

Two-body currents and weak decays in light nuclei

Exploring the role of electro-weak currents in Atomic Nuclei

ECT* Trento, April 23-27, 2018

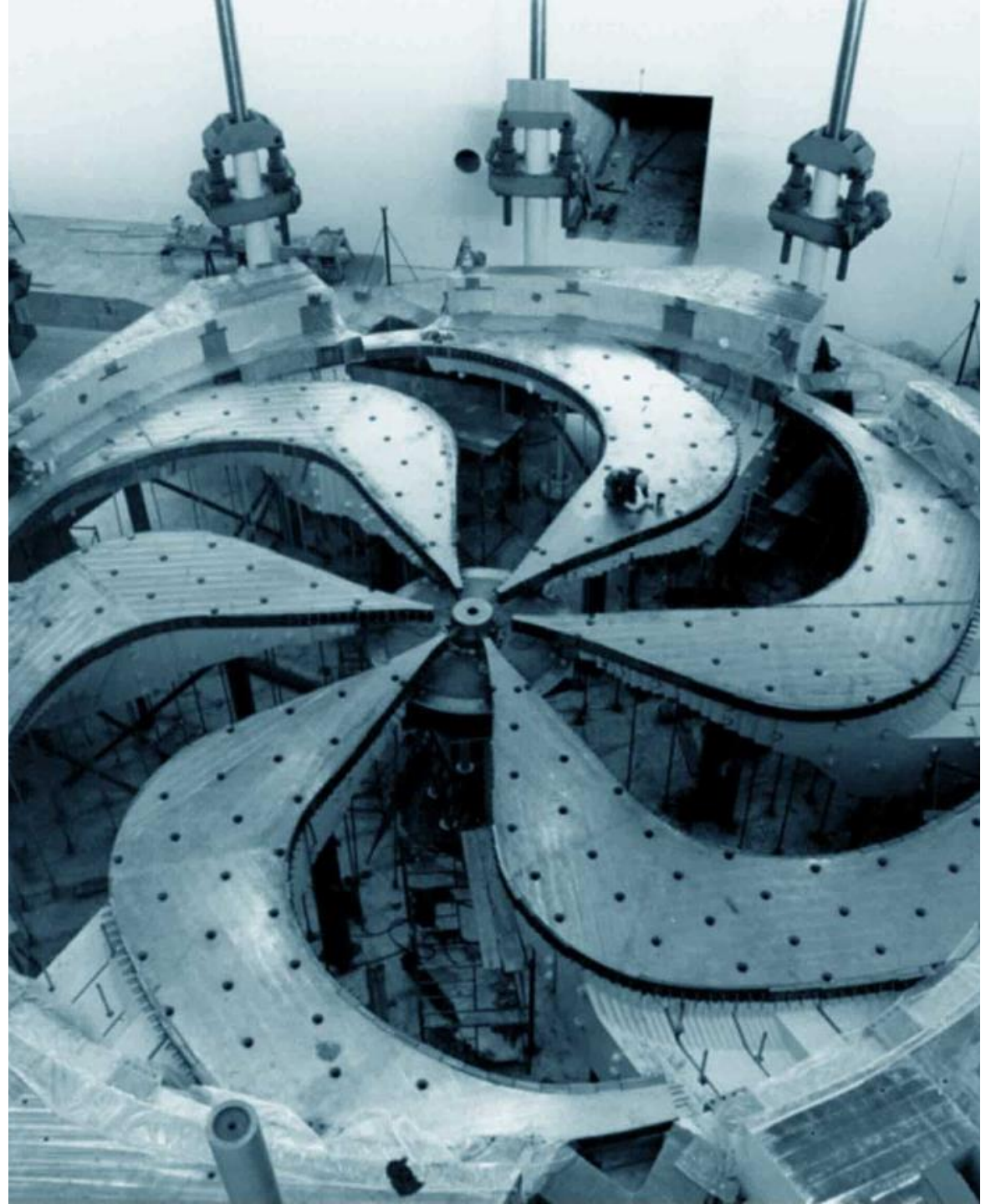
Petr Navratil

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Collaborators:

P. Gysbers (UBC/TRIUMF), S. Quaglioni, K. Wendt (LLNL)

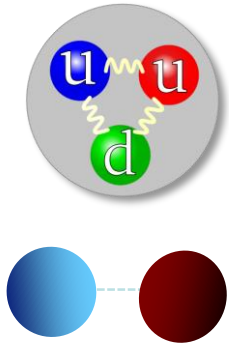
11/05/2018



Outline

- Chiral forces and currents
- SRG evolution of forces and transition operators
- Calculations with the new $N^4\text{LO NN}$ by Entem, Machleidt and Nosyk
 - Beta decays of light nuclei in NCSM
- Modification of the c_D in the $N^3\text{LO NN} + 3\text{N}$
 - Impact on medium mass nuclei
 - Beta decays of light nuclei
- Beta decay results for light nuclei with the $N^2\text{LO}_{\text{sat}}$, Hebeler's EM 1.8/2.0, and an inconsistent $N^4\text{LO NN} + 3\text{N}$

From QCD to nuclei

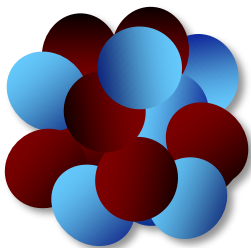


Low-energy QCD



NN+3N interactions
from chiral EFT

...or accurate
meson-exchange
potentials

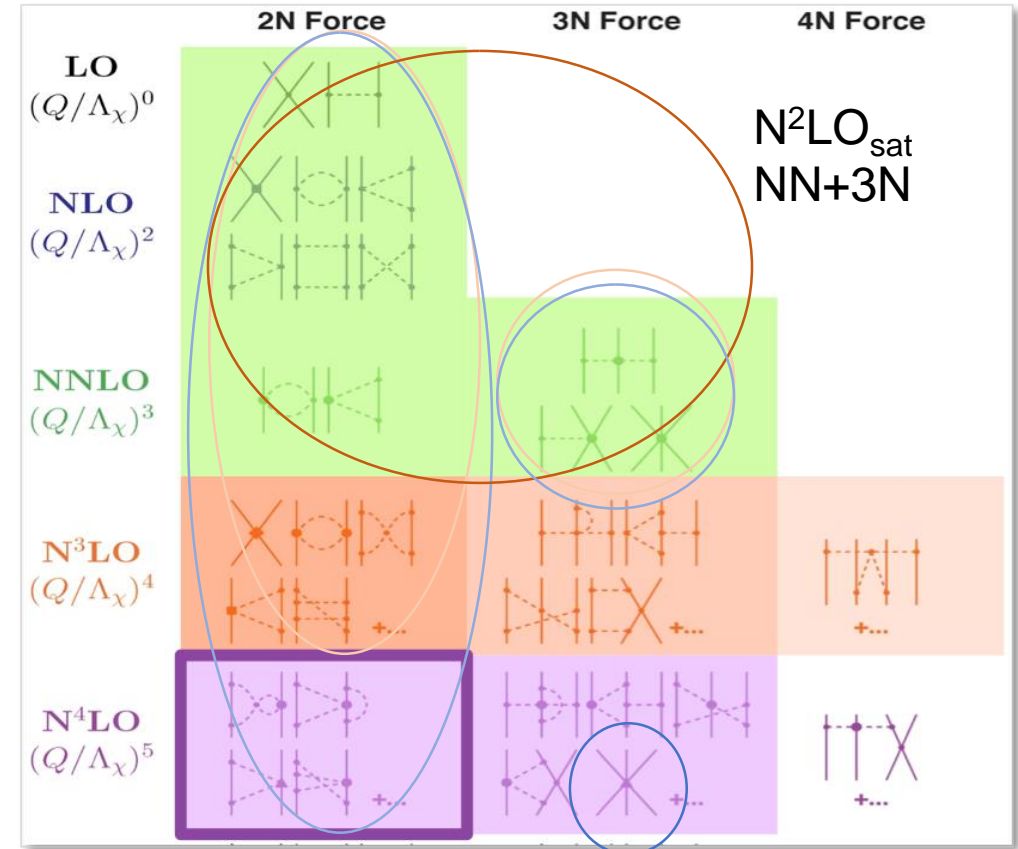


Nuclear structure and reactions

Chiral Effective Field Theory

- Inter-nucleon forces from chiral effective field theory
 - Based on the symmetries of QCD
 - Chiral symmetry of QCD ($m_u \approx m_d \approx 0$), spontaneously broken with pion as the Goldstone boson
 - Degrees of freedom: nucleons + pions
 - Systematic low-momentum expansion to a given order (Q/Λ_χ)
 - Hierarchy
 - Consistency
 - Low energy constants (LEC)
 - Fitted to data
 - Can be calculated by lattice QCD

$\Lambda_\chi \sim 1$ GeV :
Chiral symmetry breaking scale



N^4LO_{500} NNN^3LO $NN+N^2LO$ $3N$
 + N^2LO $3N$ ($NN+3N_{400}$, $NN+3N_{500}$)

Currents in chiral EFT

- Meson-exchange current

PHYSICAL REVIEW C **67**, 055206 (2003)

Parameter-free effective field theory calculation for the solar proton-fusion and hep processes

T.-S. Park,^{1,2,3} L. E. Marcucci,^{4,5} R. Schiavilla,^{6,7} M. Viviani,^{5,4} A. Kievsky,^{5,4} S. Rosati,^{5,4} K. Kubodera,^{1,2}
D.-P. Min,⁸ and M. Rho^{1,9}

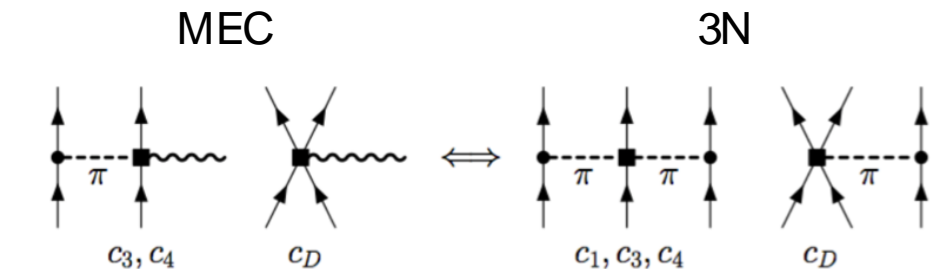
- weak axial current

- one-body: LO - Gamow-Teller

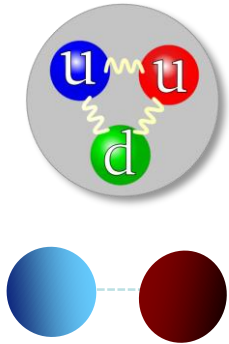
$$A_l = -g_A \tau_l^- e^{-iq \cdot r_l} \left[\boldsymbol{\sigma}_l + \frac{2(\bar{\mathbf{p}}_l \boldsymbol{\sigma}_l \cdot \bar{\mathbf{p}}_l - \boldsymbol{\sigma}_l \bar{\mathbf{p}}_l^2) + i\mathbf{q} \times \bar{\mathbf{p}}_l}{4m_N^2} \right]$$

- two-body: MEC

$$A_{12} = \frac{g_A}{2m_N f_\pi^2} \frac{1}{m_\pi^2 + k^2} \left[-\frac{i}{2} \tau_\times^- \mathbf{p} (\boldsymbol{\sigma}_1 - \boldsymbol{\sigma}_2) \cdot \mathbf{k} \right. \\ \left. + 4\hat{c}_3 \mathbf{k} \mathbf{k} \cdot (\tau_1^- \boldsymbol{\sigma}_1 + \tau_2^- \boldsymbol{\sigma}_2) + \left(\hat{c}_4 + \frac{1}{4} \right) \tau_\times^- \mathbf{k} \times [\boldsymbol{\sigma}_\times \times \mathbf{k}] \right] \\ + \frac{g_A}{m_N f_\pi^2} [2\hat{d}_1 (\tau_1^- \boldsymbol{\sigma}_1 + \tau_2^- \boldsymbol{\sigma}_2) + \hat{d}_2 \tau_\times^a \boldsymbol{\sigma}_\times],$$



From QCD to nuclei

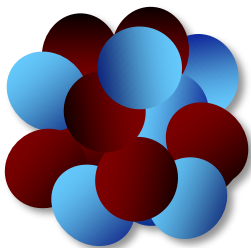


Low-energy QCD

NN+3N interactions
from chiral EFT

...or accurate
meson-exchange
potentials

$$H|Y\rangle = E|Y\rangle$$



Many-Body methods

NCSM, NCSM/RGM,
NCSMC, CCM, IMSRG,
SCGF, GFMC, HH,
Nuclear Lattice EFT...

