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Non-nucleonic degrees of freedom in neutron star mergers

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Outline

- ► Intro
- Pions
- Quark matter
- ► Hyperons
- ► Conclusions





Finite-size effects, i.e. EOS impact, during insprial described by tidal deformability Λ

Larger stars /stiffer EOS accelerate inspiral

Dominant remnant oscillation generates pronounced GW peak f_{peak}

More compact remnants/softer EOS higher fpd



GW170817: postmerger not yet measured but within

4000

Observations



Abbott et al. 2019

Λ<650; R<13.5 km

<u>Simulations</u>



Moving-mesh hydrodynamics – Lioutas et al. 2024

Empirical relations

- ► To determine NS properties and EoS from some merger observable
- For postmerger GW emission, ejecta / kilonova properties, threshold mass for black-hole formation etc.



Do non-nucleonic degrees of freedom lead to deviations from empirical relations?

Impact of pions in NS mergers

Vimal Vijayan, Ninoy Rahman, AB, Gabriel Martinez-Pinedo, Ignacio Arbina PRD 108 (2023); arXiv: 2302.12055

Including pions

- π^{\pm}, π^{0} mesons with rest mass of about 140 MeV in vacuum
- Impact on NS matter already discussed for decades but neglected in basically all EoS tables used in merger simulations
- Simple model to include pions as non-interacting Bose gas with chosen effective mass
 - \rightarrow pion condensation (ground state) and thermal pions
- ► Two base EoSs (DD2 and SFHO) and chosen constant effective mass

Pion condensation discussed since decades, e.g. Sawyer+ 1972, Migdal 1973, Baym & Flowers 1974, ...; more recently thermal pions Oertel+ 2012, Fore & Reddy 2020

Effect of pions on EoS

- ▶ SFHo, m_{π} =vac mass → neutral and thermal pions become relevant at several 10 MeV
- Condensation softens EoS

• (chosen) pion mass determines magntitude of effect – higher m_{π} smaller impact



Impact on stellar structure

- Stronger impact for smaller pion mass (earlier condensation)
- Radius decrease by 200 m; Mmax slightly reduced



Vijayan et al 2023

Merger simulations

Motivation:

- Possibly combined effects condensate and thermal pions
- Empirical relations of merger observables often expressed by TOV properties \rightarrow to which extend to those relations hold when pions are included ?
- SPH merger simulations in CFC with modified EoS tables compared to originals
- Electron fraction advected (okaish for high-density part where pions occur) Vijayan et al 2023



- Mass averaged pions fractions
- Only for 200MeV thermal dominates – but overall small contributions



Inspiral and Postmerger GWs

- Inspiral: Tidal deformability reduced by 10 per cent (for m_pi close to vac mass) !

 → potentially problematic if nuclear parameters are deduced and pis neglected
- Postmerger: frequency shifts up to 150 Hz



Vijayan et al 2023

Empirical relations for dominant postmerger frequency

- Empirical relations build without pions remain approximately valid
- For softer SFHO model possibly stronger shifts for m_{π} = vac. mass



Grey data points EoS models without pions (black curve fit to those)

Vijayan et al 2023

Collapse behavior – M_{thres} measurable



Understanding of BH formation in mergers [e.g. Shibata 2005, Baiotti et al. 2008, Hotokezaka et al. 2011, Bauswein et al. 2013, Bauswein et al 2017, Koeppel et al 2019, Agathos et al. 2020, Bauswein et al. 2020, Bauswein 2021, Kashyap et al 2022, Perego et al 2022, Koelsch et al 2022]

