



NUINT-2011

2p2h or not 2p2h?

Luis Alvarez Russo



ECT*

EUROPEAN CENTRE FOR THEORETICAL STUDIES
IN NUCLEAR PHYSICS AND RELATED AREAS

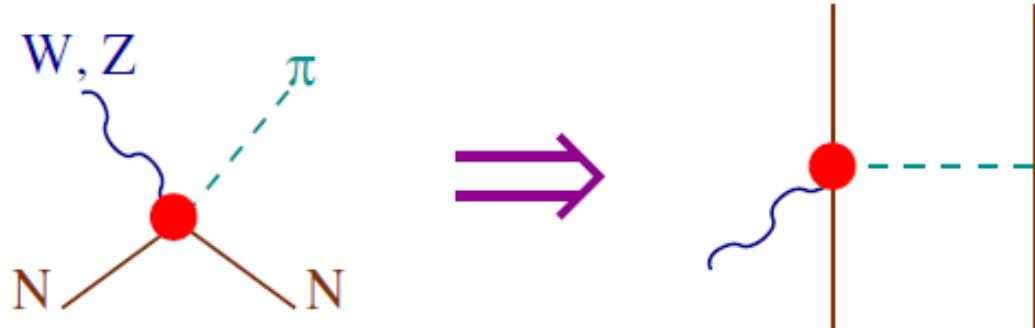
2p2h

Luis Alvarez Russo



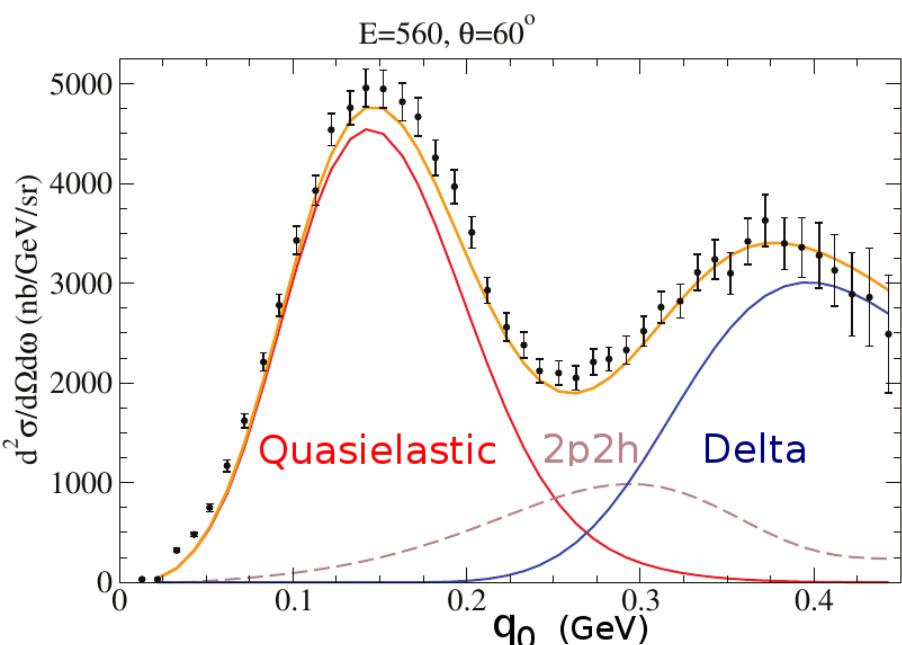
2p2h?

- 2-nucleon EW currents **exist** (are allowed by symmetries)

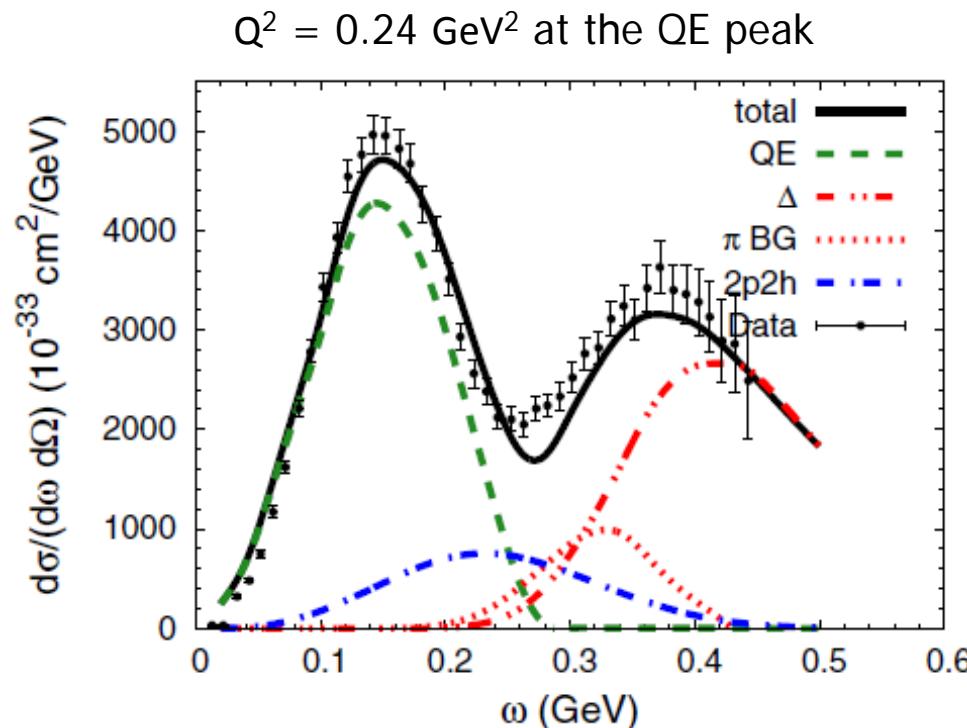


2p2h?

- 2-nucleon EW currents exist (are allowed by symmetries)
- Sizable 2p2h contributions can be inferred from $A(e,e')X$:



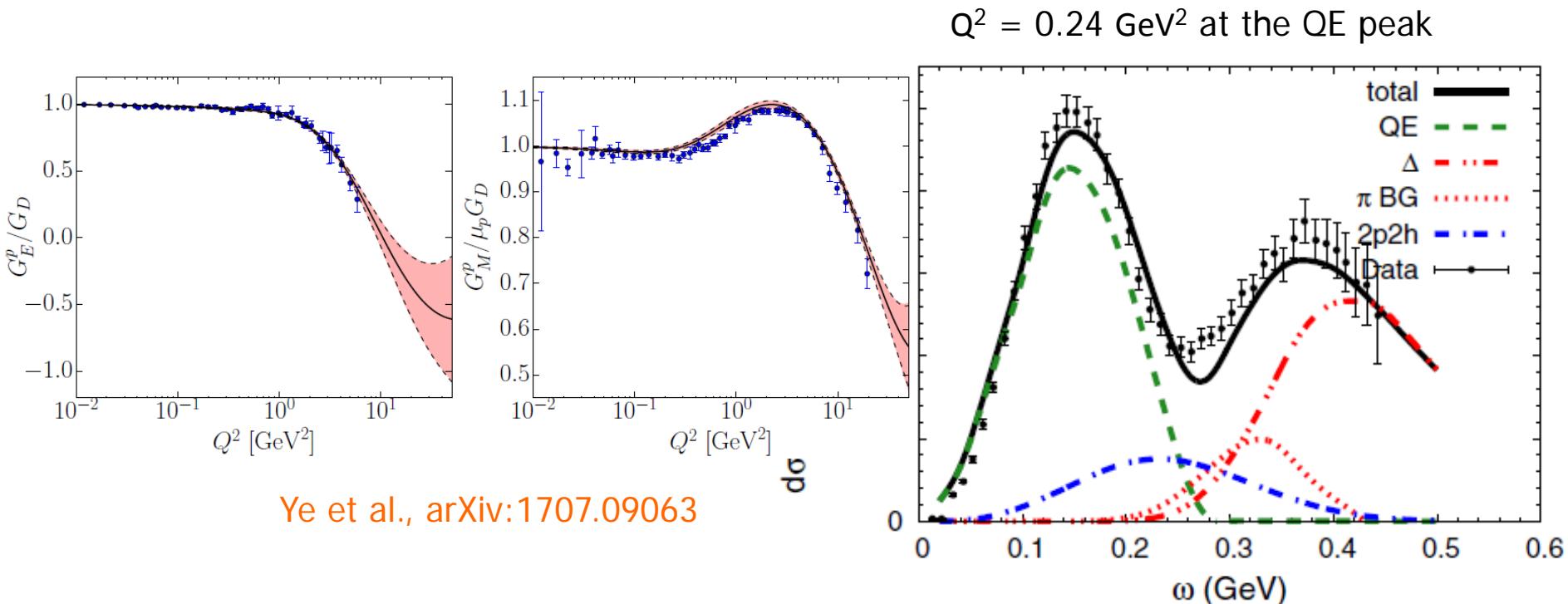
Megias et al., PRD 94 (2016)



Gallsmeiter et al., PRD 94 (2016)

2p2h?

