

# Advances in Laser-driven Neutron Sources and Applications at Osaka University

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# Neutron characteristics

## Compared to X-rays...

Higher ability to penetrate matter ⇒ **Transmission measurement**

High sensitivity to light elements (especially hydrogen)

⇒ **Detecting water, hydrogen, biomolecules, oil**

Reaction differs depending on the element ⇒ **Element identification**



図1 一乗寺経塚出土経筒の概観<sup>5)</sup>

**Neutron**

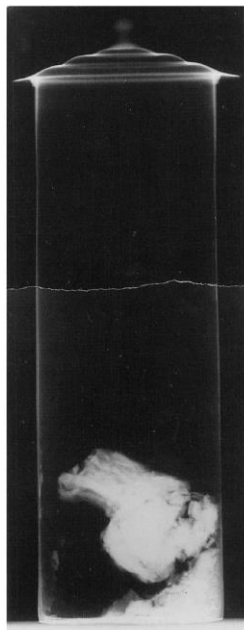


図2 経筒のNR画像<sup>5)</sup>

**X-ray**

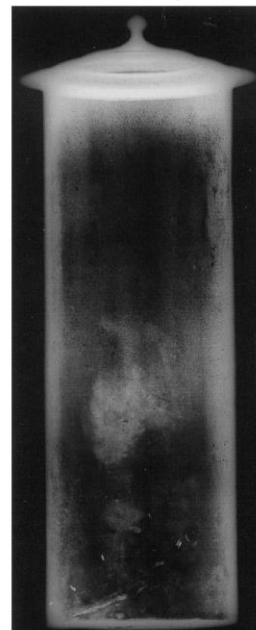
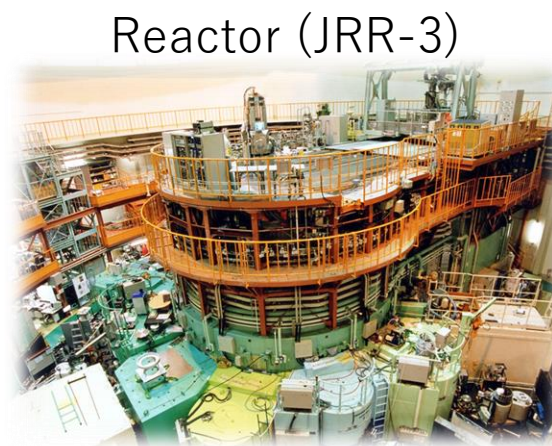


図3 経筒のXR画像<sup>5)</sup>



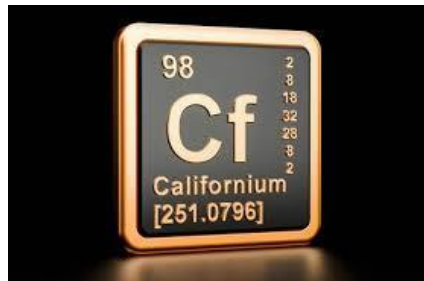
# Neutron Sources



**Reactor**  
Large facility  
Continuous beam

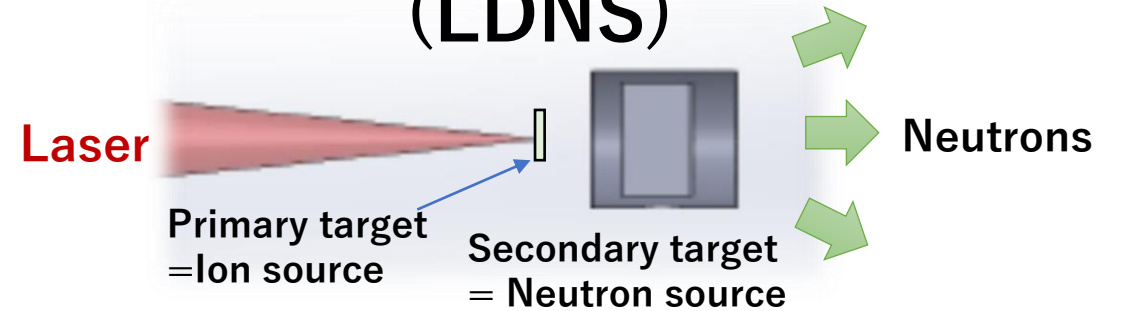


**Accelerator**  
Large facility  
Pulsed beam



**Radioisotope**  
Small, Expensive  
Continuous beam  
Temporal decay

## Laser-driven Neutron Source (LDNS)



**High Neutron number**  
 $\sim 10^{10-11}$  n/pulse

**Short Pulse**  
 $< 1$  ns

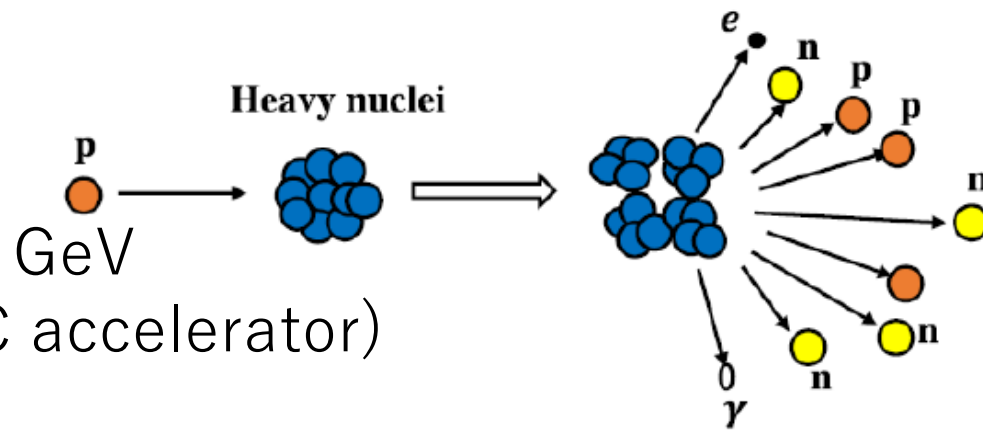
**Small Size**  
 $\sim 1$  cm<sup>3</sup>

Main current scientific question

What are the characteristics of LDNS that make it possible to provide science and applications that are **not possible with accelerator neutron sources?**

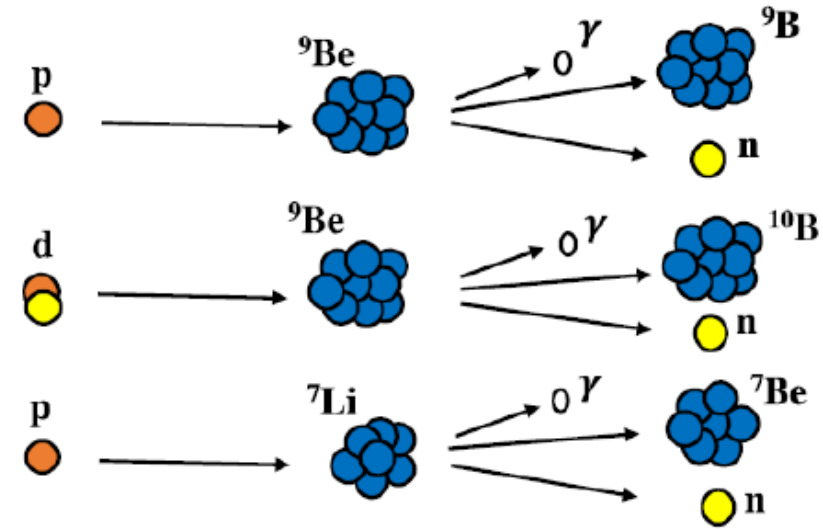
# Nuclear reactions to generate neutrons by laser

(a) Spallation Nuclear Reaction

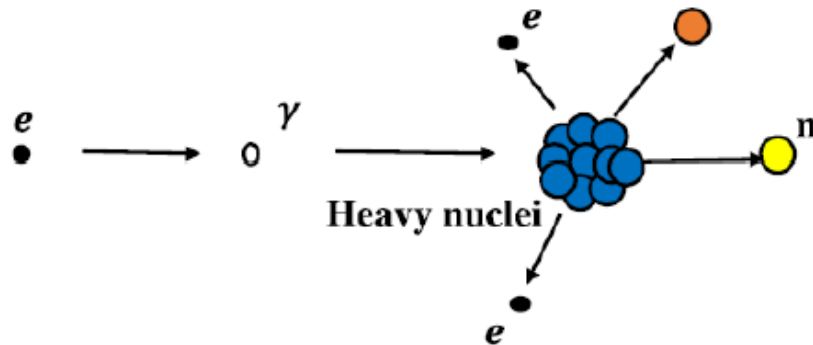


(J-PARC accelerator)

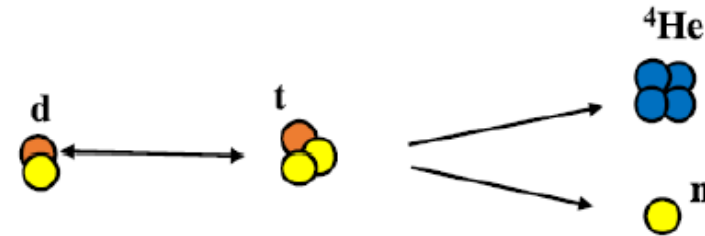
(c) Low Energy Nuclear Reaction



(b) Photo Nuclear Reaction



(d) Thermo-nuclear Fusion



# Literatures on LDNS

Author	Reaction	Target		Laser configuration			Neutron Yield	
		primary	secondary	Energy [J]	Intensity [ $\text{Wcm}^{-2}$ ]	Duration [ps]	[n/sr]	[n/sr/J]
Lancaster	Li(p,n)Be	CH	LiF	80	$3 \times 10^{19}$	1	$3.0 \times 10^8$	$3.75 \times 10^6$
Higginson	Li(p,n)Be	Cu	LiF	140	$1 \times 10^{20}$	0.7	$1.0 \times 10^8$	$7.1 \times 10^5$
Higginson	Li(d,n)Be	CD <sub>2</sub>	LiF	360	$2 \times 10^{19}$	9	$8.0 \times 10^8$	$2.2 \times 10^6$
Willingale	D(d,n)He	CD	CD	6	$2.6 \times 10^{19}$	0.4	$5.0 \times 10^4$	$8.3 \times 10^3$
Jung	Be(p,n)B, Be(d,n)	CD <sub>2</sub> , CH	Be	80	$5 \times 10^{20}$	0.6	$4.4 \times 10^9$	$5.5 \times 10^7$
Roth	Be(p,n)B, Be(d,n)	CD <sub>2</sub>	Be	80	$5 \times 10^{20}$	0.6	$5.0 \times 10^9$	$6.3 \times 10^7$
Zulick	Li(p,n)Be	CH <sub>2</sub>	LiF	1.1	$2 \times 10^{21}$	0.04	$1.0 \times 10^7$	$9.1 \times 10^6$
Maksimchuk	D(d,n)He	D <sub>2</sub> O ice on Cu	CD	6	$2 \times 10^{19}$	0.4	$4.0 \times 10^5$	$6.7 \times 10^4$
Storm	Li(p,n)Be	Si <sub>3</sub> N <sub>4</sub>	Li	60	$2 \times 10^{20}$	0.18	$1.6 \times 10^7$	$2.7 \times 10^5$
Pomerantz	photo-nuclear	plastic	Cu	90	-	0.15	$1.0 \times 10^7$	$1.1 \times 10^5$
Kar	D(d,n)He	CD	CD	220	$3 \times 10^{20}$		$8.0 \times 10^8$	$3.6 \times 10^6$
Alejo	D(d,n)He	D <sub>2</sub> O ice on Cu	CD	200	$2 \times 10^{20}$	0.75	$2.0 \times 10^9$	$1.0 \times 10^7$
Kleinschmidt	Be(p,n)B, Be(d,n)	CD	Be	175	$2 \times 10^{20}$	0.5	$1.42 \times 10^{10}$	$8.1 \times 10^7$
Zimmer	(p,n), (d,n)	CD	LiF-Be	100	$2 \times 10^{20}$	0.6	$1.43 \times 10^9$	$1.4 \times 10^7$
Günthe	photo-nuclear	CHO foam + Au	-	20	$\sim 10^{19}$	0.75	$1.11 \times 10^9$	$5.5 \times 10^7$
	(p,n)	CHO foam + Au	-	20	$\sim 10^{19}$	0.75	$4.93 \times 10^9$	$2.5 \times 10^8$
Yogo	Be(p,n)B, Be(d,xn)	CD	Be	900	$1 \times 10^{19}$	1.5	$2.3 \times 10^{10}$	$2.6 \times 10^7$

