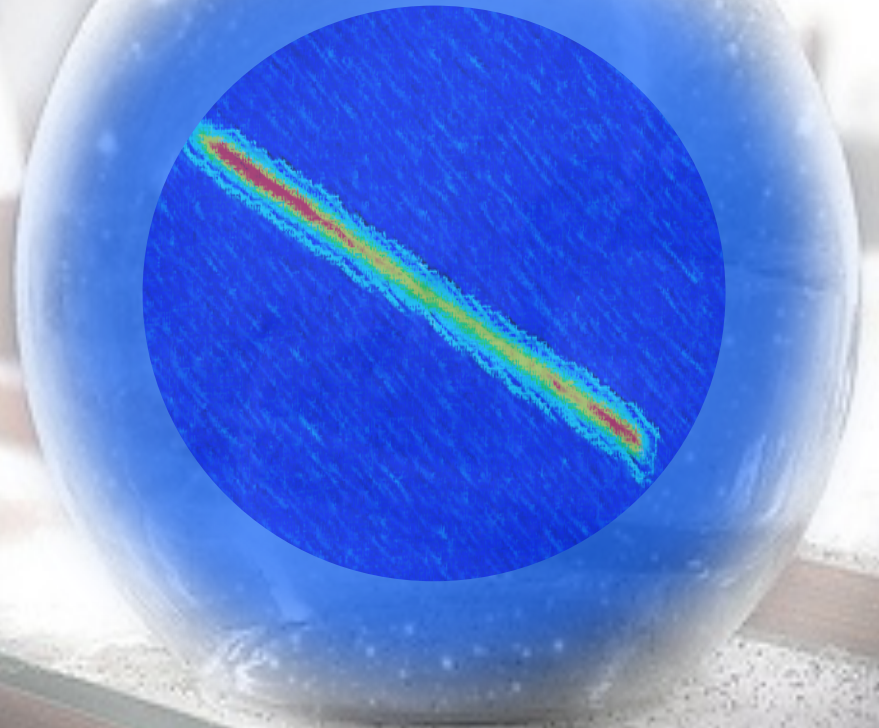
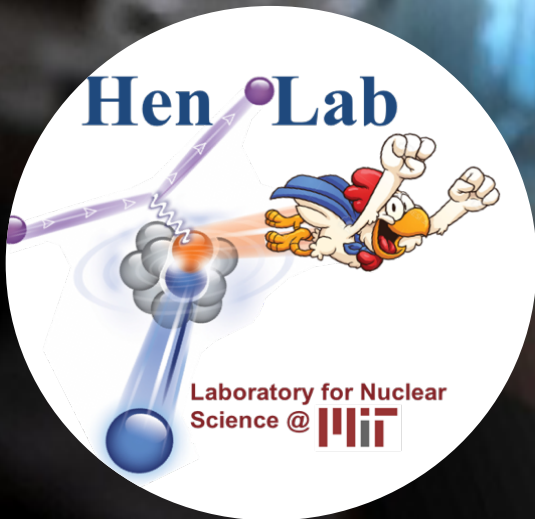


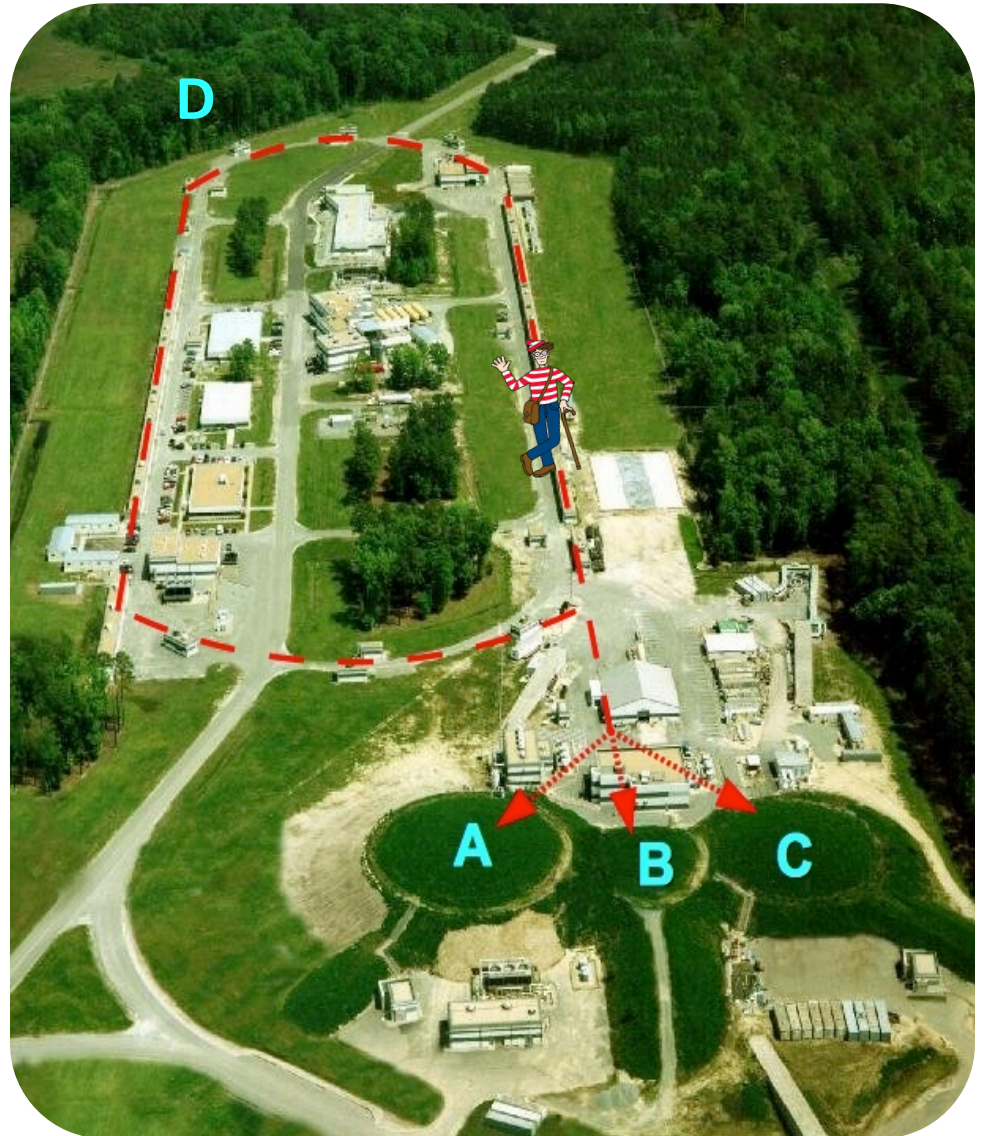
Trapless (^8Li) Beta Decay Study

Or Hen – MIT



Jefferson-Lab National Accelerator Facility

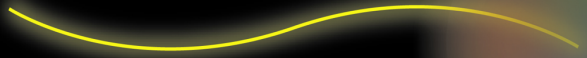
- Virginia, USA
- Electron beam
[12 GeV; $\sim 80 \mu\text{A}$;
high polarization]
- 4 experimental halls
- Approved program for
coming \sim decade
- Leading to EIC



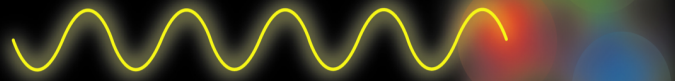
Short-Range Correlations (SRC)



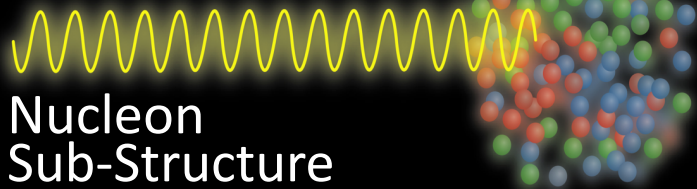
Many-Body System



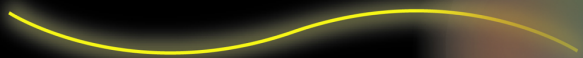
NN Interaction



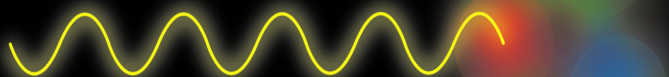
Nucleon
Sub-Structure



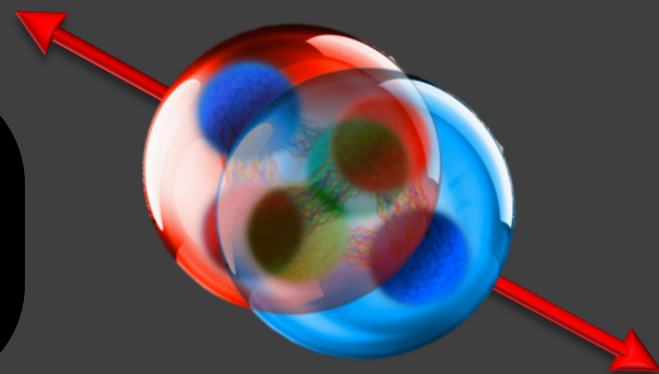
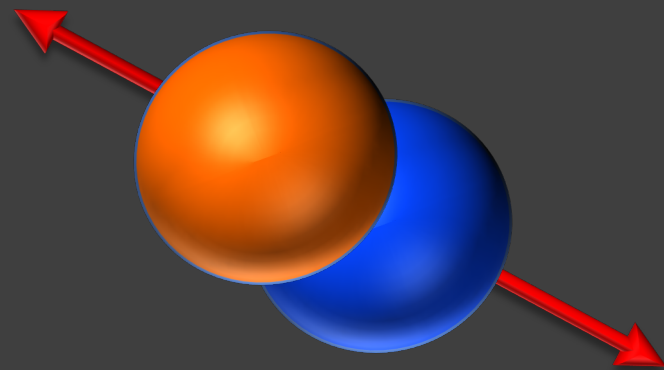
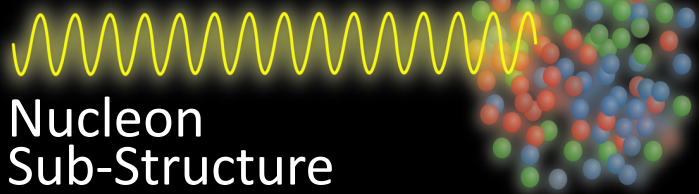
Many-Body System

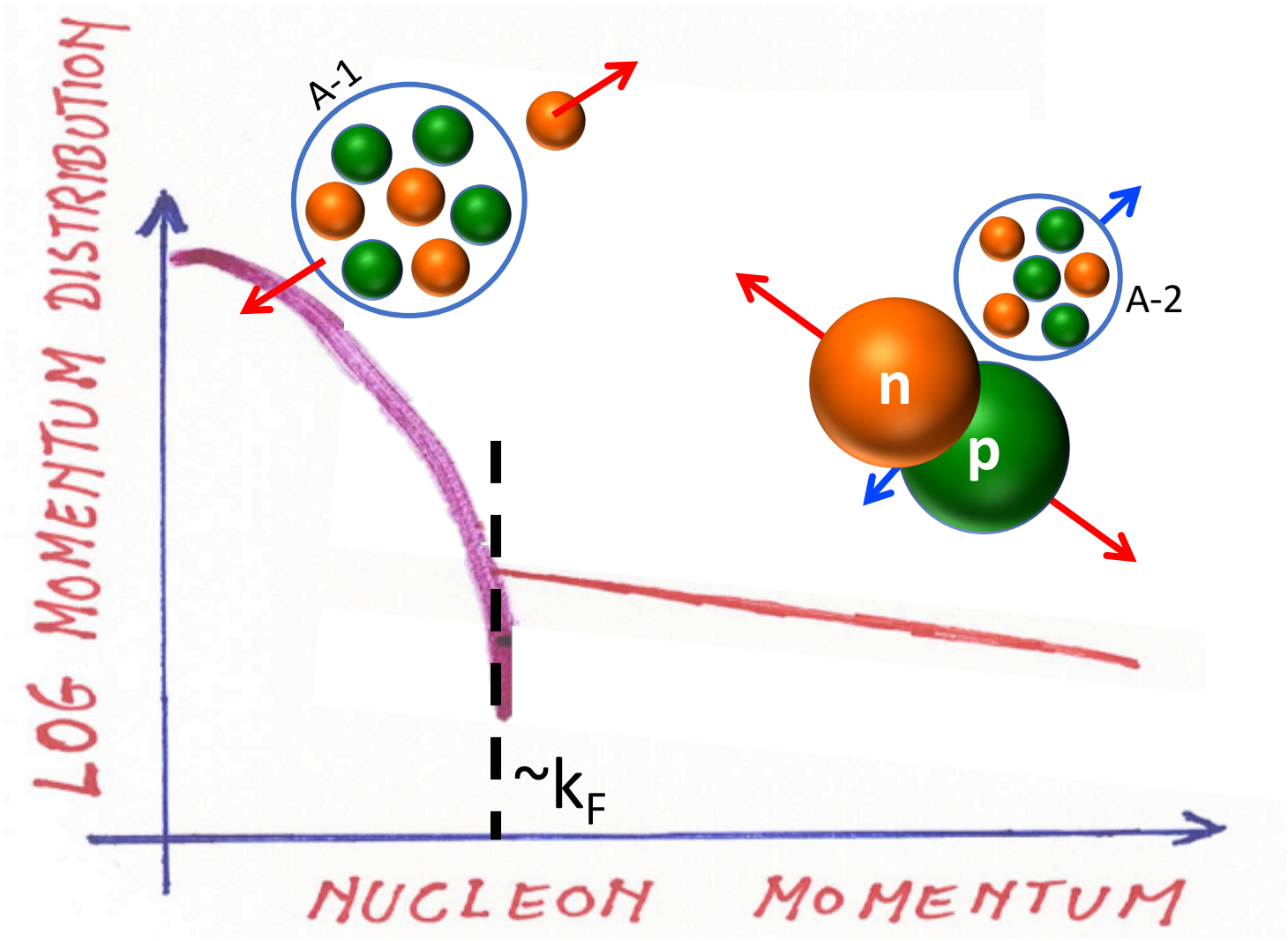


NN Interaction



Nucleon
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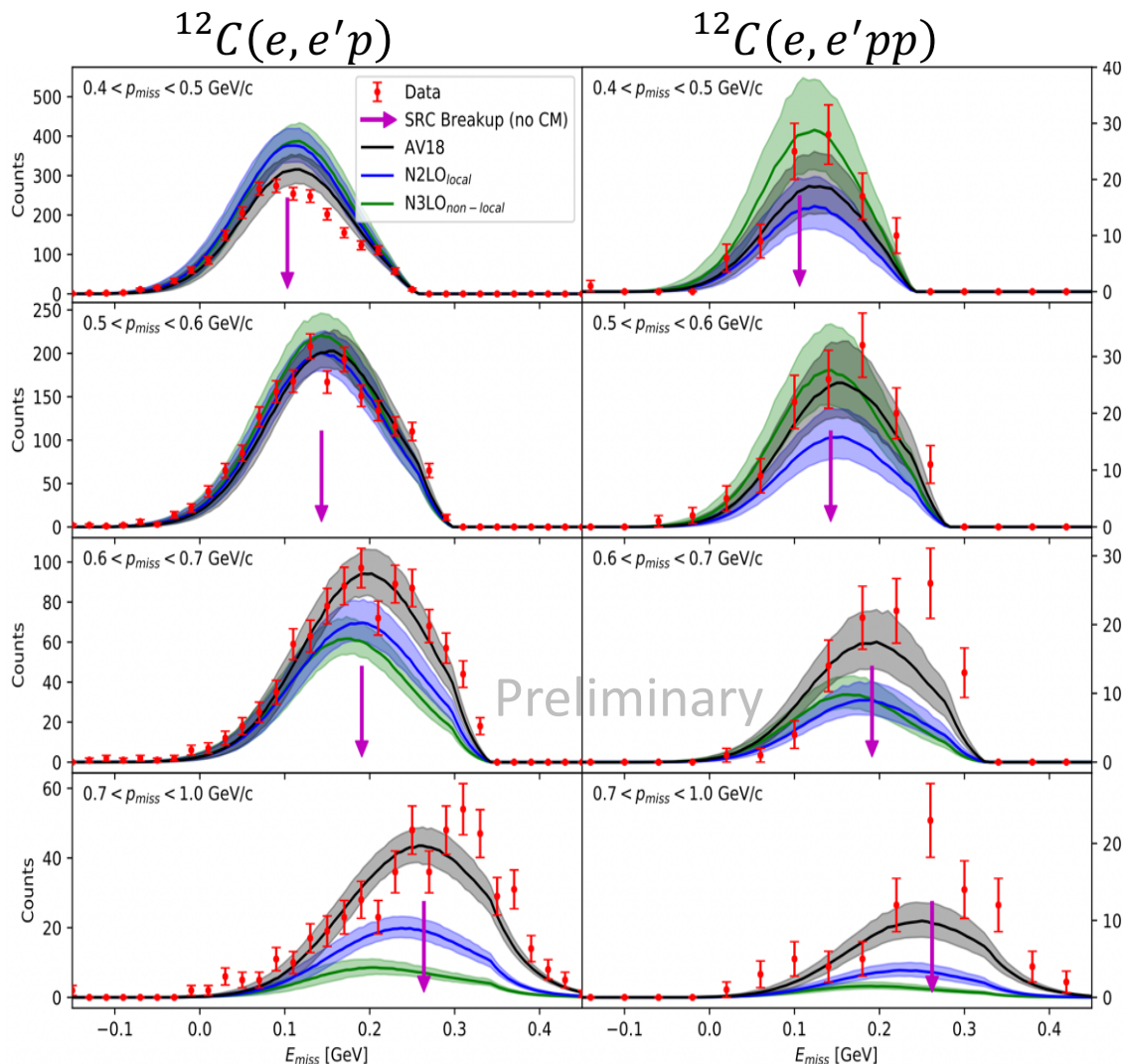




