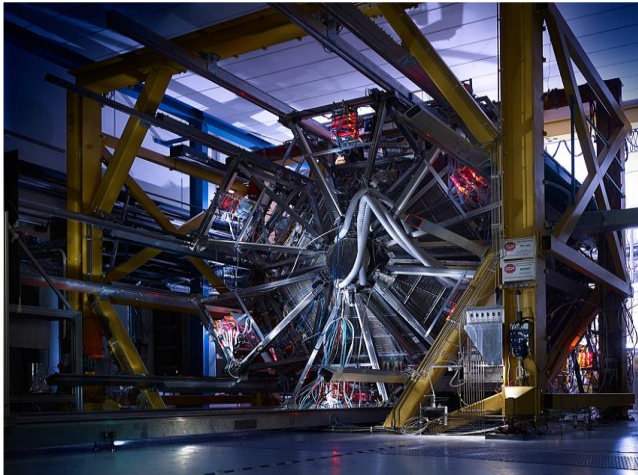


# Studies of baryon timelike transition Form-Factors in QCD matter with dileptons

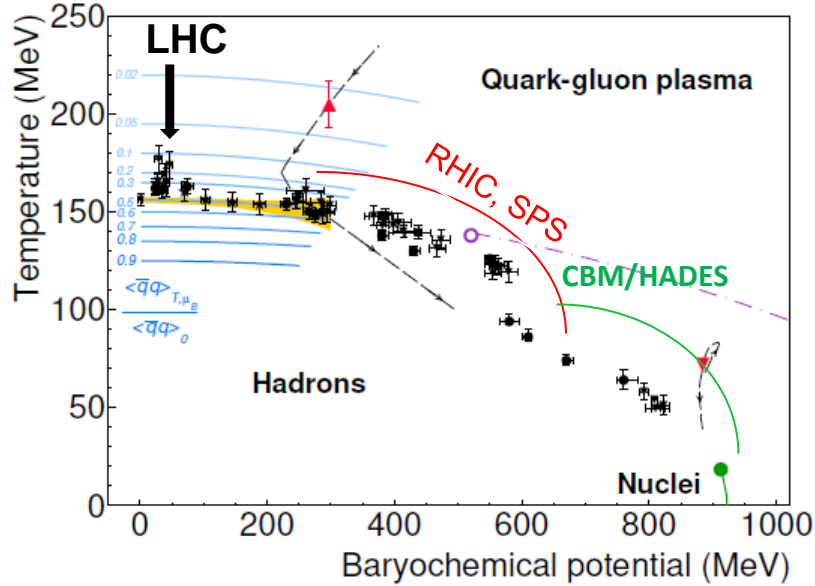
- ✓ Motivations( emissivity of QCD matter -> Low mass dileptons,  $\rho$  in-medium spectral function → timelike baryon em. transitions)
- ✓ Measurements of baryon electromagnetic transitions in NN and  $\pi$ N reactions in HADES
- ✓ Summary & Outlook



P. Salabura  
M. Smoluchowski Institute of Physics  
Jagiellonian University, Kraków  
Poland

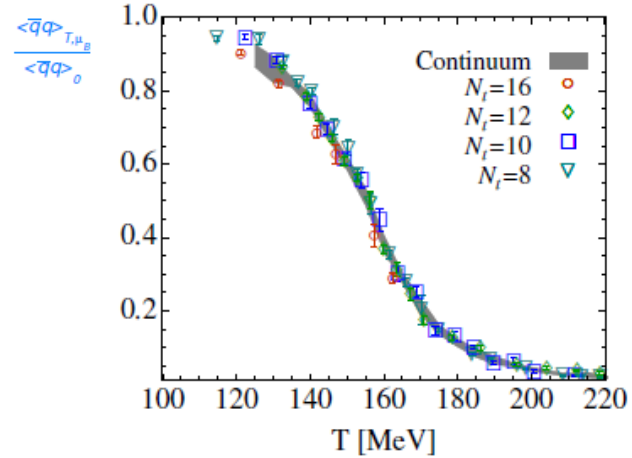
# QCD phase diagram and chiral symmetry restoration

HADES Nature Physics (2019) 1040



Lattice QCD S. Borsnyi JHEP 73 '2010

Order par.: Chiral symmetry restoration  $T \cong 155 \text{ MeV}, \mu_B = 0$

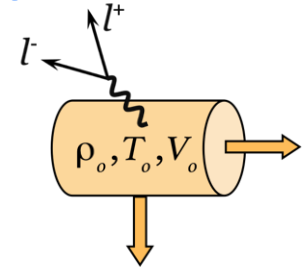


- ❑ at vanishing  $\mu_B$  QGP-hadron gas transition associated with chiral symmetry restoration ( $\chi SR$ )
- ❑ no first principle QCD calculations available for large  $\mu_B$
- ❑ Dileptons are excellent probe to study QCD matter properties:  
access to early phase (T, flow) and are promising observable for  $\chi SR$

# Emissivity of QCD matter with dilepton probe

$$\frac{dN_{ll}}{d^4q d^4x} = -\frac{\alpha_{em}^2}{\pi^3} \frac{L(M^2)}{M^2} f^{BE}(q_0, T) \text{Im}\Pi_{em}(M, q, T, \mu_B)$$

McLerran - Toimela formula, Phys. Rev. D 31 (1985) 545



Not disturbed by finite state interactions ! But needs integration over volume and time !

$\Pi_{em}$  em. current-current correlator :  $q^2 < 1 \text{ GeV}$  - *in-medium VM ( $\rho$ ) spectral functions-*

*Vector Meson Dominance*

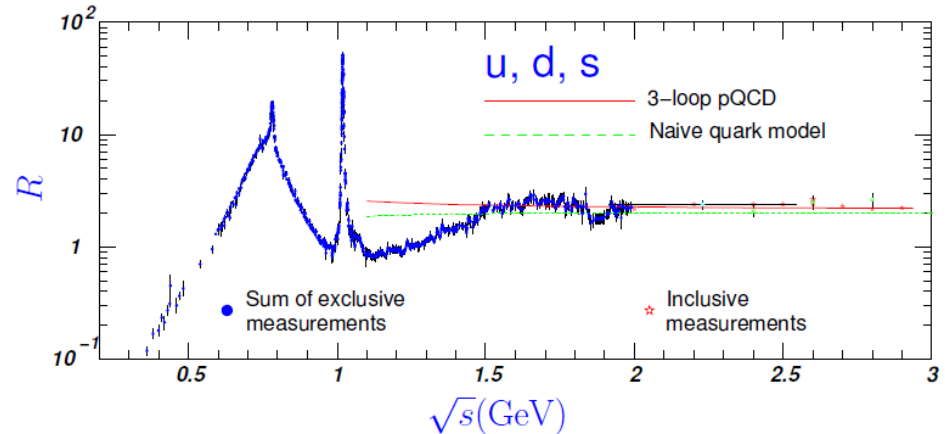
$$\text{Im}\Pi_{em}^{\text{had.}} = \sum_{V=\rho,\omega,\phi} \left(\frac{m_V^2}{g_V}\right)^2 \text{Im}D_V(M).$$

$$R_{\text{had.}} = \frac{\sigma(e^+e^- \rightarrow \text{hadrons})}{\sigma(e^+e^- \rightarrow \mu^+\mu^-)} \propto \frac{1}{M^2} \text{Im}\Pi^{em}$$

LM dilepton yield in HIC is dominated by  $\rho$  in-medium propagator

$q^2 > 1.5 \text{ GeV}$  *qq radiation pQCD (flat)*

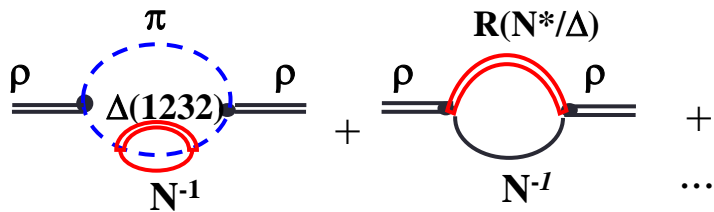
Thermal distribution  $f^{BE}(T)$  - *thermometer*



# In medium $\rho$ spectral function

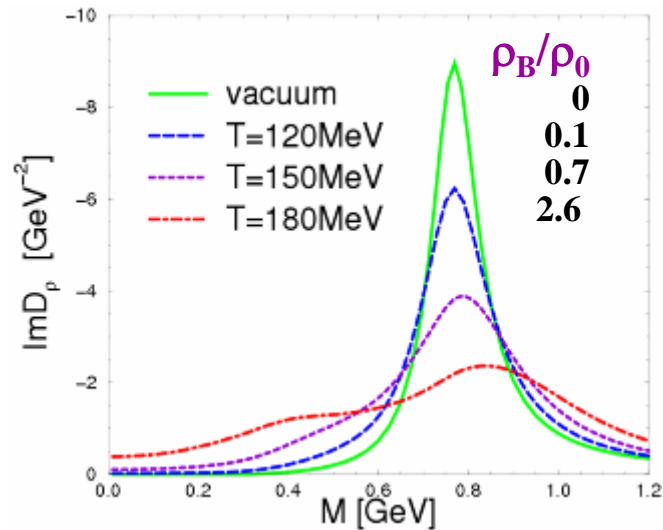
$$D_\rho(M, q, T, \mu_B) = \frac{1}{\left[ M^2 - m_\rho^2 - \Sigma_{\rho\pi\pi} - \Sigma_{\rho B} - \Sigma_{\rho M} \right]}$$

In Medium  $\text{Im } \Sigma_\rho$ :



*dominant role of  $\rho$  - R couplings*

Rapp, Wambach, Adv. Nucl. Phys. A25 (2000)1



@ SPS  
full energy

# $\rho$ -meson : connection to $\chi$ SR

## QCD sum rules

[Weinberg '67, Das et al '67]

[Hatsuda+Lee '91,  
Asakawa+Ko '93,  
Leupold et al '98, ...]

$$\frac{1}{M^2} \int_0^\infty ds \frac{\rho_V(s)}{s} e^{-s/M^2} = \frac{1}{8\pi^2} \left( 1 + \frac{\alpha_s}{\pi} \right) + \frac{m_q \langle \bar{q}q \rangle}{M^4} + \frac{1}{24M^4} \langle \frac{\alpha_s}{\pi} G_{\mu\nu}^2 \rangle - \frac{56\pi\alpha_s}{81M^6} \langle O_4 \rangle \dots$$

## Weinberg Sum rules

$$\int ds \frac{1}{s} (\rho_V - \rho_A) = f_\pi^2$$

$$\int ds (\rho_V - \rho_A) = -m_q \langle \bar{q}q \rangle$$

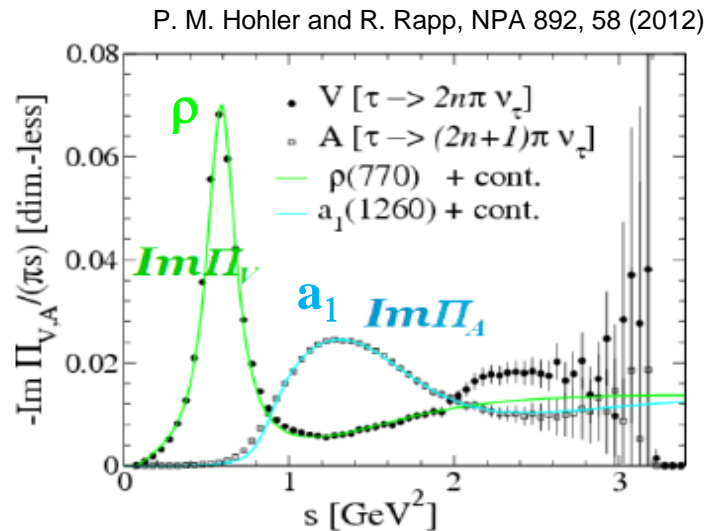
$$\int ds s (\rho_V - \rho_A) = c \alpha_s \langle (\bar{q}q)^2 \rangle^{SB}$$

