

A Modern Odyssey:  
Quantum Gravity meets Quantum Collapse at Atomic and Nuclear physics energy scales in the Cosmic Silence

“SILICON DRIFT DETECTORS IN MODERN QUANTUM EXPERIMENTS:  
INVESTIGATING THE PAULI EXCLUSION PRINCIPLE”

Francesco Sgaramella

On behalf of VIP-2 (and SIDDHARTA-2 ) collaboration



Istituto Nazionale di Fisica Nucleare  
LABORATORI NAZIONALI DI FRASCATI



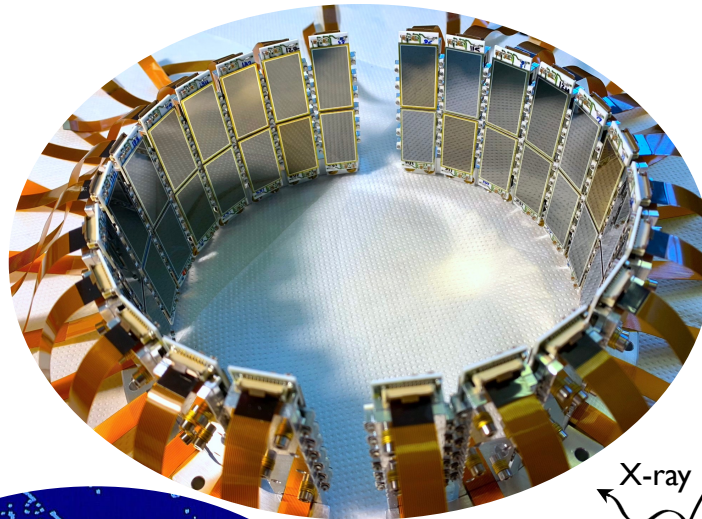
# Silicon Drift Detectors (SDDs)

Thanks to their high energy and time resolution, SDDs are the ideal detectors for several types of experiments, from high energy physics (particle tracking) to nuclear and quantum physics (X-ray spectroscopy) and astrophysics.

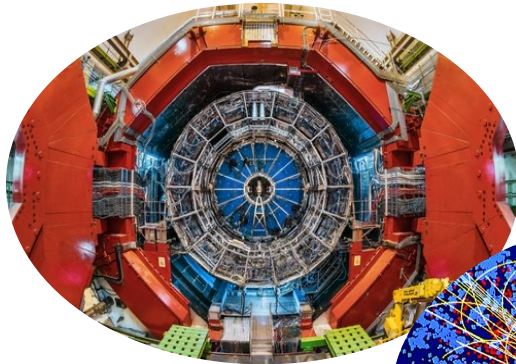
Quantum mechanics



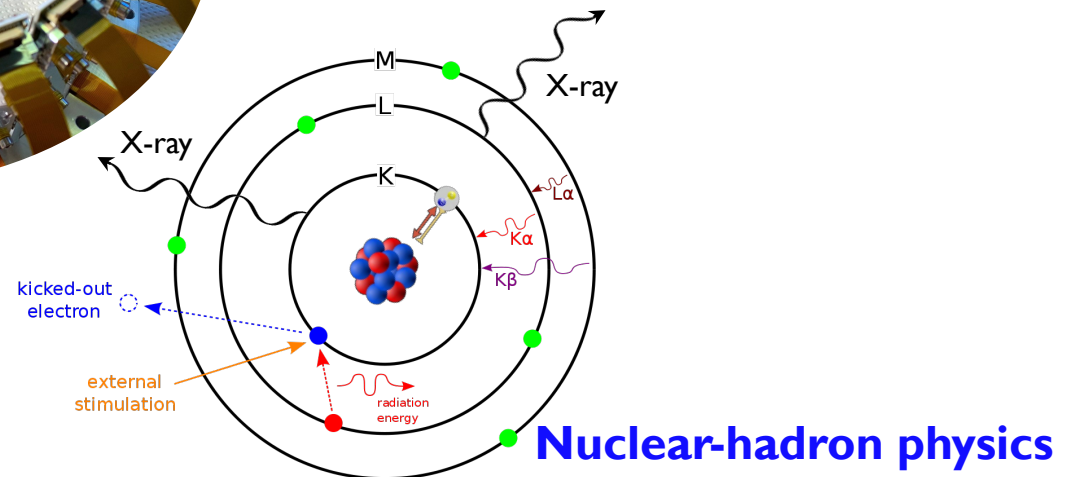
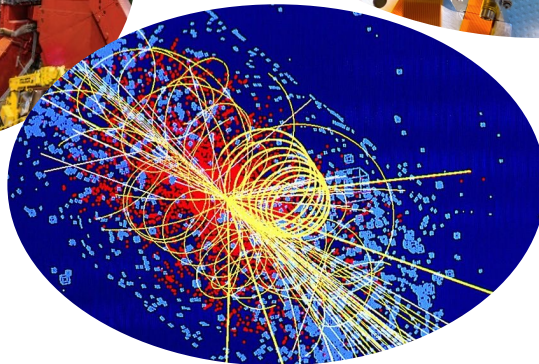
Silicon Drift Detectors



Astrophysics



Particle and high energy physics



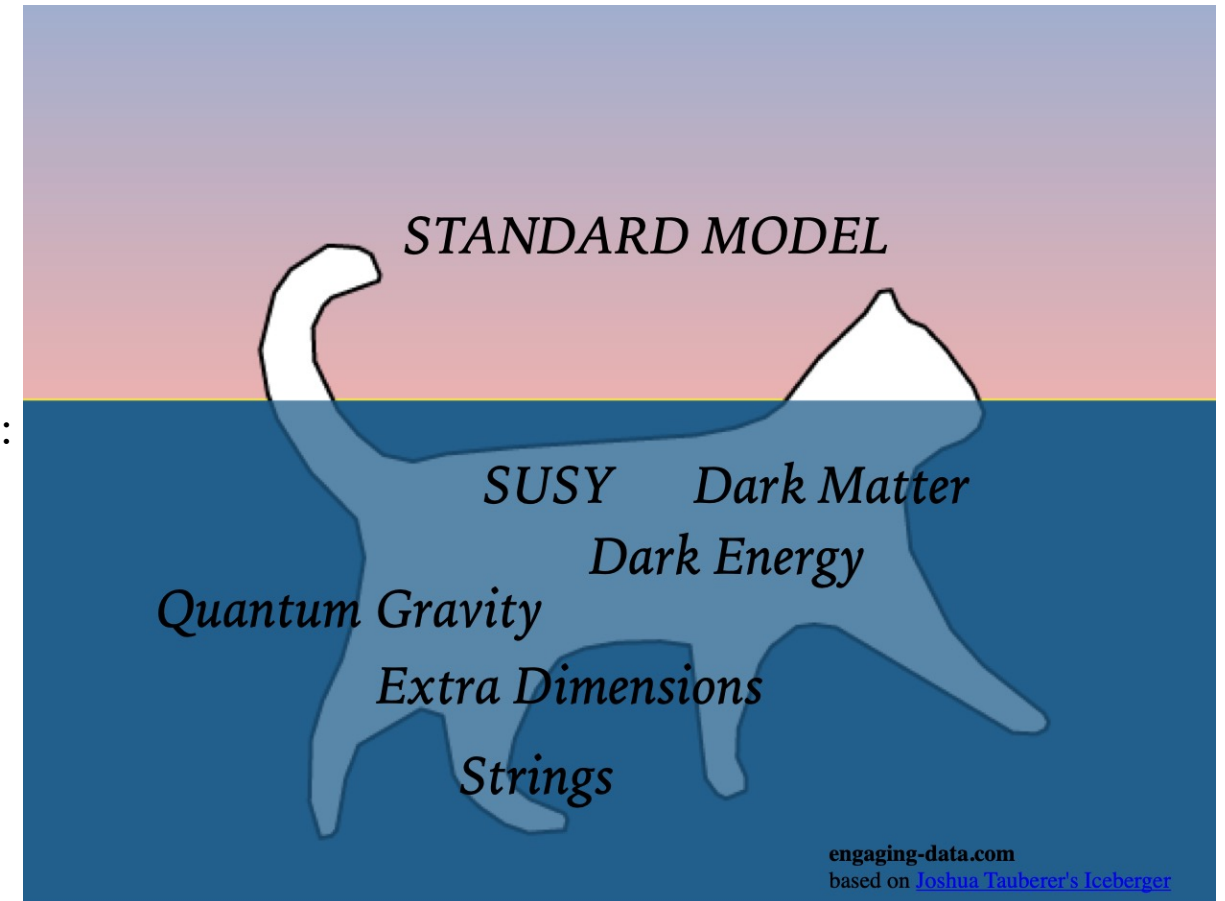


# The Pauli Exclusion Principle

## Theories of Statistics Violation

O.W. Greenberg: AIP Conf.Proc.545:113-127,2004

“Possible external motivations for violation of statistics include: (a) violation of CPT, (b) violation of locality, (c) violation of Lorentz invariance, (d) extra space dimensions, (e) discrete space and/or time and (f) non-commutative spacetime.....”



# How to model the Pauli Exclusion Principle

- Ignatiev & Kuzmin model: Fermi oscillator with a third state

(Ignatiev, A.Y., Kuzmin, V., *Quarks '86: Proceedings of the 229 Seminar, Tbilisi, USSR, 1517 April 1986*)

$$\begin{array}{ll}
 a^+|0\rangle = |1\rangle & a|0\rangle = 0 \\
 a^+|1\rangle = \beta|2\rangle & a|1\rangle = |0\rangle \\
 a^+|2\rangle = 0 & a|2\rangle = \beta|1\rangle
 \end{array}$$

$\beta$  quantifies the degree of violation in the transition

## Two classes of PEP violation Models:

### ▪ Deformation of commutation-anticommutation relations

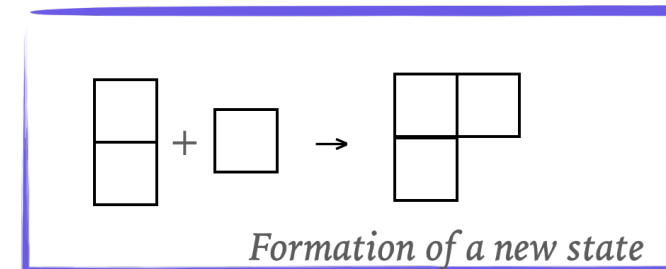
Greenberg & Mohapatra: Local Quantum Field Theory,  $q$  parameter deforms anticommutators [Phys. Rev. Lett. 1987,59,2507]

Subject to the **Messiah-Greenberg (M-G) Superselection Rule** - Can be tested in **Open Systems** only

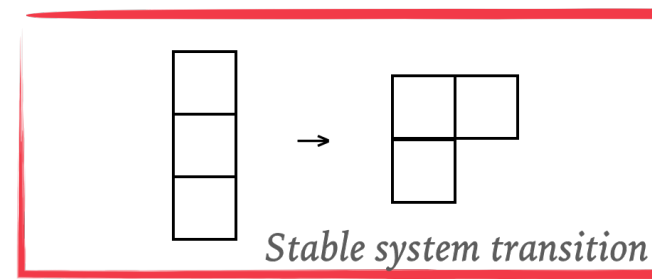
### ▪ Space-time properties Balachandran, Addazi, Marcianò, Mavromatos-

Not subject to the M-G rule - Can be tested in **Closed Systems**

Open systems



Closed Systems

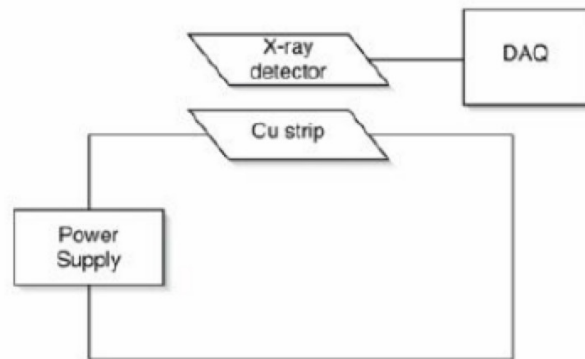


# The Pauli Exclusion Principle in Open System

Greenberg, O. W. & Mohapatra, R. N., Phys Rev Lett 59, (1987).  
E. Ramberg and G. A. Snow, Phys Lett B 238, 438-441(1990)

Search for anomalous electronic transitions in Cu  
induced by a circulating current

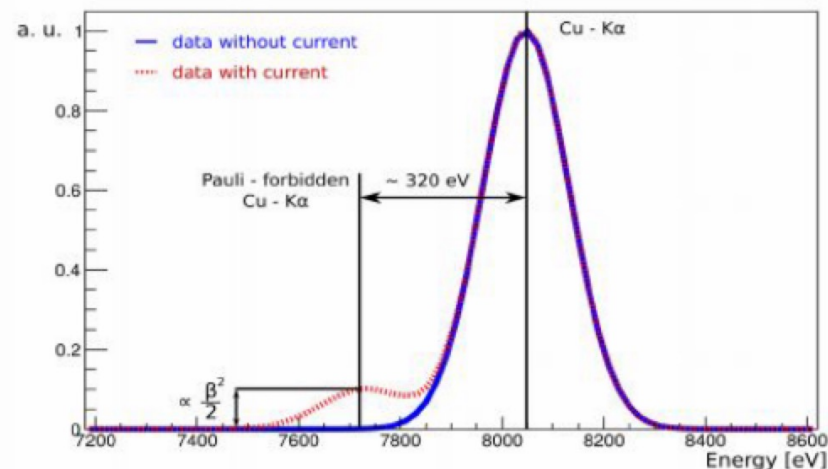
introduced electrons interact with the valence electrons  
search transition from 2p to 1s already filled by 2 electrons  
alternated to X-ray background measurements without current



probability in terms of the number of electron-atom interactions, assuming a motion of the injected electrons subjected to a scattering length  $\mu$ .

