

SFitter

Tilman Plehn

LHC physics

Higgs-gauge

Fermionic

Legacy

EFT & SFitter

Testing CP

Modern LHC Physics and Global Analyses

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Trento, March 2024



Modern LHC physics

Classic motivation

- dark matter?
- *****?
- origin of Higgs field?



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- fundamental questions
- huge data set
- first-principle, precision simulations
- complete uncertainty control



Modern LHC physics

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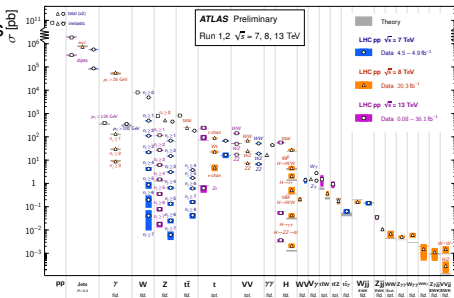
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- measurements of event counts
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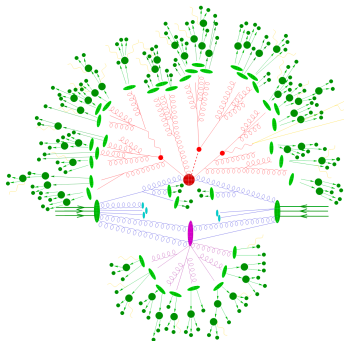
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First-principle, precision simulations

- start with Lagrangian
- calculate scattering using QFT
- simulate collisions
- simulate detectors

→ LHC collisions in virtual worlds



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First-principle, precision simulations

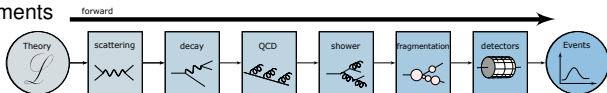
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BSM searches

- compare simulations and data
- understand data systematically
- infer underlying theory [SM or BSM]
- publish useable results

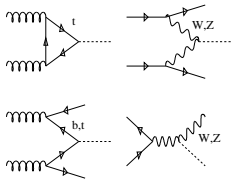
→ Experiment, theory, data science



Precision Higgs physics

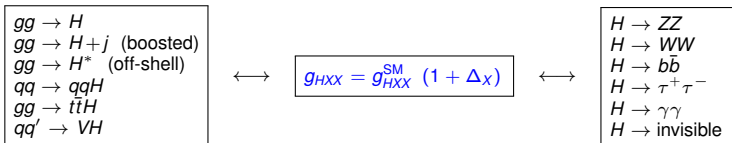
How the LHC became a precision machine

- assume: narrow CP -even scalar
- Standard Model operators
- Lagrangian like non-linear symmetry breaking



$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \Delta_W g m_W H W^\mu W_\mu + \Delta_Z \frac{g}{2c_W} m_Z H Z^\mu Z_\mu - \sum_{\tau, b, t} \Delta_f \frac{m_f}{v} H (\bar{f}_R f_L + \text{h.c.})$$

$$+ \Delta_g F_G \frac{H}{v} G_{\mu\nu} G^{\mu\nu} + \Delta_\gamma F_A \frac{H}{v} A_{\mu\nu} A^{\mu\nu} + \text{invisible} + \text{unobservable}$$



Brilliant Run 1 analyses, but...

- 1 predictions not renormalizable
 - 2 no kinematic distributions
 - 3 not testing Standard Model
- Just an inspiring first step



Higgs-gauge operators

D6 Lagrangian for Run 2 [SMEFT]