10<sup>8</sup> n/sr

10<sup>10</sup> n/sr

Yogo, A. et al. *Eur. Phys. J. A* 59, 191 (2023), Review Article, [OPEN ACSESS](#)

>10<sup>9</sup> neutrons/steradian enables applications

in the fields of **Neutron Analysis**

# LDNS Developments at ILE Osaka

GEKKO-XII  
10kJ/ns



LFEX 1kJ/ps



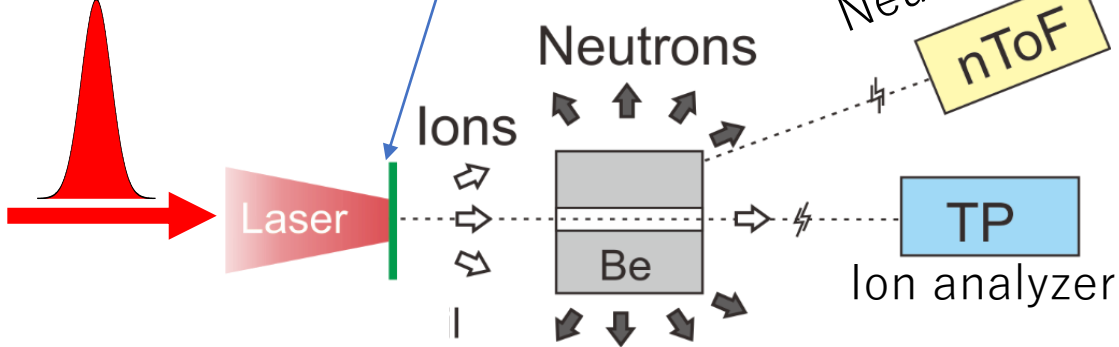
Experimental chamber



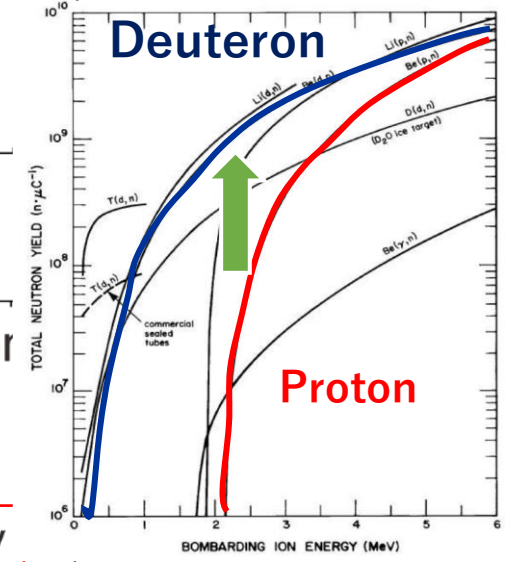
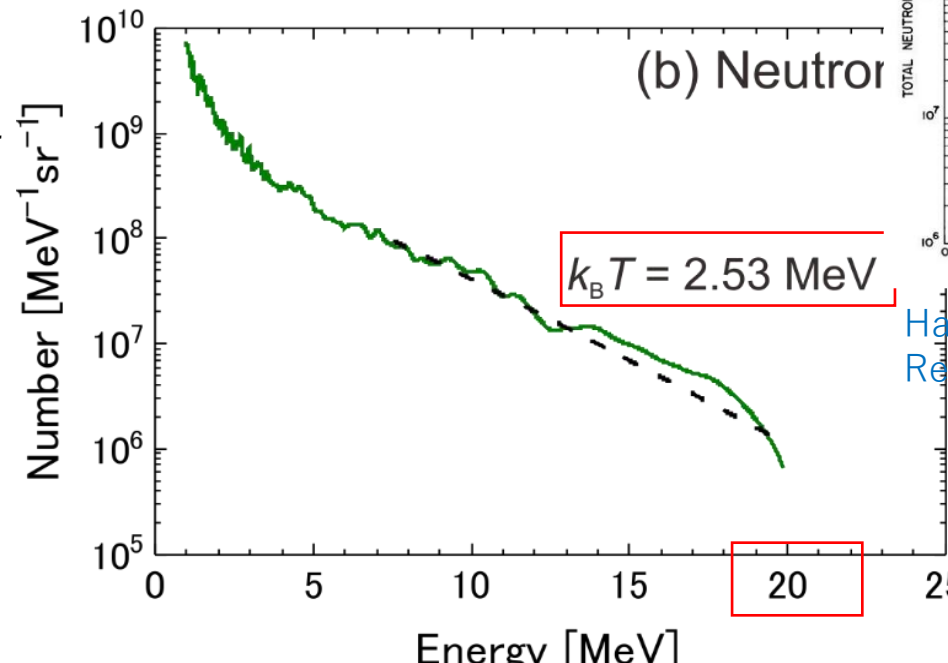
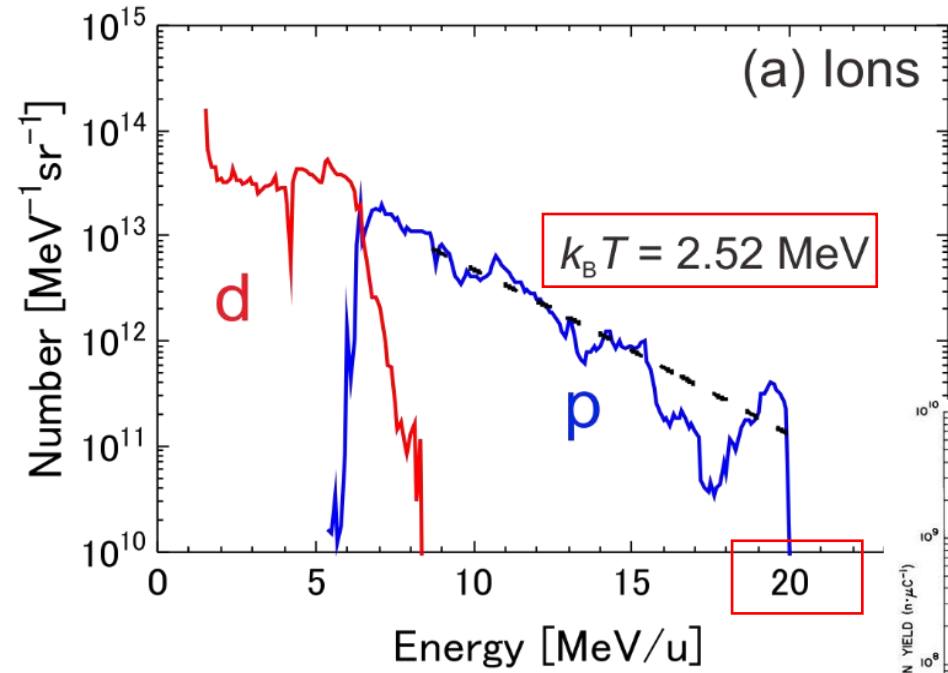
# Experimental conditions

Primary target: Deuterated Polystyrene  
 $-(C_8D_8)_n-$  1.5 or 5  $\mu$ m thickness

$1 \times 10^{19}$  Wcm<sup>-2</sup>  
 1.5 ps (FWHM)



Secondary target: **Be block**  
 1 cm in thickness



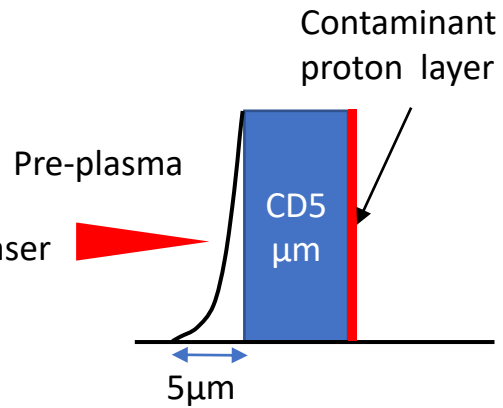
Hawkesworth, Atomic Energy Review 15, 169-220 (1977).