$$\beta^2 / 2 < 1.7 \times 10^{-26}$$

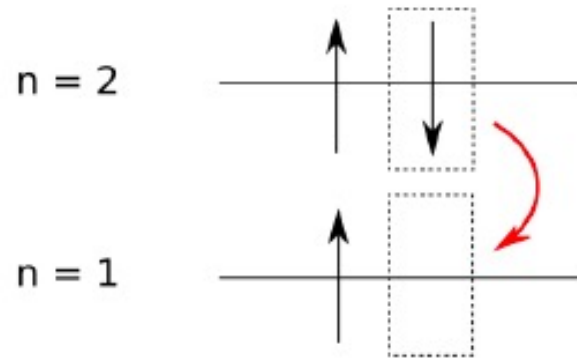
## PEP Violation Signal



# The Pauli Exclusion Principle in Open System

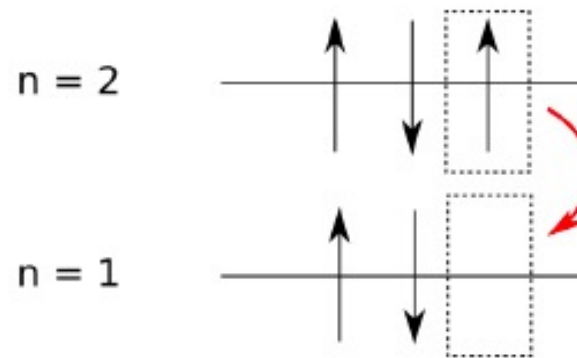
Search for anomalous X-ray transitions performed by electron introduced in a target through a **DC current (open system)**

Allowed transition  
 $2p \rightarrow 1s$  ( $K\alpha$ )



~ 8.05 keV in Cu

Pauli-forbidden transition  
 $2p \rightarrow 1s$  ( $K\alpha$ )



~ 7.7 keV in Cu

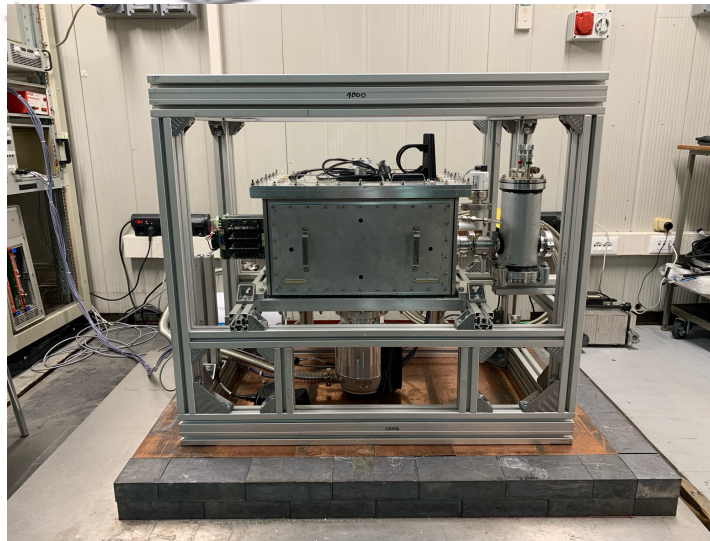
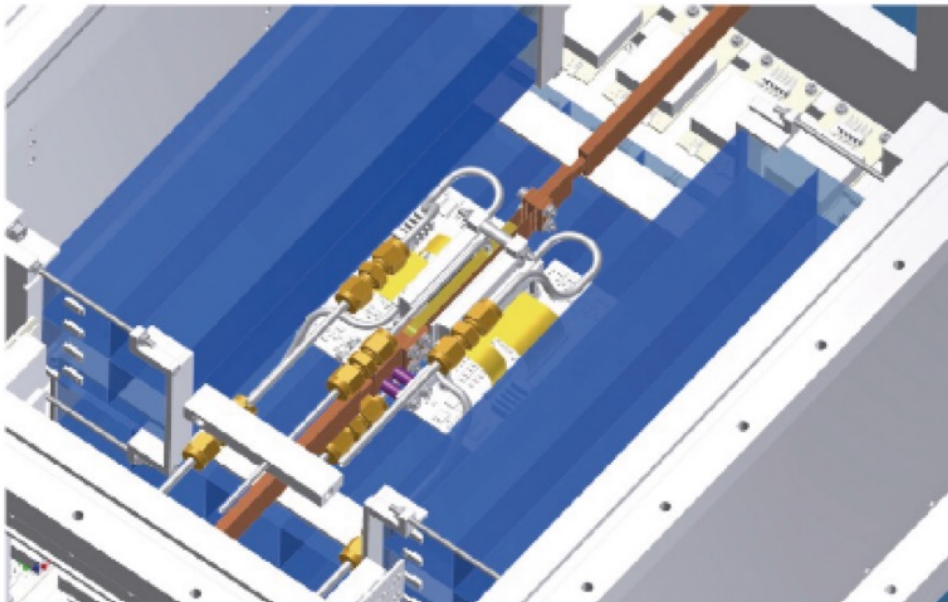
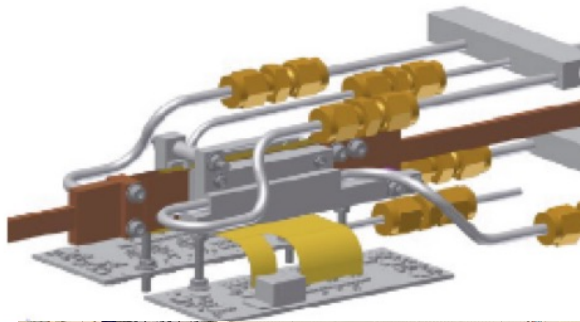
P. Indelicato (Ecole Normale Supérieure et Université Pierre et Marie Curie)  
Multiconfiguration Dirac-Fock approach to account for the electron-screening effect

# The VIP-2 Experiment

2 strip shaped Cu targets ( 25  $\mu\text{m}$  x 7 cm x 2 cm ) more compact target  
→ higher acceptance, thinner → **higher efficiency**

DC current supply to Cu bars

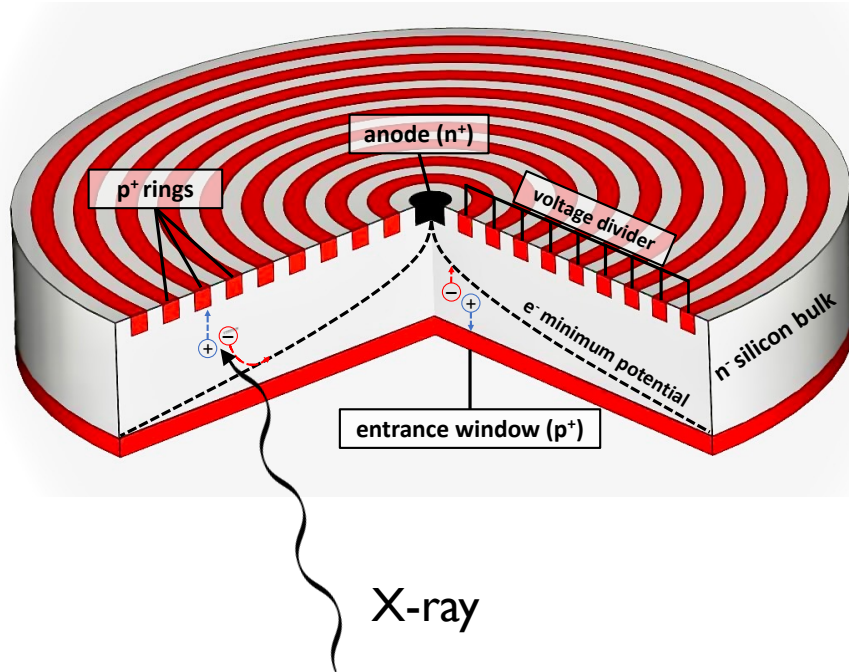
Cu strips cooled by a closed Fryka chiller circuit  
→ **higher current** (180 A peak current) @ 20 °C  
of Cu target



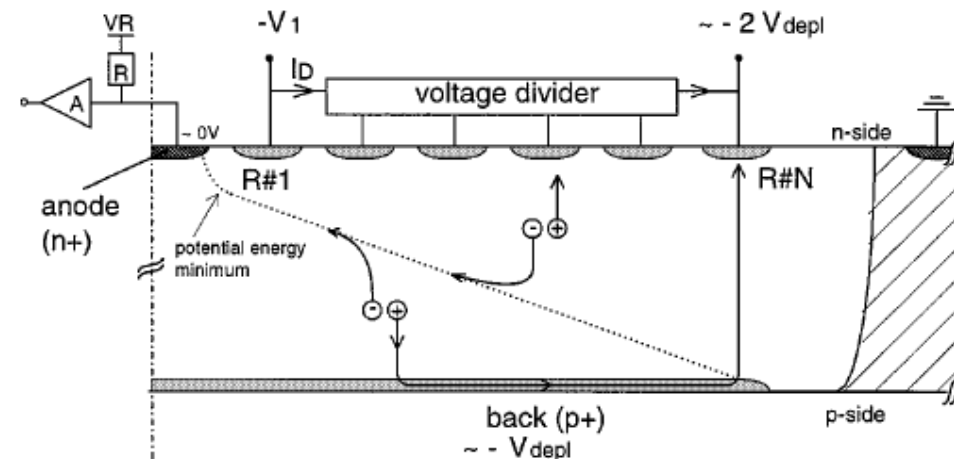


# Silicon Drift Detectors – working principle

Developed by Gatti and Rehak (Gatti E. and Rehak P., Nucl. Instrum. Methods Phys. Res. 225, (1984), 608.) for particle tracking, nowadays are used to perform high precision X-ray spectroscopy thanks to their excellent energy and time resolutions

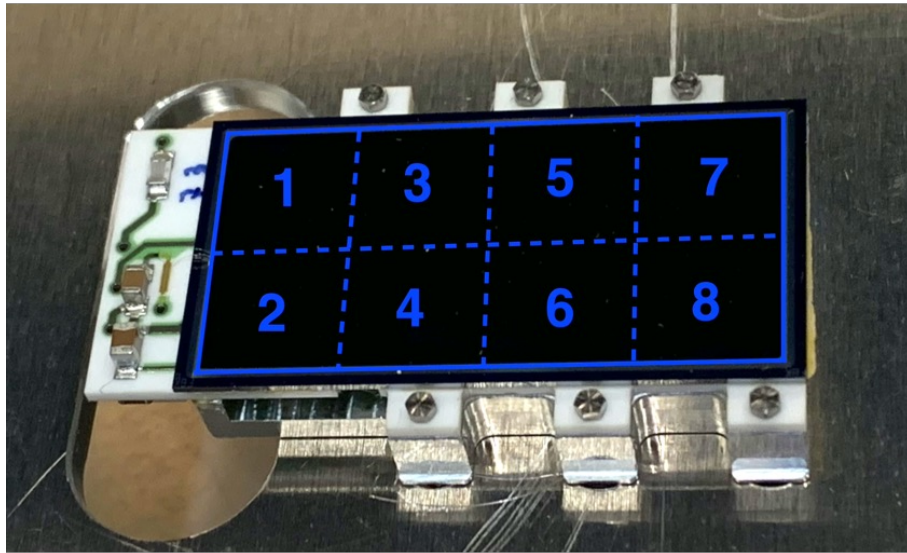


- Uniform entrance window → homogeneous sensitivity
- Large depleted region in which the electron-hole pairs, generated by the incident radiation, are separated through a reverse polarization field.
- A second electric field is superimposed to transport the electrons to the collection anode.
- Anode: small capacitance → large active area → reduced number of read-out channel

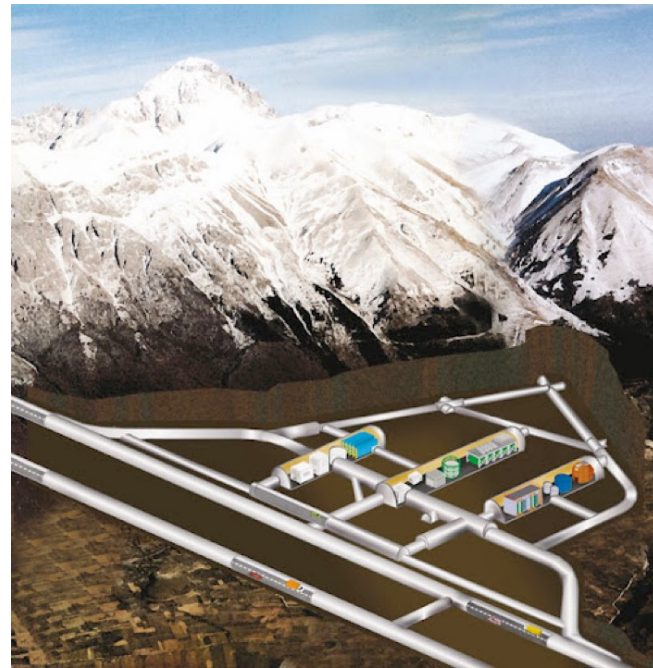


# Silicon Drift Detectors

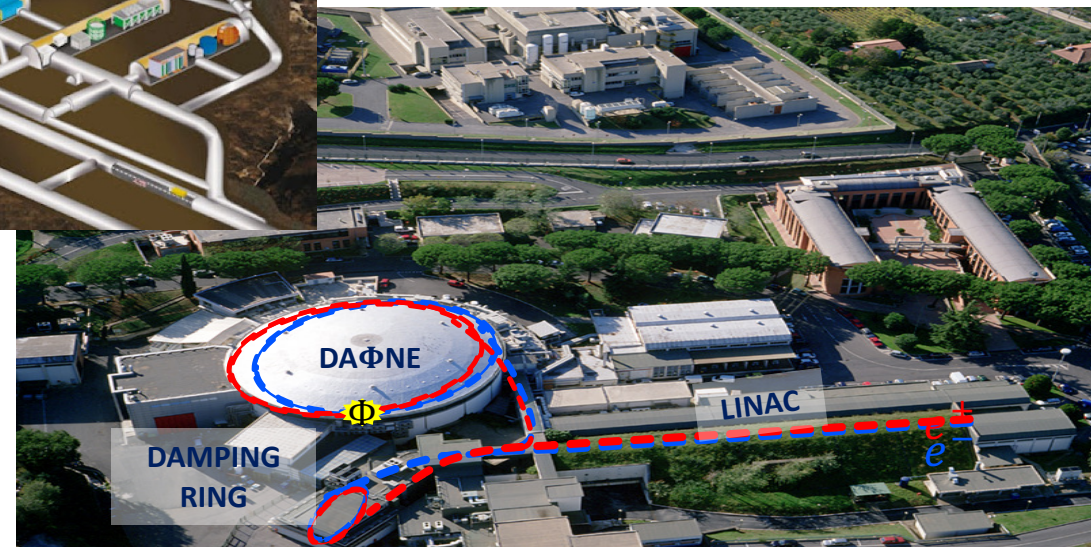
Large area Silicon Drift Detectors (SDDs) have been developed to perform high precision X-ray spectroscopy