[Weinberg '67, Das et al '67; Kapusta+Shuryak '94]

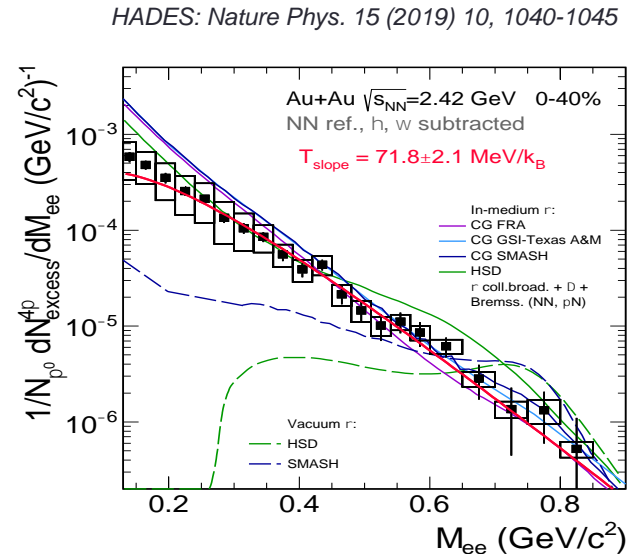
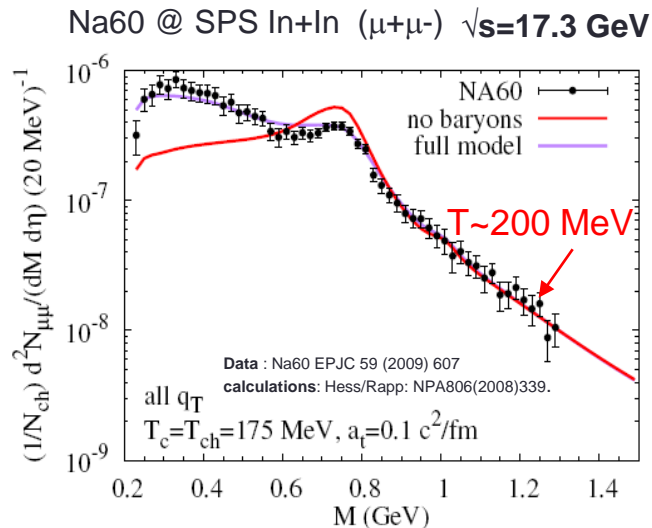
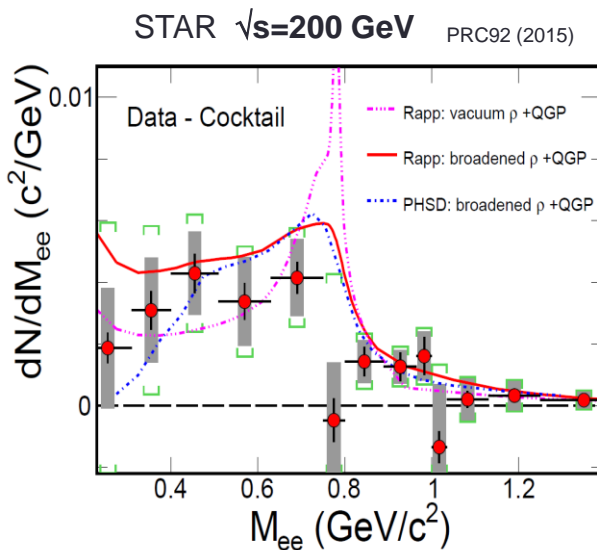
- in vacuum  $\rho$ - $a_1$  mass splitting

due to  $\chi$ S breaking ( $\sim f_\pi, \langle \bar{q}q \rangle, \dots$ )

- $\chi$ SR – both spectra functions overlap at  $T_c$  – demonstrated by Hohler&Rapp PLBB731(2014)



# Dilepton thermal rates from HIC from SIS18 to RHIC



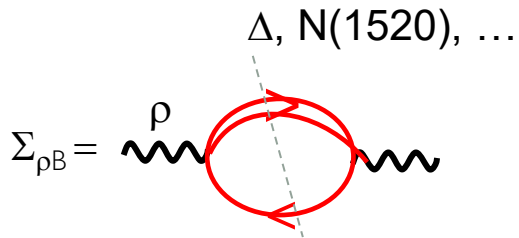
Successful description of excess yield over large energy region by thermal radiation from in-medium  $\rho$  with significant broadening

..at LHC we still awaiting precision measurements : ALICE in Run4 and ALICE3 optimized for low mass dileptons !

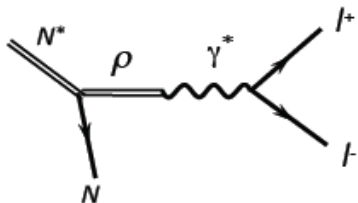
NA60:  $T \sim 200$  MeV -  $\langle T \rangle$  of the early phase, HADES  $T \sim 70$  MeV „hot baryonic matter”

next step search for  $\rho/a_1$  mixing ALICE3, NA60+, CBM ..

# In medium $\rho$ -B interactions—connection to Baryon Dalitz Decay



$$h = N^{-1}$$



Baryon Dalitz decays  $\rightarrow$  em. Transition  
Form Factors

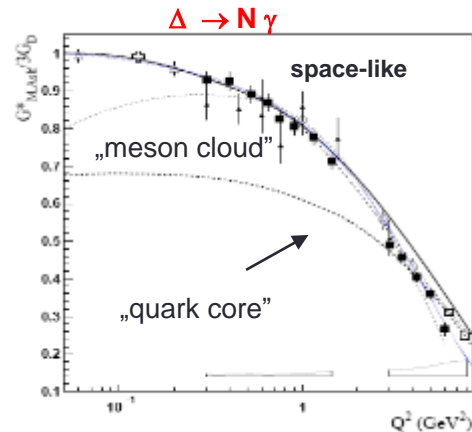
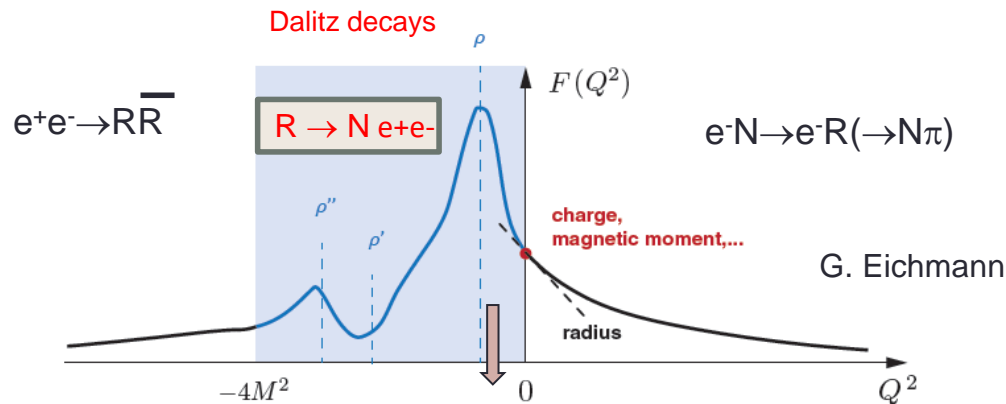
## Baryonic loops

- sensitive to  $\rho N N^*/\Delta$  couplings (BR  $N/\Delta \rightarrow N\rho$ )
- related to **baryon Dalitz Decay decays  $\Delta/N^* \rightarrow Ne^+e^-$**

Important microscopic input to hadronic models  
so far constraint in model calculations was provided by  
photo-absorption on nucleon, BR ( $R \rightarrow N\rho$ ), BR ( $R \rightarrow N\gamma$ )

Measure Dalitz decays NN and  $\pi N$  collisions !  $\rightarrow$   
dedicated HADES hadron physics programme

# Baryon electromagnetic transitions



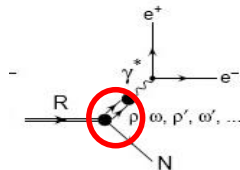
- Dalitz decays : em. **Transition Form Factors (timelike)** (complementary to spacelike region)

$$\frac{d\Gamma(\Delta \rightarrow N e^+ e^-)}{dq^2} = f(m_\Delta, q^2) \left( |G_M^2(q^2)| + 3|G_E^2(q^2)| + \frac{q^2}{2m_\Delta^2} |G_C^2(q^2)| \right)$$

„QED”

Transition of point-like baryon

**Effective Transition Form-Factor**



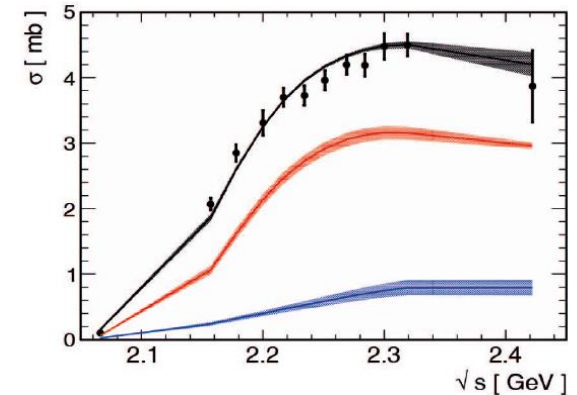
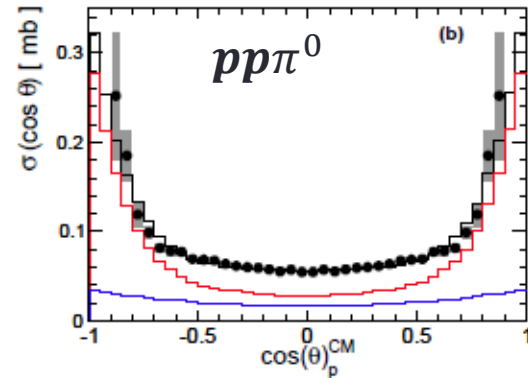
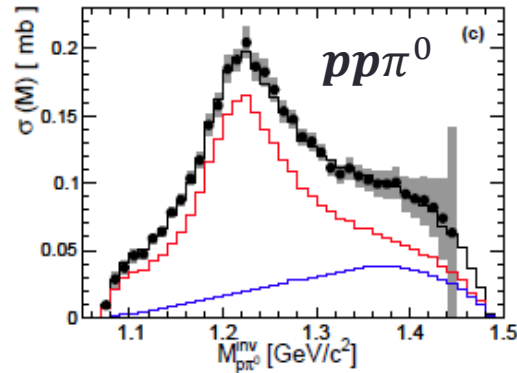
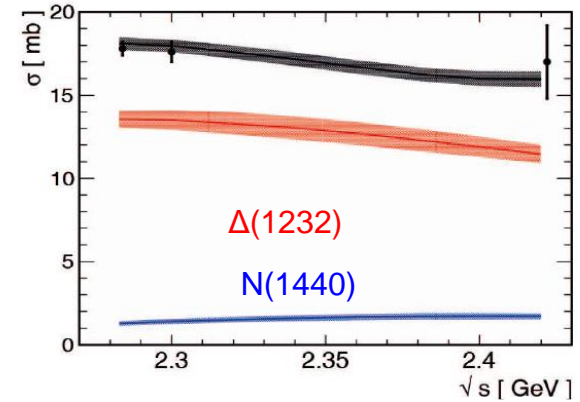
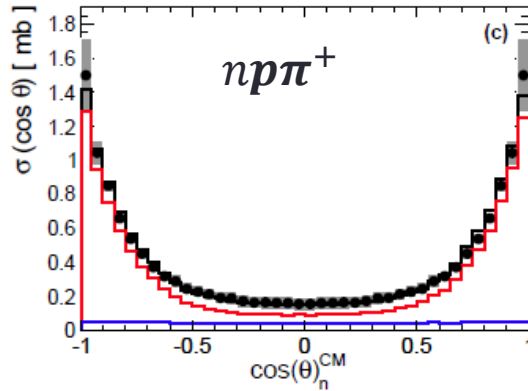
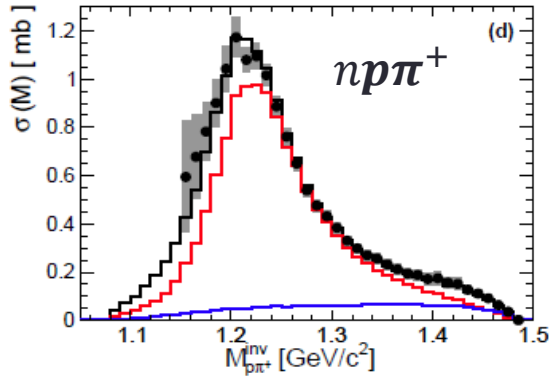
models (timelike baryon transitions):

M. I. Krivoruchenko, et. al. An. Phys. 296, 299 (2002)  
 Q. Wan and F. Iachello, Int. J. Mod. Phys. A 20 (2005) 1846.  
 G. Ramalho and M.T. Peña, PRD 80 (2009) 013008  
 T. Pena and G. Ramalho, Phys.Rev. D85 (2012) 113014  
 M. Zetenyi, Gy. Wolf, Heavy Ion Phys. 17, 27 (2003).