- Higgs operators [renormalizable]

$$\mathcal{O}_{GG} = \phi^\dagger \phi G_{\mu\nu}^a G^{a\mu\nu} \quad \mathcal{O}_{WW} = \phi^\dagger \hat{W}_{\mu\nu} \hat{W}^{\mu\nu} \phi \quad \mathcal{O}_{BB} = \dots$$

$$\mathcal{O}_{BW} = \phi^\dagger \hat{B}_{\mu\nu} \hat{W}^{\mu\nu} \phi \quad \mathcal{O}_W = (D_\mu \phi)^\dagger \hat{W}^{\mu\nu} (D_\nu \phi) \quad \mathcal{O}_B = \dots$$

$$\mathcal{O}_{\phi,1} = (D_\mu \phi)^\dagger \phi \phi^\dagger (D^\mu \phi) \quad \mathcal{O}_{\phi,2} = \frac{1}{2} \partial^\mu (\phi^\dagger \phi) \partial_\mu (\phi^\dagger \phi) \quad \mathcal{O}_{\phi,3} = \frac{1}{3} (\phi^\dagger \phi)^3$$

- basis after equation of motion, field re-definition, integration by parts

$$\mathcal{L}_{D6} = -\frac{\alpha_S \nu}{8\pi} \frac{f_g}{\Lambda^2} \mathcal{O}_{GG} + \frac{f_{BB}}{\Lambda^2} \mathcal{O}_{BB} + \frac{f_{WW}}{\Lambda^2} \mathcal{O}_{WW} + \frac{f_B}{\Lambda^2} \mathcal{O}_B + \frac{f_W}{\Lambda^2} \mathcal{O}_W + \frac{f_{\phi,2}}{\Lambda^2} \mathcal{O}_{\phi,2}$$

- Higgs couplings [derivatives = momentum]

$$\begin{aligned} \mathcal{L}_{D6} = & g_g H G_{\mu\nu}^a G^{a\mu\nu} + g_\gamma H A_{\mu\nu} A^{\mu\nu} \\ & + g_Z^{(1)} Z_{\mu\nu} Z^\mu \partial^\nu H + g_Z^{(2)} H Z_{\mu\nu} Z^{\mu\nu} + g_Z^{(3)} H Z_\mu Z^\mu \\ & + g_W^{(1)} \left(W_{\mu\nu}^+ W^{-\mu} \partial^\nu H + \text{h.c.} \right) + g_W^{(2)} H W_{\mu\nu}^+ W^{-\mu\nu} + g_W^{(3)} H W_\mu^+ W^{-\mu} + \dots \end{aligned}$$

plus Yukawa structure $f_{\tau,b,t}$

- one more operator for triple-gauge interactions

$$\mathcal{O}_{WWW} = \text{Tr} \left(\hat{W}_{\mu\nu} \hat{W}^{\nu\rho} \hat{W}_\rho^\mu \right)$$

→ **Bosonic electroweak sector: 10 operators**



LHC kinematics

Ideal LEP and flavor worlds

- unique EFT Lagrangian: linear realization matching unbroken phase
 - chain of separated energy scales $\text{MeV} \ll \text{GeV} \ll v \ll \Lambda_{\text{BSM}}$
- systematic expansion in E/Λ and α [example: ew precision data]

LHC realities

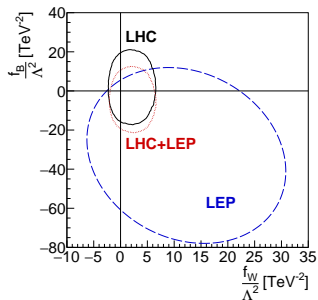
- range of (partonic) energy scales [making things worse $v \sim E_{\text{LHC}}$]
- limited precision

$$\left| \frac{\sigma \times \text{BR}}{(\sigma \times \text{BR})_{\text{SM}}} - 1 \right| = \frac{g^2 m_h^2}{\Lambda_{\text{BSM}}^2} \approx 10\% \quad \stackrel{g=1}{\iff} \quad \Lambda \approx 400 \text{ GeV}$$

- reach from high-energy tails

LHC vs LEP

- triple vertices g_1, κ, λ vs operators
 - LEP driven by precision
LHC driven by energy
- LHC the leading SMEFT machine from Run 1



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LHC theory task: SMEFT

- keep self respect
 - SMEFT analysis just limit setting
 - representation of classes of UV-models
- Goal: describe LHC using QFT