Duer, PRL (2019); Duer, Nature (2018); Hen, Science (2014); Korover, PRL (2014); Subedi, Science (2008); Shneor, PRL (2007); Piasetzky, PRL (2006); Tang, PRL (2003); Review: Hen RMP (2017);



Mapping the nuclear spectral function



Momentum

400 – 500 MeV/c

500 – 600 MeV/c

600 – 700 MeV/c

700 – 1000 MeV/c

Energy

0

400 MeV

0

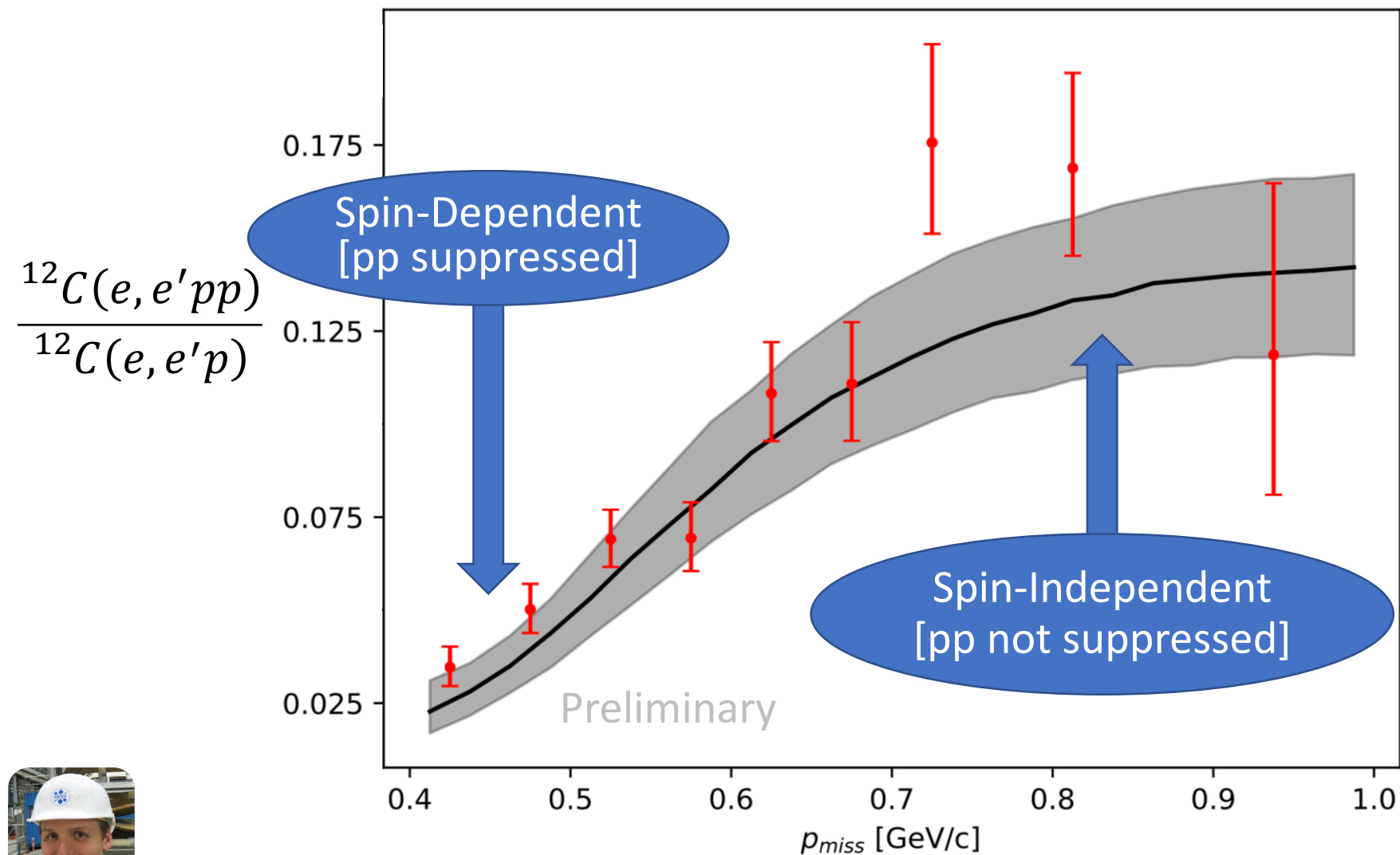
400 MeV



A. Schmidt



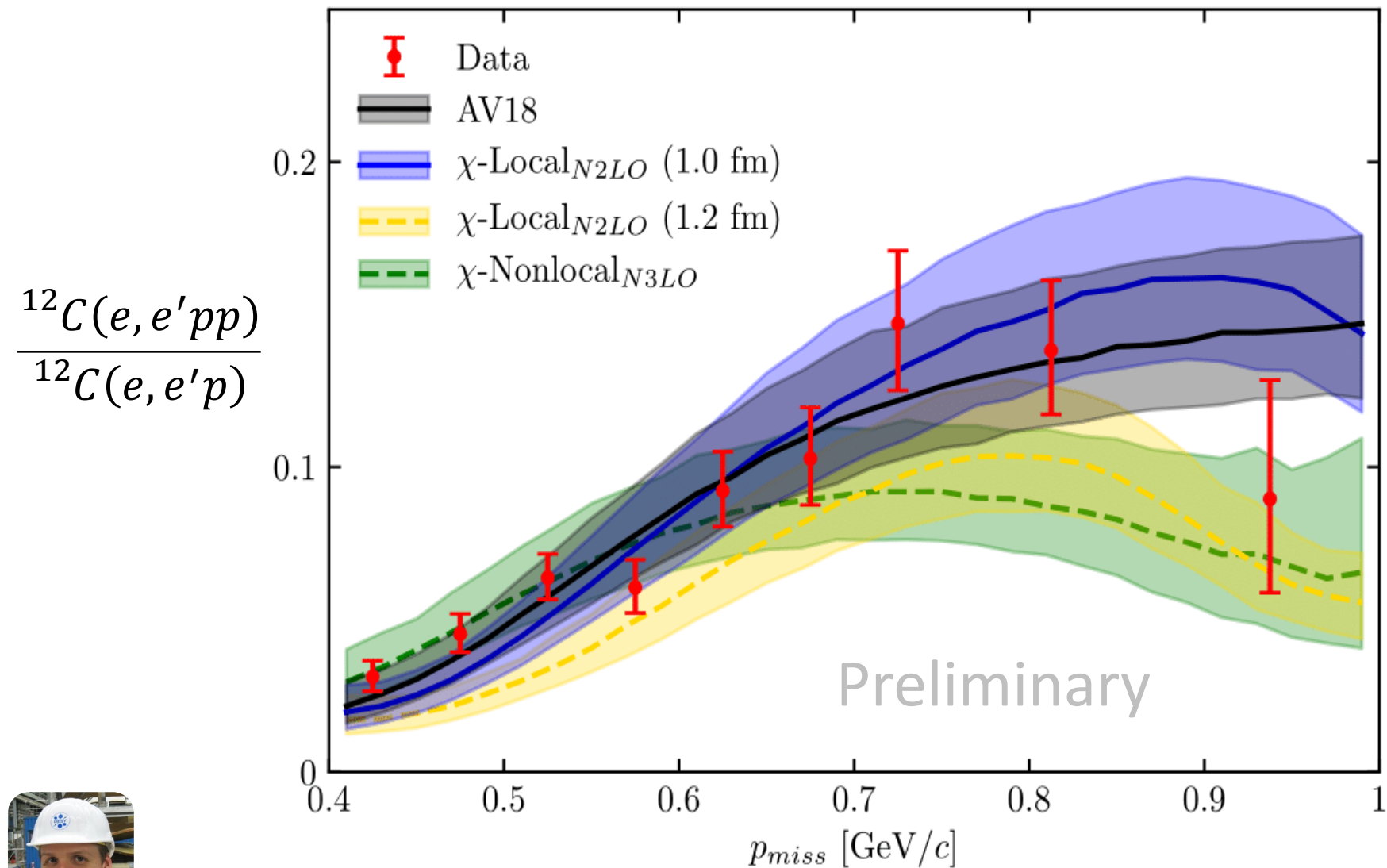
Probing the NN Interaction



A. Schmidt



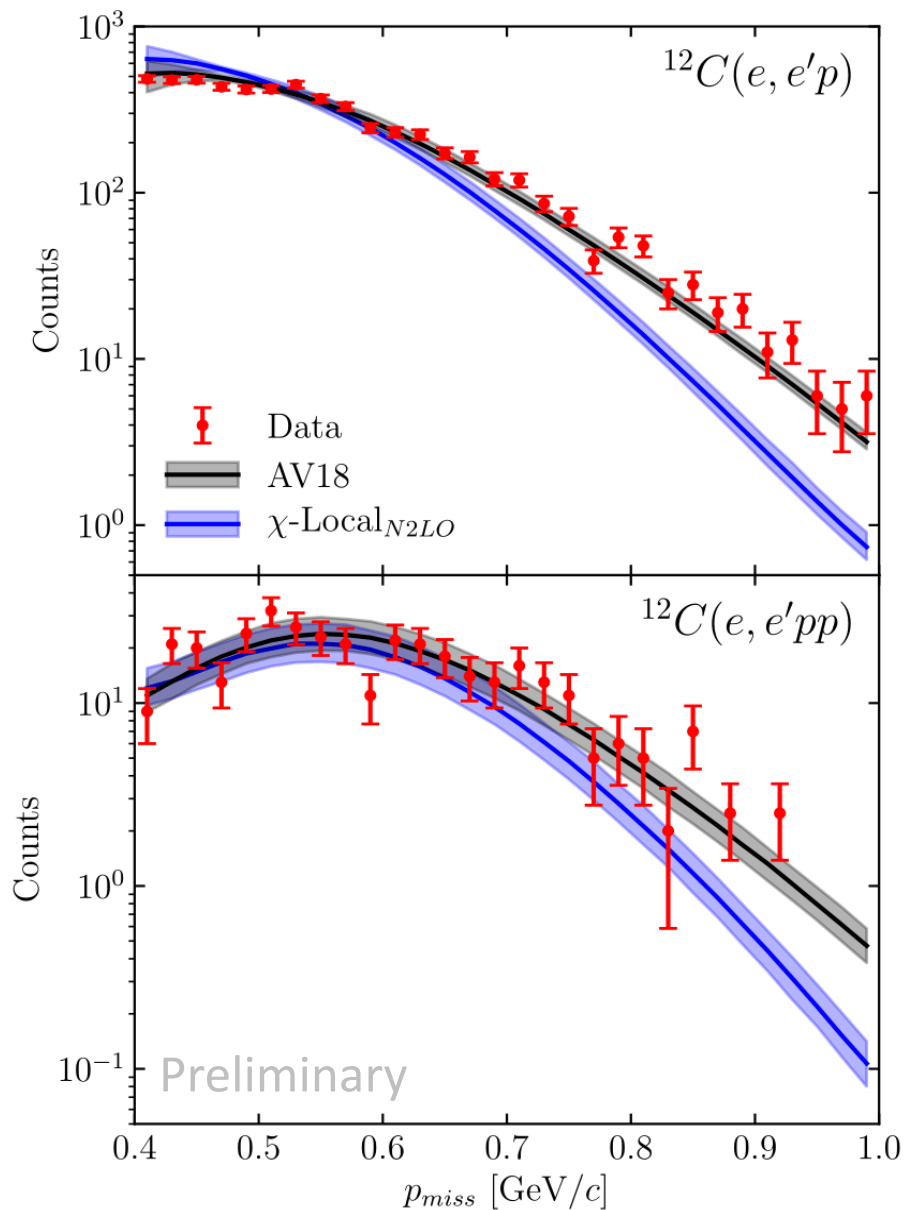
Probing the NN Interaction



A. Schmidt



Probing the NN Interaction



A. Schmidt

LABORATORY *for* NUCLEAR SCIENCE



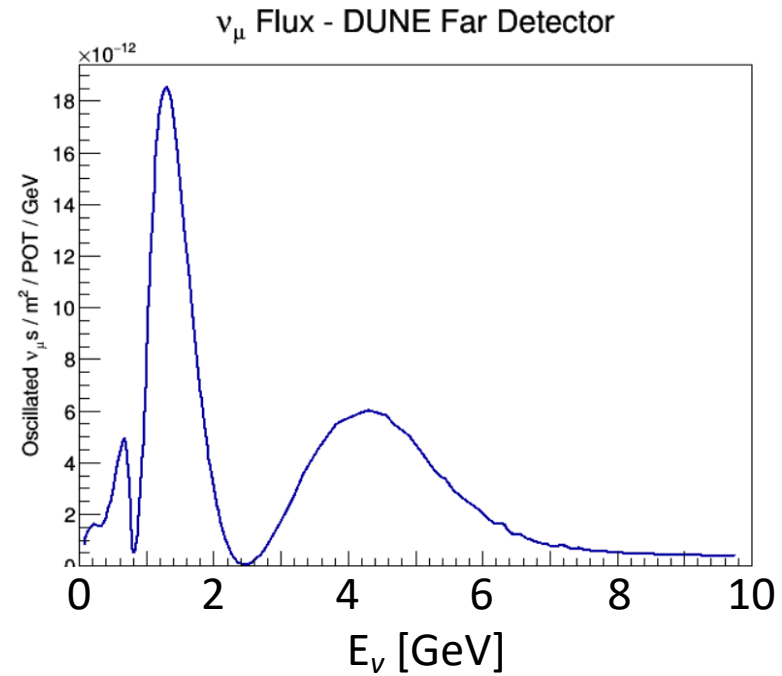
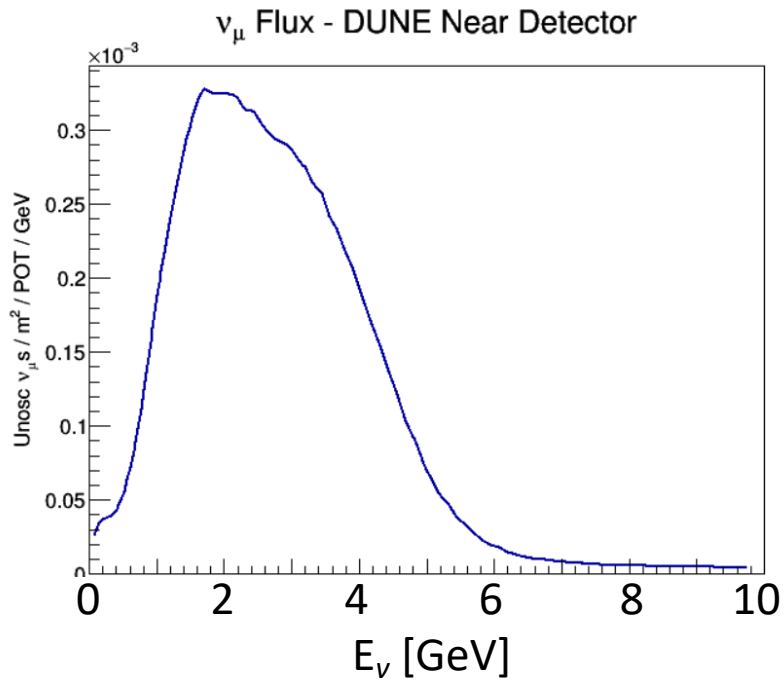
2018/19 Publications:

- Nature 566, 354 (2019)
- Nature, 560, 617 (2018)
- PRL, In-Print (2019)
- PRL 121, 092501 (2018)
- Physics Letters B 791, 242 (2019)
- Physics Letters B 785, 304 (2018)
- Physics Letters B 780, 211 (2018)
- CPC 42, 064105 (2018)