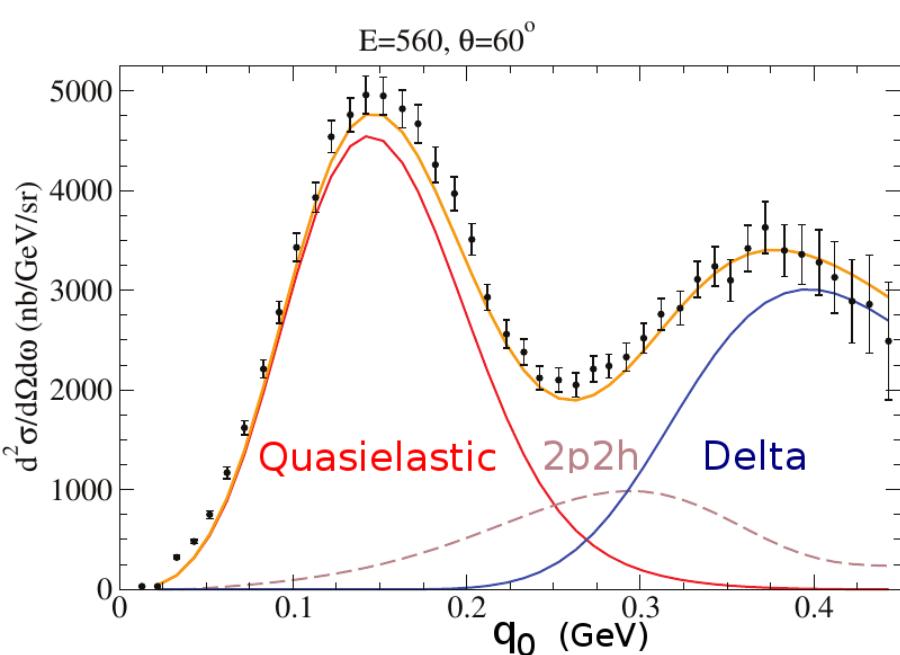
- 2-nucleon EW currents exist (are allowed by symmetries)
- Sizable 2p2h contributions can be inferred from $A(e,e')X$:



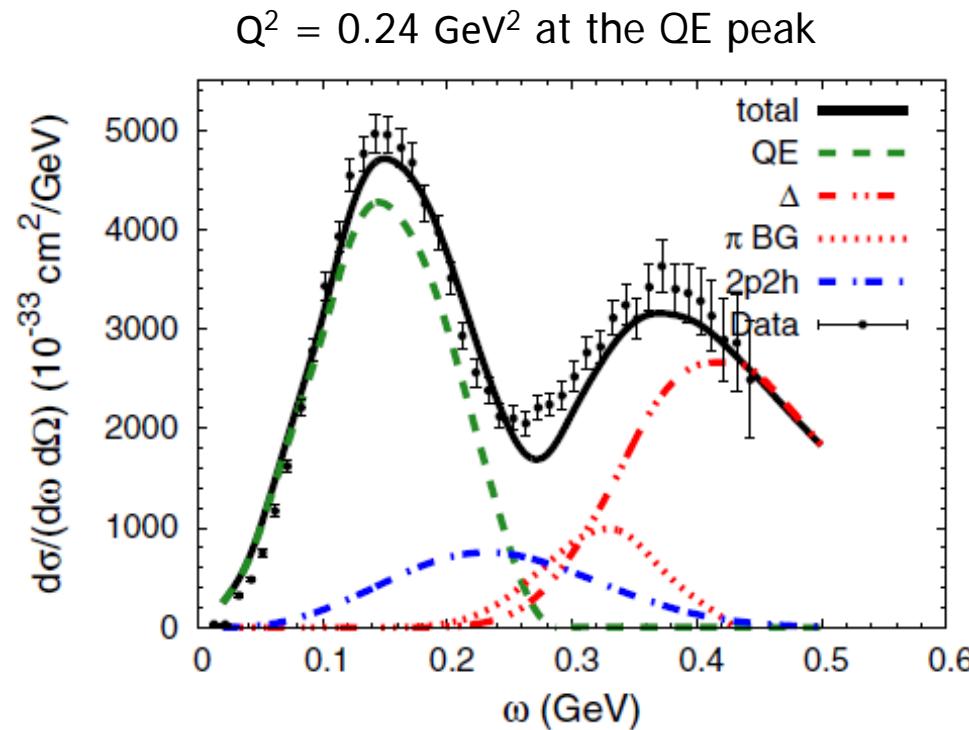
- EM 2p2h cannot be accommodated by nucleon FF uncertainties

2p2h?

- 2-nucleon EW currents exist (are allowed by symmetries)
- Sizable 2p2h contributions can be inferred from $A(e,e')X$:



Megias et al., PRD 94 (2016)

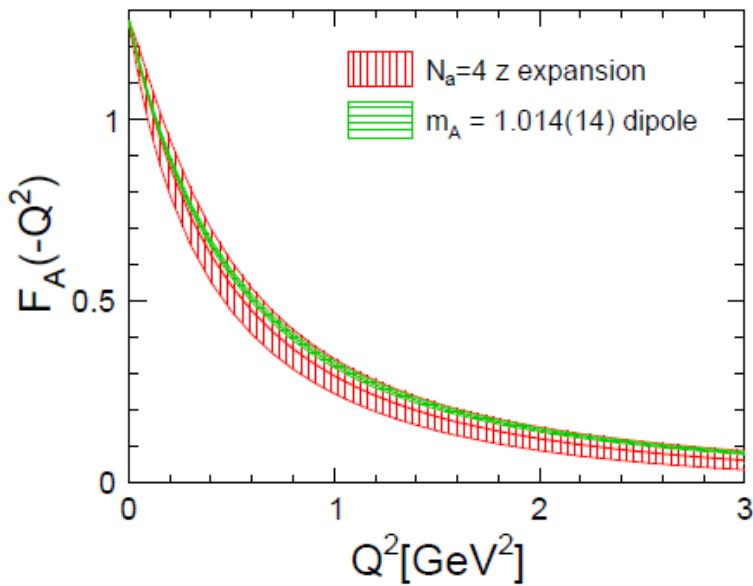


Gallsmeiter et al., PRD 94 (2016)

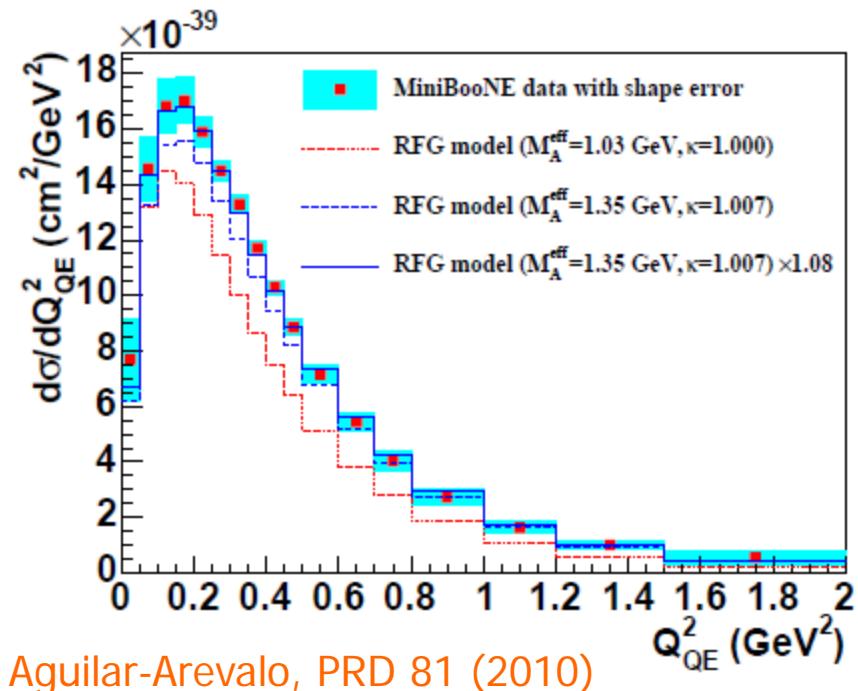
- With “reasonable” assumptions about QE and Δ peaks, 2p2h can be parametrized from (e,e') data. Bosted, Mamyany, arXiv:1203.2262

2p2h?

- 2-nucleon EW currents exist (are allowed by symmetries)
- How about the EW case? The situation is more uncertain...



