

Measurement of diffractive dissociative J/ψ production at ALICE

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ECT*, 24.08.2023



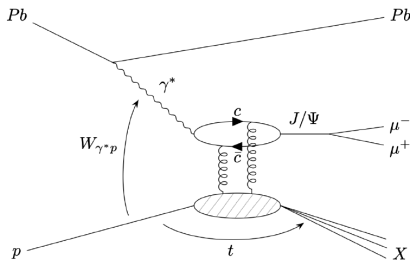
Gluodynamics



Outline

- ▶ Motivation
- ▶ pPb analysis: proof-of-principle for proton dissociation at the LHC
[arxiv:2304.12403](https://arxiv.org/abs/2304.12403), submitted to PRD
thesis by A. Glaenger for details [link](#)
- ▶ Discussion of limitations
- ▶ Perspectives, conclusions and questions

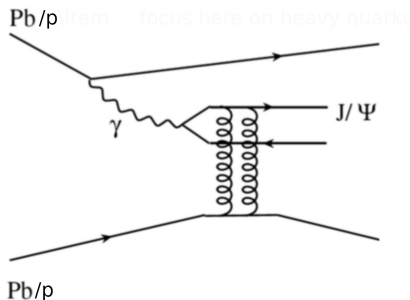
Motivation



- ▶ background for exclusive vector-meson production at the LHC measured by ALICE, CMS, LHCb, see presentation by Ronan
- ▶ similar size of exclusive and dissociative cross section at HERA, see e.g. H1 EPJC 73 (2013) 6, 2466
- ▶ Why should we be interested in dissociation?

Focus on heavy quarkonium: hard scale via produced mass; focus on $\gamma(^*)p$, also results on $\gamma^*Pb \rightarrow J/\psi X$

Ronan's talk: exclusive vector meson production in ultra-peripheral collisions



- ▶ sensitive to generalised gluon distributions (GPD) for $x \in 10^{-2} - 10^{-6}$
- ▶ measurements for protons and nuclei
- ▶ exclusive photoproduction at small $t \approx$ interaction with full wavepackage of target hadron
→ coherent interaction

Coherent production: measuring the 'average' size

$$\text{coherent} : \frac{d\sigma^{\gamma^* p \rightarrow p J/\psi}}{dt} = \frac{1}{16\pi} |\langle \mathcal{A}^{\gamma^* p \rightarrow p J/\psi} \rangle|^2$$

p: proton (also valid for nuclei), J/ψ could be any vector, e.g. in H. Mäntisaary [Rep. Prog. Phys. 83 \(2020\)](#).

- ▶ Good-Walker formalism [PRD 120 \(1960\)](#)
- ▶ average over interactions of states that make up the incoming particle and diagonalise the interaction matrix
- ▶ high energy: Fock states of the incoming virtual photon with frozen number of partons and frozen configuration of the target
→ relates to the fact that GPDs are single-particle distributions, see discussion in [Z. Panjsheeri, Luiti group](#)

Incoherent production: measure fluctuations

incoherent case: incoming ($|i\rangle$) and outgoing state ($|f\rangle$) different

$$\begin{aligned} \text{use : } \sum_{f \neq i} |\langle f|A|i\rangle|^2 &= \sum_f \langle i|A^*|f\rangle \langle f|A|i\rangle - \langle i|A|i\rangle \langle i|A^*|i\rangle \\ &= \langle i|A^*A|i\rangle - |\langle i|A|i\rangle|^2 \end{aligned}$$

average over i :