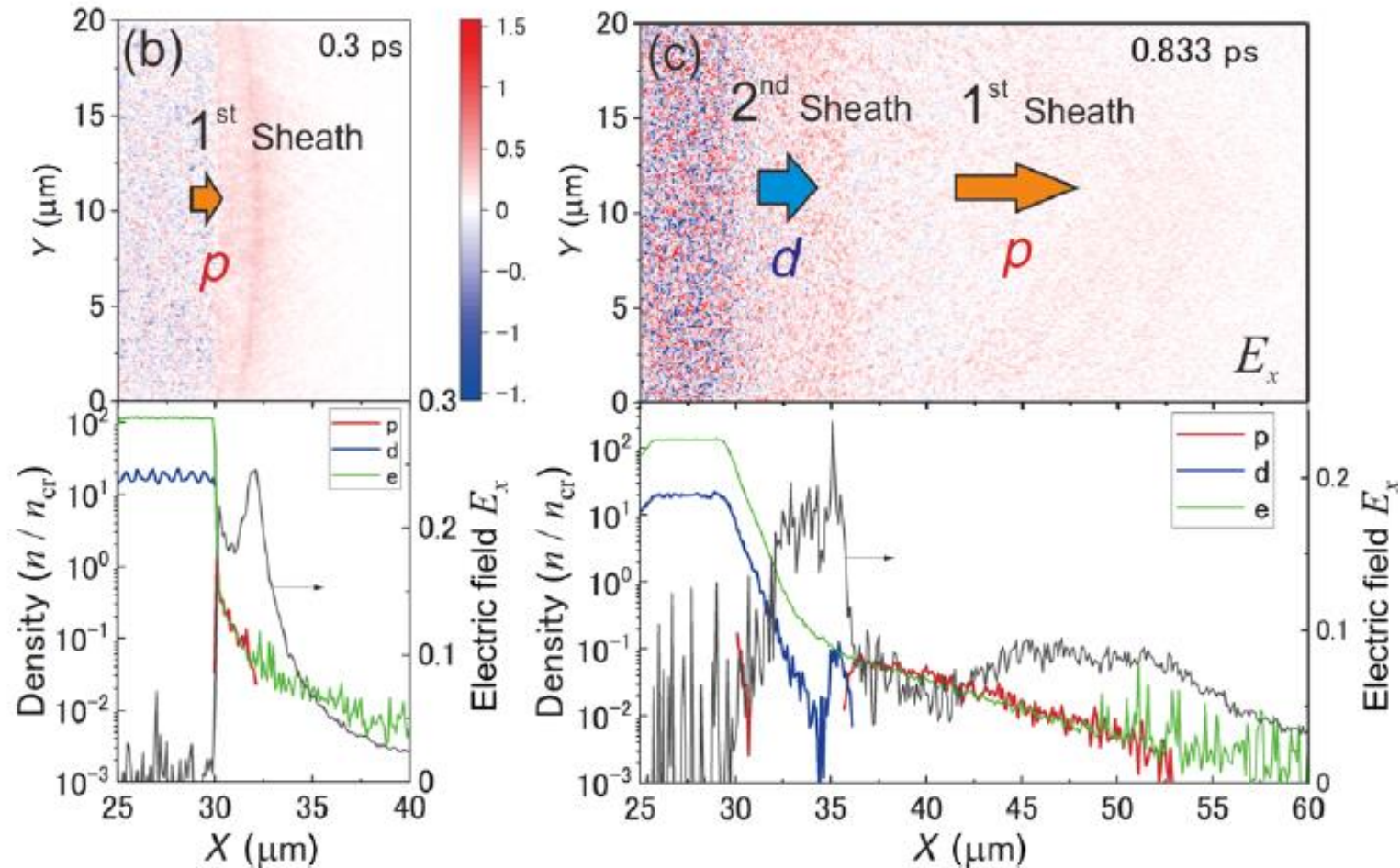
# ps relativistic laser

is advantageous for deuteron acceleration

2D PIC by PICLS



$\Phi_L = 60 \mu\text{m}$   
space:  $20\text{mm} \times 200\text{mm}$

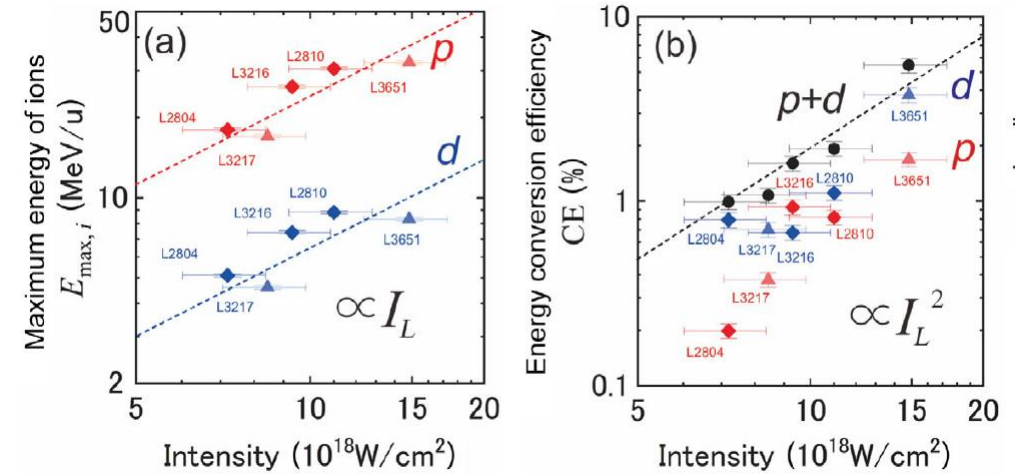
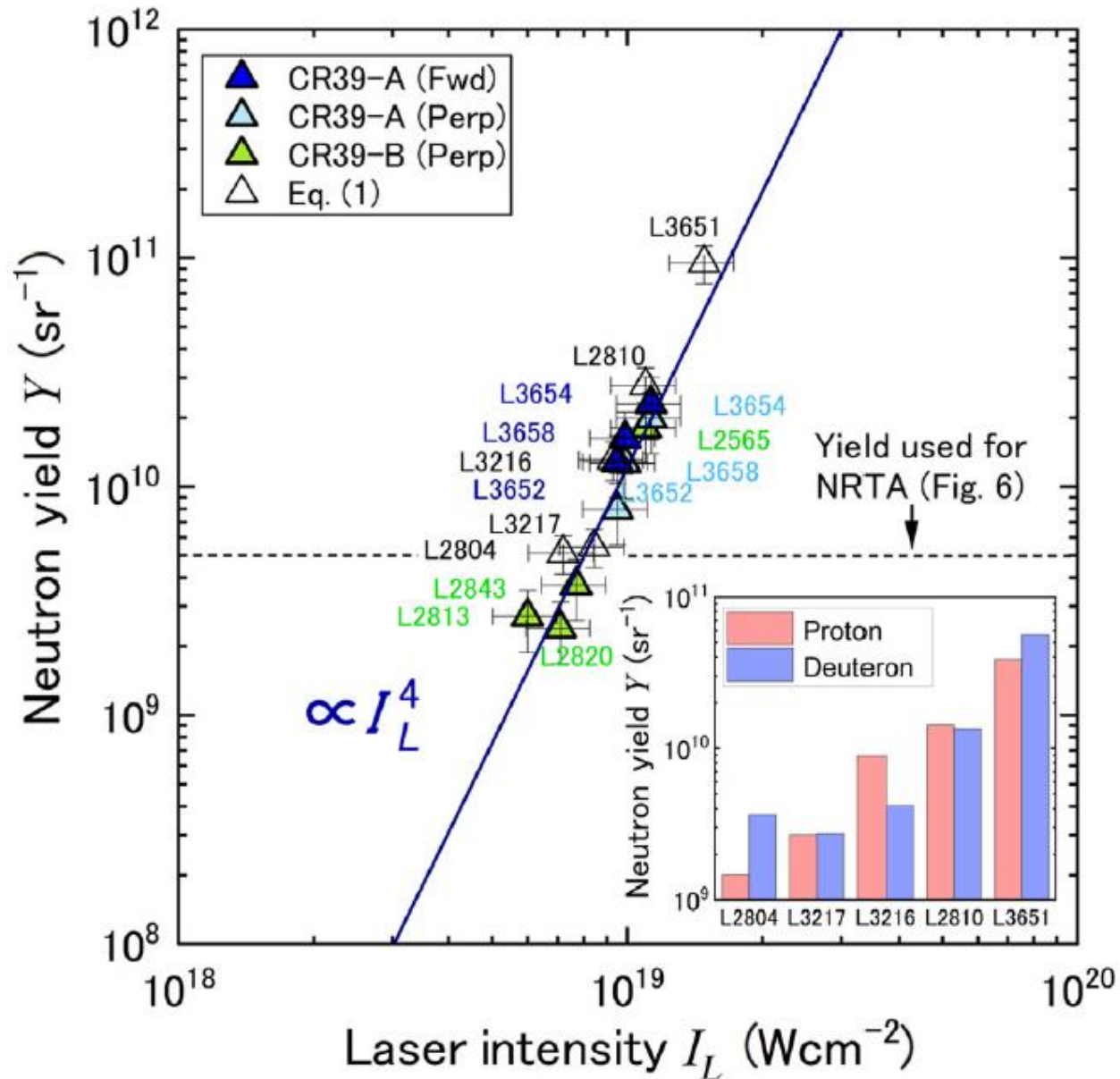


Protons detach from the surface and deuterons begin to accelerate after 0.8 ps.

Boosted-TNSA mechanism

A. Yogo, et al., Phys. Rev. X 13 011011 (2023).

# Neutron Yield enhanced as the 4<sup>th</sup> power of laser intensity



$$E_{\text{max},i} \propto I_L^k$$

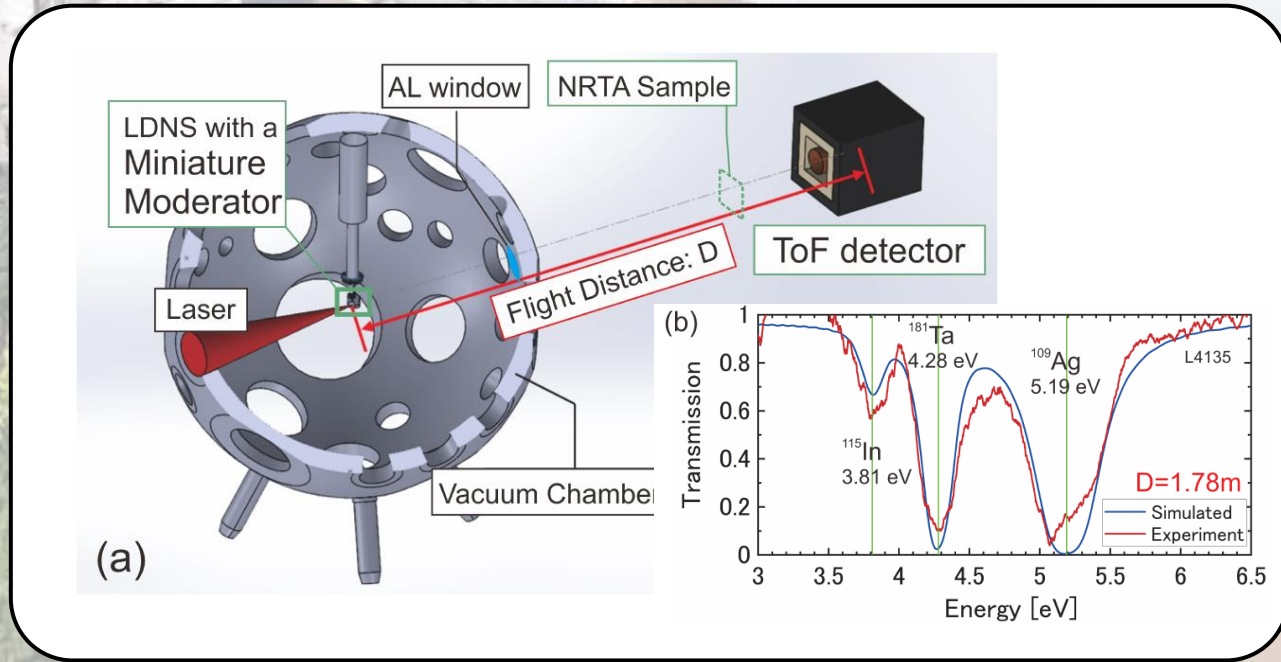
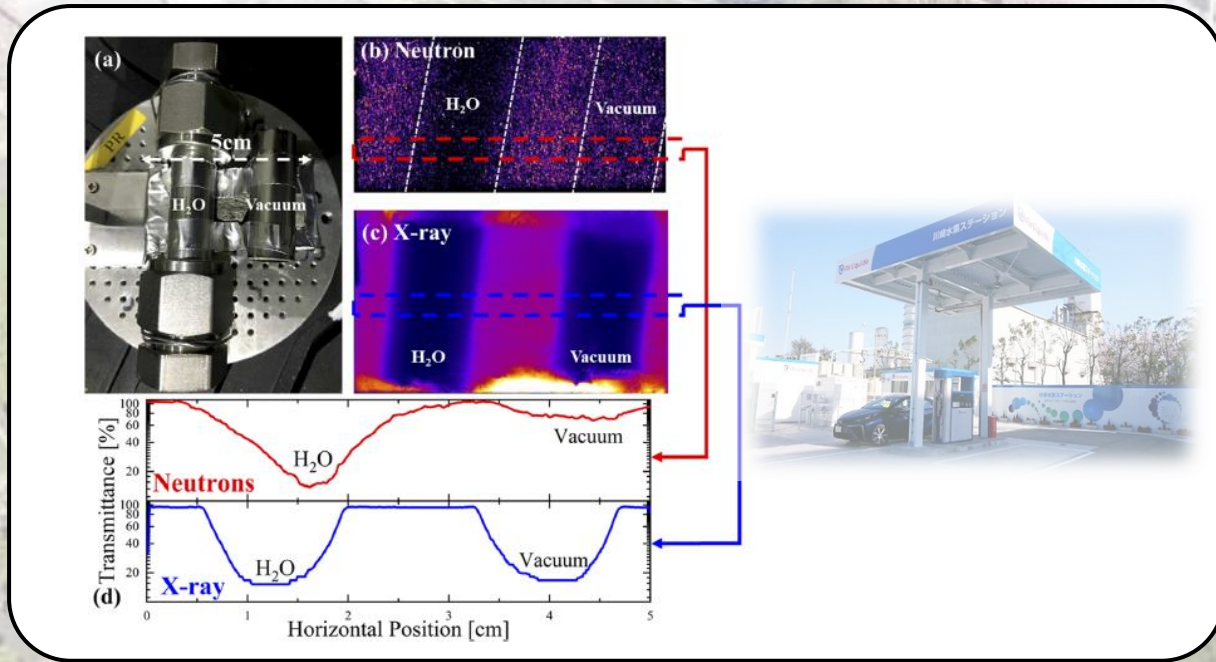
$$CE \propto I_L^m$$

$$\Rightarrow Y \propto I_L^{k+m+1}$$

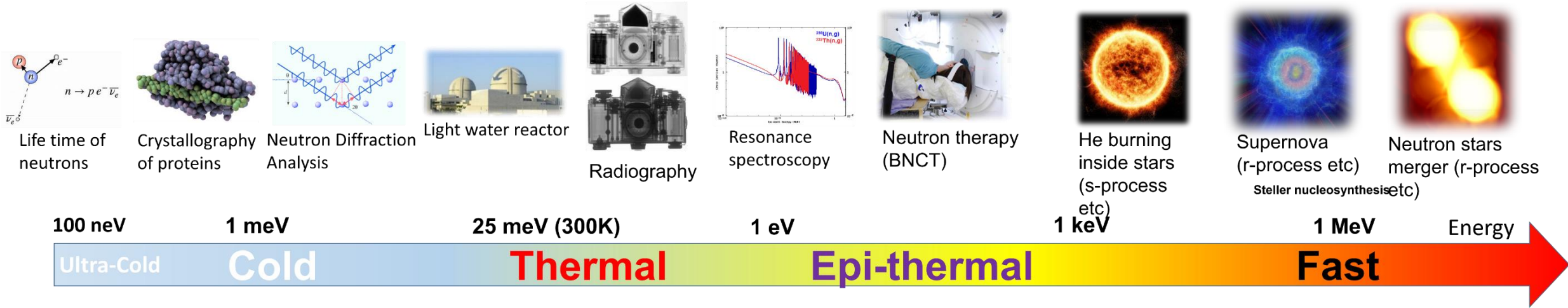
$$k = 1 (E_{\text{max},i} \propto I_L) \text{ and } m = 2 (CE \propto I_L^2)$$

$$Y \propto I_L^4$$

# Applications of LDNS



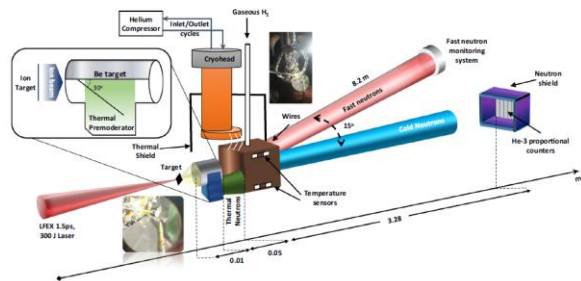
# Neutron applications depending on the energy