8 SDD units ( $0.64 \text{ cm}^2$ )  
for a total active area of  $5.12 \text{ cm}^2$   
Thickness of  $450 \mu\text{m}$  ensures a high  
collection efficiency for X-rays of energy  
up to 10-12 keV

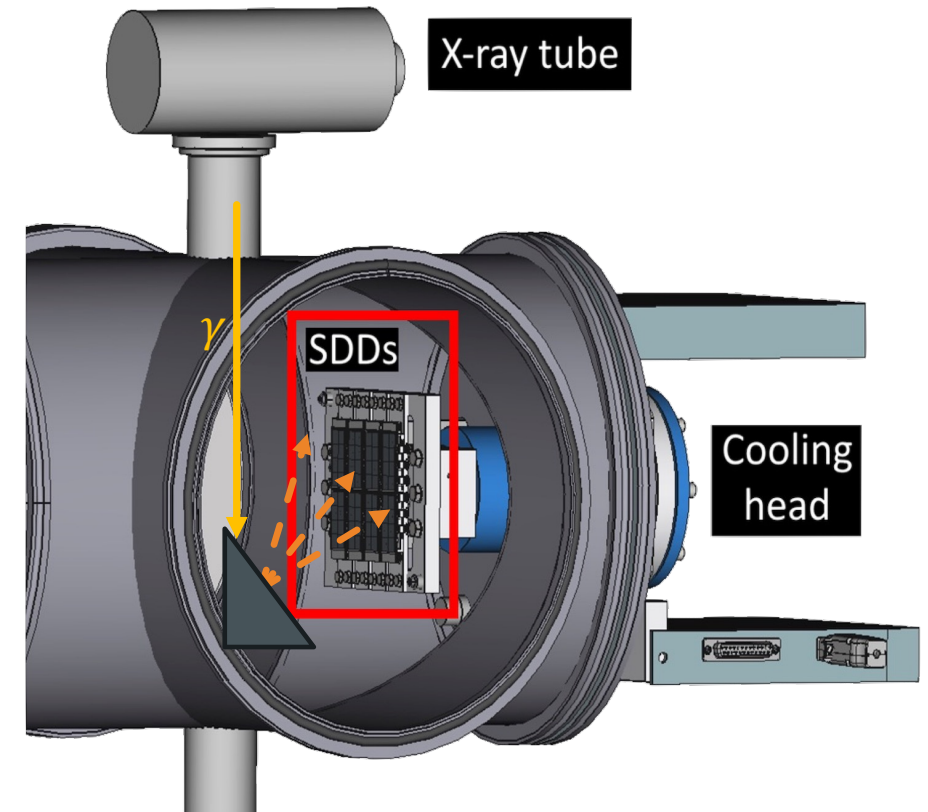
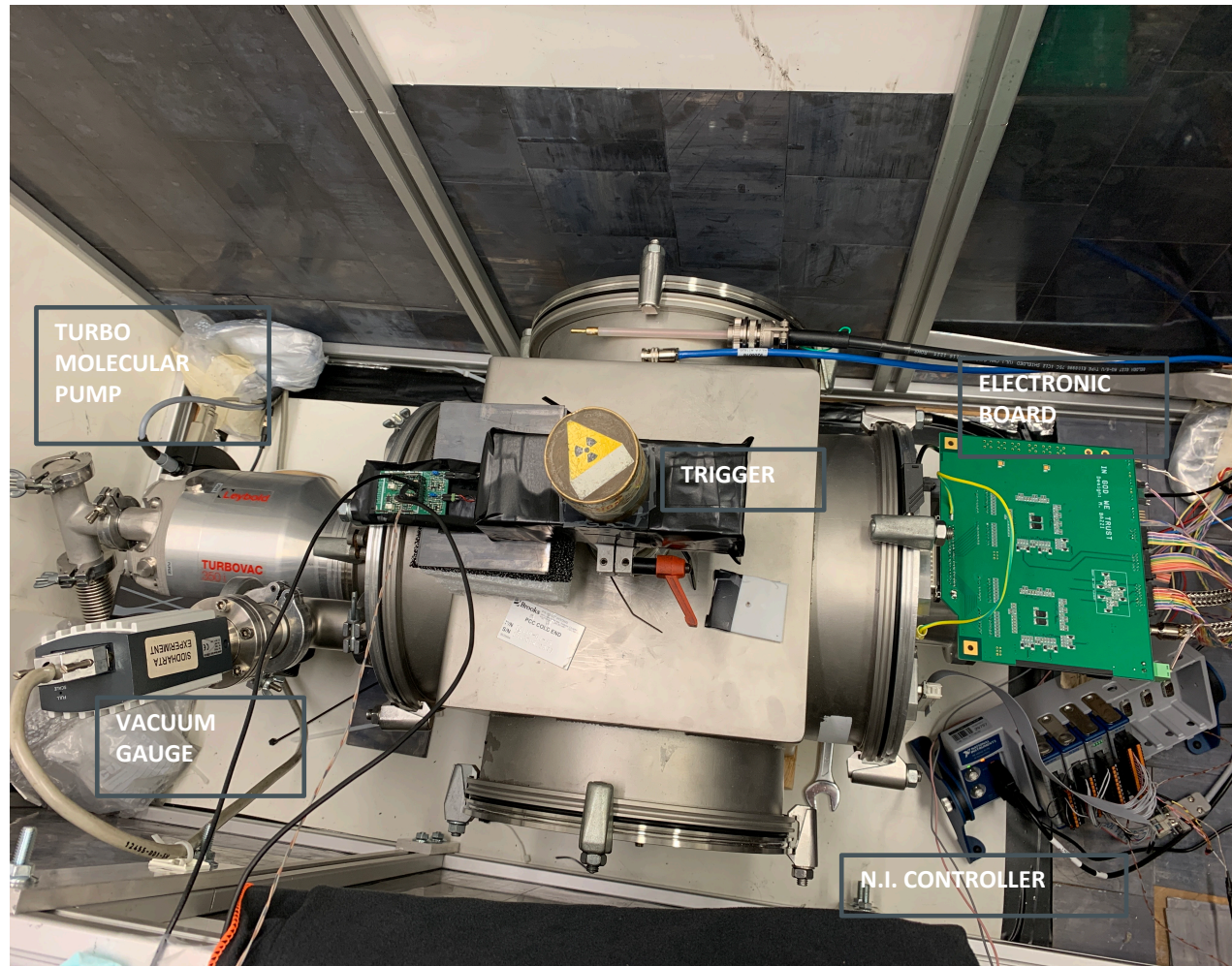


X-ray detector able to work in the cosmic silence of LNGS underground laboratories (PEP violation) as well as in a high radiation environment such as the DAFNE collider (kaonic atoms)



# Silicon Drift Detectors

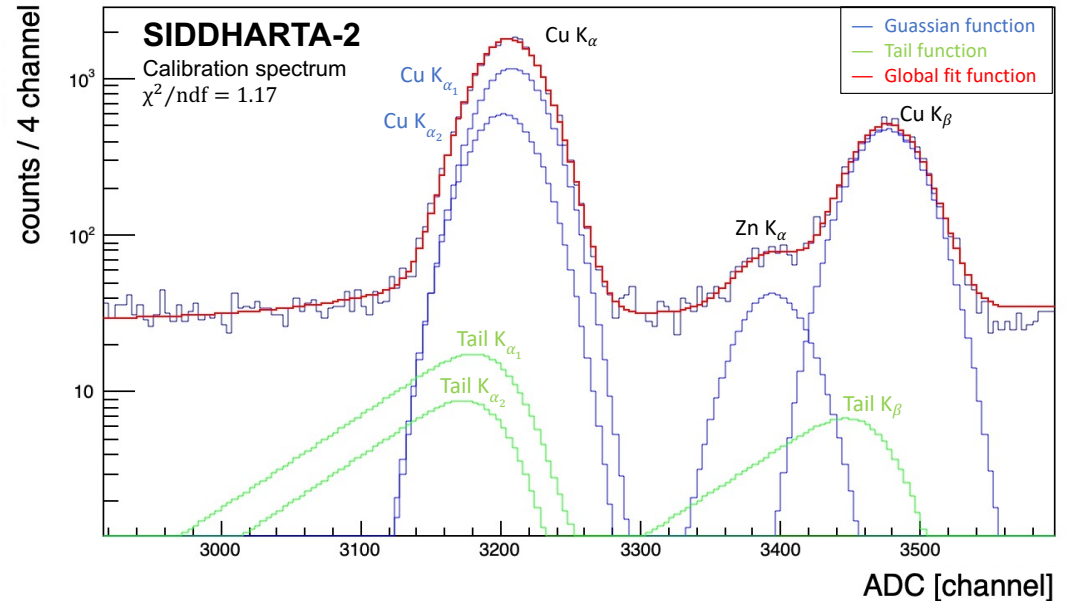
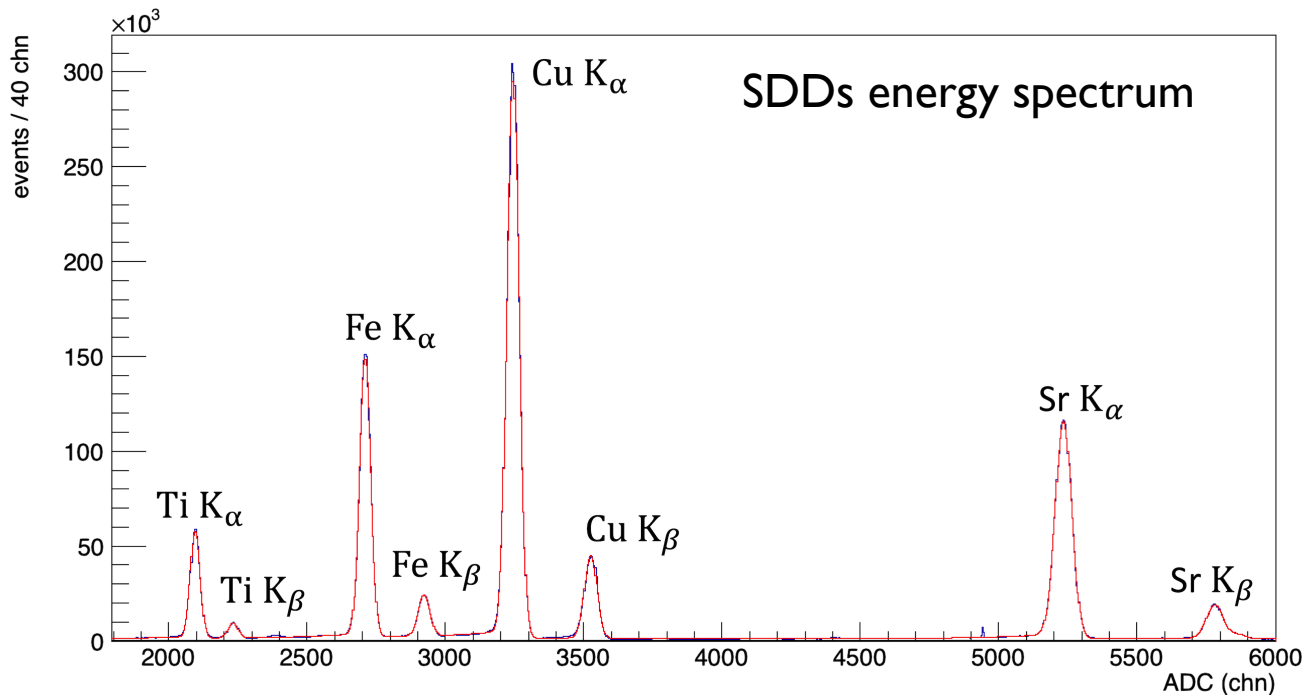
- Study and characterization of the SDDs energy and time response
- Front-end electronics based on the SFERA ASIC developed by PoliMi