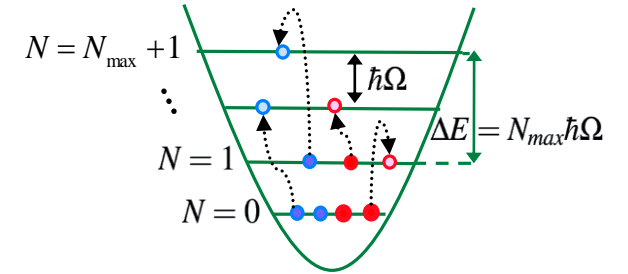
Nuclear structure and reactions

No-core shell model

- No-core shell model (NCSM)
 - A -nucleon wave function expansion in the harmonic-oscillator (HO) basis
 - Short- and medium range correlations
 - Bound-states, narrow resonances
 - Equivalent description in relative-coordinate and Slater determinant basis

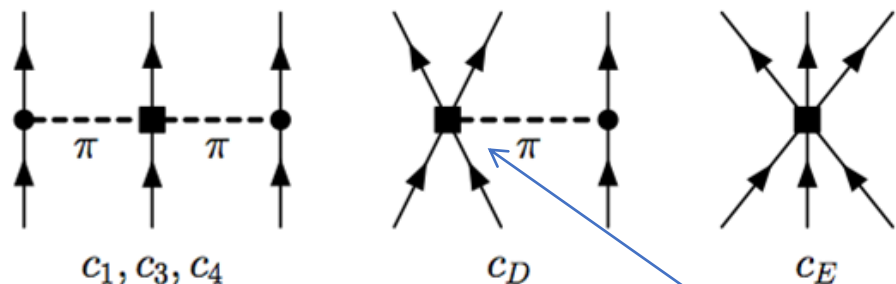
$$(A) \quad \Psi^A = \sum_{N=0}^{N_{\max}} \sum_i c_{Ni} \Phi_{Ni}^{HO}(\vec{\eta}_1, \vec{\eta}_2, \dots, \vec{\eta}_{A-1})$$

$$(A) \quad \Psi_{SD}^A = \sum_{N=0}^{N_{\max}} \sum_j c_{Nj}^{SD} \Phi_{SDNj}^{HO}(\vec{r}_1, \vec{r}_2, \dots, \vec{r}_A) = \Psi^A \varphi_{000}(\vec{R}_{CM})$$

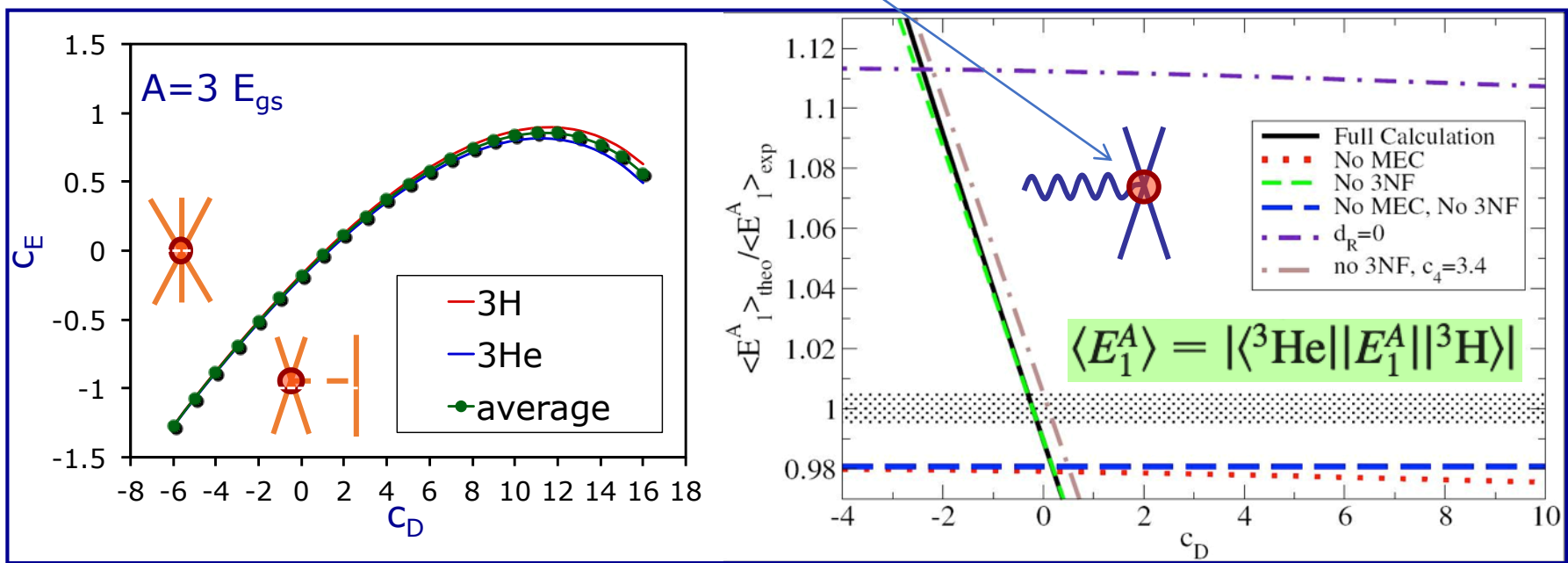


Leading terms of the chiral NNN force and axial currents

From NN & pion-nucleon scattering



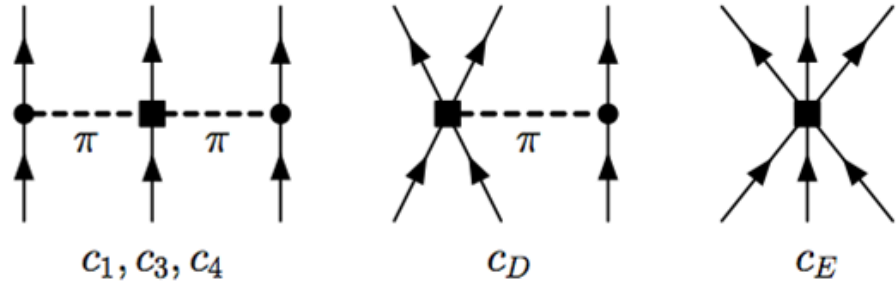
Chiral EFT provides a link between the medium-range (c_D term) NNN force and the meson-exchange current appearing in nuclear beta decay



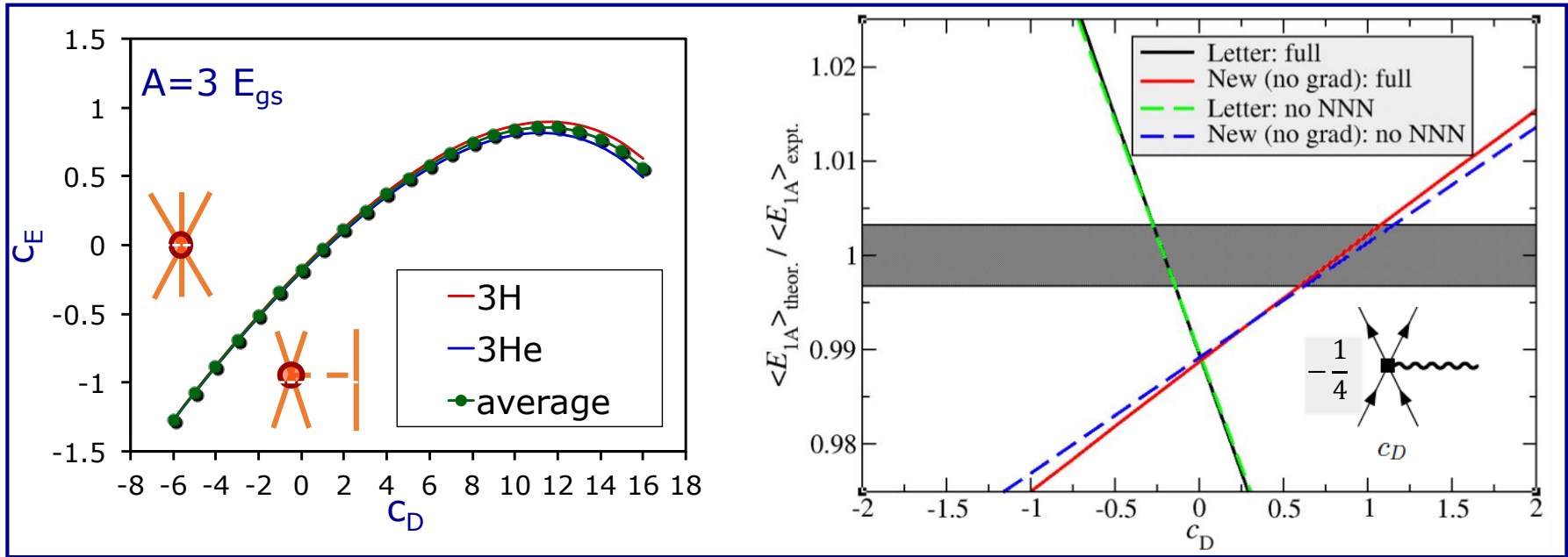
NNN parameters determined from the ^3H binding energy and half life

Leading terms of the chiral NNN force and axial currents

From NN & pion-nucleon scattering



Chiral EFT provides a link between the medium-range (c_D term) NNN force and the meson-exchange current appearing in nuclear beta decay

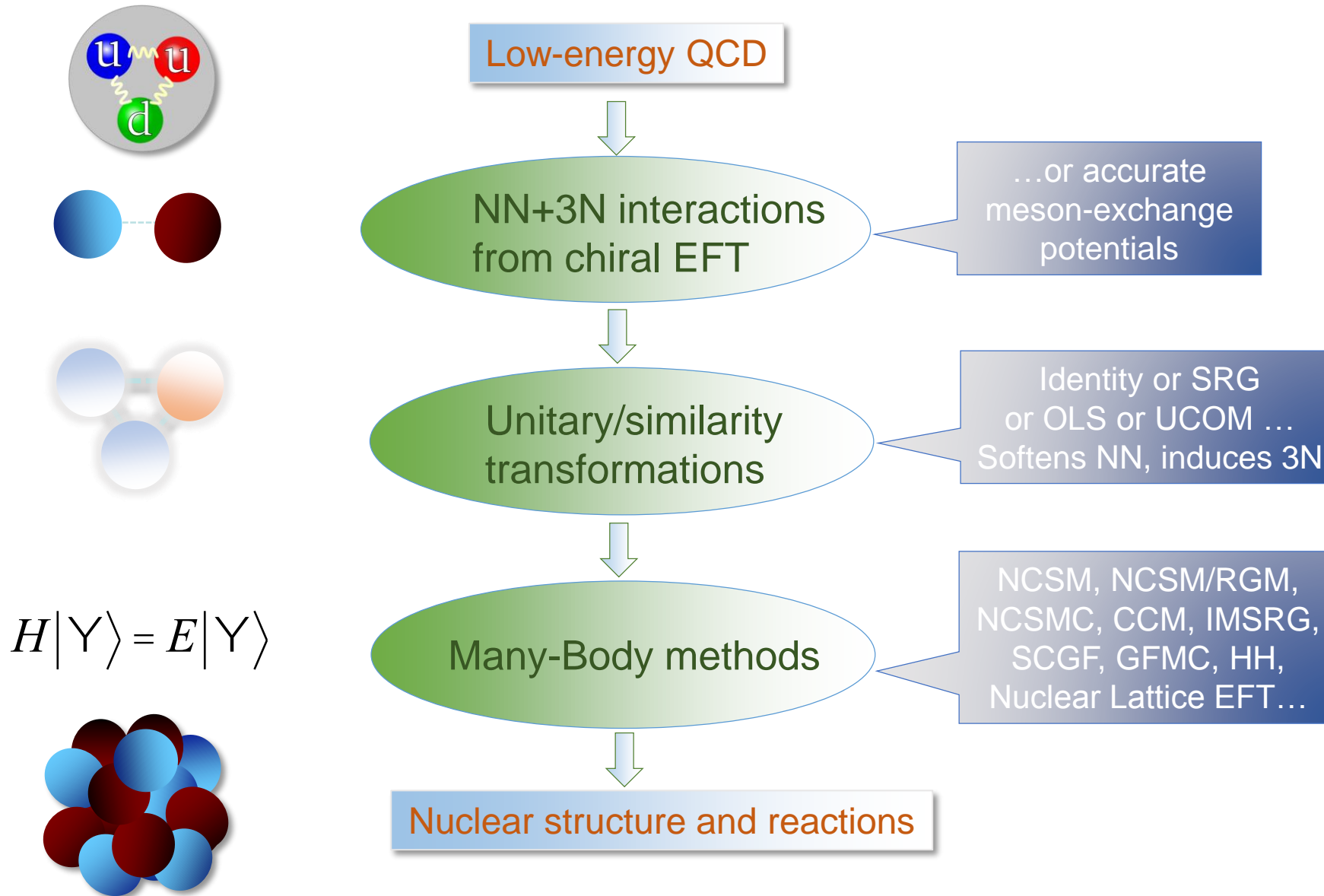


After 10 years...
corrected
multiplicative factor
Dozens of papers
affected

NNN parameters determined from the ^3H binding energy and half life

PRL 103, 102502 (2009) PHYSICAL REVIEW LETTERS
 Three-Nucleon Low-Energy Constants from the Consistency of Interactions and Currents in Chiral Effective Field Theory
 Doron Gazit
 Institute for Nuclear Theory, University of Washington, Box 351550, Seattle, Washington 98195, USA
 Sofia Quaglioni and Petr Navrátil
 Lawrence Livermore National Laboratory, P.O. Box 808, L-414, Livermore, California 94551, USA

From QCD to nuclei



Similarity Renormalization Group (SRG) evolution

- Continuous transformation driving Hamiltonian to band-diagonal form with respect to a chosen basis

- Unitary transformation $H_a = U_a H U_a^+ \quad U_a U_a^+ = U_a^+ U_a = 1$

$$\frac{dH_a}{da} = \frac{dU_a}{da} H U_a^+ + U_a H \frac{dU_a^+}{da} = \frac{dU_a}{da} U_a^+ U_a H U_a^+ + U_a H U_a^+ U_a \frac{dU_a^+}{da}$$

$$= \frac{dU_a}{da} U_a^+ H_a + H_a U_a \frac{dU_a^+}{da} = [h_a, H_a]$$

- Setting $h_a = [G_a, H_a]$ with Hermitian G_a

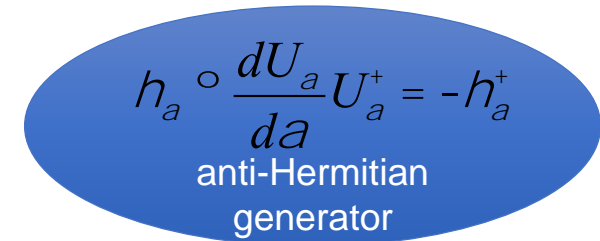
$$\frac{dH_a}{da} = \hat{e}[G_a, H_a], H_a \hat{e}$$

- Customary choice in nuclear physics $G_a = T$...kinetic energy operator
 - band-diagonal in momentum space plane-wave basis

- Initial condition $H_{a=0} = H_{l=\infty} = H \quad l^2 = 1/\sqrt{a}$

Induces many-body forces

- In applications to chiral interactions three-body induced terms large, four-body small



$$h_a \circ \frac{dU_a}{da} U_a^+ = -h_a^+$$

anti-Hermitian
generator

SRG evolution for A -nucleon system

- Evolution induces many-nucleon terms (up to A)

$$\bar{H}_a = \bar{H}_a^{[1]} + \bar{H}_a^{[2]} + \bar{H}_a^{[3]} + \bar{H}_a^{[4]} + \dots + \bar{H}_a^{[A]}$$

- SRG “magic” – $\tilde{H}_\alpha^{[2]}$ determined completely in $A=2$ system, $\bar{H}_a^{[3]}$ determined in $A=3$ system, etc.