Meyer et al., PRD 93 (2016)

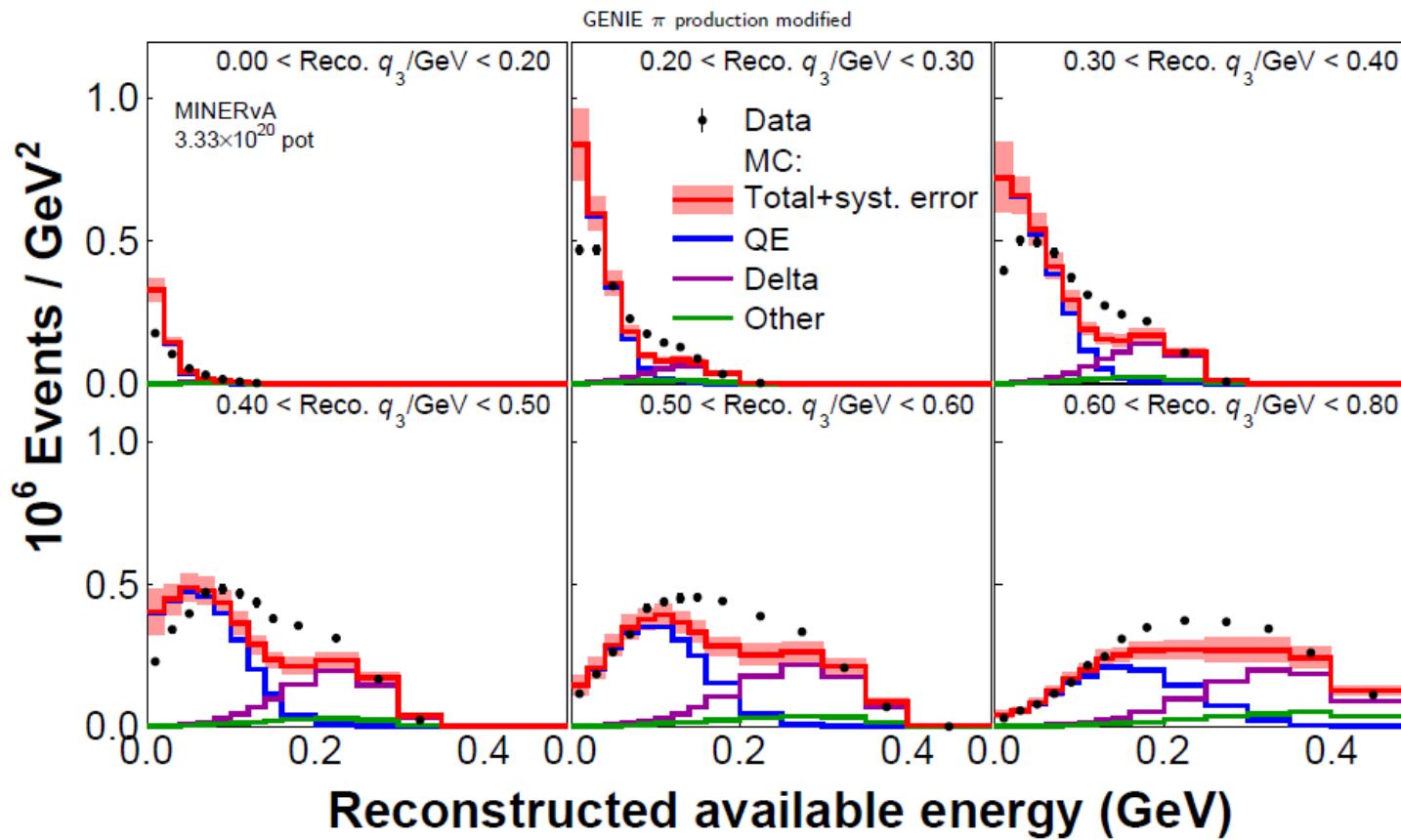


Aguilar-Arevalo, PRD 81 (2010)

- MiniBooNE data can be described with
 $M_A = 1.35 \text{ GeV} \leftrightarrow \langle r_A^2 \rangle = 0.26 \text{ fm}^2$ vs $0.46(22) \text{ fm}^2$ (**z-expansion**)

2p2h?

- 2-nucleon EW currents exist (are allowed by symmetries)
- How about the EW case? The situation is more uncertain, although MINERvA excess is in the region where 2p2h should be important.



P. Rodrigues @ NuInt 2015, Fermilab W&C

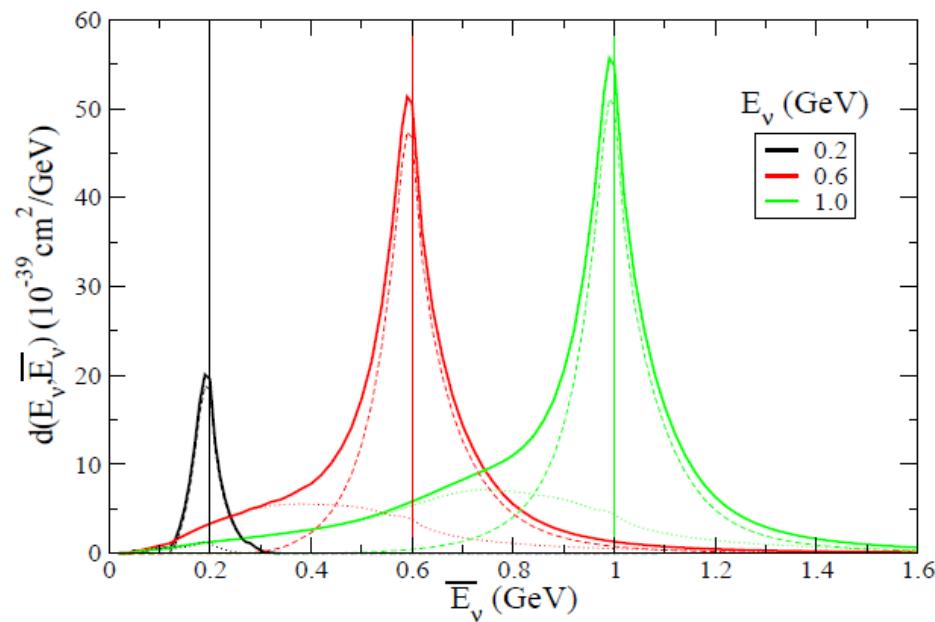
Why ν experiments (should) care?

- Broad fluxes \Rightarrow Neutrino energy is **not known** for individual events

$$P(\nu_\mu \rightarrow \nu_\tau) = \sin^2 2\theta_{23} \sin^2 \frac{\Delta m_{23}^2 L}{2E_\nu}$$

- 2p2h introduce a **bias** in (kinematic) E_ν reconstruction

$$E_\nu^{\text{QE}} = \frac{2m_n E_\mu - m_\mu^2}{2(m_n - E_\mu + p_\mu \cos \theta_\mu)}$$

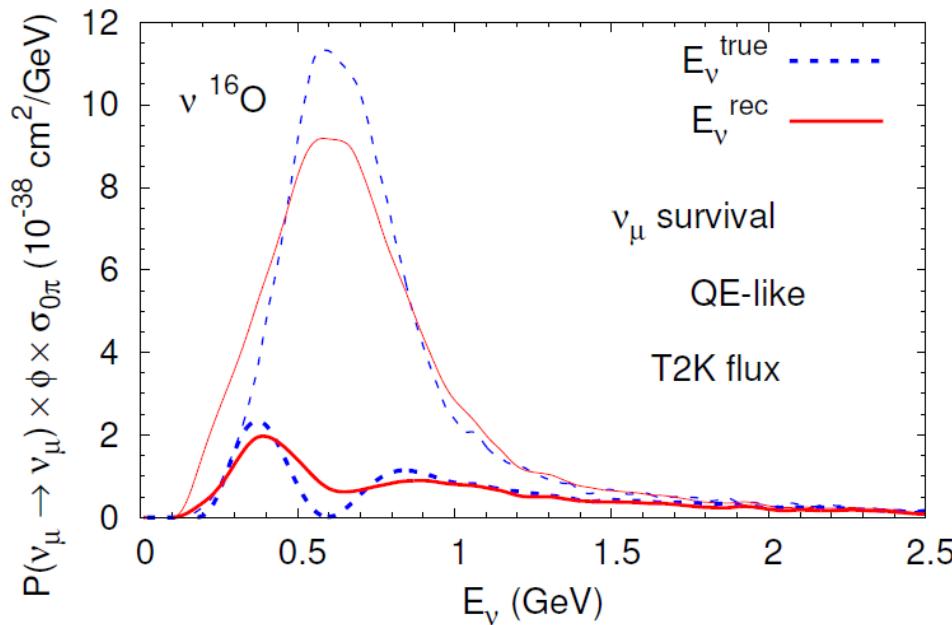


Why ν experiments (should) care?

- Broad fluxes \Rightarrow Neutrino energy is **not known** for individual events

$$P(\nu_\mu \rightarrow \nu_\tau) = \sin^2 2\theta_{23} \sin^2 \frac{\Delta m_{23}^2 L}{2E_\nu}$$

- 2p2h introduce a **bias** in (kinematic) E_ν reconstruction
 - This has **implications** for oscillation measurements



Lalakulich, Mosel, PRC 86 (2012)

Why c.s. theorists should care?