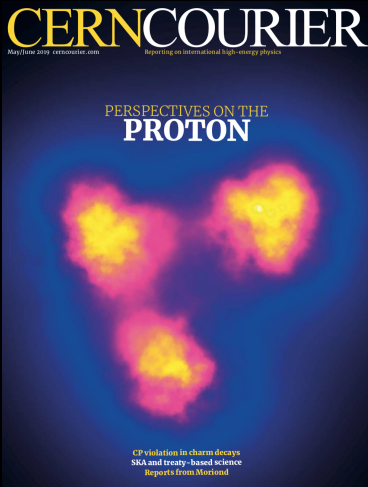
$$\frac{d\sigma^{\gamma^* p \rightarrow p^* J/\psi}}{dt} = \frac{1}{16\pi} \left(\langle |\mathcal{A}^{\gamma^* p \rightarrow p^* J/\psi}|^2 \rangle - |\langle \mathcal{A}^{\gamma^* p \rightarrow p^* J/\psi} \rangle|^2 \right)$$

p : proton (also valid for nuclei), p^* proton excited, J/ψ could be any vector, recent review in H. Mäntisaari [Rep. Prog. Phys. 83 \(2020\)](#), so-called 'Good-Walker' formalism, also in Frankfurt, Strikman, Treleani, Weiss [PRL 101 \(2008\) 202003](#).

→ incoherent: variance $\langle x^2 \rangle - \langle x \rangle^2$, not average $\langle x \rangle^2$

- ▶ γp : dissociative production → fluctuations of the proton
- ▶ HERA data does not reach full kinematics accessible at the LHC due to higher energies
→ measure at the LHC!

A QGP motivation to constrain hadrons beyond the average with dissociation



- ▶ shape fluctuations crucial to understand azimuthal anisotropies

Initial state shape and hydrodynamic response

- The single-particle distribution is essentially independent of rapidity η but depends on azimuthal angle, φ in each event
- Fourier decomposition : $f(\varphi) = \sum_n V_n e^{-in\varphi}$
- $v_n = |V_n| = \text{anisotropic flow}$ fluctuates event to event



Initial transverse density profile



Expansion



Final distribution

Elliptic flow v_2



Triangular flow v_3

In hydrodynamics, anisotropic flow is a response to the anisotropy of the initial density profile.

taken from from J.-Y. Olltrault's talk at Epiphany conference '19

- ▶ transverse collision-zone **geometry in coordinate space:**
azimuthal particle **correlations in final state in momentum space**
- ▶ hydrodynamic properties (viscosities) measured as response of this shape
- ▶ constraining shape: central to QGP physics
→ mechanism exploited to constrain nuclear structure, see [thesis of G. Giuliano](#)

Proton 'geometry' in proton-nucleus collisions

Initial transverse density profile



Expansion



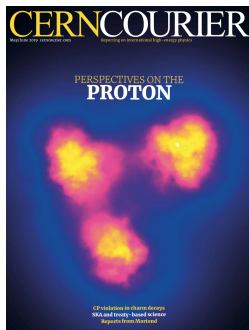
**YES, also in pPb...
and probably in pp as well**



Final distribution

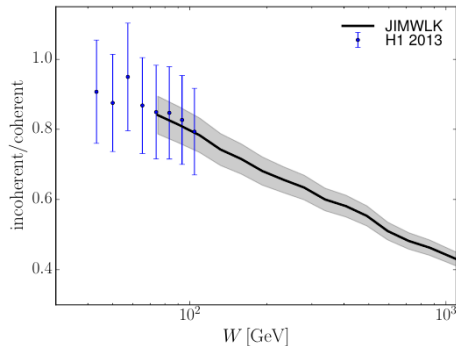
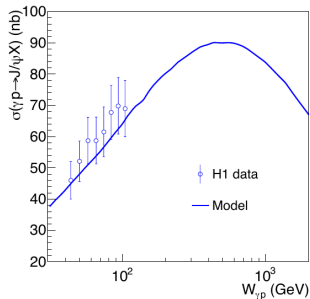
Elliptic flow v_2

Triangular flow v_3



- ▶ geometry response observed in proton-nucleus collisions
Zaij, Nagle [Ann.Rev.Nucl.Part.Sci. 68 \(2018\) 211](#)
- ▶ require sub-nucleonic geometry fluctuations with $n > 1$ hot-spots
→ "the proton snapshot with multi-parton interactions is not round"
e.g. discussed in [PLB 774 \(2017\)](#) [PLB 772 \(2017\)](#)
- ▶ Side remark (or naïve dreaming?): if theory connection, hadron correlation measurements may be used to learn about hadron fluctuations, not only nuclear structure
→ double-GPDs or double-PDFs distributions the best way?

