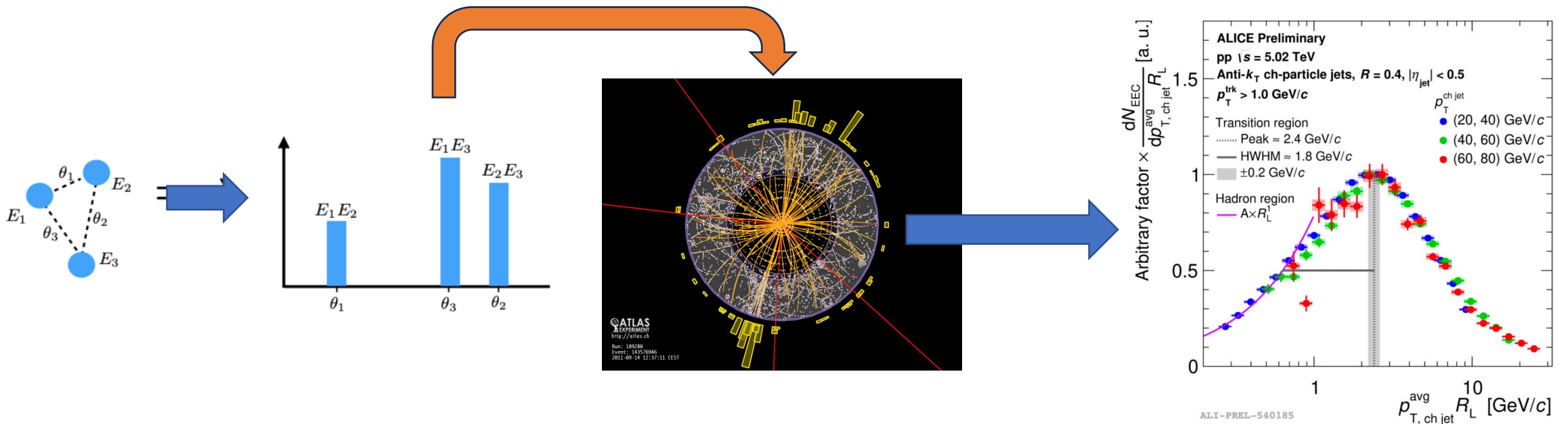


# Energy Correlators

$$\frac{\langle \mathcal{E}^n(\mathbf{n}_1) \mathcal{E}^n(\mathbf{n}_2) \rangle}{Q^{2n}} = \frac{1}{\sigma} \sum_{ij} \int \frac{d\sigma_{ij}}{d\mathbf{n}_i d\mathbf{n}_j} \frac{E_i^n E_j^n}{Q^{2n}} \delta^{(2)}(\mathbf{n}_i - \mathbf{n}_1) \delta^{(2)}(\mathbf{n}_j - \mathbf{n}_2)$$



# Why Energy Correlators...

The pp baseline is extremely under control. No other observables, besides inclusive total cross-sections, have been computed with this level of analytic control.

$\langle \mathcal{E}(\vec{n}_1)\mathcal{E}(\vec{n}_2) \rangle$	$\langle \mathcal{E}(\vec{n}_1)\mathcal{E}(\vec{n}_2)\mathcal{E}(\vec{n}_3) \rangle$	$\langle \mathcal{E}(\vec{n}_1) \dots \mathcal{E}(\vec{n}_i) \rangle$
Complete NLO (2-loops) for colour singlet Dixon, Luo, Shtabovenko, Yang, Zhu <a href="#">arXiv:1801.03219</a>	Complete LO (1-loop) for colour singlet Yang, Zhang <a href="#">arXiv:2402.05174</a>	Tree-level
Small angle NNLL & NNNLL Dixon, Moutl, Zhu <a href="#">arXiv:1905.01310</a> Gao, Li, Moutl, Zhu <a href="#">arXiv:2312.16408</a>	Small angle NLL Cheng, Moutl, Zhu <a href="#">arXiv:2011.02492</a>	Small angle NLL Cheng, Moutl, Zhu <a href="#">arXiv:2011.02492</a>

Naturally suppress soft physics and backgrounds without grooming.

EECs can have fundamentally different systematics to other observables. They do not rely on a particle description.