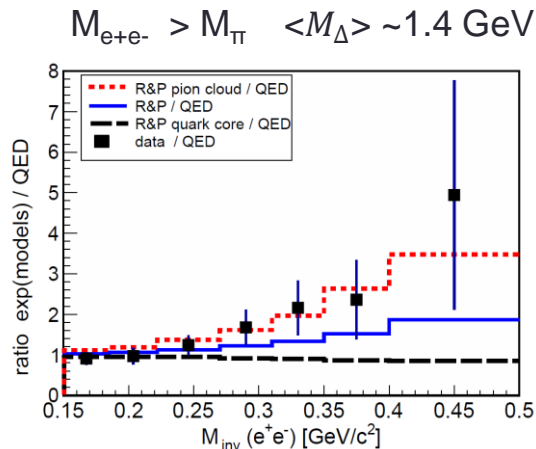
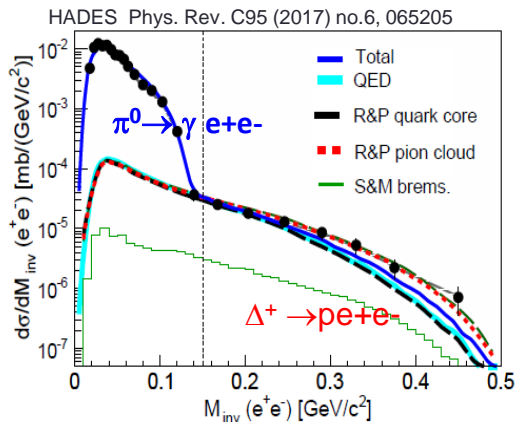


13 PNPI + 2 HADES data sets

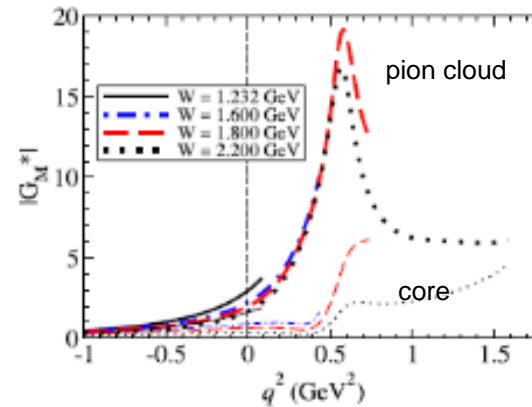
Bn-Ga PWA solutions: resonances:  $\Delta(1232)$  and  $N(1440)$



# pp → p(Δ → pe<sup>+</sup>e<sup>-</sup>) Δ Dalitz decay



T. Pena and G. Ramalho, Phys.Rev. D85 (2012) 113014

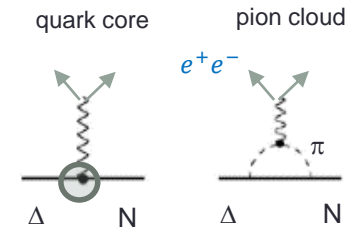


BR (Δ → pe<sup>+</sup>e<sup>-</sup>) =  $4.19 \cdot 10^{-5} \pm 0.62 \text{ (sys)} \pm 0.32 \text{ (stat)}$

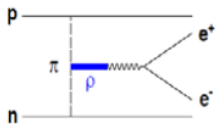
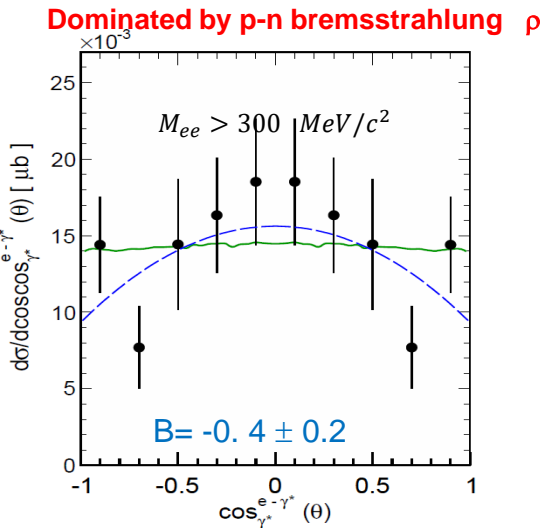
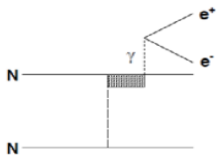
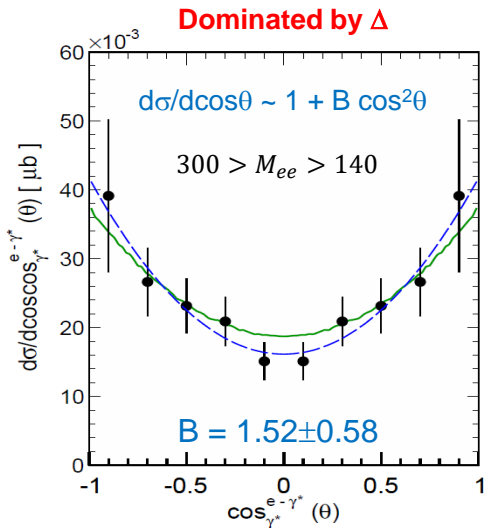
(First measurement ! : PDG entry)

Good agreement with 2 component model of TFF Ramalho & Pehna (R&P) -> Slight rise v.s Mass due to VM(ρ) - pion cloud effect

Lepton angular distributions confirm dominance of  $G_M$  (transverse polarized  $\gamma^*$  -> B=1)



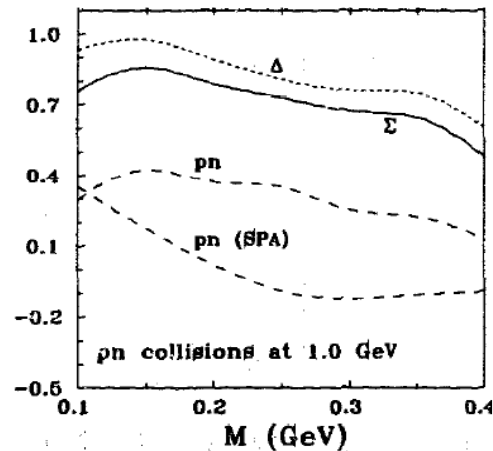
# p-n data: $\gamma^*$ polarization : e distributions in (helicity) frame



**B**

OBE calculations

E. L. Bratkovskaya, et. al PLB 348, 325 (1995).

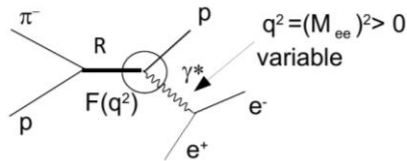
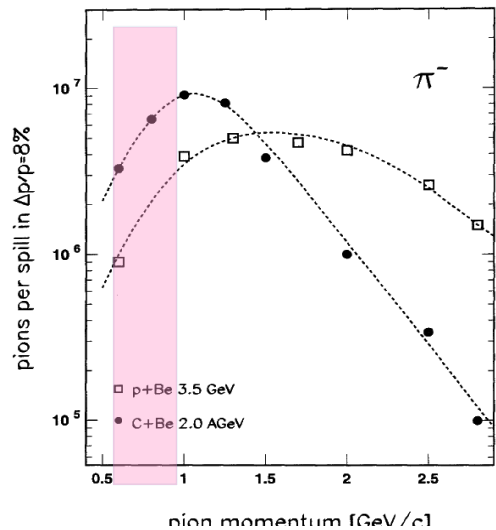
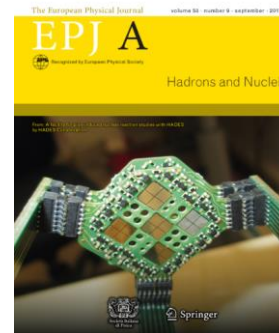


□  $B \approx 1$  expected for  $\Delta \rightarrow pe + e^-$  dominance of  $G_M$  and transverse polarized photons

□ change of angular distribution  
 □  $B \approx 0$  expected for p-n bremsstrahlung (see right for OBE),  $B \approx -1$  for  $\rho$  dominance

# Pion Beam @ GSI

*Eur. Phys. J. A (2017) 53: 188*

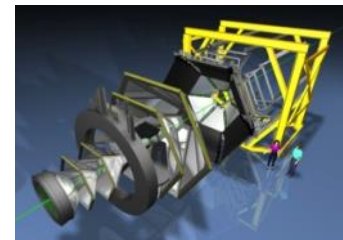
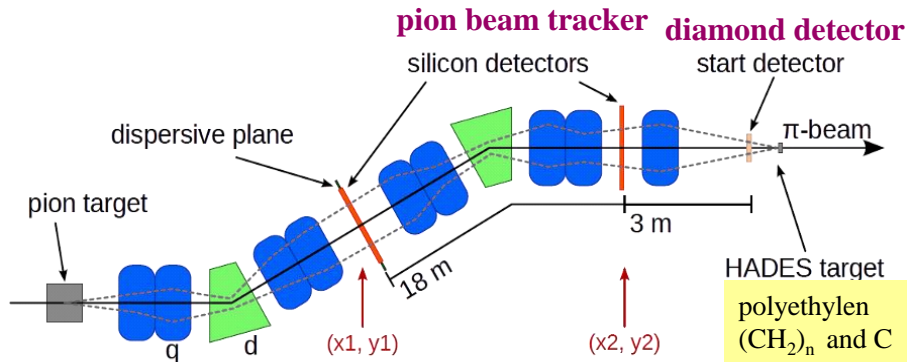
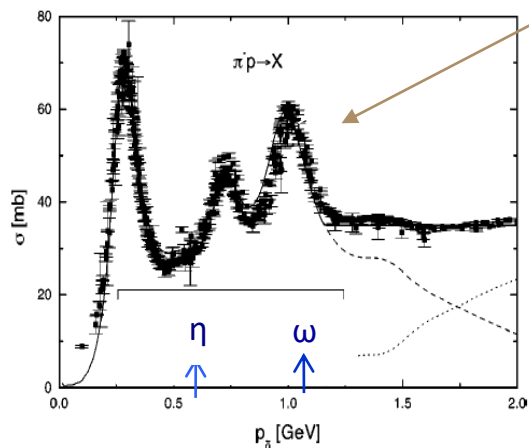


Resonance production with  $m_R = \sqrt{s}$  !