## LDNS results at Osaka Univ

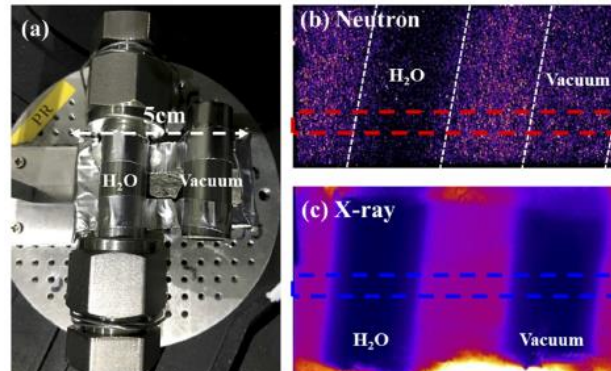
### Cold neutron generation

Mirfayzi, Sci. Rep. 10, 20157 (2020)



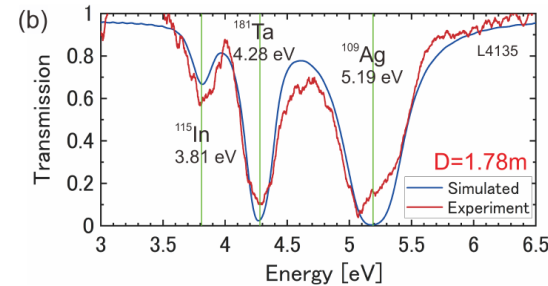
### Radiography

Yogo, Appl Phys Express 14 106001 (2021)  
Wei AIP Adv. 12, 045220 (2022)



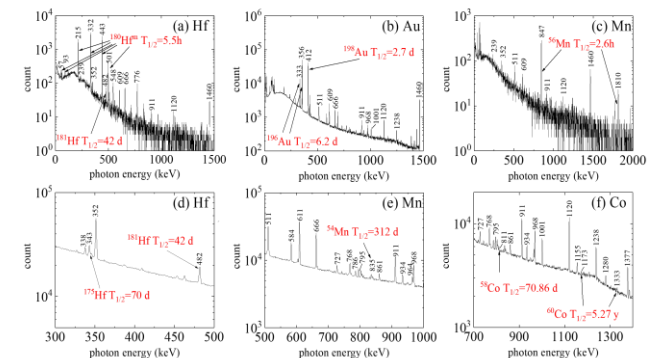
### Resonance spectroscopy

Yogo, Phys Rev X 13, 011011 (2023)  
Lan, accepted by Nat. Comm.

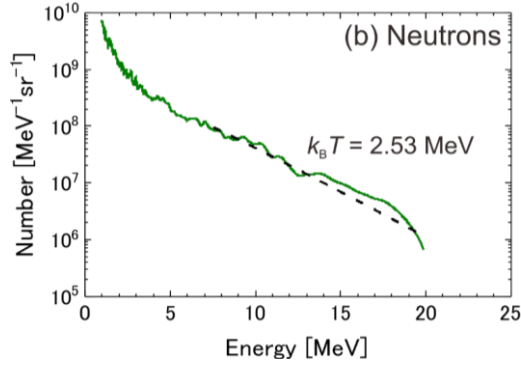


### Nucleosynthesis

Mori, Phys Rev C 104, 015808 (2021)  
Mori, J Phys G, 49 065103 (2022)  
Mori, High Pow. Las. Sci. Eng, 11, E20



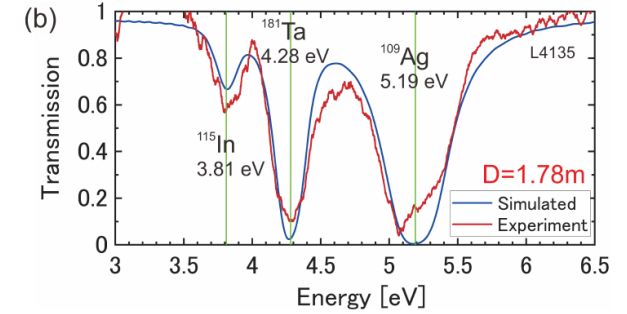
# Neutron moderation (deceleration)



**MeV** Fast neutrons

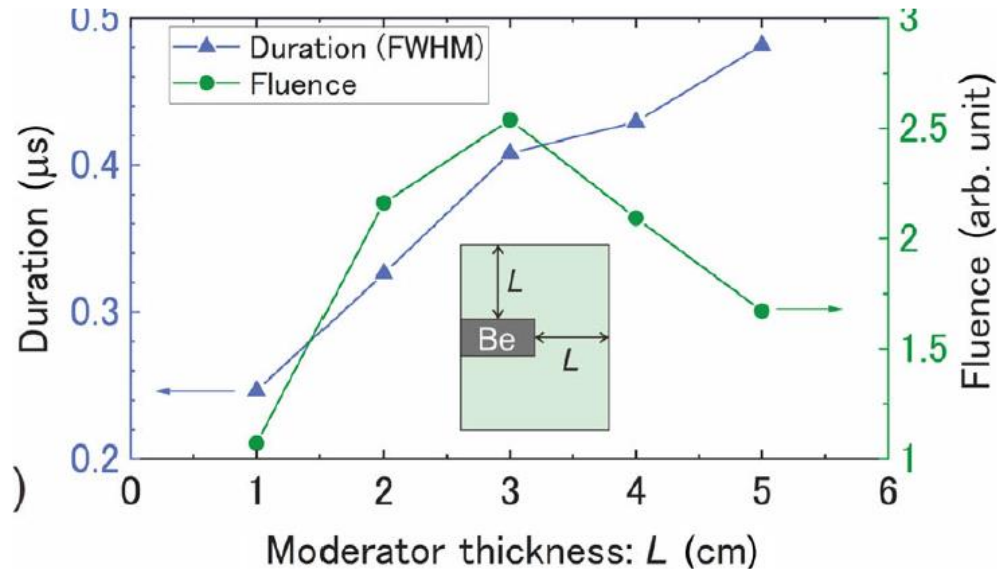


Light water in nuclear reactors



**eV** Epi-thermal  
**meV** Thermal

**Problem: temporal broadening after the moderation**

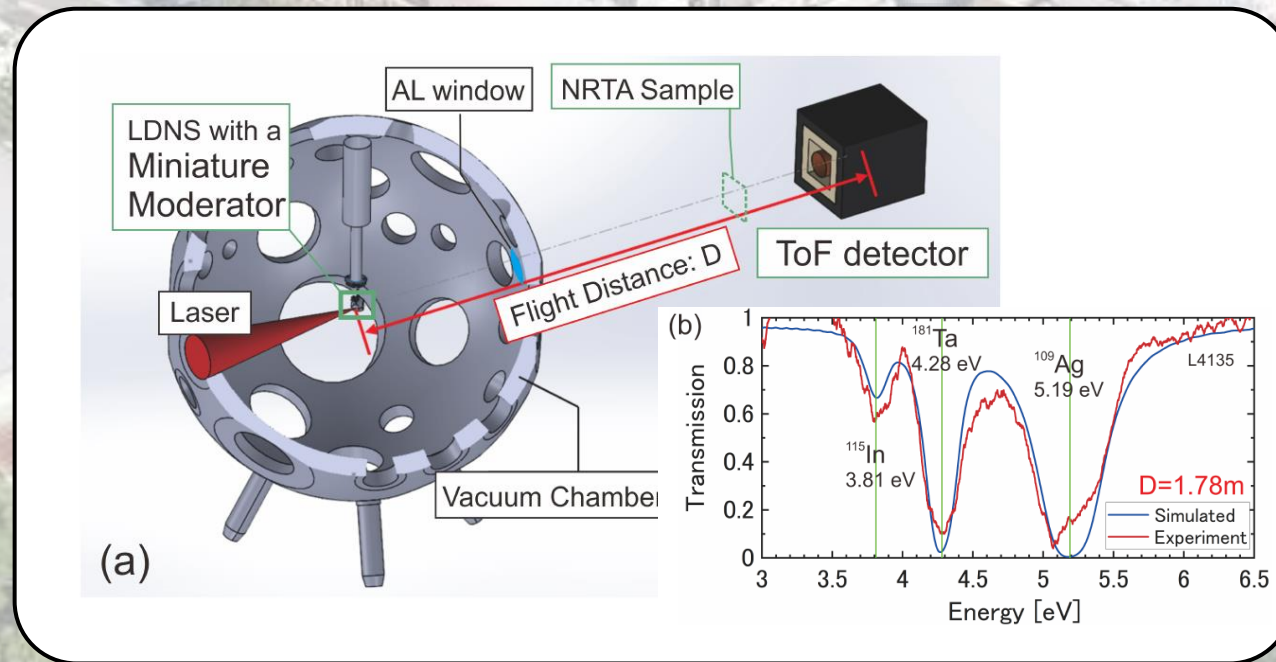


**Our approach**

**Minimize the moderator size**

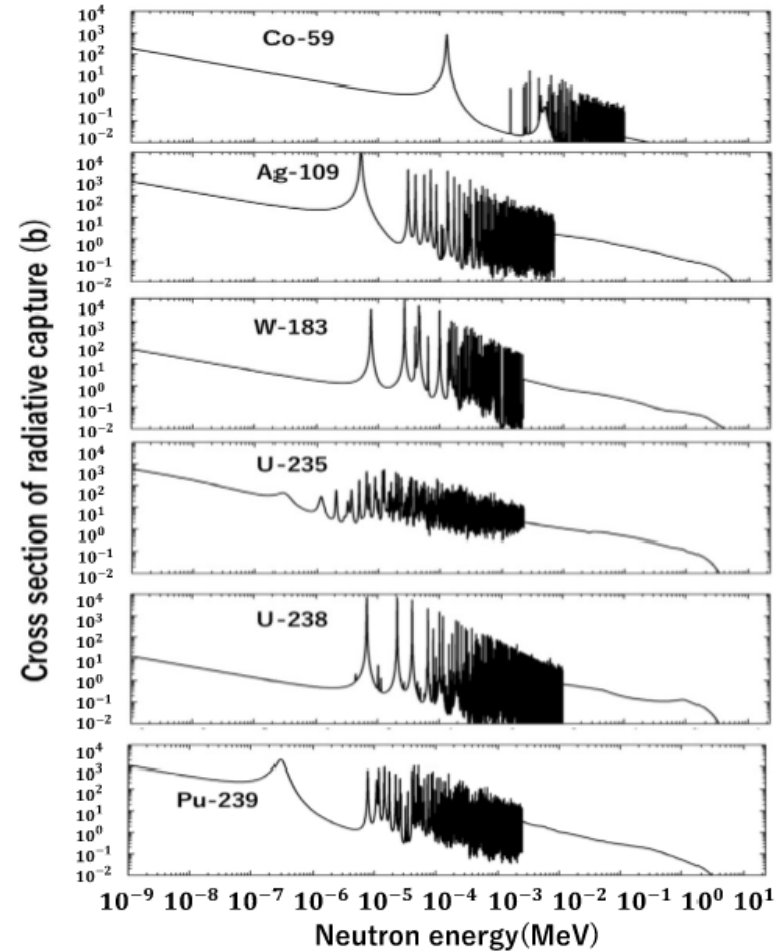
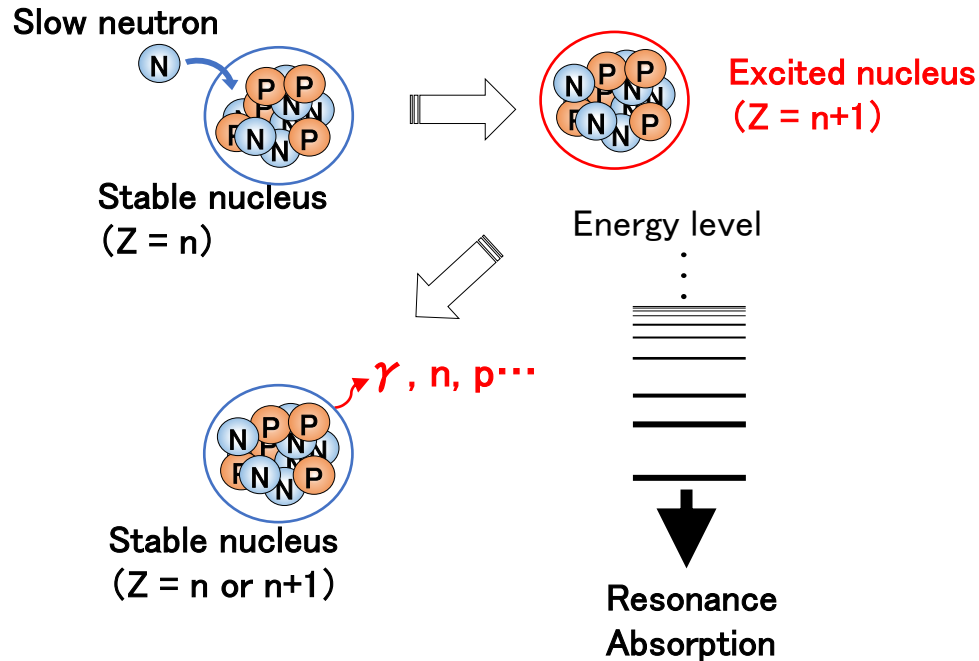
**➔ 3 cm thick High-density Polyethylene**