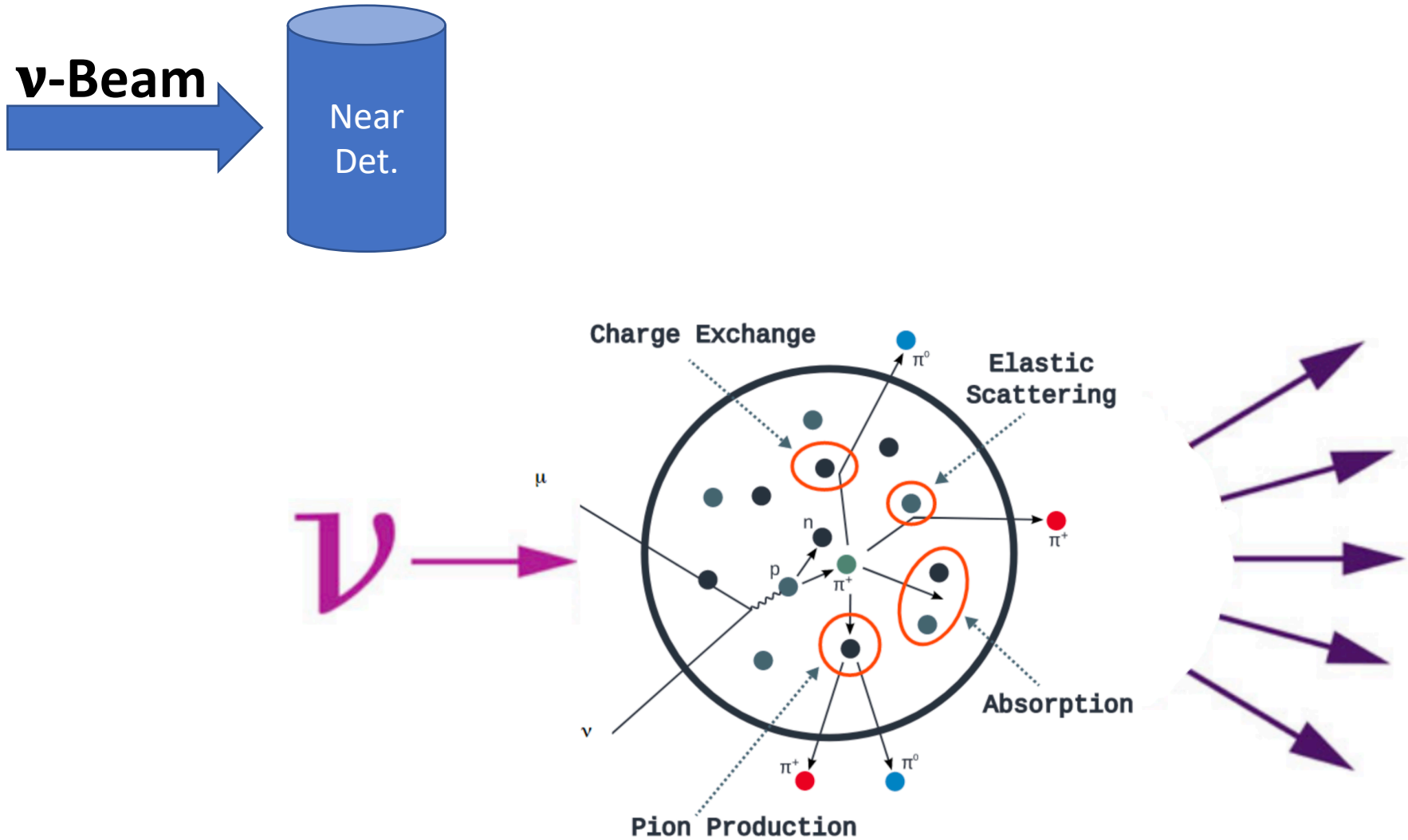
arXiv: 1811.01823; 1812.08051;
1902.06358; 1805.01981.



Nuclear Bias in Neutrino Oscillations

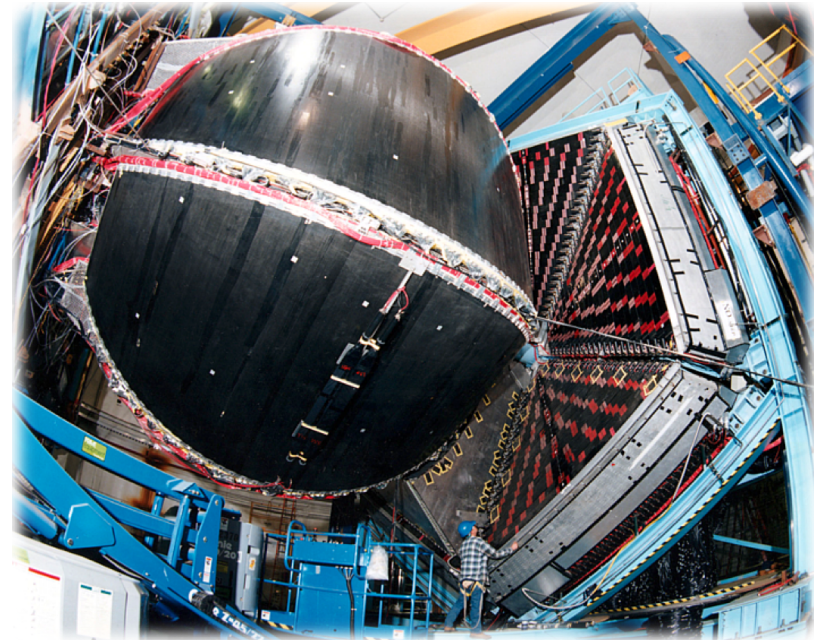
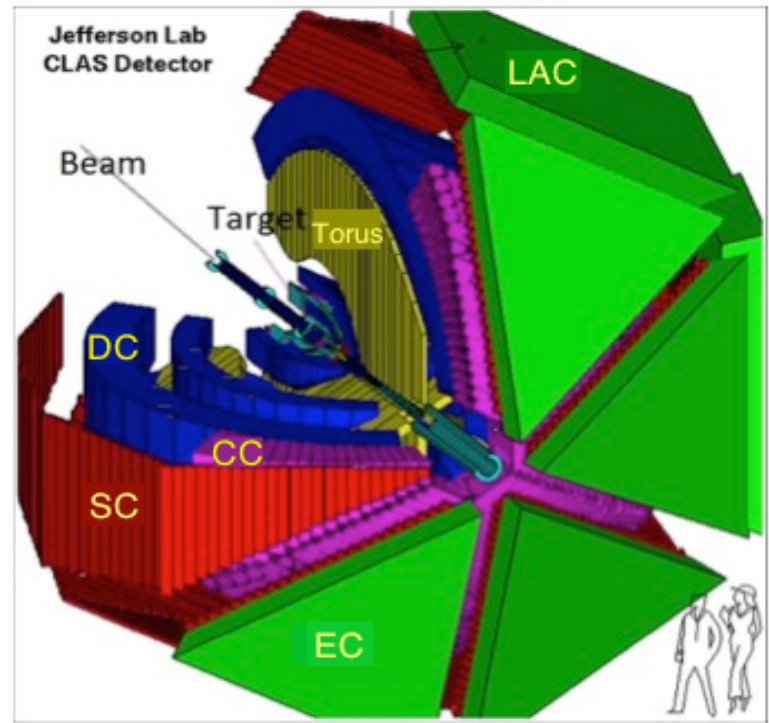


Nuclear Bias in Neutrino Oscillations



CLAS @ JLab

- ✧ 4π acceptance (almost).
- ✧ Charged particles (8-143°):
 - $P_p > 300 \text{ MeV}/c$
 - $P_\pi > 150 \text{ MeV}/c$
- ✧ Neutral particles:
 - EM calorimeter (8-75°)
 - TOF (8-143°)



Playing the Neutrino Game

Goal: Use CLAS data to study E_{beam} reconstruction and vector-current cross-sections for different energies / nuclei.

Means (for QE study):

- Select clean (e,e'p) events (no pions, 2nd protons, ...),
- Reweight by e -N / ν -N cross-section ratio.
- Analyze as 'neutrino data' (assume unknown E_{beam}),
- Study beam energy reconstruction methods,
- Compare to GENIE predictions,
- Identify regions in phase-space where energy reconstruction and GENIE predictions agree well.

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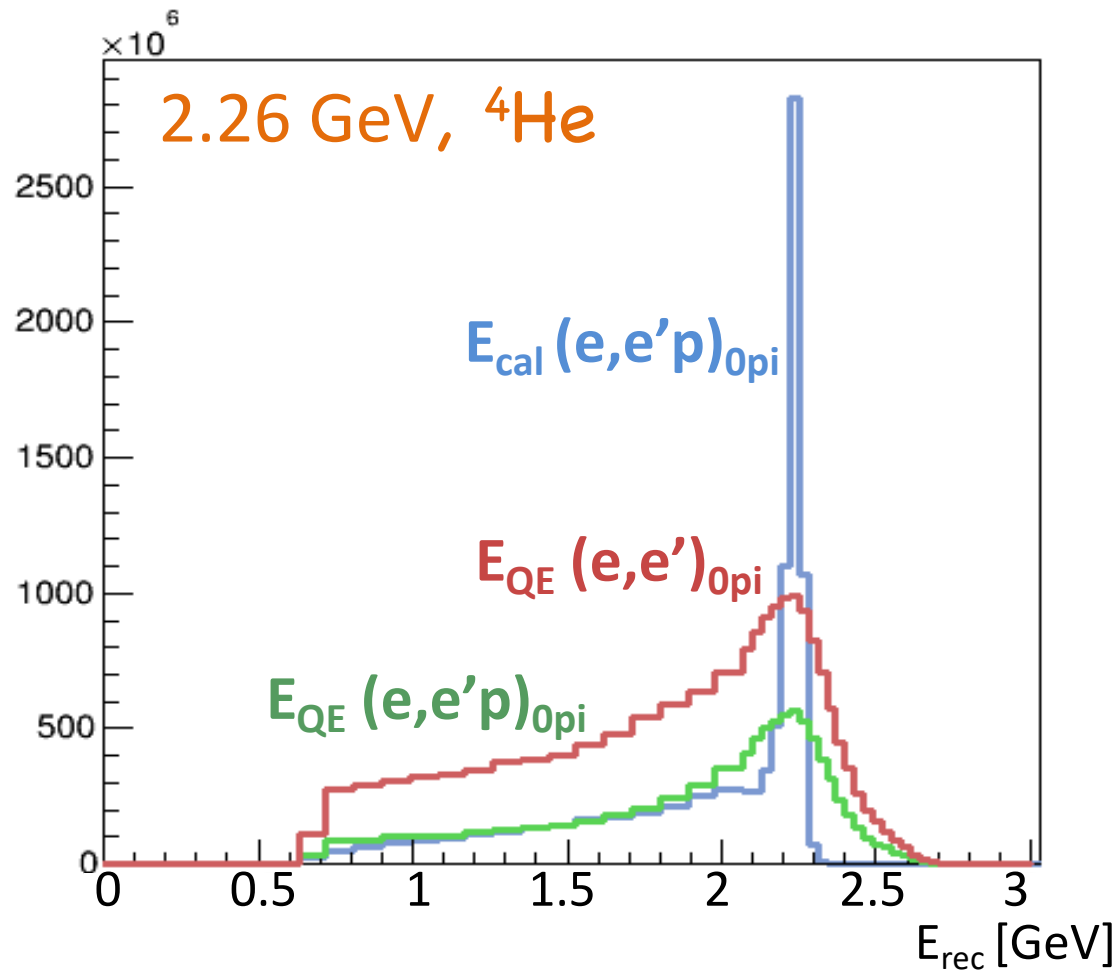
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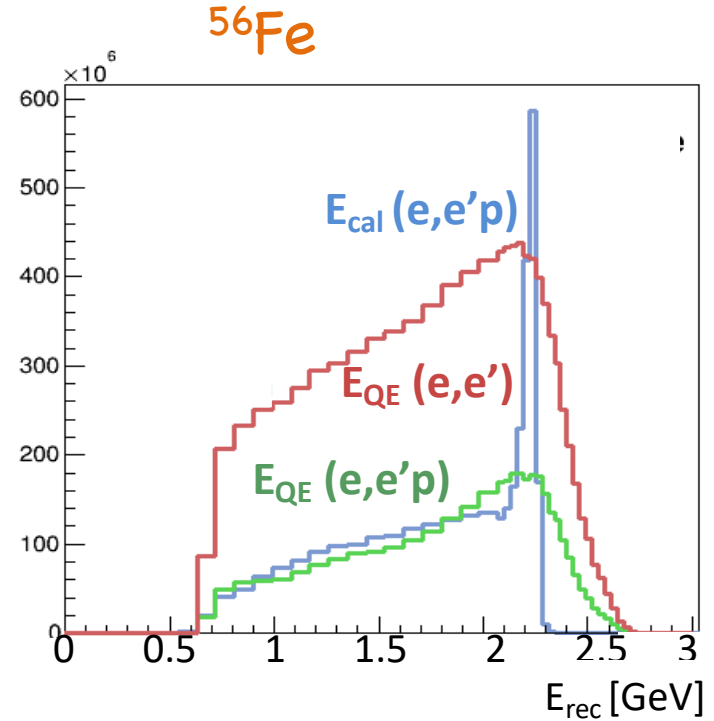
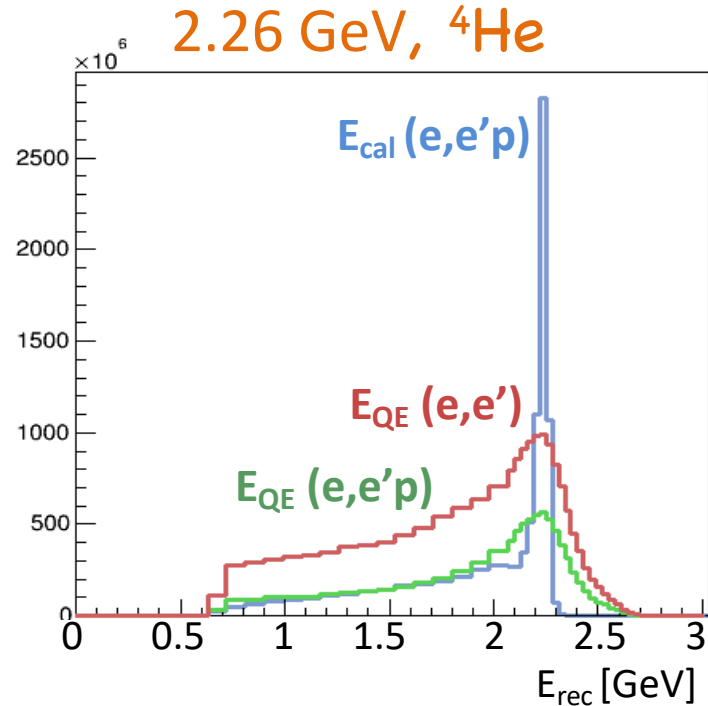
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Energy Reconstruction



1. E_{QE} has worse peak resolution than E_{Cal} .
2. Same tail for E_{QE} & E_{Cal} .

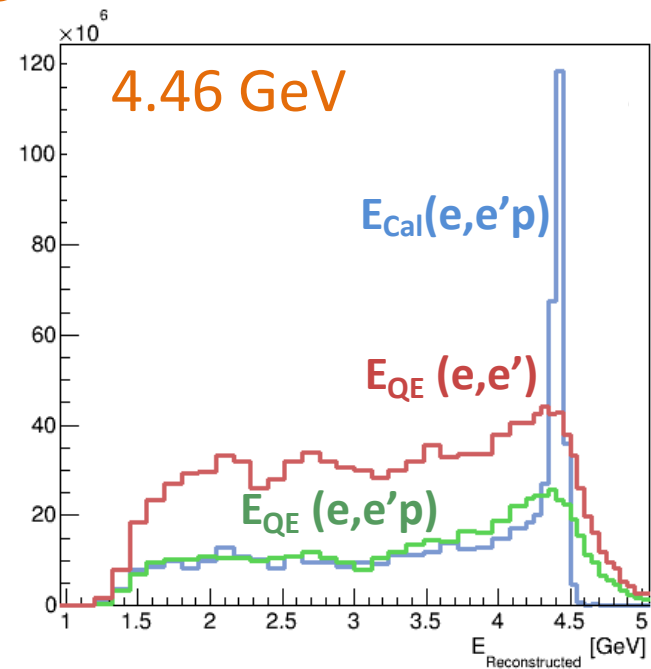
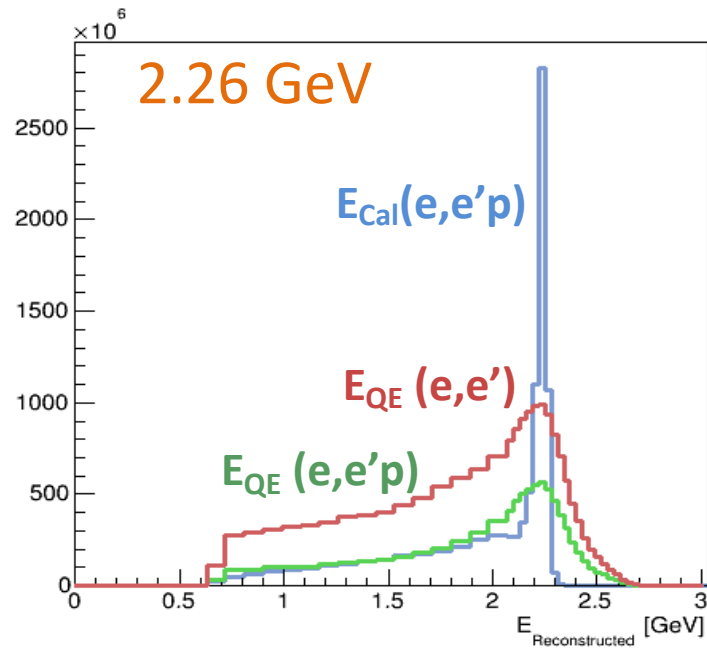
Large A Dependence



1. ${}^{56}\text{Fe}$ is predominantly tail.
2. ${}^{56}\text{Fe}$ is much worse than ${}^4\text{He}$.