Fermionic operators

Enlarging operator basis

- gauge-fermion operators visible [qqVH vertex]

$$\mathcal{O}_{\phi L}^{(1)} = \phi^\dagger \overleftrightarrow{D}_\mu \phi (\bar{L}_i \gamma^\mu L_i) \quad \mathcal{O}_{\phi e}^{(1)} = \phi^\dagger \overleftrightarrow{D}_\mu \phi (\bar{e}_{R,i} \gamma^\mu e_{R,i}) \quad \mathcal{O}_{\phi L}^{(3)} = \phi^\dagger \overleftrightarrow{D}_\mu^a \phi (\bar{L}_i \gamma^\mu \sigma_a L_i)$$

$$\mathcal{O}_{\phi Q}^{(1)} = \dots \quad \mathcal{O}_{\phi d}^{(1)} = \dots \quad \mathcal{O}_{\phi Q}^{(3)} = \dots$$

$$\mathcal{O}_{\phi ud}^{(1)} = \tilde{\phi}^\dagger \overleftrightarrow{D}_\mu \phi (\bar{u}_{R,i} \gamma^\mu d_{R,i}) \quad \mathcal{O}_{\phi u}^{(1)} = \dots \quad \mathcal{O}_{LLLL} = (\bar{L}_1 \gamma_\mu L_2) (\bar{L}_2 \gamma^\mu L_1)$$

- bosonic operators bounded by EWPD

$$\mathcal{O}_{\phi,1} = (D_\mu \phi)^\dagger \phi \phi^\dagger (D^\mu \phi) \quad \mathcal{O}_{BW} = \phi^\dagger \hat{B}_{\mu\nu} \hat{W}^{\mu\nu} \phi$$

- bigger and better basis

$$\begin{aligned} \mathcal{L}_{\text{eff}} = & -\frac{\alpha_s v}{8\pi} \frac{f_g}{\Lambda^2} \mathcal{O}_{GG} + \frac{f_{BB}}{\Lambda^2} \mathcal{O}_{BB} + \frac{f_{WW}}{\Lambda^2} \mathcal{O}_{WW} + \frac{f_B}{\Lambda^2} \mathcal{O}_B + \frac{f_W}{\Lambda^2} \mathcal{O}_W + \frac{f_{WWW}}{\Lambda^2} \mathcal{O}_{WWW} \\ & + \frac{f_{\phi,2}}{\Lambda^2} \mathcal{O}_{\phi,2} + \sum_{\tau bt} \frac{m_f}{v} \frac{f_f}{\Lambda^2} \mathcal{O}_f + \frac{f_{\phi,1}}{\Lambda^2} \mathcal{O}_{\phi,1} + \frac{f_{BW}}{\Lambda^2} \mathcal{O}_{BW} + \frac{f_{LLLL}}{\Lambda^2} \mathcal{O}_{LLLL} \\ & + \frac{f_{\phi Q}^{(1)}}{\Lambda^2} \mathcal{O}_{\phi Q}^{(1)} + \frac{f_{\phi d}^{(1)}}{\Lambda^2} \mathcal{O}_{\phi d}^{(1)} + \frac{f_{\phi u}^{(1)}}{\Lambda^2} \mathcal{O}_{\phi u}^{(1)} + \frac{f_{\phi e}^{(1)}}{\Lambda^2} \mathcal{O}_{\phi e}^{(1)} + \frac{f_{\phi Q}^{(3)}}{\Lambda^2} \mathcal{O}_{\phi Q}^{(3)} \end{aligned}$$

→ Physics: rates vs kinematics vs EWPD



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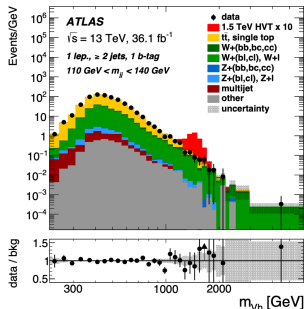
Higgs constraints from no-Higgs measurements