- In actual calculations so far only terms up to $\bar{H}_a^{[3]}$ kept

- Three types of SRG-evolved Hamiltonians used

- NN only:** Start with initial $T+V_{NN}$ and keep
- NN+3N-induced:** Start with initial $T+V_{NN}$ and keep
- NN+3N-full:** Start with initial $T+V_{NN}+V_{NNN}$ and keep

$$\begin{aligned} & \bar{H}_a^{[1]} + \bar{H}_a^{[2]} \\ & \bar{H}_a^{[1]} + \bar{H}_a^{[2]} + \bar{H}_a^{[3]} \\ & \bar{H}_a^{[1]} + \bar{H}_a^{[2]} + \bar{H}_a^{[3]} \end{aligned}$$

α variation (Λ variation) provides a diagnostic tool to assess the contribution of omitted many-body terms, tests the **unitarity** of the SRG transformation

SRG evolution of general operators

The SRG transformation maintains the same eigenvalues for the Hamiltonian

$$\hat{H} |\psi_k\rangle = E_k |\psi_k\rangle \rightarrow \hat{H}_\alpha |\psi_{k,\alpha}\rangle = E_k |\psi_{k,\alpha}\rangle$$

But to extract additional observables from the wavefunction while taking advantage of the SRG transformation, the corresponding operators must be transformed

$$\langle \psi_i | \hat{O} | \psi_f \rangle = \langle \psi_{i,\alpha} | \hat{O}_\alpha | \psi_{f,\alpha} \rangle \text{ where } \hat{O}_\alpha = U_\alpha \hat{O} U_\alpha^\dagger$$

The transformation matrix can be extracted from the eigenfunctions of the Hamiltonian

$$U_\alpha = \sum_k |\psi_{k,\alpha}\rangle \langle \psi_k|$$

H_α, O_α :
 2-body part determined in $A=2$ system,
 3-body part determined in $A=3$ system,
 ...

SRG evolution of general operators

Peter Gysbers (UBC/TRIUMF)

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Implementation up to two-body terms:

The matrix U is calculated blockwise, for relative coordinate two-nucleon eigenstates:

$$|(A = 2)kJ^\pi TT_z\rangle = \sum_{n,\ell} c_{n\ell s}^k |n\ell s J^\pi TT_z\rangle$$

The corresponding submatrix of \hat{H} is evolved then diagonalized to produce a matrix $U_\alpha^{J^\pi TT_z}$

Compute the matrix elements of the bare operator: $\langle k' J'^{\pi'} T' T'_z || \hat{O}^{(K)} || k J^\pi TT_z \rangle$

Matrix elements of the evolved operator are:

$$\langle k' J'^{\pi'} T' T'_z, \alpha || U_\alpha^{J'^{\pi'} T' T'_z} \hat{O}^{(K)} U_\alpha^\dagger{}^{J^\pi TT_z} || k J^\pi TT_z, \alpha \rangle$$

SRG evolution of general operators

Peter Gysbers (UBC/TRIUMF)

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Implementation up to two-body terms:

The matrix U is calculated blockwise, for relative coordinate two-nucleon eigenstates:

$$|(A = 2)k J^\pi T T_z\rangle = \sum_{n,\ell} c_{n\ell s}^k |n\ell s J^\pi T T_z\rangle$$

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Compute the matrix elements of the bare operator: $\langle k' J'^{\pi'} T' T'_z || \hat{O}^{(K)} || k J^\pi T T_z \rangle$

Matrix elements of the evolved operator are:

$$\langle k' J'^{\pi'} T' T'_z, \alpha || U_\alpha^{J'^{\pi'} T' T'_z} \hat{O}^{(K)} U_\alpha^\dagger{}^{J^\pi T T_z} || k J^\pi T T_z, \alpha \rangle$$

Converting from the two-nucleon Jacobi basis to the single particle basis:

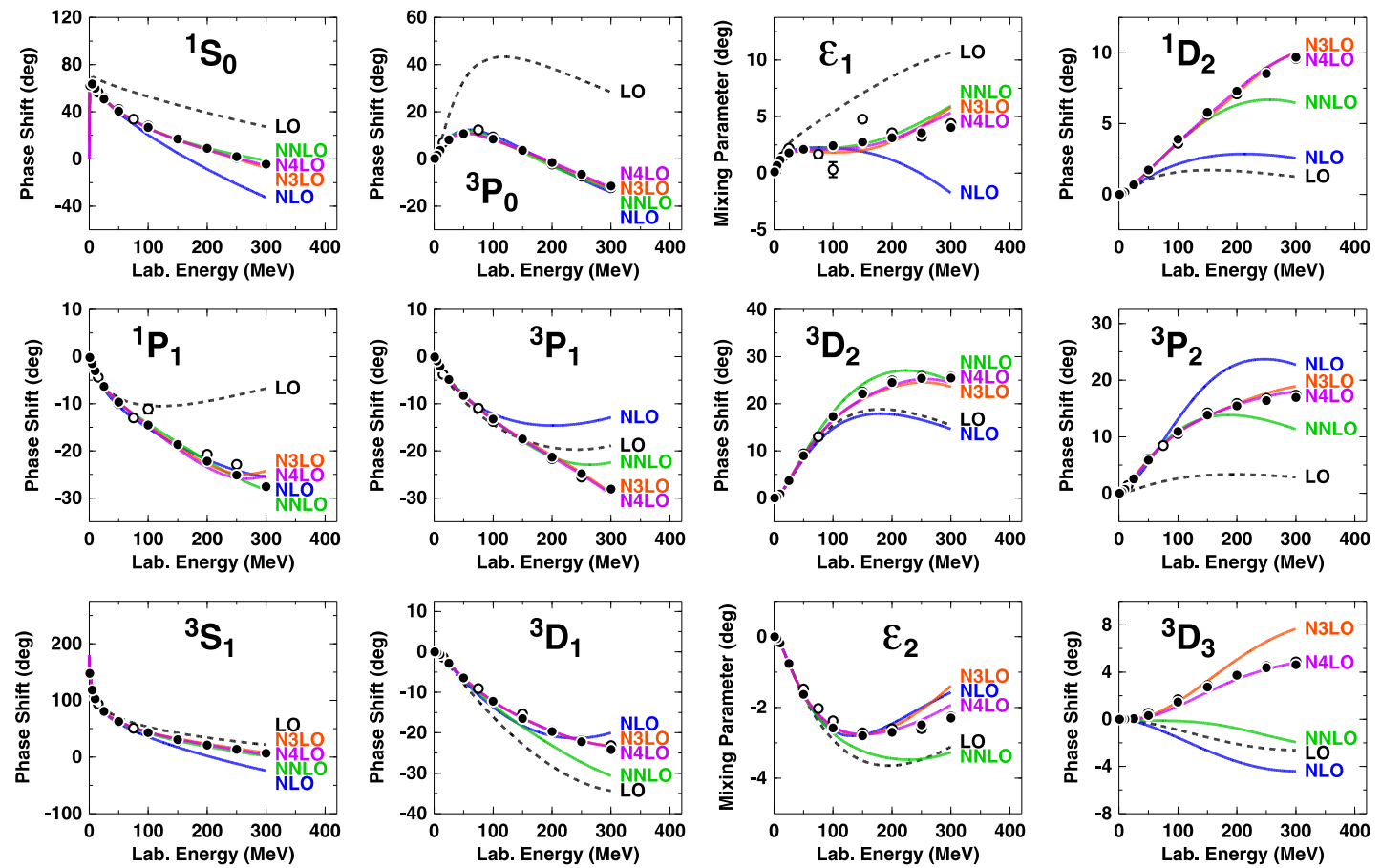
$$\begin{aligned} & \langle a' b' J'^{\pi'} T' T'_z || \hat{O}_\alpha^{(K)} || a b J^\pi T T_z \rangle \quad a \equiv \{n_a, \ell_a, j_a\} \\ & = \sum C_{n'\ell's'}^{*a'b'} C_{n\ell s}^{ab} \langle n'\ell's' J'^{\pi'} T' T'_z || \hat{O}_\alpha^{(K)} || n\ell s J^\pi T T_z \rangle \end{aligned}$$

Code NCSMV2B

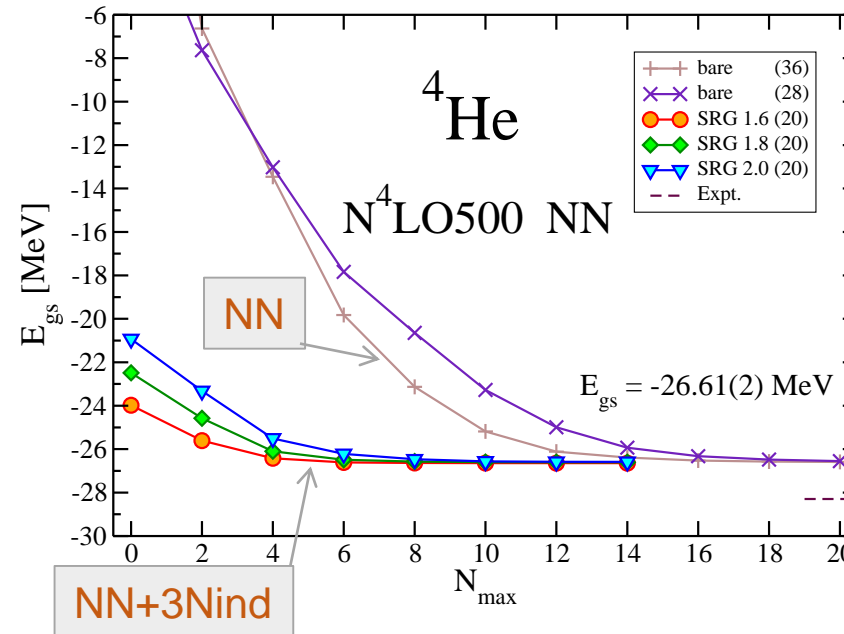
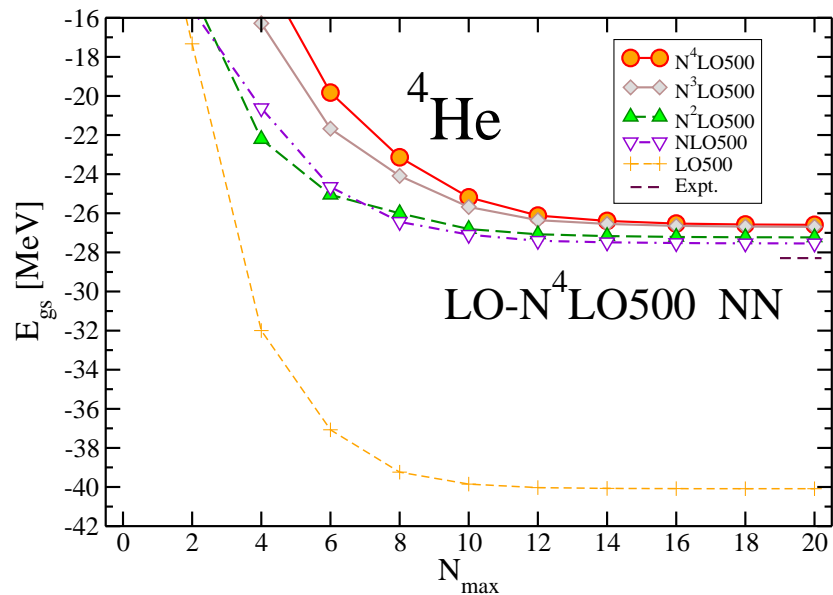
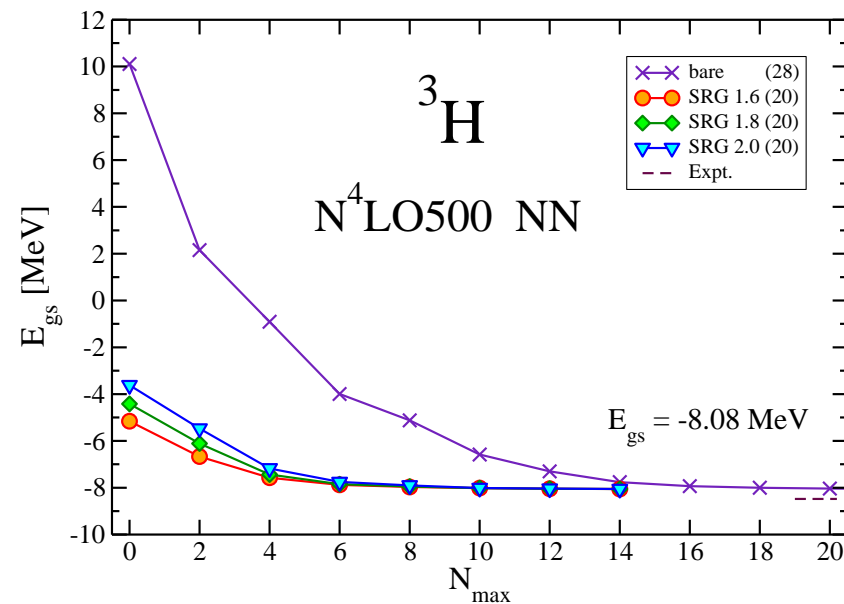
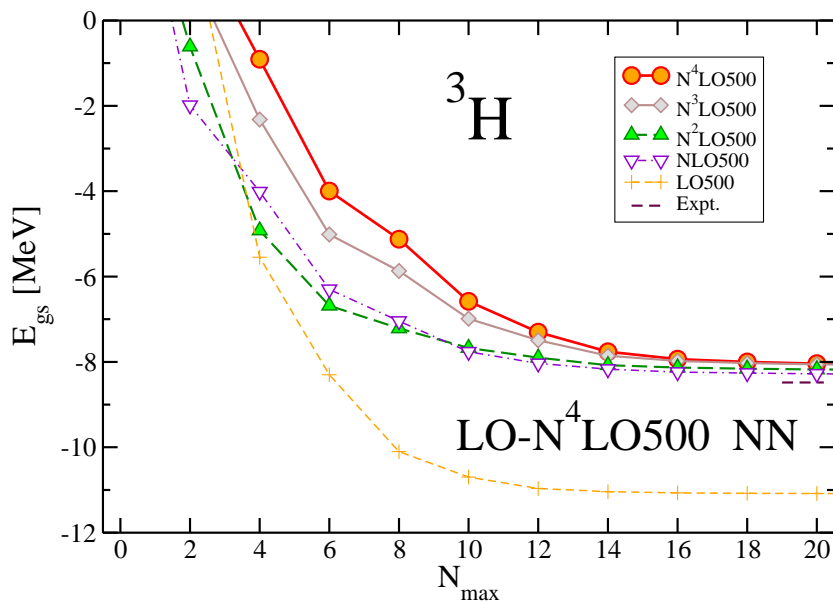
The NN interaction from chiral EFT