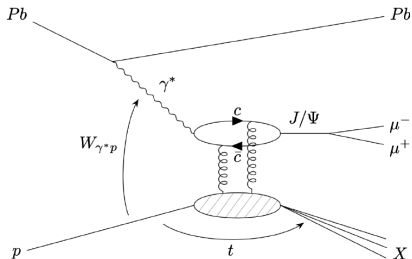
Saturation physics motivation



Left: Cepila, Contreras, Takaki [PLB766 \(2017\) 186](#), right: Schenke, Mäntisaary [PRD 98 \(2018\) 3, 034013](#)

- ▶ at asymptotically large energies: system becomes black disk
→ fluctuations vanish and hence dissociative production
- ▶ seen in model calculations

Measurement in pPb collisions



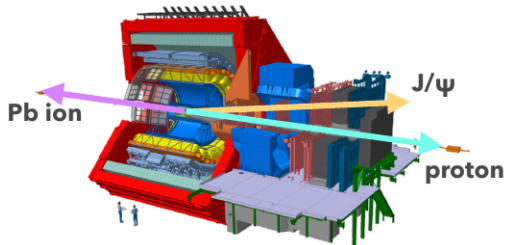
- ▶ 6.5 TeV proton-beam, $6.5 \cdot Z^{Pb} (= 82)$ TeV lead beam
- ▶ only J/ψ measurement in spectrometer with momentum information
- ▶ $W_{\gamma^*p} = 2E_p M_{J/\psi} e^{-y}$, y rapidity of J/ψ w.r.t. proton beam
- ▶ $t \approx -p_{T,jpsi}^2$, (photon- $k_T \approx 1/R_{Pb}$) \rightarrow t hence in principle accessible, however, muon-arm resolution modest
 \rightarrow measurement not differential in t
see PbPb t -differential measurements by ALICE at midrapidity, <http://arxiv.org/abs/2305.06169>(incoherent), PLB 817 (2021) 136280(coherent)
- ▶ pPb luminosity: 7.62 nb^{-1}

pPb Kinematics in ALICE

- ▶ The J/ψ goes in the direction of the proton, $y > 0$:

$$27 \text{ GeV} < W_{\gamma^* p} < 58 \text{ GeV}$$

$$5 \times 10^{-3} < x < 2 \times 10^{-2}$$



Courtesy by A. Glaenger

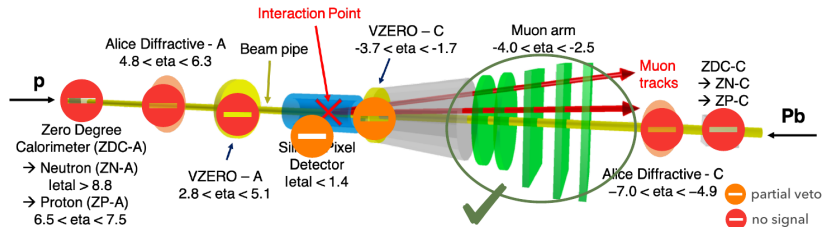
Analysis strategy

- ▶ standard selection and methods for muon analyses in ALICE and UPC

- ▶ new:
 - exclusive selection to fix exclusive contribution shape
 - more open selection including dissociative and exclusive to do fit
 - 2-D loglikelihood fit of mass and p_T to extract signals

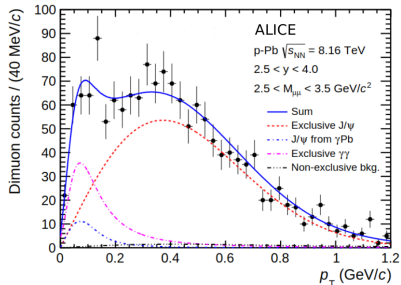
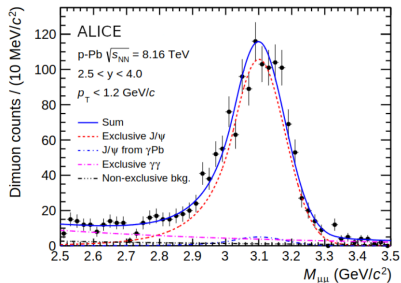
- ▶ analysis of $\gamma\gamma \rightarrow \mu^+\mu^-$ as test of QED part & photon fluxes as bonus (not covered here), ingredient for TCS feasibility