# Silicon Drift Detectors

## Energy response characterization

X-ray Tube used to induce the fluorescence emission of a multi element target made of Ti-Fe-Cu-Sr strips



$$\text{Gauss func.: } H_G \cdot e^{-\frac{(x-x_0)^2}{2\sigma^2}}$$

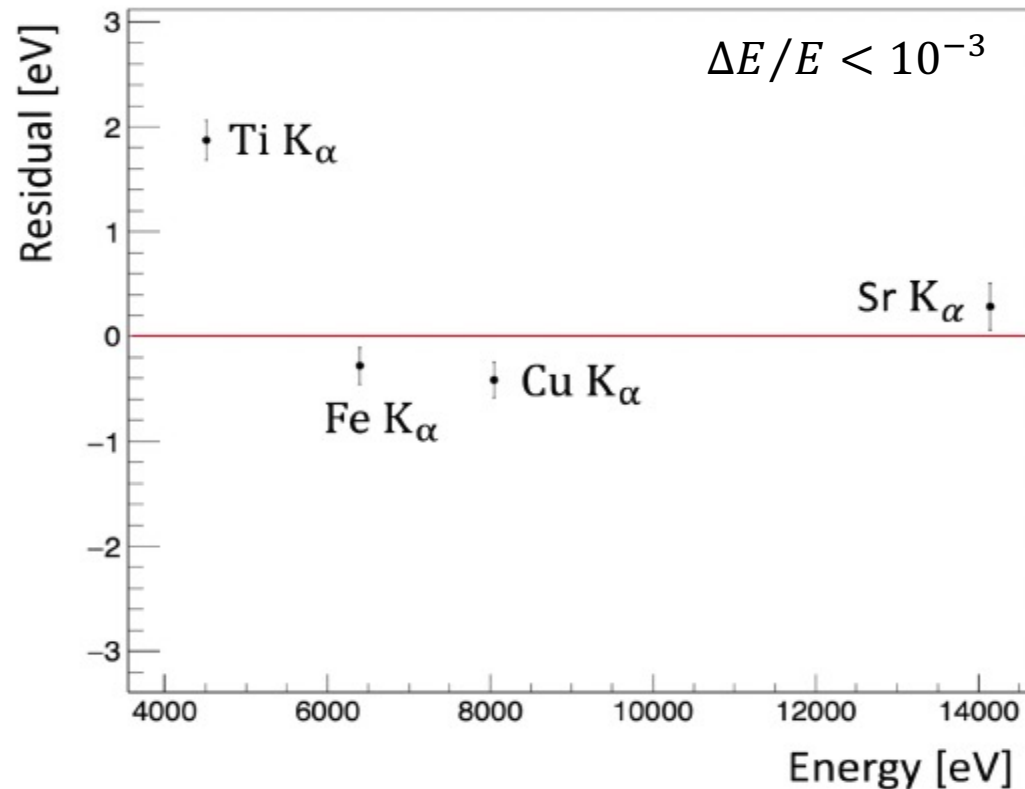
$$\sigma = \sqrt{FF \cdot E \cdot \epsilon + \frac{\text{noise}^2}{2.35^2}}$$

$$\text{Tail func.: } H_T \cdot e^{\frac{x-x_0}{\beta\sigma} + \frac{1}{2\beta^2}} \cdot \text{erfc}\left(\frac{x-x_0}{\sqrt{2}\sigma} + \frac{1}{\sqrt{2}\beta}\right)$$

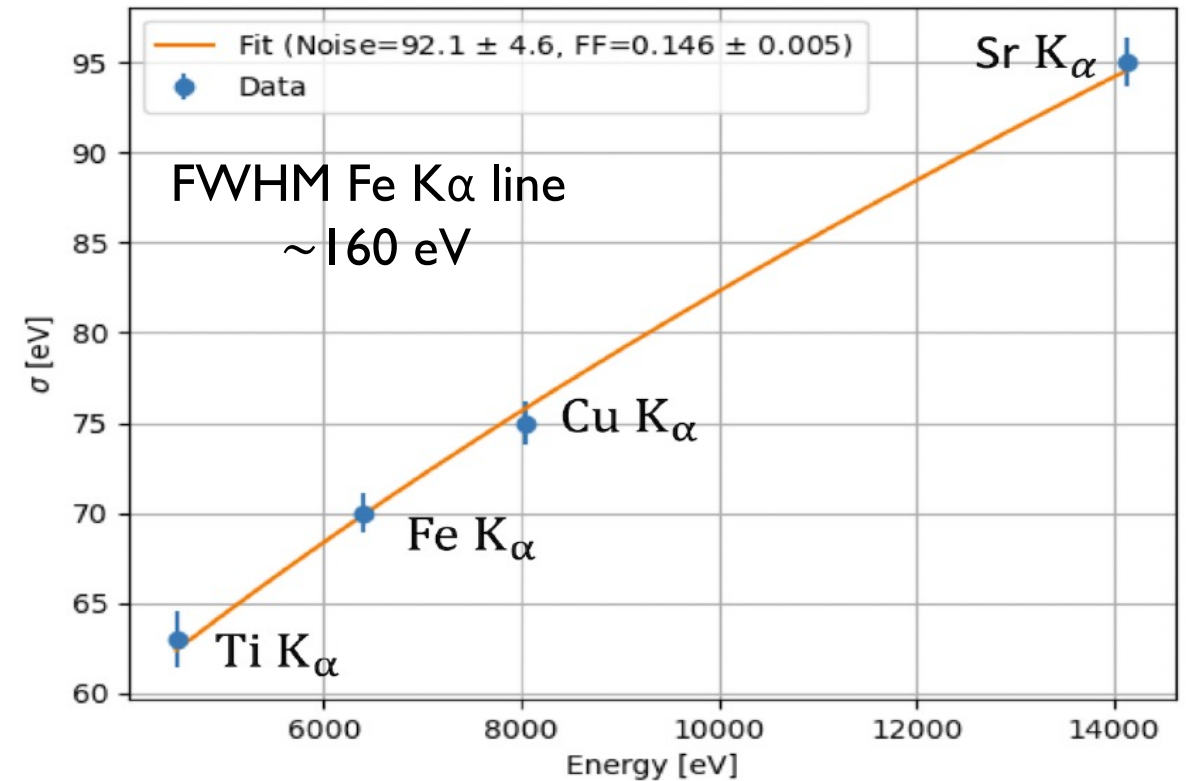
# Silicon Drift Detectors spectroscopy response

The energy response is linear within few eV (<3 eV between 4 keV and 14 keV)  
Excellent energy resolution @ 140 K

## Linearity



## Energy resolution



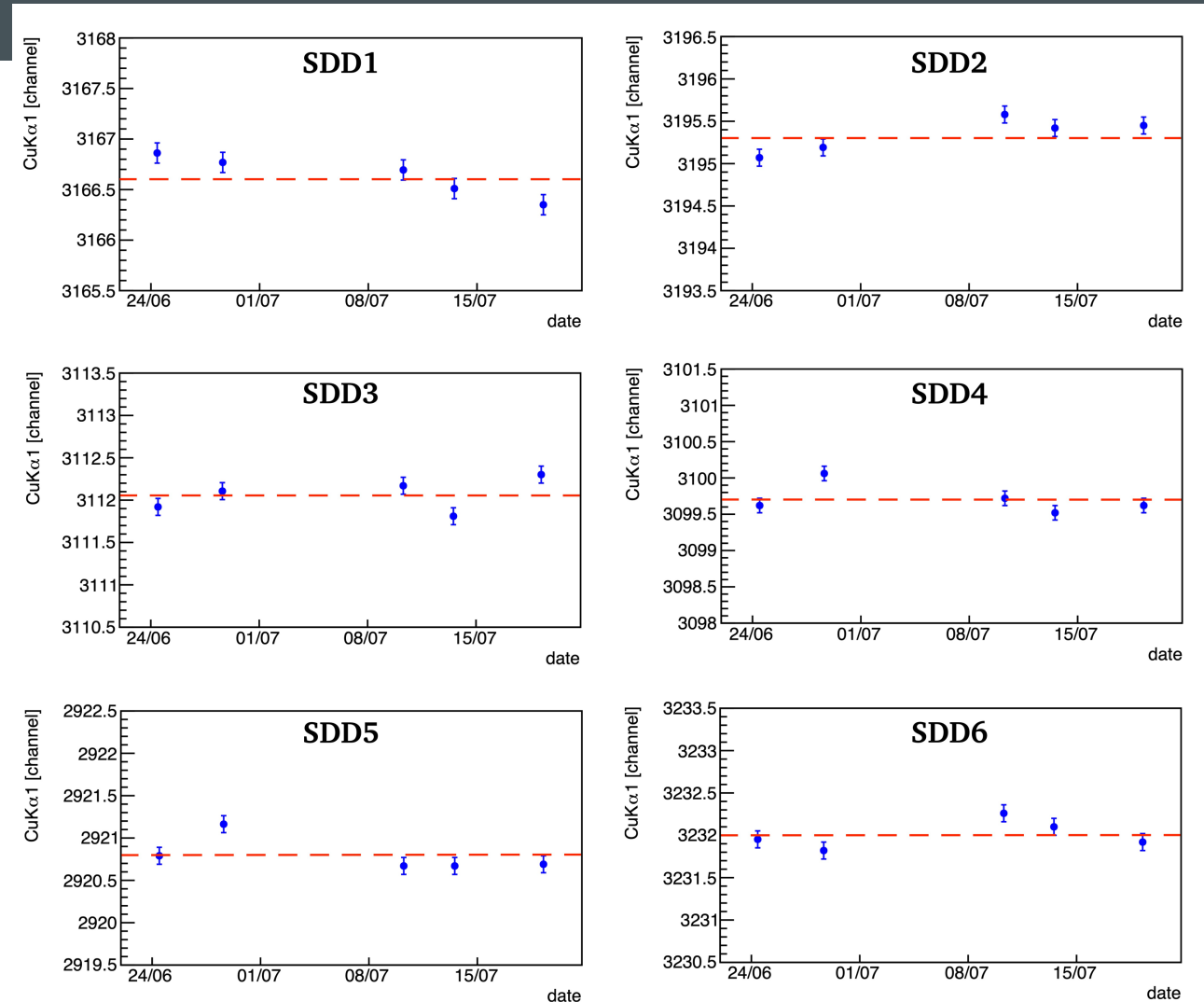
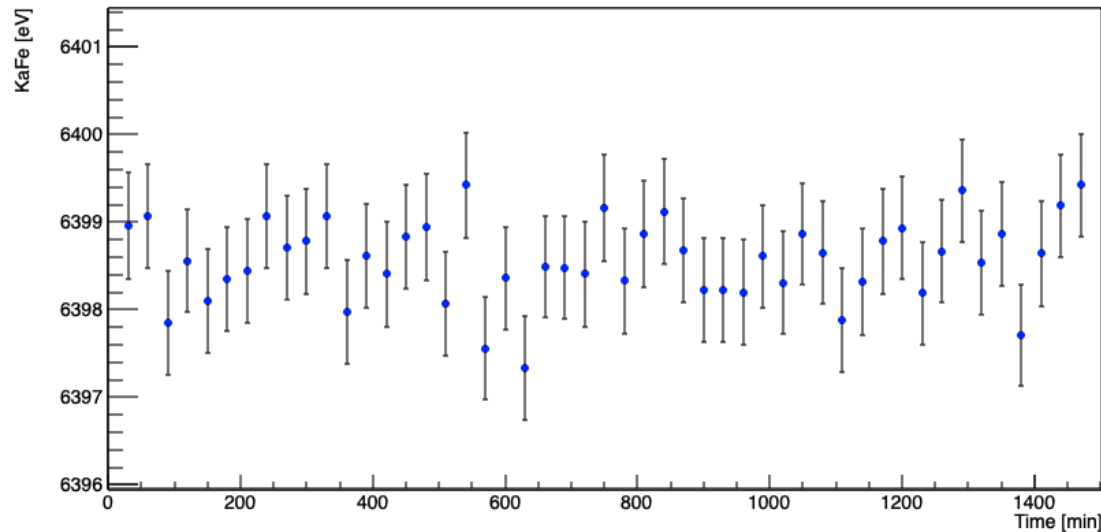
# Silicon Drift Detectors spectroscopy response

The energy response is linear within few eV ( $<3$  eV between 4 keV and 14 keV)

Excellent energy resolution @ 140 K

Long term stability  $\sim$  eV

## Stability

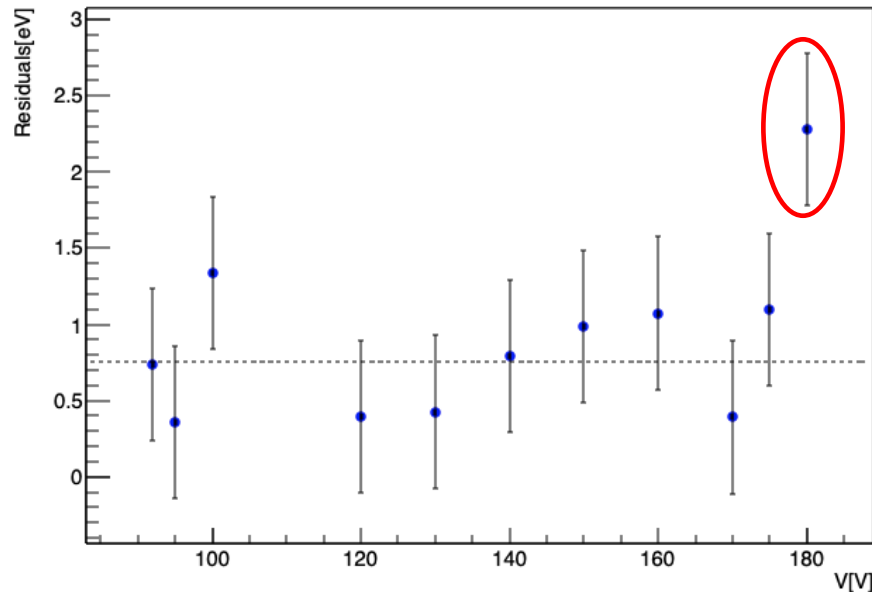


# Silicon Drift Detectors spectroscopy response

SDDs spectroscopic response as function of the polarization voltage  
Stable ( $\sim$  eV) energy response in a wide range of polarization voltage

