

# Flavour correlations dependence on jet substructure

## Authors:

Liliana Apolinário

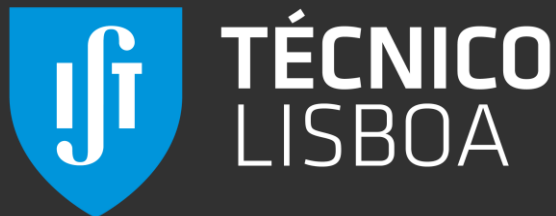
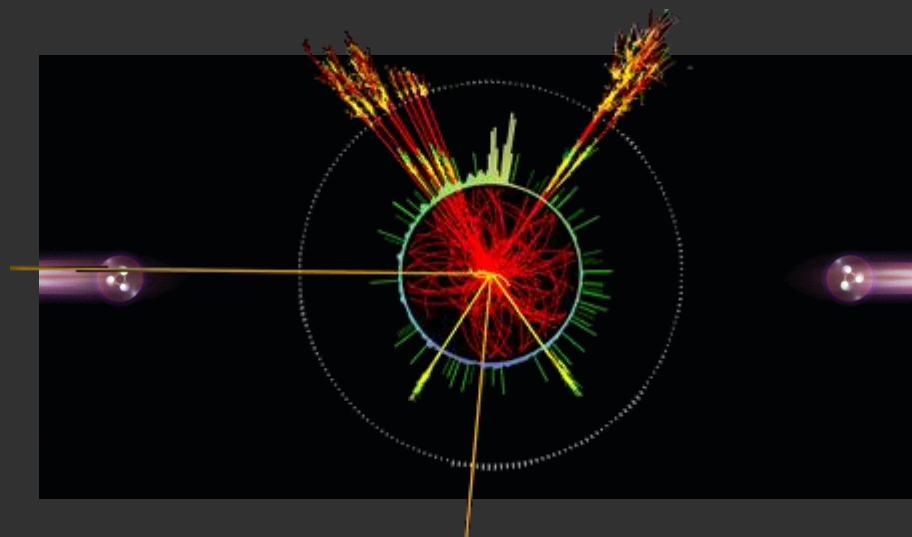
(liliana@lip.pt)

Raghav Kunnawalkam Elayavalli

(raghav.ke@vanderbilt.edu)

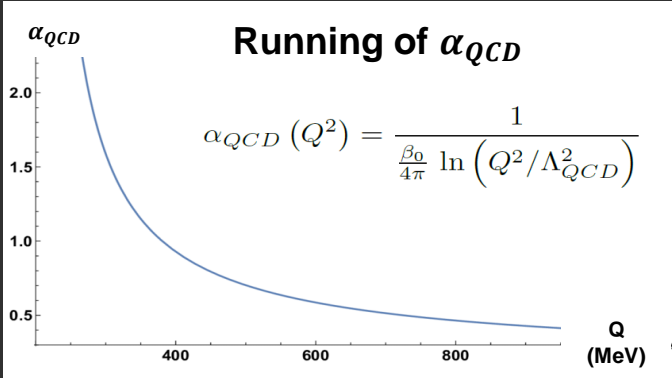
Nuno Olavo Madureira

(nuno.olavo@tecnico.ulisboa.pt)



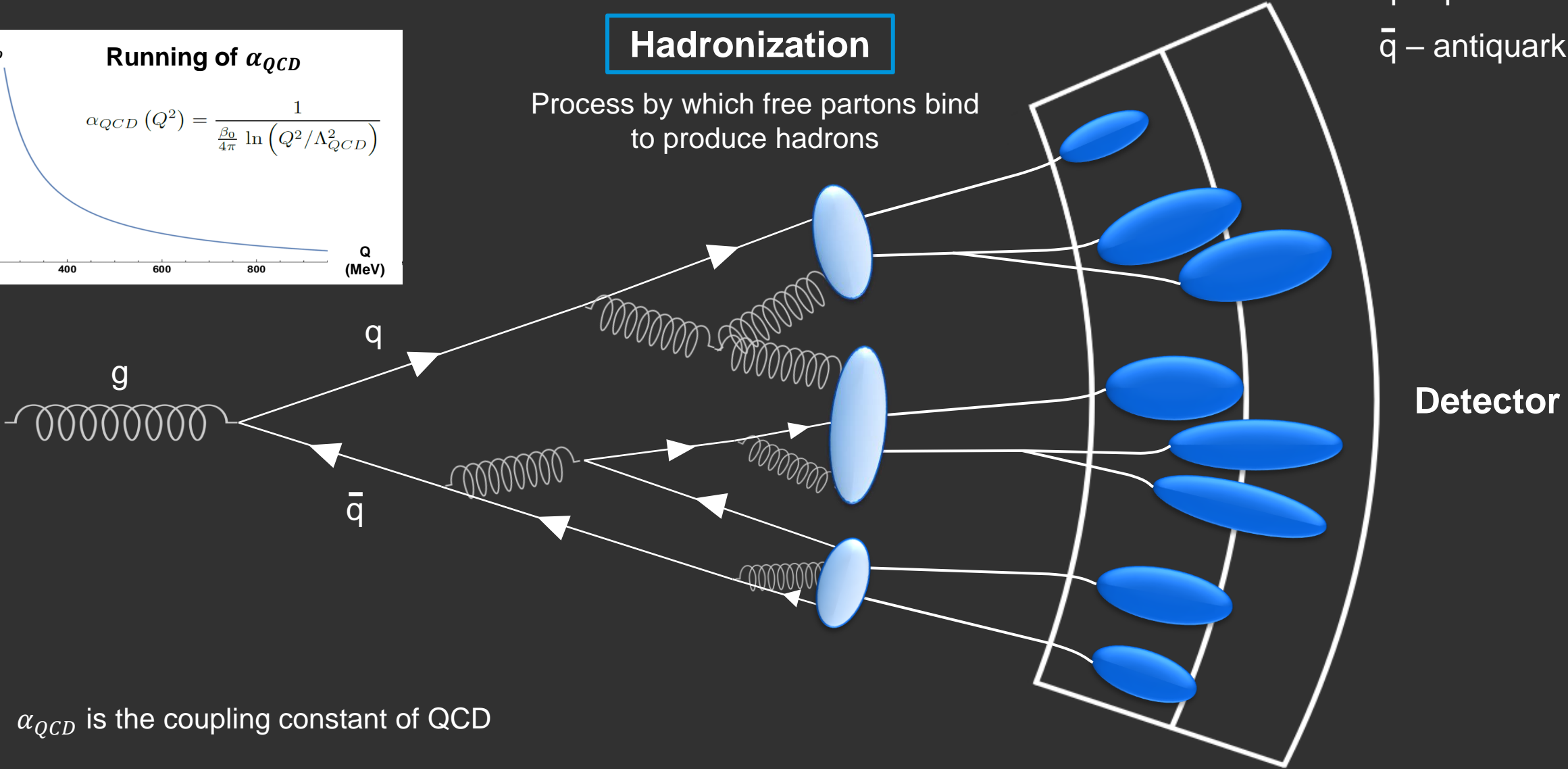
# Collision Physics

g – gluon  
q – quark  
 $\bar{q}$  – antiquark



## Hadronization

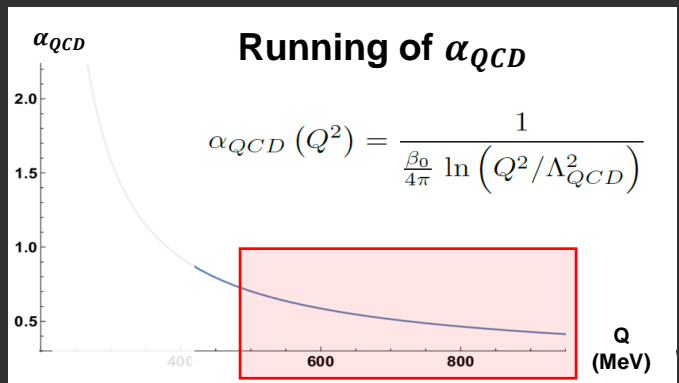
Process by which free partons bind to produce hadrons



➤  $\alpha_{QCD}$  is the coupling constant of QCD

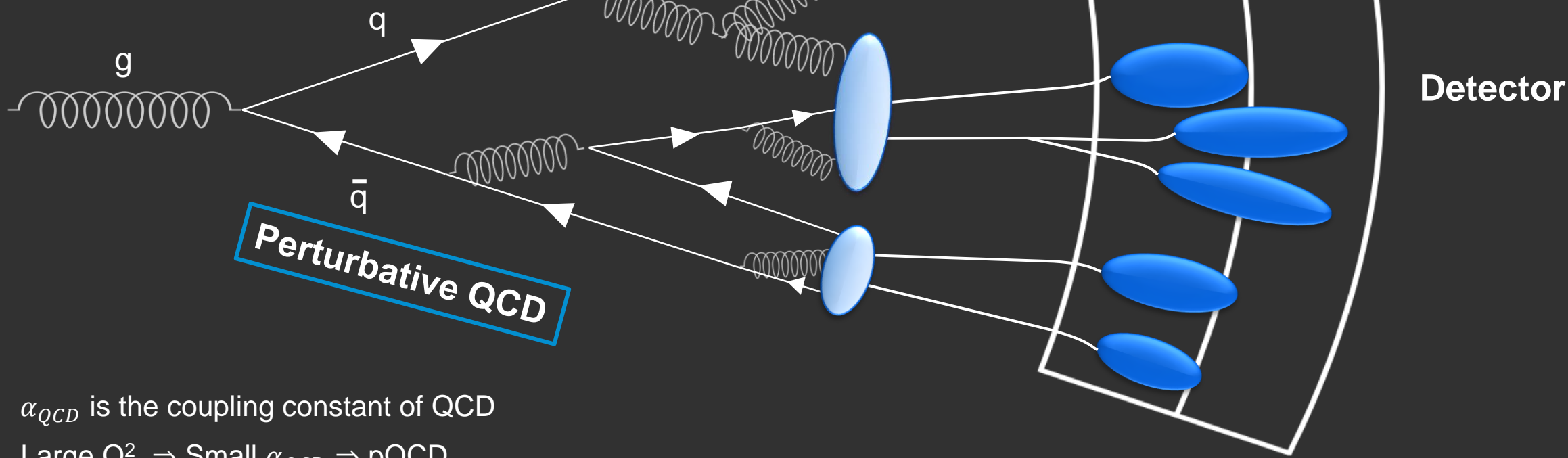
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## Hadronization

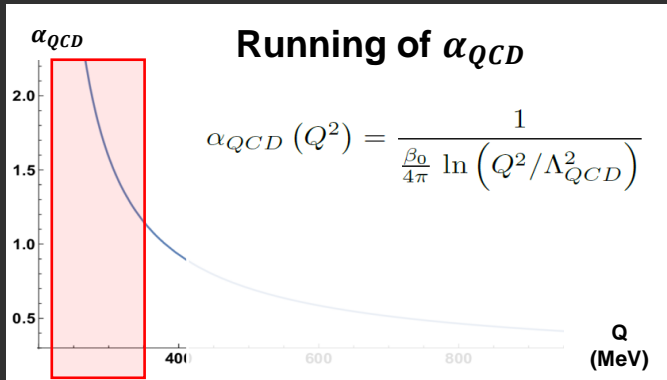
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- Large  $Q^2 \Rightarrow$  Small  $\alpha_{QCD} \Rightarrow$  pQCD

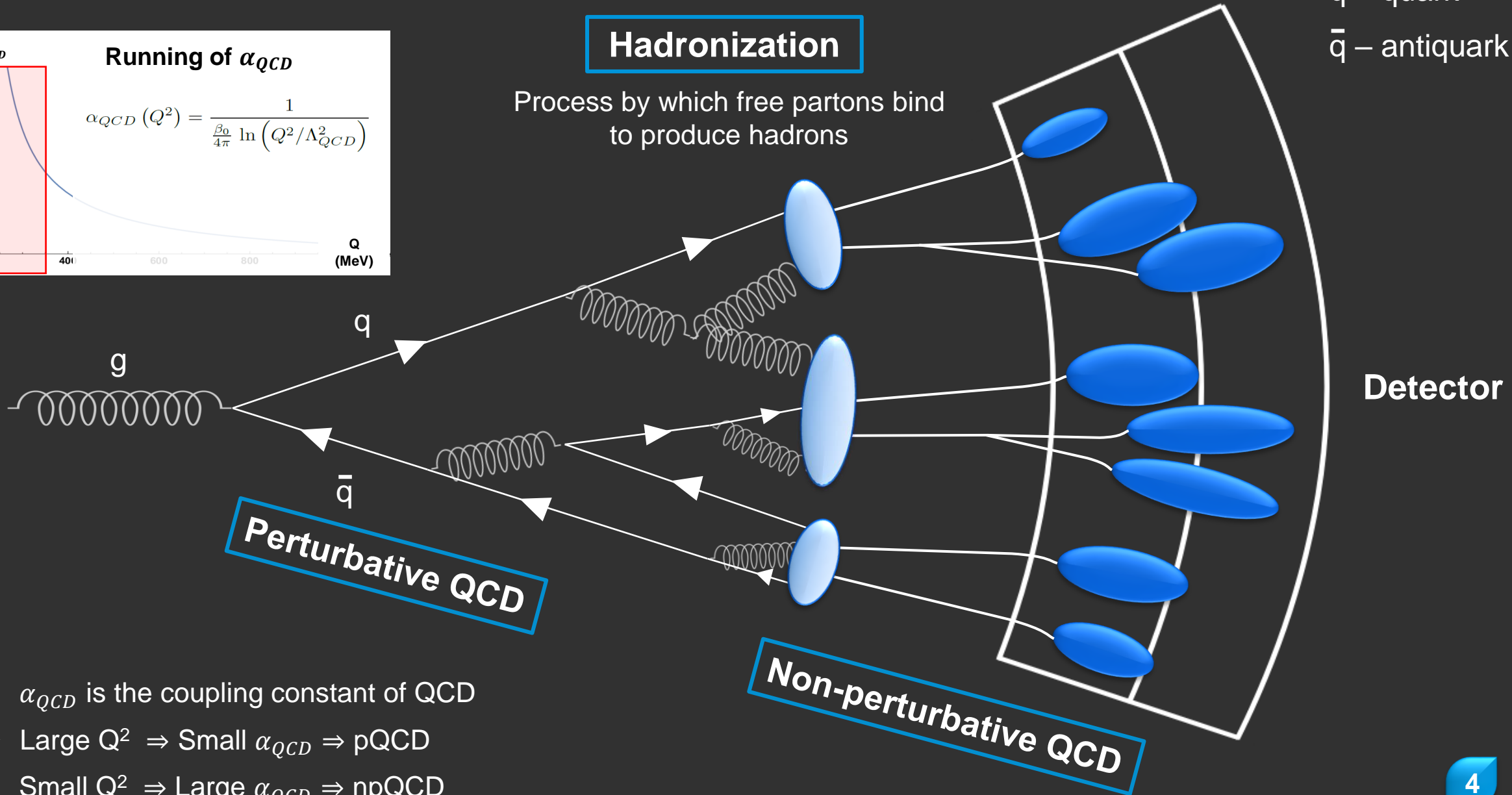
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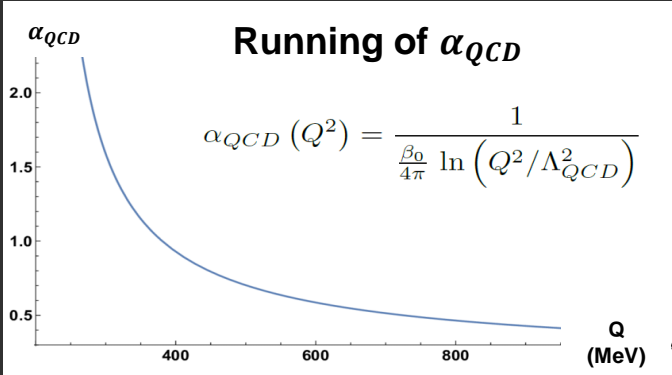
Process by which free partons bind to produce hadrons



- $\alpha_{QCD}$  is the coupling constant of QCD
- Large  $Q^2 \Rightarrow$  Small  $\alpha_{QCD} \Rightarrow$  pQCD
- Small  $Q^2 \Rightarrow$  Large  $\alpha_{QCD} \Rightarrow$  npQCD