Large \underline{E} Dependence

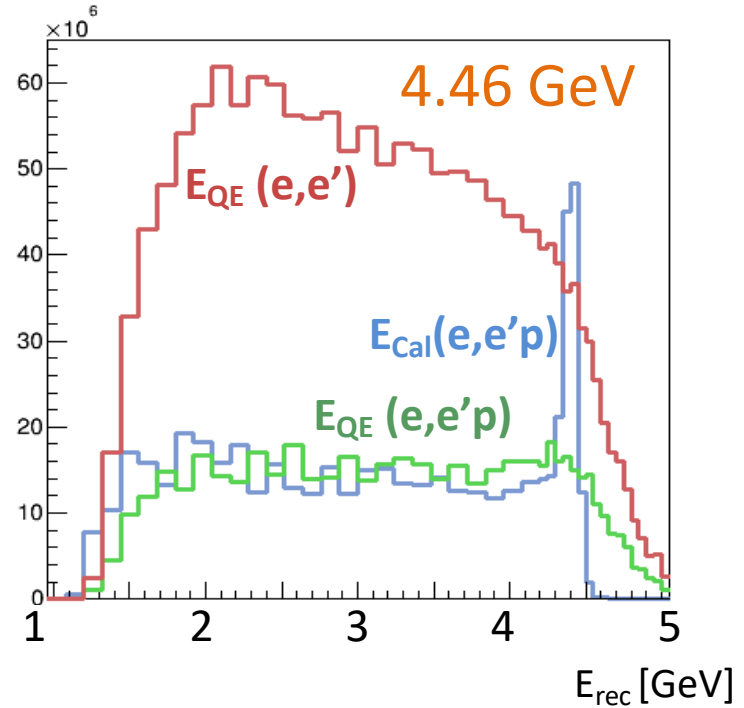
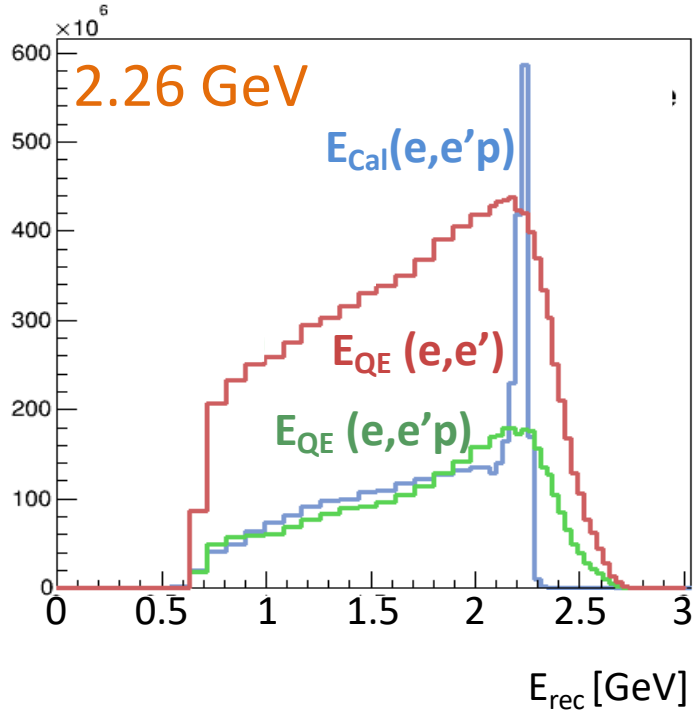
${}^4\text{He}$



Better reconstruction at lower energies.

Large E Dependence

^{56}Fe



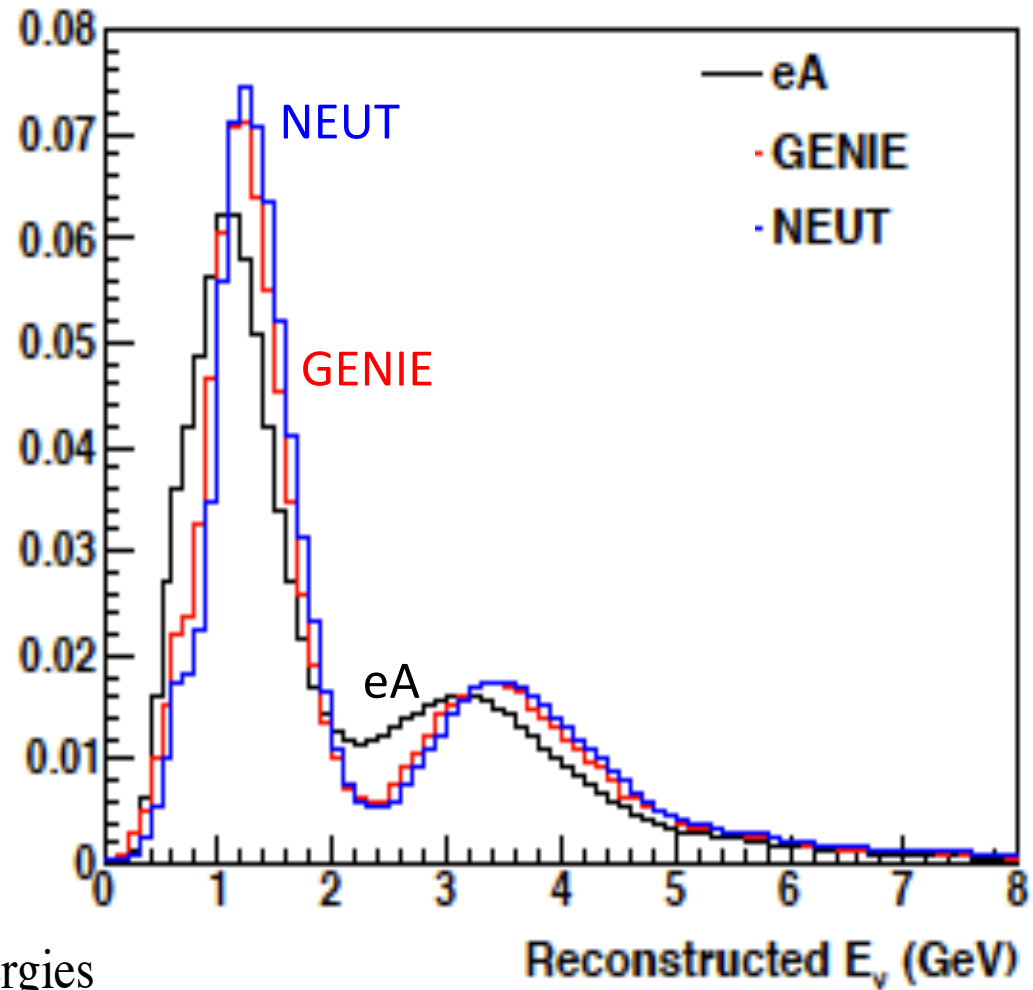
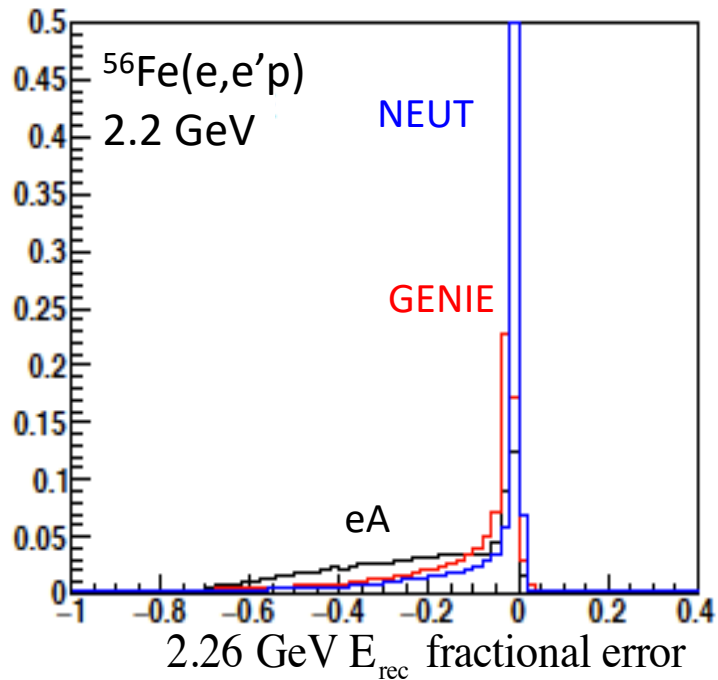
Better reconstruction at lower energies.

Data – Generator Comparisons

Fe	e^- Data	ν GENIE
2.2 GeV	26%	62%
4.4 GeV	14%	62%

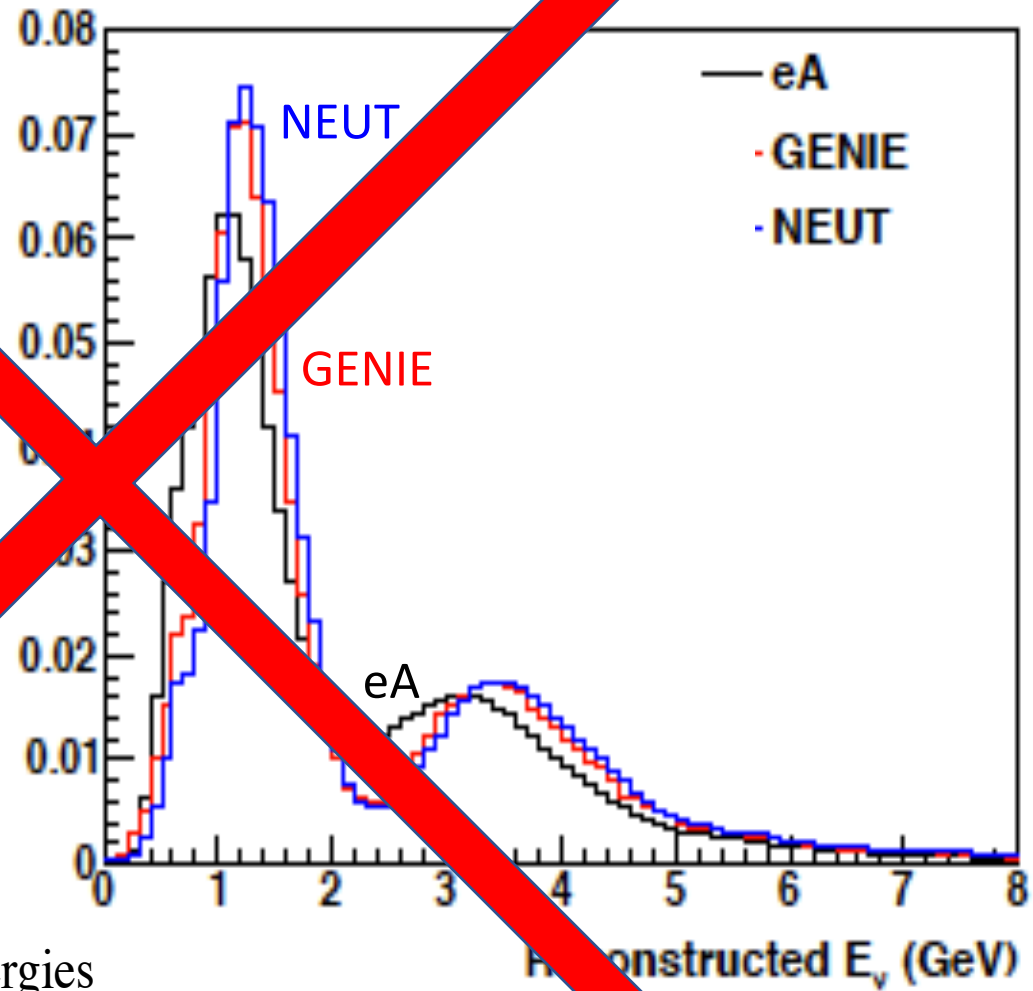
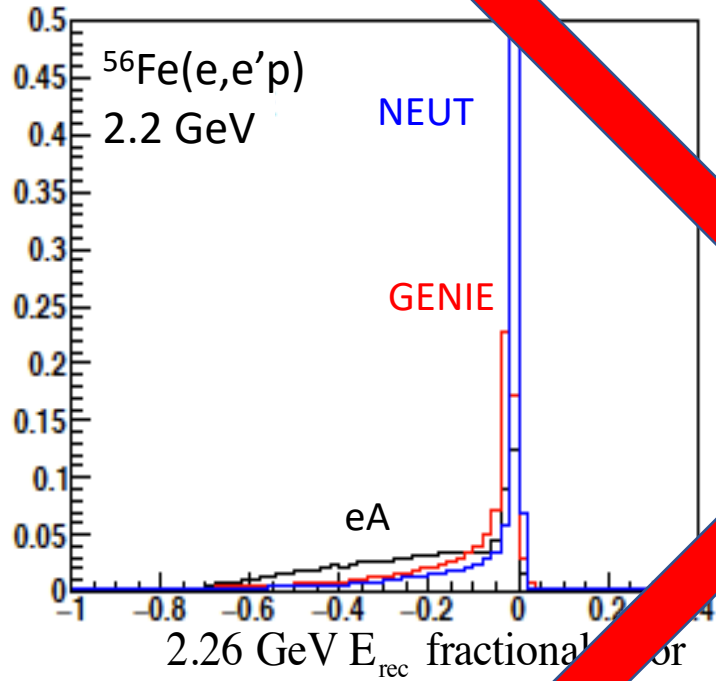
Fraction of $\text{Fe}(e, e'p)$ and $\text{Fe}(\nu, \mu^-p)$ events with E_{Cal} within 5% of E_{beam}

Projected Implications to DUNE



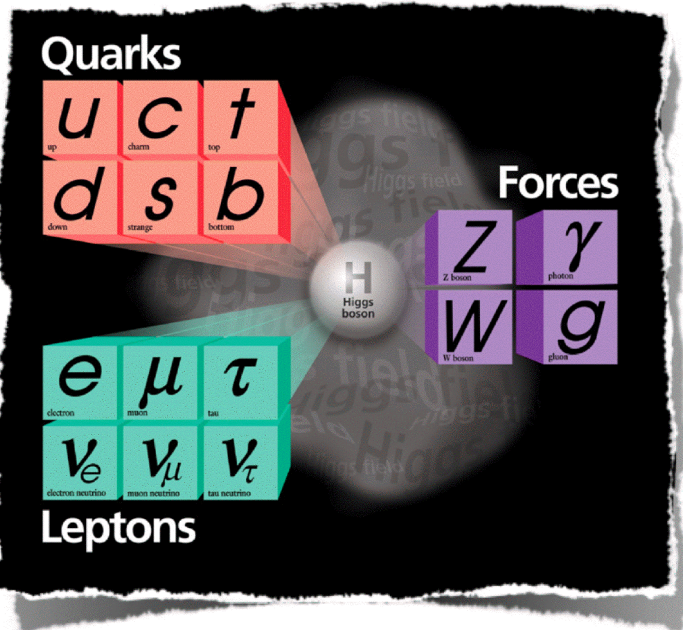
- Compared E_{rec} for eA to E_{rec} for νA
- Used 2.26 GeV eA E_{rec} for all incident energies
- Threw events with νA Genie
- Reconstruct with νA Neut or eA data

Projected Implications to DUNE



- Compared E_{rec} for eA to E_{rec} for νA
- Used 2.26 GeV eA E_{rec} for all incident energies
- Threw events with νA Genie
- Reconstruct with νA Neut or eA data