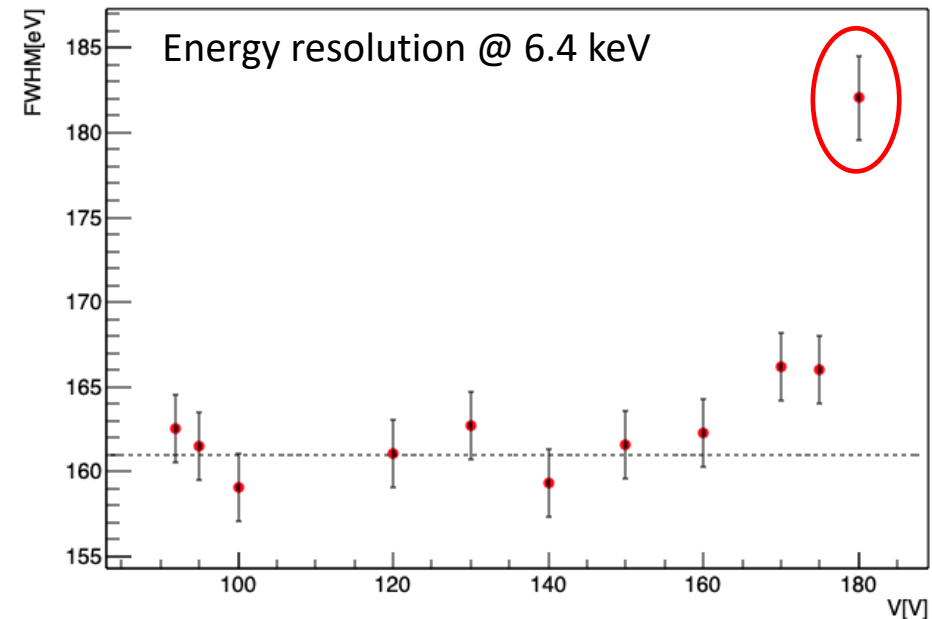
## Linearity

$$r = \frac{\sqrt{\sum_{i=1}^4 (P_i^{exp} - P_i^{label})^2}}{4}$$



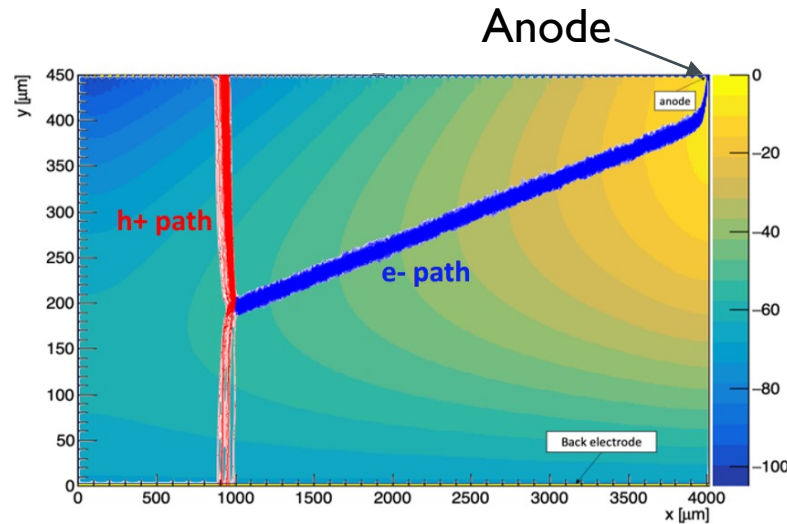
## Energy resolution

$$FWHM_{TOT}^2 = FWHM_i^2 + FWHM_n^2 + FWHM_{c.c}^2$$

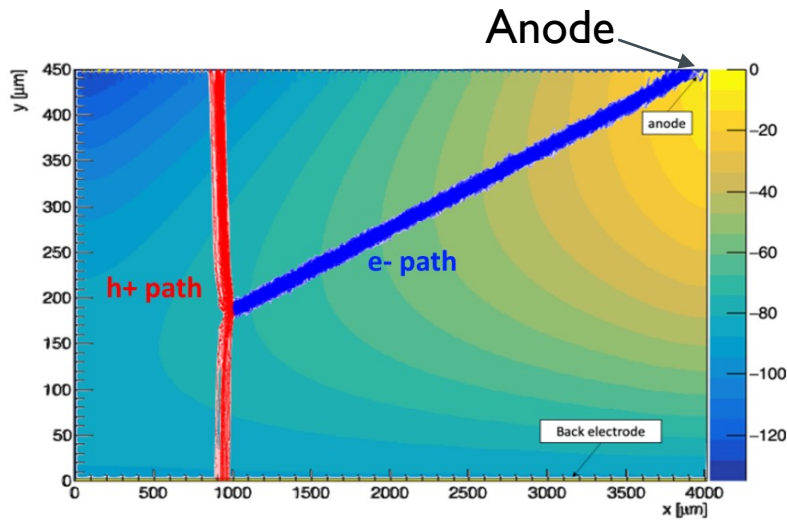
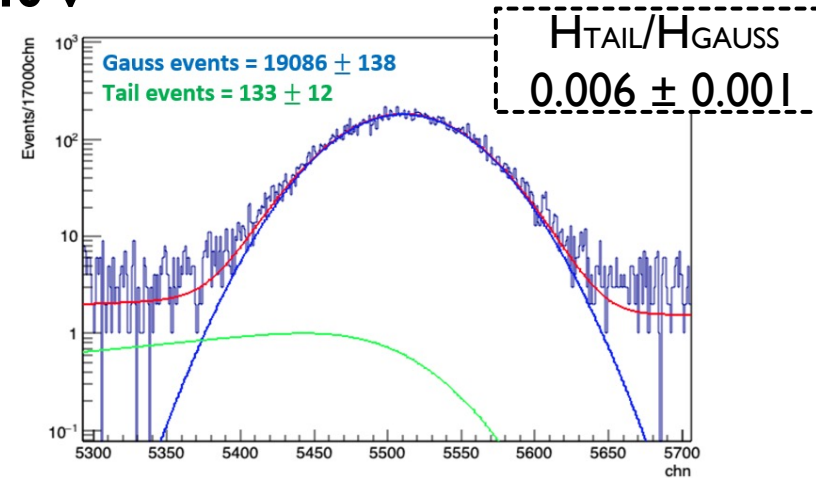


# Silicon Drift Detectors spectroscopy response

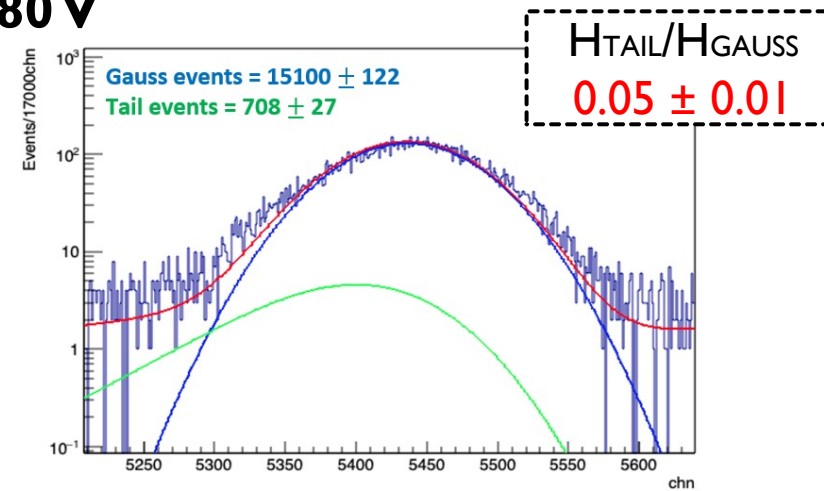
SDDs spectroscopic response as function of the polarization voltage  
Simulation used to study the electron drift path inside the SDD



$HV = 140\text{ V}$



$HV = 180\text{ V}$





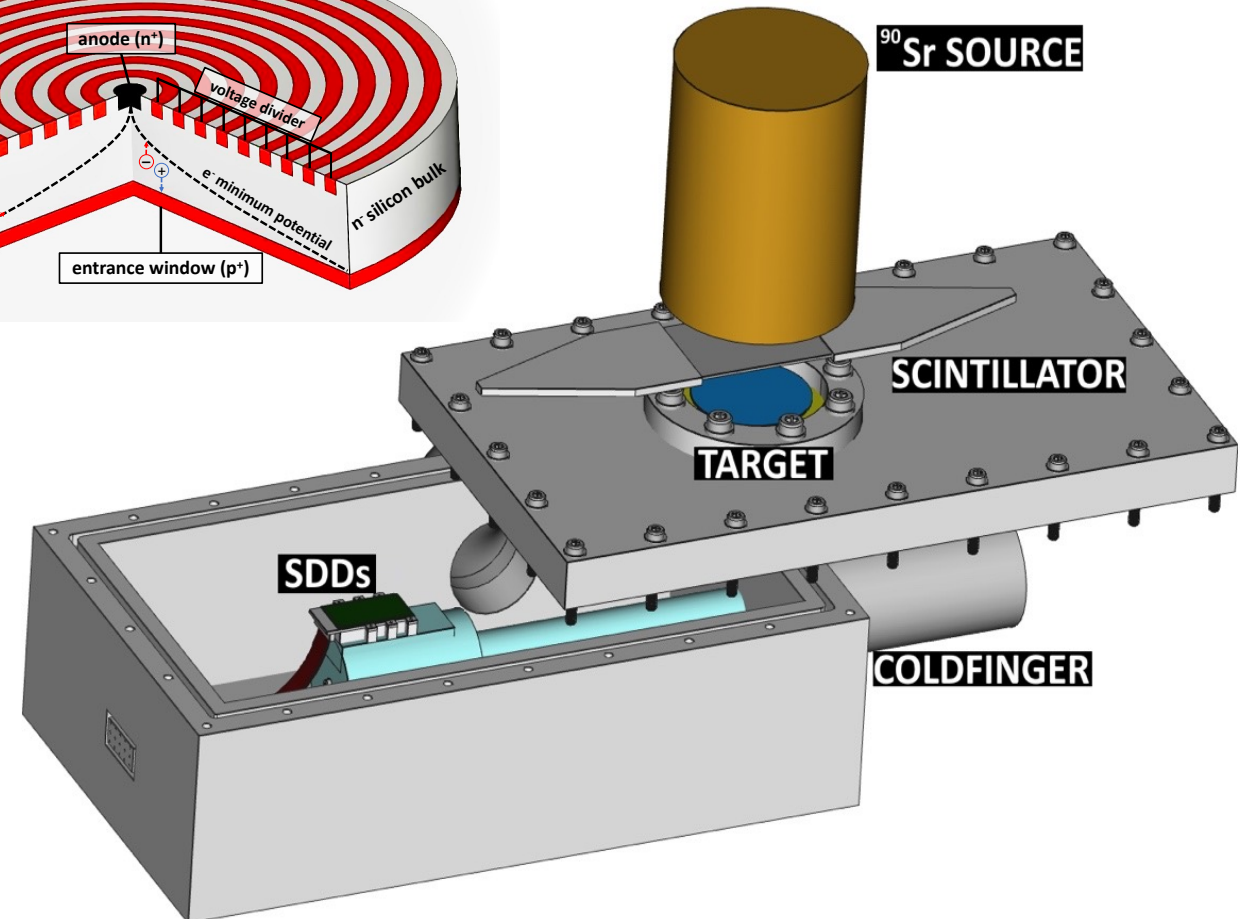
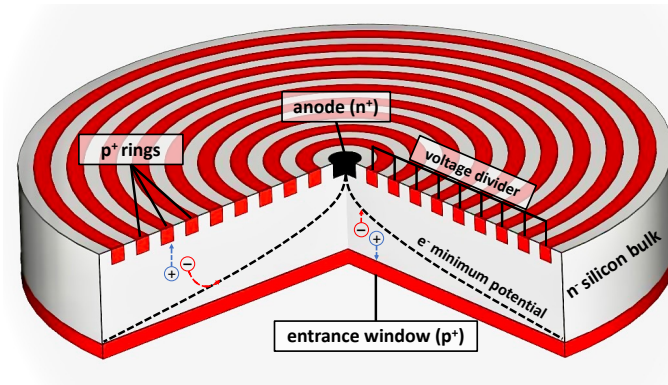
# Silicon Drift Detectors

## Time response characterization

The time response is defined as the time interval between the charge creation and its collection at the anode and depends on the drift velocity and the path length

$$t_{\text{drift}} = \frac{d}{v_{\text{drift}}} = \frac{d}{\mu \cdot E}$$

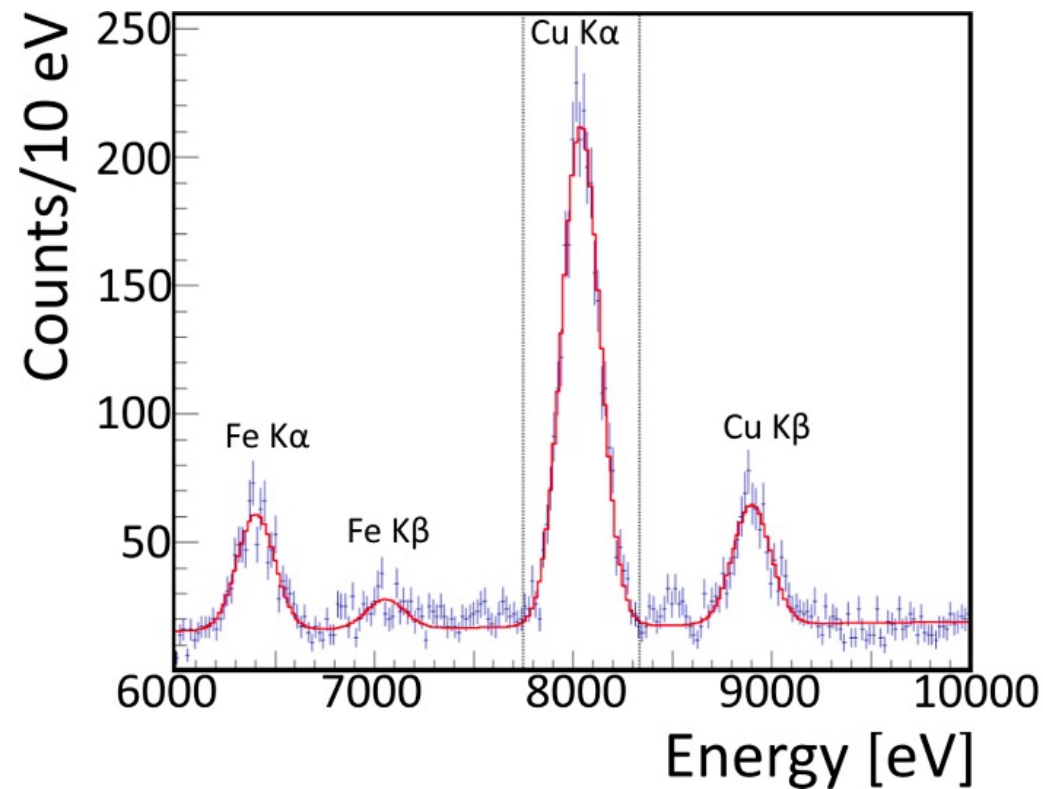
Given the small transverse distance (20 times smaller than the SDD side) the main contribution to the collection path  $d$  is the radial distance from the generation point to the anode