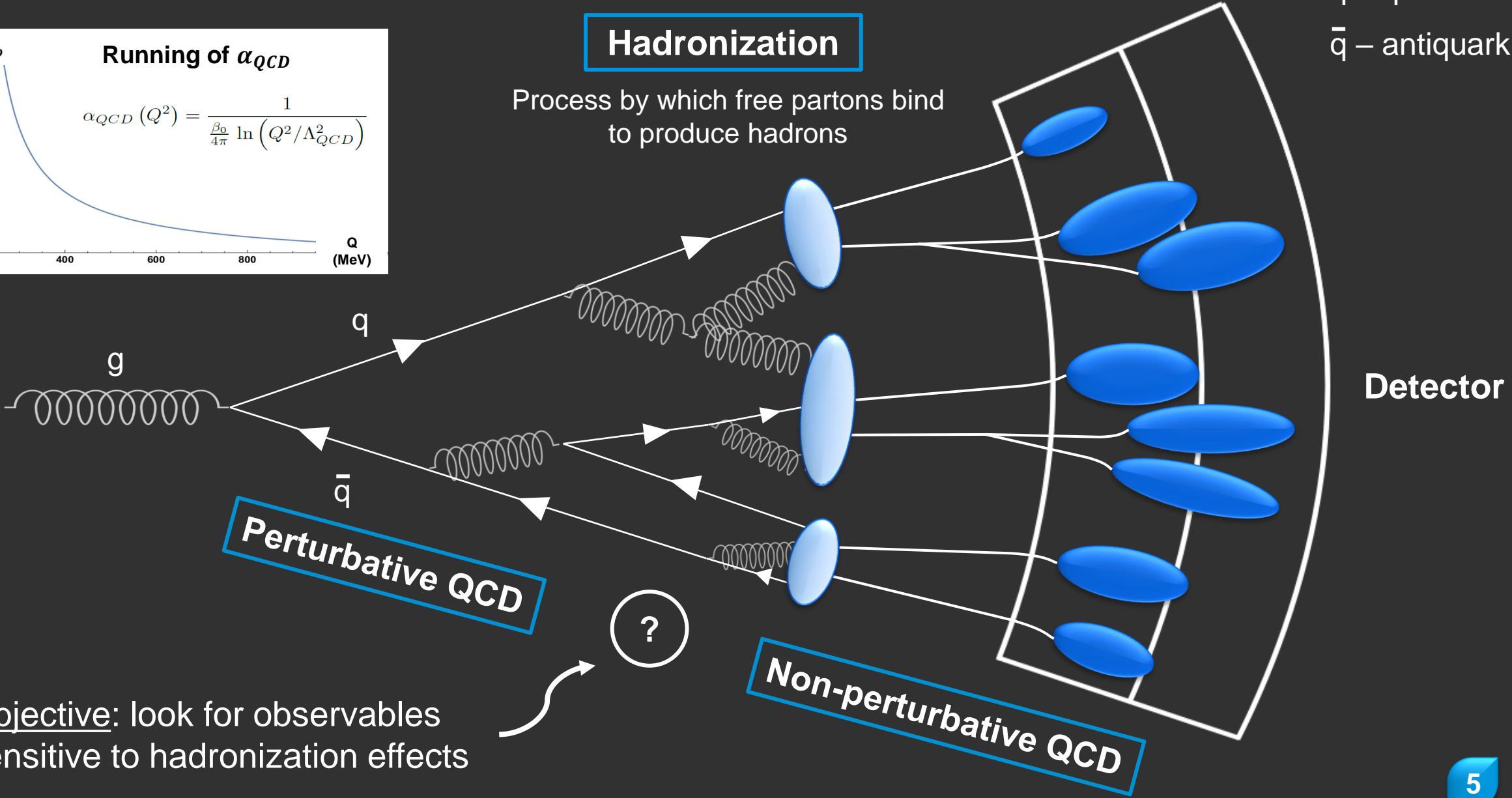
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## Hadronization

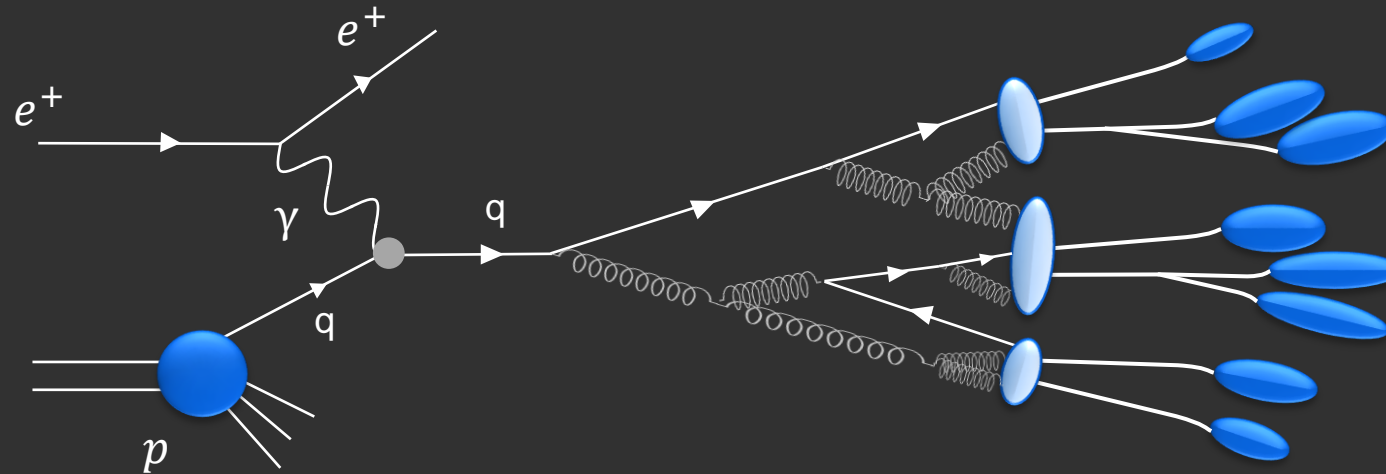
Process by which free partons bind to produce hadrons



Objective: look for observables sensitive to hadronization effects

## Motivation

- Focus on Deep Inelastic ep Scatterings (DIS), with EIC beam energies, selected on high  $Q^2$  to ensure hard processes;

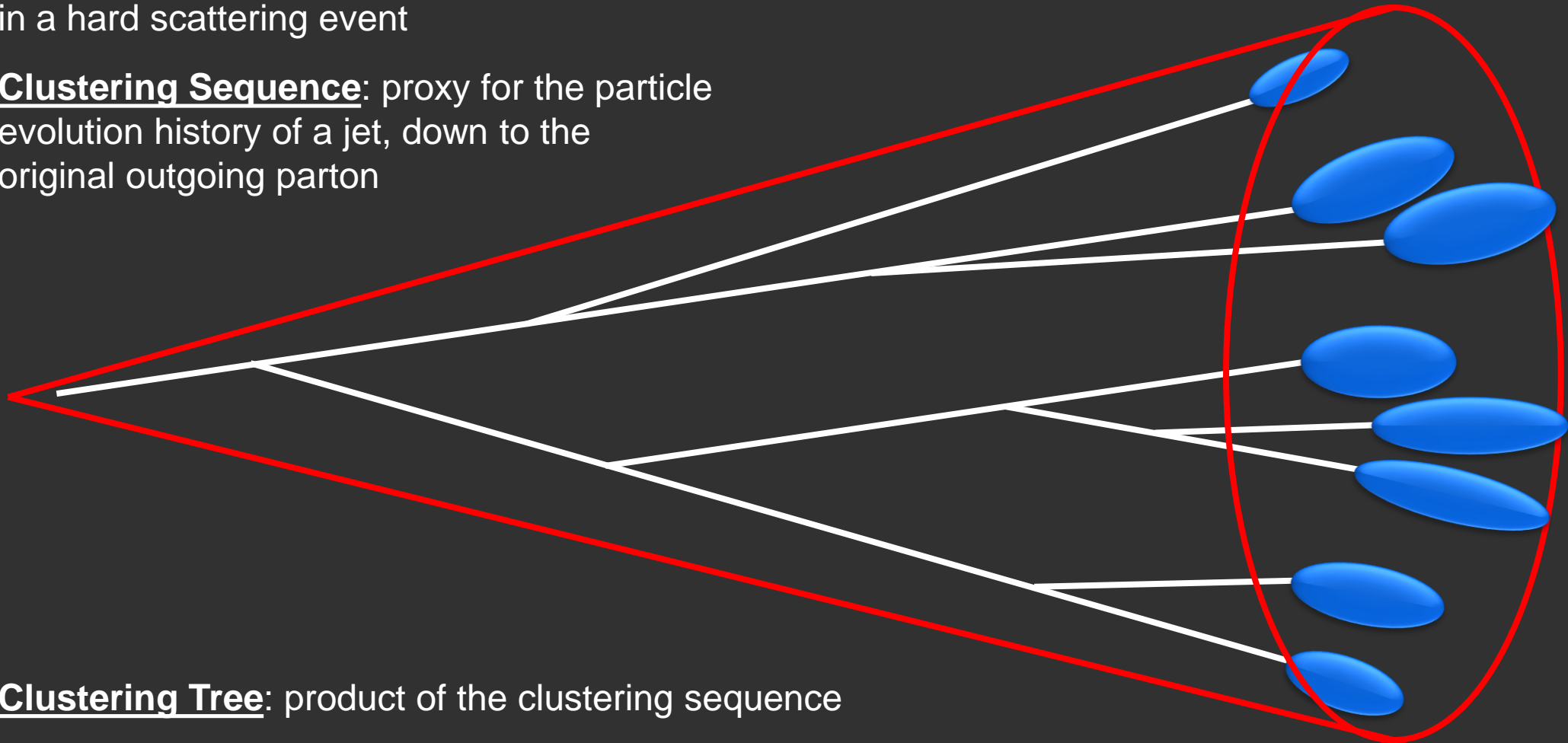


- DIS provides clean environment (more precise measurements) to study hadronization and confinement such as the hadronization timescales;
- Comparisons between vacuum and nuclear DIS help the testing and calibration e.g. of Monte Carlo generators used to study the quark-gluon plasma produced in Heavy-Ion Collisions.

# Jets

Jet

- **Jet**: highly-collimated group of energetic final-state particles produced in a hard scattering event
- **Clustering Sequence**: proxy for the particle evolution history of a jet, down to the original outgoing parton



- **Clustering Tree**: product of the clustering sequence
- Our work proposes jets as probing tools to investigate the transition from partons to hadrons

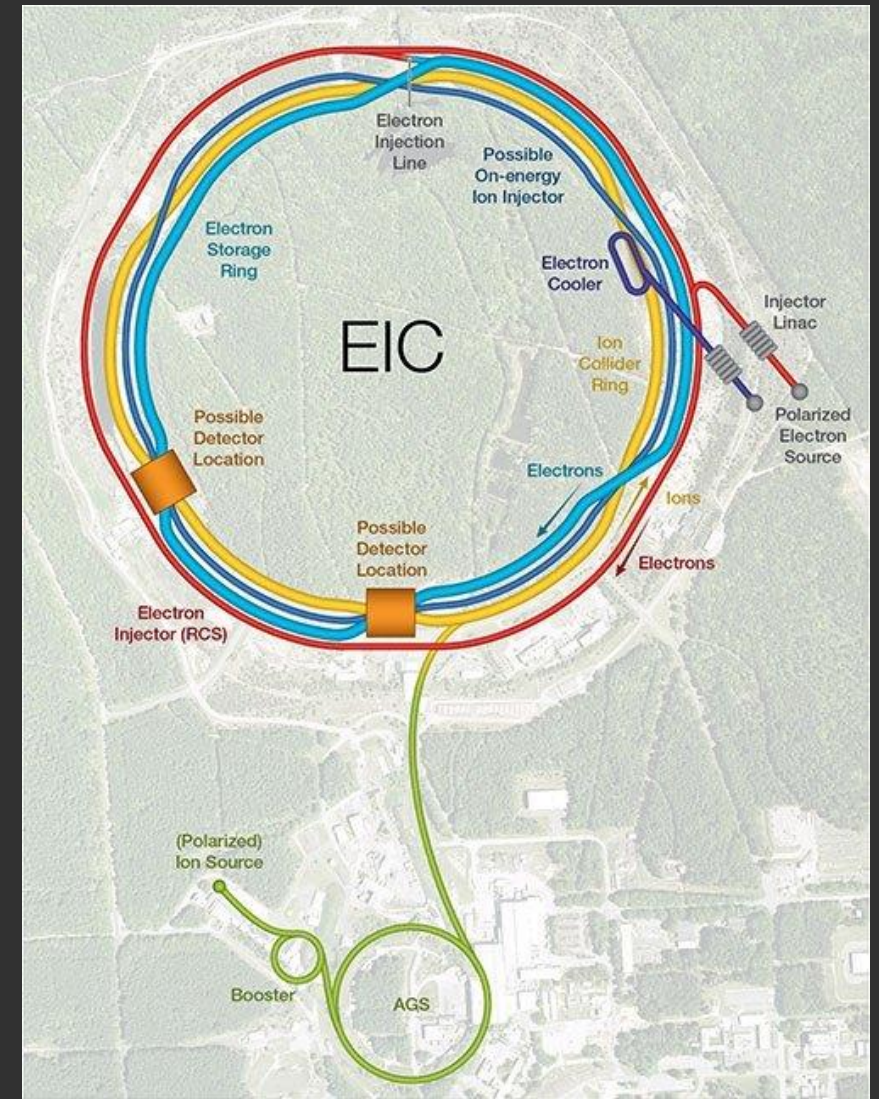
# Simulation and Jet Analysis

- Monte Carlo event generators: **PYTHIA 8.306** and **HERWIG 7**;

Settings	Values
$\sqrt{s_e}$	18 GeV
$\sqrt{s_p}$	275 GeV
$Q^2$	$> 50 \text{ GeV}^2$
$p_{T,part}$	$> 0.2 \text{ GeV}/c$

- Jets are found using the anti- $k_T$  jet clustering algorithm and re-clustered using the C/A algorithm with soft-drop grooming.

Settings	Values
$R$	1
$p_{T,jet}$	$> 5 \text{ GeV}/c$
$\eta_{jet}$	$-1.5 < \eta_{jet} < 3.5$
$z_{cut}$	0.1
$\beta$	0

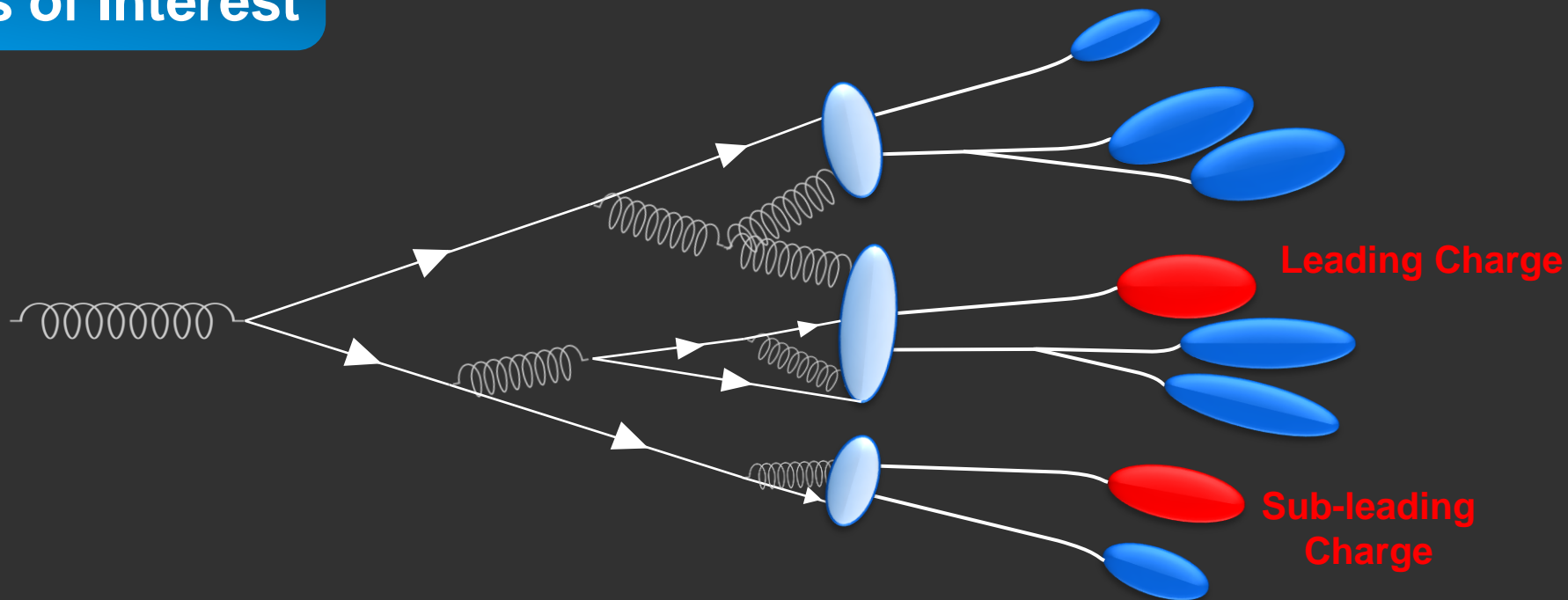


[A. J. Larkoski et al., arXiv:1402.2657v2]