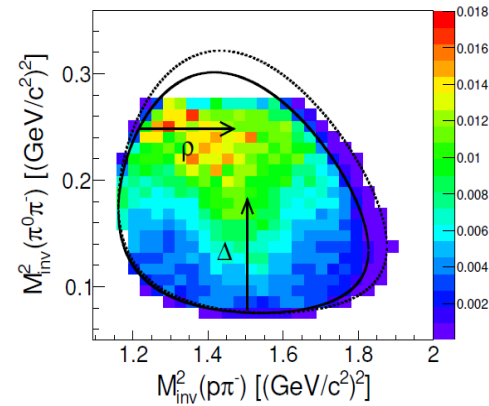
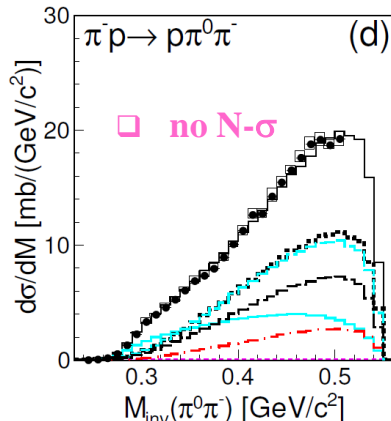
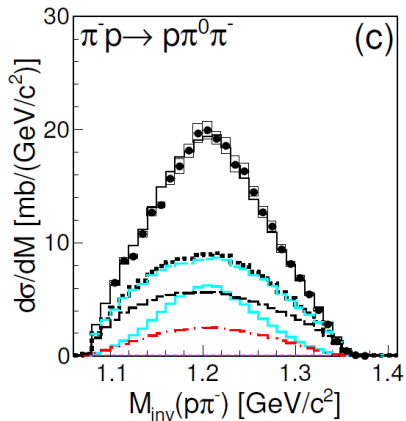
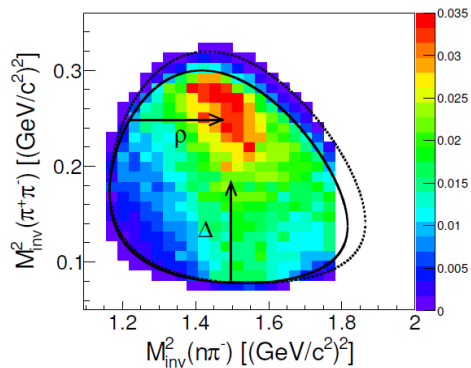
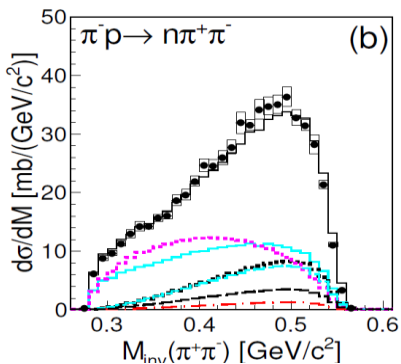
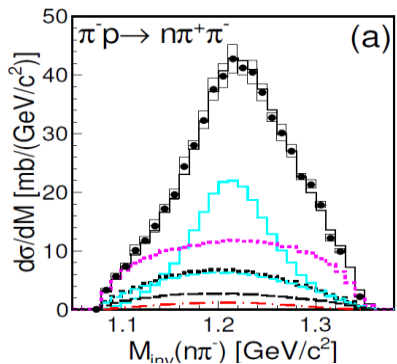
- reaction **N+Be**, secondary  $\pi$  with  $I \sim 2\text{-}3 \cdot 10^5/\text{s}$
- pion momentum  $\Delta p/p = 2.2\%$  ( $\sigma$ )
- 50% acceptance of pion beam line

First run:

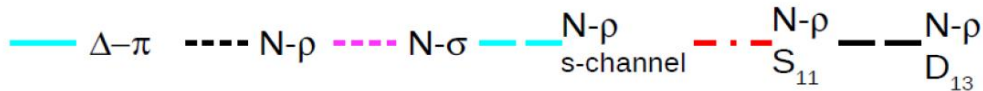
- $\sqrt{s} = 1.46\text{-}1.55 \text{ GeV}$  (4 points)-second resonance region
- **PE**  $(\text{CH}_2)_n$  and **C** targets : 2-pion and e+e- production



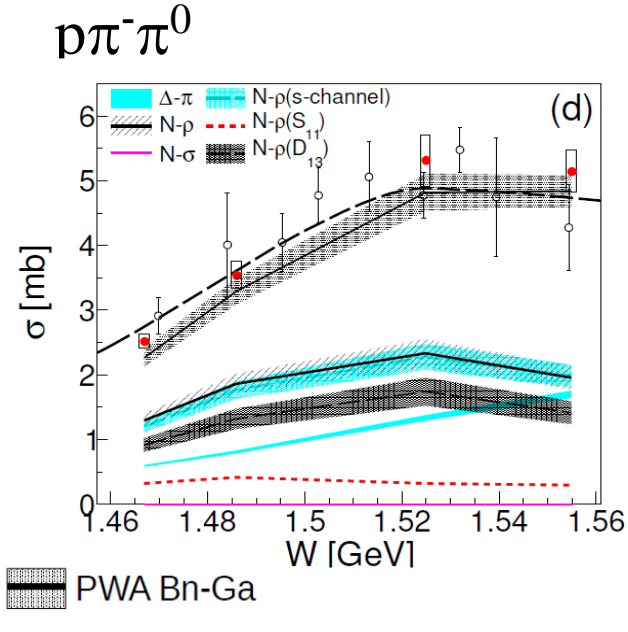
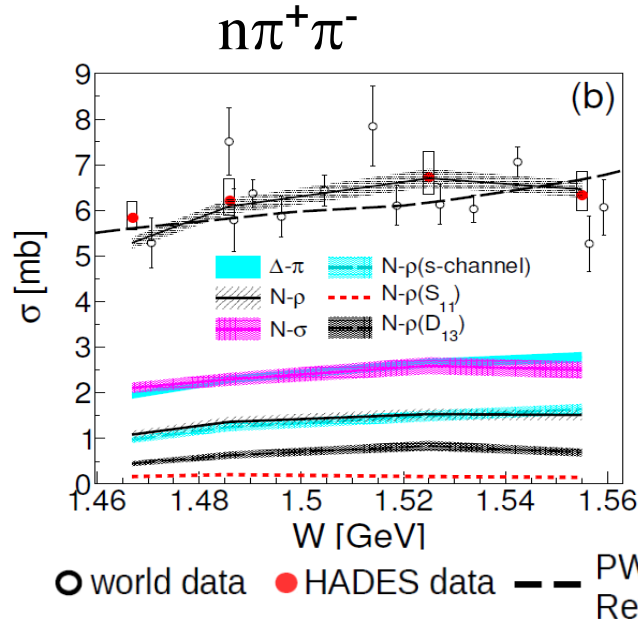
„subthreshold” – no  $\rho$  peak in  $\pi^+ \pi^-^0$  mass distributions



- Combined PWA fit with many other channels from  $e^- p, \gamma p, p$  reactions
- Input solution: resonance properties fixed, except branches to VM
- Final solution with HADES 2pion data Bn-Ga 2019 ([pwa.hisp.uni-bonn.de](http://pwa.hisp.uni-bonn.de))



# Total Cross Sections



[8-9]

D. M. Manley *et al.* *Phys. Rev. D* 30 (1984) 904

D. M. Manley and E.M. Saleski, *Phys. Rev. D* 45,

[HADES coll.](#) *Phys.Rev.C* 102 (2020) 2, 024001

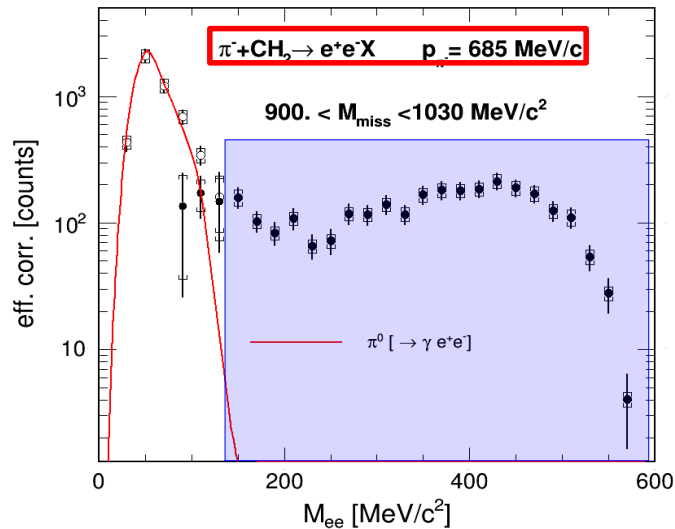
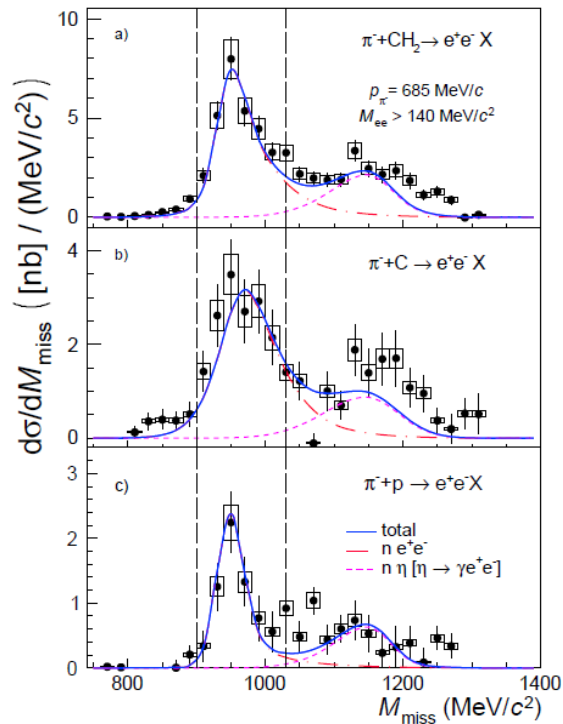
□ consistent description of HADES and world data

□  $\rho$  meson production dominated by s-channels with dominant contribution from  $D_{13}$  ( $N(1520)$ )

□  $N(1520) \rightarrow N\rho$  BR =  $12.2 \pm 2\%$     $N(1535) \rightarrow N\rho$  BR =  $3.2 \pm 0.6\%$

+ BR for  $\Delta\pi$  and  $N\sigma$  (8 new entries in PDG'2020)

# Selection of quasi-free $\pi^-p \rightarrow ne^+e^- / n \pi^+\pi^-$

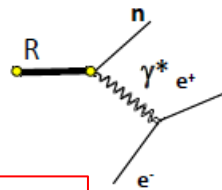


$\pi^-p \rightarrow ne^+e^-$

- Selection of the exclusive  $\pi^-p \rightarrow ne^+e^-$  channel using missing mass

# QED reference for eTFF

- Limit at  $q^2=0$  given by  $\pi p \rightarrow n\gamma$



Contribution of D13 to  $\pi p \rightarrow \gamma n$  27% (N1520 21%)  
 of S11 to  $\pi p \rightarrow \gamma n$  27% (N1535 15%)

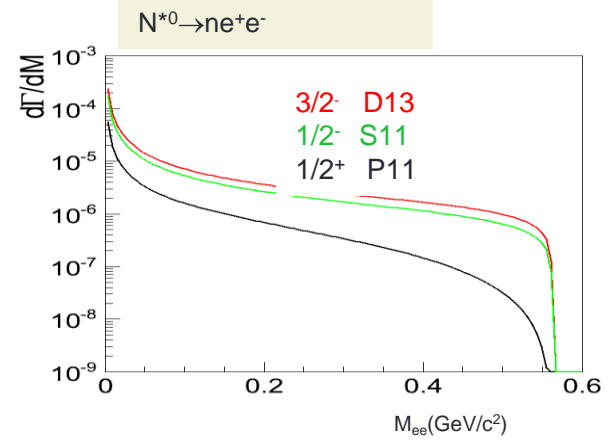
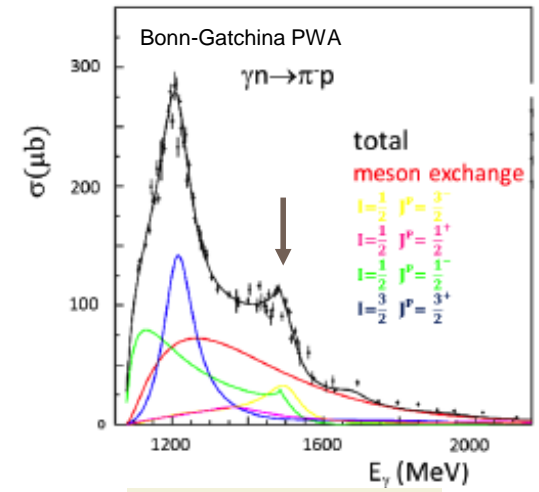
- Generalization to finite  $q^2$  (QED)  
*M. Krivoruchenko et al., Ann. of Phys. 296, 299–346 (2002)*