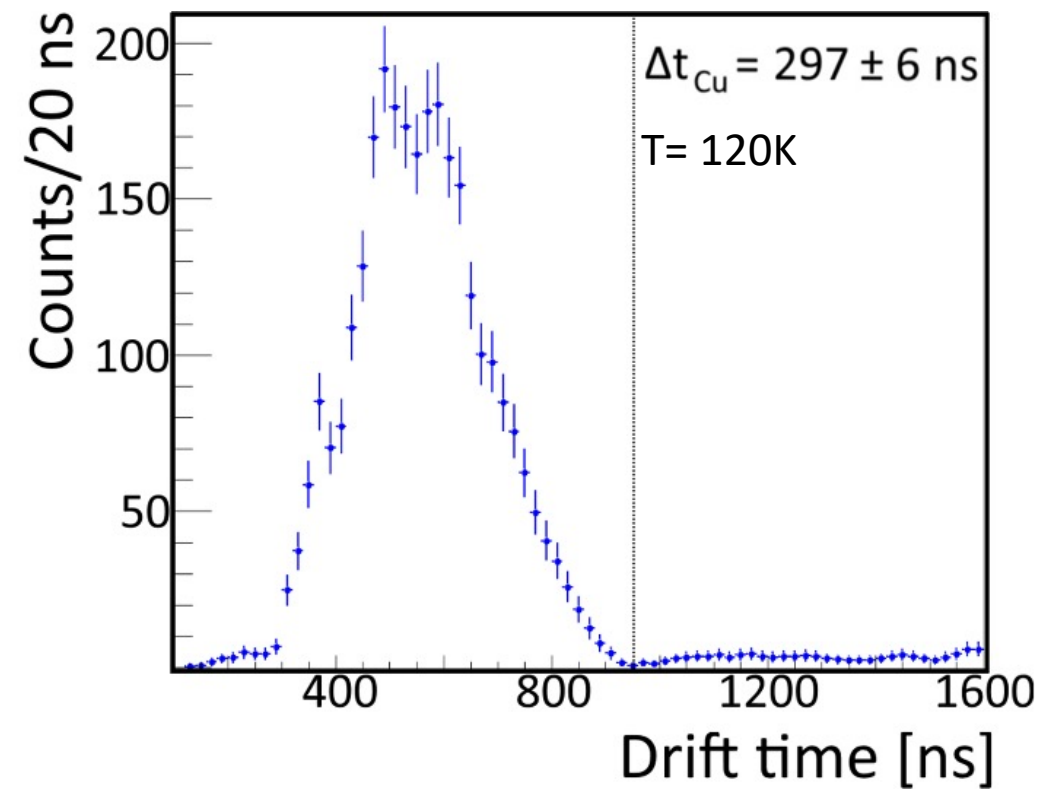
# Silicon Drift Detectors

Study of the time resolution as function of the SDDs temperature  
(polarization voltage -140 V)

Energy spectrum



Time distribution of Cu K $\alpha$  peak



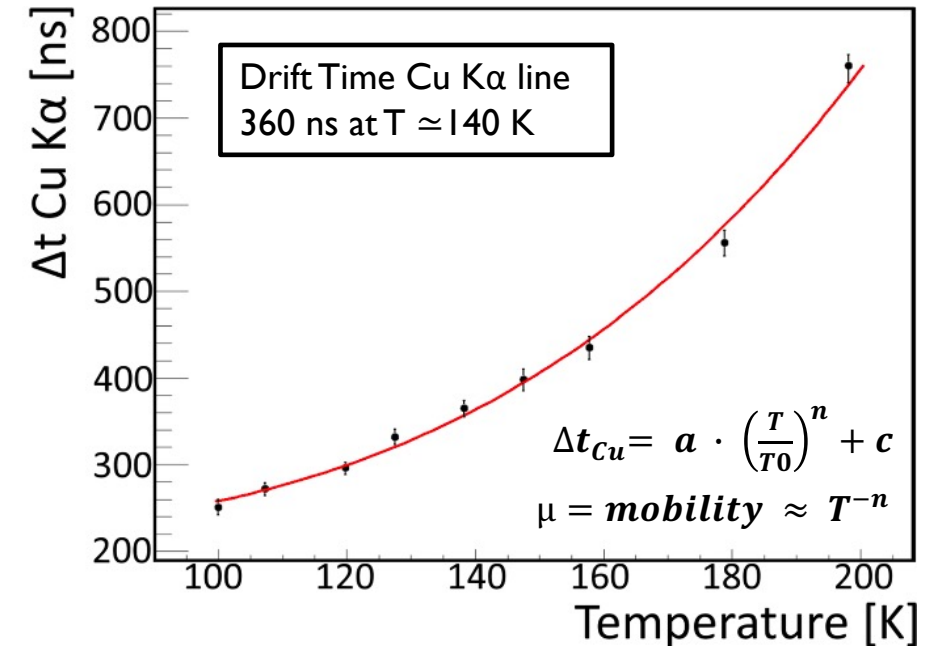
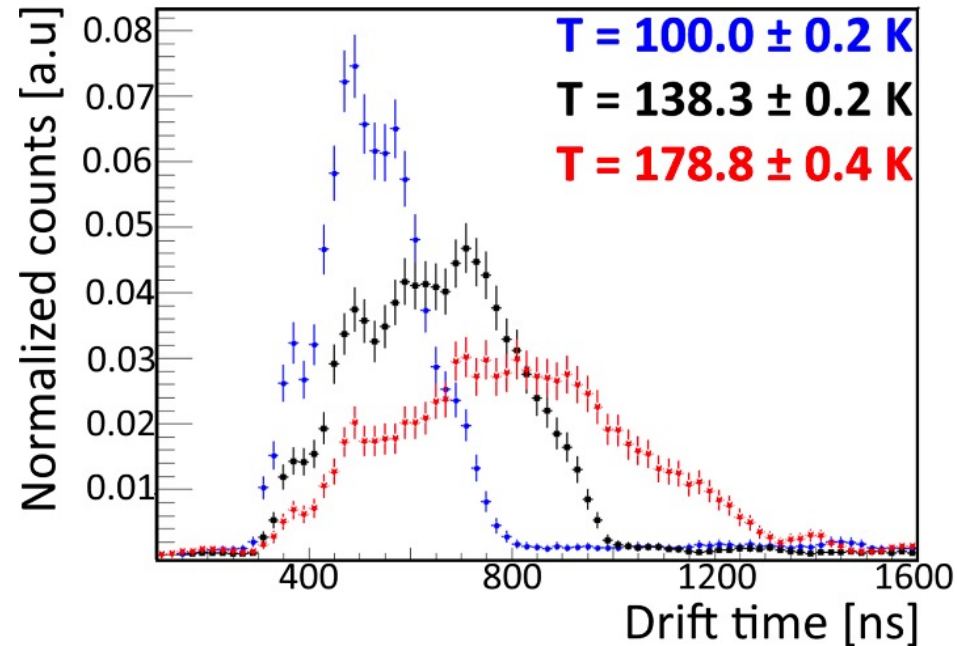
# Silicon Drift Detectors

Study of the time resolution as function of the SDDs temperature  
(polarization voltage -140 V)

Summary of the SDD timing response at different temperatures:  $\pm 20$  ns variation to the  $3\sigma$  threshold defines the systematic errors.

Temperature (K)	$\delta T$ (K)	Entries	$\Delta t$ Cu K $\alpha$ (ns)	Stat. (ns)	Syst. (+) (ns)	Syst. (-) (ns)
100.0	0.2	2996	250	5	2	-1
107.3	0.1	2327	273	6	0	-1
119.8	0.2	2907	297	6	1	0
127.5	0.3	2976	332	6	1	-1
138.3	0.2	3076	361	7	1	-1
147.5	0.2	1585	400	10	1	-1
157.8	0.2	2358	435	9	2	-2
178.8	0.4	2870	556	10	1	-1
198.1	0.2	3590	761	13	0	0

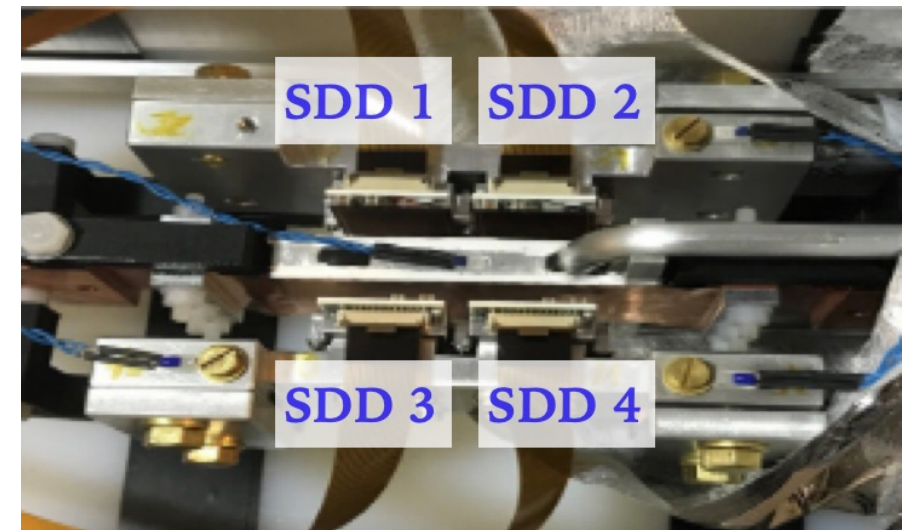
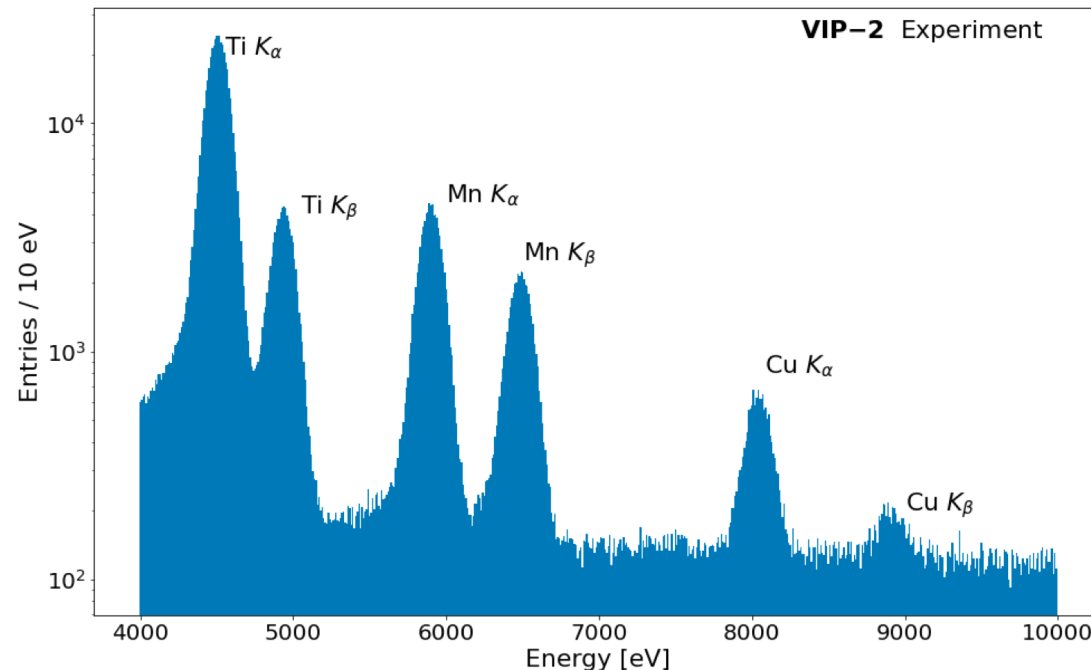
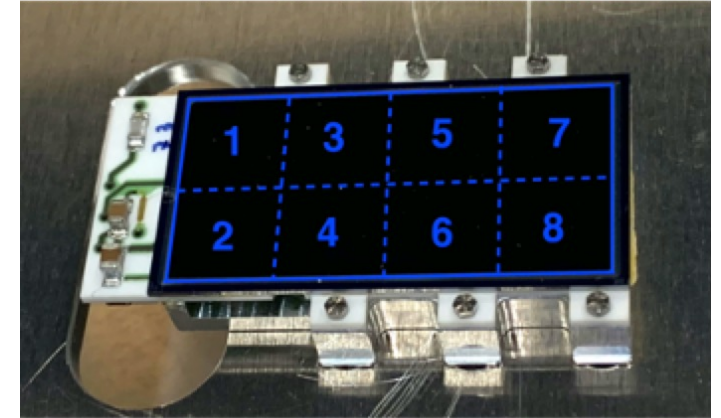
Miliucci M., Ilescu M., Sgaramella F., et al.,  
2022, Meas. Sci. Technol., 33 (9) 95502