- Broad fluxes \Rightarrow Neutrino energy is **not known** for individual events

$$P(\nu_\mu \rightarrow \nu_\tau) = \sin^2 2\theta_{23} \sin^2 \frac{\Delta m_{23}^2 L}{2E_\nu}$$

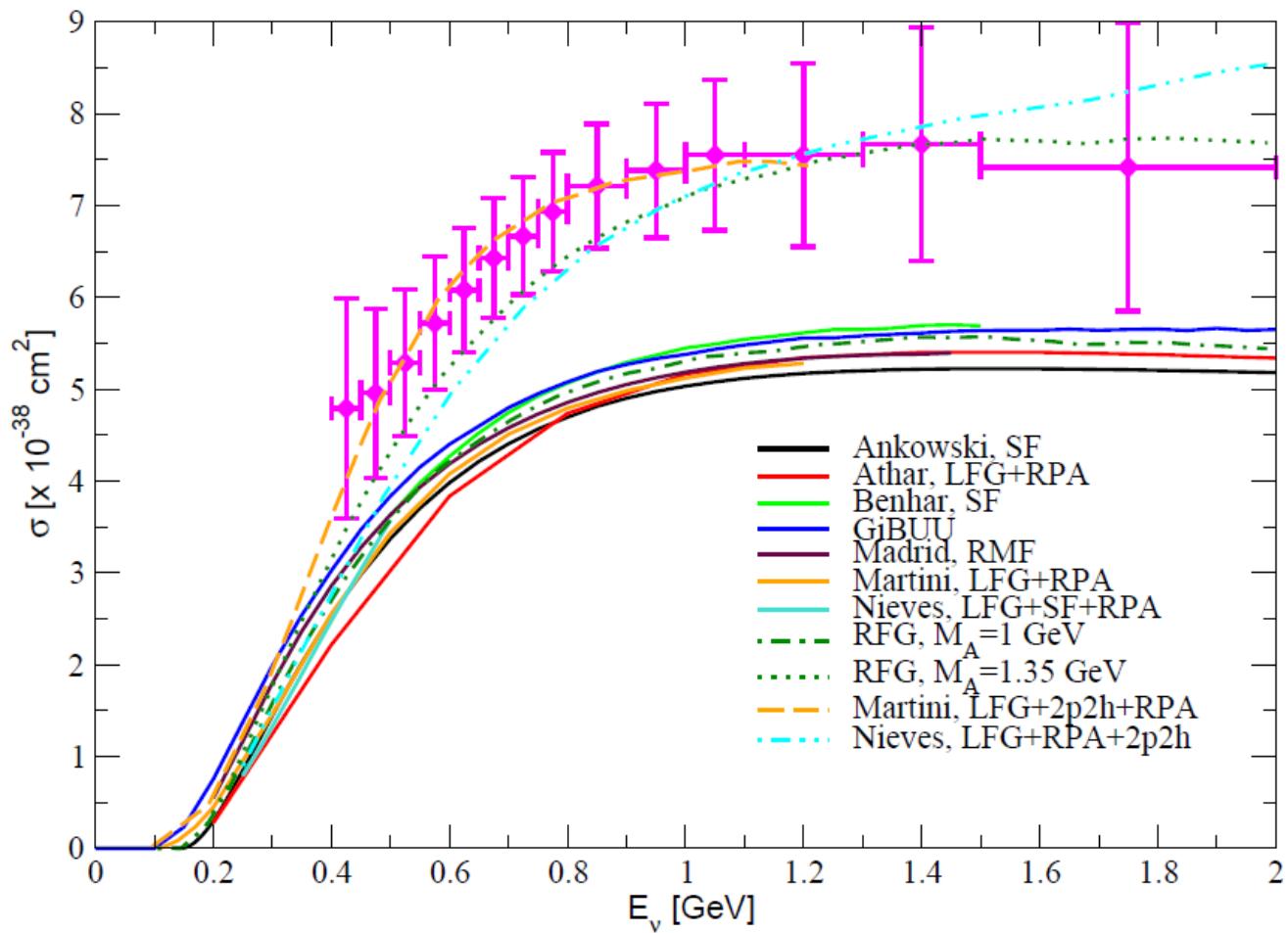
- 2p2h introduce a **bias** in **(kinematic) E_ν** reconstruction
 - This has **implications** for **theory vs data comparison**

Why c.s. theorists should care?

■ BI
■ 2I

CCQE on ^{12}C

all events



LAR, Nieves, Hayato, New J. Phys. 16 (2014)

Why c.s. theorists should care?

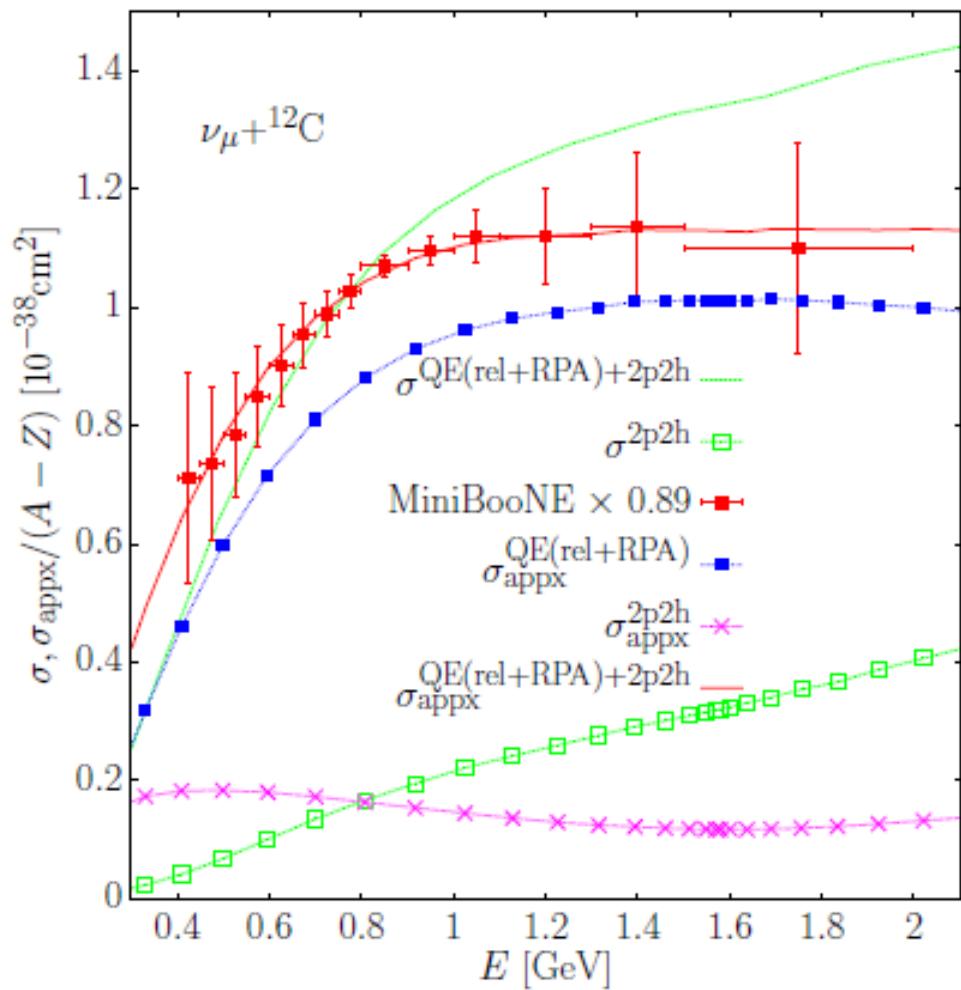
- Broad fluxes \Rightarrow Neutrino energy is **not known** for individual events

$$P(\nu_\mu \rightarrow \nu_\tau) = \sin^2 2\theta_{23} \sin^2 \frac{\Delta m_{23}^2 L}{2E_\nu}$$

- 2p2h introduce a **bias** in **(kinematic) E_ν reconstruction**
 - This has **implications** for **theory vs data comparison**
 - Comparison to **MiniBooNE CCQE-like** integrated cross section requires $E_\nu \rightarrow E_\nu^{\text{QE}}$

$$\sigma(E_\nu^{\text{QE}}) = \int dE_\mu d\cos\theta_\mu \langle \frac{d\sigma_{\text{QE} + 2\text{p2h}}}{dE_\mu d\cos\theta_\mu} \rangle \delta \left(E_\nu^{\text{QE}} - \frac{2m_n E_\mu - m_\mu^2}{2(m_n - E_\mu + p_\mu \cos\theta_\mu)} \right).$$

Why c.s. theorists should care?



