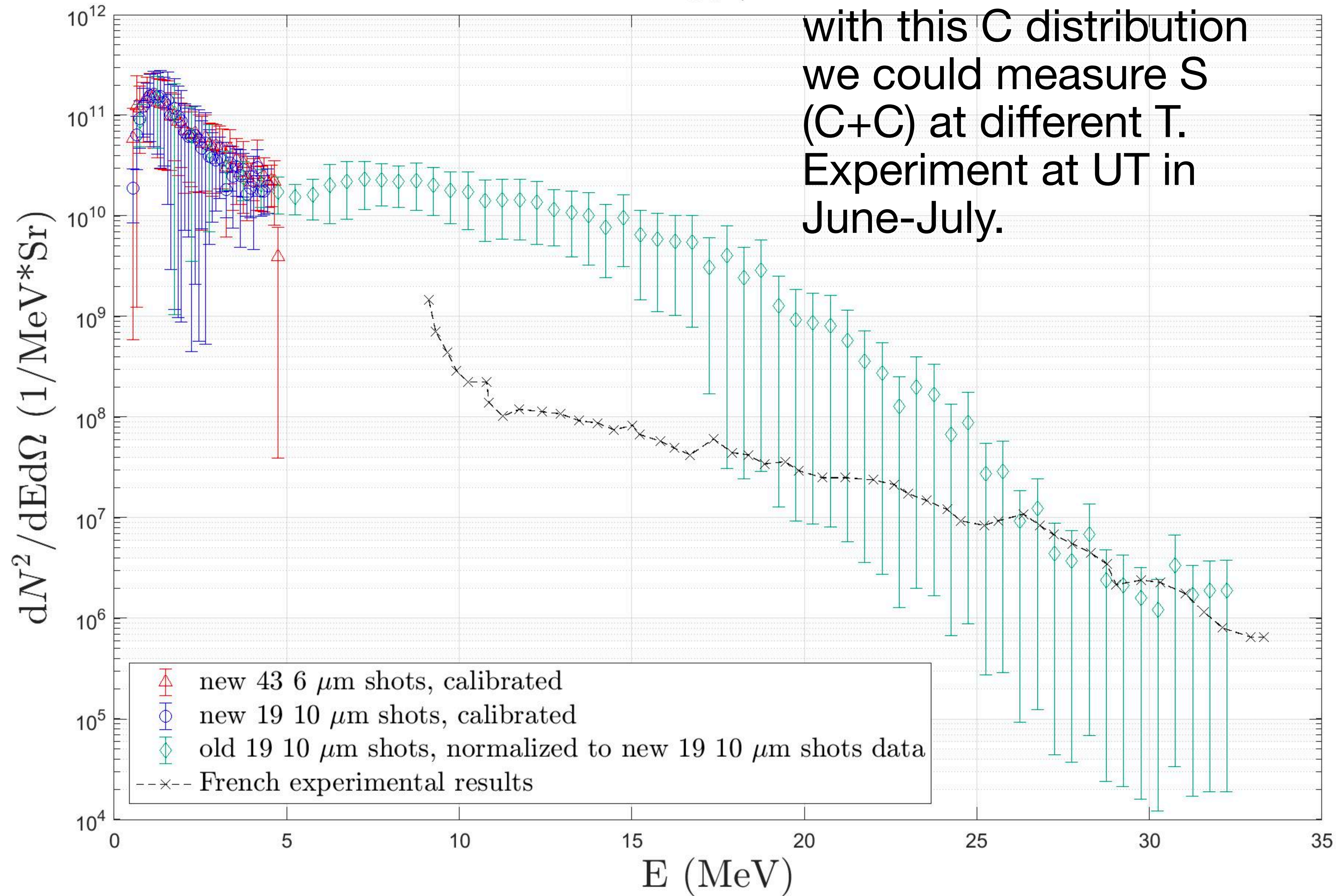




C5+



C5+







**Work in collaboration with:**

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Fabrizio Consoli <sup>a,\*</sup>, Riccardo De Angelis <sup>a</sup>, Pierluigi Andreoli <sup>a</sup>, Giuseppe Cristofari <sup>a</sup>,  
Giorgio Di Giorgio <sup>a</sup>, Aldo Bonasera <sup>b,c</sup>, Marina Barbui <sup>c</sup>, Marco Mazzocco <sup>d</sup>, Woosuk Bang <sup>e</sup>,  
Gilliss Dyer <sup>e</sup>, Hernan Quevedo <sup>e</sup>, Kris Hagel <sup>c</sup>, Katarzyna Schmidt <sup>c</sup>, Erhard Gaul <sup>e</sup>,  
Ted Borger <sup>e</sup>, Aaron Bernstein <sup>e</sup>, Mikael Martinez <sup>e</sup>, Michael Donovan <sup>e</sup>, Matteo Barbarino <sup>c</sup>,  
Sachie Kimura <sup>b</sup>, Jozef Sura <sup>f</sup>, Joseph Natowitz <sup>c</sup>, Todd Ditmire <sup>e</sup>

<sup>a</sup> Associazione Euratom - ENEA sulla Fusione, via E. Fermi 45, CP 65-00044 Frascati, Rome, Italy

<sup>b</sup> INFN - LNS, via S. Sofia 62, I-95123 Catania, Italy

<sup>c</sup> Cyclotron Institute, Texas A&M University, College Station, TX, 77843, USA

<sup>d</sup> Dipartimento di Fisica G. Galilei, Università degli Studi di Padova, via F. Marzolo 8, I-35131 Padova, Italy