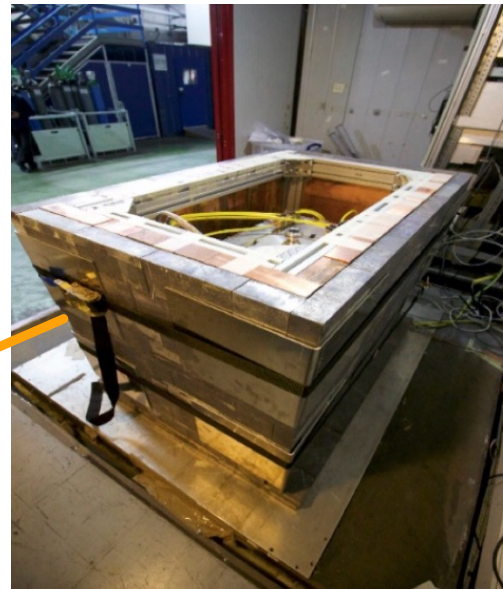
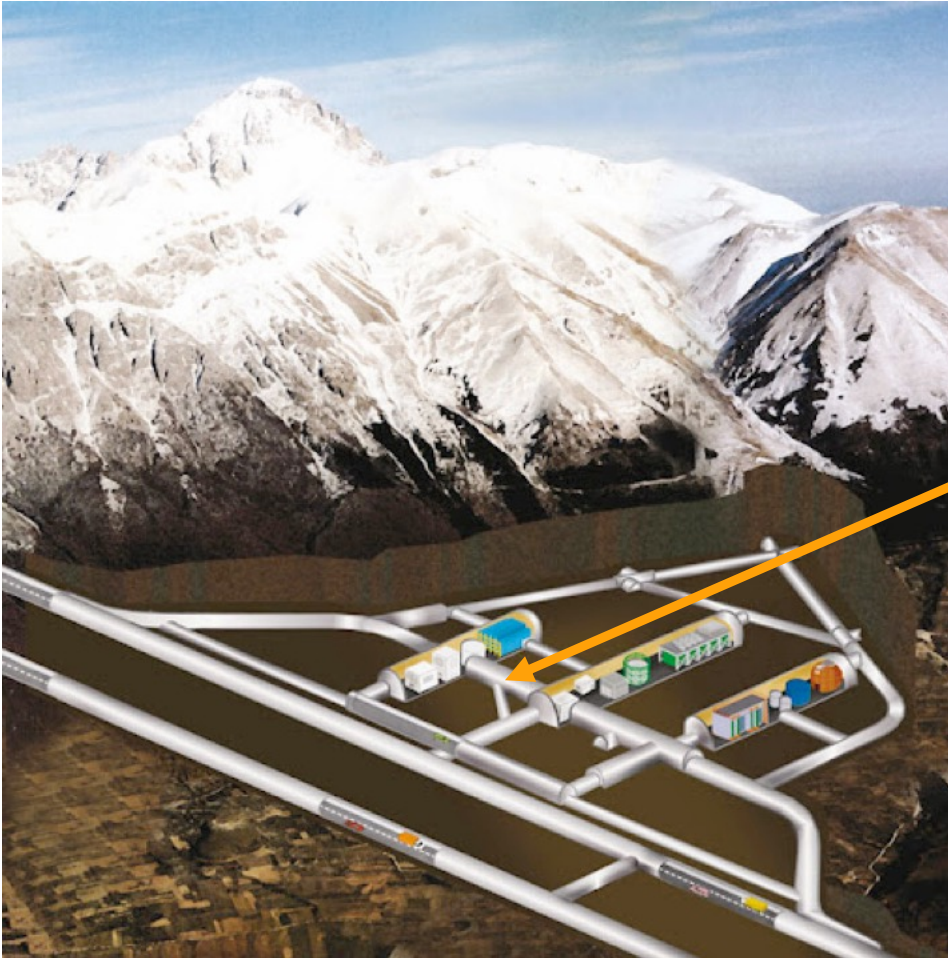
# The VIP-2 Experiment

Silicon Drift Detectors (**SDDs**) higher resolution (176 eV FWHM at 8 →keV), faster (triggerable) detectors. 4 arrays of 2 x 4 SDDs 8mm x 8mm each, cooled down to - 140 °C

Calibrated with 55Fe and Ti target: novel Machine Learning and differentiable programming techniques to enhance the energy resolution (*F. Napolitano et al 2024 Meas. Sci.Technol. 35 025501*)



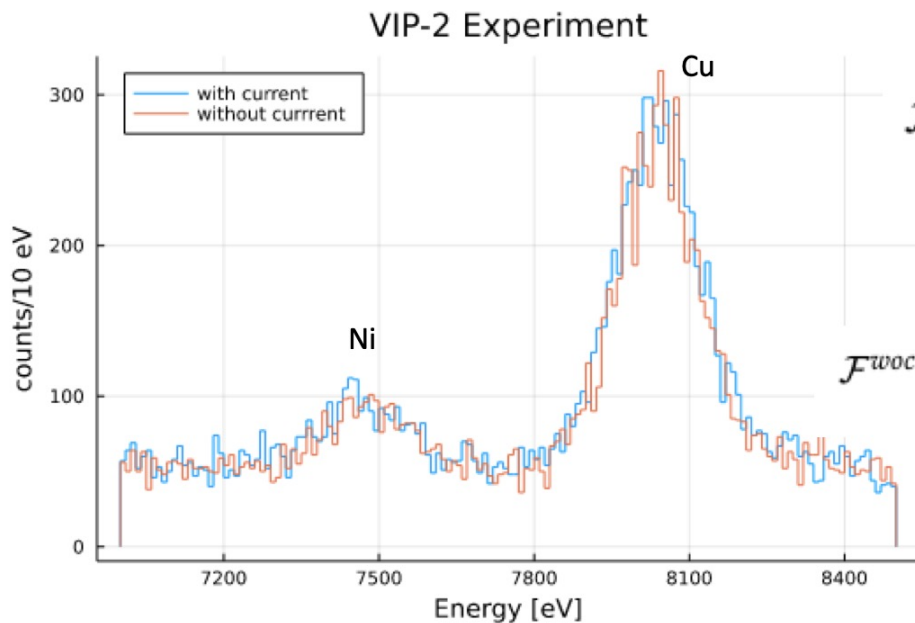
# The VIP-2 Experiment



The experiment is performed in the low-background environment of the underground Gran Sasso National Laboratory of INFN:

- overburden corresponding to a minimum thickness of 3100 m w.e.
- the muon flux is reduced by almost six orders of magnitude, n flux of three orders of magnitudes.
- the main background source consists of  $\gamma$ -radiation produced by long-lived  $\gamma$ -emitting primordial isotopes and their decay products.

# The VIP-2 Experiment



Description spectrum with current

$$\mathcal{F}^{wc}(\boldsymbol{\theta}, \mathbf{y}, \mathcal{S}) = y_1 \times Ni(\theta_1, \theta_2) + y_2 \times Cu(\theta_3, \theta_4) + y_3 \times pol_1(\theta_5) + \mathcal{S} \times PEPV(\theta_4)$$

Description spectrum without current

$$\mathcal{F}^{woc}(\boldsymbol{\theta}, \mathbf{y}) = y_1 \times Ni(\theta_1, \theta_2) + y_2 \times Cu(\theta_3, \theta_4) + y_3 \times pol_1(\theta_5)$$

Six months of data taking

Likelihood

$$\mathcal{L}(\mathcal{D}^{wc}, \mathcal{D}^{woc} | \boldsymbol{\theta}, \mathbf{y}, \mathcal{S}) = \text{Pois}(\mathcal{D}^{wc} | \mathcal{F}^{wc}(\boldsymbol{\theta}, \mathbf{y}, \mathcal{S})) \times \text{Pois}(\mathcal{D}^{woc} | \mathcal{F}^{woc}(\boldsymbol{\theta}, \mathbf{y} \times \mathcal{R}))$$

Bayesian

$$p(\boldsymbol{\theta}, \mathbf{y}, \mathcal{S} | \mathcal{D}^{wc}, \mathcal{D}^{woc}) = \frac{\mathcal{L}(\mathcal{D}^{wc}, \mathcal{D}^{woc} | \boldsymbol{\theta}, \mathbf{y}, \mathcal{S}) p(\boldsymbol{\theta}, \mathbf{y}, \mathcal{S})}{\int d\boldsymbol{\theta} d\mathbf{y} \mathcal{L}(\mathcal{D}^{wc}, \mathcal{D}^{woc} | \boldsymbol{\theta}, \mathbf{y}, \mathcal{S}) p(\boldsymbol{\theta}, \mathbf{y}, \mathcal{S})}$$

Frequentist

$$t_S = -2 \ln \Lambda(\mathcal{S}) = -2 \ln \frac{\mathcal{L}(\hat{\boldsymbol{\theta}}, \hat{\mathbf{y}}, \mathcal{S})}{\mathcal{L}(\hat{\boldsymbol{\theta}}, \hat{\mathbf{y}}, \hat{\mathcal{S}})}$$

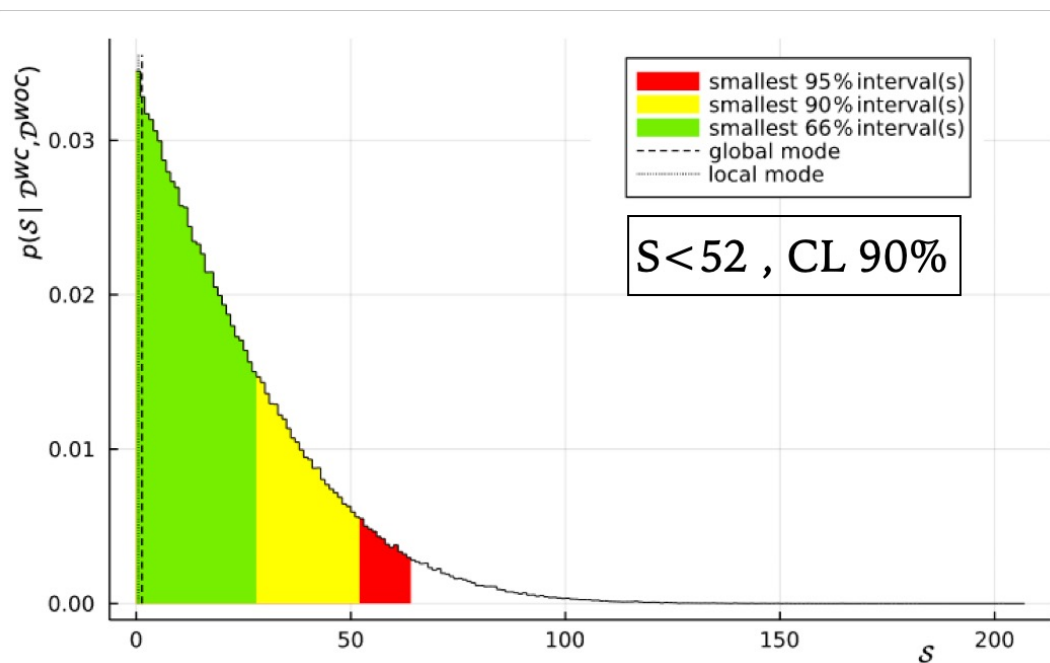
$$p_S = \int_{t_{obs}}^{\infty} f(t_S | \mathcal{S}) dt_S$$

Symmetry 2022, 14(5), 893;

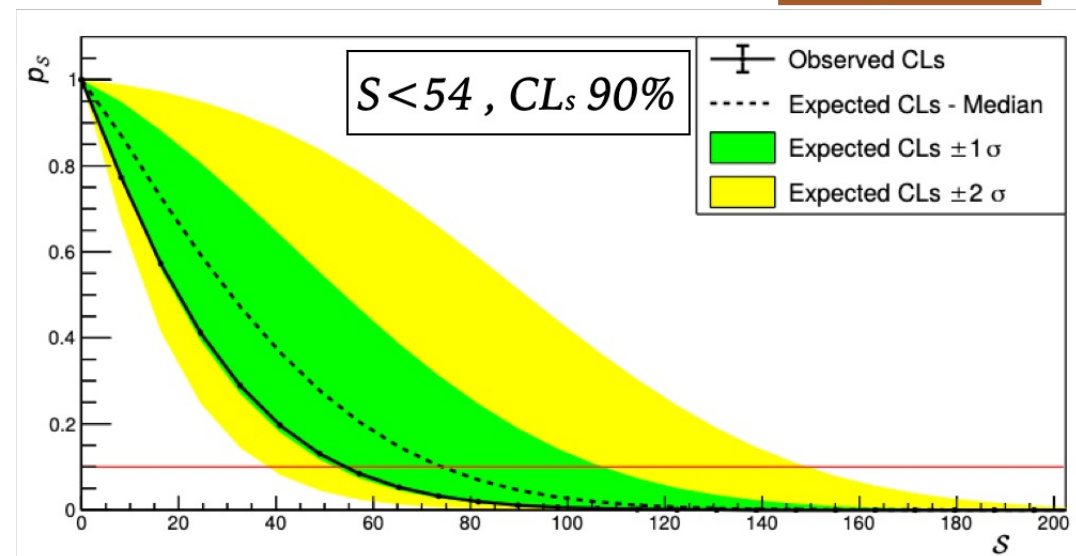
<https://doi.org/10.3390/sym14050893>

# The VIP-2 Experiment

Bayesian



Frequentist



$$\Delta N_x \geq \frac{\beta^2}{2} N_{new} \frac{1}{10} N_{scatt} \times Eff_{riv}$$

$$N_{int} = D / \mu$$

$$\beta^2 / 2 \leq 8.6 \times 10^{-31} \text{ (Bayesian),}$$

$$\beta^2 / 2 \leq 8.9 \times 10^{-31} \text{ (CL}_s\text{)}$$

Symmetry 2022, 14(5), 893;