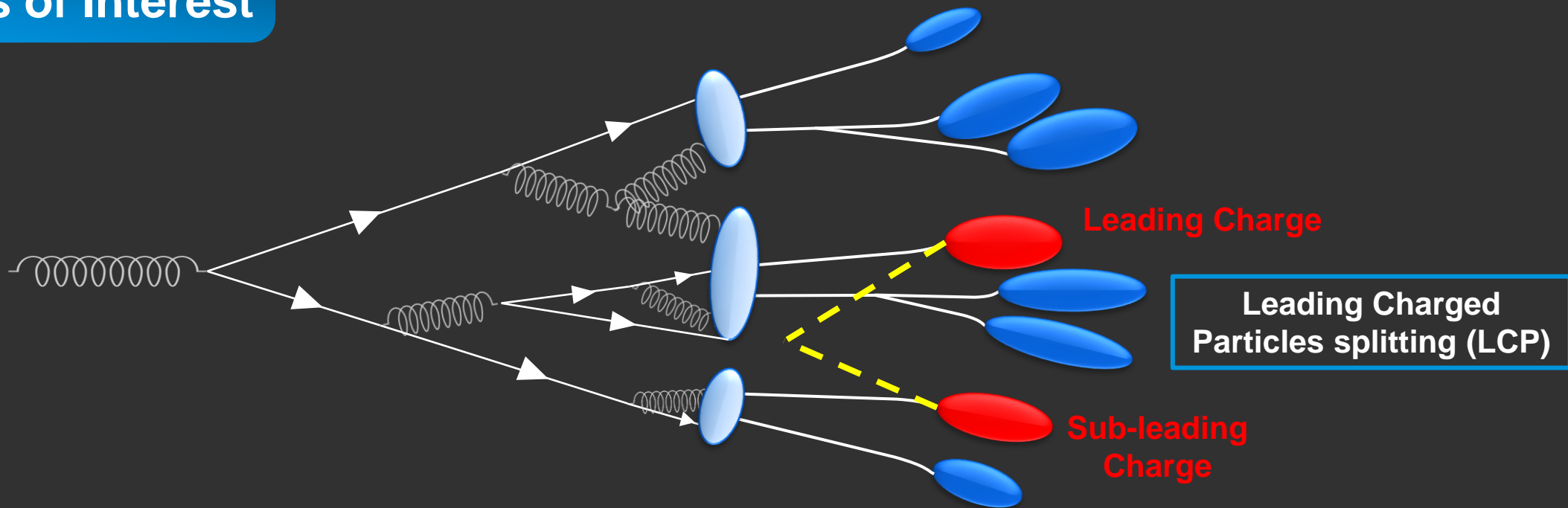
**SD criterion:** 
$$\frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{cut} \left( \frac{\Delta R_{12}}{R} \right)^\beta$$



# Splittings of Interest



# Splittings of Interest



# Charge Ratio

[Y.-T. Chien et al, arXiv:2109.15318]

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{dX} - \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}{\frac{d\sigma_{h_1 h_2}}{dX} + \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}$$

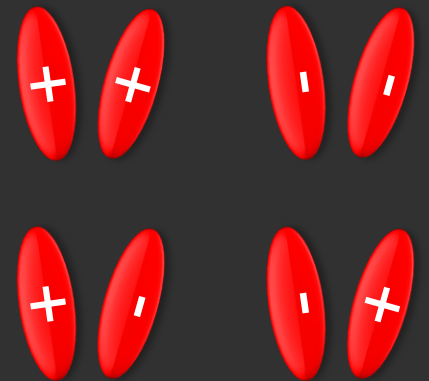
$h_1$  – leading charged hadron

$h_2$  – subleading charged hadron

$h_1, h_2$  - pion ( $\pi$ ), kaon (K), proton (p)

$X$  – jet substructure variable of choice

- $r_c > 0$  : higher probability of producing jets with equally-charged LCP;
- $r_c < 0$  : higher probability of producing jets with oppositely-charged LCP;
- $r_c = 0$  : jets produced randomly with equally- or oppositely-charged LCP.



# Results – Formation Time

[Y.L. Dokshitzer et al., Basics of perturbative QCD]  
[L. Apolinário et al, arXiv:2012.021999]

## Formation Time

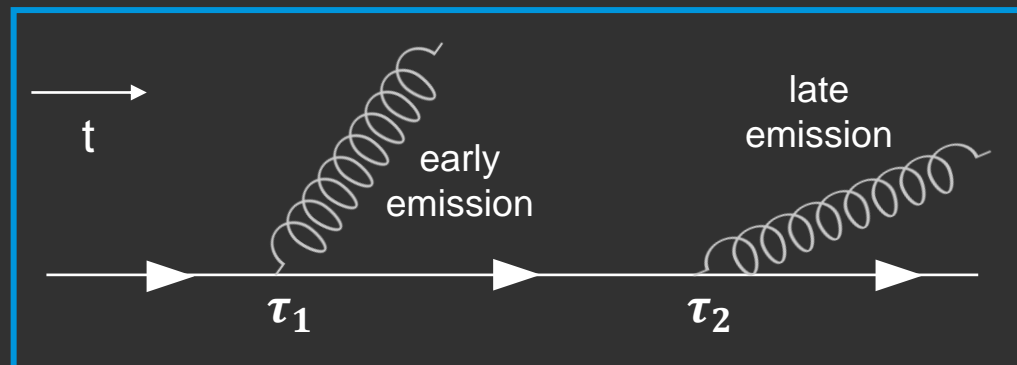
$$\tau_{form} = \frac{1}{2 E z (1 - z) (1 - \cos \theta_{12})}$$

Estimate of the timescales involved in a particle splitting into 2 other particles that act as independent sources of additional radiation

$E$  source energy

$\theta_{12}$  angle between the 2 emitted prongs

$z = \frac{\min(E_1, E_2)}{E_1 + E_2}$  energy fraction

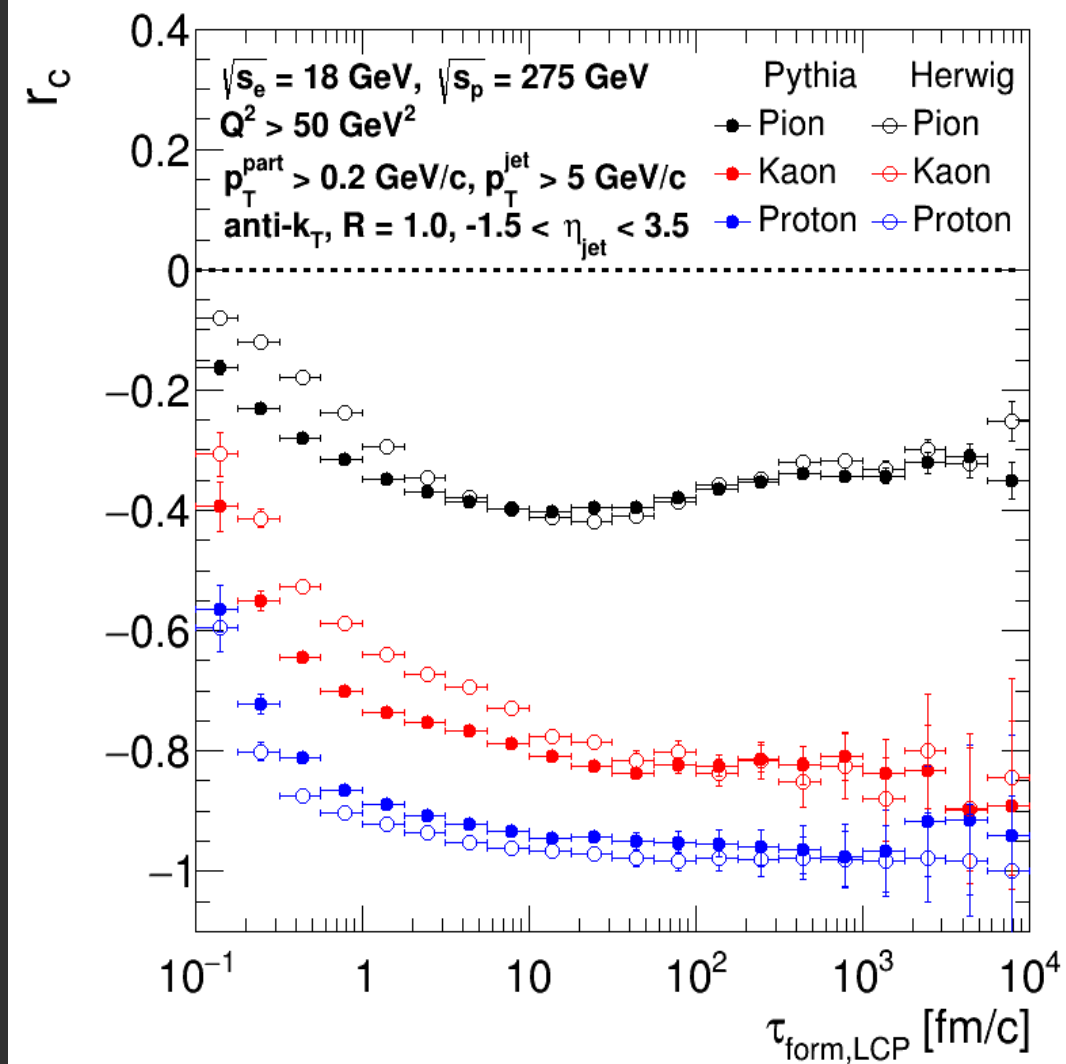
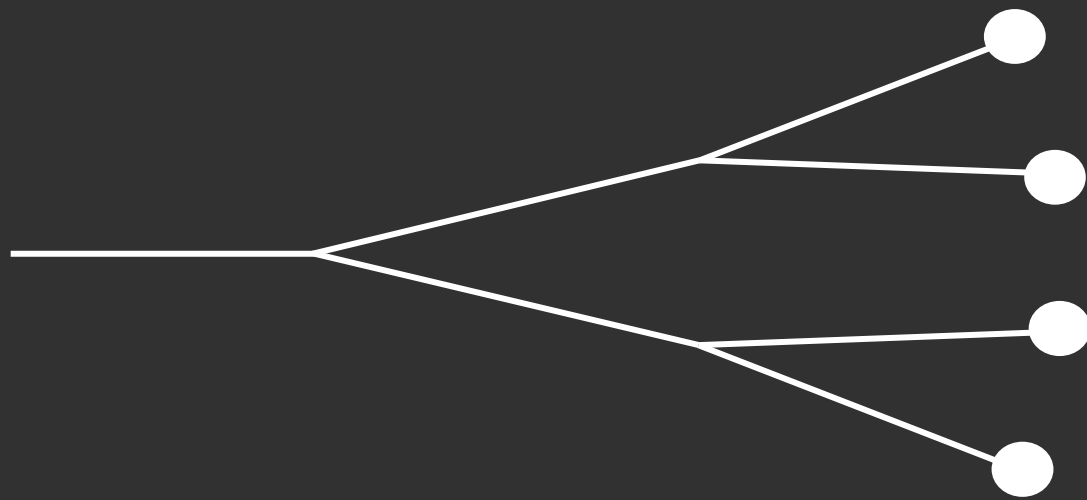


$$\tau_1 < \tau_2$$

# Charge Ratio

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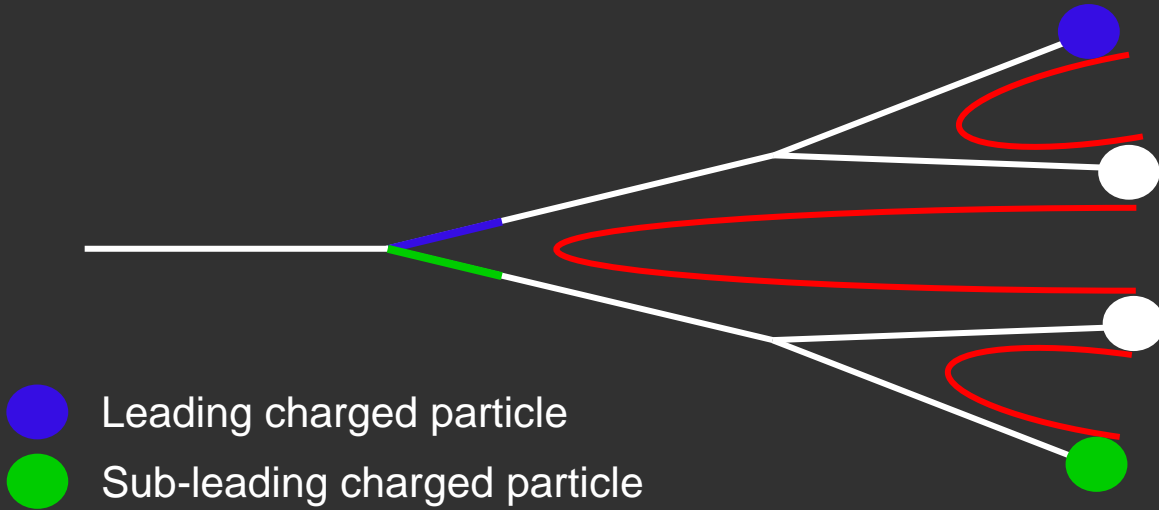
[Y.-T. Chien et al, arXiv:2109.15318]



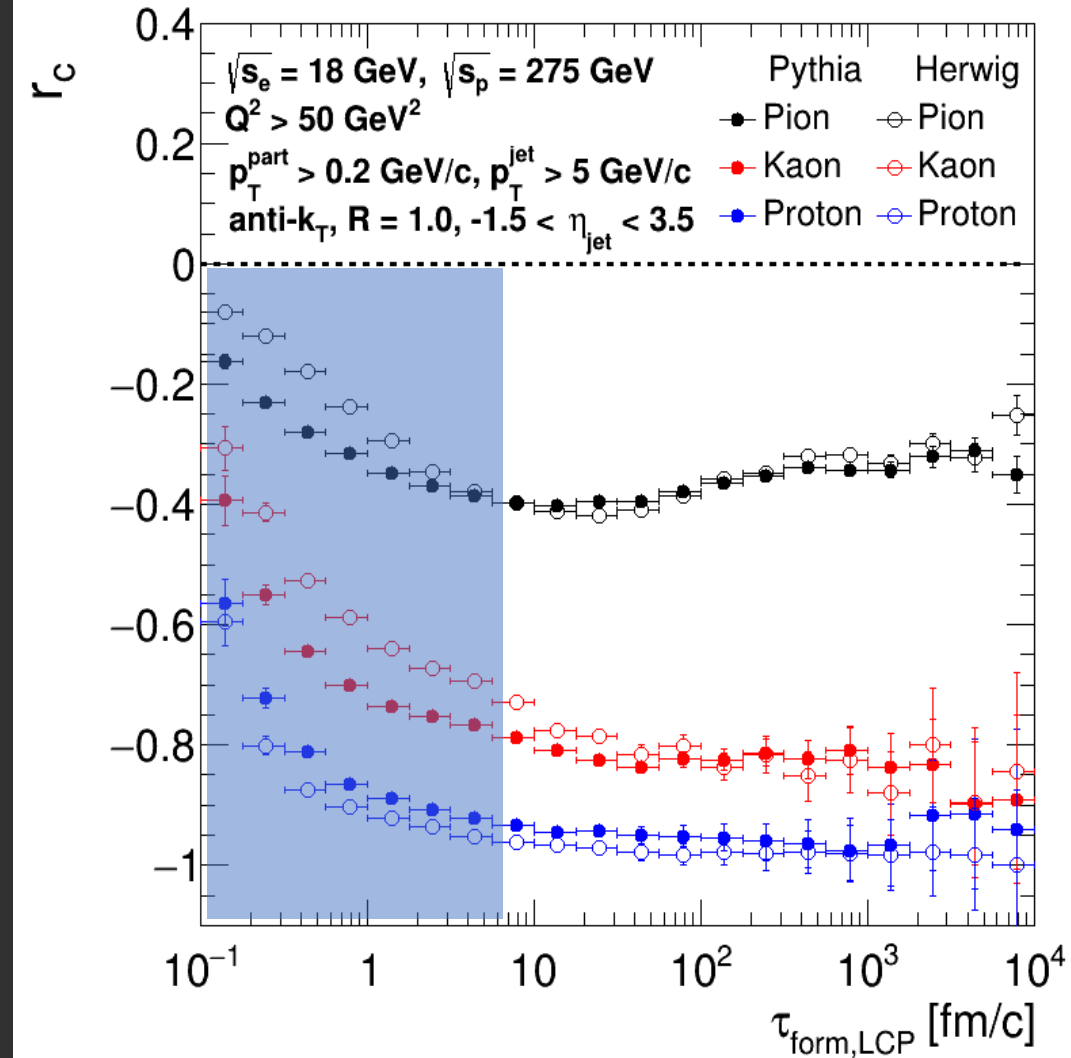
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[Y.-T. Chien et al, arXiv:2109.15318]



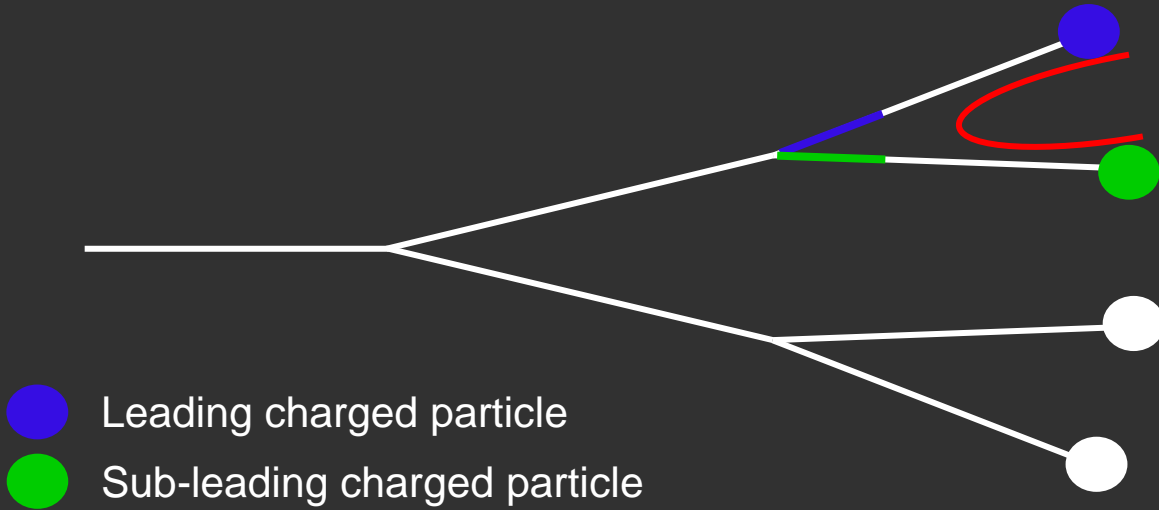
- LCP “produced” at earlier times, typical of the earlier splittings  $\Rightarrow$  subsequent splittings randomize the charge correlation  $\Rightarrow r_c$  closer to 0