# Neutron Resonance Spectroscopy



# Neutron Resonance Spectroscopy (NRS)

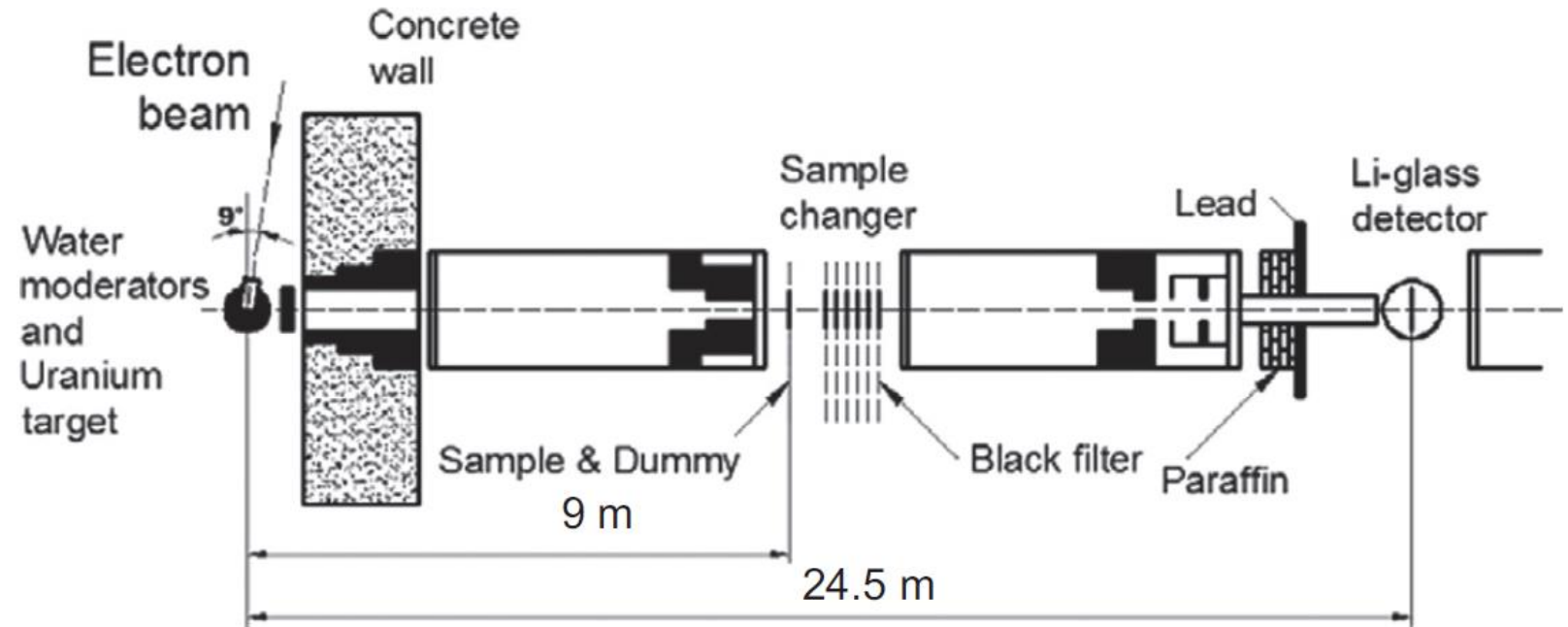
NRS is based on the nuclear resonance absorption process, where a neutron is efficiently captured at the resonance energy of a nucleus in the energy region of eV.



The resonance energy depends on the nuclear species.

## Fingerprint of isotopes

# NRS measured at accelerators



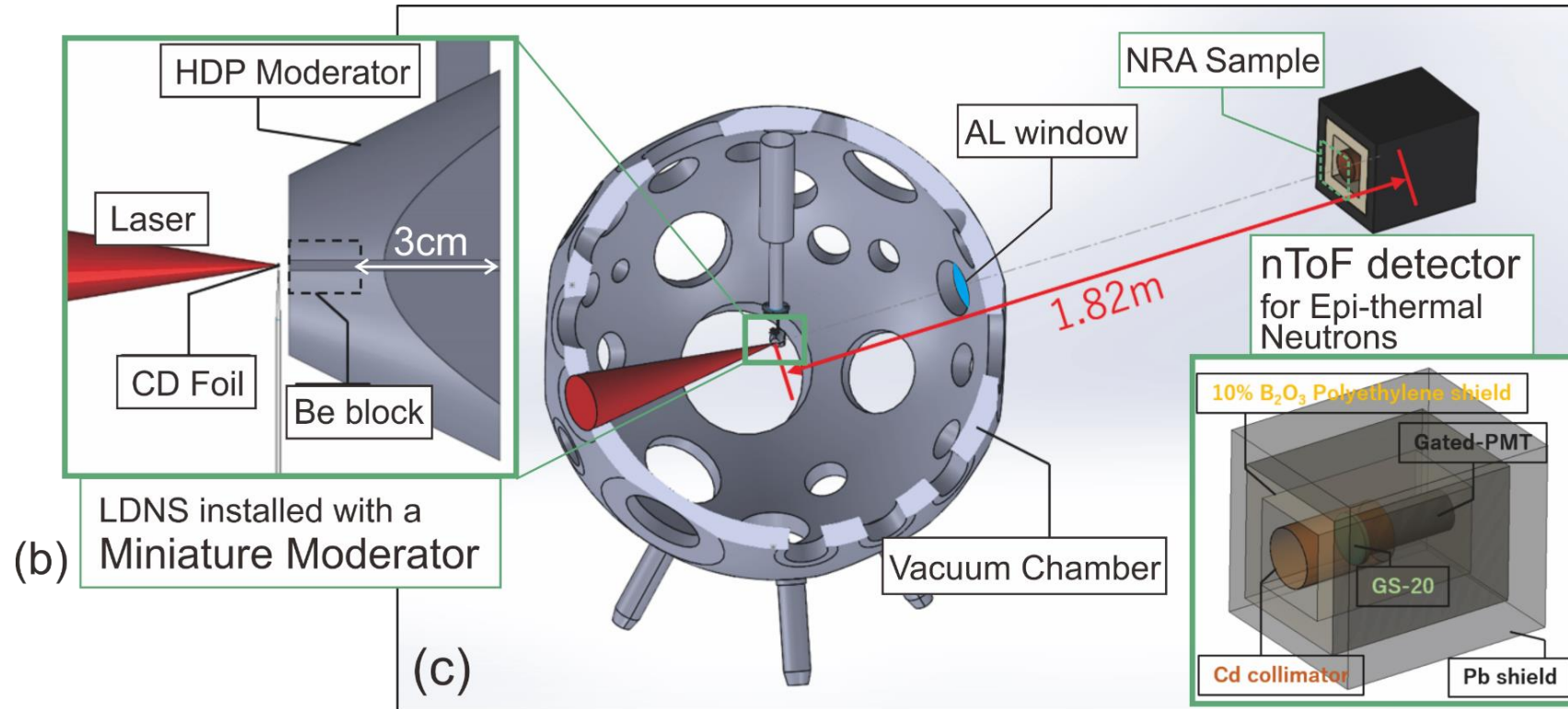
B. Becker et al., Eur. Phys. J. Plus 129, 58 (2014).

The neutron energy is analyzed by time-of-flight (ToF) method  
using a **25 m** beamline.



# NRS measured by LDNS: 1.8 m beamline

A. Yogo, et al., Phys. Rev. X 13 011011 (2023).

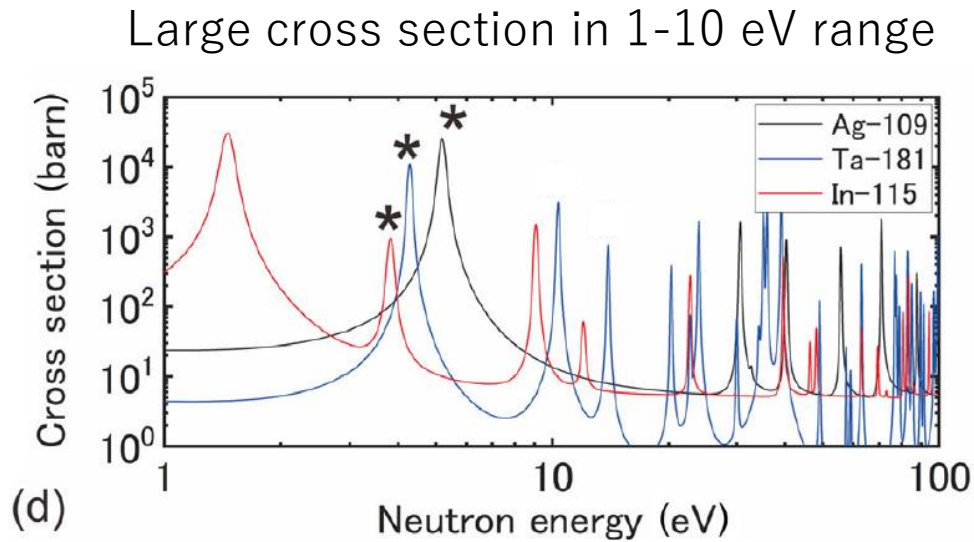


N-ToF resolution 
$$\Delta E_n / E_n = 2\Delta\tau \sqrt{2E_n / m / D}$$

The temporal spread  $\Delta\tau$  at the moderator exit linearly shortens the distance **D**.