→ “point-like” description of  $R \rightarrow Ne^+e^-$ :

invariant mass distribution depends on  $J^P$   
 (S11 and D13 same shape)

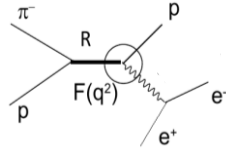
$$\sigma(\pi^- p \rightarrow ne^+e^-) \sim 1.35 \alpha \sigma(\pi^- p \rightarrow n\gamma)$$

«  $\gamma$  » or « QED » reference





# eTFF (quark+meson cloud) model

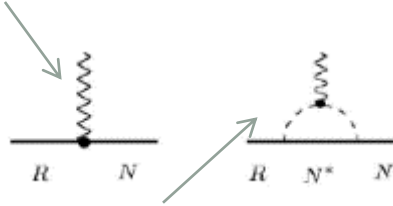


Model for N-N(1520) transition

*G. Ramalho and M. T. Pena, Phys. Rev. D95, 014003 (2017)*

Quark core contribution :

- Quark form factors inspired by VMD



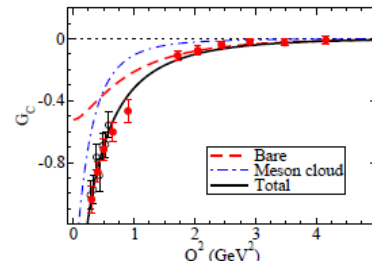
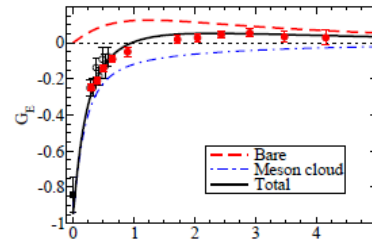
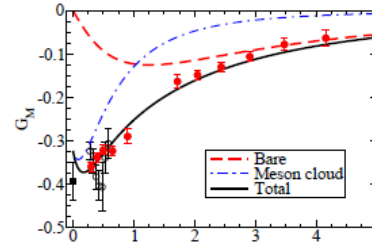
Meson cloud contribution:

- Based on pion electromagnetic form factor
- Dominant contribution in the timelike region

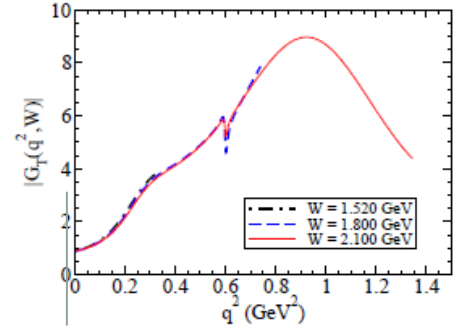
Similar model for N-N(1535) transition

*Phys.Rev. D101 (2020)114008*

Parameters of the model fitted to spacelike data

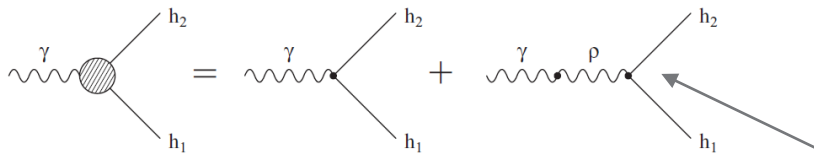


Predictions for the timelike region



$$|G_T(q^2, W)|^2 = 3|G_M(q^2, W)|^2 + |G_E(q^2, W)|^2 + \frac{q^2}{2W^2}|G_C(q^2, W)|^2.$$

# Two-component Lagrangian model



« Kroll-Lee-Zuminio »  
 « VDM1 » Lagrangian is used

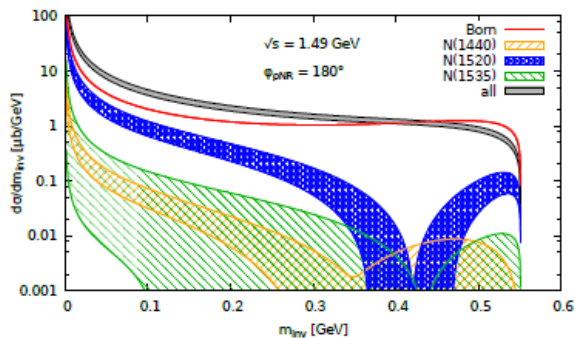
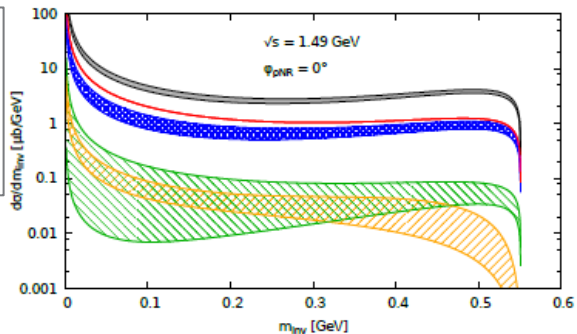
$$\mathcal{L}_{\rho\gamma} = -\frac{e}{2g_\rho} F^{\mu\nu} \rho_{\mu\nu}^0,$$

$$\Gamma_\rho^{VDM1} = \left(\frac{M}{M_0}\right) \Gamma_\rho^0$$

- Various non-resonant (Born term) and resonant D13(1520), P11(1440), S11(1535),...
- **Strong contribution of the Born term**

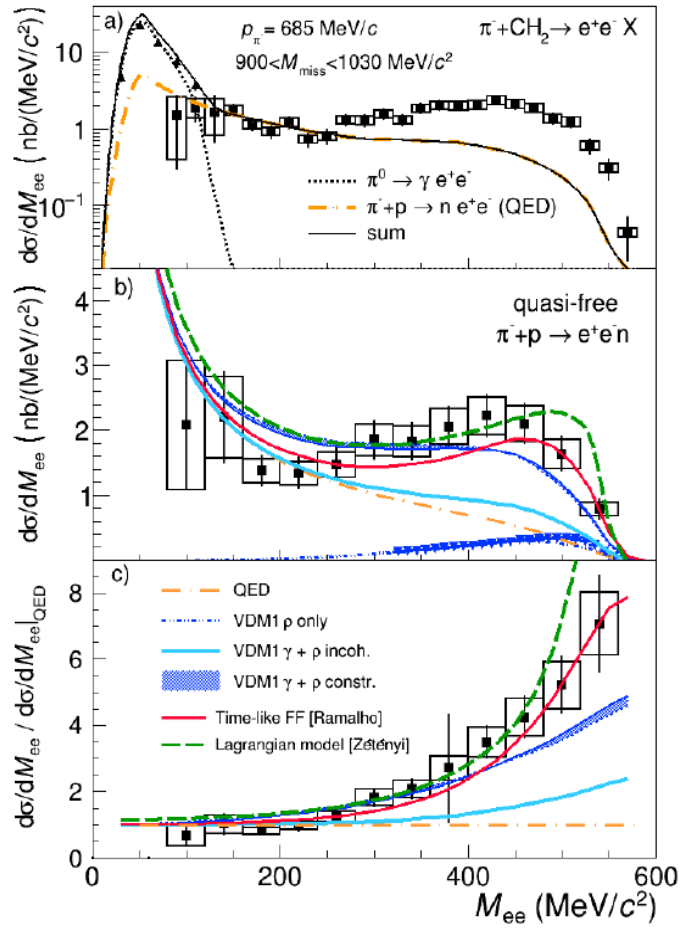
M. Zetenyi and G. Wolf, *Phys. Rev. C* **86**, 065209 (2012)

M. Zetenyi, et al. *arXiv:2012.07546[nucl-th]*, 2020



→ Shape and yield sensitive to the interference between the  $\gamma$  and  $\rho$  contributions

# „effective” N\*/N em. TFF



- QED reference constrained by  $\pi^- p \rightarrow n \gamma$  data and available Bn-Ga solutions
- Model independent results:
  - Strong excess with respect to the **point-like contribution-QED reference** (up to a factor 5) -
- Data driven model **VDM1: QED (direct  $\gamma$ ) +  $\rho \rightarrow e^+e^-$**  with constructive interferences gives a **good description of the full spectrum**
- **Two microscopic models describe also data very well :**
  - a) **Lagrangian (production + baryon Decay with VDM1)**
  - b) **eTFF model of N(1520)+N(1535) (quark + meson cloud)**

*M. Zetenyi et al. PRC 104(2021) 1,015201*  
*G. Ramalho and M. T. Pena, Phys. Rev. D95, 014003 (2017)*

# VMD in baryon decays

Test of VMD versions (equivalent for universal coupling  $g_\rho = g_{\rho\pi\pi}$ )  
 Discussed in O'Connell Prog. Part. Nucl. Phys., Vol. 39, pp. 201-252, 1997

**VMD2 : Sakurai, Phys. Rev 22 (1969) 981**

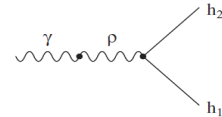
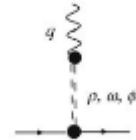
- most commonly used in Heavy Ion transport models
- one single  $\rho N$  coupling

**VMD1 : Kroll, Lee & Zumino Phys. Rev. 157 (1967) 1376**

$\rho$  contr. vanishes at  $m_\gamma^* = 0$ ,  
 $\gamma N$  and  $\rho N$  couplings fixed independently allows to fix BR( $R \rightarrow N\gamma$ ) and BR( $R \rightarrow N\rho$ ) consistently

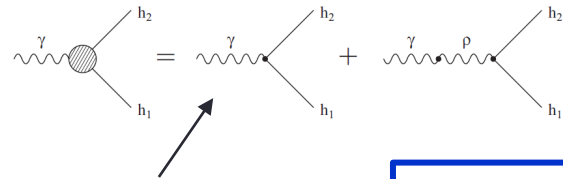
Important for in-medium rho-meson calculations as pointed out in  
 B. Friman, H.J Priner, Nucl. Phtys. A 617(1997)496

- Phase between  $\gamma$  and  $\rho$  contributions to be fixed by data



mass dependent decay width to e+e-

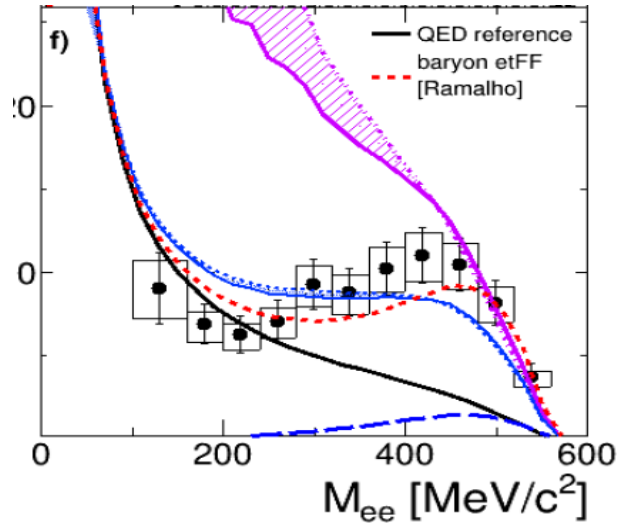
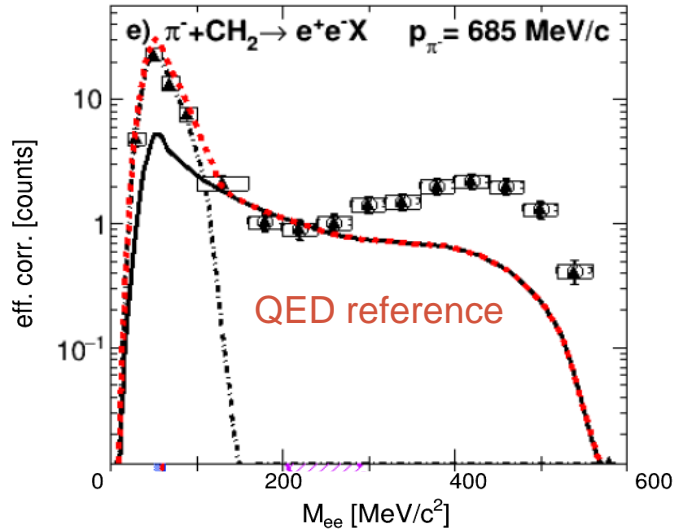
$$\Gamma_\rho^{VDM2} = \left(\frac{M_0}{M}\right)^3 \Gamma_\rho^0$$