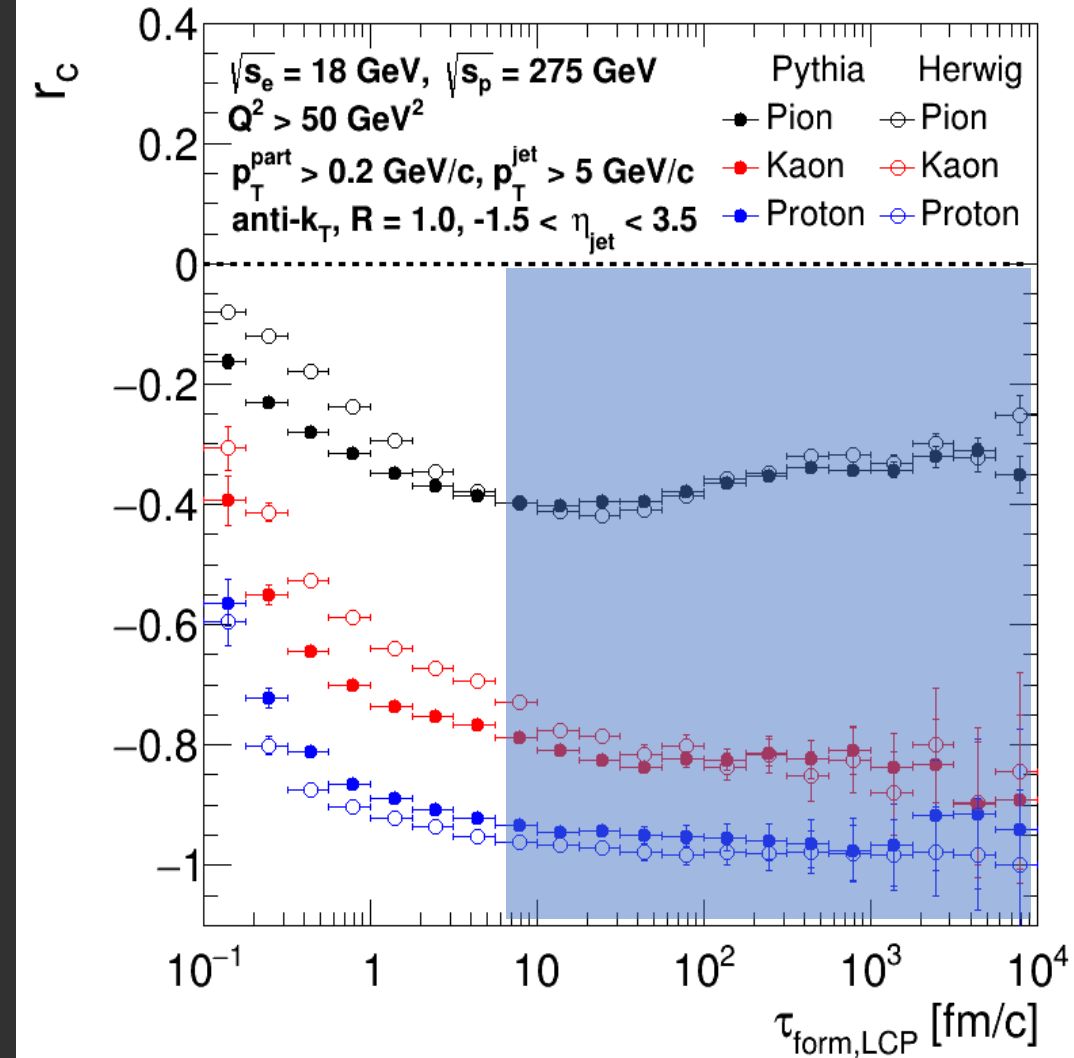
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[Y.-T. Chien et al, arXiv:2109.15318]



- LCP “produced” at earlier times, typical of the earlier splittings  $\Rightarrow$  subsequent splittings randomize the charge correlation  $\Rightarrow r_c$  closer to 0
- LCP “produced” at later times, typical of later splittings  $\Rightarrow$  retain more information of the splitting where the LCP separate, which favours opposite charges  $\Rightarrow r_c$  more negative

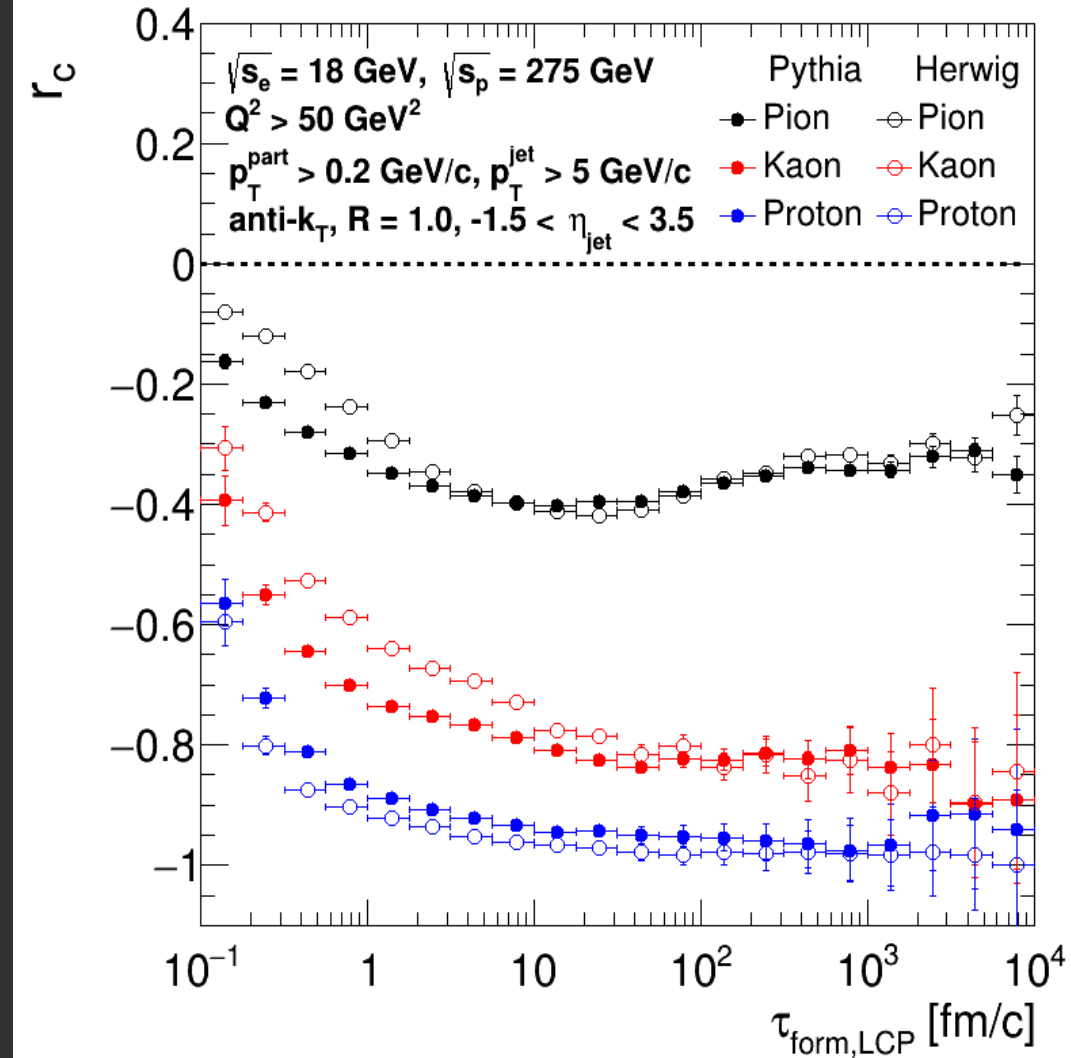


# Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{dX} - \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}{\frac{d\sigma_{h_1 h_2}}{dX} + \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}, \quad X = \tau_{form}$$

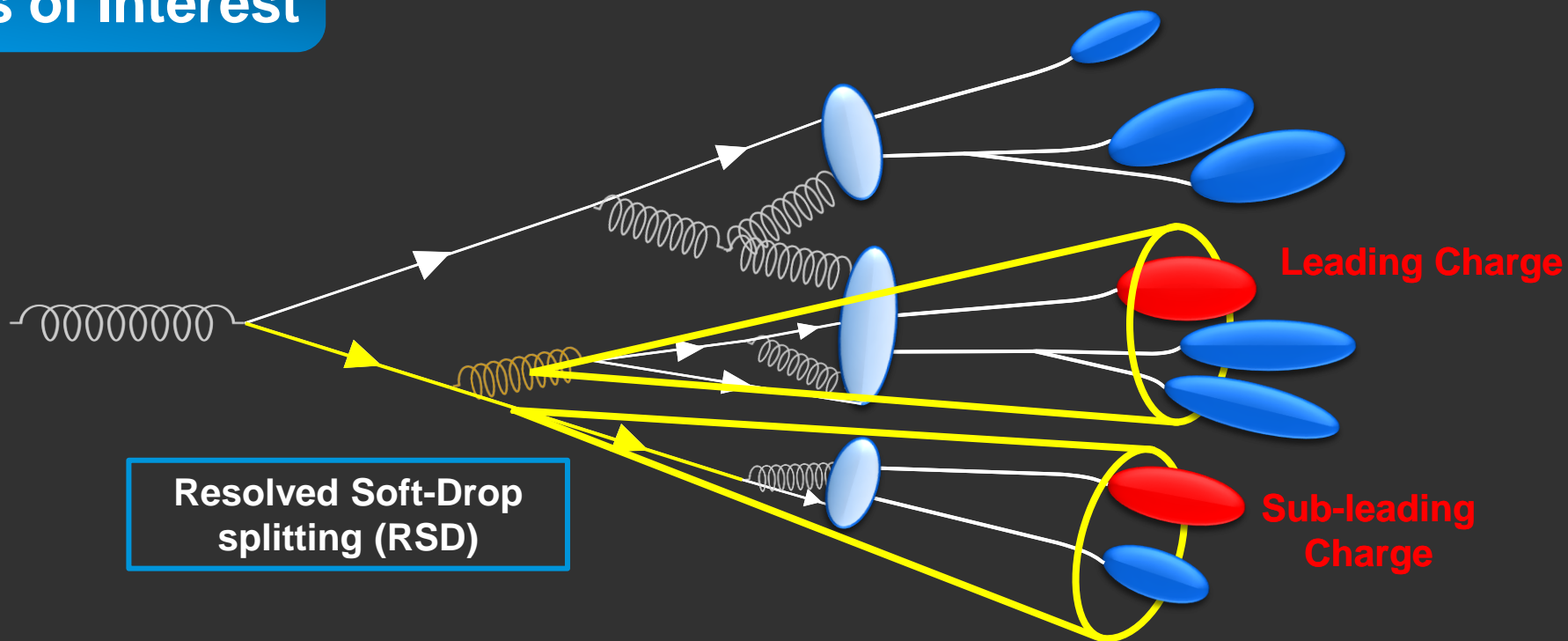
[Y.-T. Chien et al, arXiv:2109.15318]

➤ How dependent is the  $r_c$  on the jet fragmentation pattern?



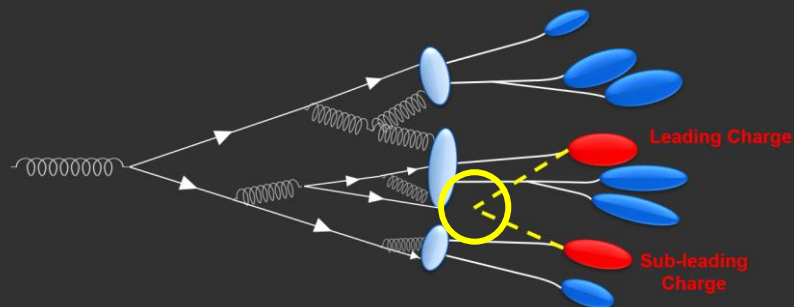


# Splittings of Interest

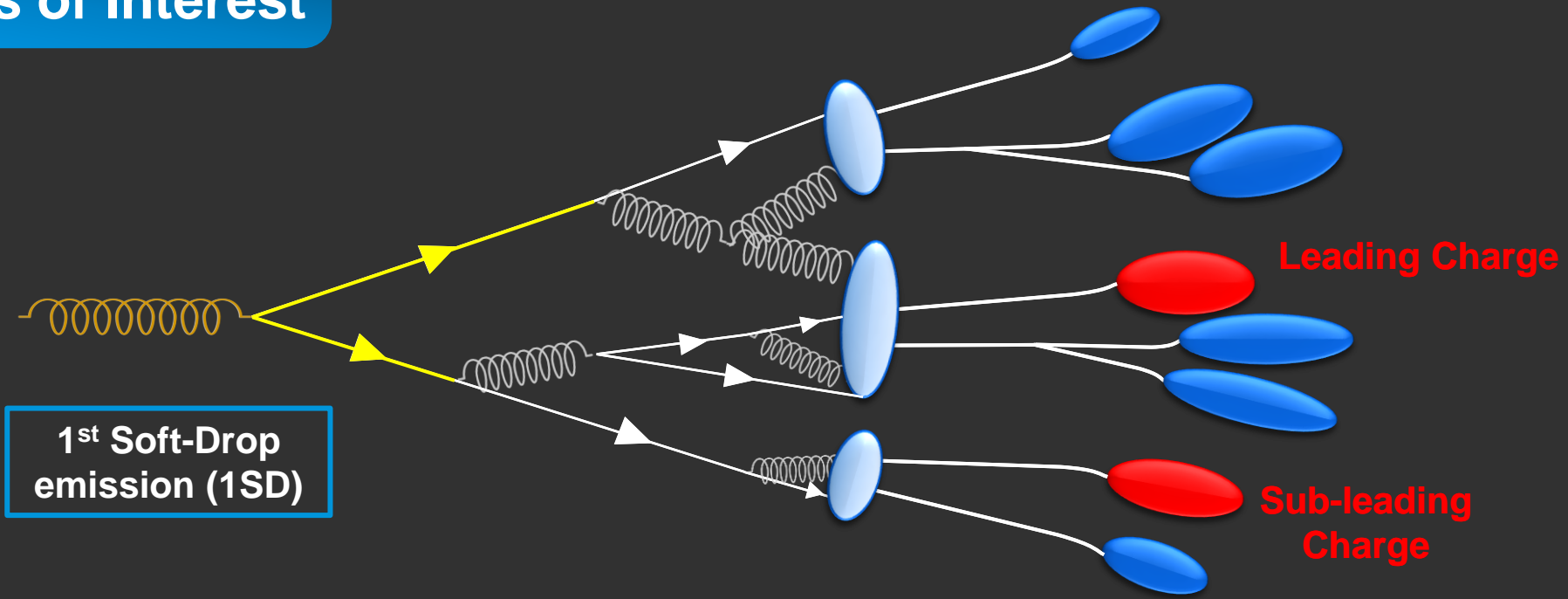


Resolved Soft-Drop splitting (RSD)

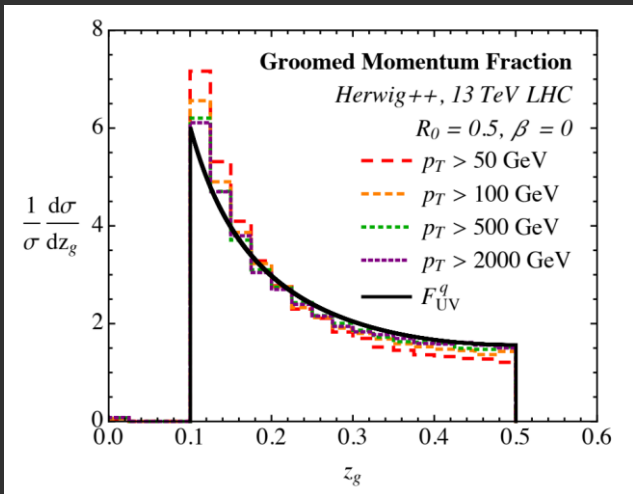
Leading Charged Particles splitting (LCP)