- Chiral NN potential up to N⁴LO
- Set of five potentials constructed
 - Sequence of LO, NLO, ..., N⁴LO
 - Uncertainty quantification
- At N³LO and N⁴LO:
 - 24 LECs fitted to the *np* scattering data and the deuteron properties
 - Including c_i LECs ($i=1-4$) from pion-nucleon scattering
- N⁴LO NN fitted to data up to pion production threshold with $\chi^2/\text{datum} \sim 1.15$

PHYSICAL REVIEW C 96, 024004 (2017)
High-quality two-nucleon potentials up to fifth order of the chiral expansion
 D. R. Entem,^{1,*} R. Machleidt,^{2,†} and Y. Nosyk²



^3H and ^4He with chiral EFT interactions up to N^4LO



Properties of ^3H , ^3He and ^4He with the new $\text{N}^4\text{LO NN}$

- $\text{N}^4\text{LO500 NN}$
 - ^3H
 - $E = -8.08 \text{ MeV}$
 - point-proton radius = 1.62 fm
 - ^3He
 - $E = -7.33 \text{ MeV}$
 - point-proton radius = 1.82 fm
 - ^4He
 - $E = -26.61(2) \text{ MeV}$
 - point-proton radius = 1.475(5) fm

${}^3\text{H} \rightarrow {}^3\text{He} \beta$ decay

Peter Gysbers (UBC/TRIUMF)

$$\hat{O} = GT^{(1)} \quad ! \quad \hat{O}_{\leftarrow} = GT^{(1)} + GT_{\leftarrow}^{(2)} + \dots$$

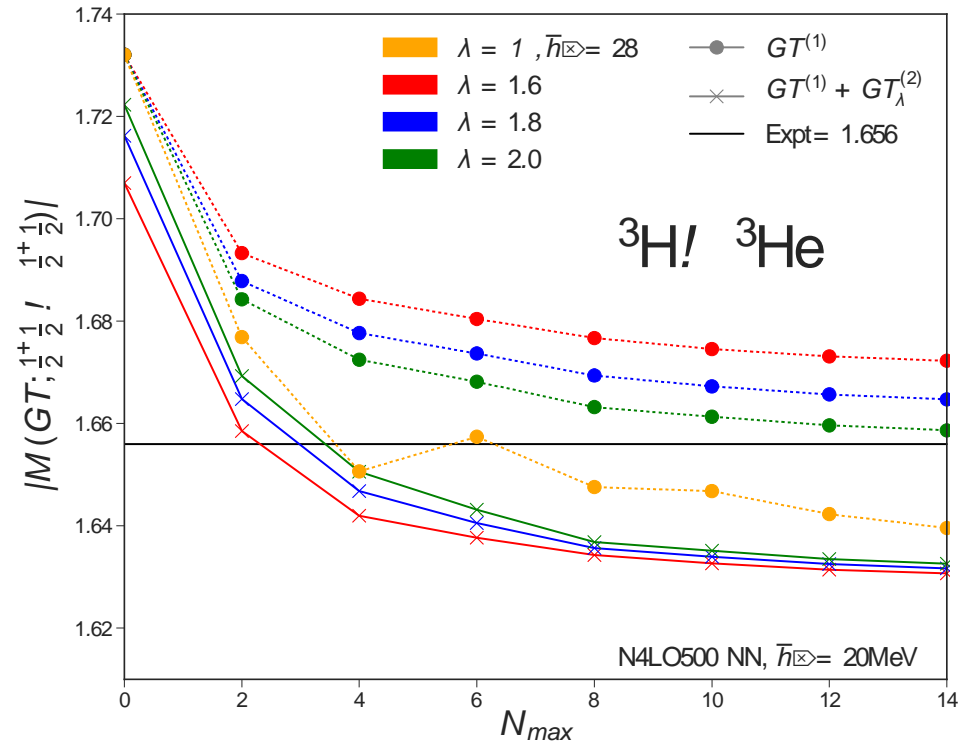
Operator:

Gamow-Teller (1-body)

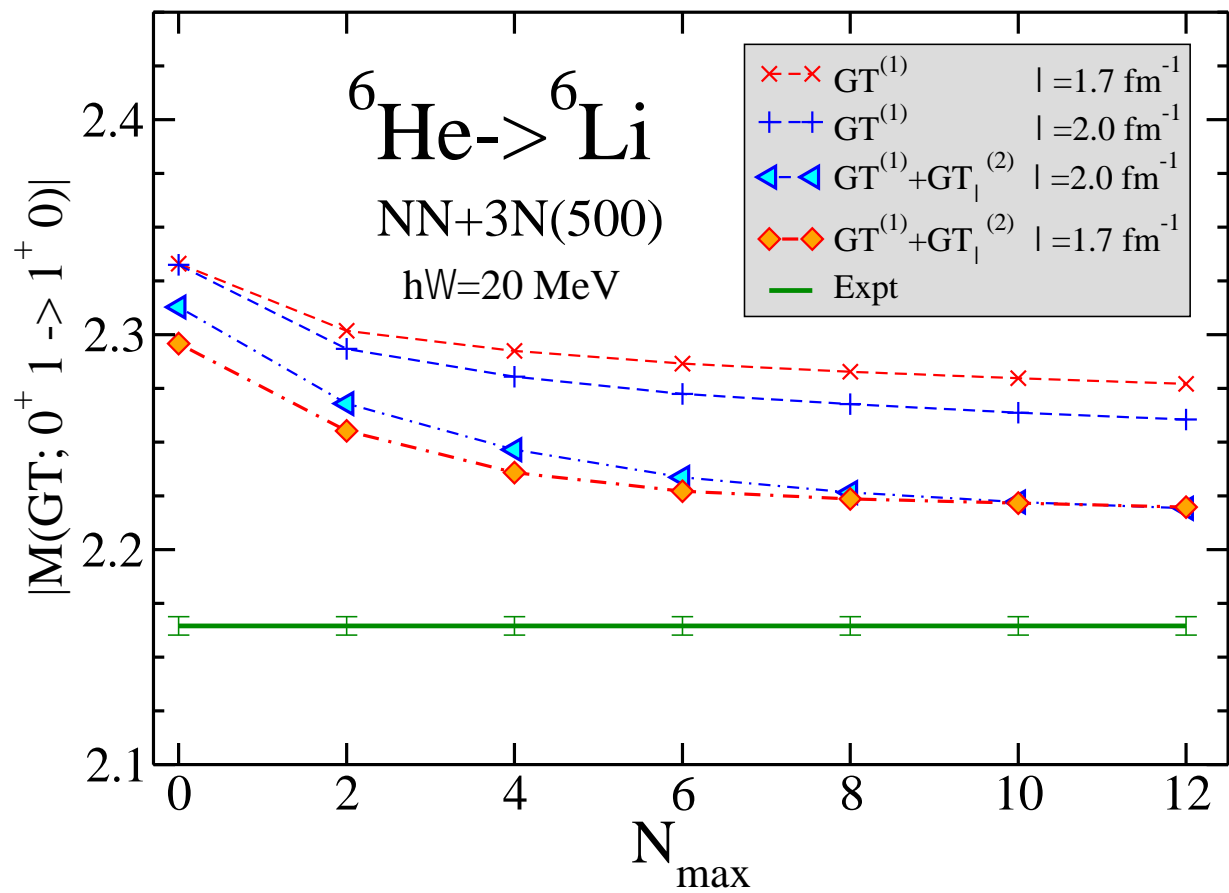
$$hGT_{\leftarrow}^{(2)} i_{A=2} = h(GT^{(1)})_{\leftarrow} i_{A=2} - hGT^{(1)} i_{A=2}$$

Potential: "N⁴LO NN"

- chiral NN @N⁴LO, Machleidt PRC96 (2017), 500MeV cut-off



Hamiltonian:
chiral NN with SRG 2- and 3-body induced
(except orange line: bare chiral NN)



Hamiltonian:
 chiral NN with SRG 2- and 3-body induced

${}^3\text{H} \rightarrow {}^3\text{He} \beta$ decay

Peter Gysbers (UBC/TRIUMF)

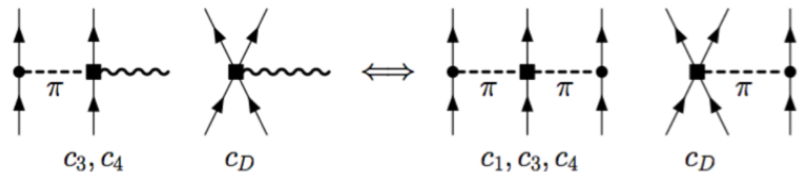
$$\hat{O} = GT^{(1)} + MEC^{(2)} \quad ! \quad \hat{O}_{\leftarrow} = GT^{(1)} + GT_{\leftarrow}^{(2)} + MEC_{\leftarrow}^{(2)} + \dots$$

Operator:

Gamow-Teller (1-body) + chiral meson exchange current (2-body)
Park (2003)

Potential: "N⁴LO NN"

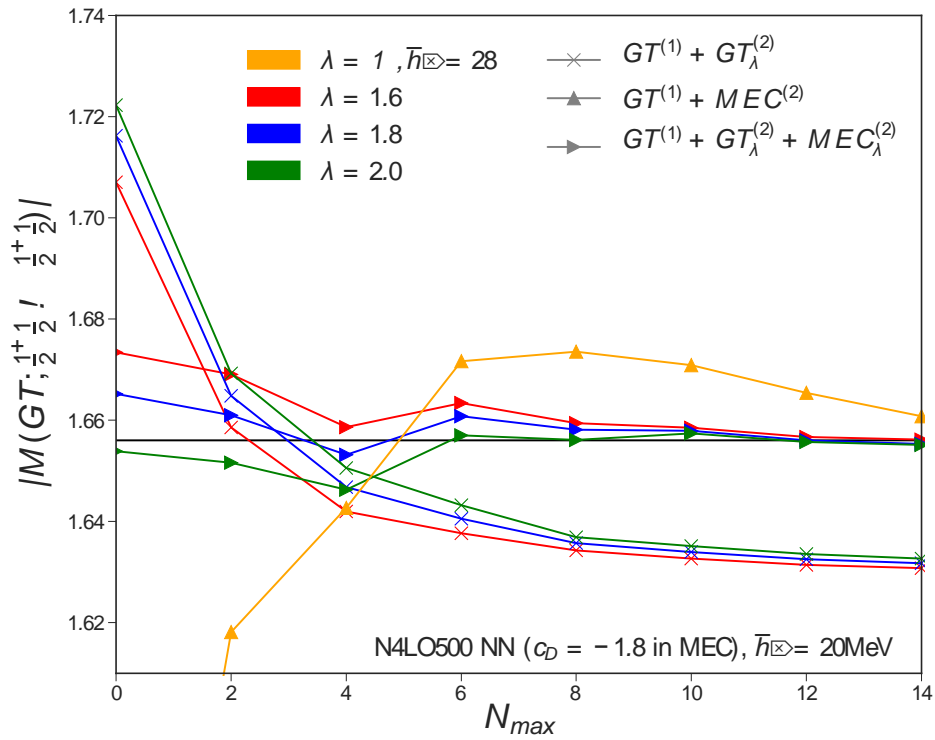
- chiral NN @N⁴LO, Machleidt PRC96 (2017), 500MeV cutoff
- LEC $c_D = -1.8$ determined