for individual events

reduction

comparison

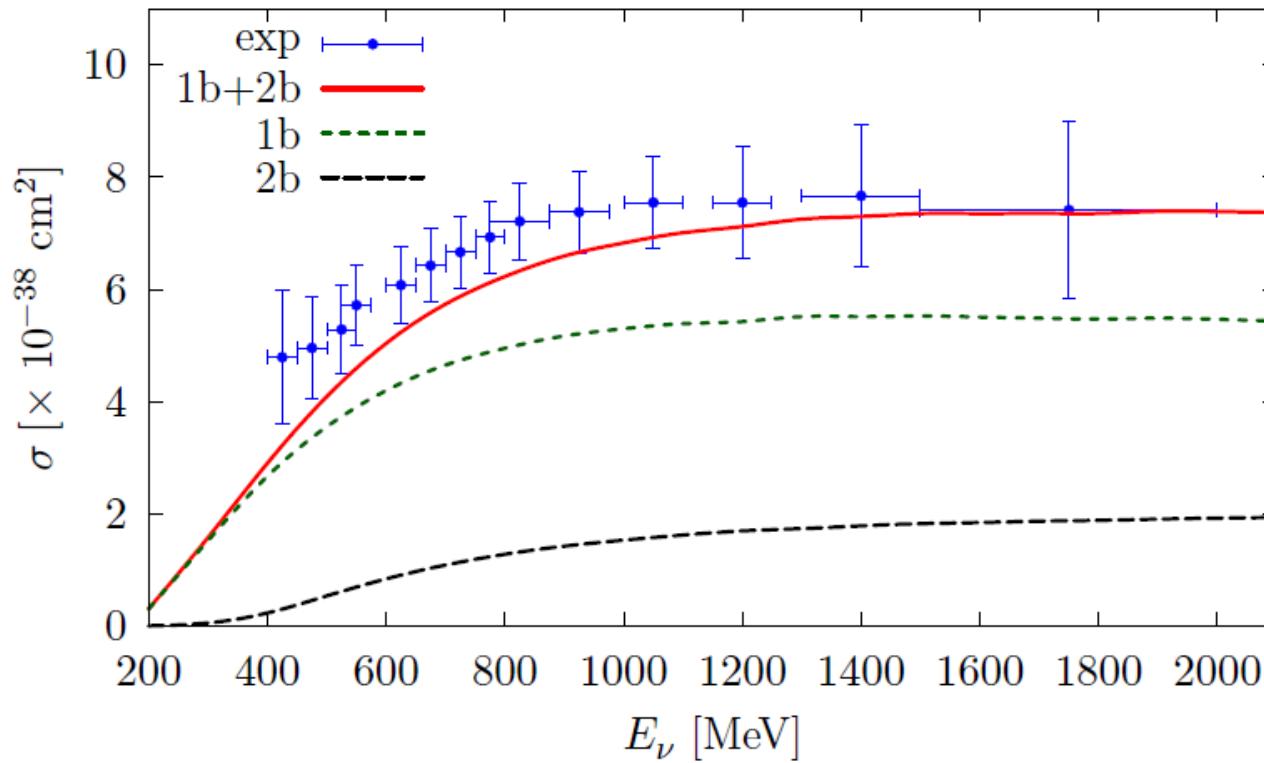
predicted cross section

Nieves et al, Phys.Rev. D85 (2012)

$$\sigma(E_\nu^{\text{QE}}) = \int dE_\mu d\cos\theta_\mu \langle \frac{d\sigma_{\text{QE}+2\text{p}2\text{h}}}{dE_\mu d\cos\theta_\mu} \rangle \delta \left(E_\nu^{\text{QE}} - \frac{2m_n E_\mu - m_\mu^2}{2(m_n - E_\mu + p_\mu \cos\theta_\mu)} \right).$$

Why c.s. theorists should care?

- CC0 π total cross section: MiniBooNE data events



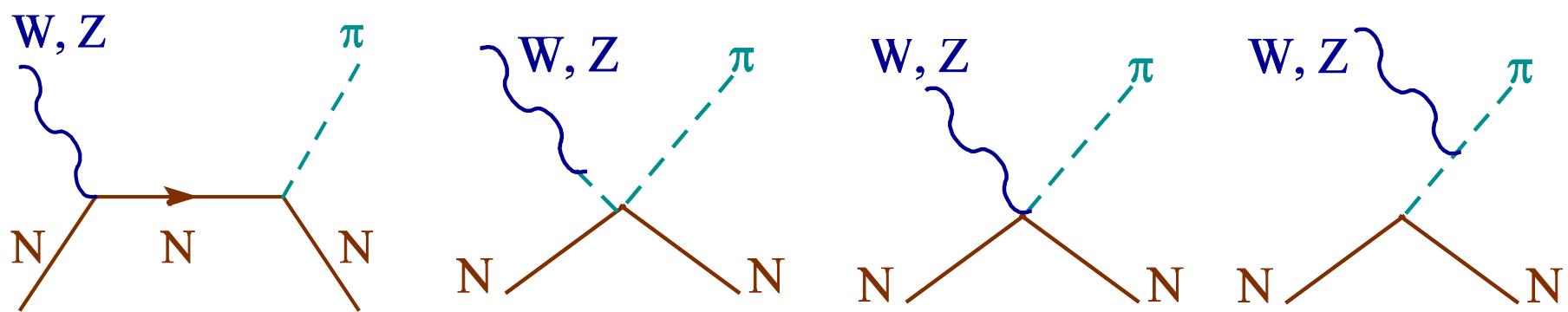
cation

Rocco @ INT 2018

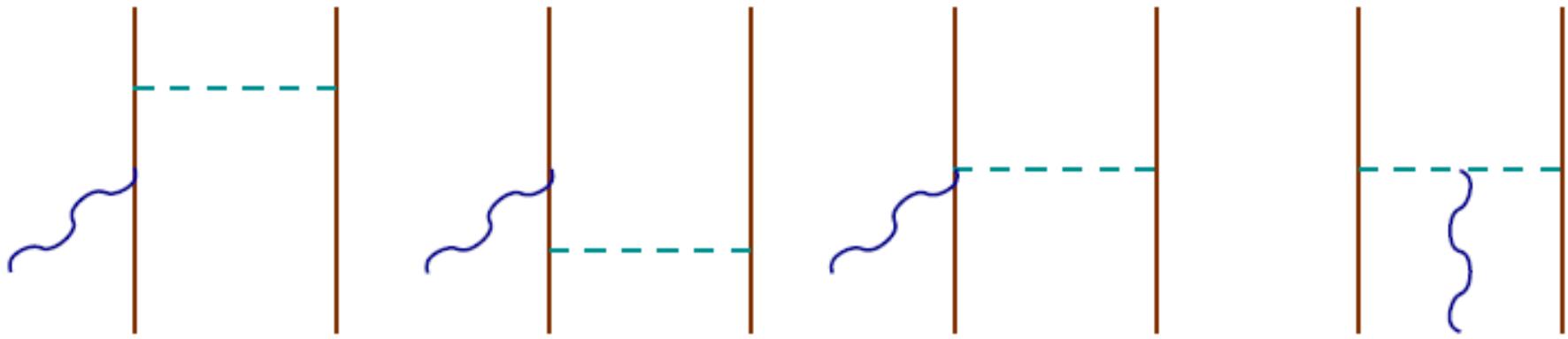
$$\sigma(E_\nu^{\text{QE}}) = \int dE_\mu d\cos\theta_\mu \langle \frac{d\sigma_{\text{QE} + 2p2h}}{dE_\mu d\cos\theta_\mu} \rangle \delta \left(E_\nu^{\text{QE}} - \frac{2m_n E_\mu - m_\mu^2}{2(m_n - E_\mu + p_\mu \cos\theta_\mu)} \right).$$