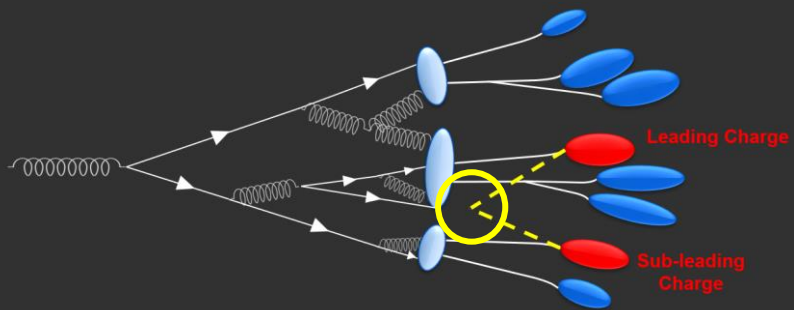
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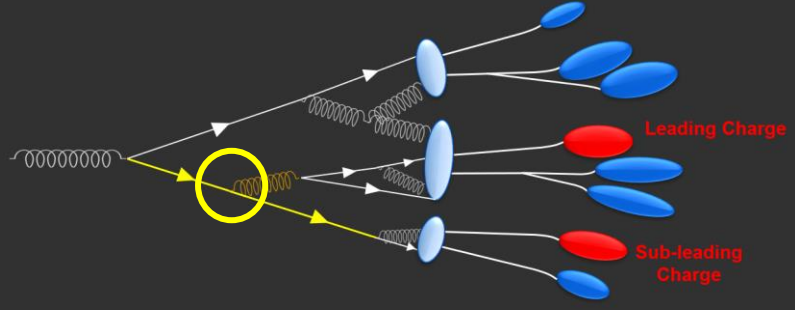
[A.J. Larkoski et al, arXiv:1502.01719]



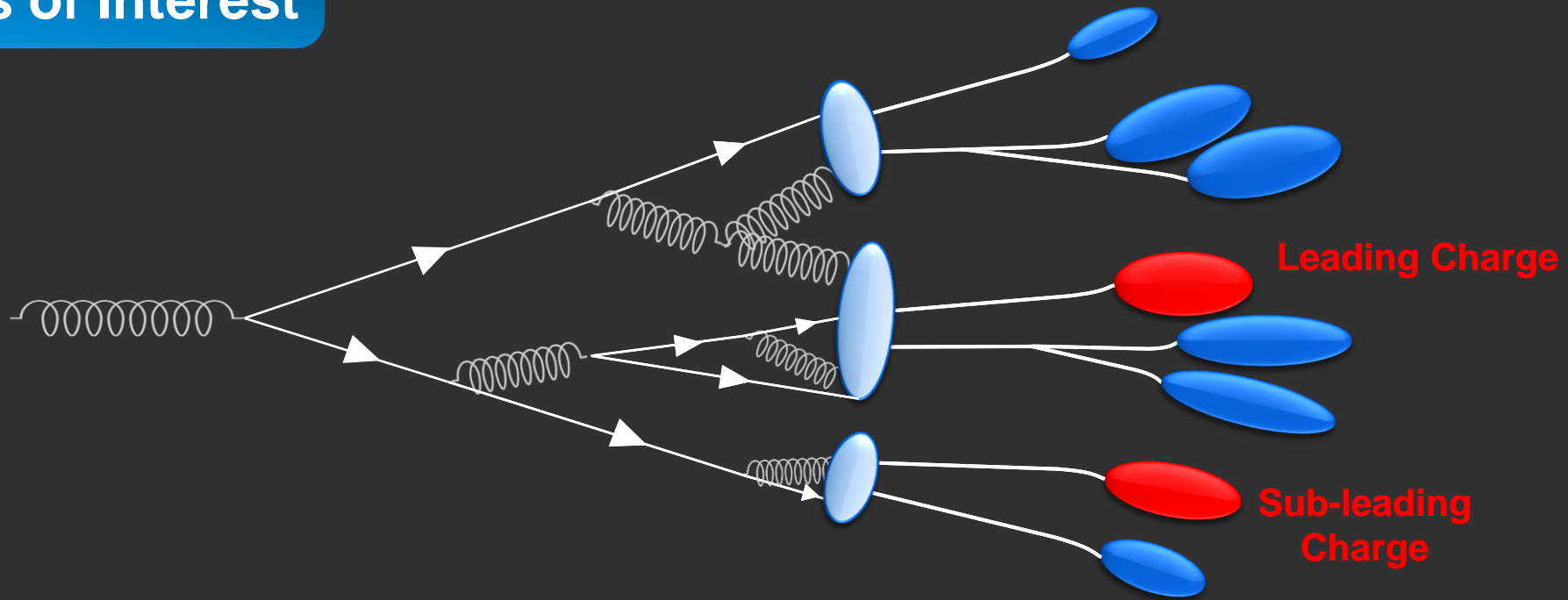
## Leading Charged Particles splitting (LCP)



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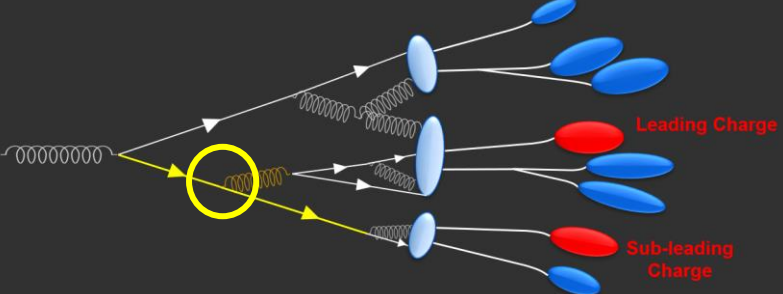
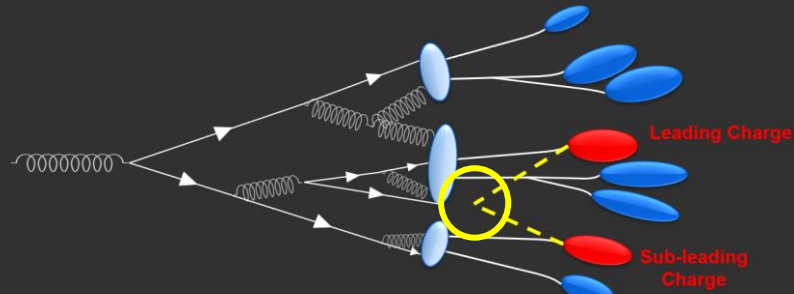
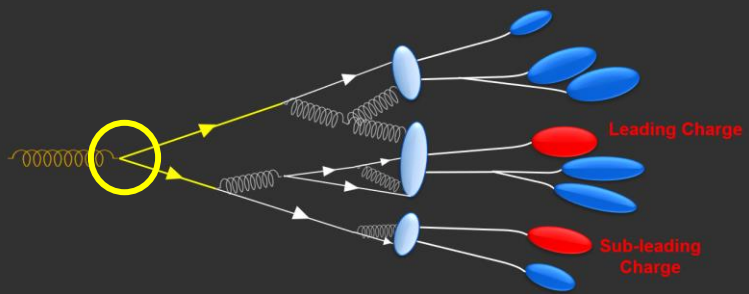
# Splittings of Interest



1<sup>st</sup> Soft-Drop emission (1SD)

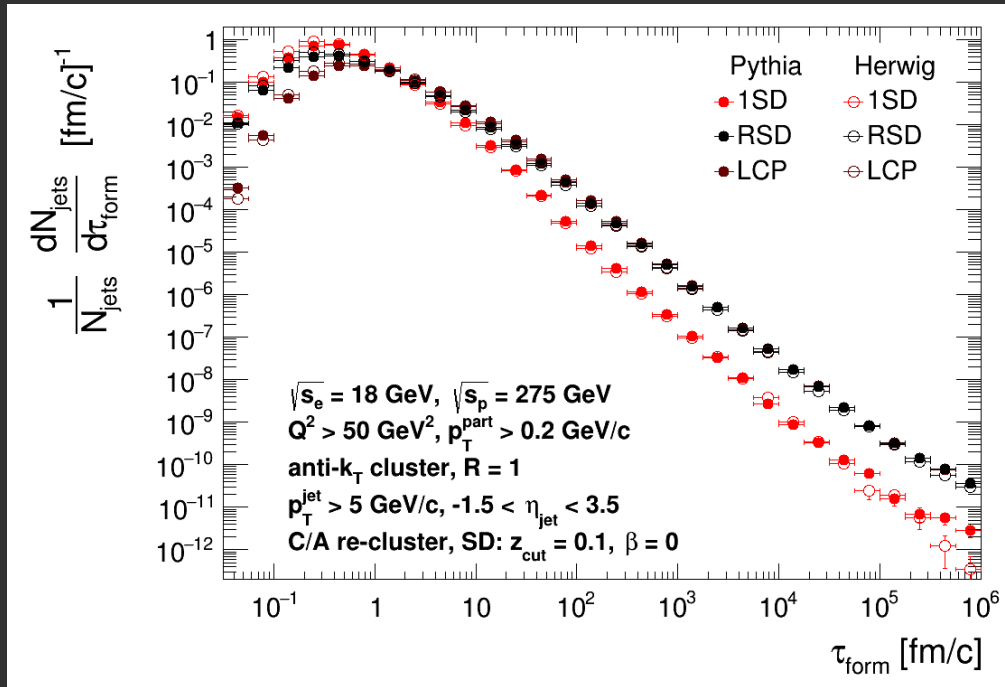
Leading Charged Particles splitting (LCP)

Resolved Soft-Drop splitting (RSD)



# Results – Formation Time

$$\tau_{form} = \frac{1}{2 E z (1 - z) (1 - \cos \theta_{12})}$$

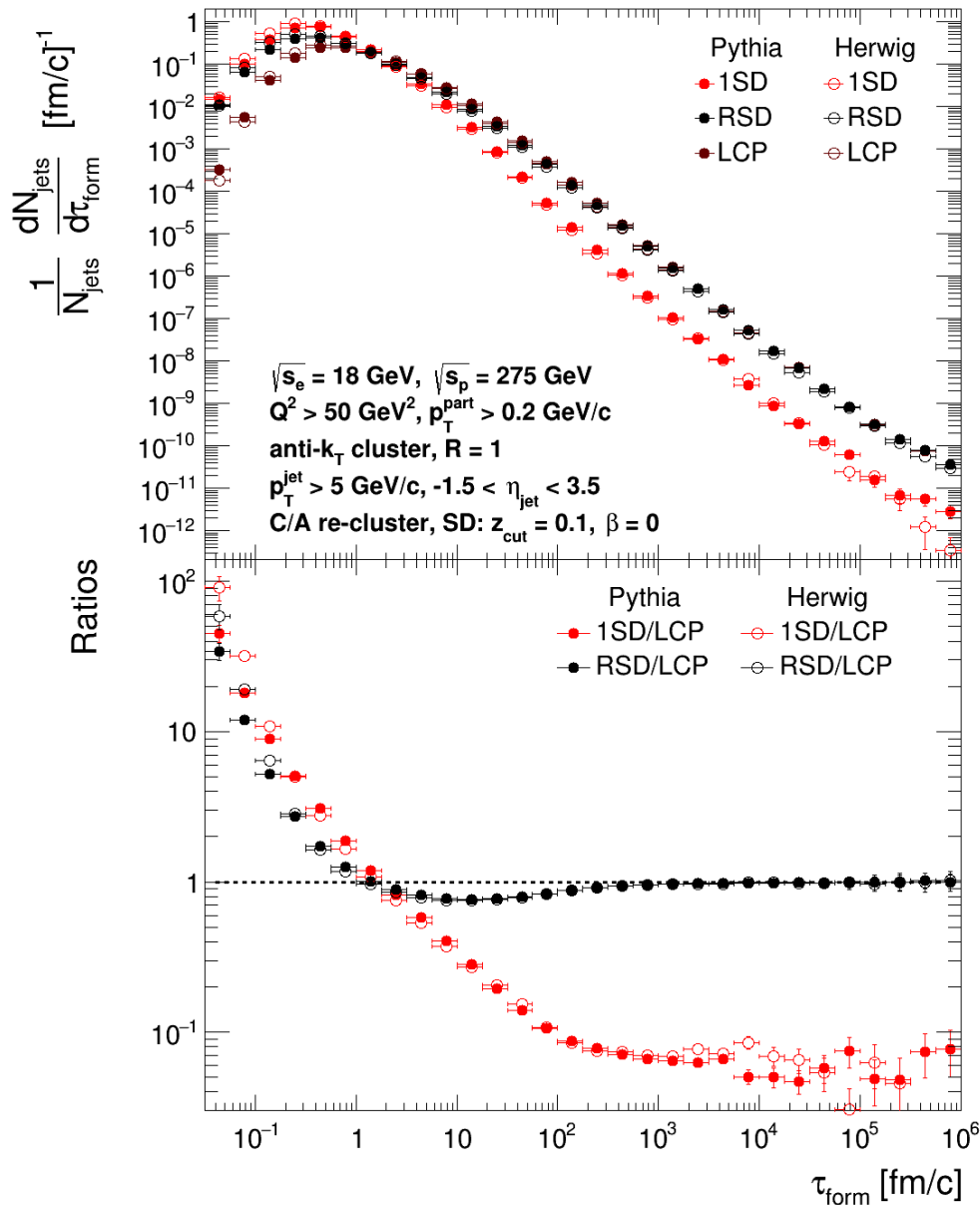


- **1SD** tends to have smaller  $\tau_{form}$
- **LCP** tends to have larger  $\tau_{form}$
- **RSD** sits between the 1SD and the LCP

$$\frac{fm}{c} \sim \frac{10^{-15} m}{10^8 m/s} = 10^{-23} s$$

# Results – Formation Time

$$\tau_{form} = \frac{1}{2 E z (1 - z) (1 - \cos \theta_{12})}$$



➤ 1SD tends to have smaller  $\tau_{form}$

➤ LCP tends to have larger  $\tau_{form}$

➤ RSD sits between the 1SD and the LCP

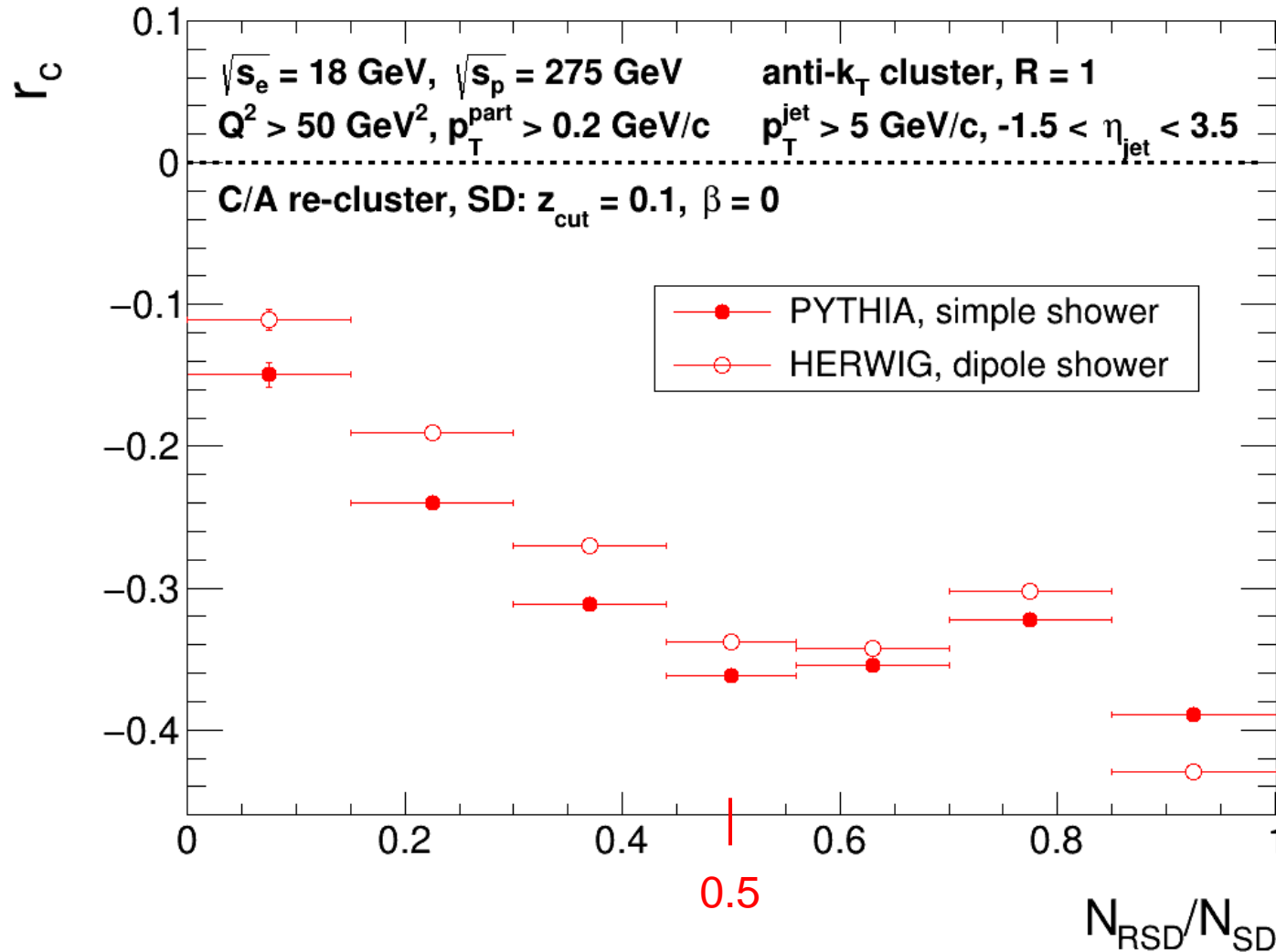
➤  $\tau_{form,1SD} \neq \tau_{form,LCP}$