Key aspect: exclusive selection vetos



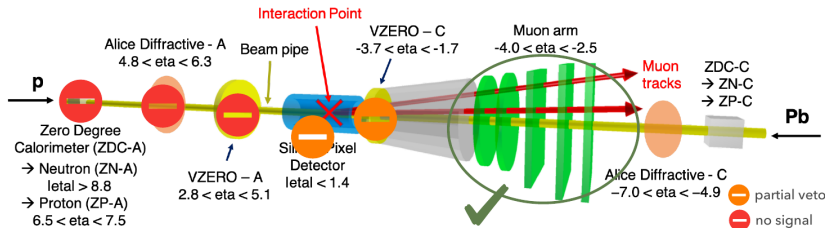
- ▶ selection used to derive p_T distribution of exclusive production
- ▶ also used as cross check

Exclusive selection



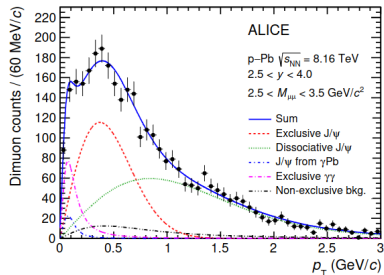
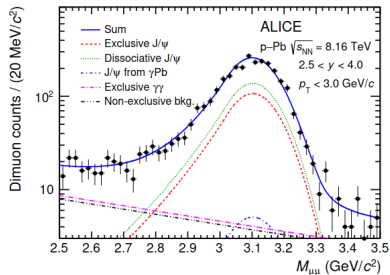
- ▶ tight selection used for exclusive shape determination

Key aspect: exclusive selection vetos



- ▶ selection used for cross section determination
- ▶ verified via RapGap simulation that V0C vetoes do not introduce inefficiency for dissociative process
- ▶ largest systematic uncertainties for dissociative: V0C veto & exclusive shape

Analysis key aspect: signal extraction



- ▶ Exclusive: shape fixed with pure exclusive sample
- ▶ Dissociative J/ψ parameterisation following H1
- ▶ γ -Pb production fixed from PbPb measurement

From UPC cross section to photoproduction cross section

$$\frac{d\sigma}{dy}(\text{p} + \text{Pb} \rightarrow \text{p}^{(*)} + \text{Pb} + \text{J}/\psi) = k \frac{dn}{dk} \sigma(\gamma + \text{p} \rightarrow \text{J}/\psi + \text{p}^{(*)}).$$

Rapidity range	$N_{\text{J}/\psi}^{\text{exc}},$ $N_{\text{J}/\psi}^{\text{diss}}$	$d\sigma_{\text{J}/\psi}^{\text{exc}}/dy,$ $d\sigma_{\text{J}/\psi}^{\text{diss}}/dy$ (μb)	kdn/dk	$W_{\gamma\text{p}}$ (GeV)	$\langle W_{\gamma\text{p}} \rangle$ (GeV)	$\sigma(\gamma + \text{p} \rightarrow \text{J}/\psi + \text{p})$ (nb), $\sigma(\gamma + \text{p} \rightarrow \text{J}/\psi + \text{p}^{(*)})$ (nb)
(2.5, 4)	1180 ± 84	$8.13 \pm 0.58 \pm 0.43$	209 ± 4	(27, 57)	39.9	$39.0 \pm 2.8 \pm 2.2$
	1515 ± 83	$10.43 \pm 0.57 \pm 1.39$				$50.0 \pm 2.7 \pm 6.7$
(3.25, 4)	564 ± 53	$7.16 \pm 0.67 \pm 0.48$	220 ± 4	(27, 39)	32.8	$32.51 \pm 3.0 \pm 2.3$
	733 ± 52	$9.31 \pm 0.66 \pm 1.28$				$42.3 \pm 3.0 \pm 5.9$
(2.5, 3.25)	629 ± 54	$9.21 \pm 0.80 \pm 0.51$	197 ± 4	(39, 57)	47.7	$46.8 \pm 4.1 \pm 2.8$
	768 ± 55	$11.26 \pm 0.80 \pm 1.53$				$57.2 \pm 4.1 \pm 7.8$