Two-nucleon currents

■ LO ChPT for $\nu_l N \rightarrow l \pi N'$

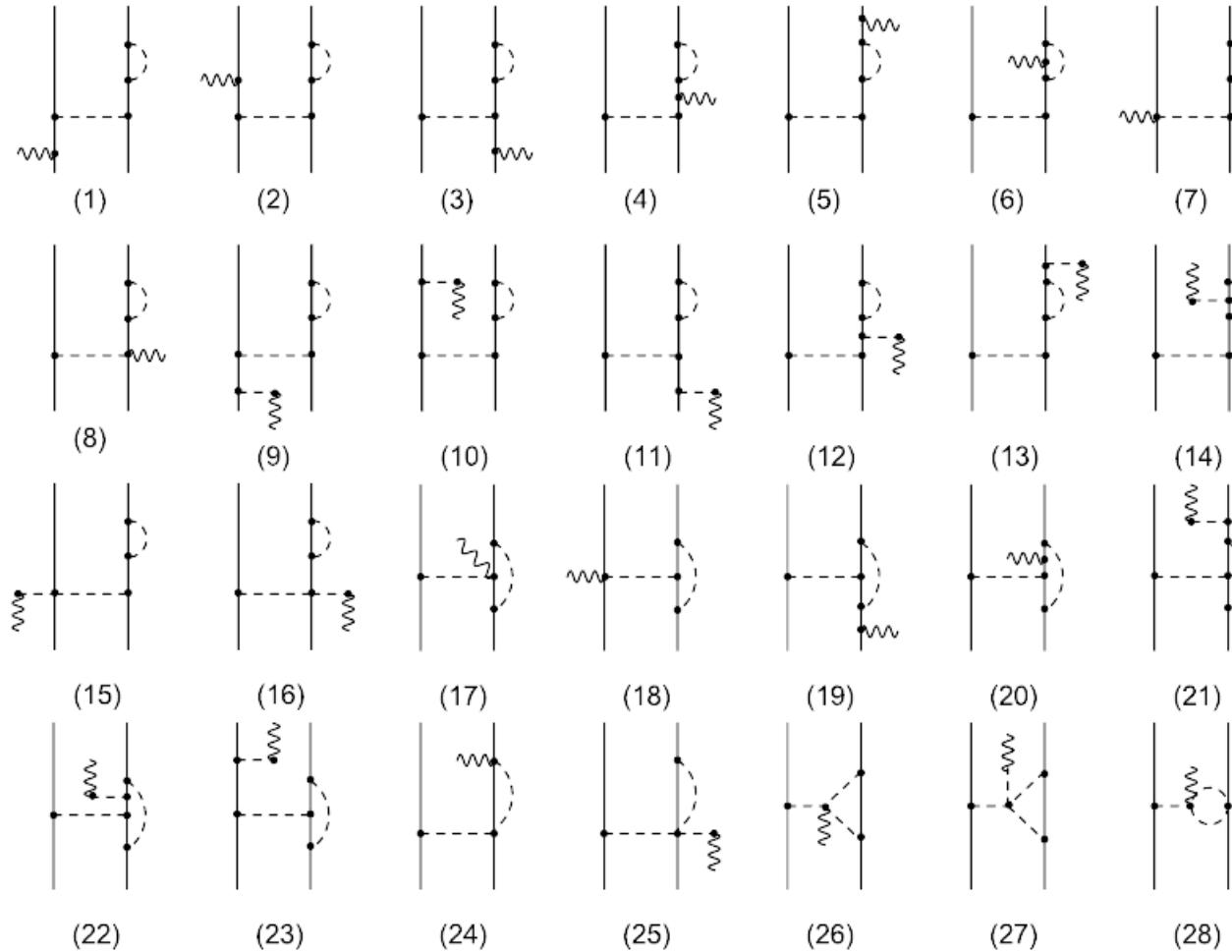


leads to



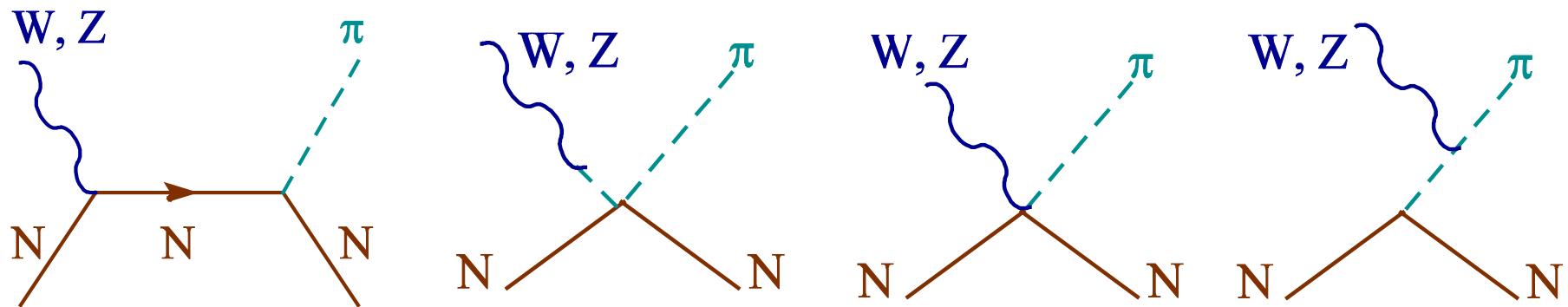
2-nucleon currents in EFT

- In Chiral EFT e.g. Baroni et al., PRC93 (2016), Krebs et al, Ann. Phys. 378 (2017)
 - two-nucleon, non-relativistic axial currents

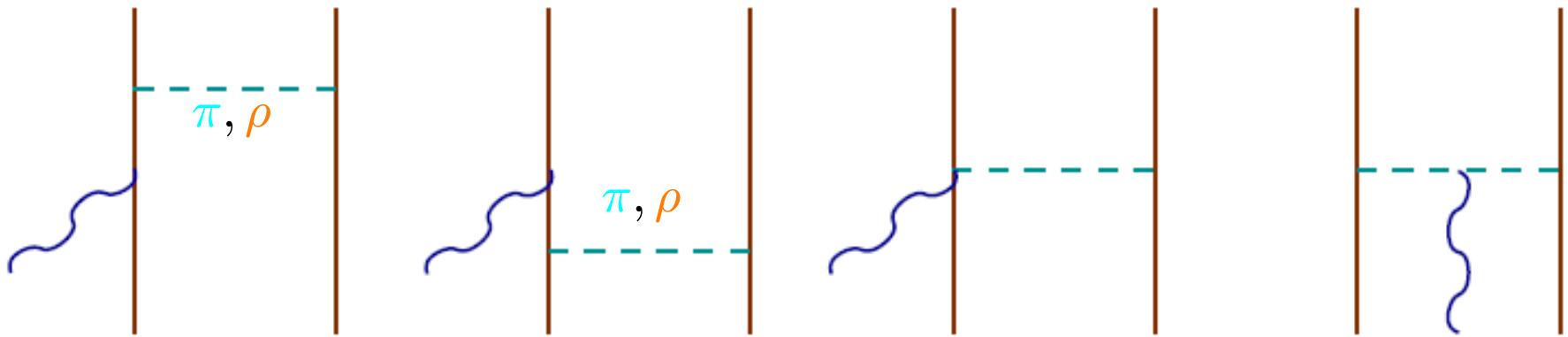


Two-nucleon currents

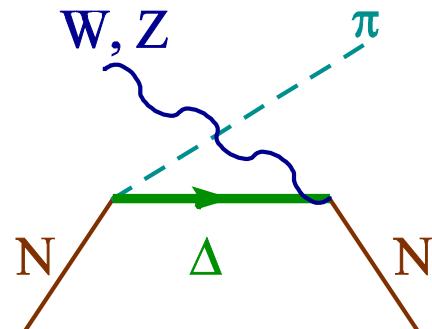
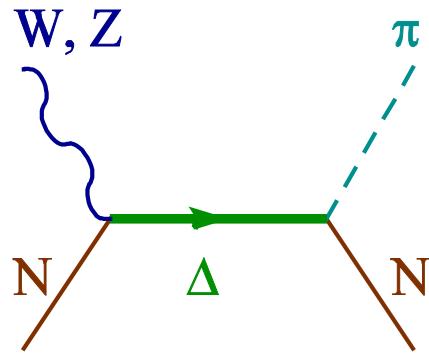
- Form factors are usually introduced to go to higher momenta



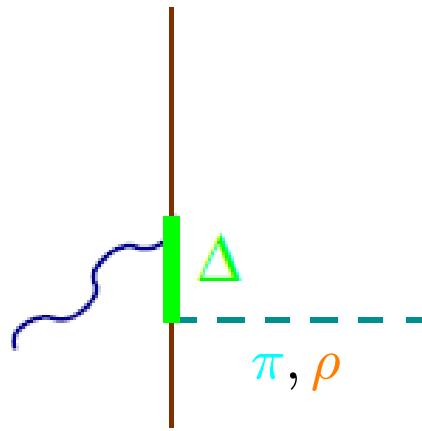
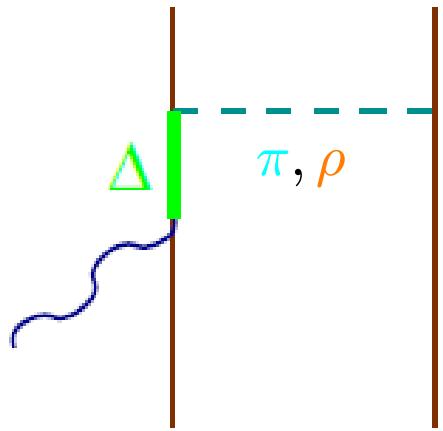
leads to