➤  $\tau_{form,RSD} \approx \tau_{form,LCP}$

**Conclusion:** RSD splitting, an actual splitting from the clustering tree, is a good proxy for the LCP

# Results – Charge Ratio

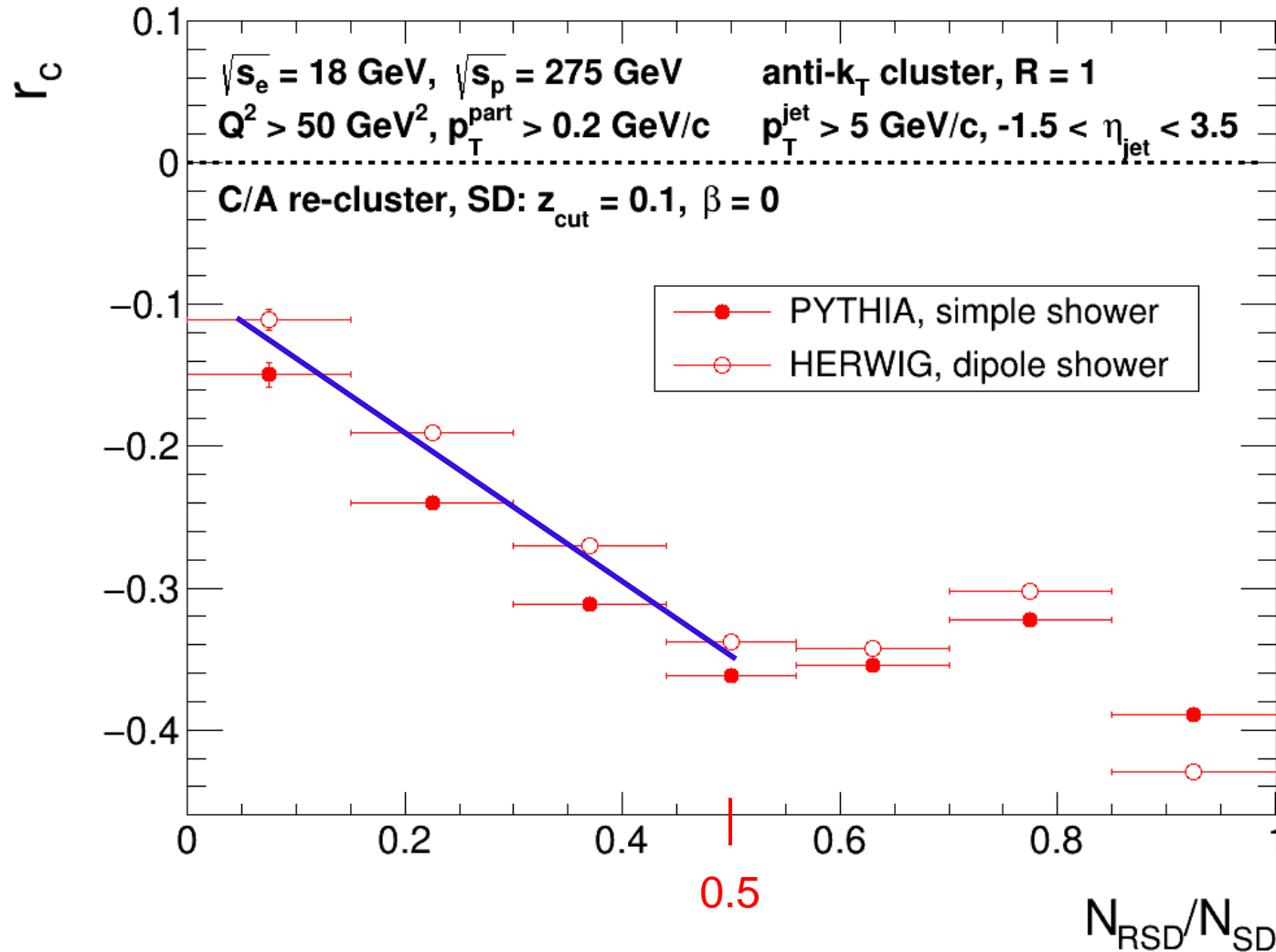
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➤  $N_{RSD}/N_{SD}$  measures the depth/relative position of the RSD in the clustering tree

# Results – Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{dX} - \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}{\frac{d\sigma_{h_1 h_2}}{dX} + \frac{d\sigma_{h_1 \bar{h}_2}}{dX}}, \quad X = \frac{N_{RSD}}{N_{SD}}$$

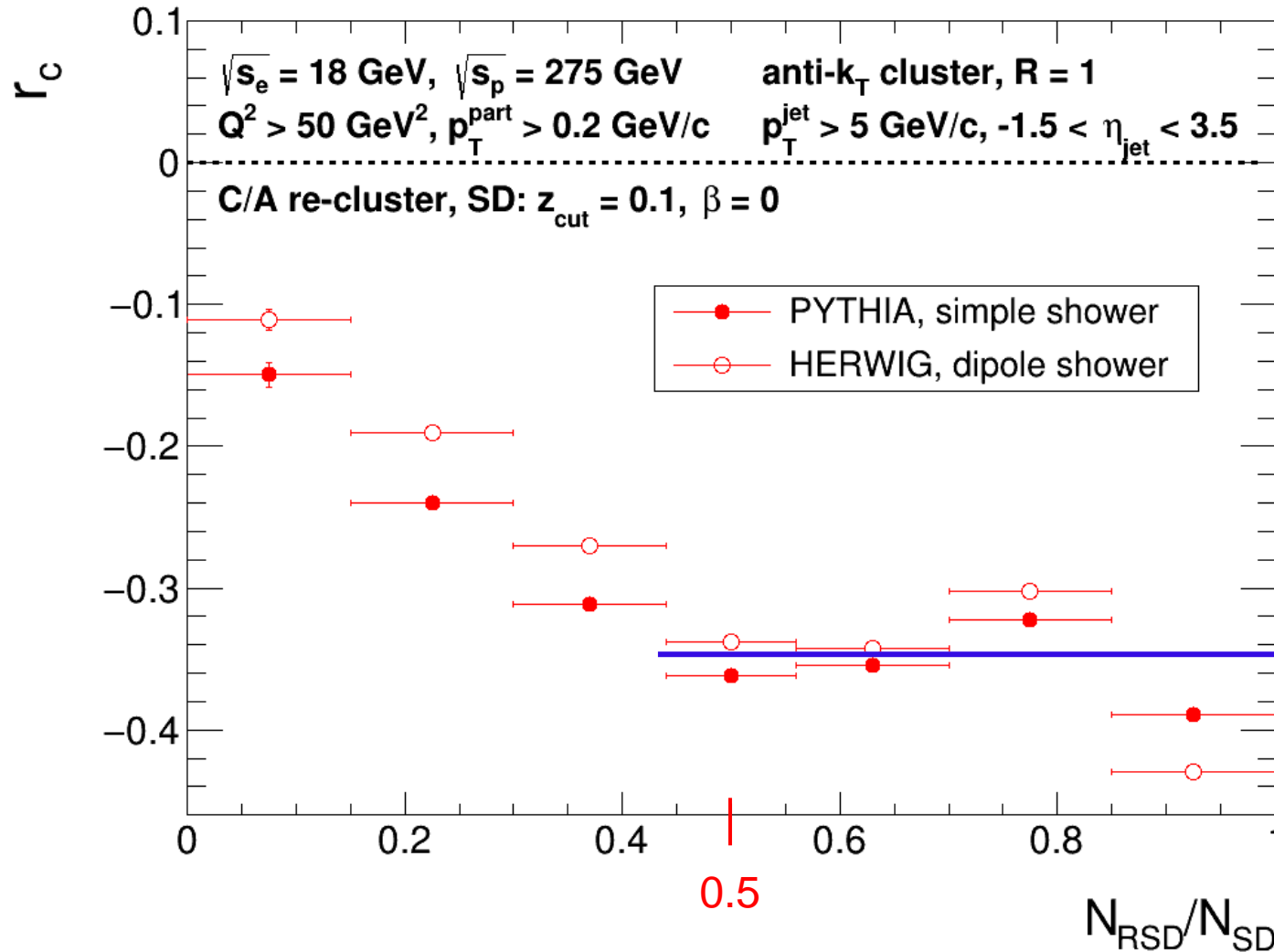


- $N_{RSD}/N_{SD}$  measures the depth/relative position of the RSD in the clustering tree
- The charge ratio decreases, in general, with the increase of the RSD relative position

**Conclusion:** Yes! The  $r_c$  depends on the jet fragmentation pattern

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- $N_{RSD}/N_{SD}$  measures the depth/relative position of the RSD in the clustering tree
- The charge ratio decreases, in general, with the increase of the RSD relative position
- For  $N_{RSD}/N_{SD} > 0.5$ , the decrease gives place to a plateau where  $r_c$  remains constant

**Conclusion:** Yes! The  $r_c$  depends on the jet fragmentation pattern



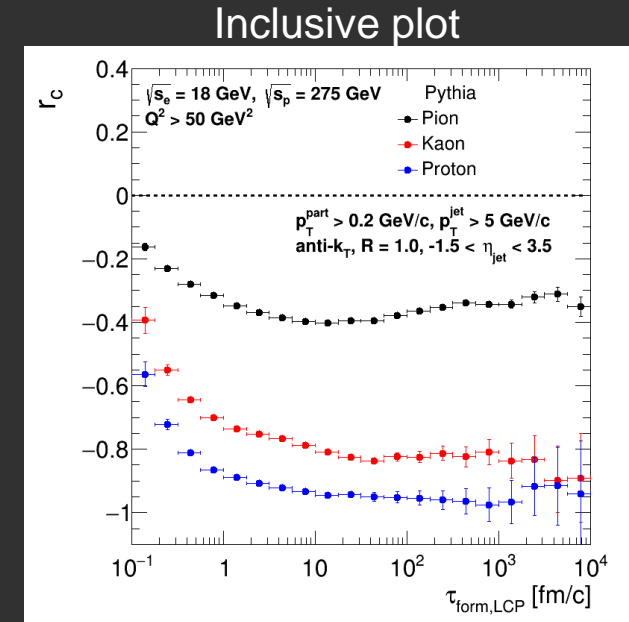
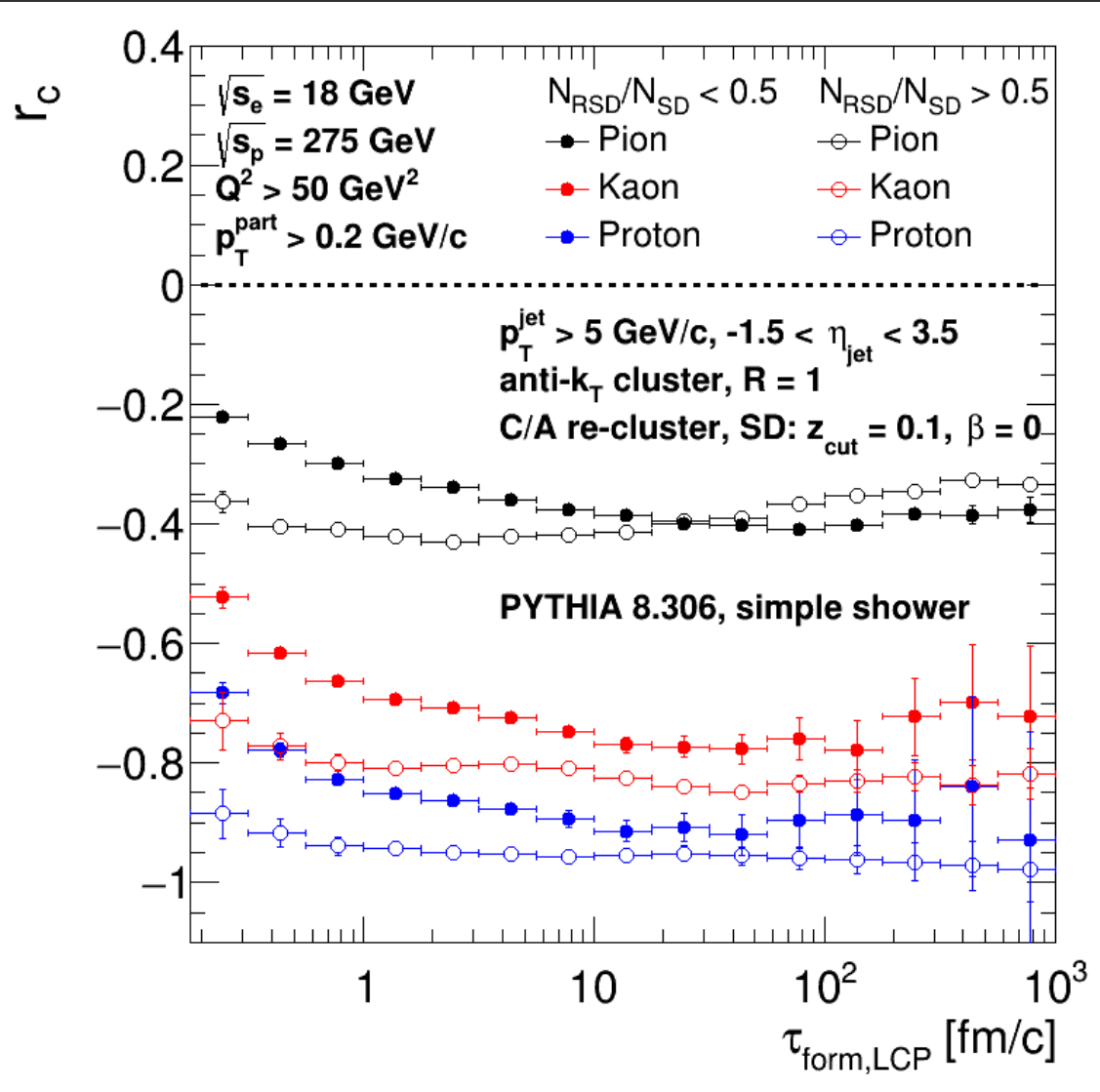
# Results – Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} - \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} + \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}$$

➤ For PYTHIA (Lund String Model),

⇒  $N_{RSD}/N_{SD} < 0.5$  cut keeps the qualitative behaviour of the generic  $r_c$  ;

⇒  $N_{RSD}/N_{SD} > 0.5$  cut eliminates the time-dependence of the  $r_c$  for all hadronic species and selects jets with higher chance of having opposite LCP.



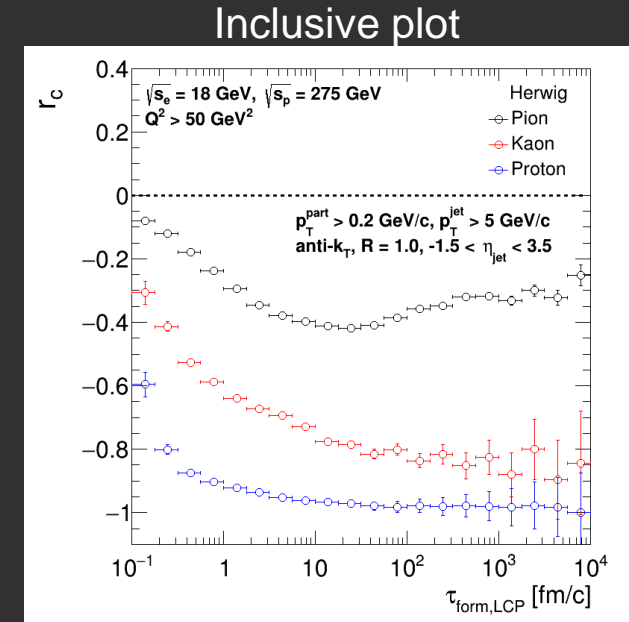
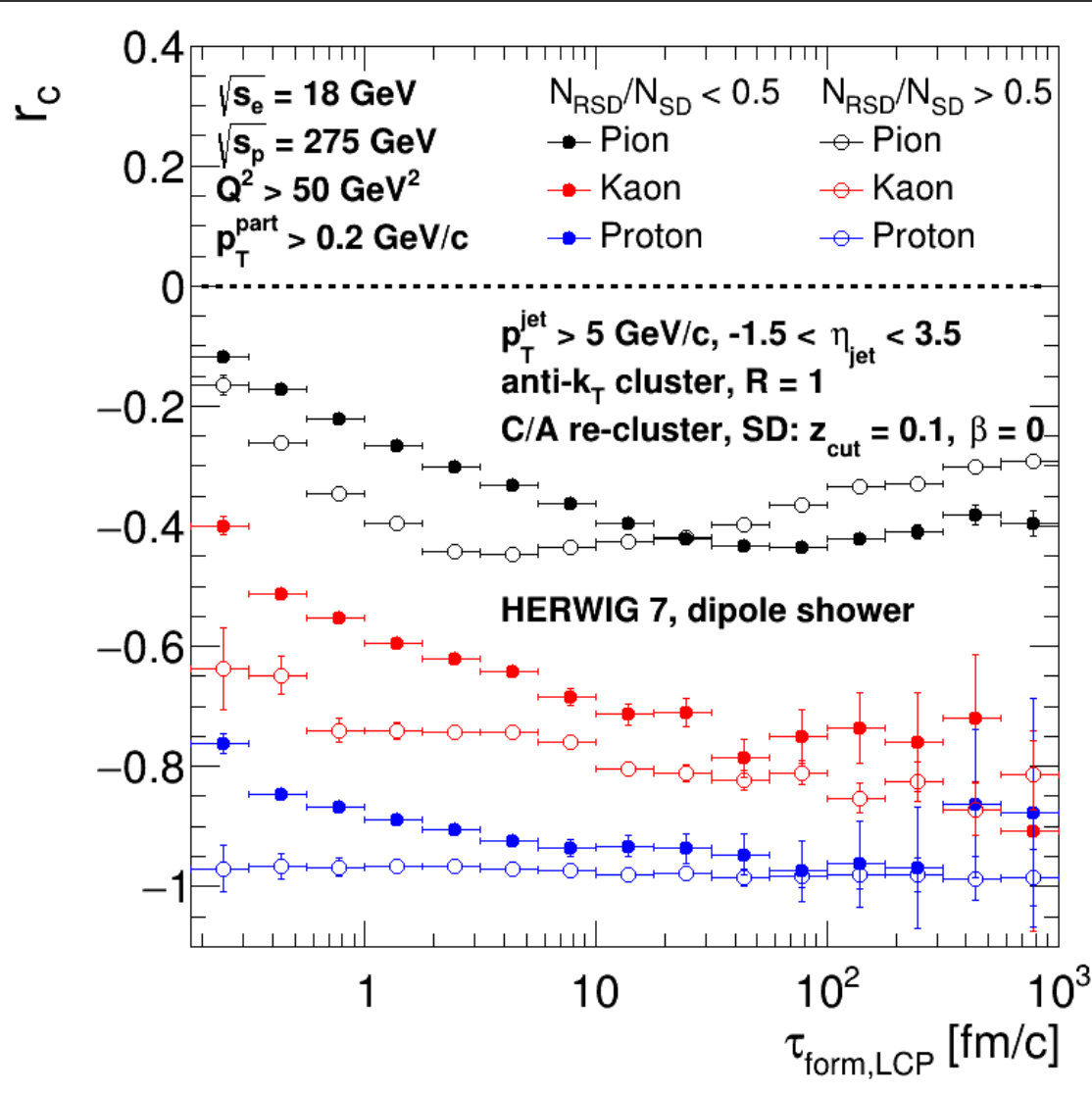
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$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} - \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} + \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}$$