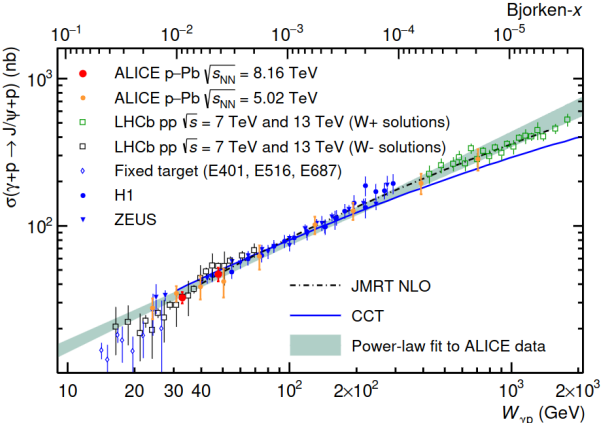
- ▶ to get from measured cross section to photoproduction, need photon-flux from Pb nucleus as input
- ▶ extracted from Starlight event generator

Uncertainties

Signal	Source	Mass range (GeV/c ²)	Value (%)
All	Luminosity		1.8%
	Tracking efficiency		1%
	Matching efficiency		1%
	Pile-up correction		0.2%
	Total common		2.3%
$\gamma\gamma$ only	Muon trigger efficiency	(1.0, 1.5)	from 2.1% to 3.4%
		(1.5, 2.0)	from 2.5% to 5.0%
		(2.0, 2.5)	from 1.6% to 3.3%
	$\phi \rightarrow \mu^+\mu^-$ contamination	(1.0, 1.5)	1.5%
	V0C veto	(1.0, 1.5)	1.2%
		(1.5, 2.0)	1.7%
		(2.0, 2.5)	0.5%
	Signal extraction	(1.0, 1.5)	from 3.2% to 3.9%
		(1.5, 2.0)	from 3.3% to 4.4%
		(2.0, 2.5)	from 4.9% to 7.6%
Total	(1.0, 1.5)	from 4.9% to 6.0%	
	(1.5, 2.0)	from 5.5% to 7.1%	
	(2.0, 2.5)	from 6.0% to 8.6%	
J/ ψ only	Muon trigger efficiency		1.1%
	Branching ratio		0.55%
	Photon flux		2%
	$\delta(1 + f_D)$		1.1%
	V0C veto		2.6% (excl.), 12.7% (diss.)
	Signal extraction	(2.5, 3.5)	from 3.6% to 5.5% (excl.),
			from 2.9% to 4.4% (diss.)
	Total		from 5.6% to 7.0% (excl.),
		from 13.5% to 13.9% (diss.)	
$\frac{\sigma^{\text{diss}}}{\sigma^{\text{exc}}}$	V0C veto		12.7%
	Signal extraction		from 6.2% to 7.6%
	Total		from 14.1% to 14.8%

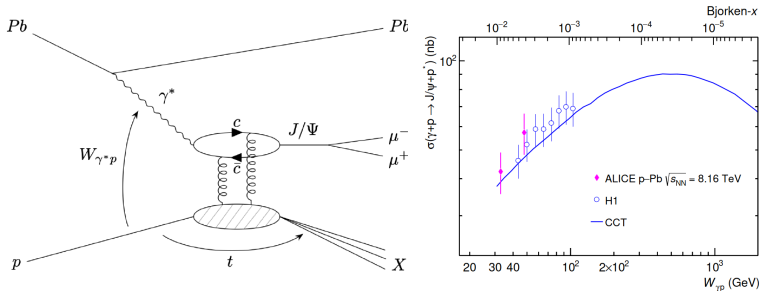
exclusive production still statistically limited, dissociative systematically limited