Threshold mass for prompt collapse

Vijayan et al 2023

1.4 \mathbf{X} Base + π , Base + π , \mathbf{X} Base +	$m_{\pi} = $ Vac. $m_{\pi} = 1701$ $m_{\pi} = 2001$ 4 2.75 f_{peak} [k	. mass MeV MeV 1.35-1.3 3.00 .Hz]	5 M _☉	3.50			3.2 3.0 W 3.0 2.8 2.6 13.0	12.5 _{12.011.5_{11.0} <i>R_{1.6} /km/</i>}		2.2 Mol Mmax
Model	$M_{\rm thres}$	$M_{\rm max}$	$R_{1.6}$	$R_{\rm max}$	$\Lambda_{1.4}$	$\tilde{\Lambda}_{\rm thres}$	$M_{\rm thres}^{\rm fit}$	$M_{\rm thres}^{\rm fit}$	$M_{\rm thres}^{\rm fit}$	$M_{\rm thres}^{\rm fit}$
Model (Max. dev./ M_{\odot})	$M_{\rm thres}$	$M_{\rm max}$	$R_{1.6}$	$R_{\rm max}$	$\Lambda_{1.4}$	$\tilde{\Lambda}_{\mathrm{thres}}$	$M_{\rm thres}^{\rm fit}$ $(Y = R_{1.6})$ (0.042)	$ \begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = R_{\rm max}) \\ (0.059) \end{array} $	$M_{\text{thres}}^{\text{fit}}$ $(Y = \Lambda_{1.4})$ (0.056)	$ \begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \end{array} $
Model (Max. dev./ M_{\odot})	M_{thres} $[M_{\odot}]$	$M_{\rm max}$ $[M_{\odot}]$	$R_{1.6}$ [km]	$R_{\rm max}$ [km]	$\Lambda_{1.4}$	$\tilde{\Lambda}_{\mathrm{thres}}$	$M_{\text{thres}}^{\text{fit}}$ $(Y = R_{1.6})$ (0.042) $[M_{\odot}]$	$M_{\rm thres}^{\rm fit}$ $(Y = R_{\rm max})$ (0.059) $[M_{\odot}]$	$M_{\rm thres}^{\rm fit}$ $(Y = \Lambda_{1.4})$ (0.056) $[M_{\odot}]$	$ \begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \\ [M_{\odot}] \end{array} $
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass	M_{thres} $[M_{\odot}]$ 2.810	$M_{\rm max}$ $[M_{\odot}]$ 2.017	R _{1.6} [km] 11.542	R _{max} [km] 10.085	Λ _{1.4} 296.937	$\tilde{\Lambda}_{\rm thres}$ 290.362	$M_{\text{thres}}^{\text{fit}} \\ (Y = R_{1.6}) \\ (0.042) \\ [M_{\odot}] \\ 2.806(0.004)$	$M_{ m thres}^{ m fit}$ (Y = R _{max}) (0.059) [M_{\odot}] 2.804(0.006)	$ \begin{array}{r} M_{\rm thres}^{\rm fit} \\ (Y = \Lambda_{1.4}) \\ (0.056) \\ [M_{\odot}] \\ 2.784(0.026) \end{array} $	$M_{\text{thres}}^{\text{fit}}$ $(Y = \tilde{\Lambda}_{\text{thres}})$ (0.085) $[M_{\odot}]$ $2.796(0.014)$
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV	M_{thres} $[M_{\odot}]$ 2.810 2.845	$M_{\rm max}$ [M_{\odot}] 2.017 2.026	$R_{1.6}$ [km] 11.542 11.688	R _{max} [km] 10.085 10.212	$\Lambda_{1.4}$ 296.937 324.561	Λ _{thres} 290.362 292.701	$M_{\text{thres}}^{\text{fit}}$ $(Y = R_{1.6})$ (0.042) $[M_{\odot}]$ $2.806(0.004)$ $2.835(0.010)$	$M_{\rm thres}^{\rm fit} \\ (Y = R_{\rm max}) \\ (0.059) \\ [M_{\odot}] \\ 2.804(0.006) \\ 2.832(0.013) \\ \end{bmatrix}$	$M_{\text{thres}}^{\text{fit}} (Y = \Lambda_{1.4}) \\ (0.056) \\ [M_{\odot}] \\ 2.784(0.026) \\ 2.811(0.034)$	$ \begin{array}{r} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \\ [M_{\odot}] \\ 2.796(0.014) \\ 2.816(0.029) \\ \end{array} $