Original EM 2003 N³LO NN $c_D = +0.8$
(3N repulsive)



Determination of the c_D parameter relevant to chiral 3N force $c_D = -1.8$
(3N attractive)



Properties of ${}^3\text{H}$, ${}^3\text{He}$ and ${}^4\text{He}$ with the new $\text{N}^4\text{LO NN} + \text{N}^2\text{LO } 3\text{N}_{\text{Inl}}$

- $\text{N}^4\text{LO500 NN}$

- ${}^3\text{H}$

$$E = -8.08 \text{ MeV}$$

$$\text{point-proton radius} = 1.62 \text{ fm}$$

- ${}^3\text{He}$

$$E = -7.33 \text{ MeV}$$

$$\text{point-proton radius} = 1.82 \text{ fm}$$

- ${}^4\text{He}$

$$E = -26.60(1) \text{ MeV}$$

$$\text{point-proton radius} = 1.475(5) \text{ fm}$$

- $\text{N}^4\text{LO500 NN} + \text{N}^2\text{LO } 3\text{N}_{\text{Inl}}$

3N fitted to ${}^3\text{H}$ β decay and binding energy

$$c_1 = -0.73, c_3 = -3.38, c_4 = 1.69, \Lambda_{\text{loc}} = 650 \text{ MeV}, \Lambda_{\text{nonloc}} = 500 \text{ MeV}, c_D = -1.8, c_E = -0.31$$

- ${}^3\text{H}$

$$E = -8.48 \text{ MeV} \quad \langle V_{3\text{N}2\pi} \rangle = -0.54 \text{ MeV} \quad \langle V_{3\text{ND}} \rangle = -0.32 \text{ MeV} \quad \langle V_{3\text{NE}} \rangle = 0.40 \text{ MeV}$$

$$\text{point-proton radius} = 1.60 \text{ fm}$$

- ${}^3\text{He}$

$$E = -7.73 \text{ MeV}$$

$$\text{point-proton radius} = 1.78 \text{ fm}$$

- ${}^4\text{He}$

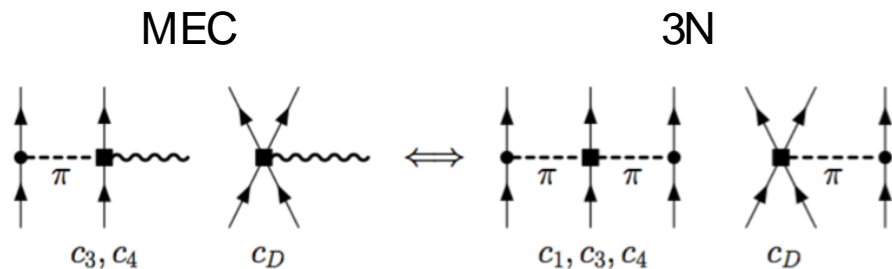
$$E = -28.25(2) \text{ MeV} \quad \langle V_{3\text{N}2\pi} \rangle = -2.16(5) \text{ MeV} \quad \langle V_{3\text{ND}} \rangle = -2.22(5) \text{ MeV} \quad \langle V_{3\text{NE}} \rangle = 2.41(5) \text{ MeV}$$

$$\text{point-proton radius} = 1.46(1) \text{ fm}$$

Preliminary

Applications to β decays in p-shell nuclei and beyond

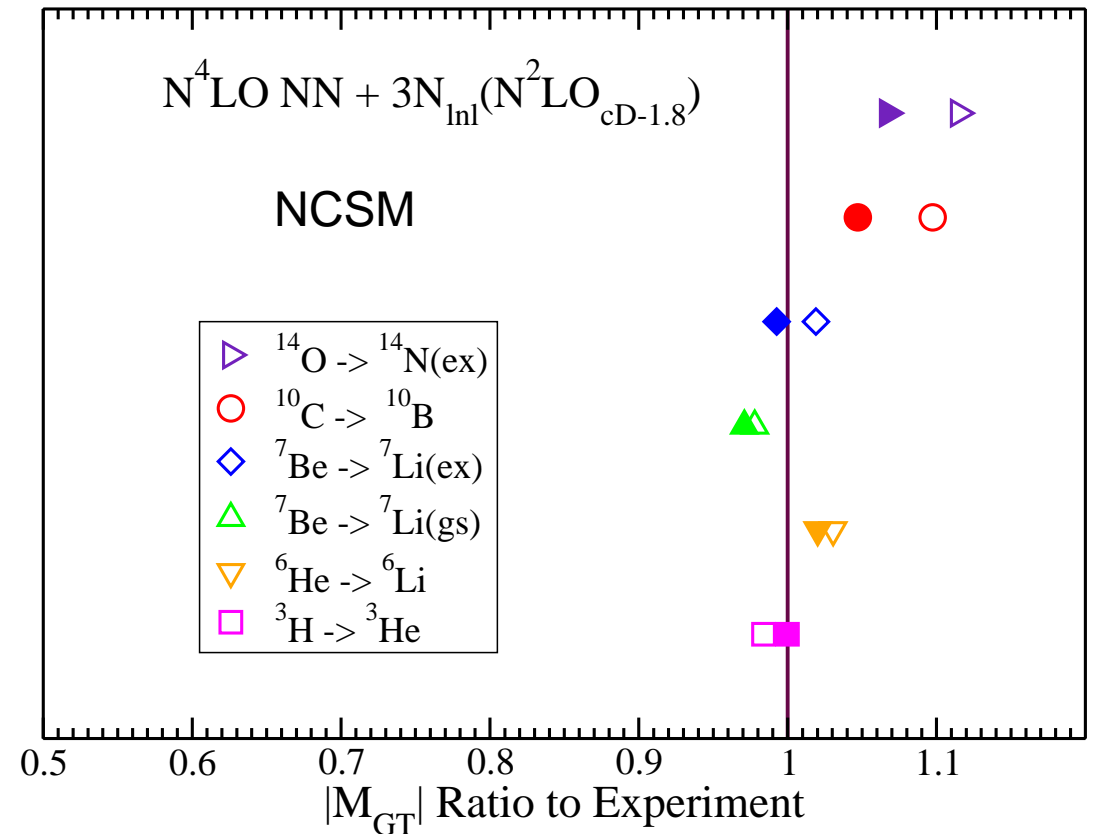
- Does inclusion of the MEC explain g_A quenching?
- In light nuclei correlations present in *ab initio* (NCSM) wave functions explain almost all of the quenching compared to the standard shell model
 - MEC inclusion overall improves agreement with experiment
- The effect of the MEC inclusion is greater in heavier nuclei
- SRG evolved matrix elements used in coupled-cluster and IM-SRG calculations (up to ^{100}Sn)



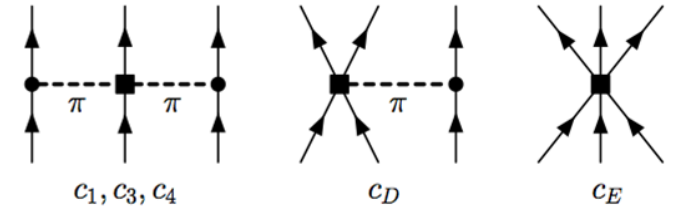
Hollow symbols – GT

Filled symbols – GT+MEC

Both Hamiltonian and operators SRG evolved



Original N³LO NN + 3N(400,500) vs. N²LO_{sat} vs. new N³LO NN + 3N_{lnl}



- Local: chiral N³LO NN + N²LO 3N(500)
 - $c_D = -0.2$ $c_E = -0.205$ (${}^3\text{H } E_{\text{gs}} = -8.48$ MeV)
 - ${}^4\text{He}$

$\langle H \rangle = -28.4939$ $\langle V_{3b_2\pi} \rangle = -5.8819$ $\langle V_{3b_D} \rangle = -0.2206$ $\langle V_{3b_E} \rangle = 1.2665$

- Local: chiral N³LO NN + N²LO 3N(400)
 - $c_D = -0.2$ $c_E = +0.098$ (${}^3\text{H } E_{\text{gs}} = -8.32$ MeV)
 - ${}^4\text{He}$

$\langle H \rangle = -28.2839$ $\langle V_{3b_2\pi} \rangle = -2.7173$ $\langle V_{3b_D} \rangle = -0.2801$ $\langle V_{3b_E} \rangle = -0.6630$

- Non-local: chiral N²LO_{sat} NN + 3N
 - $c_D = +0.8168$ $c_E = -0.0396$ (${}^3\text{H } E_{\text{gs}} = -8.53$ MeV)
 - ${}^4\text{He}$

$\langle H \rangle = -28.4596$ $\langle V_{3b_2\pi} \rangle = -4.7260$ $\langle V_{3b_D} \rangle = 1.3897$ $\langle V_{3b_E} \rangle = 0.4174$

- Local/Non-local: chiral N³LO NN + N²LO 3N_{lnl}
 - $c_D = +0.7$ $c_E = -0.06$ (${}^3\text{H } E_{\text{gs}} = -8.44$ MeV)
 - ${}^4\text{He}$

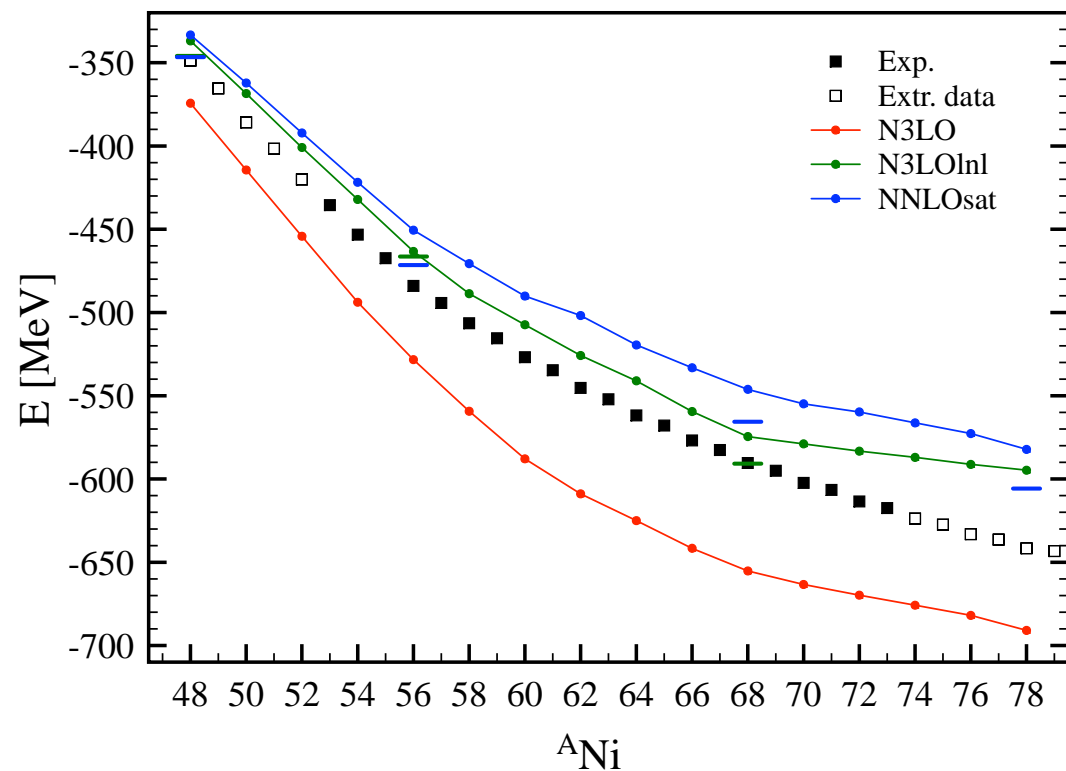
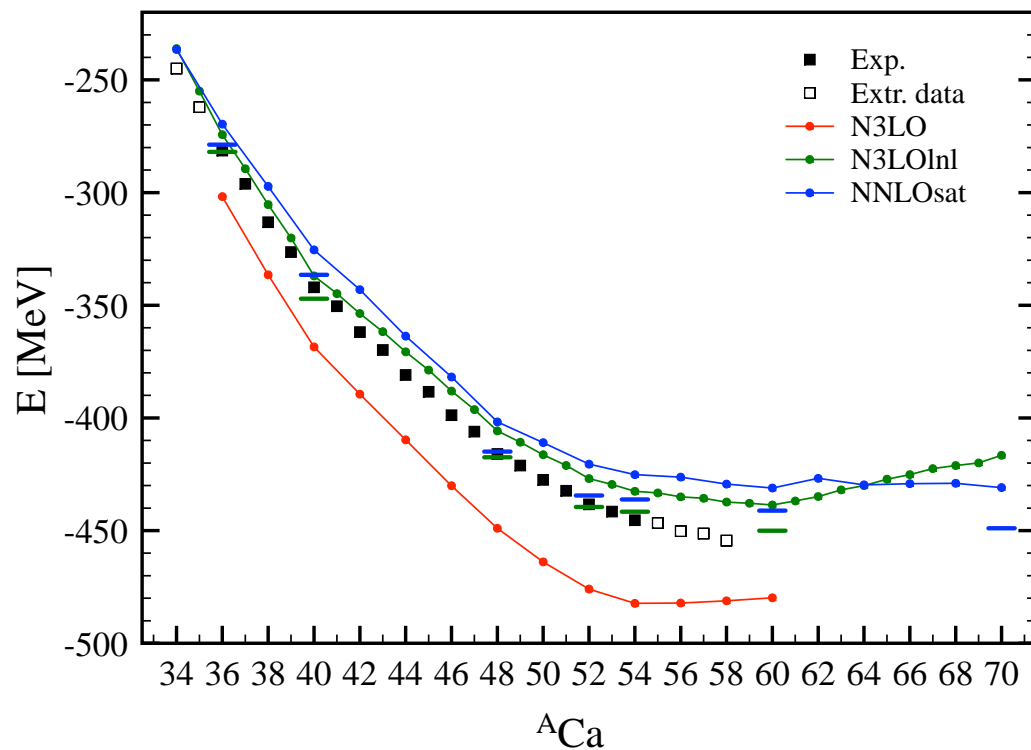
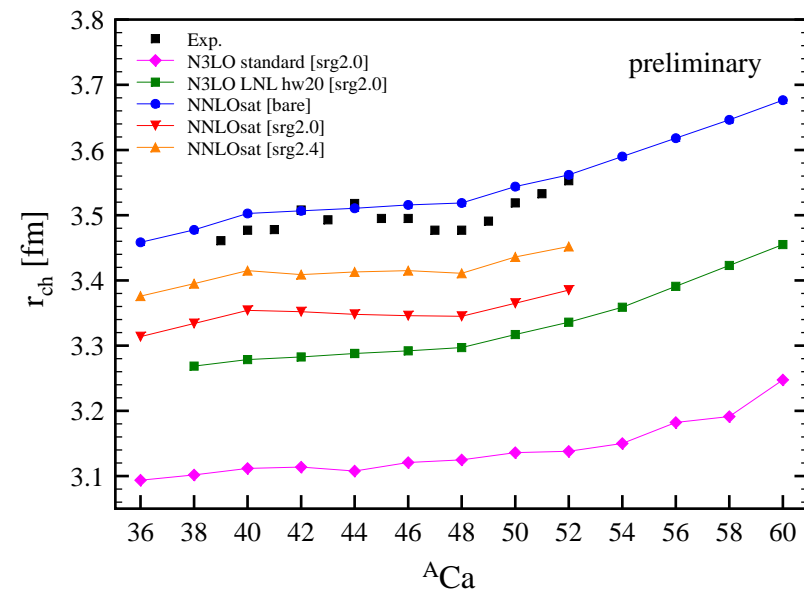
$\langle H \rangle = -28.2530$ $\langle V_{3b_2\pi} \rangle = -4.8124$ $\langle V_{3b_D} \rangle = 0.7414$ $\langle V_{3b_E} \rangle = 0.4255$