Exclusive analysis results



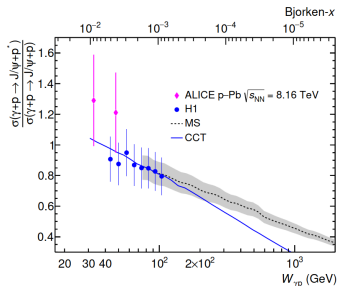
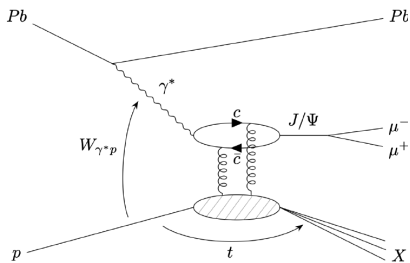
► results of this analysis well in line with previous results

Dissociative results compared with H1 results and models



► measured dissociative production in $\gamma - p \rightarrow$ consistent with H1

Dissociative results compared with H1 results and models



- ▶ next steps:
 - future data sets up to $W_{\gamma p} \approx 1.5$ TeV at the LHC
 - transverse momentum dependence ($p_t^2 \approx -|t|$)
- ▶ input for hydrodynamic QGP simulations
- ▶ future studies parallel to electron-ion-collider at higher energy

Limitations

- ▶ not yet ultimate pPb LHC luminosity, see HL-LHC Yellow Report for discussion and projections [CERN Yellow Rep.Monogr. 7 \(2019\) 1159](#)
 - need to push for pPb run with high luminosity, many other topics to cover in this data set
- ▶ Main limitation: incomplete reconstruction of final state
 - limits accessible t -range, measure only where S/B is sufficiently good for given process & available selections
 - control of veto efficiency limiting systematic uncertainty
 - not capable to reconstruct dissociative system
- ▶ improvement without new instrumentation for better quantification of uncertainties: better MC-generators
 - HERA data very good benchmark
 - UPCs can profit from EIC developments with minor additional effort

Perspectives

- ▶ Dream for LHC :
roman pots for diffractive masses between 3 and 30 GeV
→ at the LHC not available for this mass-range (beam particle inelasticity and p_t in ATLAS/CMS for BSM)
Zero-degree-calorimeters for low- x high-resolution LHCb would be already a great gain
- ▶ Electron-ion-collider: → good forward instrumentation central, see talks by Alex Jentsch

Conclusions

- ▶ Dissociative quarkonium photoproduction interesting:
 - fluctuations of hadrons with connection to QGP physics
 - saturation physics
- ▶ LHC: higher energy as HERA & EIC, experimentally less clean
- ▶ first measurement at the LHC compatible with HERA results with good precision
- ▶ interesting future measurements at the LHC:
 - higher energy data points
 - t-dependence as in PbPb
- ▶ better event class/observable definition/conception & simulations:
 - reduce uncertainties in future & go further in experiment/theory exchange

Questions for discussion

- ▶ Can the relation between dissociation and fluctuations be formalised in a way that it can be carried over to hadron-hadron collisions without reference to a model ansatz, i.e. at operator level?
→ via GPD formalism or other means? What are the limits of applicability/uncertainties of this connection?
- ▶ What do we learn from the dissociative system in this kinematic regime with fully reconstructed final state?
- ▶ In principle, the concepts carry over to nuclear collisions, very interesting for QGP physics & saturation
→ however: what do we treat nuclear excitation & coherence in inelastic collisions?
see questions posed by Spencer Klein on caveats/problems [arXiv:2301.01408](https://arxiv.org/abs/2301.01408)
- ▶ What do we know about the quarkonium wave function that can also fluctuate and may not be very 'small' w.r.t. the target, see Demirci, Lappi, Schlichting [PRD 106 \(2022\) 7, 074025](https://arxiv.org/abs/2207.07402)?