Today: The Standard Model



$$\begin{aligned}
 & -\frac{1}{2}\partial_\nu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\nu^a g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{ade} g_\mu^a g_\nu^b g_\mu^c g_\nu^d + \\
 & \frac{1}{2}ig^2(\bar{q}^i \gamma^\mu q^j)g_\mu^a + \bar{G}^a \partial^2 G^a + g_s f^{abc} \partial_\mu \bar{G}^a G^b g_\mu^c - \partial_\mu W_\nu^+ \partial_\mu W_\nu^- - \\
 & M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\nu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2c_w^2} M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\mu A_\nu - \frac{1}{2}\partial_\mu H \partial_\mu H - \\
 & \frac{1}{2}m_h^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi - M^2 \phi^+ \phi - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2c_w^2} M \phi^0 \phi^0 - \beta_h \left[\frac{2M^2}{g^2} + \right. \\
 & \left. \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) \right] + \frac{2M^2}{g^2} \alpha_h - igc_w [\partial_\nu Z_\mu^0 (W_\mu^+ W_\nu^- - \\
 & W_\mu^- W_\nu^+) - Z_\mu^0 (W_\nu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\nu^+) + Z_\mu^0 (W_\nu^+ \partial_\nu W_\mu^- - \\
 & W_\nu^- \partial_\nu W_\mu^+) - ig s_w [\partial_\nu A_\mu (W_\nu^+ W_\mu^- - W_\mu^- W_\nu^-) - A_\nu (W_\mu^+ \partial_\nu W_\mu^- - \\
 & W_\mu^- \partial_\nu W_\mu^+) + A_\nu (W_\nu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\nu^+)] - \frac{1}{2}g^2 W_\mu^+ W_\mu^- W_\nu^+ W_\nu^- + \\
 & \frac{1}{2}g^2 W_\nu^+ W_\nu^- W_\mu^+ W_\mu^- + g^2 c_w^2 (Z_\mu^0 W_\nu^+ Z_\nu^0 W_\mu^- - Z_\nu^0 Z_\mu^0 W_\nu^+ W_\mu^-) + \\
 & g^2 s_w^2 (A_\mu W_\nu^+ A_\nu W_\mu^- - A_\mu A_\nu W_\nu^+ W_\mu^-) + g^2 s_w c_w [A_\nu Z_\nu^0 (W_\mu^+ W_\nu^- - \\
 & W_\nu^- W_\mu^+) - 2A_\mu Z_\mu^0 W_\nu^+ W_\nu^-] - g\alpha [H^3 + H\phi^0 \phi^0 + 2H\phi^+ \phi^-] - \\
 & \frac{1}{8}g^2 \alpha_h [H^4 + (\phi^0)^4 + 4(\phi^+ \phi^-)^2 + 4(\phi^0)^2 \phi^+ \phi^- + 4H^2 \phi^+ \phi^- + 2(\phi^0)^2 H^2] - \\
 & g M W_\nu^+ W_\nu^- H - \frac{1}{2}g \frac{M}{c_w} Z_\mu^0 Z_\mu^0 H - \frac{1}{2}ig [W_\mu^+ (H\partial_\mu \phi - \phi \partial_\mu H) - W_\mu^- (H\partial_\mu \phi^+ - \\
 & \phi^+ \partial_\mu H)] + \frac{1}{2}g \frac{1}{c_w} (Z_\mu^0 (H\partial_\mu \phi^0 - \phi^0 \partial_\mu H) - ig \frac{1}{c_w} M Z_\mu^0 (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \\
 & ig s_w M A_\mu (W_\mu^+ \phi^- - W_\mu^- \phi^+) - ig \frac{1-2c_w^2}{2c_w} Z_\mu^0 (\phi^+ \partial_\mu \phi - \phi \partial_\mu \phi^+) + \\
 & ig s_w A_\mu (\phi^+ \partial_\mu \phi^- - \phi^- \partial_\mu \phi^+) - \frac{1}{4}g^2 W_\mu^+ W_\mu^- (H^2 + (\phi^0)^2 + 2\phi^+ \phi^-) - \\
 & \frac{1}{2}g^2 \frac{1}{c_w} Z_\mu^0 Z_\mu^0 (H^2 + (\phi^0)^2 + 2(2s_w^2 - 1)^2 \phi^+ \phi^-) - \frac{1}{2}g^2 \frac{2c_w^2}{c_w} Z_\mu^0 \phi^0 (W_\mu^+ \phi^- + \\
 & W_\mu^- \phi^+) - \frac{1}{2}ig^2 \frac{s_w^2}{c_w} Z_\mu^0 H (W_\mu^+ \phi^- - W_\mu^- \phi^+) + \frac{1}{2}g^2 s_w A_\mu \phi^0 (W_\mu^+ \phi^- + \\
 & W_\mu^- \phi^+) + \frac{1}{2}ig^2 s_w A_\mu H (W_\mu^+ \phi^- - W_\mu^- \phi^+) - g^2 \frac{2c_w}{c_w} (2c_w^2 - 1) Z_\mu^0 A_\mu \phi^+ \phi^- - \\
 & g^4 s_w^2 A_\mu A_\mu \phi^+ \phi^- - \bar{e}^\lambda (\gamma \partial + m_e^\lambda) e^\lambda - \bar{\nu}^\lambda \gamma \partial \nu^\lambda - \bar{u}_j^\lambda (\gamma \partial + m_u^\lambda) u_j^\lambda - \bar{d}_j^\lambda (\gamma \partial + \\
 & m_d^\lambda) d_j^\lambda + ig s_w A_\mu [-(\bar{e}^\lambda \gamma e^\lambda) + \frac{2}{3}(\bar{u}_j^\lambda \gamma u_j^\lambda) - \frac{1}{3}(\bar{d}_j^\lambda \gamma d_j^\lambda)] + \frac{ig}{2c_w} Z_\mu^0 [(\bar{\nu}^\lambda \gamma^\mu (1 + \\
 & \gamma^5) \nu^\lambda) + (\bar{e}^\lambda \gamma^\mu (4s_w^2 - 1 - \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma^\mu (\frac{2}{3}s_w^2 - 1 - \gamma^5) u_j^\lambda) + \\
 & (\bar{d}_j^\lambda \gamma^\mu (1 - \frac{8}{3}s_w^2 - \gamma^5) d_j^\lambda)] + \frac{ig}{2\sqrt{2}} W_\mu^- [(\bar{\nu}^\lambda \gamma^\mu (1 + \gamma^5) e^\lambda) + (\bar{u}_j^\lambda \gamma^\mu (1 + \\
 & \gamma^5) C_{\lambda\mu} d_j^\lambda)] + \frac{ig}{2\sqrt{2}} W_\mu^- [(\bar{e}^\lambda \gamma^\mu (1 + \gamma^5) \nu^\lambda) + (\bar{d}_j^\lambda C_{\lambda\mu} \gamma^\mu (1 + \gamma^5) u_j^\lambda)] + \\
 & \frac{ig}{2\sqrt{2}} \frac{m_h^2}{M} [-\phi^+ (\bar{\nu}^\lambda (1 - \gamma^5) e^\lambda) + \phi^- (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \frac{g}{2} \frac{m_h^2}{M} [H (\bar{e}^\lambda e^\lambda) + \\
 & i\phi^0 (\bar{e}^\lambda \gamma^5 e^\lambda)] + \frac{ig}{2M\sqrt{2}} \phi^+ [-m_u^\lambda (\bar{u}_j^\lambda C_{\lambda\mu} (1 - \gamma^5) d_j^\lambda) + m_d^\lambda (\bar{d}_j^\lambda C_{\lambda\mu} (1 + \\
 & \gamma^5) d_j^\lambda)] + \frac{ig}{2M\sqrt{2}} \phi^- [m_d^\lambda (\bar{d}_j^\lambda C_{\lambda\mu} (1 + \gamma^5) u_j^\lambda) - m_u^\lambda (\bar{u}_j^\lambda C_{\lambda\mu} (1 - \gamma^5) u_j^\lambda) - \\
 & \frac{g}{2} \frac{m_h^2}{M} H (\bar{u}_j^\lambda u_j^\lambda) - \frac{g}{2} \frac{m_h^2}{M} H (\bar{d}_j^\lambda d_j^\lambda) + \frac{ig}{2M} \frac{m_h^2}{M} (\bar{u}_j^\lambda \gamma^5 u_j^\lambda) - \frac{ig}{2M} \frac{m_h^2}{M} \phi^0 (\bar{d}_j^\lambda \gamma^5 d_j^\lambda) + \\
 & \bar{X}^+ (\partial^2 - M^2) X^+ + \bar{X}^- (\partial^2 - M^2) X^- + \bar{X}^0 (\partial^2 - \frac{M^2}{c_w^2}) X^0 + \bar{Y} \partial^2 Y + \\
 & igc_w W_\mu^+ (\partial_\mu \bar{X}^0 X - \partial_\mu \bar{X}^+ X^0) + ig s_w W_\mu^+ (\partial_\mu \bar{Y} X - \partial_\mu \bar{X}^+ Y) + \\
 & igc_w W_\mu^- (\partial_\mu \bar{X}^- X^0 - \partial_\mu \bar{X}^0 X^+) + ig s_w W_\mu^- (\partial_\mu \bar{Y} X - \partial_\mu \bar{X}^- X^+) + \\
 & igc_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + ig s_w A_\mu (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) - \\
 & \frac{1}{2}g M [\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{c_w} \bar{X}^0 X^0 H] + \frac{1}{2c_w} ig M [\bar{X}^+ X^0 \phi^- - \\
 & \bar{X}^- X^0 \phi^+] + \frac{1}{2c_w} ig M [\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + ig M s_w [\bar{X}^0 X^- \phi^+ - \\
 & \bar{X}^0 X^+ \phi^-] + \frac{1}{2}ig M [\bar{X}^+ X^+ \phi^0 - \bar{X}^- X^- \phi^0]
 \end{aligned}$$



The Standard Model

Quarks

U C t
d s b

Leptons

The Standard Model is the
Biggest Triumph of Physics !??



$$\begin{aligned} & -\frac{1}{2}\partial_\mu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\mu^b g_\mu^c g_\nu^d - \frac{1}{4}g_s^2 f^{abc} f^{ade} g_\mu^b g_\mu^c g_\nu^d g_\nu^e + \\ & \frac{1}{2}ig_s^2 (g_\mu^i g_\mu^j g_\mu^k) g_\mu^l + G^a \partial^2 G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\mu W_\mu^+ W_\mu^- - \\ & M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\mu Z_\mu^0 Z_\mu^0 - \frac{M^2 Z_\mu^0 Z_\mu^0}{2c_w^2} - \frac{1}{2}\partial_\mu A_\mu \partial_\nu A_\nu - \frac{1}{2}\partial_\mu H \partial_\nu H - \\ & \frac{1}{2}m_\mu^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi^- - M^2 \phi^+ \phi^- - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2}M \phi^0 \phi^0 - \beta_h \frac{12M^2}{g} + \\ & \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) + \frac{2M^4}{g^2} \alpha_h - ig_s \bar{\psi} \gamma^\mu \psi - \\ & W_\mu^+ W_\mu^- - Z_\mu^0 (W_\mu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\mu^+) - \frac{1}{2}Z_\mu^0 \partial_\nu Z_\mu^0 - \\ & W_\mu^- \partial_\nu W_\mu^+ + A_\mu (W_\mu^+ \partial_\nu W_\mu^- - W_\mu^- \partial_\nu W_\mu^+) - \frac{1}{2}A_\mu \partial_\nu A_\nu - \\ & \frac{1}{2}g_s^2 (W_\mu^+ W_\mu^- + W_\mu^- W_\mu^+) + g_s^2 (Z_\mu^0 Z_\mu^0 + W_\mu^+ W_\mu^- + W_\mu^- W_\mu^+) + \\ & g_s^2 (A_\mu W_\mu^+ + W_\mu^+ A_\mu) + g_s^2 (A_\mu W_\mu^- + W_\mu^- A_\mu) + g_s^2 (W_\mu^+ W_\mu^- + \\ & W_\mu^- W_\mu^+) - 2A_\mu Z_\mu^0 (W_\mu^+ W_\mu^-) - 2g_s g_w H (W_\mu^+ W_\mu^-) - \\ & g_s g_w H (W_\mu^- W_\mu^+) - ig_s g_w H (Z_\mu^0 W_\mu^+ - W_\mu^+ Z_\mu^0) - \\ & ig_s g_w H (Z_\mu^0 W_\mu^- - W_\mu^- Z_\mu^0) - ig_s g_w H (A_\mu W_\mu^+ - W_\mu^+ A_\mu) - \\ & ig_s g_w H (A_\mu W_\mu^- - W_\mu^- A_\mu) - ig_s g_w H (Z_\mu^0 W_\mu^+ - W_\mu^+ Z_\mu^0) - \\ & ig_s g_w H (Z_\mu^0 W_\mu^- - W_\mu^- Z_\mu^0) - ig_s g_w H (A_\mu W_\mu^+ - W_\mu^+ A_\mu) - \\ & ig_s g_w H (A_\mu W_\mu^- - W_\mu^- A_\mu) + (d_\mu^+ \gamma^\mu (1 + \gamma^5) u_\mu^+) + (d_\mu^0 \gamma^\mu (1 + \gamma^5) u_\mu^0) + \\ & (d_\mu^- \gamma^\mu (1 - \gamma^5) u_\mu^-) + (e_\mu^+ \gamma^\mu (1 - \gamma^5) \nu_\mu^+) + (e_\mu^0 \gamma^\mu (1 - \gamma^5) \nu_\mu^0) + \\ & (e_\mu^- \gamma^\mu (1 - \gamma^5) \nu_\mu^-) + \frac{ig_s m_\mu^2}{2\sqrt{2} M} [-\phi^- (\bar{\nu}^\lambda (1 - \gamma^5) e^\lambda) + \phi^+ (\bar{e}^\lambda (1 + \gamma^5) \nu^\lambda)] - \frac{g m_\mu^2}{2} [H (\bar{e}^\lambda e^\lambda) + \\ & i\phi^0 (\bar{e}^\lambda \gamma^5 e^\lambda)] + \frac{ig_s m_\mu^2}{2M\sqrt{2}} \phi^+ [-m_\mu^2 (\bar{u}_j^0 C_{\lambda\kappa}^1 (1 - \gamma^5) d_j^0) + m_\mu^2 (\bar{u}_j^0 C_{\lambda\kappa}^1 (1 + \gamma^5) d_j^0) + \\ & \frac{ig_s m_\mu^2}{2M\sqrt{2}} \phi^- [m_\mu^2 (\bar{d}_j^0 C_{\lambda\kappa}^1 (1 + \gamma^5) u_j^0) - m_\mu^2 (\bar{d}_j^0 C_{\lambda\kappa}^1 (1 - \gamma^5) u_j^0) - \\ & \frac{g m_\mu^2}{2} H (\bar{u}_j^0 u_j^0) - \frac{g m_\mu^2}{2} H (\bar{d}_j^0 d_j^0) + \frac{ig_s m_\mu^2}{2} \phi^0 (\bar{u}_j^0 \gamma^5 u_j^0) - \frac{ig_s m_\mu^2}{2} \phi^0 (\bar{d}_j^0 \gamma^5 d_j^0) + \\ & \bar{X}^+ (\partial^2 - M^2) X^+ + \bar{X}^- (\partial^2 - M^2) X^- + \bar{X}^0 (\partial^2 - \frac{M^2}{c_w^2}) X^0 + \bar{Y} \partial^2 Y + \\ & igc_w W_\mu^+ (\partial_\mu \bar{X}^0 X^- - \partial_\mu \bar{X}^+ X^0) + igc_w W_\mu^+ (\partial_\mu \bar{Y} X^- - \partial_\mu \bar{X}^+ Y) + \\ & igc_w W_\mu^- (\partial_\mu \bar{X}^- X^0 - \partial_\mu \bar{X}^0 X^+) + igc_w W_\mu^- (\partial_\mu \bar{X}^- Y - \partial_\mu \bar{Y} X^+) + \\ & igc_w Z_\mu^0 (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) + igc_w A_\mu (\partial_\mu \bar{X}^+ X^+ - \partial_\mu \bar{X}^- X^-) - \\ & \frac{1}{2}igM [\bar{X}^+ X^+ H + \bar{X}^- X^- H + \frac{1}{2} \bar{X}^0 X^0 H] + \frac{1}{2c_w^2} igM [\bar{X}^+ X^0 \phi^+ - \\ & \bar{X}^- X^0 \phi^-] + \frac{1}{2c_w} igM [\bar{X}^0 X^- \phi^+ - \bar{X}^0 X^+ \phi^-] + igM s_w [\bar{X}^0 X^- \phi^+ - \\ & \bar{X}^0 X^+ \phi^-] + \frac{1}{2}igM [\bar{X}^+ X^+ \phi^0 - \bar{X}^- X^- \phi^0] \end{aligned}$$

But..... We still don't know Matter Anti-Matter Asymmetry,
Dark Matter, Dark Energy, Black Holes, Gravity,

The Standard Model

Quarks

U C t

d s b

e μ τ

ν_e ν_μ ν_τ

Leptons

Forces

W Z

$$\begin{aligned}
 & -\frac{1}{2}\partial_\mu g_\mu^a \partial_\nu g_\mu^a - g_s f^{abc} \partial_\mu g_\mu^b g_\nu^c - \frac{1}{4}g_s^2 f^{abc} f^{ade} g_\mu^b g_\nu^c g_\mu^d g_\nu^e + \\
 & \frac{1}{2}ig_s^2 (q_\mu^\dagger \gamma^\mu q_\mu) g_\mu^a + G^a \partial^2 G^a + g_s f^{abc} \partial_\mu G^a G^b g_\mu^c - \partial_\mu W_\mu^+ W_\mu^- - \\
 & M^2 W_\mu^+ W_\mu^- - \frac{1}{2}\partial_\mu Z_\mu^0 \partial_\nu Z_\mu^0 - \frac{1}{2}M^2 Z_\mu^0 Z_\mu^0 - \frac{1}{2}\partial_\mu A_\nu \partial_\nu A_\mu - \frac{1}{2}\partial_\mu H \partial_\nu H - \\
 & \frac{1}{2}m_H^2 H^2 - \partial_\mu \phi^+ \partial_\mu \phi - M^2 \phi^+ \phi - \frac{1}{2}\partial_\mu \phi^0 \partial_\mu \phi^0 - \frac{1}{2}M\phi^0 \phi^0 - \beta_h \frac{1}{2} \frac{2M^2}{g} + \\
 & \frac{2M}{g} H + \frac{1}{2}(H^2 + \phi^0 \phi^0 + 2\phi^+ \phi^-) + \frac{2M^4}{g^2} \alpha_h - i g c_w W_\mu^+ W_\mu^- - Z_\mu^0 (W_\mu^+ \partial_\nu W_\mu^- - \\
 & W_\mu^+ \partial_\nu W_\mu^-) + \frac{1}{2}igM[\bar{X}^0 X^0 \phi^+ - \bar{X}^0 X^0 \phi^-] + igM_s w[\bar{X}^0 X^0 \phi^+ - \\
 & X^0 X^+ \phi^-] + \frac{1}{2}igM[X^+ X^+ \phi^0 - X^- X^- \phi^0]
 \end{aligned}$$

The standard model is incomplete;
New physics MUST be out there...

But..... We still don't know Matter Anti-Matter Asymmetry,
Dark Matter, Dark Energy, Black Holes, Gravity,

Tensor Currents in ${}^8\text{Li}$ Beta Decay

Searching Under the Lamppost ...

Measuring Everything we can:

- Energy Spectra
- Angular Correlations
- Half-Lives
- Polarizations
- ...