$\gamma$  or point-like contribution

$$\Gamma_\rho^{VDM1} = \left(\frac{M}{M_0}\right) \Gamma_\rho^0$$

# VDM1/VDM2 comparison to data



- VDM2 (transition saturated by  $\rho$ ) overestimate data below 400 MeV
- VDM1 with constructive  $\gamma+\rho$  interference in good agreement

# Polarisation of resonances in pion induced reactions

Z- CMS quantization axis  
 $\vec{L} \perp \text{R.P}$

- $\pi$  is spinless hence

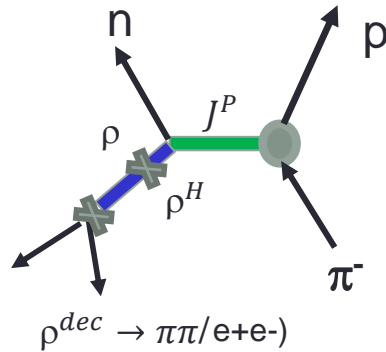
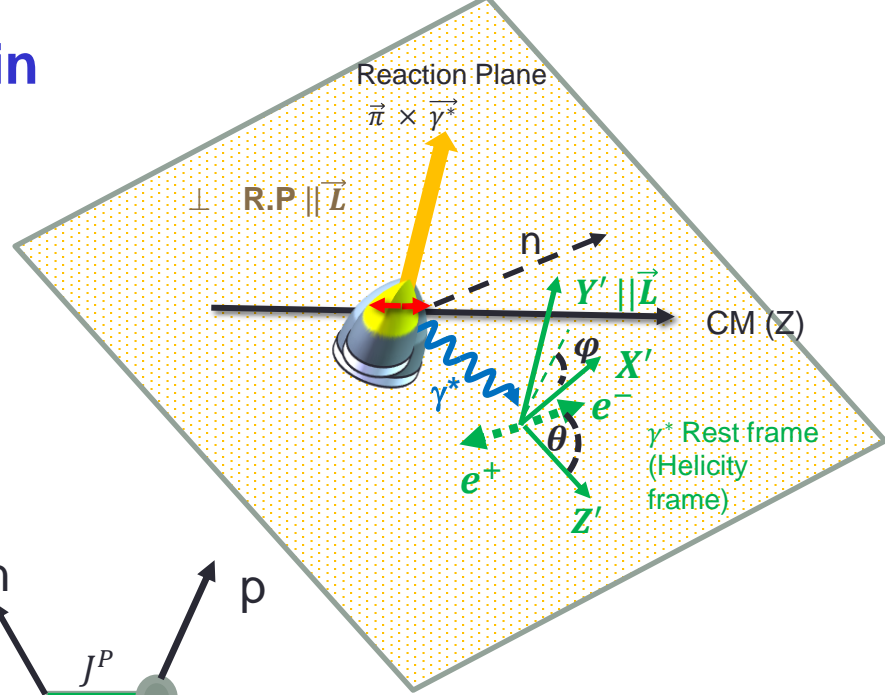
$$J_Z^{N*} = S_Z^N = \pm \frac{1}{2}$$

- Polarization for  $J^{N*} \geq \frac{3}{2}$  expected (only spin projections  $\pm \frac{1}{2}$ ) allowed

$$|A|^2 = \sum_{\Lambda\Lambda'} \rho_{\Lambda\Lambda}^{(H)} \rho_{\Lambda\Lambda'}^{(dec)}$$

$\rho^{dec}$  known, find  $\rho^H$  from data

for  $e^+e^-$



Models: GSI/Budpest

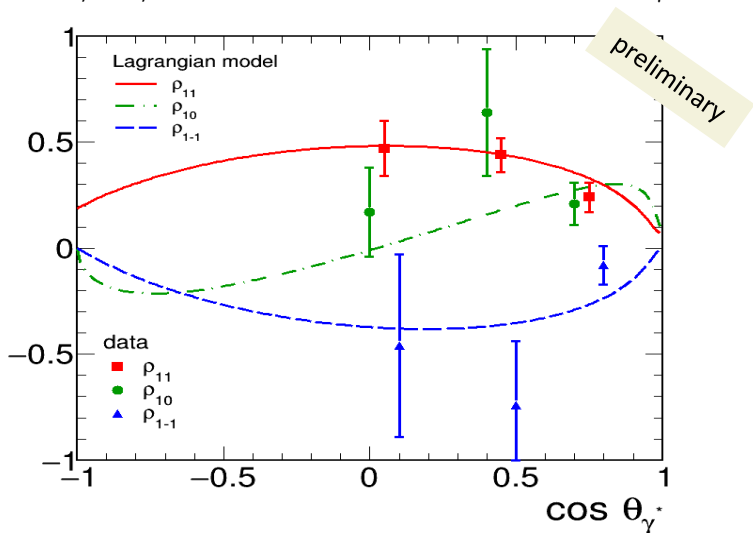
E.Speranza et al.. PLB 764(2017)282

$$|A|^2 = 8p_{\gamma^*}^2 (1 - \cos^2\theta_1 - \rho_{11}^H (3\cos^2\theta_1 - 1) + \sqrt{2} \sin(2\theta) \cos\varphi \text{Re}\rho_{10} + \sin^2\theta \cos(2\varphi) \text{Re}\rho_{1-1}^H)$$

# spin density matrix elements from $e^+/e^-$ data

$$|A|^2 = 8p_{\gamma^*}^2 (1 - \cos^2\theta_1 - \rho_{11}^H (3\cos^2\theta_1 - 1) + \sqrt{2} \sin(2\theta) \cos\varphi \operatorname{Re}\rho_{10} + \sin^2\theta \cos(2\varphi) \operatorname{Re}\rho_{1-1}^H)$$

$\rho_{11}, \rho_{10}, \rho_{1-1}$  extracted in 3 bins in  $\cos\theta_\gamma$



sdme sensitive to :

- $J^P$  : for  $J=1/2$  no dependence on  $\theta_\gamma$
- $\rho_{10} = 0$  , only transverse polarization  $\rho_{11} = 0.5$
- sdm are combination of  $G_E, G_M, G_C$

$$\rho_{11} = \frac{1 + \lambda}{3 + \lambda} = \frac{A_\perp}{2A_\perp + A_\parallel}$$

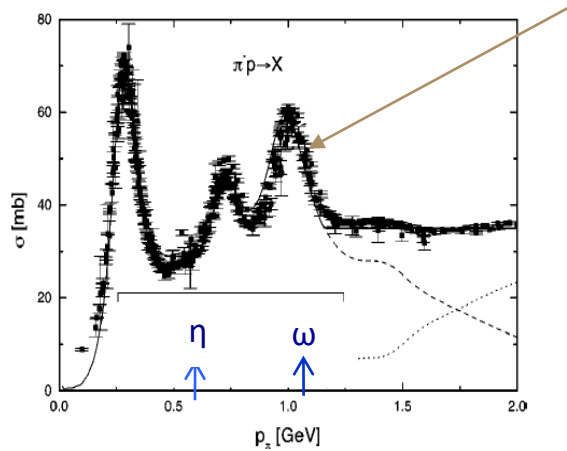
$$J=1/2 \quad \lambda = \frac{|G_{E/M}^\pm|^2 - |G_C^\pm|^2}{|G_{E/M}^\pm|^2 + |G_C^\pm|^2}$$

$$J>1/2 \quad A_\perp = \frac{l+1}{l} |G_{M/E}^\pm|^2 + (l+1)(l+2) |G_{E/M}^\pm|^2$$

$$A_\parallel = \frac{M^2}{m_\pi^2} |G_C^\pm|^2$$

- data consistent with dominance of N1520 ( $J=3/2$ )
- Good agreement with Lagrangian model (predictions!)
- Powerfull observable.. but more precise data needed

Exp. proposal at FAIR/SIS18 : 2023-2025: explore the **third resonance region** ( $\sqrt{s} \sim 1.7 \text{ GeV}/c^2$ )



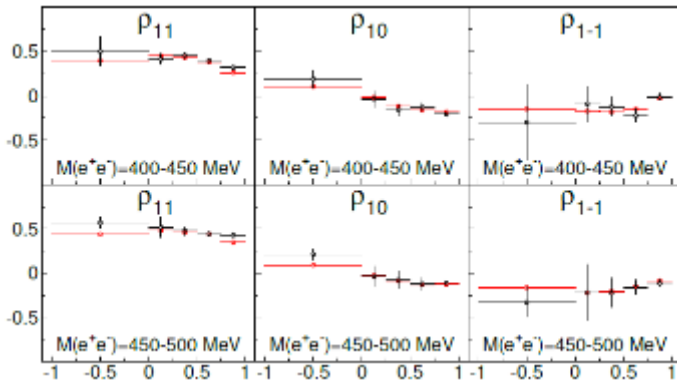
## 1. Baryon meson couplings $\pi\pi N, \omega n, \eta n, K^0\Lambda, K\Sigma, \dots$

→ Inputs for Partial Wave Analysis

→ Many baryon structure issues: confirmation of  $N'(1720)$ , Cascade decays ( $R \rightarrow R'\pi \rightarrow N\pi\pi$ ), „missing resonances“

## 2. Time-like electromagnetic baryon transitions $\pi p \rightarrow n e^+ e^-$

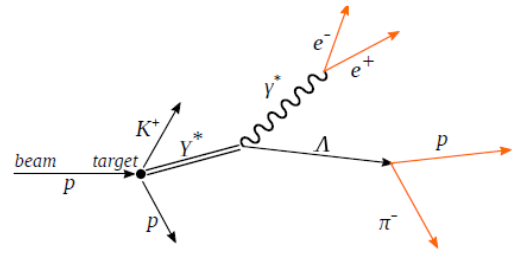
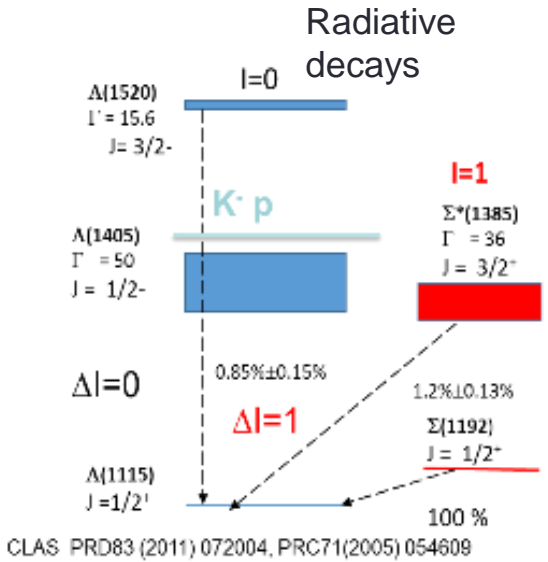
- Broad range of  $q^2 = (M_{e^+e^-})^2 \rightarrow$  sensitivity to form factors
- Check of Vector Dominance (both for  $\rho$  and  $\omega$ )
- High prec. measurements of photon polarization - spin density matrix elements



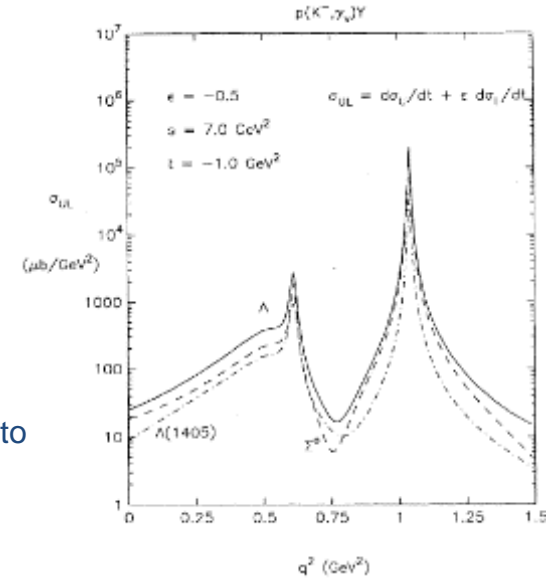
expected sensitivity for spdme for  $N^*(1520)$



# Hyperon Dalitz decays-em. transition Form Factors



- Well separated states
- VMD: Enhancement in e+e- inv. mass due to low mass vector mesons  $\rho / \omega / \phi$



R. Williams et. al. PRC48(1993)1381  
 G. Ramahlo PRD 102 (2022) 054016, PR D 93, 033004 (2016)  
 S.Leupold Eur. Phys. J. A (2021) 57 :183

- SU(3) flavour partners  
 $\Sigma(1385) - \Delta(1232)$   
 $\Lambda(1520) - N(1520) ?$

HADES measured  $\Delta(1232) N(1520)$  transitions – significant enhancement (up to 5) w.r.t point-like (QED) – dominated, by pion cloud contribution.  
 Pion and Kaon cloud for hyperons ?