- m_{VH} perfect SMEFT kinematics

Search for heavy resonances decaying into a W or Z boson and a Higgs boson in final states with leptons and b -jets in 36 fb^{-1} of $\sqrt{s} = 13 \text{ TeV } pp$ collisions with the ATLAS detector

The ATLAS Collaboration

A search is conducted for new resonances decaying into a W or Z boson and a 125 GeV Higgs boson in the $\nu b \bar{b}$, $l^+ \nu b \bar{b}$, and $l^+ l^- b \bar{b}$ final states, where $l^+ = e^+$ or μ^+ , in pp collisions at $\sqrt{s} = 13 \text{ TeV}$. The data used correspond to a total integrated luminosity of 36.1 fb^{-1} collected with the ATLAS detector at the Large Hadron Collider during the 2015 and 2016 data-taking periods. The search is conducted by examining the reconstructed invariant or transverse mass distributions of Wb and Zb candidates for evidence of a localised excess in the mass range of 220 GeV up to 5 TeV. No significant excess is observed and the results are interpreted in terms of constraints on the production cross-section times branching fraction of heavy W' and Z' resonances in heavy-vector-triplet models and the CP-odd scalar boson A in two-Higgs-doublet models. Upper limits are placed at the 95% confidence level and range between $9.0 \times 10^{-4} \text{ pb}$ and $8.1 \times 10^{-3} \text{ pb}$ depending on the model and mass of the resonance.



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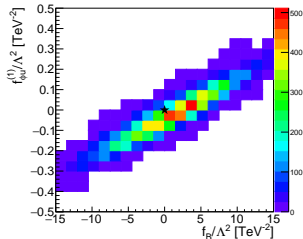
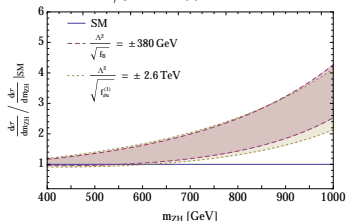
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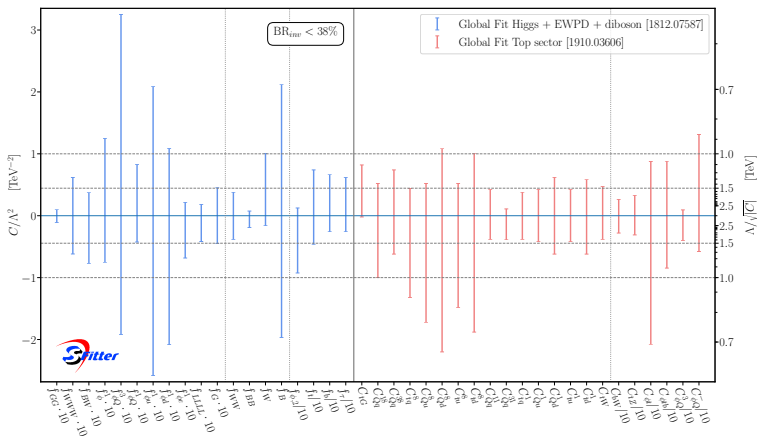
- m_{VH} perfect SMEFT kinematics
- hierarchy $\mathcal{O}_{\phi u}^{(1)} \rightarrow g_{qqZH}$ vs $\mathcal{O}_W \rightarrow g_{ZZH}$



Run 2 legacy

Combined analysis [also Sanz et al, Maltoni et al]

- Higgs-gauge and top sectors, also QCD [flavor]
 - rates and distributions
 - precision calculations
- Closing in on SMEFT interpretation of all of LHC



EFTs for the LHC

Construction

- define Lagrangian from particle content and symmetries
 - perturbative series in coupling(s)
series in operator dimensionality
 - running and matching through renormalization group
- Symmetries and new particles as input



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Challenges

- assuming scale hierarchy
ew symmetry breaking/phase transitions problematic
 - cut-off scale limiting interpretation
 - consistency and uncertainties unclear
- Limited in questions



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- **Symmetries and new particles as input**

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Strengths

- representing range of models
 - describing all observables
 - renormalizable theory
- **Global LHC analysis framework**