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV SFHo + π , 200 MeV	M_{thres} [M_{\odot}] 2.810 2.845 2.855	$M_{\rm max}$ [M_{\odot}] 2.017 2.026 2.038	$R_{1.6}$ [km] 11.542 11.688 11.741	R _{max} [km] 10.085 10.212 10.277	$\Lambda_{1.4}$ 296.937 324.561 332.950	Λ _{thres} 290.362 292.701 291.953	$M_{\text{thres}}^{\text{fit}}$ $(Y = R_{1.6})$ (0.042) $[M_{\odot}]$ $2.806(0.004)$ $2.835(0.010)$ $2.851(0.004)$	$M_{\rm thres}^{\rm fit}$ $(Y = R_{\rm max})$ (0.059) $[M_{\odot}]$ $2.804(0.006)$ $2.832(0.013)$ $2.850(0.005)$	$M_{\rm thres}^{\rm fit} \\ (Y = \Lambda_{1.4}) \\ (0.056) \\ [M_{\odot}] \\ 2.784(0.026) \\ 2.811(0.034) \\ 2.825(0.030) \\ \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \\ [M_{\odot}] \\ \hline 2.796(0.014) \\ \hline 2.816(0.029) \\ \hline 2.832(0.023) \end{array}$
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV SFHo + π , 200 MeV SFHo Base	$M_{\rm thres}$ [M_{\odot}] 2.810 2.845 2.855 2.870	$M_{\rm max}$ [M_{\odot}] 2.017 2.026 2.038 2.056	$R_{1.6}$ [km] 11.542 11.688 11.741 11.743	R _{max} [km] 10.085 10.212 10.277 10.285	$\Lambda_{1.4}$ 296.937 324.561 332.950 332.970	Λ _{thres} 290.362 292.701 291.953 282.036	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{1.6}) \\ (0.042) \\ [M_{\odot}] \\ \hline 2.806(0.004) \\ \hline 2.835(0.010) \\ \hline 2.851(0.004) \\ \hline 2.861(0.009) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{\rm max}) \\ (0.059) \\ [M_{\odot}] \\ \hline 2.804(0.006) \\ \hline 2.832(0.013) \\ \hline 2.850(0.005) \\ \hline 2.859(0.011) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=\Lambda_{1.4}) \\ (0.056) \\ [M_{\odot}] \\ 2.784(0.026) \\ 2.811(0.034) \\ 2.825(0.030) \\ 2.835(0.035) \end{array}$	$M_{\rm thres}^{\rm fit}$ $(Y = \tilde{\Lambda}_{\rm thres})$ (0.085) $[M_{\odot}]$ $2.796(0.014)$ $2.816(0.029)$ $2.832(0.023)$ $2.830(0.040)$
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV SFHo + π , 200 MeV SFHo Base DD2 + π , Vac. mass	$M_{\rm thres}$ [M_{\odot}] 2.810 2.845 2.855 2.870 3.250	$M_{\rm max}$ [M_{\odot}] 2.017 2.026 2.038 2.056 2.381	$R_{1.6}$ [km] 11.542 11.688 11.741 11.743 13.069	R _{max} [km] 10.085 10.212 10.277 10.285 11.692	$\Lambda_{1.4}$ 296.937 324.561 332.950 332.970 639.278	Λ _{thres} 290.362 292.701 291.953 282.036 256.841	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{1.6}) \\ (0.042) \\ [M_{\odot}] \\ 2.806(0.004) \\ 2.835(0.010) \\ 2.851(0.004) \\ 2.861(0.009) \\ 3.257(-0.007) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{\rm max}) \\ (0.059) \\ [M_{\odot}] \\ 2.804(0.006) \\ 2.832(0.013) \\ 2.850(0.005) \\ 2.859(0.011) \\ 3.271(-0.021) \end{array}$	$\begin{aligned} & M_{\rm thres}^{\rm fit} \\ & (Y = \Lambda_{1.4}) \\ & (0.056) \\ & [M_\odot] \\ & 2.784(0.026) \\ & 2.811(0.034) \\ & 2.825(0.030) \\ & 2.835(0.035) \\ & 3.271(-0.021) \end{aligned}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \\ [M_{\odot}] \\ \hline 2.796(0.014) \\ \hline 2.816(0.029) \\ \hline 2.832(0.023) \\ \hline 2.830(0.040) \\ \hline 3.228(0.022) \end{array}$