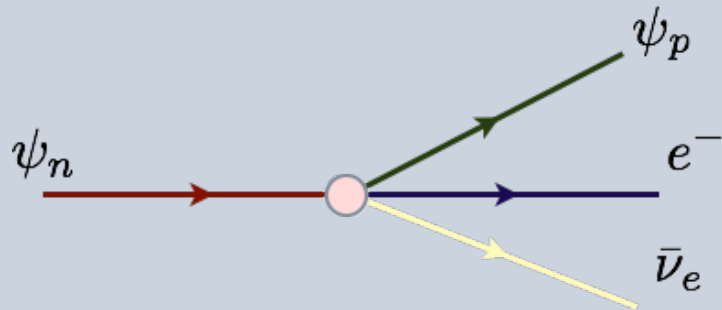
... Constraining New Physics

Comparing to Theory and Probing:

- Non V-A Contribution (S , T , P).
- Right-handed Currents ($V+A$).
- Massive Neutrinos.
- CKM Unitary.
-

New Physics in β Decay

Standard Model:



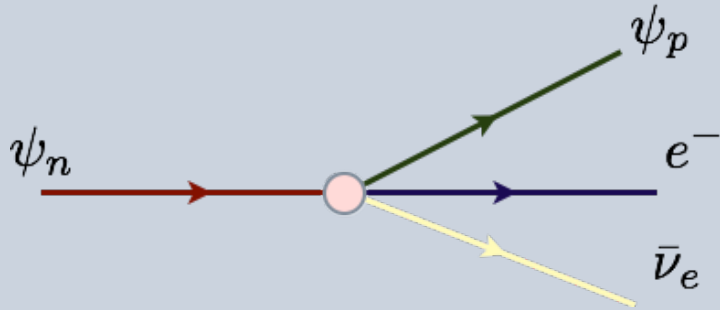
$$H_\beta = (\bar{\psi}_n \gamma_\mu \psi_p) (C_V \bar{\psi}_e \gamma^\mu \psi_\nu + C'_V \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu) - (\bar{\psi}_n \gamma_\mu \gamma_5 \psi_p) (C_A \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu + C'_A \bar{\psi}_e \gamma^\mu \psi_\nu)$$

$$C_V = C'_V = 1$$

$$C_A = C'_A = 1.26$$

New Physics in β Decay

Standard Model:

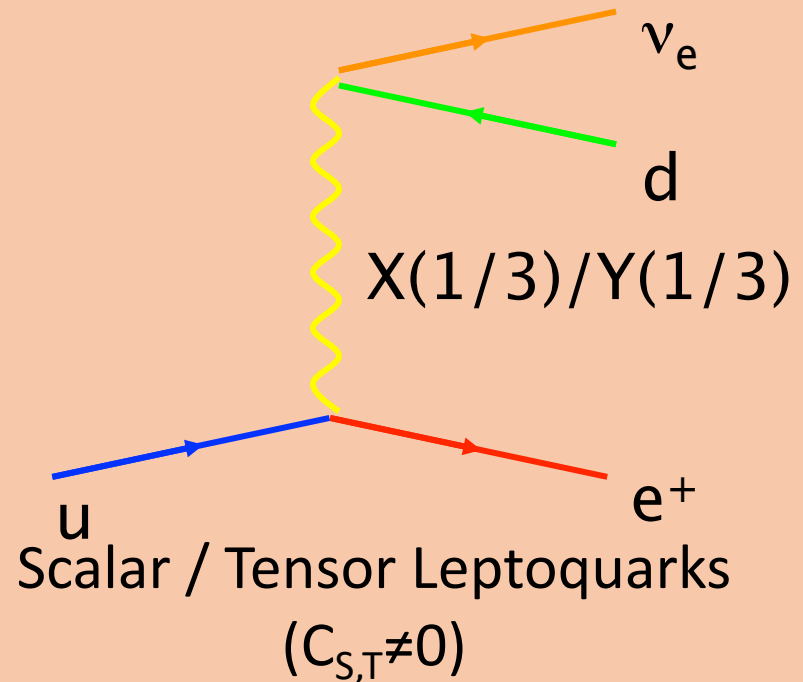
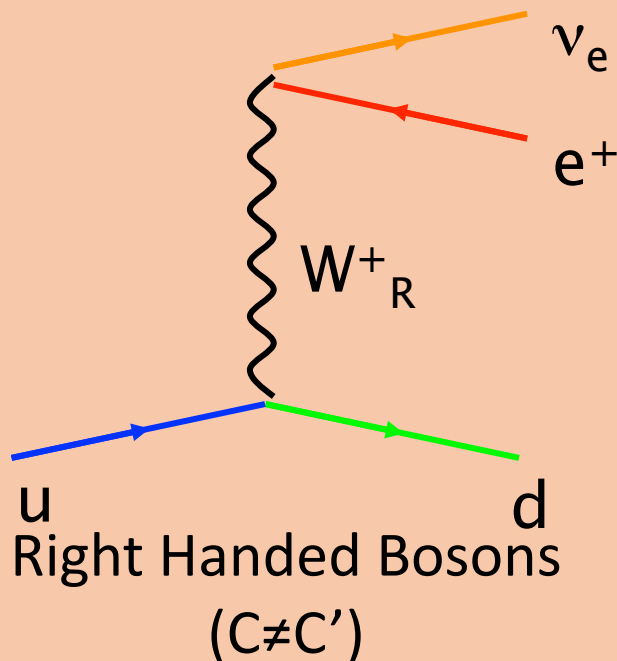


$$H_\beta = (\bar{\psi}_n \gamma_\mu \psi_p) (C_V \bar{\psi}_e \gamma^\mu \psi_\nu + C'_V \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu) - (\bar{\psi}_n \gamma_\mu \gamma_5 \psi_p) (C_A \bar{\psi}_e \gamma^\mu \gamma_5 \psi_\nu + C'_A \bar{\psi}_e \gamma^\mu \psi_\nu)$$

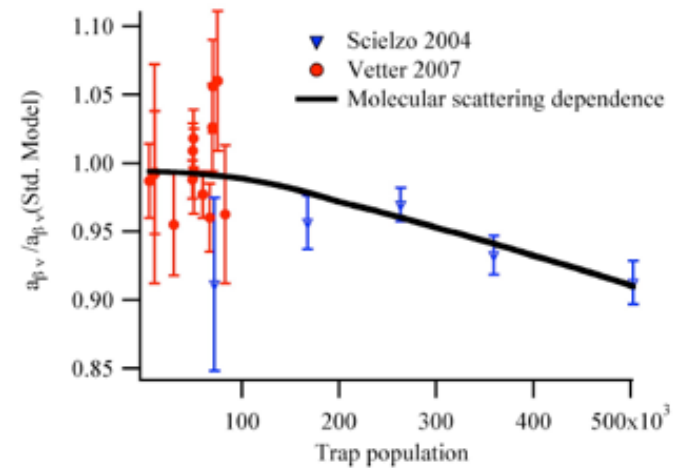
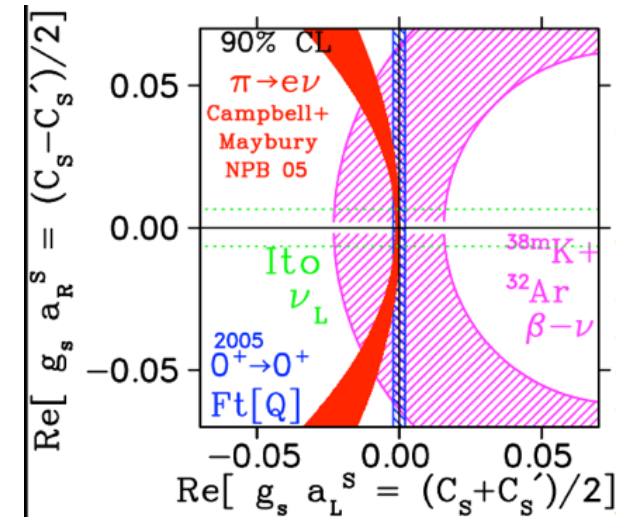
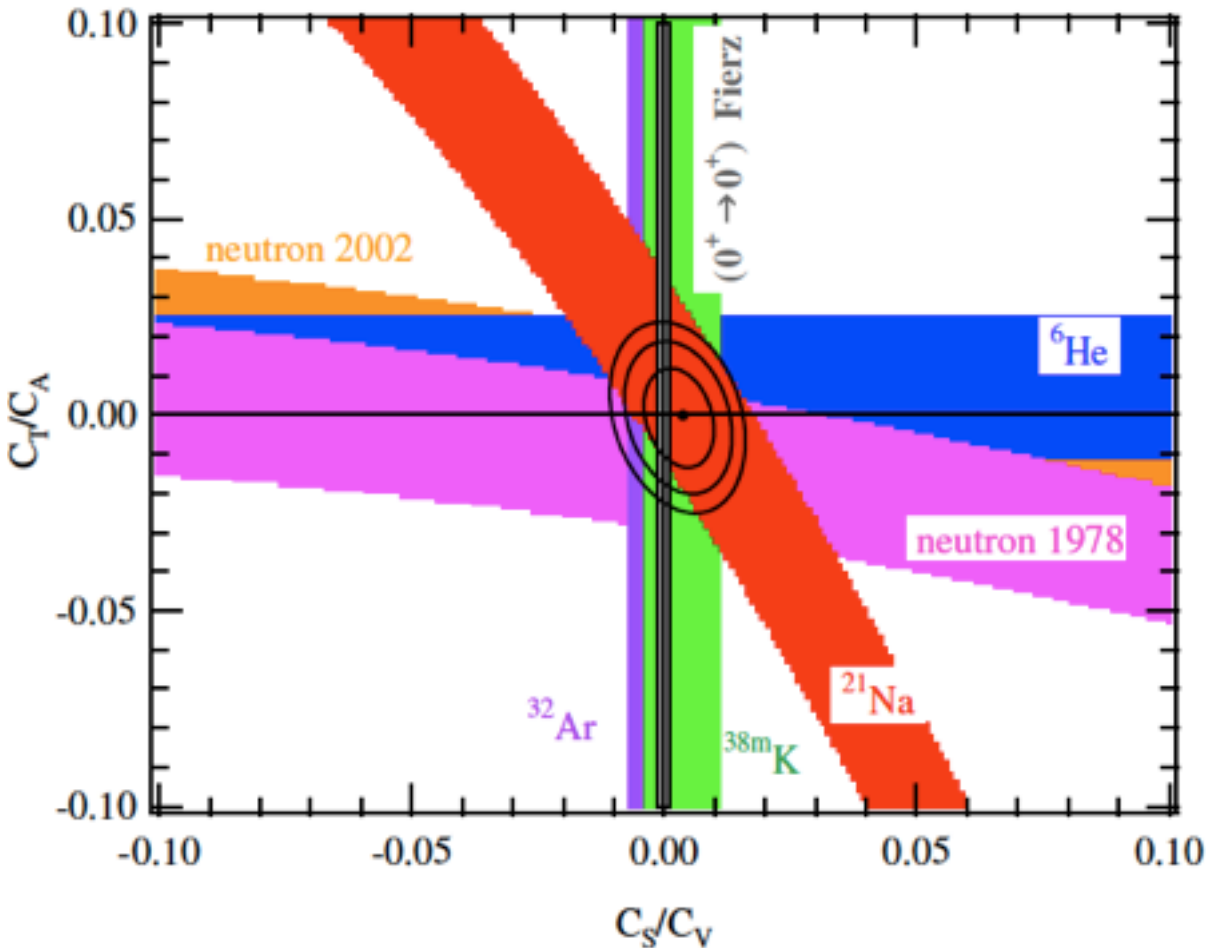
$$C_V = C'_V = 1$$

$$C_A = C'_A = 1.26$$

(Some) New Physics:



A-V vs. Tensor Currents



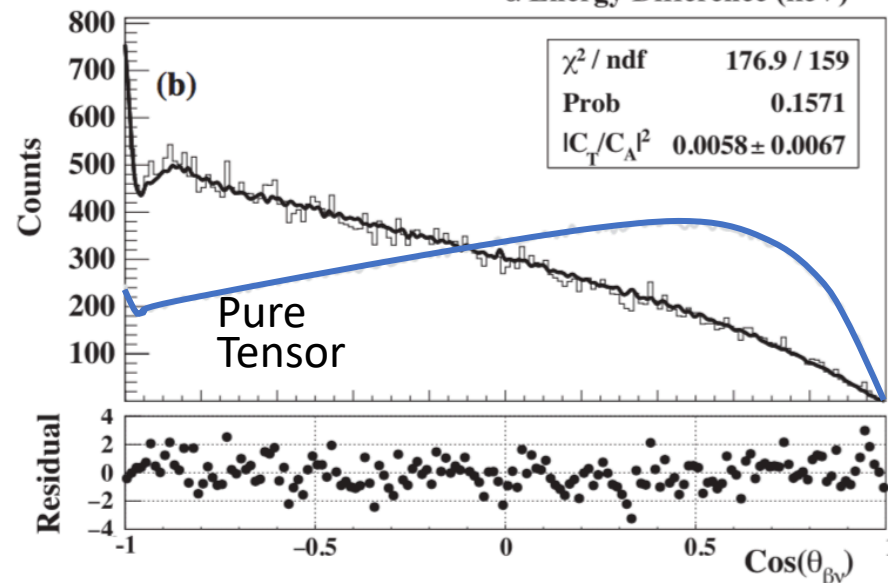
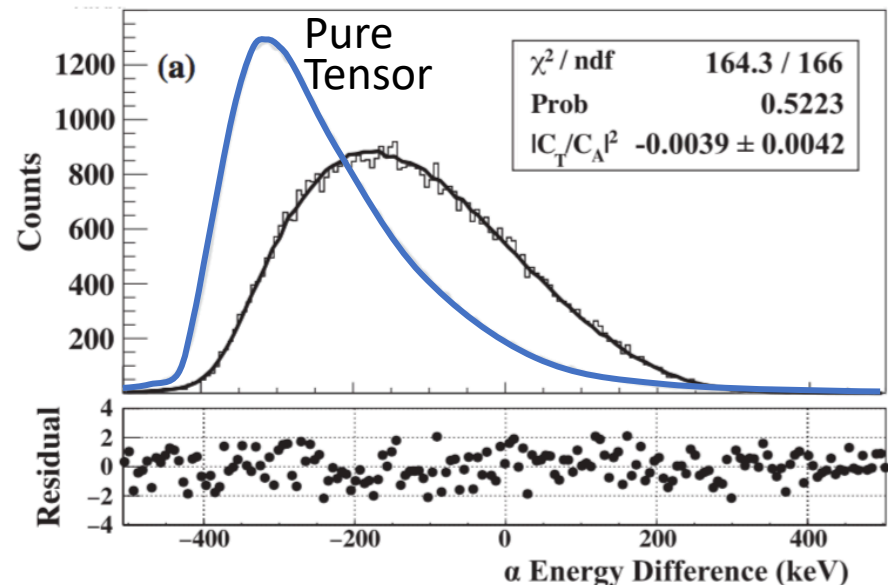
A-V vs. Tensor Currents in ^8Li

Kinematical distributions sensitive to the current:

- Energy distribution of recoiling ion (from two alpha measurement).
- Angle between neutrino and electron.

Resulting Constrain:

$$C_T/C_A < 10\% \text{ (95\% C.L.)}$$



Standard β Decay Experiment

Produce Radioactive Atoms
(Produce, Transport, Neutralize)



Trap



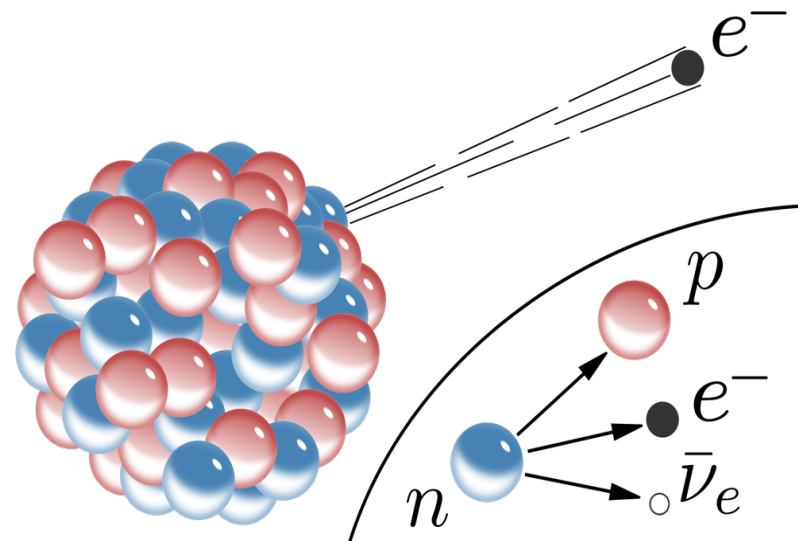
Wait for the decay...