# NRS measured by LDNS: 1.8 m beamline

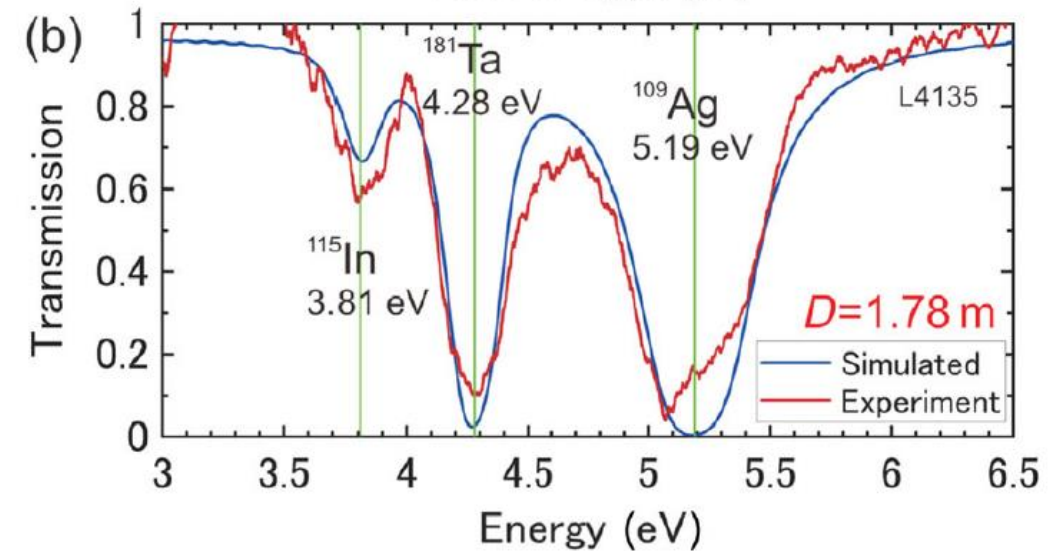
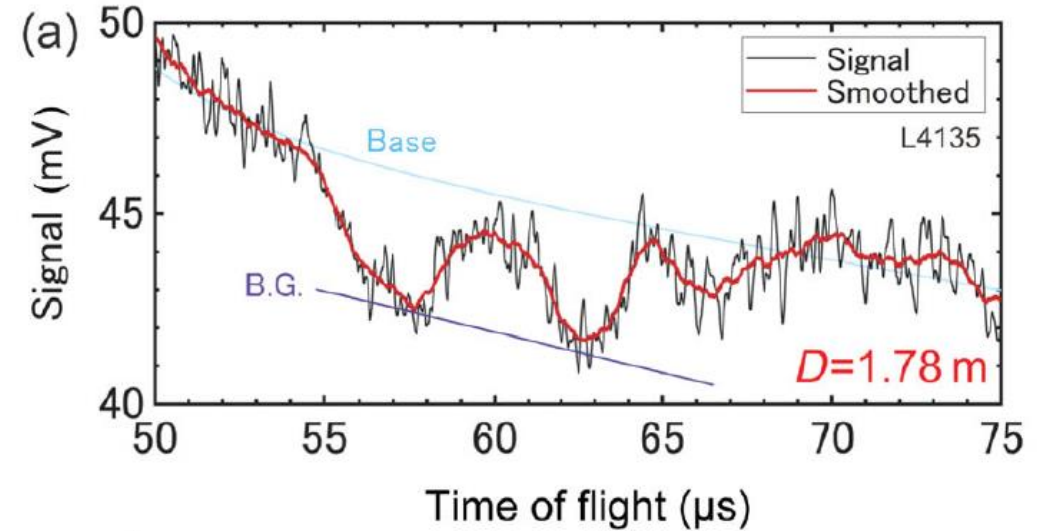
We located plates of **In, Ta, Ag** (t 0.1 mm) on the beamline and measured transmitted neutrons.



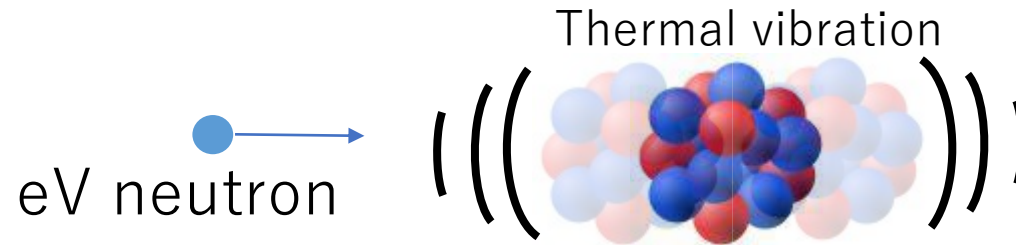
The dips attributed to the absorption by In-115, Ta-181, Ag-109 are clearly identified.

$$\Delta E_n / E_n = 2.3\%$$

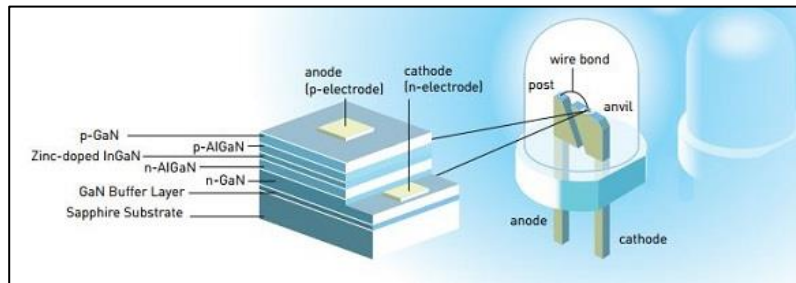
$10^2 - 10^3 \text{ cm}^{-2}$  neutrons of 1–20 eV  
at a sample position



# Neutron thermometer

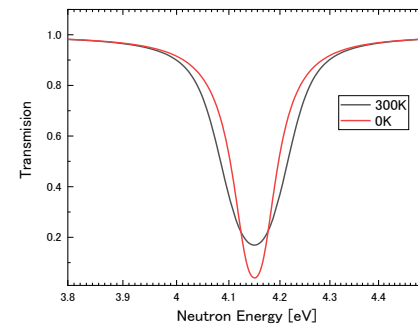
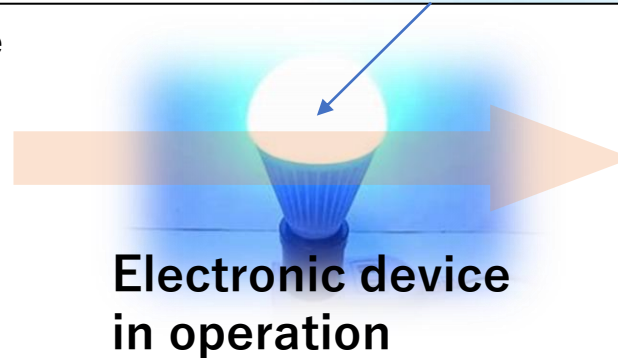
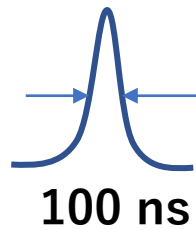


The resonance peak is broadened by the thermal vibration of the nucleus according to the **Doppler Effect**.



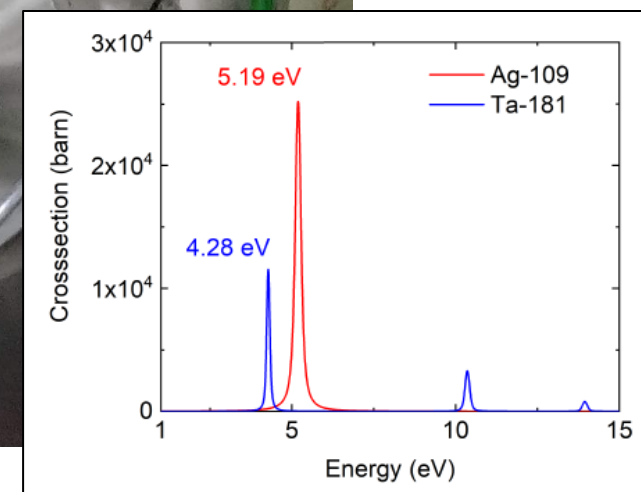
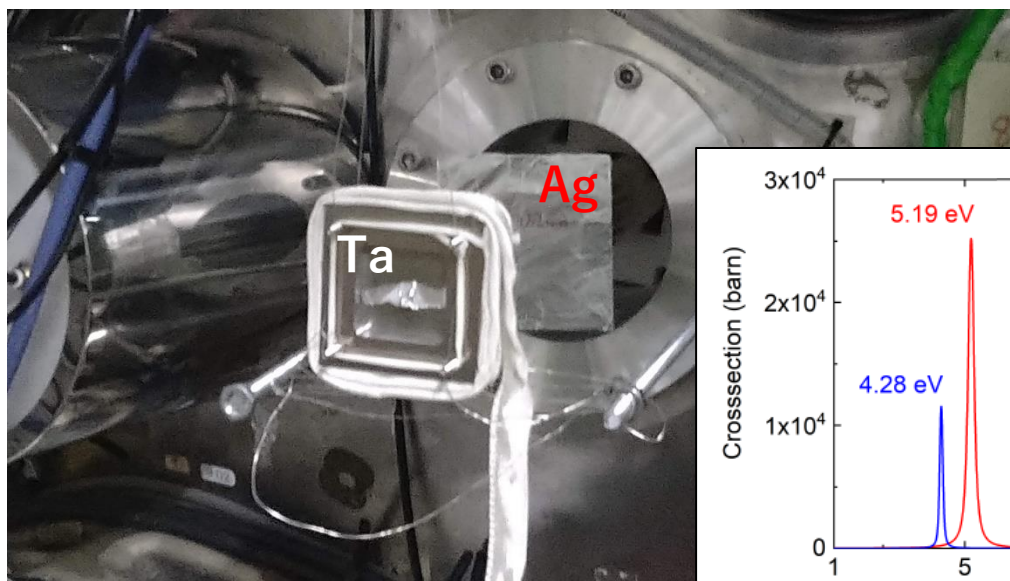
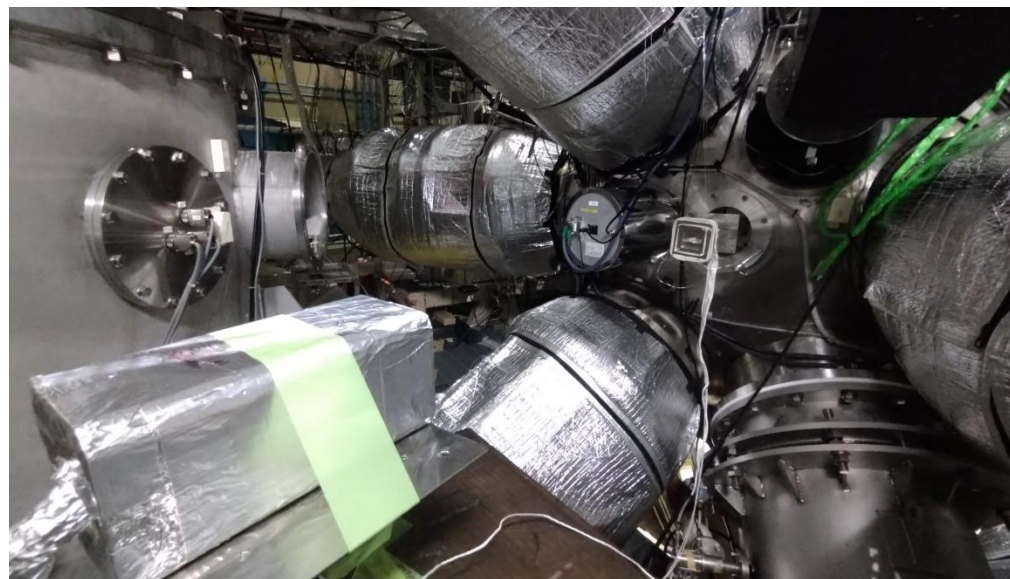
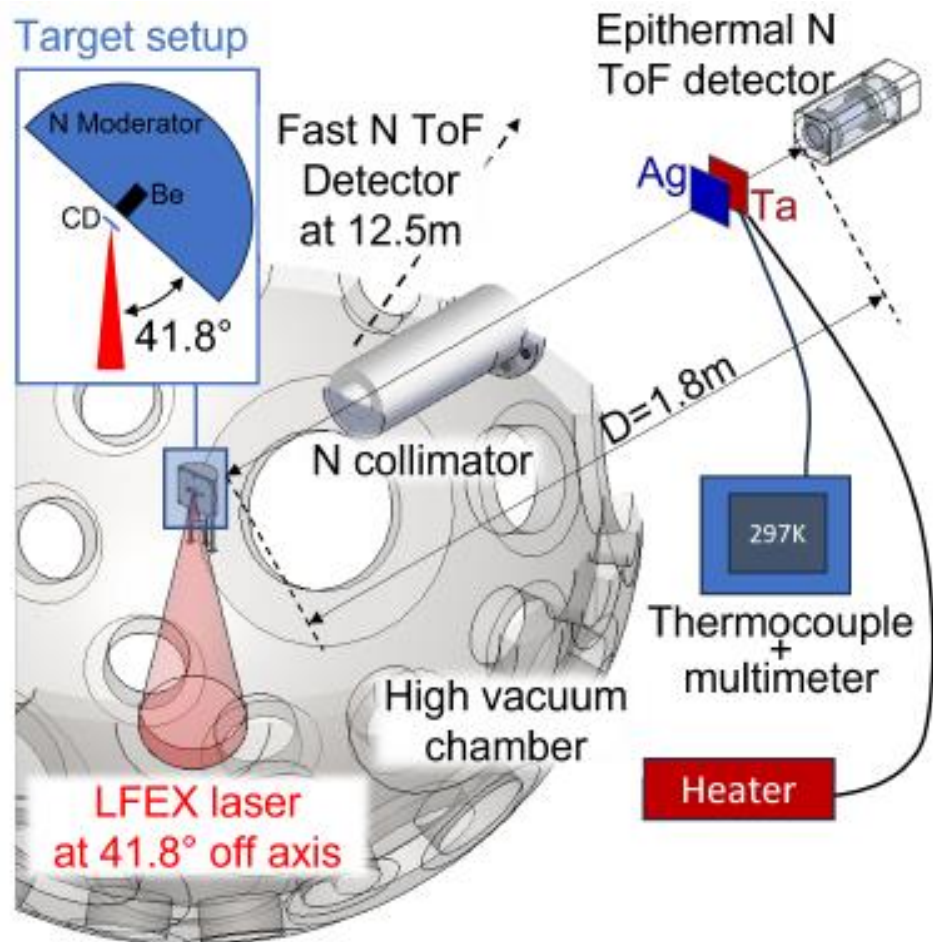
**Element-selective and transparent thermometer for dynamic objects**