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV SFHo + π , 200 MeV SFHo Base DD2 + π , Vac. mass DD2 + π , 170 MeV	$M_{\rm thres}$ [M_{\odot}] 2.810 2.845 2.855 2.870 3.250 3.290	$M_{\rm max}$ [M_{\odot}] 2.017 2.026 2.038 2.056 2.381 2.390	$R_{1.6}$ [km] 11.542 11.688 11.741 11.743 13.069 13.220	R _{max} [km] 10.085 10.212 10.277 10.285 11.692 11.791	$\Lambda_{1.4}$ 296.937 324.561 332.950 332.970 639.278 699.649	Λ _{thres} 290.362 292.701 291.953 282.036 256.841 261.744	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{1.6}) \\ (0.042) \\ [M_{\odot}] \\ \hline 2.806(0.004) \\ \hline 2.835(0.010) \\ \hline 2.851(0.004) \\ \hline 2.861(0.009) \\ \hline 3.257(-0.007) \\ \hline 3.287(0.003) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{\rm max}) \\ (0.059) \\ [M_{\odot}] \\ \hline 2.804(0.006) \\ \hline 2.832(0.013) \\ \hline 2.850(0.005) \\ \hline 2.859(0.011) \\ \hline 3.271(-0.021) \\ \hline 3.294(-0.004) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=\Lambda_{1.4}) \\ (0.056) \\ [M_{\odot}] \\ \hline 2.784(0.026) \\ \hline 2.811(0.034) \\ \hline 2.825(0.030) \\ \hline 2.835(0.035) \\ \hline 3.271(-0.021) \\ \hline 3.325(-0.035) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y = \tilde{\Lambda}_{\rm thres}) \\ (0.085) \\ [M_{\odot}] \\ \hline 2.796(0.014) \\ \hline 2.816(0.029) \\ \hline 2.832(0.023) \\ \hline 2.830(0.040) \\ \hline 3.228(0.022) \\ \hline 3.256(0.034) \end{array}$
Model (Max. dev./ M_{\odot}) SFHo + π , Vac. mass SFHo + π , 170 MeV SFHo + π , 200 MeV SFHo Base DD2 + π , Vac. mass DD2 + π , 170 MeV DD2 + π , 200 MeV	$M_{\rm thres}$ [M_{\odot}] 2.810 2.845 2.855 2.870 3.250 3.290 3.310	$M_{\rm max}$ [M_{\odot}] 2.017 2.026 2.038 2.056 2.381 2.390 2.403	$R_{1.6}$ [km] 11.542 11.688 11.741 11.743 13.069 13.220 13.220	R _{max} [km] 10.085 10.212 10.277 10.285 11.692 11.791 11.865	$\Lambda_{1.4}$ 296.937 324.561 332.950 332.970 639.278 699.649 700.166	Λ _{thres} 290.362 292.701 291.953 282.036 256.841 261.744 256.079	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{1.6}) \\ (0.042) \\ [M_{\odot}] \\ \hline 2.806(0.004) \\ 2.835(0.010) \\ \hline 2.851(0.004) \\ \hline 2.861(0.009) \\ \hline 3.257(-0.007) \\ \hline 3.287(0.003) \\ \hline 3.298(0.012) \end{array}$	$\begin{array}{c} M_{\rm thres}^{\rm fit} \\ (Y=R_{\rm max}) \\ (0.059) \\ [M_{\odot}] \\ 2.804(0.006) \\ 2.832(0.013) \\ 2.850(0.005) \\ 2.859(0.011) \\ 3.271(-0.021) \\ 3.294(-0.004) \\ 3.314(-0.004) \end{array}$	$\begin{split} & M_{\rm thres}^{\rm fit} \\ & (Y = \Lambda_{1.4}) \\ & (0.056) \\ & [M_\odot] \\ & 2.784(0.026) \\ & 2.811(0.034) \\ & 2.825(0.030) \\ & 2.835(0.035) \\ & 3.271(-0.021) \\ & 3.325(-0.035) \\ & 3.333(-0.023) \end{split}$	$\begin{split} & M_{\rm thres}^{\rm fit} \\ & (Y = \tilde{\Lambda}_{\rm thres}) \\ & (0.085) \\ & [M_{\odot}] \\ & 2.796(0.014) \\ & 2.816(0.029) \\ & 2.832(0.023) \\ & 2.830(0.040) \\ & 3.228(0.022) \\ & 3.256(0.034) \\ & 3.259(0.051) \end{split}$