Measure Decay Products



Analyze the Data and Compare to
SM Prediction



Standard β Decay Experiment

Produce Radioactive Atoms
(Produce, Transport, Neutralize)



Trap



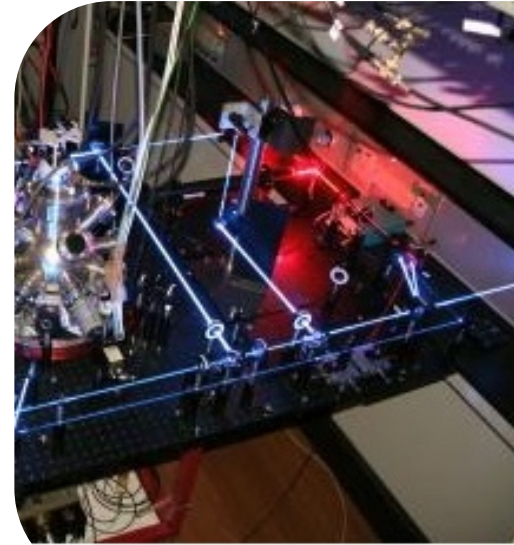
Wait for the decay...



Measure Decay Products



Analyze the Data and Compare to
SM Prediction



Why Trap?

- Cold and Dilute:
 - No 'smearing'
 - Less interactions
- Well localized vertex
- Isotope selectivity

Standard β Decay Experiment

Produce Radioactive Atoms
(Produce, Transport, Neutralize)



Downside of Trapping:

- Complicated experimental setup.
- Limited number of Isotopes.
- Low Statistics.

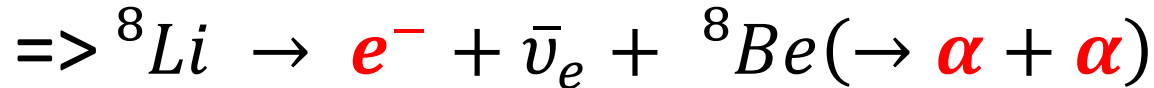
Why Trap?

- Cold and Dilute:
 - No 'smearing'
 - Less interactions
- Well localized vertex
- Isotope selectivity

Analyze the Data and Compare to
SM Prediction

Avoiding the Trap

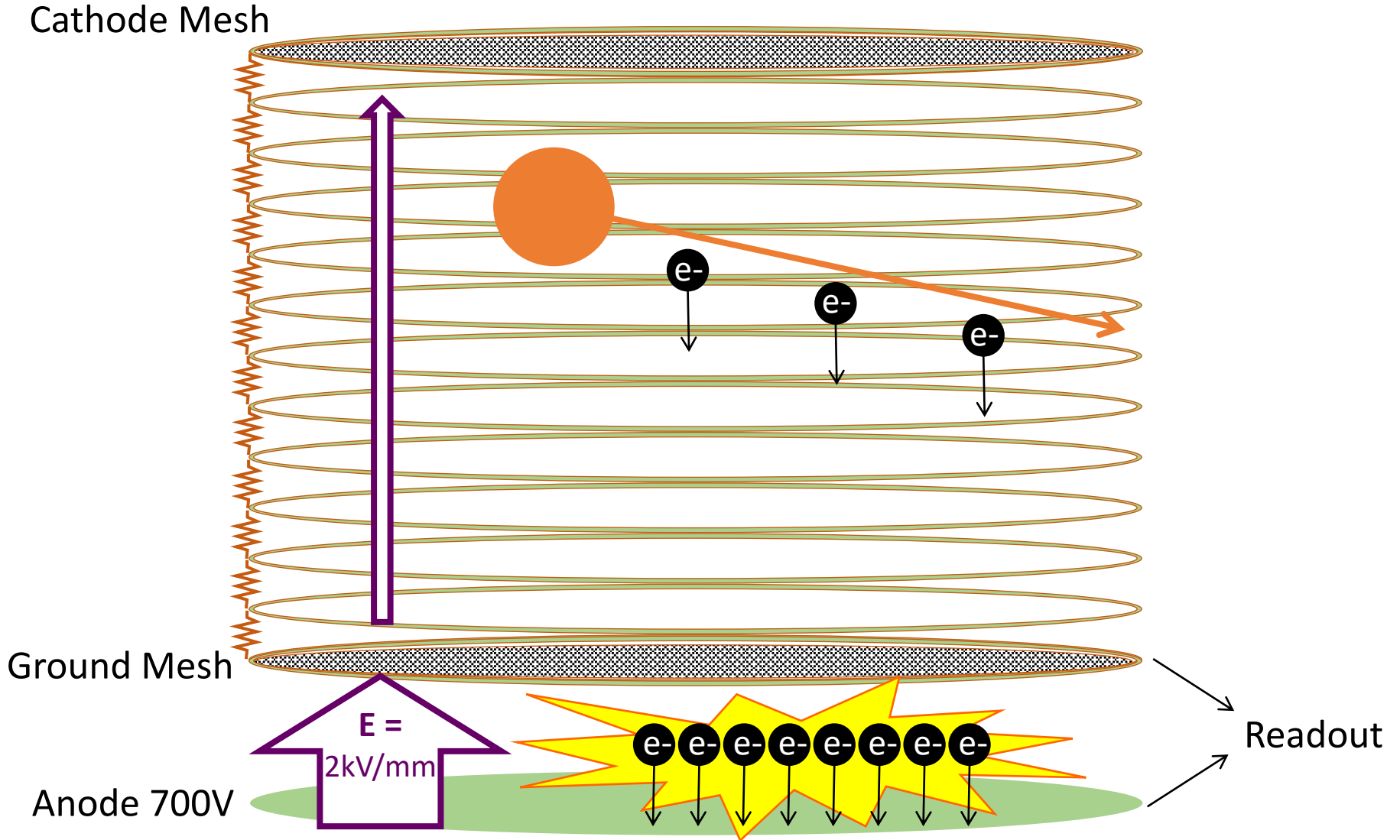
1. Use nucleus with 'high energy' decays.



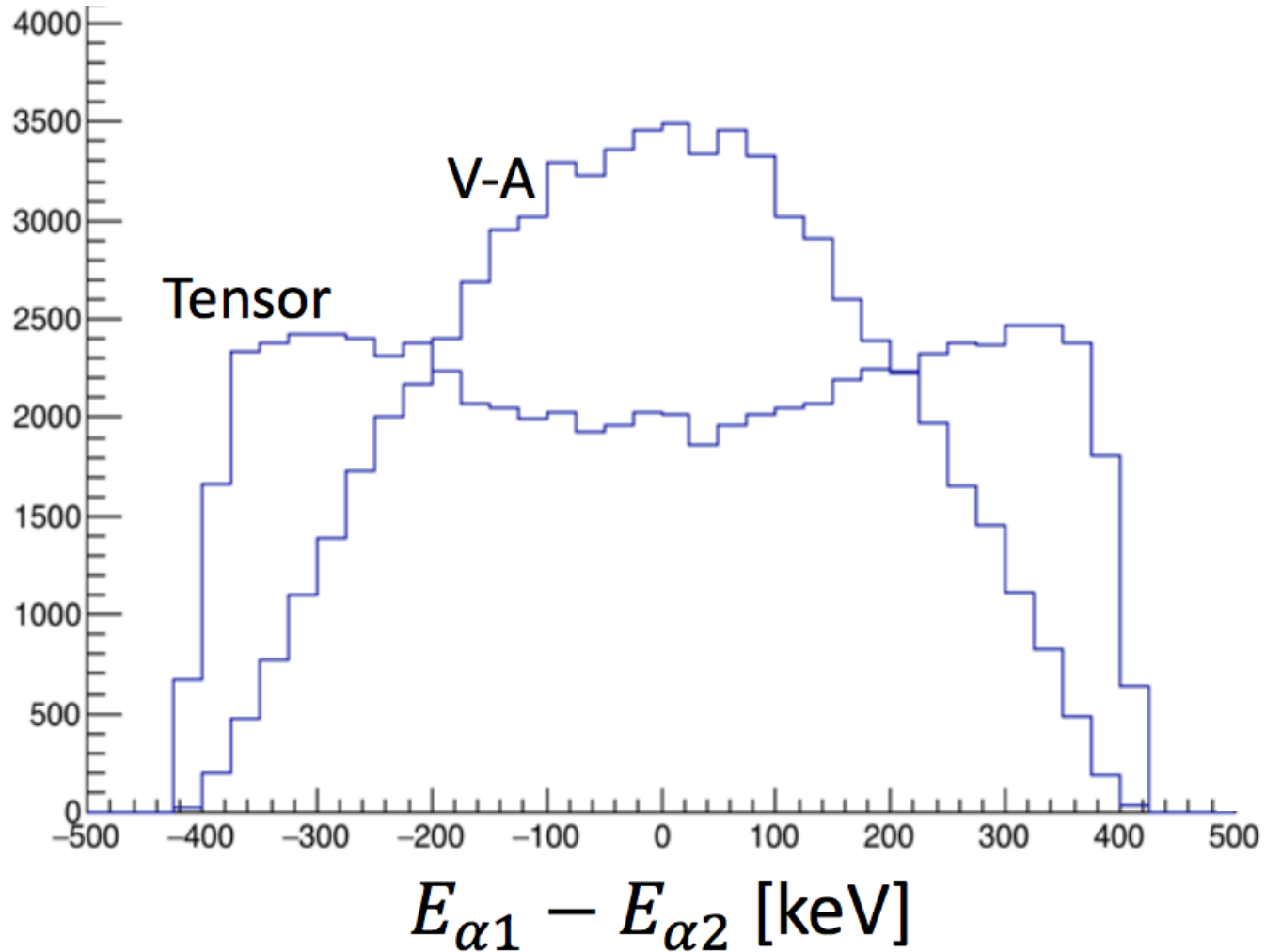
- Easy to produce using conventional neutron sources.
- **Two ~1.5 MeV alphas in the final state.**

2. Device a 'trap-less' measurement scheme

TPC



^8Li Physics (Tensor vs. V-A)



The OLIVIA Experiment

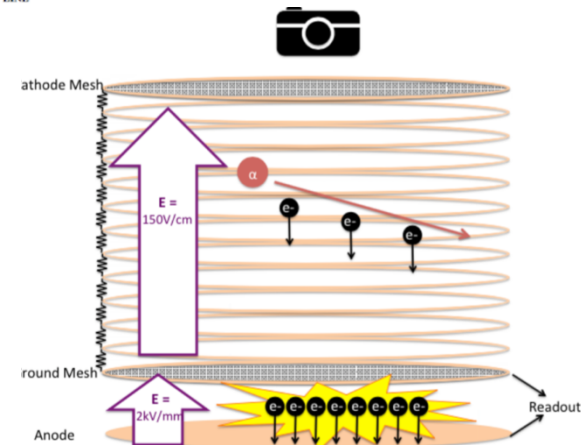
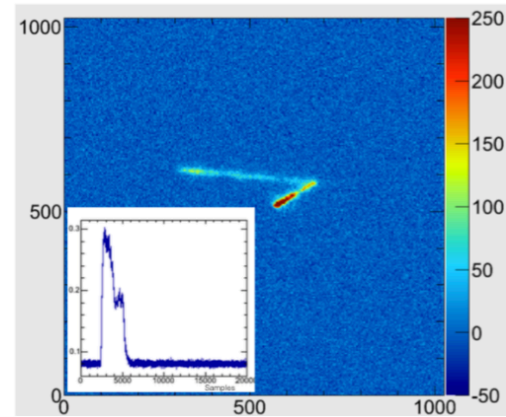
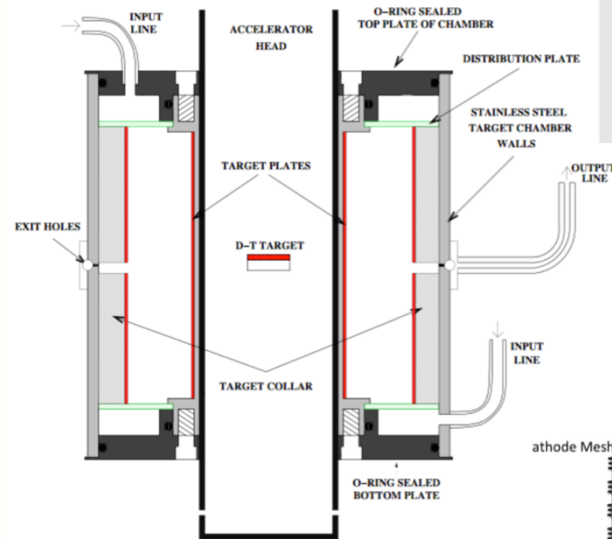
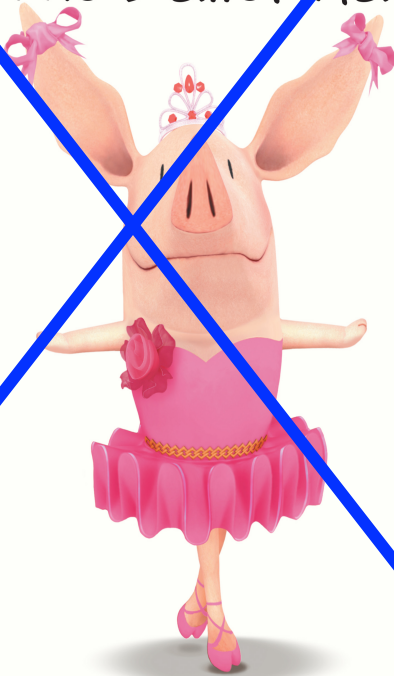
OLIVIATM the Ballerina



The OLIVIA Experiment

Optical Lithium V-minus-A Experiment

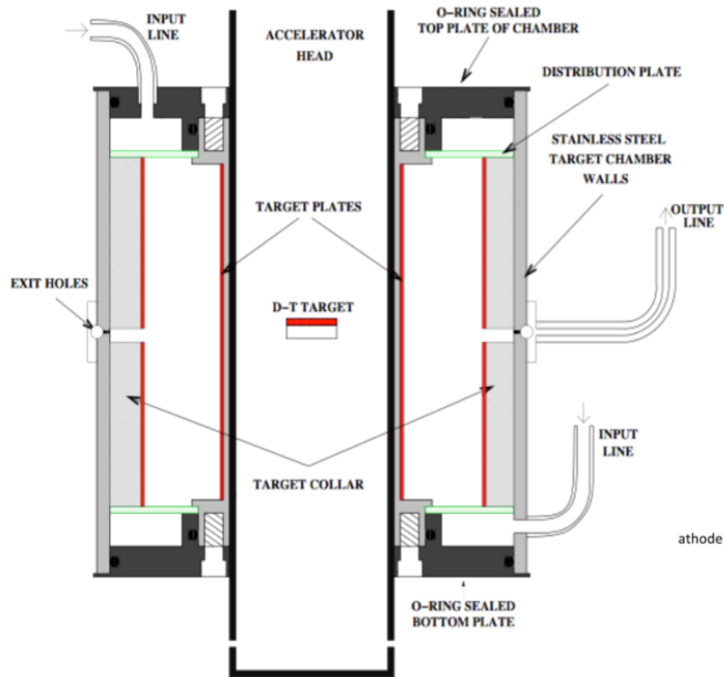
OLIVIATM
the Ballerina



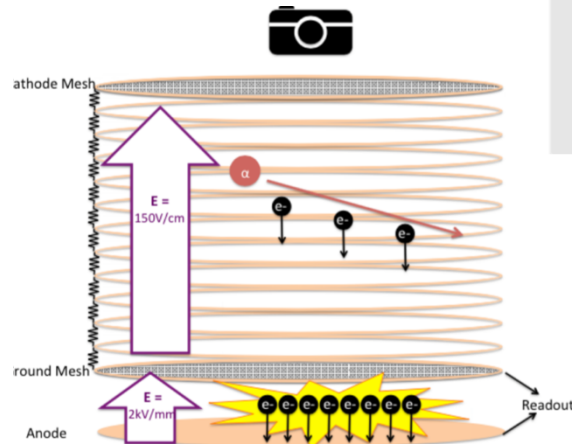
The OLIVIA Experiment (MIT/HUJI/UM)