# Summary

- ✓ VM ( $\rho$ ) do play an important role in baryon –  $\gamma^*$  couplings
  - ✓ Baryon resonance studies with the GSI pion beam + HADES detector (2<sup>nd</sup> resonance region  $\sqrt{s} \sim 1.5$  GeV)
    - improved knowledge of baryon resonances- meson ( $\rho$ ) couplings (new BR measurements!)
    - very new information on time-like electromagnetic baryon transitions
- First test of Vector Dominance Model below  $2\pi$  threshold and time-like electromagnetic transition form factor models → Important inputs for medium effects of  $\rho$  meson calculations

- ✓ Electromagnetic decays of higher mass  $N^*/\Delta$  resonances in pion induced reactions and hyperons  $Y \rightarrow \Lambda \gamma$ ,  
 $Y \rightarrow \Lambda e^+ e^-$  in pp reactions

2023-2025 : pion beam experiment in the third resonance region

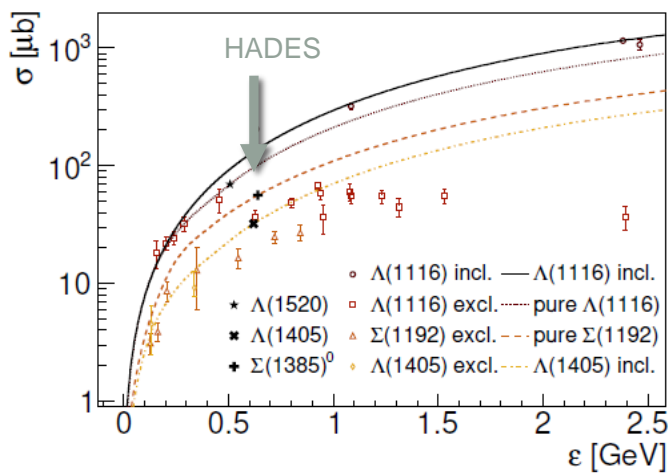
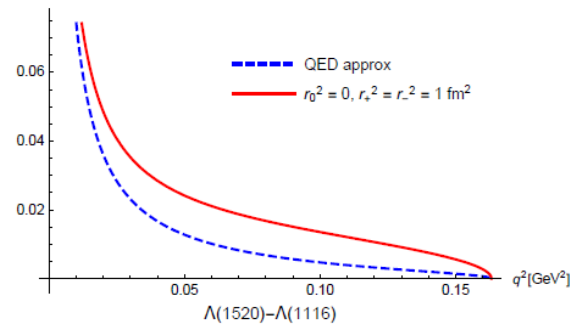
- Investigate heavier resonances  $N(1620)$ ,  $N(1720)$ ,... in  $e^+e^-$  channels and many hadronic channels, e.g.  $\pi^- p \rightarrow \omega/\rho$   
 $n$ ,  $\pi^- p \rightarrow \eta n$ ,  $K^0 \Lambda$ ,  $K \Sigma$ ,....
- Study cold matter effects for VM with  $\pi A$

# Back-up

# Y\* radiative/Dalitz decays

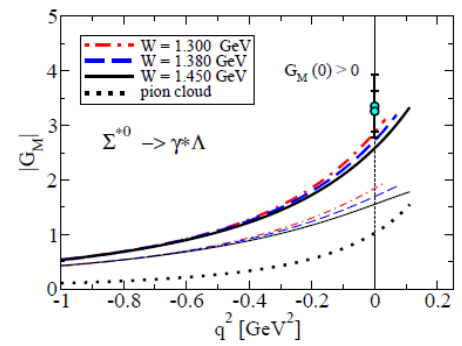
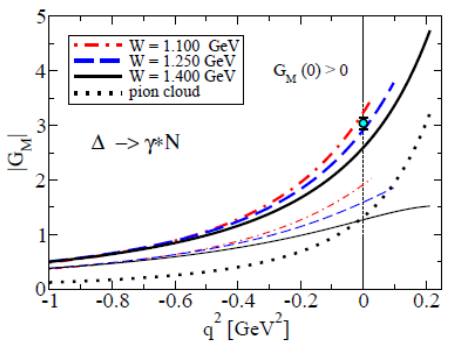
- Information on hadron structure (size of hyperon)
- Dalitz decays of e.g.  $\Lambda(1405)$ ,  $\Sigma(1385)$ ,  $\Lambda(1520)$ ,... (narrow states)
- radiative BR about  $10^{-5}$
- Large rates needed ( $\rightarrow$  CBM) and SIS100 beam energy (First attempt by HADES in pp @4.5)

S.Leupold Eur. Phys. J. A (2021) 57 :183



$\Sigma^*$   
 $\Lambda^*$   
 $\sim 1$  mb @ 30 GeV  
 $\sim 20$  more than at SIS18

G. Ramahlo Phys.Rev.D 102

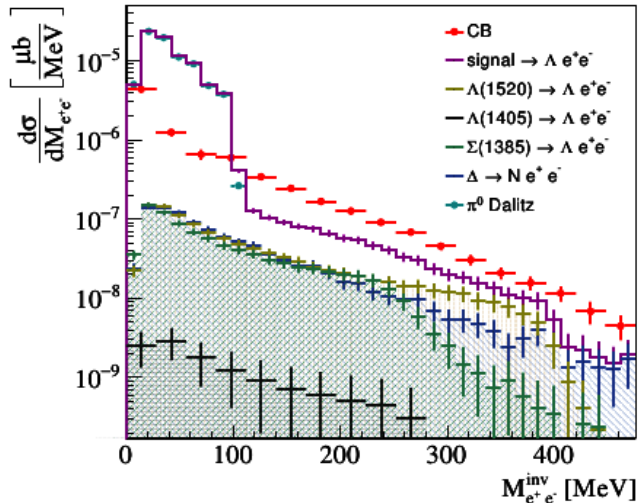


# pp @ 4.5 GeV

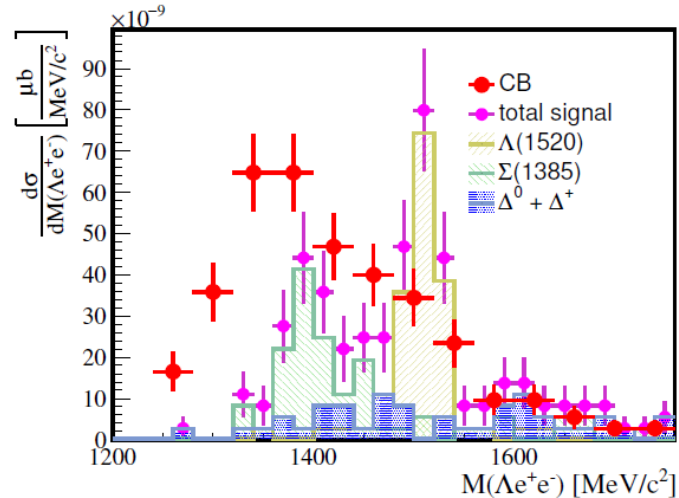
- February 2022:** pp @ 4.5 GeV  
*HADES: Eur. Phys. J. A57, 138 (2021) feasibility study*
- Hyperon Dalitz decays:  $pp \rightarrow pK^+\Lambda(1520) [\Lambda e^+e^-] [\Lambda\gamma]$   
 $pp \rightarrow pK^+\Sigma(1385) [\Lambda e^+e^-] [\Lambda\gamma]$
- $\Xi$ ,  $\Lambda(1405)$ ,  $\Lambda(1520)$  production and decays
- $\Lambda$ - $\Lambda$  correlations
- dilepton production (higher mass baryon resonance decays, pair production above  $\phi$ , mass,..)

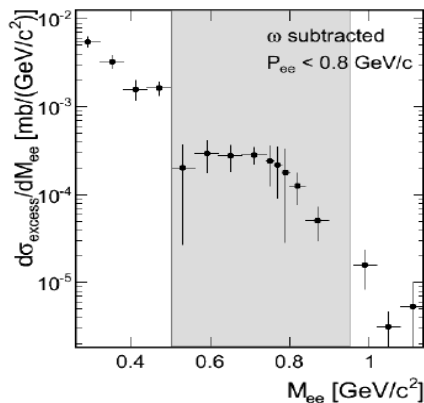
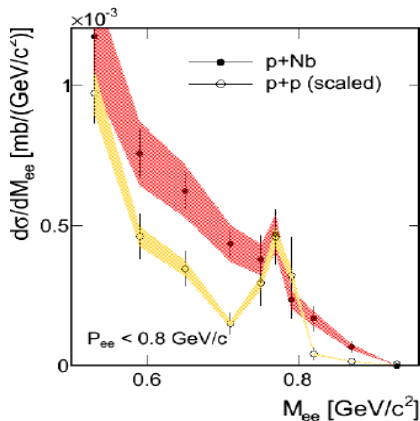
Projections for Hyperon Dalitz decays

$$Y \rightarrow \Lambda e^+e^-$$



$$M > M_\pi$$

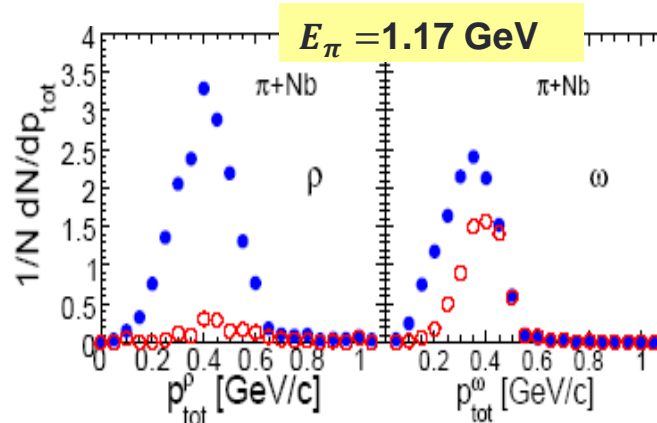
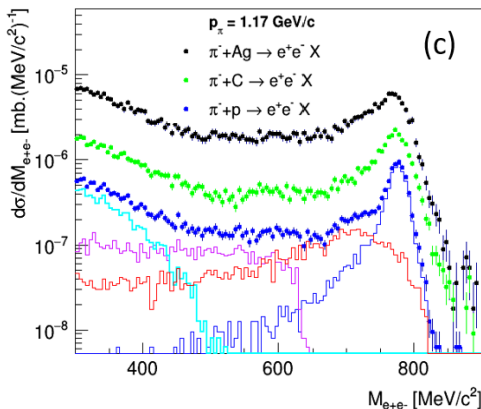
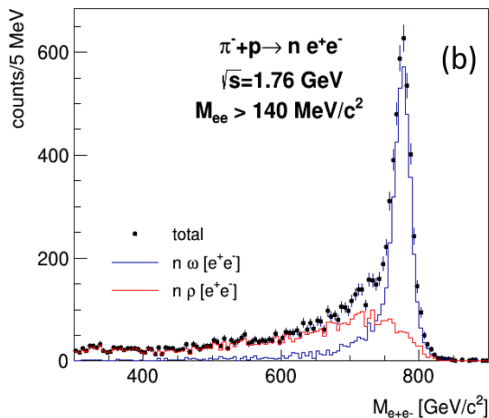