- Mthres reduced by up to 0.08 M_{sun} (for m_{π} ~vac mass)
- ► But empirical relations remain valid (within scatter) combined effect on M_{thres}

Mass ejection \rightarrow kilonovae

- Inclusion of pions leads to (tentatively) more ejecta
- Increase stronger than expected from TOV properties (employing common fit formulae, see e.g. Henkel et al 2022 – often used in mutli-messenger analysis)

 \rightarrow potentially problematic of EoS inference

Torus mass similar effects



Vijayan et al 2023

EoS inference through kilonova properties

► Fit formulae compiled from the literature



Janka & Bauswein 2023

Quark matter in NS mergers

Bauswein et al 2019, Bauswein & Blacker 2020, Bauswein et al 2020, Blacker et al. 2020, Blacker et al. 2023

Phase diagram of matter of strongly interacting matter

GSI/FAIR

Temperature T [MeV] 200 Early Quarks and Gluons universe Critical point? confinemen Hadrons and chiral s 100 Color Super-Neutron stars conductor? 0 Nuclei Net Baryon Density

Does the phase transition to quark-gluon plasma occur (already) in neutron stars or only at higher densities? (low T, high rho not accessible by experiments or ab-initio models)

High T, low µ: experiments and lattice QCD 7 different models for quark matter: different onset density, different density jump, different stiffness of quark matter phase



Bauswein et al. 2019, Bastian 2020

EOS	$\sqrt{D_0}$	α	a	b	c	ρ_1	n_{onset}	Δn	M_{onset}	$M_{\rm max}$	$f_{\rm peak}$
	(MeV)	(fm^6)	$({\rm MeVfm^3})$	$({ m MeVfm^9})$	(fm^6)	$({\rm MeVfm^3})$	(fm^{-3})	(fm^{-3})	(M_{\odot})	(M_{\odot})	(kHz)
DD2-SF-1	265	0.39	-4.0	1.6	0.025	80.0	0.533	0.106	1.57	2.13	3.54
DD2-SF-2	250	0.60	10.0	0.0	0.000	80.0	0.466	0.057	1.37	2.16	3.68
DD2-SF-3	240	0.36	1.0	0.5	0.015	80.0	0.538	0.094	1.58	2.03	3.58
DD2-SF-4	240	0.34	1.0	0.5	0.015	80.0	0.580	0.082	1.68	2.03	3.36
DD2-SF-5	240	0.38	1.0	0.5	0.015	80.0	0.499	0.108	1.48	2.04	3.59
DD2-SF-6	240	0.30	-3.0	0.8	0.015	80.0	0.545	0.121	1.60	2.01	3.67
DD2-SF-7	240	0.47	7.0	0.2	0.015	80.0	0.562	0.030	1.62	2.11	3.33





Bauswein et al. 2019











M [M_{tot}]

Merger simulations



Softer EoS "needs more density" to provide sufficient pressure support

Merger simulations with quark matter core

► GW spectrum 1.35-1.35 Msun



But: a high frequency on its own may not yet be characteristic for a phase transition

ightarrow unambiguous signature

Signature of 1st order phase transition



- Characteristic increase of postmerger frequency compared to tidal deformability
 - \rightarrow evidence of presence of quark matter core
 - → in any case constraint on onset density/properties of hadron-quark phase transition

See also Most+ 2019, Blacker+ 2020, Weih +2020, Bauswein+2020, Prakash+ 2021, Liebling+ 2021, Hanauske+ 2021, Fujimoto+2022, Tootle+ 2022, Huang+ 2022, Blacker+ 2023,...