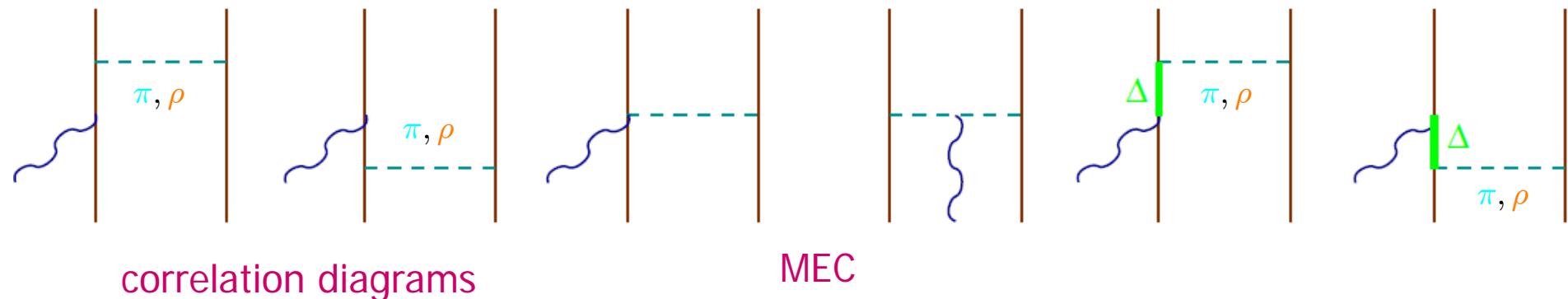
Two-nucleon currents



leads to

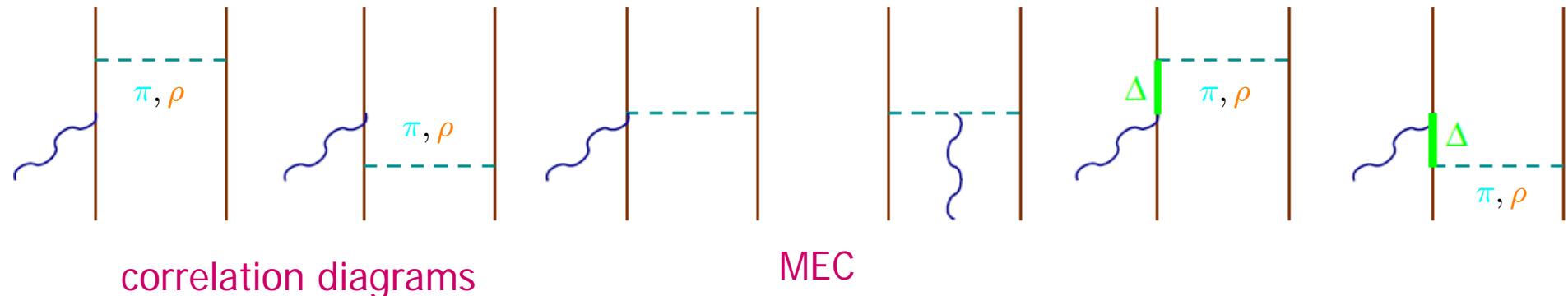


Two-nucleon currents



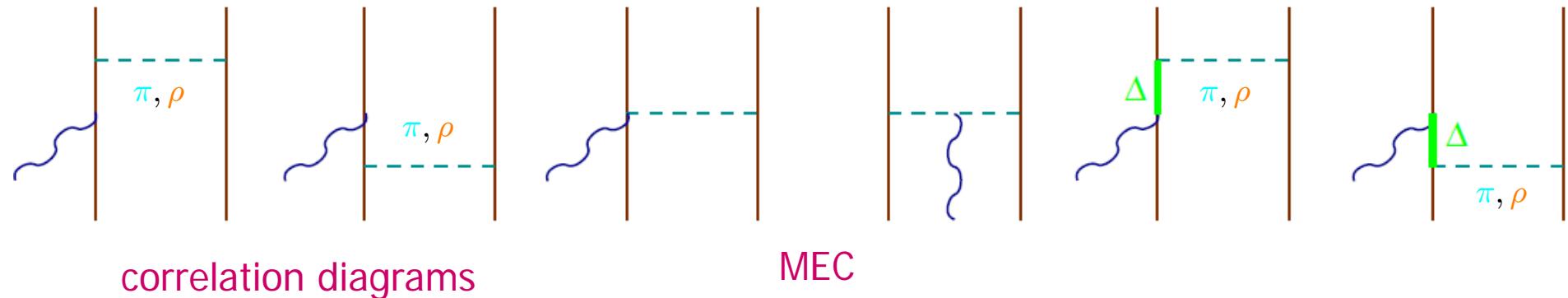
- In the relativistic Fermi gas model they can
 - be ignored
 - **SUSA** embeds them in **scaling function**
 - Price to pay: no (partial) current conservation
 - 2-body Δ -currents (with π exchange) accounted but suppressed at the Δ peak to **avoid double counting** with the Δ scaling function

Two-nucleon currents



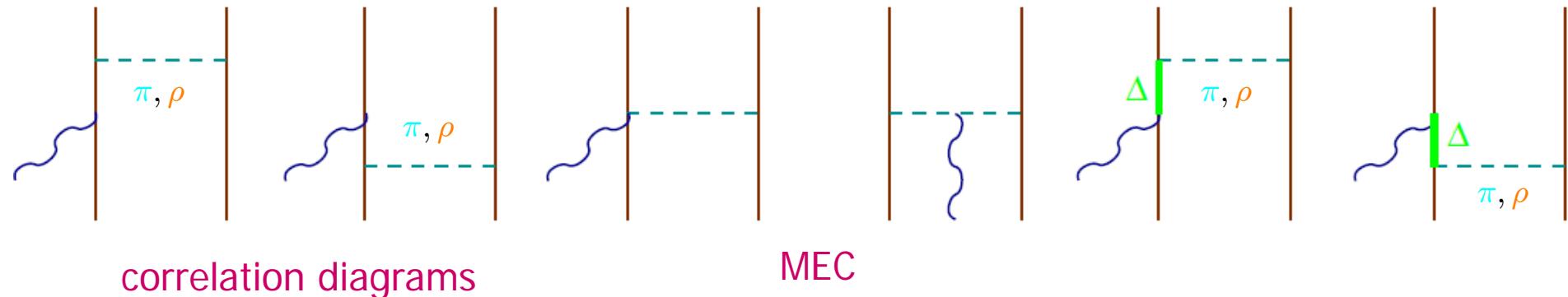
- In nuclear-matter many-body calculations adapted to finite nuclei using the local density approximation
 - correlation diagrams “regularized” by $\text{Im}(\Sigma_N)$ (Nieves et al.)
 - warning: included in the QE part (and not always)
 - 2-body Δ -currents (with $\pi + \rho$ exchange)

Two-nucleon currents



- In mean field models they can (in principle) be incorporated in the initial/final nucleon wave functions
 - w.f. are single-particle Hartree-Fock states (Jachowicz et al.)
 - same w.f. used in MEC
 - MEC \Rightarrow 2p2h but also 1p1h
 - No Δ
 - MEC only accounts for a small fraction of the missing strength in the dip region

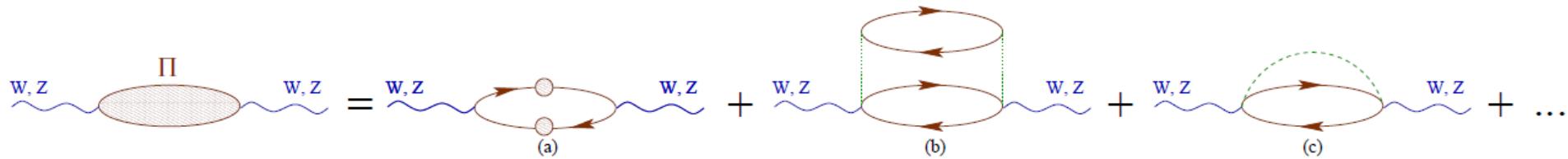
Two-nucleon currents



- Built in the spectral function of holes and particles (Benhar et al.)
- MEC are calculated using a two-nucleon spectral function in the initial state
- Interference between MEC and correlation amplitudes, given in terms of the overlap function between target ground state and (A-1) system

Polarization propagator

$$W_{(s,a)}^{\alpha\beta} = -\frac{1}{\pi} \operatorname{Im} \Pi_{(s,a)}^{\alpha\beta}$$

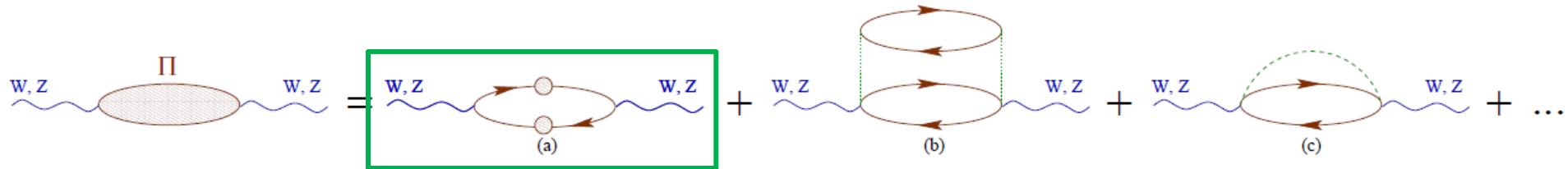


■ Cutkosky rules:

$$\operatorname{Im} \left[\text{Diagram with a loop} \right] = \text{Diagram with a cut} = \text{Final state}$$