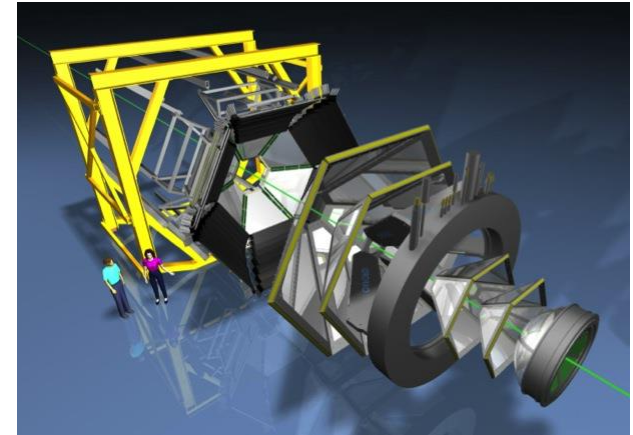
HADES PL715 (2012) 304

- p+ Nb @ 3.5 GeV
  - Significant cold matter effect for slow  $\gamma^*$  ( $p < 0.8 \text{ GeV}/c$ )
  - due to secondary  $\pi N$  reactions?
- 
- $\pi^- A$  better sensitivity to **inside decays** and low momentum

## Projections for $\pi^- A$

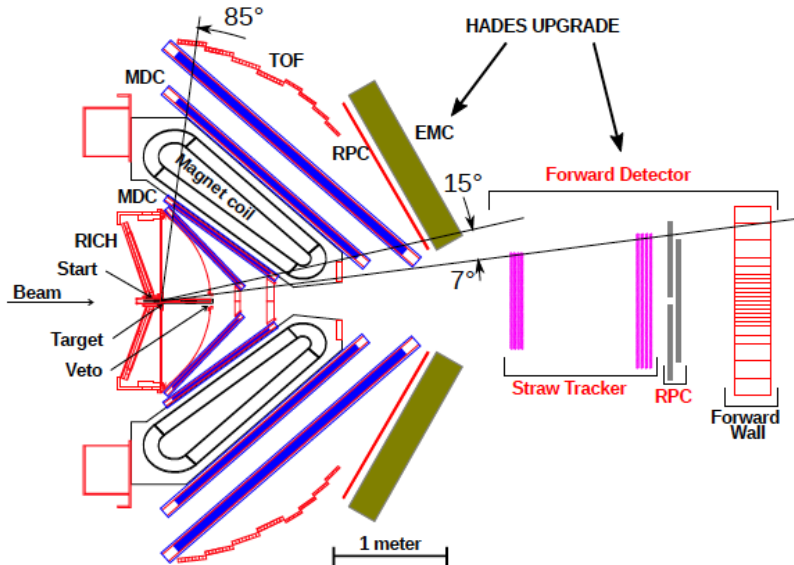


- ✓ Spectrometer with  $\Delta M/M - 2\%$  at  $\rho/\omega$  @ GSI/FAIR
  - ✓ electrons : RICH (hadron blind)
  - ✓ hadrons: TOF & dE/dx vs p
  - ✓ **2004-2014**: HI (A+A  $\sqrt{s} \sim 2.4-2.6$  GeV)
- p+p, d+p, p+A  $\sqrt{s} = 2.4-3.0$  GeV  $\pi$ +p  $\sqrt{s} = 1.5$  GeV



## Upgrade 2018/2019

- New RICH photon det (HADES/CBM)
  - Forward tracking straws +RPC –  $\Lambda/\Xi$  reconstruction in pp/pA (HADES/PANDA)
  - Elec. Calorimeter (lead glass)- neutral mesons
  - Planned: 200 kHz DAQ ,
- 10 × count rate increase**



# PWA results—8 new PDG entries!



$\rho$ N coupling not present in PDG since 2016

$\Gamma(N(1520) \rightarrow \Delta(1232)\pi, S\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**12.1 ± 2.1** ADAMCZEWSKI- 2020

$\Gamma(N(1520) \rightarrow \Delta(1232)\pi, D\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**6 ± 2** ADAMCZEWSKI- 2020

$\Gamma(N(1520) \rightarrow N\rho, S=3/2, S\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**11.8 ± 1.9** ADAMCZEWSKI- 2020

$\Gamma(N(1520) \rightarrow N\rho, S=1/2, D\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**0.4 ± 0.2** ADAMCZEWSKI- 2020

$\Gamma(N(1520) \rightarrow N\sigma)/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**7 ± 3** ADAMCZEWSKI- 2020

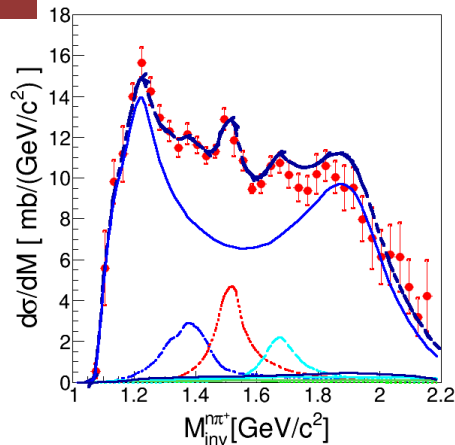
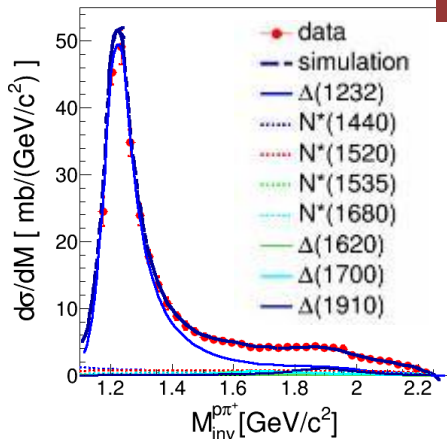
$\Gamma(N(1535) \rightarrow \Delta(1232)\pi, D\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**3 ± 1** ADAMCZEWSKI- 2020

$\Gamma(N(1535) \rightarrow N\rho, S=1/2)/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**2.7 ± 0.6** ADAMCZEWSKI- 2020

$\Gamma(N(1535) \rightarrow N\rho, S=3/2, D\text{-wave})/\Gamma_{\text{total}}$   
 VALUE (%) DOCUMENT ID  
**0.5 ± 0.5** ADAMCZEWSKI- 2020



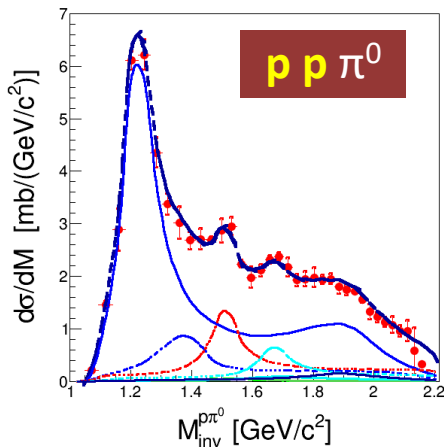
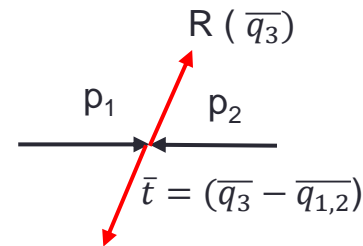
$n p \pi^+$



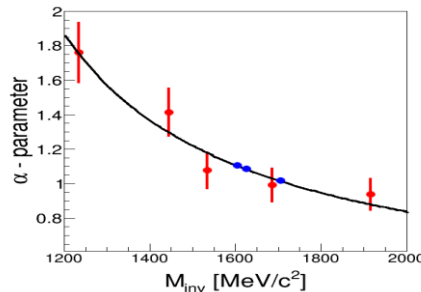
### Resonance model:

Z. Teis et al., Z. Phys. A356 (1997) 421  
 J. Weil et al. (GiBUU) Eur. Phys. J. A48 (2012) 111  
 HADES : EPJA 50(2014) 42

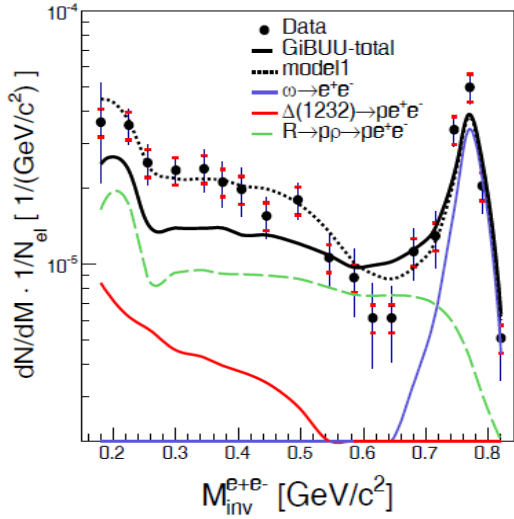
Incoherent sum of ( $\Delta$ ,  $N^*$ ) resonances



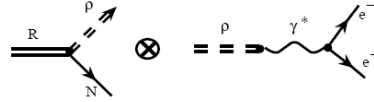
$$\frac{d\sigma}{dt}(M_R) \propto \frac{A}{t^{\alpha(M)}}$$



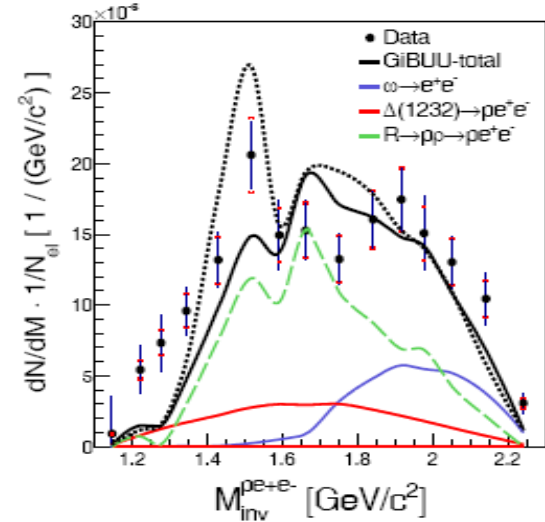
Empirical parametrisation of Resonance production as a function of  $t(M_R)$   
**t- channel dominance**



Resonance model + „strict” VDM



$$\Gamma_{VDM}(M) = \frac{M_\rho}{M^3} \cdot \text{BR}(M = M_\rho)$$



❑ Good description of one pion production by „HADES resonance model”  $\rightarrow N^*, \Delta$  contributions

❑ Comparison with VMD : works well .. but with lower BR for  $R \rightarrow Np$  than PDG (upper limits from Bn-Ga)

Since 2018 – no data on BR in PDG any more !

↓  
pion beam !

### Resonance $\rightarrow Np$ Branching Ratios

Contr. to e+e-	Resonances	GiBUU	UrQMD	KSU	BG	CLAS
38%	$N(1520)$	21	15	20.9(7)	10(3)	13(4)
15%	$\Delta(1620)$	29	5	26(2)	12(9)	16
22%	$N(1720)$	87	73	1.4(5)	10(13)	–
7%	$\Delta(1905)$	87	80	< 14	42(8)	–