GW data analysis

- Recovery of injected waveforms as proof of principle for GW data analysis with BayesWave, i.e. morphology-independent search, combined with pre-merger templates
 - \rightarrow signature of quark matter measurable



40 Mpc, 2x, 4x, 6x design sensitivity

GW data analysis

- Use simulations to train machine learning template construction
- Successfully recovers injected signal and its main frequency



Ad. Ligo/Virgo network at design sensitivity

Soultanis et al 2024 (in prep)

GWs inform about highest density in the remnant

→ constraint on onset density (if PT is identified/excluded)



Postmerger frequency fpeak

tidal deformability from inspiral

Collapse behavior – M_{thres} measurable



Understanding of BH formation in mergers [e.g. Shibata 2005, Baiotti et al. 2008, Hotokezaka et al. 2011, Bauswein et al. 2013, Bauswein et al 2017, Koeppel et al 2019, Agathos et al. 2020, Bauswein et al. 2020, Bauswein 2021, Kashyap et al 2022, Perego et al 2022, Koelsch et al 2022]

 $\overline{M_{\text{thres}}} = \overline{M_{\text{thres}}}(X, Y) = \overline{aX + bY} + c$



Bauswein et al 2021

Similarly tight fits for asymmetric mergers

Other independent variables like $\Lambda(1.4)$, R_{max} , Λ_{thres}

- Bi-linear relations \rightarrow simple to invert \rightarrow useful for EoS constraints
- Similar relations for chirp mass

QCD phase transition from collapse behavior

- ► Directly measurable from events around M_{thres}
- Already single events yielding constraints may indicate presence of quark matter



QCD phase transition from collapse behavior

- ► Directly measurable from events around M_{thres}
- Already single events yielding constraints may indicate presence of quark matter



Hyperons in NS mergers

Blacker, Kochankovski, Bauswein, Ramos, Tolos, PRD 109 (2024); arXiv:2307.03710 See Sekiguchi et al. 2011, Radice et al 2017 for early studies of individual EoS models

Hyperon puzzle

- Natural to expect that nucleons are converted to hyperons once chemical potential reaches hyperon mass
- ► Hyperon puzzle: Hyperons would soften the EoS which is in tension (?) with 2 M_{sun} NSs
- Several modern hyperonic EoS fulfill the 2 Msun constraint
 - \rightarrow hyperon puzzle unsolved interacting Fermi gas with unknown interactions
 - \rightarrow generally hyperons leave weak impact on NS structure indistinuishable MR



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- Natural to expect that nucleons are converted to hyperons once chemical potential reaches hyperon mass
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► A nucleonic EoS could mimic T=0 behavior of any hyperonic EoS !

 \rightarrow Comprehensive study of hyperonic EoSs in NS mergers

Isolate thermal behavior of hyperons

- Idea: assume T=0 EoS do not contain any information and adopt hyperonic EoS to be purely nucleonic (obviously incorrect assumption but necessary)

- supplement with approximate thermal pressure treatment to mimic "nucleonic" thermal behavior

 $P_{th} = (\Gamma_{th} - 1)\epsilon_{th}
ho$ $\Gamma_{th} = 1.75$ found to reproduce nucleonic EoSs

Compare $\Gamma_{th} = 1.75$ runs vs. full T-dependent simulations \rightarrow thermal behavior of hyperons

► Delta f describes impact of hyperons on thermal behavior → in principle measurable !!



$$\Delta f_{\rm peak} = f_{\rm peak} - f_{\rm peak}^{\Gamma_{\rm th}=1.75}$$

Blacker et al. 2024

► Delta f describes impact of hyperons on thermal behavior → in principle measurable !!



Blacker et al. 2024

• Quantify thermal pressure support (at 25MeV) $P_{th} = (\Gamma_{th} - 1)\epsilon_{th}\rho$



Black curves are purely nucleonic

► More massive bianries → stronger effect



► Delta f describes impact of hyperons on thermal behavior → in principle measurable !!



Blacker et al. 2024

• Concrete scenario: hyperonic models have tendency to yield increased fpeak



Blacker et al. 2024

Black hole formation

Marginal reduction of M_thres





Summary

- Pions may affect stellar structure and merger dynamics
 - \rightarrow empirical relations still hold (cancelation effect)
 - but should be considered for certain applications (systematic bias)
- Quark matter can lead to a characteristic shift of postmerger frequency
 - by compactification of remnant
 - also threshold mass affected
- Hyperons modify thermal behavior of EoS in comparison to nucleonic systems

 → small frequency shift (challenging but in principle measurable)
- (Generally NS mergers probe bulk properties of EoS microphysics only accessible through combined effort with theory and experiment)