CCSN simulations with reduced nucleosynthesis networks

Gerard Navó

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GN+2023 ApJ 951 112

Simulations ingredients

- Hydrodynamics •
- Neutrino transport ٠
- Gravity •
- Pre-supernova model ٠
- Nuclear EOS •
- Composition at baryonic densities •
- Magnetic fields ٠
- Rotation •

- CCSN dynamics
 - Nucleosynthesis •
- simulations **Neutrinos**
 - Spectra, Light curves •
 - GW

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- Baryonic EOS
- Neutrino absorption
- Nuclear energy generation (\dot{E}_{nuc})

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- T > 5-6 GK: Nuclear Statistical equilibrium (NSE) → Given in EOS of dense matter
- T \lesssim 5-6 GK: No NSE \longrightarrow Reduced networks.



Aenus-Alcar

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Special relativistic (magneto-)hydrodynamics code, two-moment (M1) neutrino transport. (Just et al 2015, Obergaulinger & Aloy 2017) 10^{0} 100 10-2 [±] [™] ³⁻⁰01 • $T > T_{th} \longrightarrow$ Nuclear EOS + NSE T[GK]10 $T_{\rm th}$ • $T \leq T_{\text{th}} \longrightarrow$ Helmholz EOS + flashing scheme 10-8 (Rampp & Janka 02) 10^{9} 10^{11} 10^{13} 10^{15} 10^{5} 10^{7} $\rho \left[\text{g cm}^{-3} \right]$

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ReNet: RN16 and RN94



Reichert 2016

RN16

~ "approx19" (Weaver+1978)

RN94

- 94 evolved + 148 steady nuclei
- Main species synthesized in standard CCSN



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Most extended network in the nuclear chart ever employed





Models



- 20 M_{\odot} progenitor (Woosley & Heger 2007).
 - T > 5.8 GK (0.5 MeV)
 - SFHo (Steiner et al 2013)NSE
 - T \leq 5.8 GK (0.5 MeV)
 - I. 1D, no $\dot{E}_{\rm nuc}$: Flashing, NSE, RN16, RN94 II. 1D, $\dot{E}_{\rm nuc}$: RN16 and RN94
 - III. 2D, $\dot{E}_{\rm nuc}$: Flashing, RN16, RN94









Larger number of free nucleons \longrightarrow Larger ν energy deposition



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SFB_1245



 $E_{\rm muc}$ in progenitor accreting shells favors shock expansion (Bruenn+06, Nakamura+14)/

Impact on the dynamics (1D): \dot{E}_{nuc}





 $\dot{E}_{\rm nuc}$ significant below the shock \longrightarrow increases explosion energy ~ 15%





Impact in the dynamics (2D): 2D_RN94

 $\dot{E}_{\rm nuc}$ sustain low-Ye outflows from the PNS vicinity —> synthesis of heavier nuclei



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Impact on the composition (2D)





 2D_RN94E shows heavier nucleosynthesis than 2D_flsh

WinNet (Winteler+12, Reichert+23) post-processingWinNet for 2D_flsh trajectories



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Agreement between post-processing RN94 and Winnet

Reduced network post-processing
 WinNet (Winteler+12, Reichert+23) post-processing
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Impact on the composition (2D)





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Agreement between post-processing RN94 and Winnet

- Reduced network in simulation
- Reduced network post-processing
- WinNet (Winteler+12, Reichert+23) post-processing
- WinNet for 2D_flsh trajectories

 Post-processing underproduction w.r.t. in-situ: 44Ti, 46Ti, 48Ti, 48Cr, 50Cr, 52Cr, 54Fe, 56Fe



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Impact on the composition (2D): In situ vs Ex situ









Differences stem from the intrinsic characteristics of evolving the composition in situ or ex situ







Disadvantages ex situ networks

- Lagrangian tracer particles more uncertain to reproduce products of low density regions (Harris+17)
- Tracers lack of mixing

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 Numerical diffusion in eulerian grids leads to artificial mixing







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Disadvantages in situ networks

- Numerical diffusion in eulerian grids leads to artificial mixing
 - Increase resolution (much finer than feasible)
 - Modify advection scheme (Plewa & Müller 1999)



Summary



- Composition impacts amount of n,p \longrightarrow changes Q_{ν}^{LD} and modifies accretion
- Energy generation $\dot{E}_{\rm nuc}$:
 - i. In accretion layers: faster shock evolution
 - ii. Behind the shock: larger explosion energy
- \dot{E}_{nuc} on explosion dynamics affects final nucleosynthesis
- Nucleosynthesis uncertainties in situ vs ex situ



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Thanks for your attention!