Neutron pulse



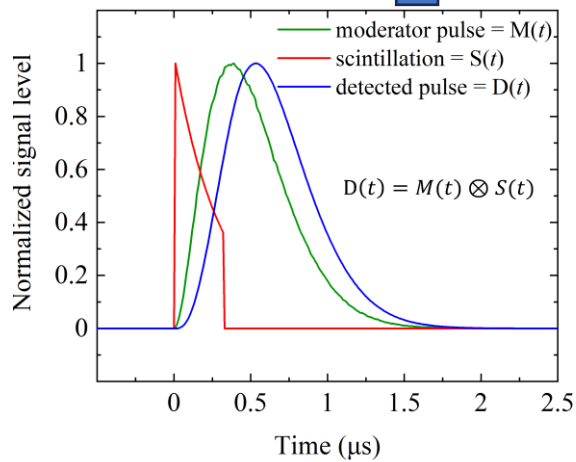
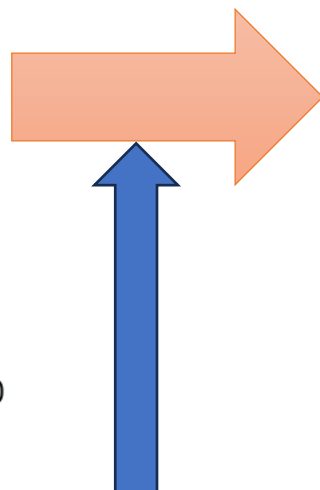
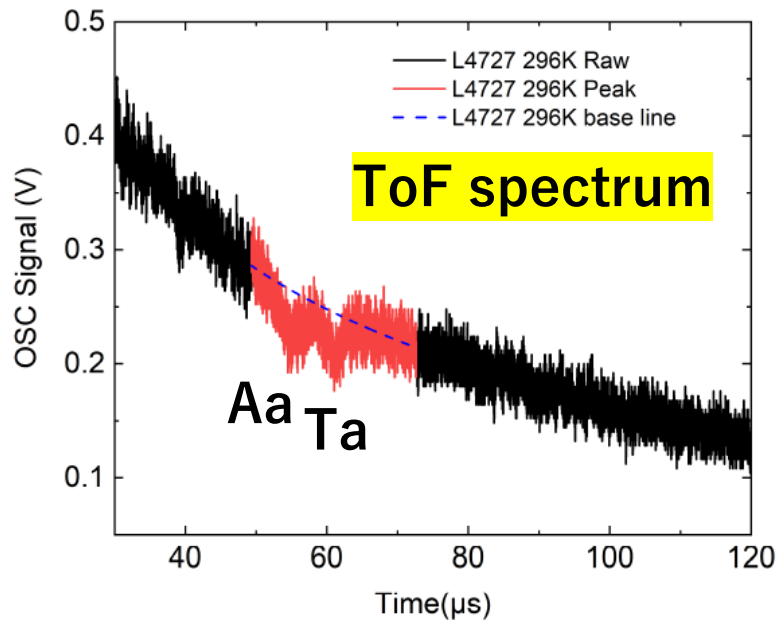
**Bringing time resolution to neutron resonance spectroscopy**

# Single-shot Neutron thermometer



# Single-shot Neutron thermometer

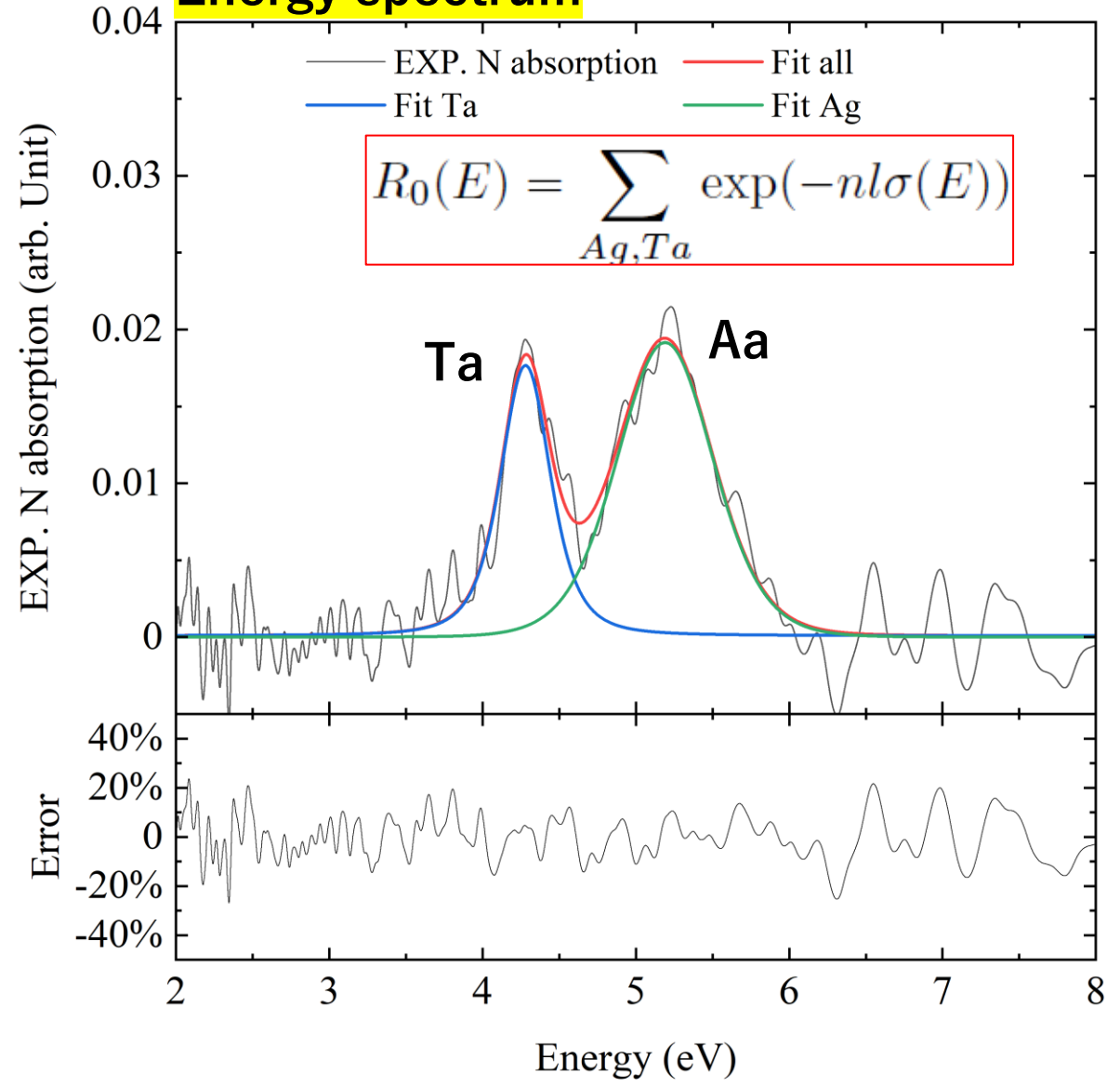
At a room temp. (296 K)



$t_{raw} = t \otimes D(t)$

**Pulse broadening** at  
Moderator  
Detector ( ${}^6\text{Li}$  scintillator)

## Energy spectrum



# Single-shot Neutron thermometer

B-W Model fitting,

$$\sigma_T(E, T) = \sigma(E) \otimes \exp\left(-\frac{(E - E_r)^2}{2\Gamma_D^2(T)}\right)$$

Absorption for each sample

$$R_i(E, T) = \exp(-nl\sigma_i(E, T))$$

$i = Ag \text{ or } Ta$

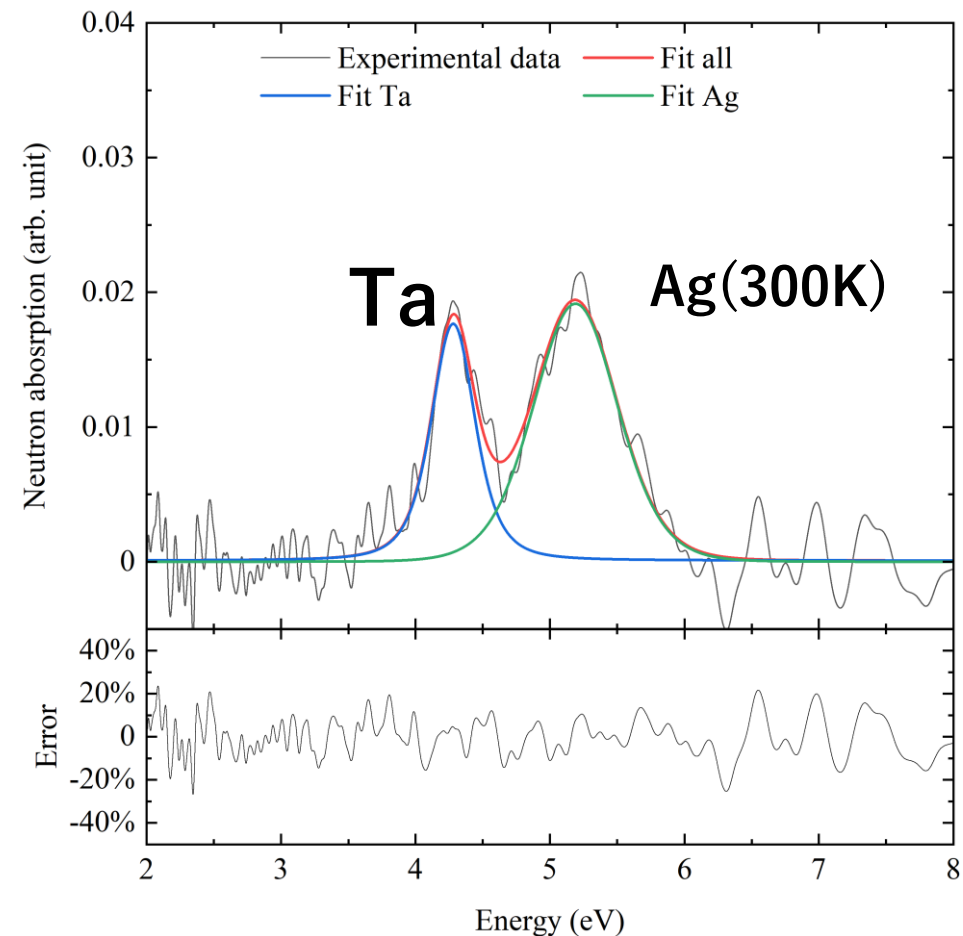
The broadening effects induced by **laser randomness** are assumed as

$$F(E) = a \times \exp\left(-\frac{(E - b)^2}{c^2}\right)$$

$$R_{EXP}(E, T) = \exp(-nl\sigma_i(E, T)) \otimes F(E)$$

Ag reference to compensate laser randomness.