<sup>e</sup> Texas Center for High Intensity Laser Science, University of Texas at Austin, Austin 78712, TX, USA

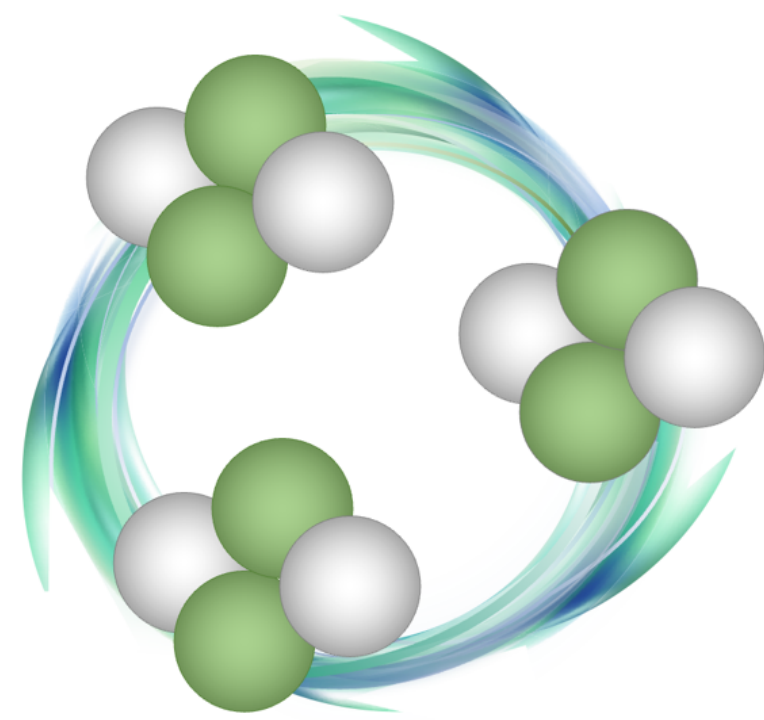
<sup>f</sup> Heavy Ions Laboratory, University of Warsaw, ul. Pasteura 5a, 02-093 Warszawa, Poland

# Work in collaboration with:

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Giorgio Di Giorgio <sup>a</sup>, Aldo Bonasera <sup>b,c</sup>, Marina Barbui <sup>c</sup>, Marco Mazzocco <sup>d</sup>, Woosuk Bang <sup>e</sup>,  
Gilliss Dyer <sup>e</sup>, Hernan Quevedo <sup>e</sup>, Kris Hagel <sup>c</sup>, Katarzyna Schmidt <sup>c</sup>, Erhard Gaul <sup>e</sup>,  
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Sachie Kimura <sup>b</sup>, Jozef Sura <sup>f</sup>, Joseph Natowitz <sup>c</sup>, Todd Ditmire <sup>e</sup>



CA 21128



PROBONO

M. R. D. Rodrigues<sup>1</sup>, A. Bonasera<sup>1</sup>,  
J. A. Pérez-Hernández<sup>2</sup>, M. Ehret<sup>2</sup>, M. Huault<sup>2</sup>, R. Lera<sup>2</sup>, L. Volpe<sup>2,10</sup>,  
F. Consoli<sup>3</sup>, M. Scisciò<sup>3</sup>, P. L. Andreoli<sup>3</sup>, M. Alonzo<sup>3</sup>, F. Filippi<sup>3</sup>, M. Cipriani<sup>3</sup>, G. Di Giorgio<sup>3</sup>, G.  
Cristofari<sup>3</sup>, R. De Angelis<sup>3</sup>,  
G. G. Rapisarda<sup>4</sup>, G. A. P. Cirrone<sup>4</sup>, F. Consoli<sup>4</sup>, G. Petringa<sup>4</sup>, M. La Cognata<sup>4</sup>, D. Lattuada<sup>4,7</sup>, G. L.  
Guardo<sup>4</sup>,  
D. Margarone<sup>5,6</sup>, A. McNamee<sup>5</sup>, D. Molloy<sup>5</sup>, L. Giuffrida<sup>6</sup>,  
S. Palmerini<sup>8,9</sup>,  
D. Batani<sup>11</sup>, T. Carriere<sup>11</sup>, H. Larreur<sup>11,12</sup>, P. Nicolai<sup>11</sup>, D. Raffestin<sup>11</sup>, D. Singappuli<sup>11</sup>, K. Batani<sup>13</sup>, C.  
Verona<sup>14</sup>, D. Giulietti<sup>15</sup>, S. Agarwal<sup>16</sup>, M. Krupka<sup>16,17</sup>, S. Singh<sup>16,17</sup>



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## Organizers

- Aurora Tumino (Università degli Studi di Enna “Kore” & INFN-LNS)  
[tumino@lns.infn.it](mailto:tumino@lns.infn.it)
- Carlos Bertulani (Department of Physics Texas & University-Commerce)  
[carlos.bertulani@tamuc.edu](mailto:carlos.bertulani@tamuc.edu)
- Roland Diehl (Max Planck Institut für extraterrestrische Physik)  
[rod@mpe.mpg.de](mailto:rod@mpe.mpg.de)
- Jose Jordi (Dept. Physics Technical University of Catalonia)  
[jordi.jose@upc.edu](mailto:jordi.jose@upc.edu)
- Livius Trache (“Horia Hulubei” National Institute for Physics and Nuclear Engineering (IFIN-HH))  
[livius.trache@nipne.ro](mailto:livius.trache@nipne.ro)

**FBK | ECT\***