Original N³LO NN + 3N(400,500) vs. N²LO_{sat} vs. new N³LO NN + 3N_{lnl}

■ SCGF, GGF

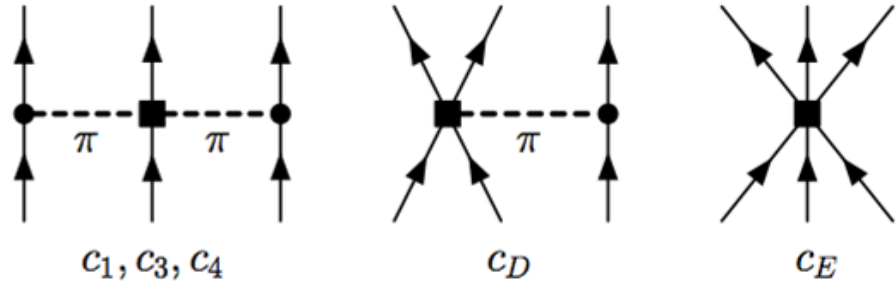
- Carlo Barbieri, Vittorio Soma, Thomas Duguet, Francesco Raimondi

Preliminary

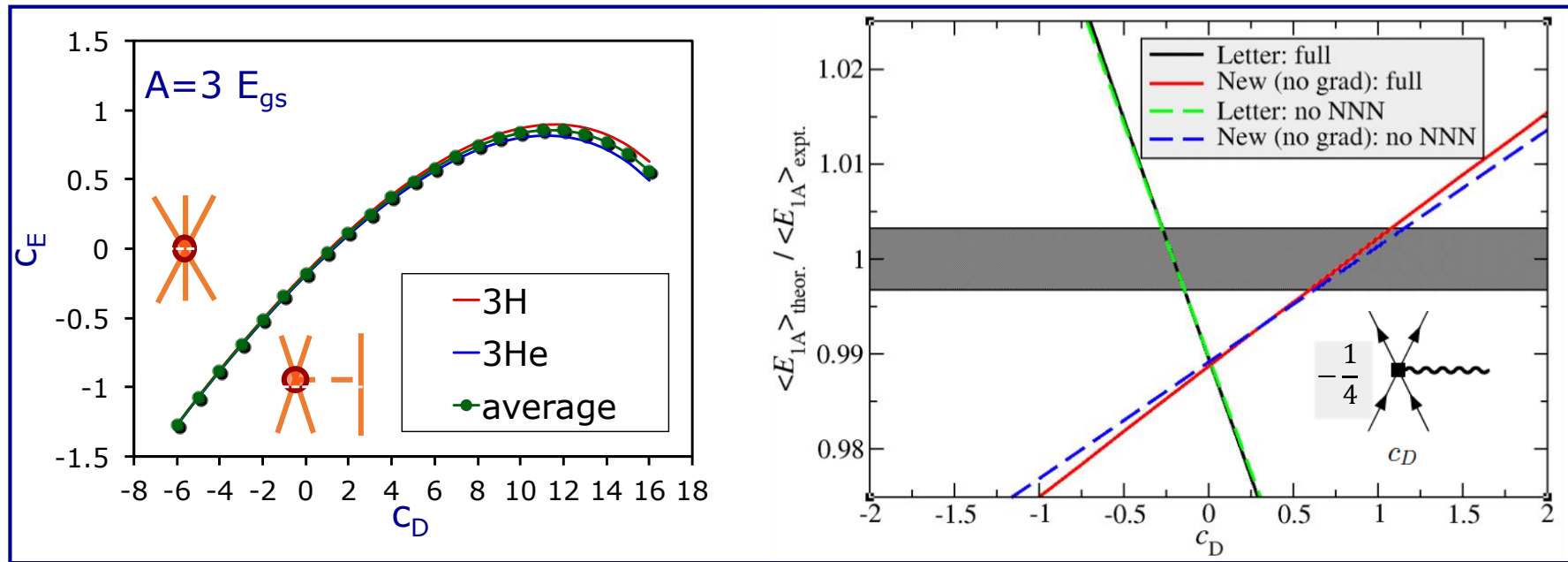


Leading terms of the chiral NNN force and axial currents

From NN & pion-nucleon scattering



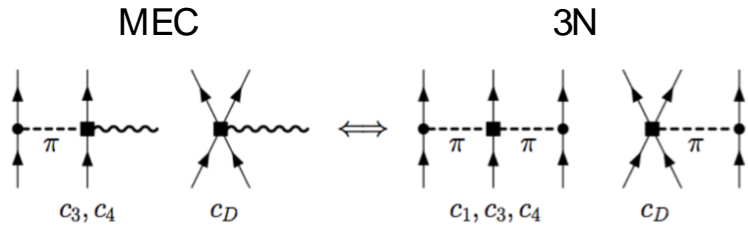
Chiral EFT provides a link between the medium-range (c_D term) NNN force and the meson-exchange current appearing in nuclear beta decay



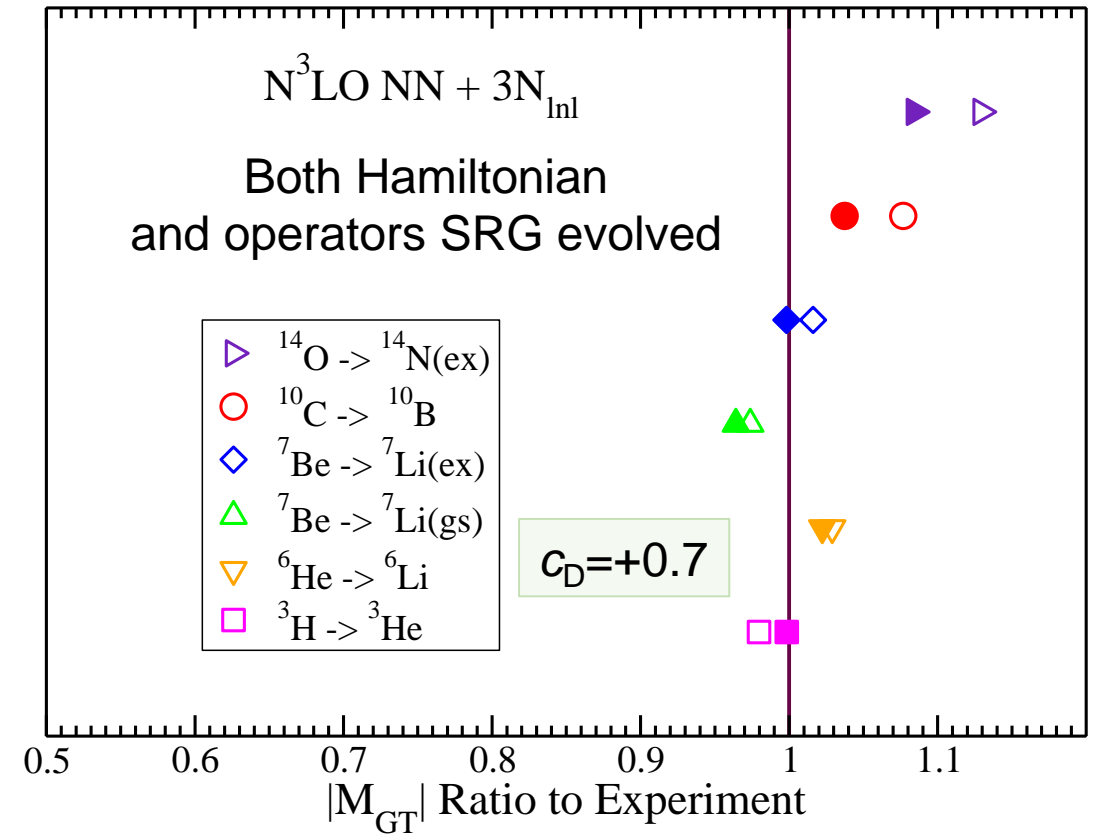
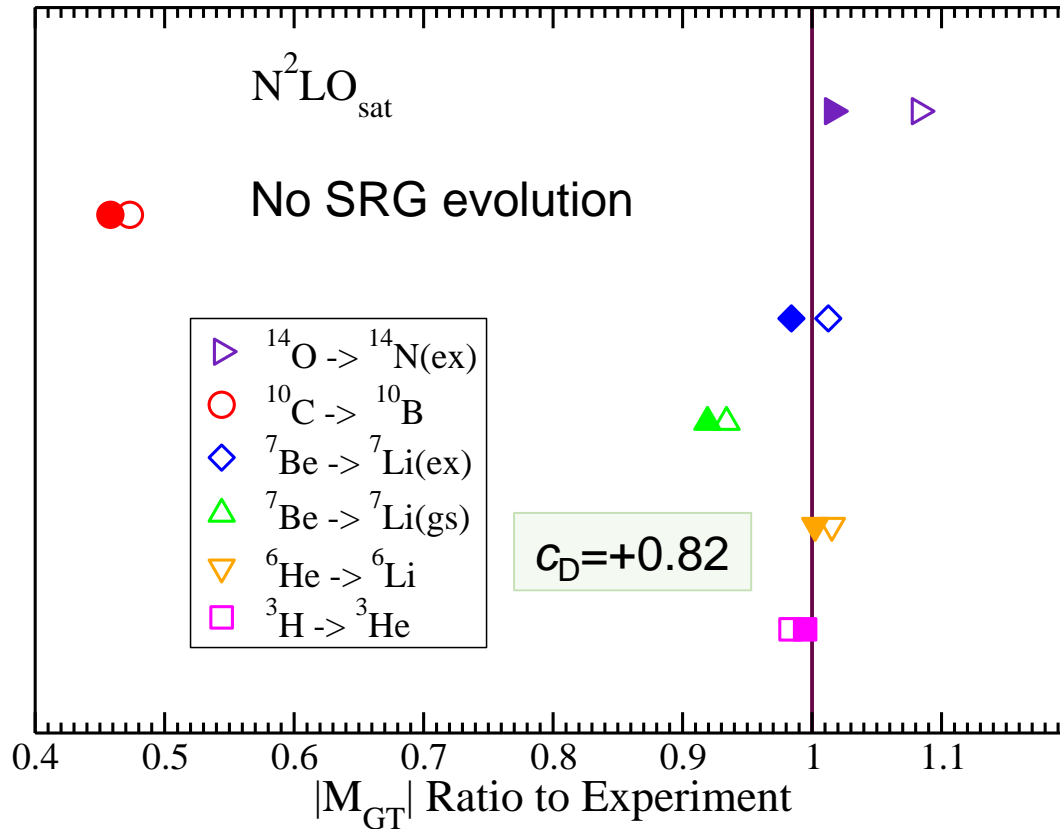
After 10 years...
corrected
multiplicative factor
Dozens of papers
affected