➤ For HERWIG  
(Cluster Model),

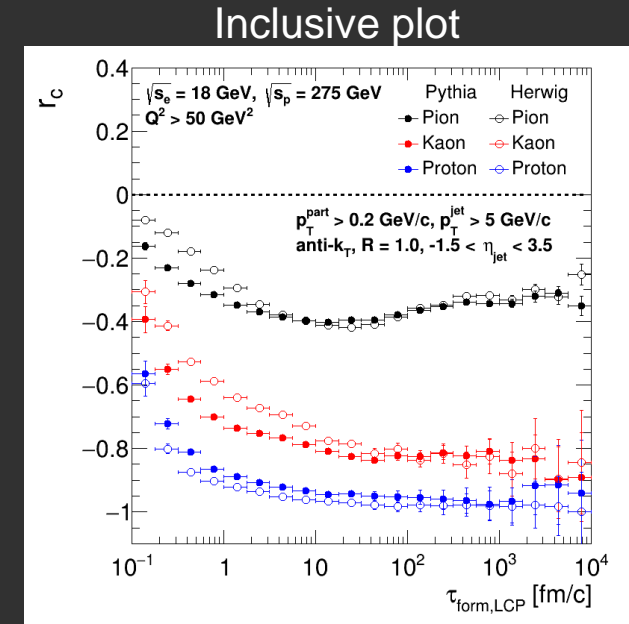
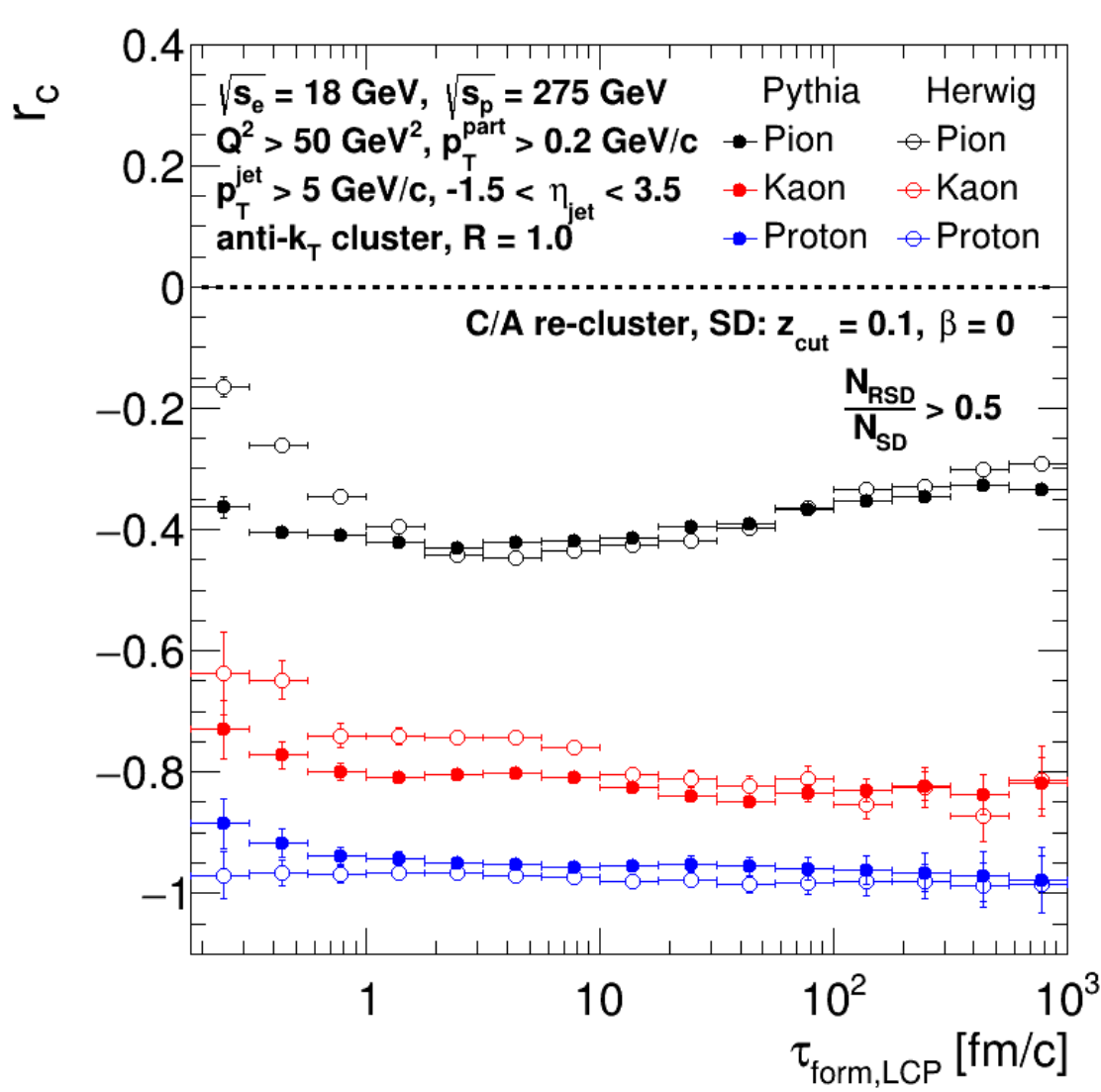
⇒  $N_{RSD}/N_{SD} < 0.5$  cut keeps the qualitative behaviour of the generic  $r_c$  ;

⇒  $N_{RSD}/N_{SD} > 0.5$  cut keeps the  $r_c$  close to 0 for earlier times, but also selects jets with overall higher chances of having opposite LCP.



# Results – Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} - \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} + \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}$$

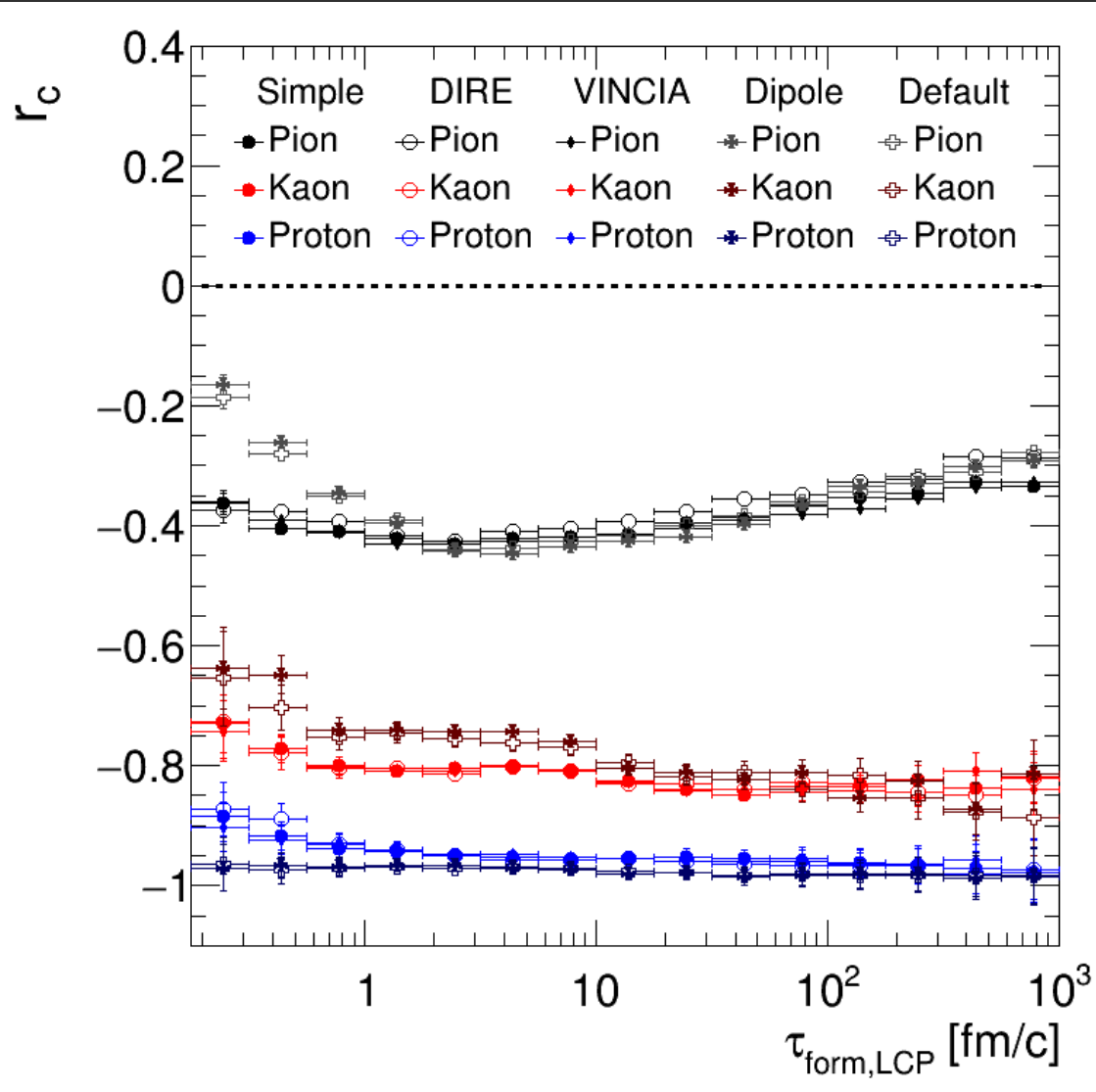


➤ Significant discrepancies between the predictions made by the two Monte Carlos, coming from the hadronization model;

**Conclusion:** the cluster model randomizes the charges of the LCP for earlier  $\tau_{form}$

# Results – Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} - \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} + \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}$$



PYTHIA 8.306 offers the following 3 parton shower models:

- Simple
- DIRE
- VINCIA

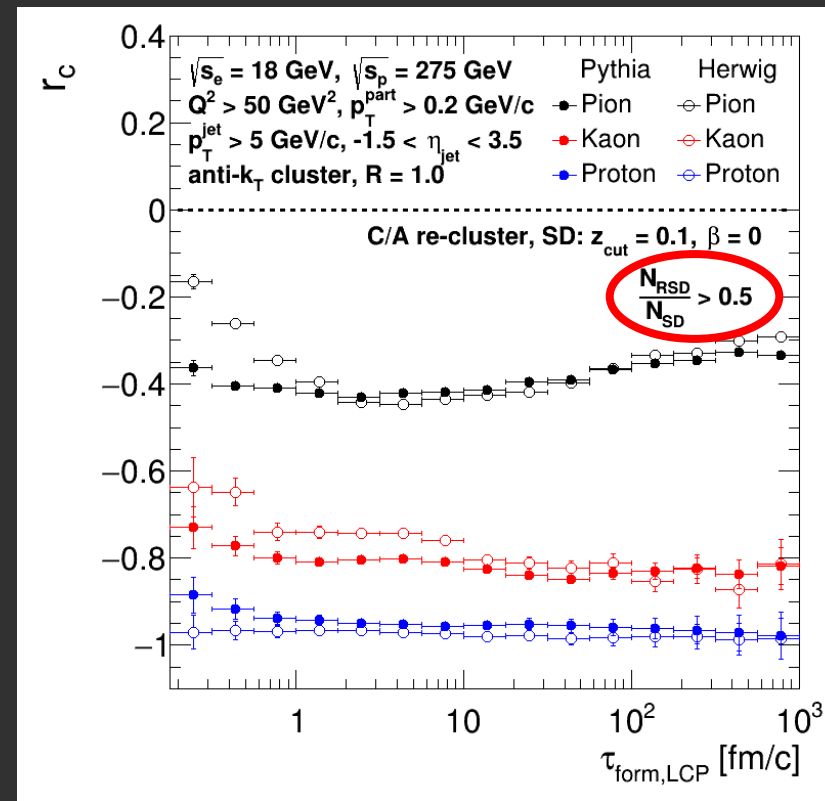
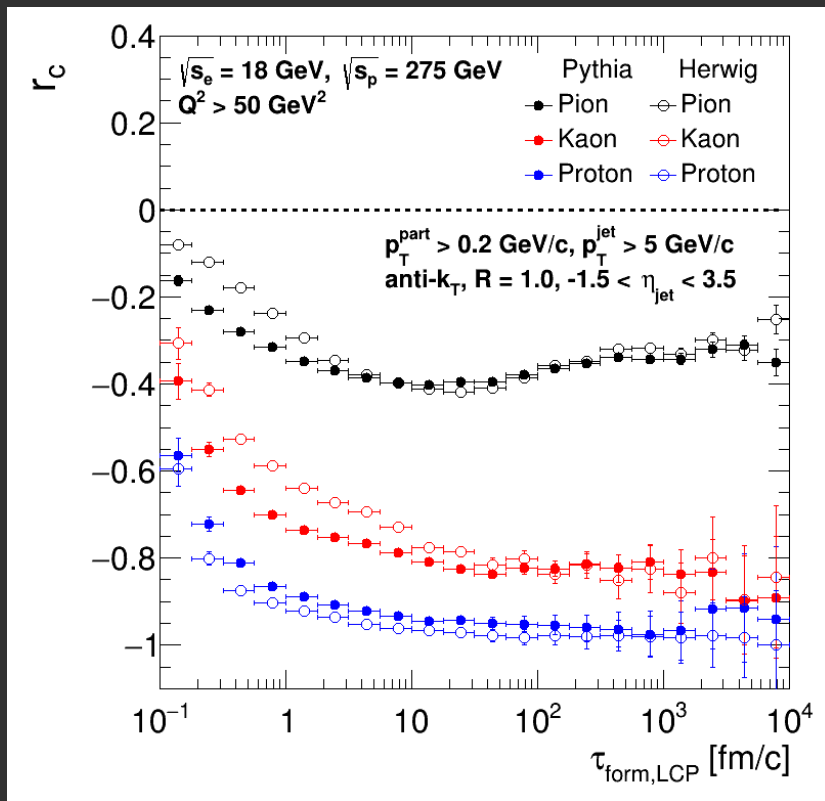
Herwig 7 offers the following 2 parton shower descriptions:

- Dipole
- Default

**Conclusion:** the  $r_c$  is roughly independent of the parton shower description in either Monte Carlo

# Conclusions

- The charge ratio is not only dependent on the formation time of the LCP (leading charged particles), but also on the jet fragmentation pattern;
- A selection on  $N_{RSD}/N_{SD} > 0.5$  reveals a qualitatively different behaviour of the charge ratio between the Monte Carlos – PYTHIA and HERWIG.