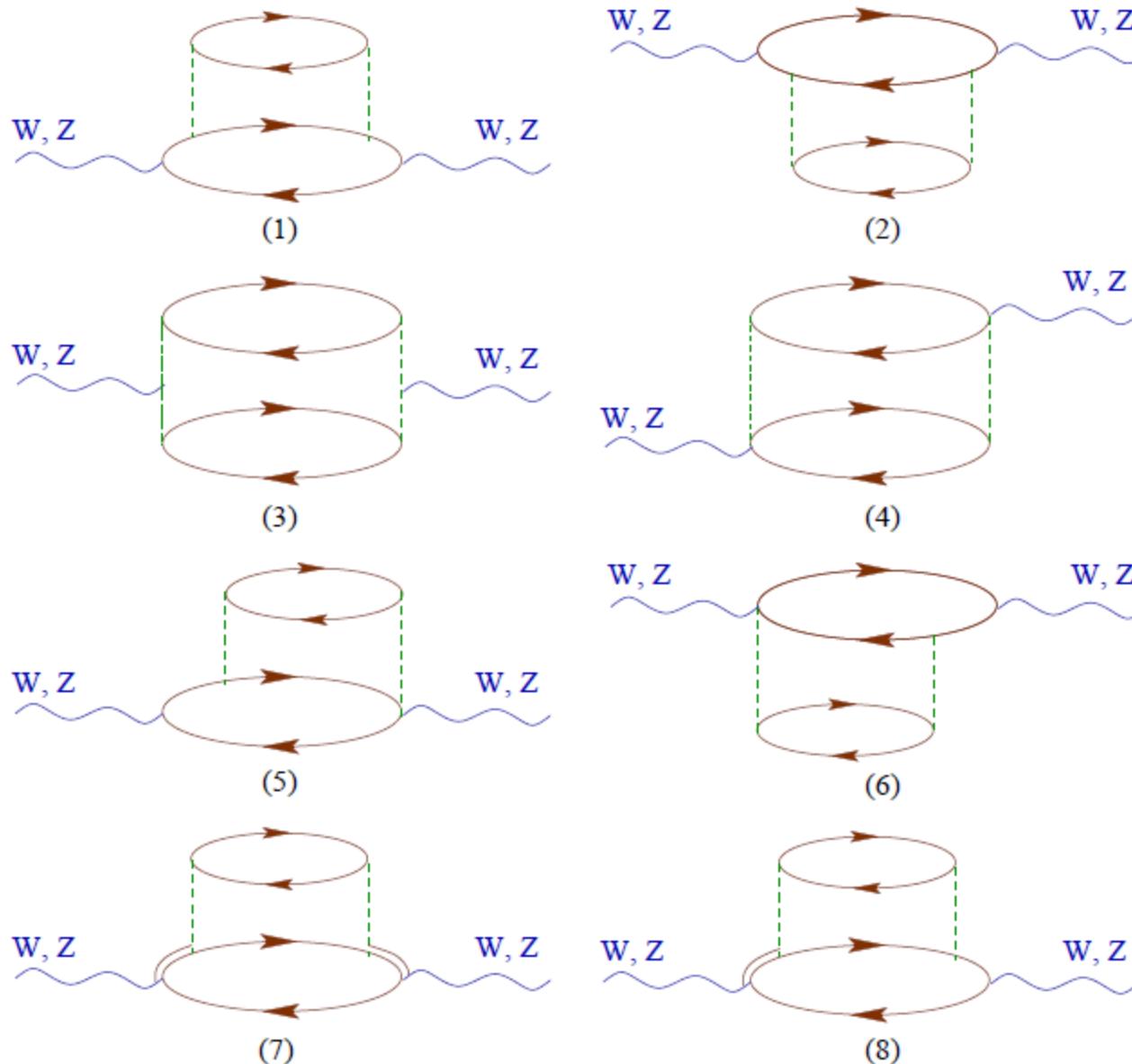
Polarization propagator

$$W_{(s,a)}^{\alpha\beta} = -\frac{1}{\pi} \operatorname{Im} \Pi_{(s,a)}^{\alpha\beta}$$



$$\operatorname{Im} \Pi_{(s,a)}^{\alpha\beta} = -2\pi^2 \int \frac{d^4 p}{(2\pi)^4} H_{(s,a)}^{\beta\alpha} \mathcal{A}_p(p+q) \mathcal{A}_h(p)$$

Polarization propagator

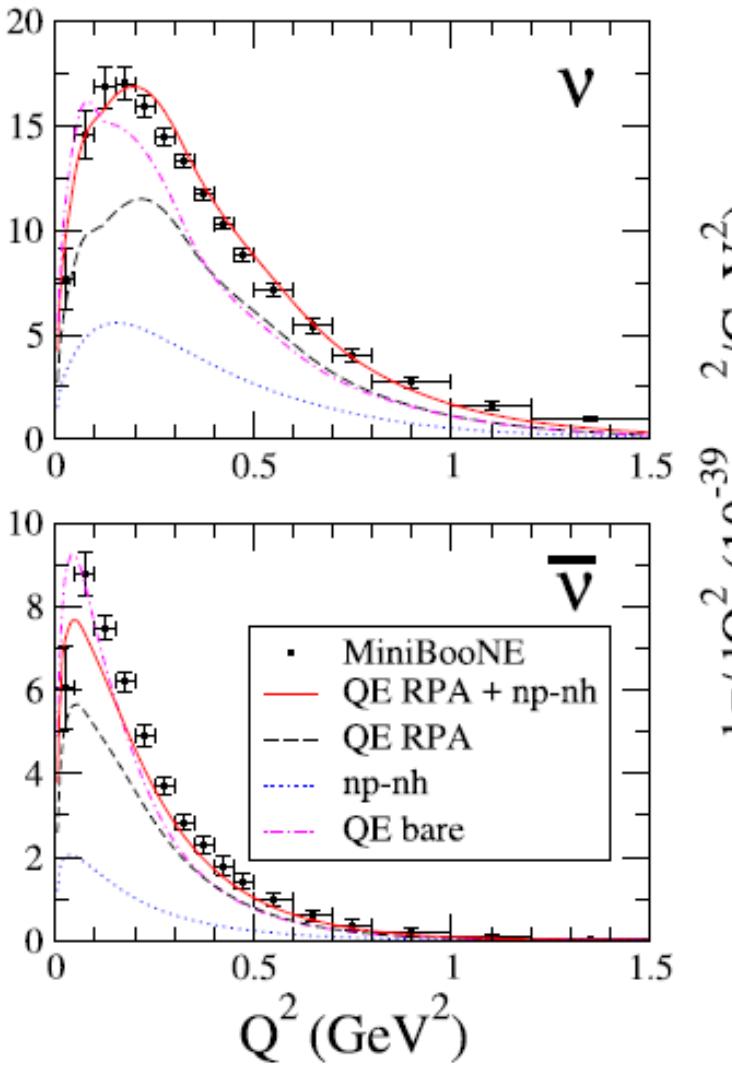


Two-nucleon currents

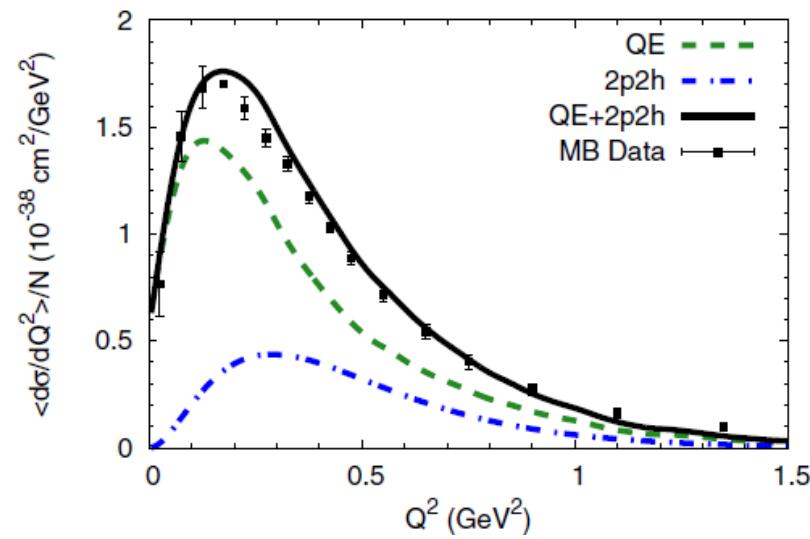
- Martini et al.
- Assumption: only transverse response $R_{\sigma\tau}(T)$
- $R_{\sigma\tau}(T)$ taken from an (e,e^-) calculation Alberico et al.

- GiBUU
- Assumption: only transverse interaction
- Structure function W_1 taken from Bosted, Mamyan, arXiv:1203.2262

Two-nucleon currents



Martini et al.



GiBUU

Outlook

- 2-nucleon EW currents exist.
- QE-like c.s. receives a sizable contribution from them
- Relevant for oscillation experiments
- Open issues:
 - model discrimination and tuning
 - extension to higher energy transfers
 - consistent implementation in MC generators