NNN parameters determined from the ^3H binding energy and half life

Applications to β decays in p-shell nuclei



Hollow symbols – GT
Filled symbols – GT+MEC

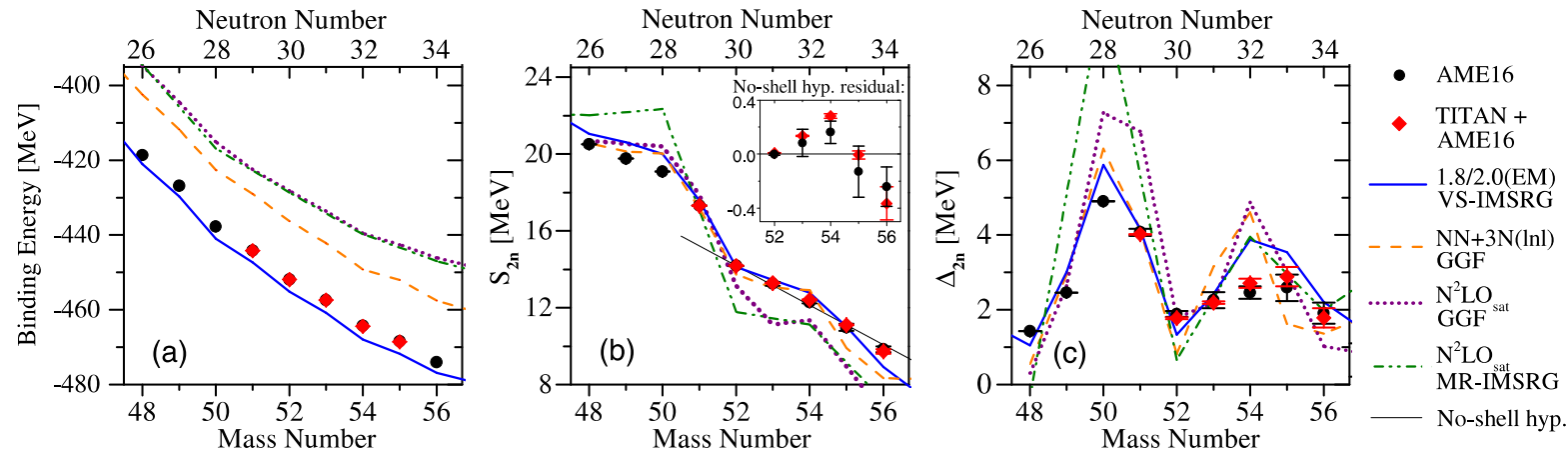


Dawning of the $N = 32$ Shell Closure Seen through Precision Mass Measurements of Neutron-Rich Titanium Isotopes

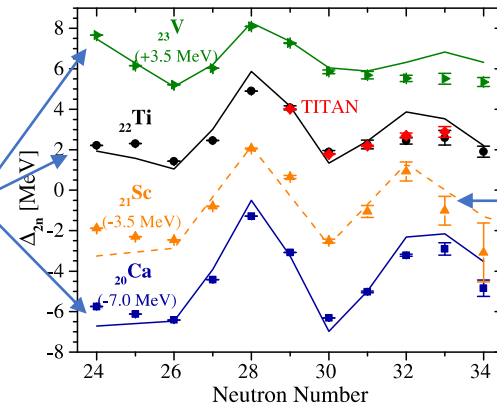
E. Leistenschneider,^{1,2,*} M. P. Reiter,^{1,3} S. Ayet San Andrés,^{3,4} B. Kootte,^{1,5} J. D. Holt,¹ P. Navrátil,¹ C. Babcock,¹ C. Barbieri,⁶ B. R. Barquest,¹ J. Bergmann,³ J. Bollig,^{1,7} T. Brunner,^{1,8} E. Dunling,^{1,9} A. Finlay,^{1,2} H. Geissel,^{3,4} L. Graham,¹ F. Greiner,³ H. Hergert,¹⁰ C. Hornung,³ C. Jesch,³ R. Klawitter,^{1,11} Y. Lan,^{1,2} D. Lascar,^{1,†} K. G. Leach,¹² W. Lippert,³ J. E. McKay,^{1,13} S. F. Paul,^{1,7} A. Schwenk,^{11,14,15} D. Short,^{1,16} J. Simonis,¹⁷ V. Somà,¹⁸ R. Steinbrügge,¹ S. R. Stroberg,^{1,19} R. Thompson,²⁰ M. E. Wieser,²⁰ C. Will,³ M. Yavor,²¹ C. Andreoiu,¹⁶ T. Dickel,^{3,4} I. Dillmann,^{1,13} G. Gwinner,⁵ W. R. Plaß,^{3,4} C. Scheidenberger,^{3,4} A. A. Kwiatkowski,^{1,13} and J. Dilling^{1,2}

New $N^3LO_{\text{Inl}} + 3N_{\text{Inl}}$ applied to Ti isotopes

- TRIUMF TITAN Penning trap mass measurements & several *ab initio* calculations

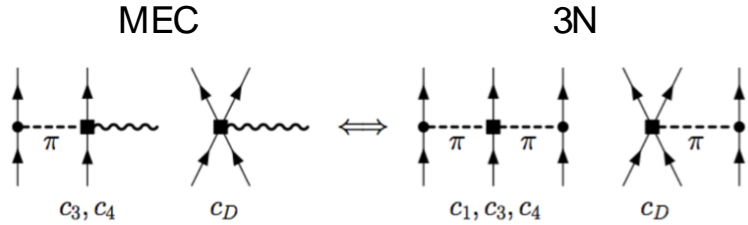


Hebeler's magic interaction

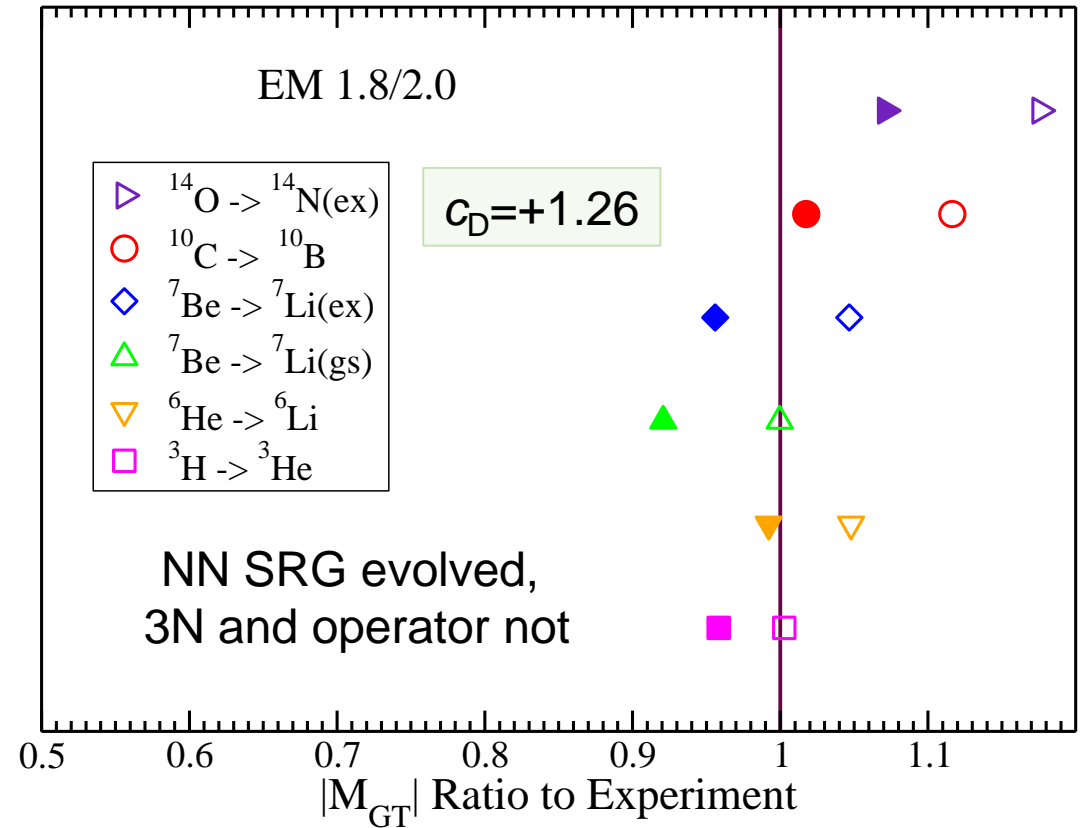
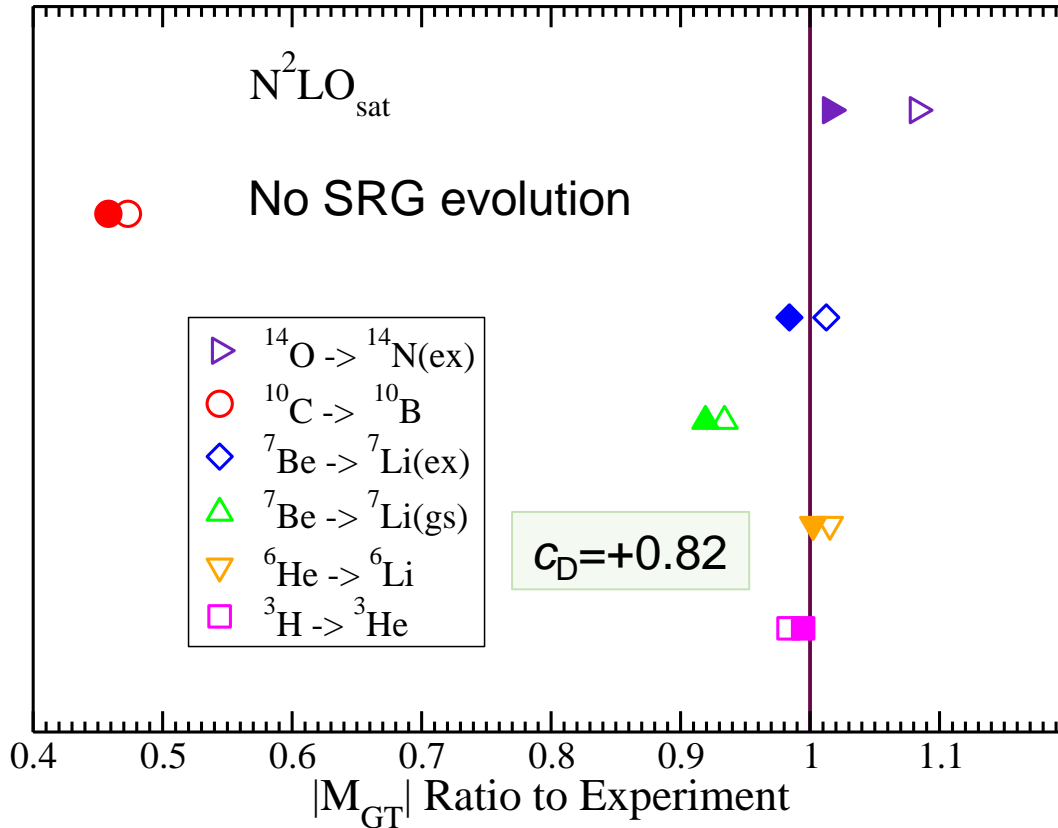


Accidentally magic interaction

Applications to β decays in p-shell nuclei



Hollow symbols – GT
 Filled symbols – GT+MEC



Chiral NNN interaction with N⁴LO contacts

- Ten contact terms
- Include spin-orbit contribution that helps to fix the famous A_y puzzle in p-d scattering

$$\begin{aligned}
 V^{(2)} = \sum_{i \neq j \neq k} & (E_1 + E_2 \boldsymbol{\tau}_i \cdot \boldsymbol{\tau}_j + E_3 \boldsymbol{\sigma}_i \cdot \boldsymbol{\sigma}_j + E_4 \boldsymbol{\tau}_i \cdot \boldsymbol{\tau}_j \boldsymbol{\sigma}_i \cdot \boldsymbol{\sigma}_j) \left[Z_0''(r_{ij}) + 2 \frac{Z_0'(r_{ij})}{r_{ij}} \right] Z_0(r_{ik}) \\
 & + (E_5 + E_6 \boldsymbol{\tau}_i \cdot \boldsymbol{\tau}_j) S_{ij} \left[Z_0''(r_{ij}) - \frac{Z_0'(r_{ij})}{r_{ij}} \right] Z_0(r_{ik}) \\
 & + (E_7 + E_8 \boldsymbol{\tau}_i \cdot \boldsymbol{\tau}_k) (\mathbf{L} \cdot \mathbf{S})_{ij} \frac{Z_0'(r_{ij})}{r_{ij}} Z_0(r_{ik}) \\
 & + (E_9 + E_{10} \boldsymbol{\tau}_j \cdot \boldsymbol{\tau}_k) \boldsymbol{\sigma}_j \cdot \hat{\mathbf{r}}_{ij} \boldsymbol{\sigma}_k \cdot \hat{\mathbf{r}}_{ik} Z_0'(r_{ij}) Z_0'(r_{ik})
 \end{aligned}$$

- I used the E_7 (and E_8) terms

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Subleading contributions to the three-nucleon contact interaction