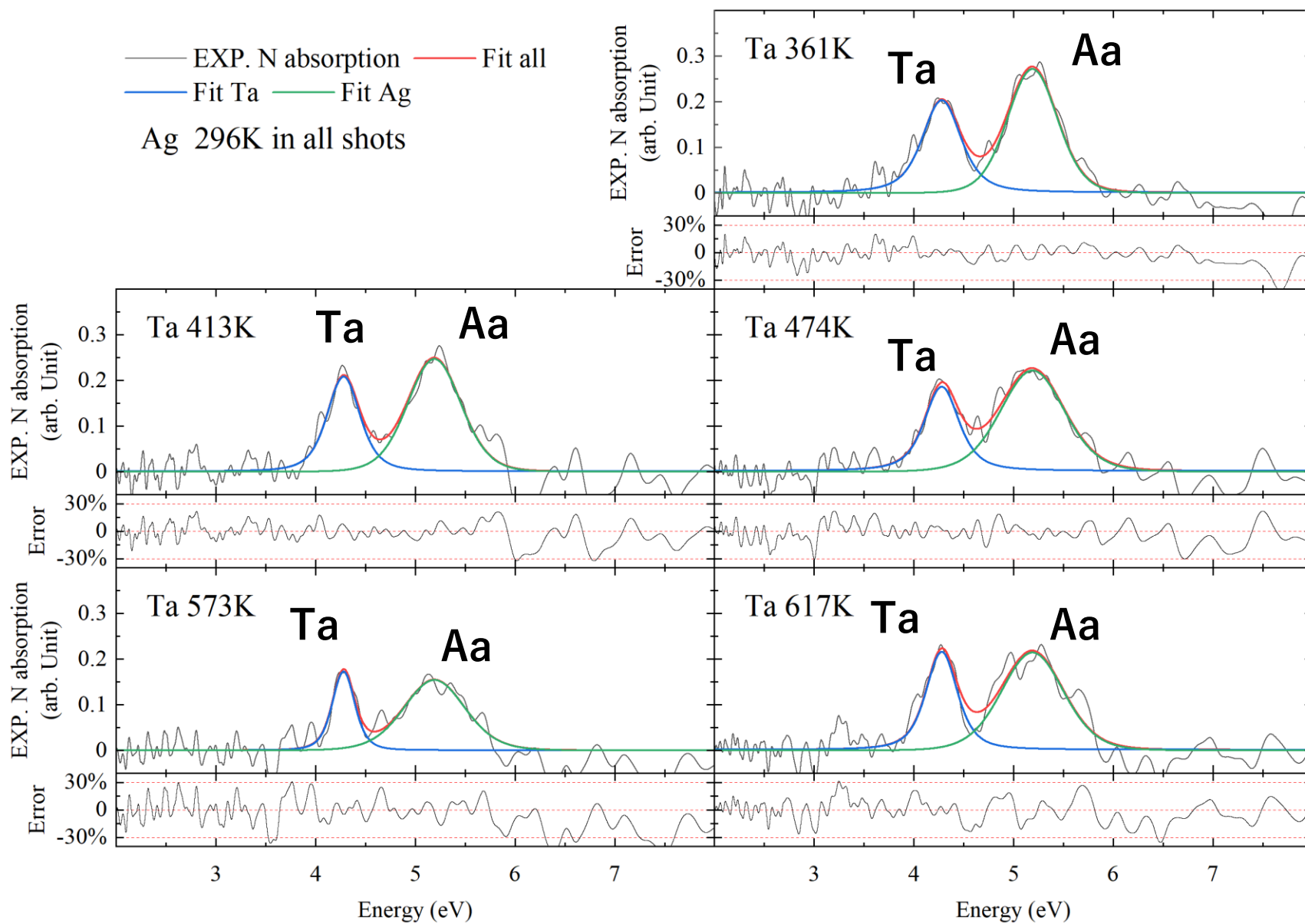
$$\begin{aligned} R_{EXP,Ag}(E, 300K) &= \exp(-nl\sigma_i(E, 300K)) \otimes F(E) \\ &= \sigma_{Ag}(E) \otimes \exp\left(-\frac{(E - E_r)^2}{2\Gamma_D^2(300K)}\right) \otimes F(E) \end{aligned}$$



We determine the shot-by-shot randomness  $F(E)$  by fitting the reference (Ag) signal.

# Single-shot Neutron thermometer

## Temperature dependency



### Temperature-dependent

cross-section for the resonance absorption

$$\sigma_T(E) = \sigma_{BW}(E) \otimes G(E)$$

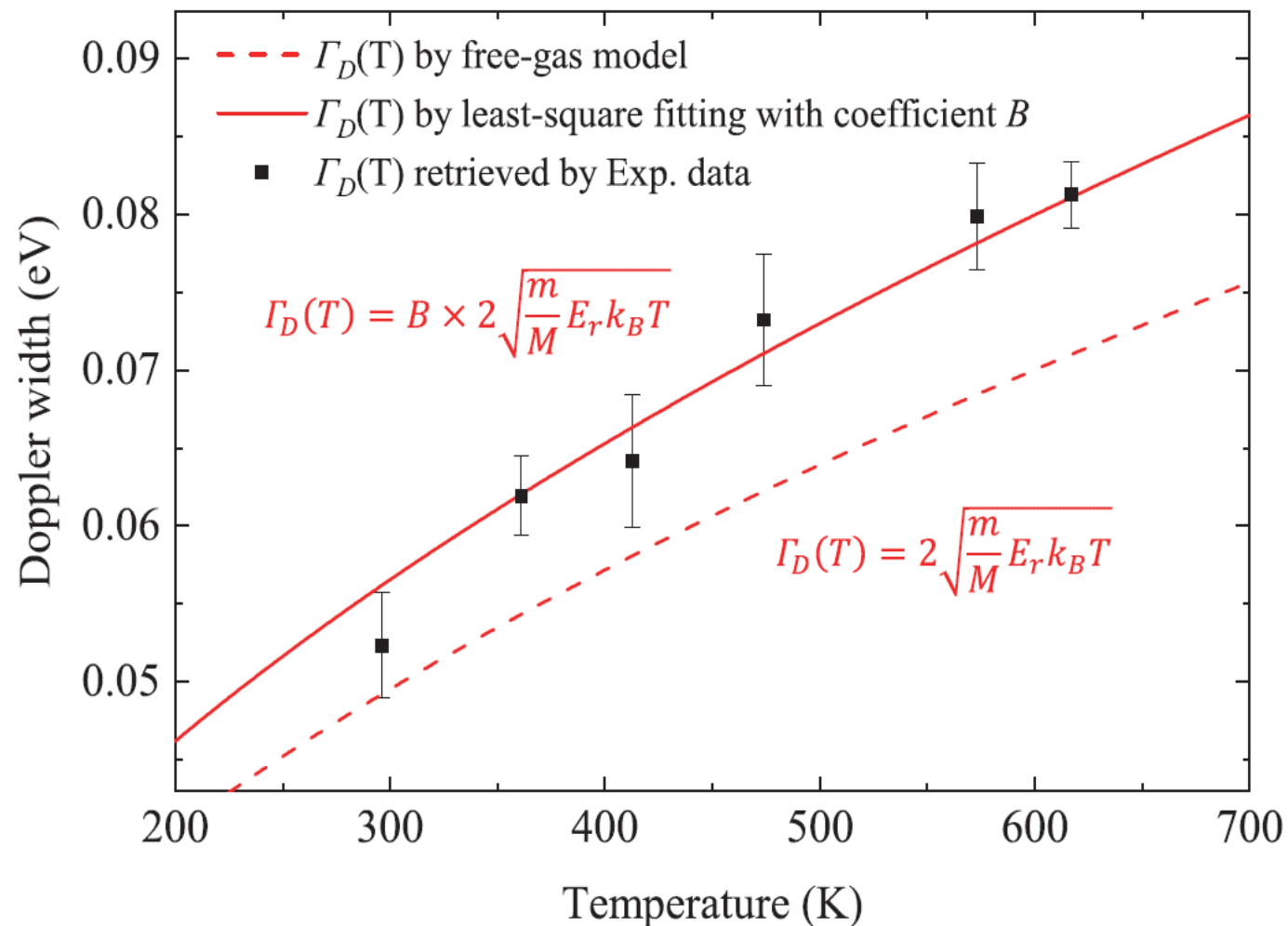
$$\sigma_{BW}(E') = \pi \lambda g_j \frac{\Gamma_n \Gamma_\gamma}{(E' - E_r)^2 + (\Gamma_n + \Gamma_\gamma)^2 / 4}$$

Breit-Wheeler single-level formula  
= cross-section at 0 K

$$G(E) = A \exp\left[-\frac{(E - E_r)^2}{2\Gamma_D(T)^2}\right]$$

Doppler effect (Gaussian)

# Single-shot Neutron thermometer



A free-gas model by Bethe was used for investigating the relationship between temperature and Doppler width.

The experimental data shows a good agreement with the theoretical curve.

Proof-of-principle result of

**Temperature Profiling  
by Laser-driven NRS**

**Transparent, Isotope-selective,  
single-shot thermometer**

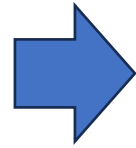


# Summary

**High Neutron Number**  
~ $10^{10-11}$  n/pulse

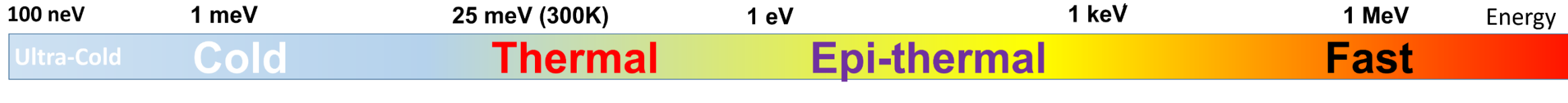
**Small Size**  
~ $1 \text{ cm}^3$

**Short Pulse**  
< 1ns

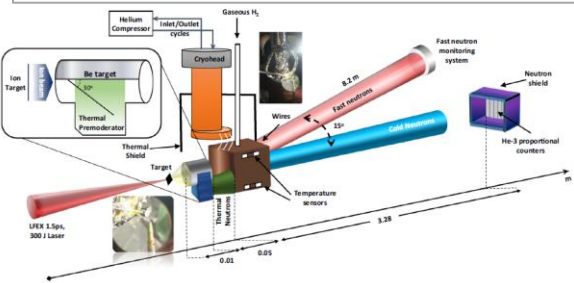


**Short Beamline** for Neutron Analysis  
**20 m (Accelerator) → 2 m (LDNS)**

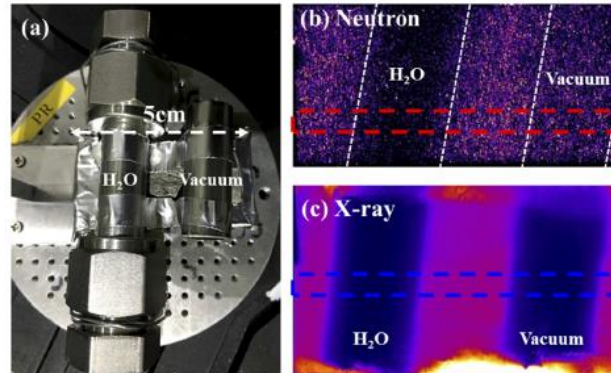
**Single Shot** Neutron Analysis  
**1-10 h (Accelerator) → 1 shot (LDNS)**



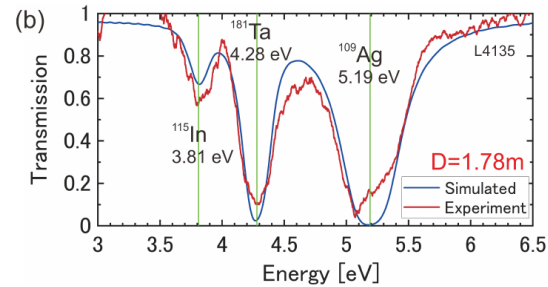
## Cold neutron generation



## Radiography



## Resonance spectroscopy



## Nucleosynthesis