<https://doi.org/10.3390/sym14050893>

Random Walk

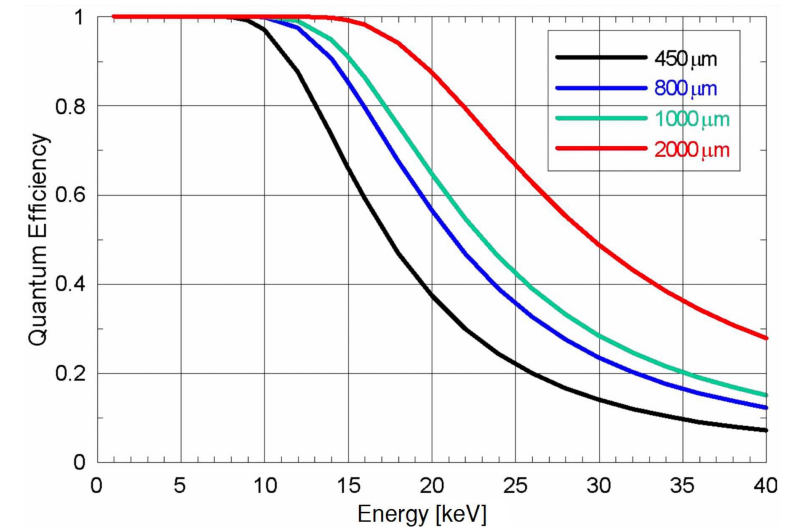
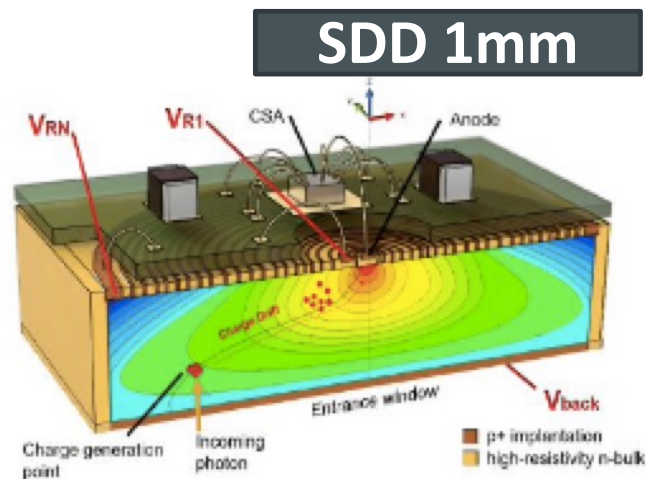
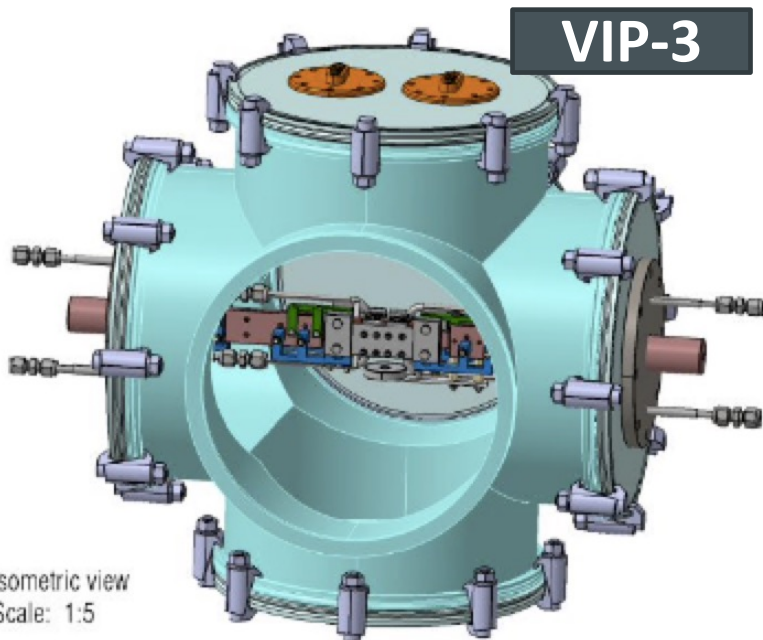
$$\beta^2 / 2 \leq 6.8 \times 10^{-43} \text{ (Bayesian),}$$

$$\beta^2 / 2 \leq 7.1 \times 10^{-43} \text{ (CL}_s\text{)}.$$

# The VIP-3 experiment – new SDDs

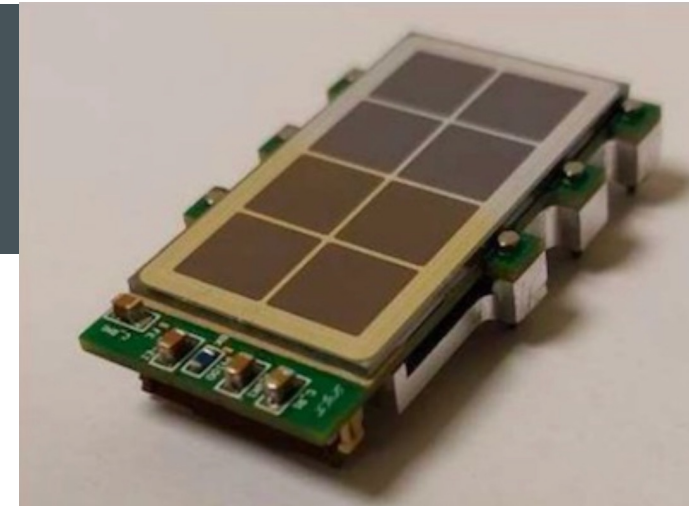
- New vacuum chamber to install 64 SDDs (1mm thick):
  - Increased geometrical efficiency by a factor of 2 compared to VIP-2
  - Increased energy range: possibility to study the PEP in other elements (Ag, Sn, Pd)
- New front-end electronic for a better noise rejection and electrical stability
- New thermal contact between cold finger and SDDs
- New target cooling system → higher current up to 400 A

**Higher quantum efficiency needed for the SDDs at higher Z:**  
use 1 mm thick SDDs, allowing to scan e.g. Ag, Sn and Pd



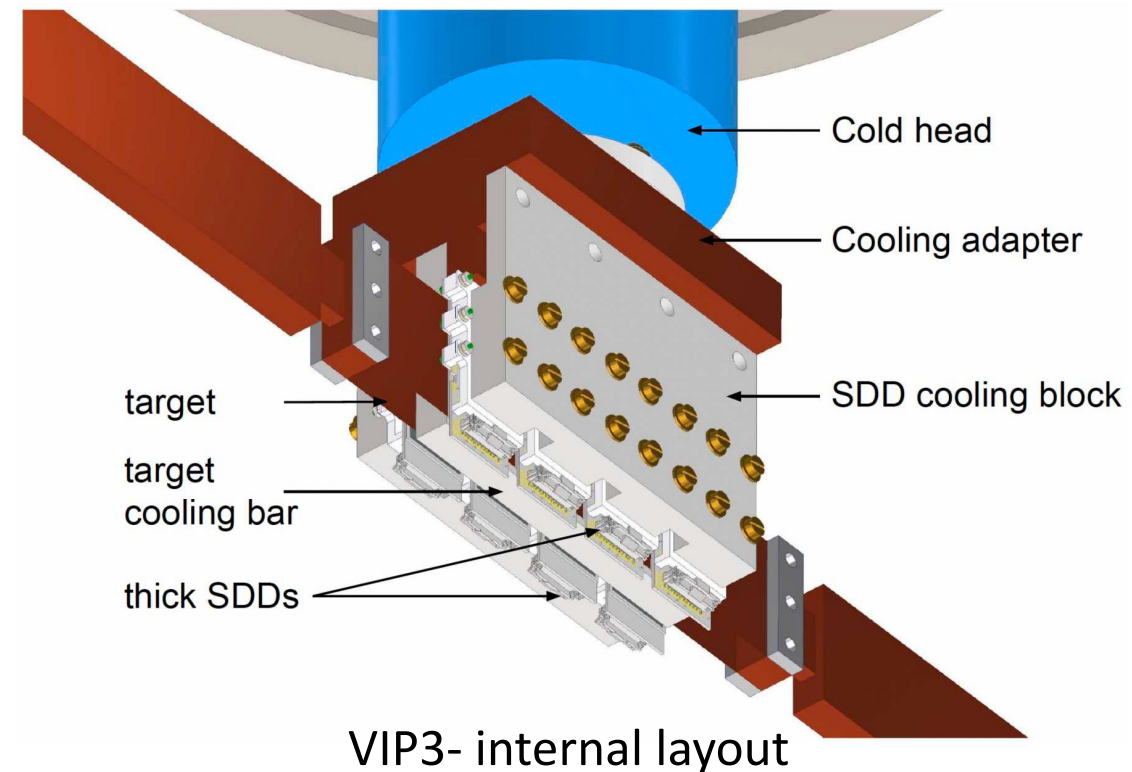
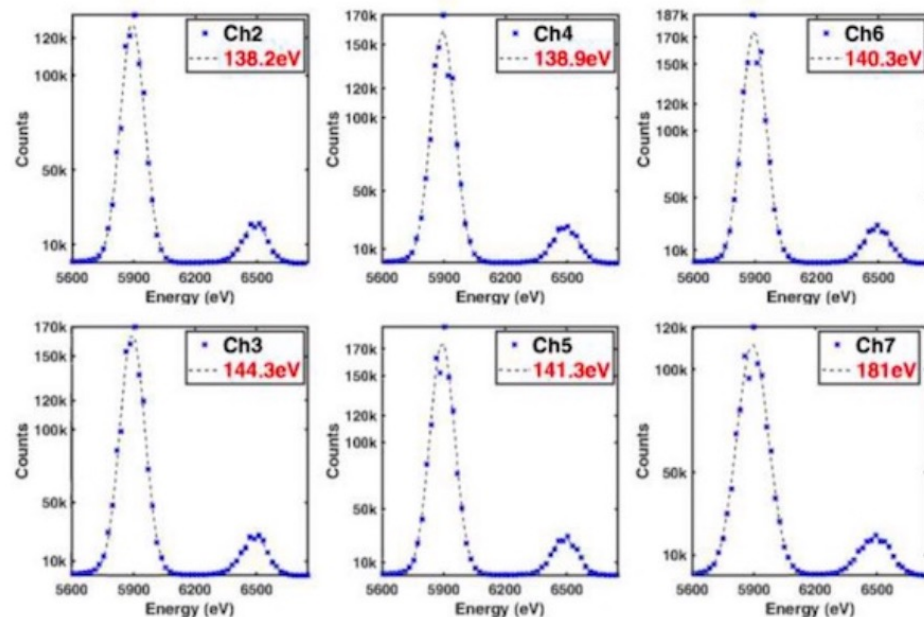


# VIP-3: the new 1mm SDDs



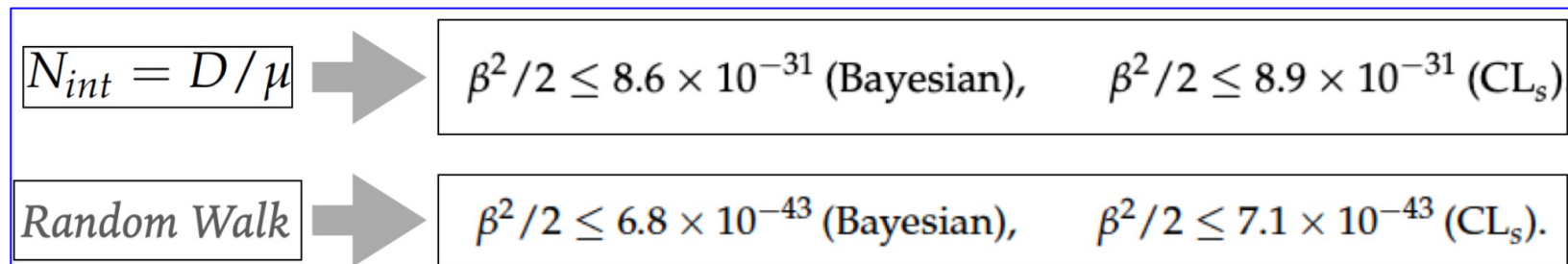
New 1mm thick SDDs have been developed by INFN in collaboration with FBK, SMI, PoliMi

- 8x8 mm<sup>2</sup> active area for each cell
- New Guard ring to avoid charge sharing between SDDs - preserve the energy and time resolution
- New PCB for noise reduction and electrical stability
- First prototype assembled and tested: FWHM ~140 eV @ 5.9 keV



# Conclusion

- Silicon Drift Detectors have been fully characterized:
  - **Linear energy response** within  $\pm 3$  eV (4–14 keV range)  $\rightarrow \delta E/E < 10^{-3}$  eV.
  - **Energy resolution** about 160 eV @ 140 K
  - **Stable energy response** within 1 eV.
  - **Timing resolution** about 360 ns @ 140 K
- **SDDs successfully employed to investigate the PEP**



- **The VIP-3 setup is under construction  $\rightarrow$  Larger active area, higher current, new generation of SDDs (1mm thick)**



# Detectors for X-ray spectroscopy

## SDDs

- 100 eV max resolution
- 4-40 keV range
- High efficiency

## Cd(Zn)Te

- 20-300 keV range
- FWHM / E ~ %
- High efficiency
- Room Temperature

## HPGe

- 100-1000 keV range
- FWHM / E ~ %
- High efficiency
- Cooling needed