SFitter

SFitter global analyses

- combination of Lagrangian and nuisance parameters
 - uncorrelated ATLAS/CMS measurements
 - statistical/systematic/theory uncertainties
 - theory uncertainties flat [RFit]
 - Markov chains weighted, cooling, etc
- Exclusive likelihood



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Profiling vs marginalization [for results see Nina's talk]

- correlations through nuisance parameters
 - 1D limits and 2D correlations interesting
 - remove nuisance/physics parameters
Bayes' theorem → integration with prior vs projection [Konstantin's talk]
 - identical for uncorrelated Gaussians → adding in quadrature
profiling flat \times Gauss → RFit scheme
profiling flat \times flat → linearly added errors
- Both implemented, profiling conservative



SFitter

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SFitter analyses

- 2004: SUSY projections
2009: Higgs coupling projections
 - 2012: Higgs couplings
2013: SUSY dark matter
2015: Higgs-SMEFT: Run 1 legacy
2016: Fermi-LAT dark matter
 - 2018: Higgs-SMEFT: Run 2 legacy
2019: top-SMEFT: Run 2 legacy
 - 2021: Higgs-SMEFT: model matching
2022: Higgs-SMEFT: profiling vs marginalization
2023: top-SMEFT: experimental likelihoods
- [EDMs next in line...](#)



Testing CP

Do not test CP in global analyses

- global analyses infer Wilson coefficients
- marginalizing/profiling removes the best measurements
- kinematics can mimick CP violation



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Recap: C and P and T and \hat{T} and testing them [CPT generally assumed]

- transformations on state with spin/momentum [review: Valencia]

$$C |\phi(p, s)\rangle = |\phi^*(p, s)\rangle \quad P |\phi(p, s)\rangle = \eta_\phi |\phi(-p, s)\rangle \quad T |\phi(p, s)\rangle = \langle\phi(-p, -s)|$$

- naive time reversal \hat{T} avoiding initial \leftrightarrow final state

$$\hat{T} |\phi(p, s)\rangle = |\phi(-p, -s)\rangle$$



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- **genuine U-odd** is what we want [U=C,P,T]

$$\langle O \rangle_{\mathcal{L}=U\mathcal{L}U^{-1}} = 0$$

U-odd is what we get

$$O(U|i\rangle \rightarrow U|f\rangle) \stackrel{\text{odd}}{=} -O(|i\rangle \rightarrow |f\rangle) \stackrel{p(|i\rangle)=p(U|i\rangle)}{\implies} \langle O \rangle_{\mathcal{L}=U\mathcal{L}U^{-1}} = 0$$



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$$O(U|i\rangle \rightarrow U|f\rangle) \stackrel{\text{odd}}{\equiv} -O(|i\rangle \rightarrow |f\rangle) \quad \rho^{(|i\rangle) \Rightarrow \rho^{(U|i\rangle)} \quad \langle O \rangle_{\mathcal{L}=U\mathcal{L}U^{-1}} = 0$$

→ **genuine \hat{T} -odd observable** means CP-violating theory, provided

- 1- phase space \hat{T} -symmetric [inclusive analyses]
- 2- initial state distribution invariant under \hat{T} [$p\bar{p}$ -collisions]
- 3- no re-scattering, means no phase [not foreseen in EFT]



CP observables

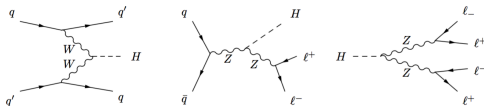
CP-violation in SMEFT-Higgs

- CP-violating operators

$$\mathcal{O}_{B\tilde{B}} = -\frac{g'^2}{4} (\phi^\dagger \phi) \tilde{B}_{\mu\nu} B^{\mu\nu}$$

$$\mathcal{O}_{W\tilde{W}} = -\frac{g^2}{4} (\phi^\dagger \phi) \tilde{W}_{\mu\nu}^k W^{\mu\nu k}$$