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PROCEEDINGS
OF SCIENCE

Progress in the quest for a realistic three-nucleon force

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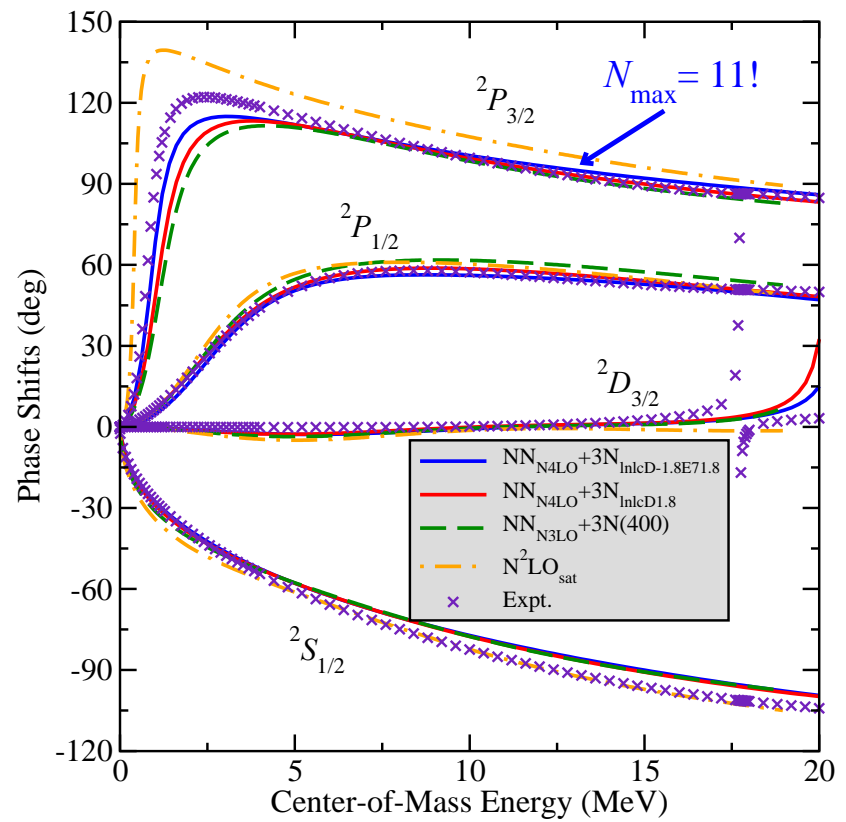
Laura Elisa Marcucci

Department of Physics, University of Pisa, and INFN Pisa, Italy
E-mail: laura.elisa.marcucci@unipi.it

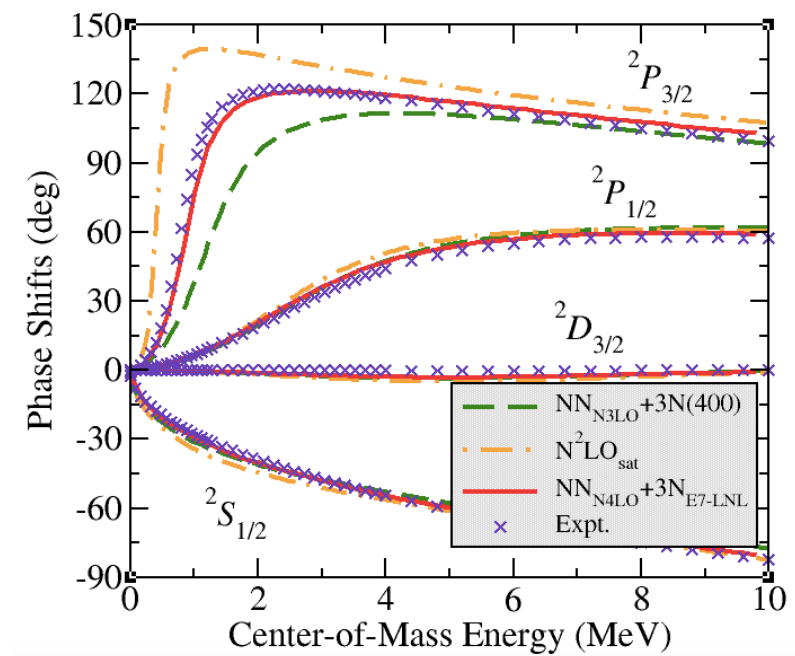
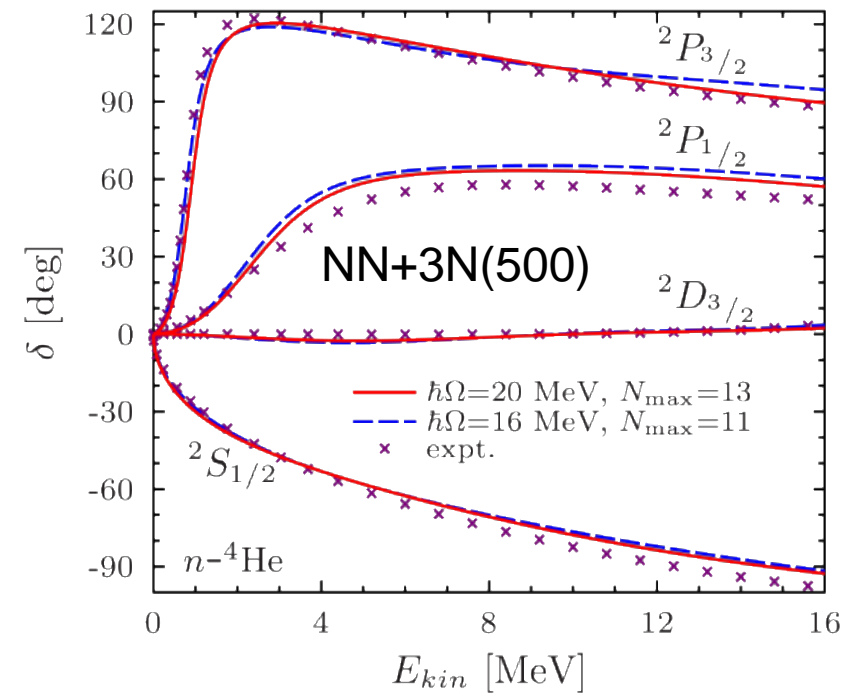
POs(CD15)103

Chiral NNN interaction with N⁴LO contacts

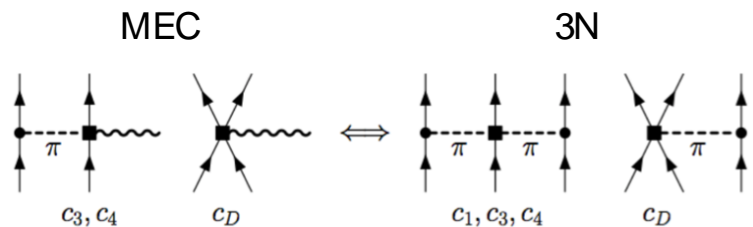
Impact of the E_7 term in n-⁴He scattering



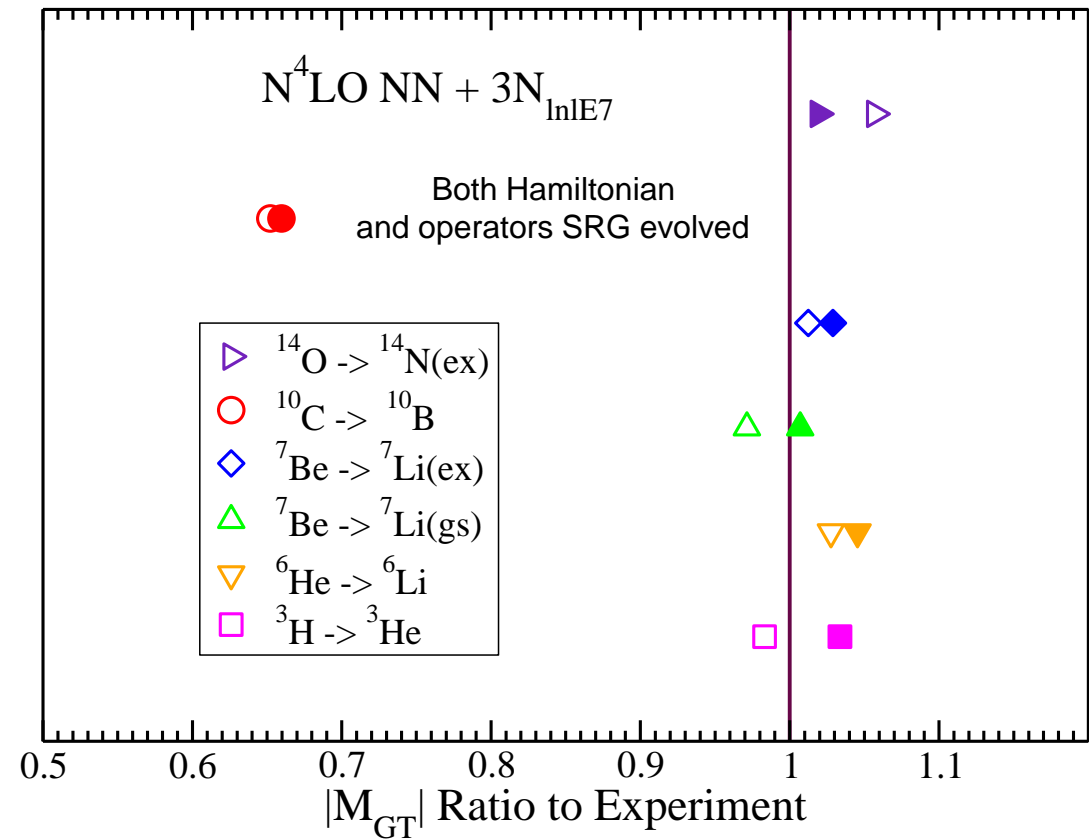
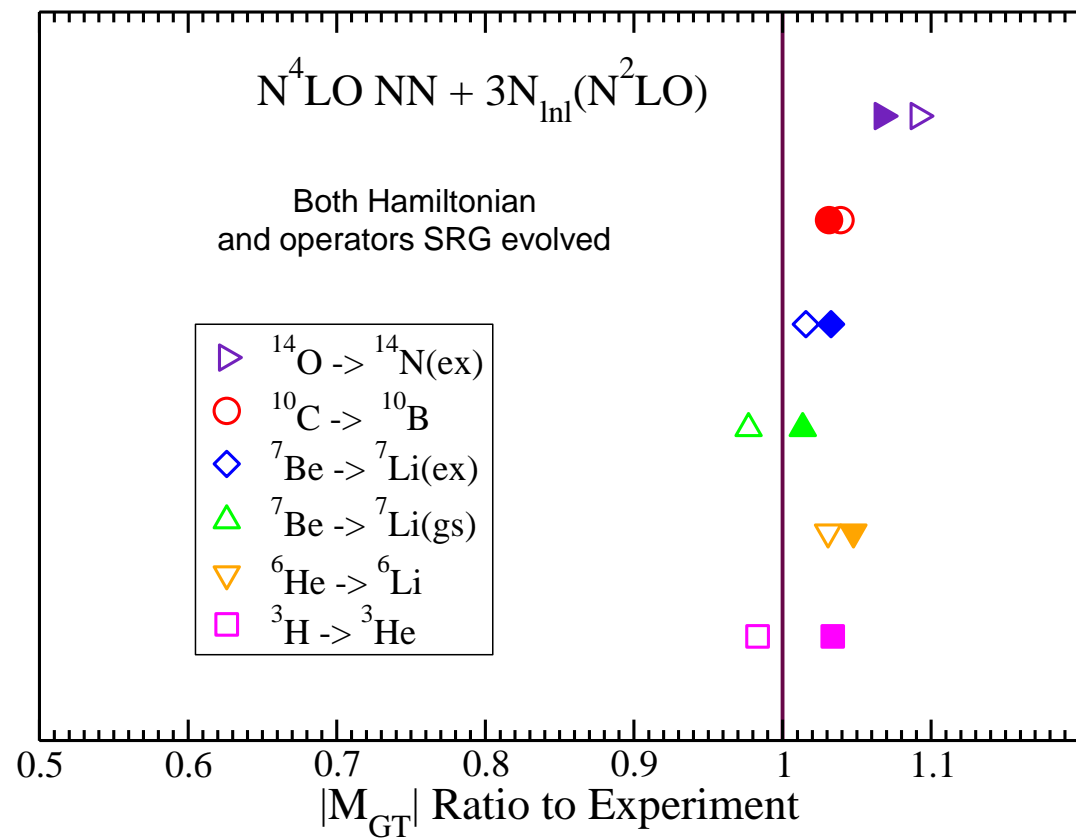
Preliminary
Work in progress...



Applications to β decays in p-shell nuclei



Hollow symbols – GT
 Filled symbols – GT+MEC
 Inconsistent c_D (+0.45) with ${}^3\text{H}$ beta decay \rightarrow enhancement of transitions in $A=6,7$ nuclei, still quenching in $A=14$



Conclusions and outlook

- *Ab initio* calculations of beta decays with SRG evolved chiral forces:
SRG evolution of the transition operators essential
- Role of 2-body currents small in light nuclei
 - The same seen in the GFMC calculations
- We find a systematic improvement when **consistent** forces and currents are included
- Corrected c_D term in $N^3\text{LO NN} + 3\text{N}$ leads to a substantially better description of medium mass nuclei
- SRG evolved transition operators provided for VS-IMSRG and CCM medium mass nuclei calculations

Thank you!
Merci!