# Thank you for your attention!

## Questions?



TÉCNICO  
LISBOA



# Backup Slides



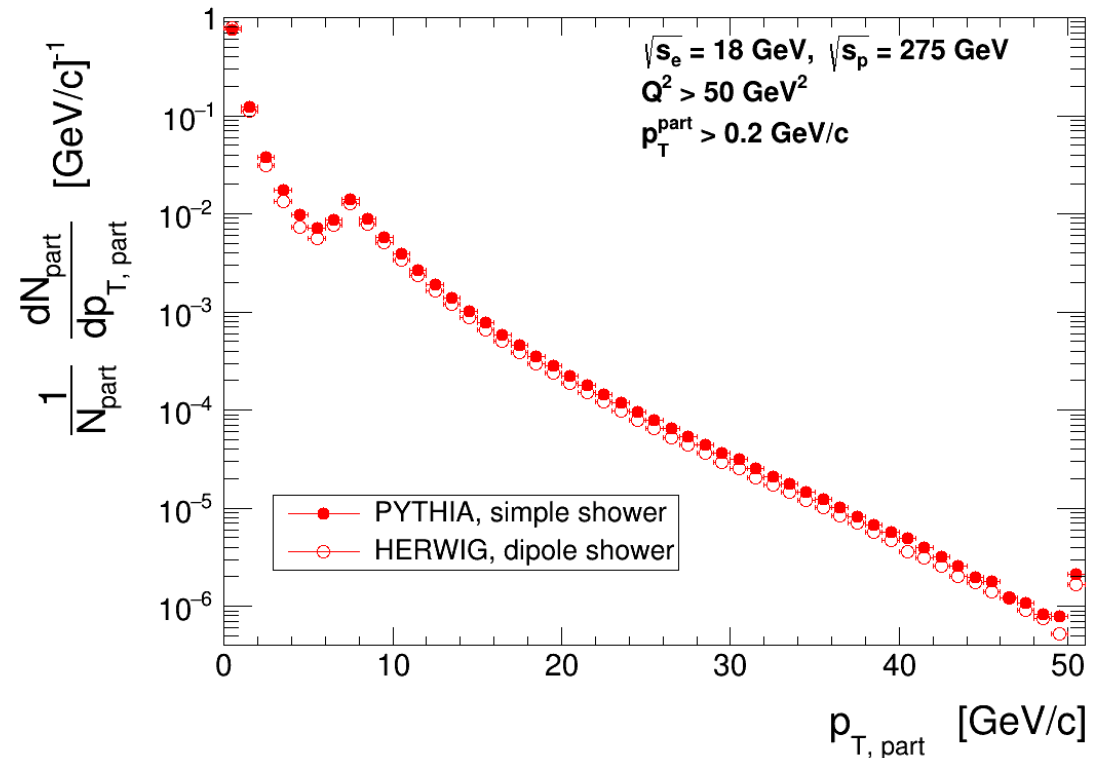
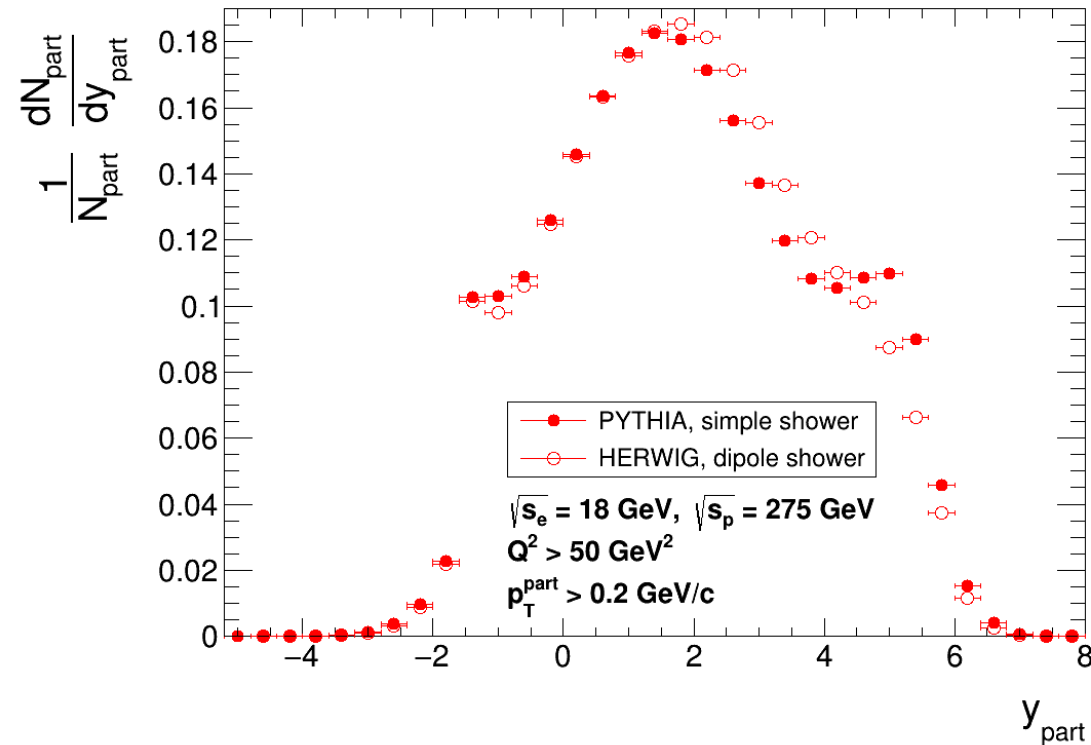
**TÉCNICO**  
LISBOA



LABORATÓRIO DE INSTRUMENTAÇÃO  
E FÍSICA EXPERIMENTAL DE PARTÍCULAS  
*partículas e tecnologia*

# Parton Description Matching

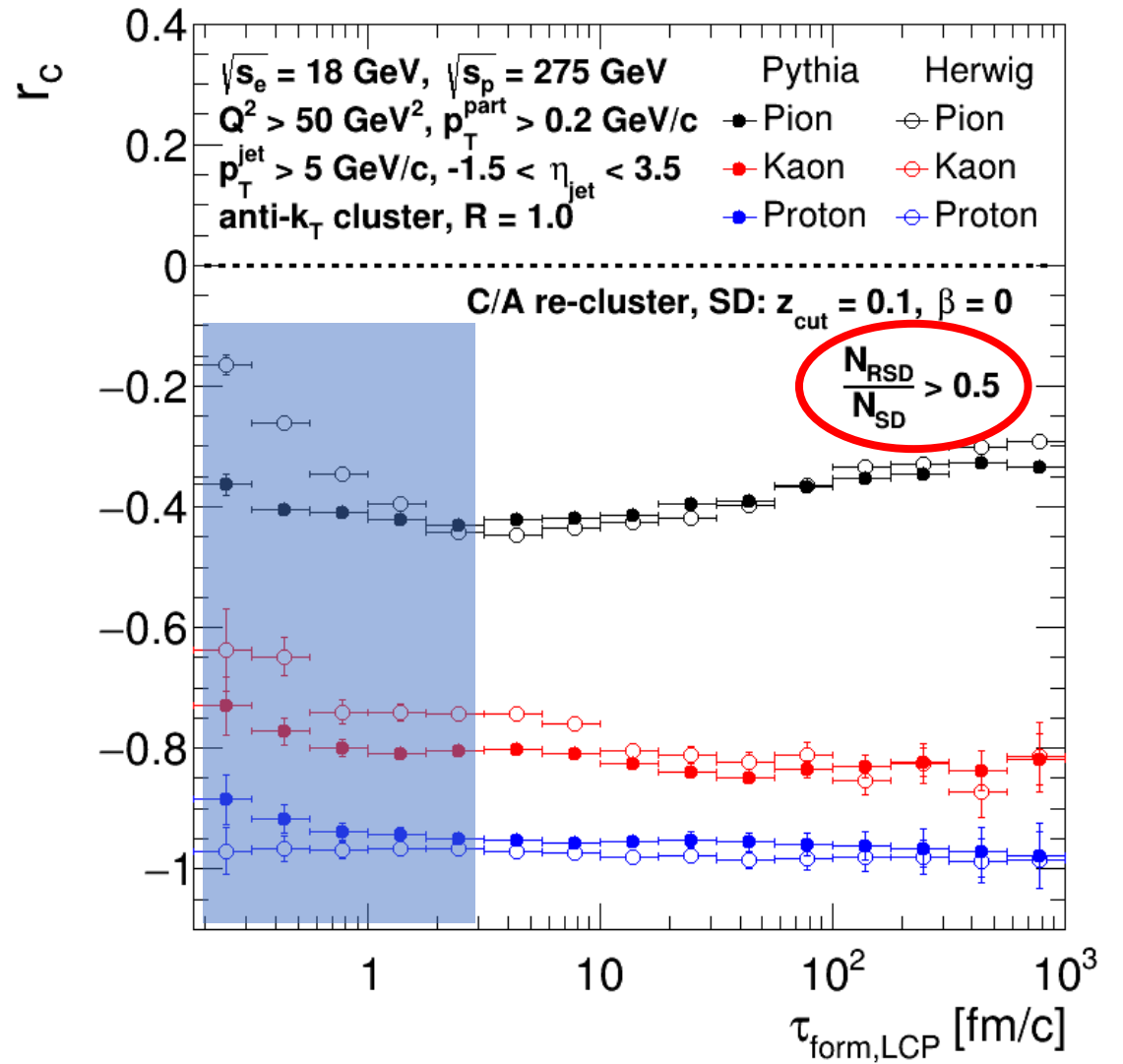
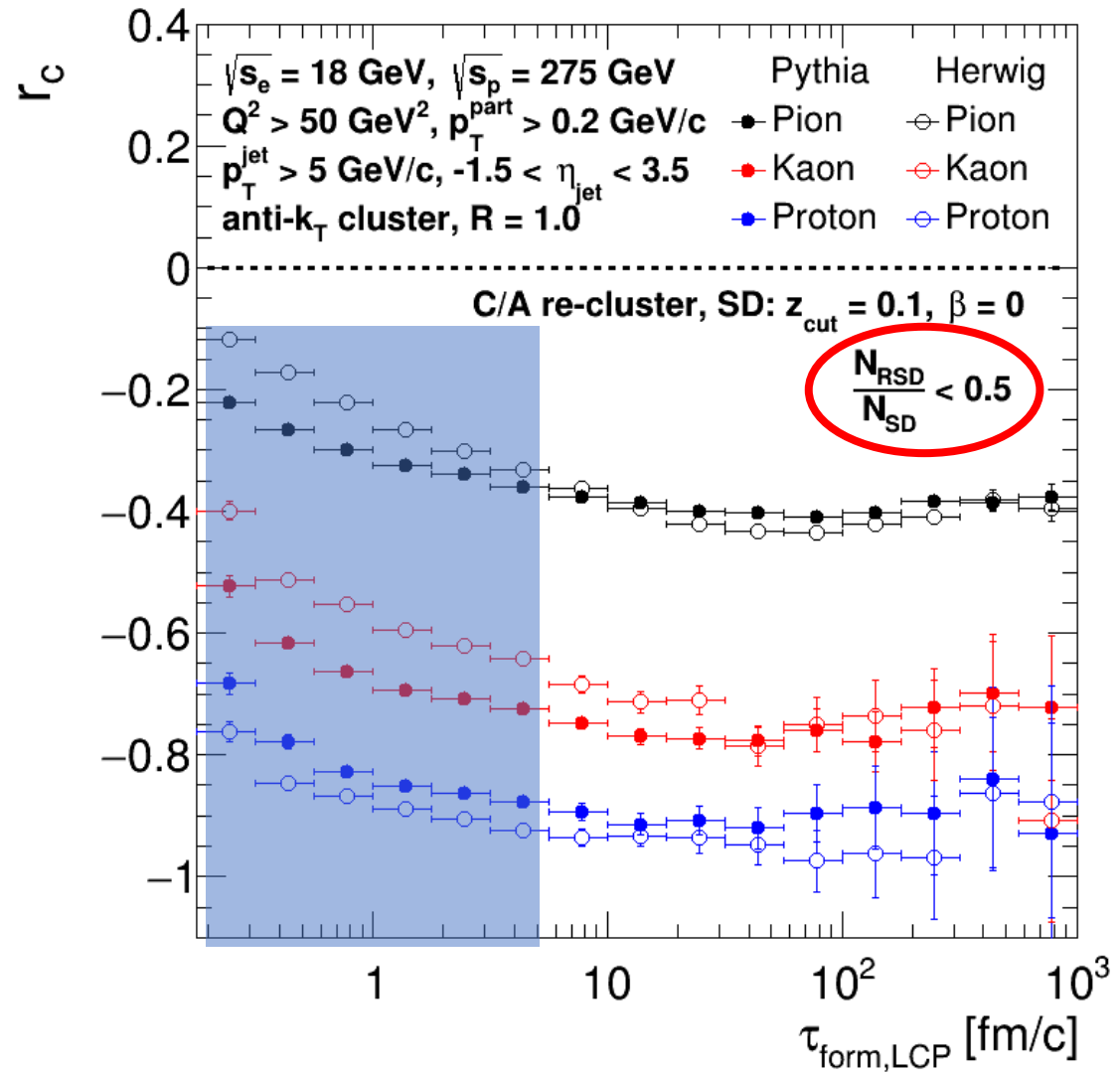
- PYTHIA's simple shower and HERWIG's dipole shower are the parton shower descriptions that allow for the best case scenario matching between event-level variables on both Monte Carlos, such as particle rapidity, transverse momentum and azimuthal angle.





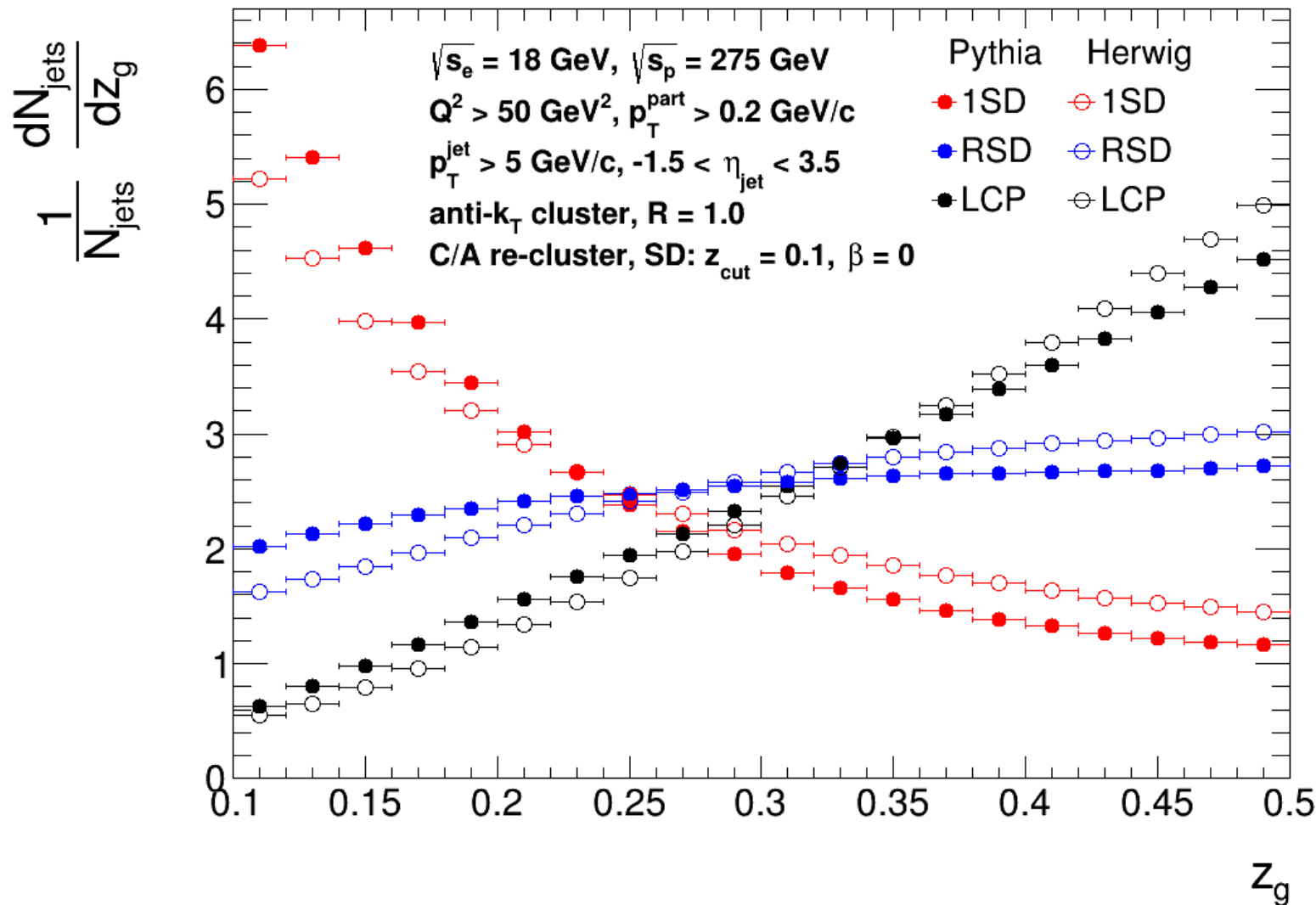
# Results – Charge Ratio

$$r_c = \frac{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} - \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}{\frac{d\sigma_{h_1 h_2}}{d\tau_{form}} + \frac{d\sigma_{h_1 \bar{h}_2}}{d\tau_{form}}}$$



# Results – Groomed Momentum Fraction

$$z_g = \frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}}$$



- **1SD** is highly **asymmetrical**; distributions extremely peaked for small  $z_g$
- **LCP** is highly **symmetrical**; distributions extremely peaked for large  $z_g$
- **RSD** is more symmetrical than 1SD and more asymmetrical than LCP; more to the likes of the LCP splitting