- 4 external masses
 - 6 P-even, and \hat{T} -even scalar products
 - 1 C-even, P-odd, and \hat{T} -odd observable with Levi-Civita-tensor
- CP-odd and \hat{T} -odd
for symmetric initial state also genuine CP-odd and genuine \hat{T} -odd
non-zero expectation value means CP violation
 - CP-odd and \hat{T} -even [for our LHCb friends]
for symmetric initial state also genuine CP-odd
but without re-scattering, \hat{T} -expectation value zero
need complex phase for $\langle O \rangle$
- ⇒ **Dedicated CP observables**



LHC processes

Testing CP in WBF

- C-even, P-odd, \hat{T} -odd observable

$$O \equiv \epsilon_{\mu\nu\rho\sigma} k_1^\mu k_2^\nu q_1^\rho q_2^\sigma \text{sign} [(k_1 - k_2) \cdot (q_1 - q_2)]$$

- azimuthal angle difference [lab frame]

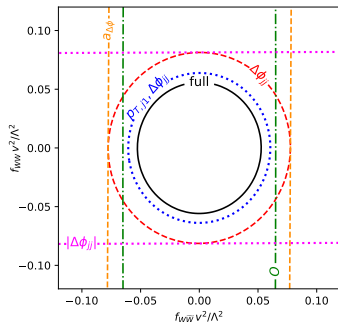
$$O = 2E_- (\vec{q}_- \times \vec{q}_+) \cdot \vec{k}_+ \rightarrow \sin \Delta\phi_{jj}$$

- CP asymmetry

$$a_{\Delta\phi_{jj}} \equiv \frac{d\sigma(\Delta\phi_{jj}) - d\sigma(-\Delta\phi_{jj})}{d\sigma(\Delta\phi_{jj}) + d\sigma(-\Delta\phi_{jj})}$$

- help from dimension-6 kinematics

→ Testing CP, assuming no re-scattering



LHC processes

Testing CP in WWF

- C-even, P-odd, \hat{T} -odd observable

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→ Testing CP, assuming no re-scattering

Testing CP in ZH

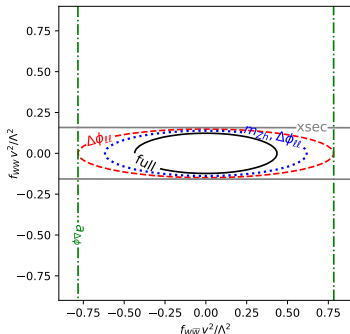
- same one CP-odd and \hat{T} -odd observable

$$O \sim \Delta\phi_{\ell\ell}$$

- CP asymmetry as for WWF

$$a_{\Delta\phi_{\ell\ell}} \equiv \frac{d\sigma(\Delta\phi_{\ell\ell}) - d\sigma(-\Delta\phi_{\ell\ell})}{d\sigma(\Delta\phi_{\ell\ell}) + d\sigma(-\Delta\phi_{\ell\ell})}$$

→ Testing CP without assumptions [to leading order]



General features

Modern LHC physics

- all of LHC understood in terms of QFT
 - SMEFT interpretation framework
 - global precision analysis including kinematics
 - symmetries input, not output of EFT
 - dedicated observables for CP
- Ask Nina about EDM application

A Global View of the EDM Landscape

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Tanmay Modak³, Margarete Mühlleitner³, and Tilman Plehn^{3,4}

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² Institut für Theoretische Physik, Universität Heidelberg, Germany

³ Institute for Theoretical Physics, Karlsruhe Institute of Technology, Karlsruhe, Germany
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Abstract

Permanent electric dipole moments (EDMs) are sensitive probes of the symmetry structure of elementary particles, which in turn is closely tied to the baryon asymmetry in the universe. A meaningful interpretation framework for EDM measurements has to be based on effective quantum field theory. We interpret the measurements performed to date in terms of a hadronic-scale Lagrangian, using the SFitter global analysis framework. We find that part of this Lagrangian is constrained very well, while some of the parameters suffer from too few high-precision measurements. Theory uncertainties lead to weaker model constraints, but can be controlled within the global analysis.

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