Optical Lithium V-minus-A Experiment

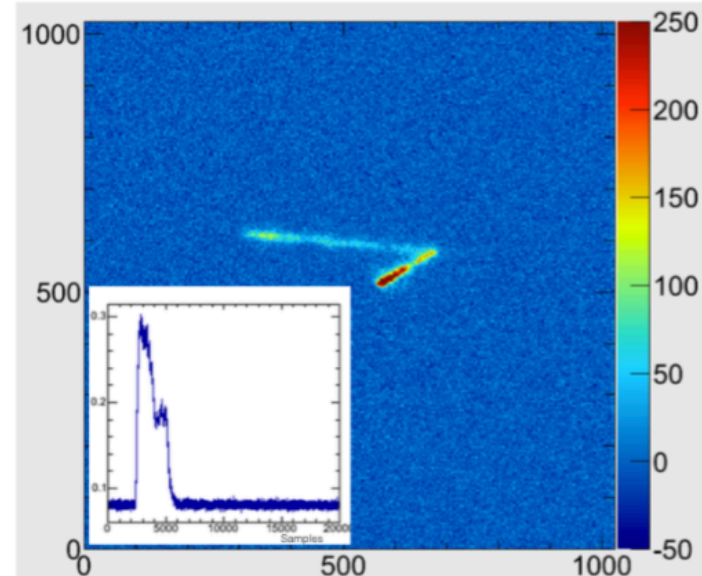
(1) Produce ^8Li



(2) Let it decay in our detector



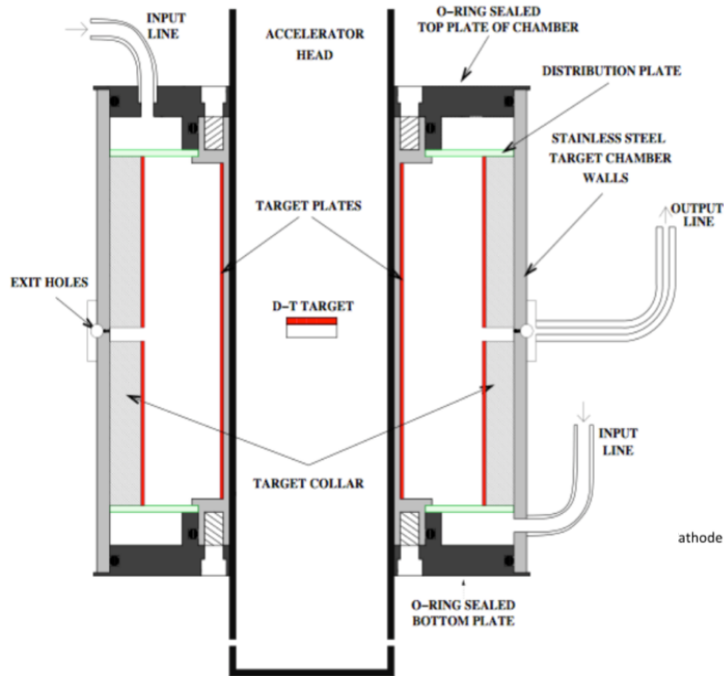
(3) Measure the decay products



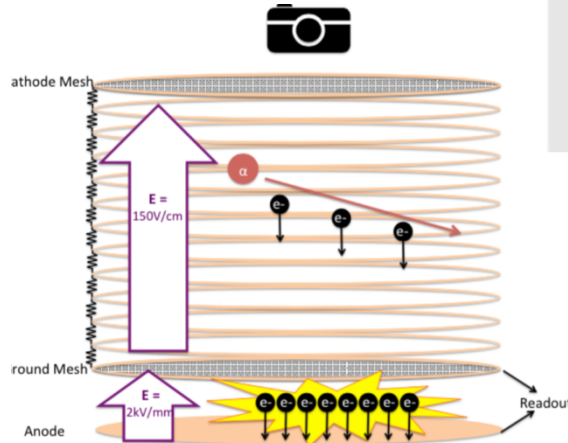
The OLIVIA Experiment (MIT/HUJI/UM)

Optical Lithium V-minus-A Experiment

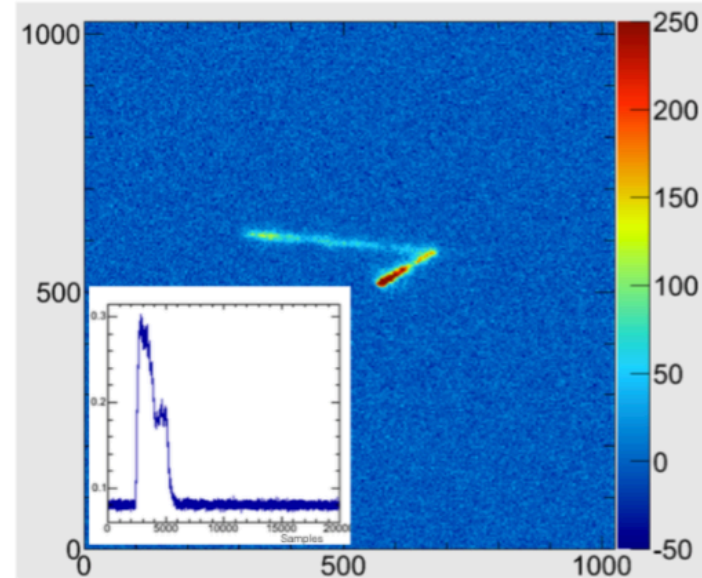
(1) Produce ^8Li



(2) Let it decay in our detector



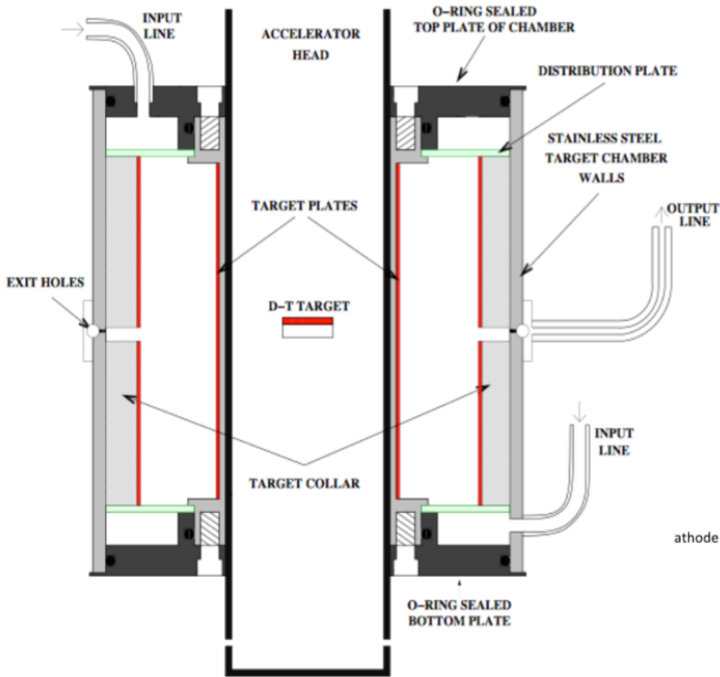
(3) Measure the decay products



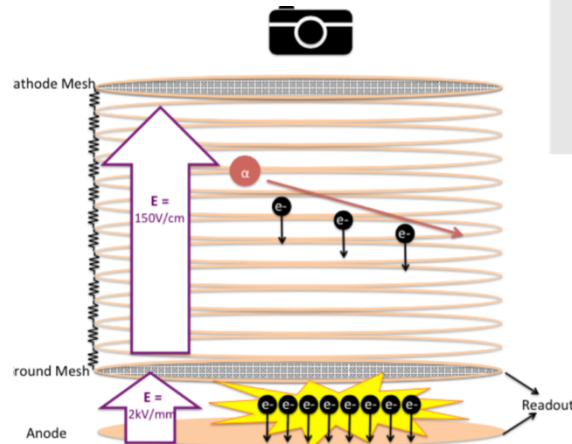
The OLIVIA Experiment (MIT/HUJI/UM)

Optical Lithium V-minus-A Experiment

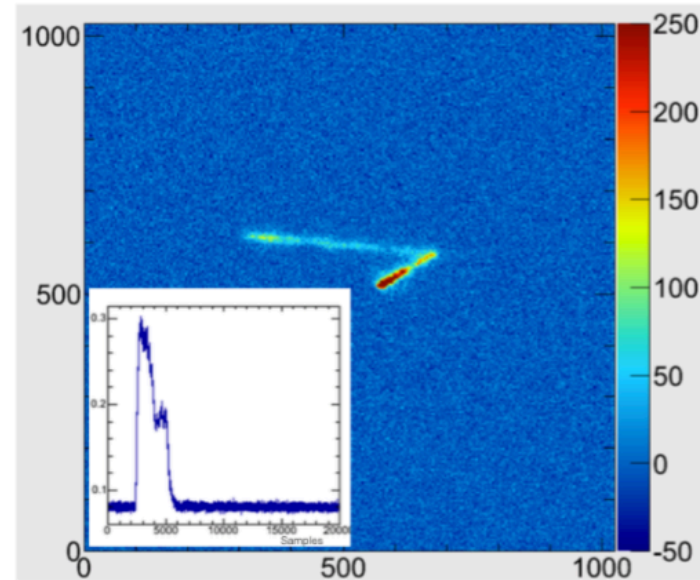
(1) Produce ^8Li



(2) Let it decay in our detector



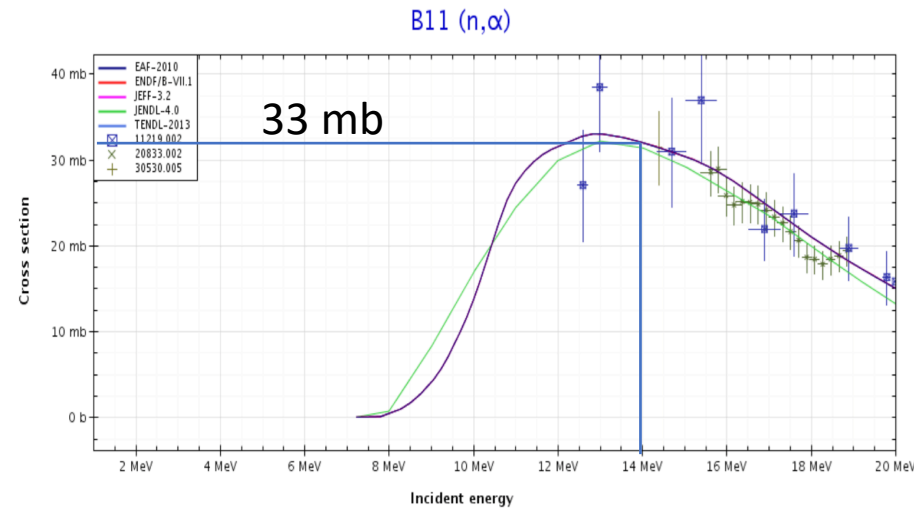
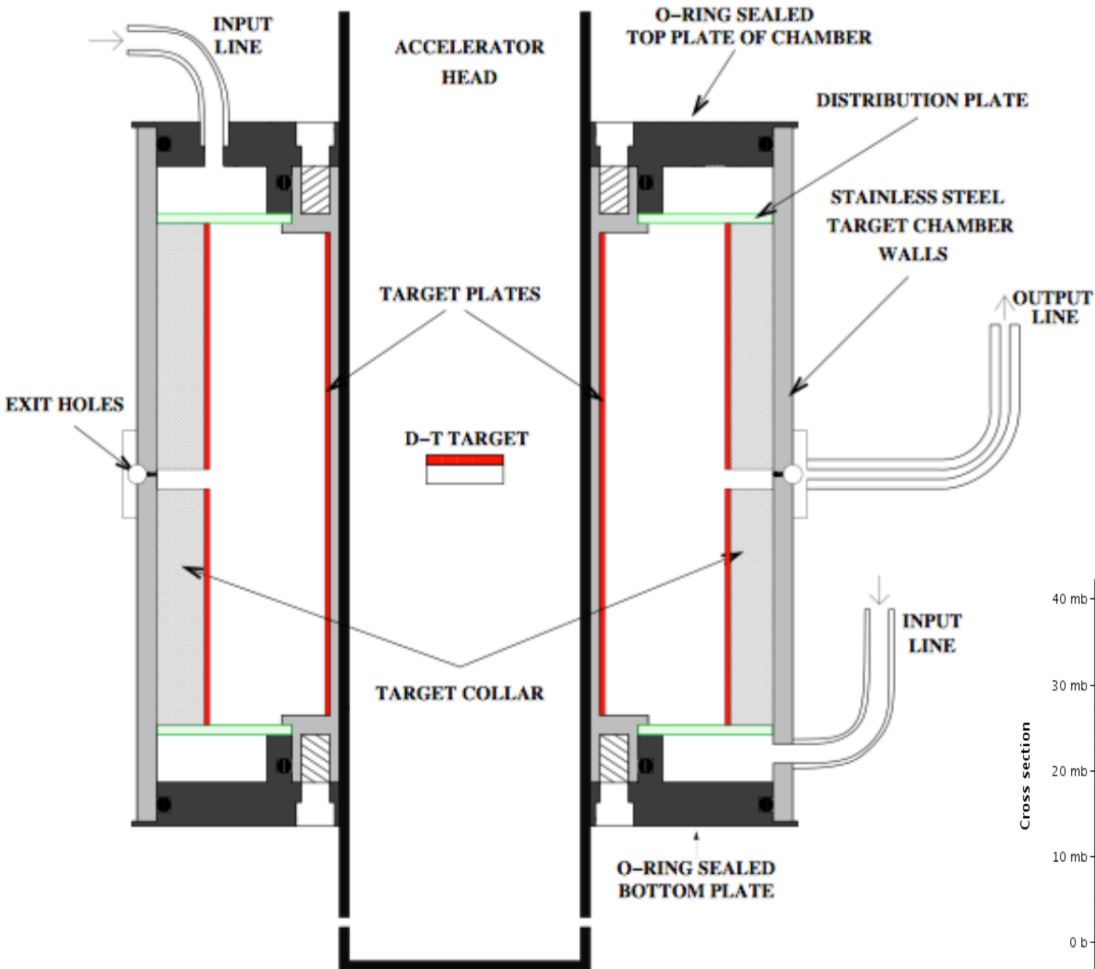
(3) Measure the decay products



^8Li Production

Using a DT generator: $^{11}\text{B}(n,\alpha)^8\text{Li}$

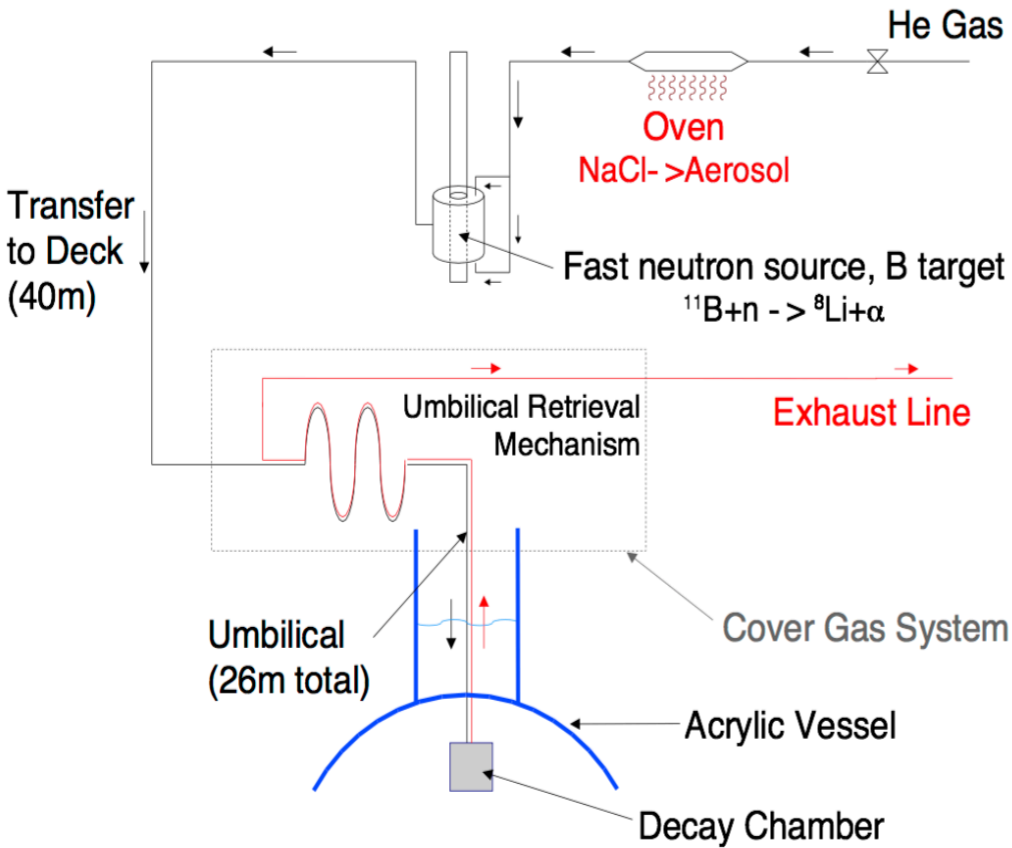
+ Transport ^8Li to the TPC using a gas flow system



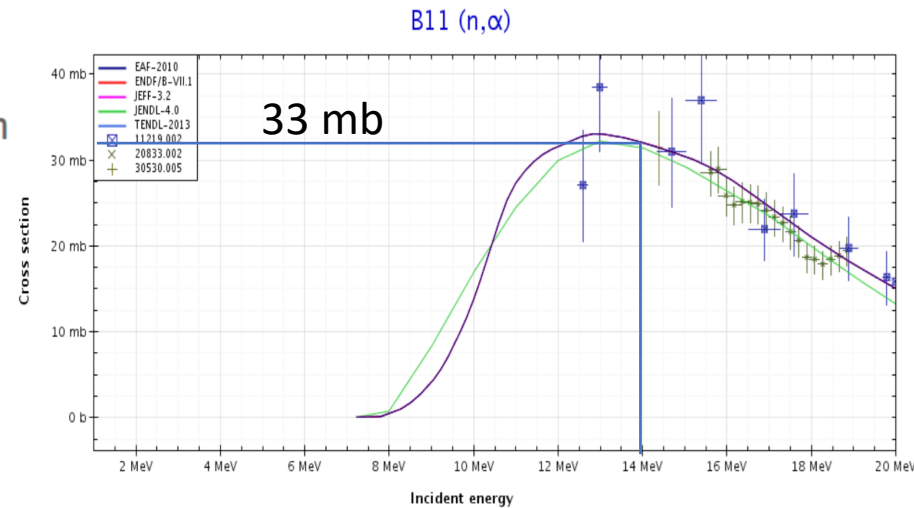
Based on the SNO ^8Li calibration system
arXiv: 0202024 (2002)

^8Li Production

Using a DT generator: $^{11}\text{B}(n,\alpha)^8\text{Li}$



+ Transport ^8Li to the TPC using a gas flow system



Based on the SNO ^8Li calibration system
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^8Li Production

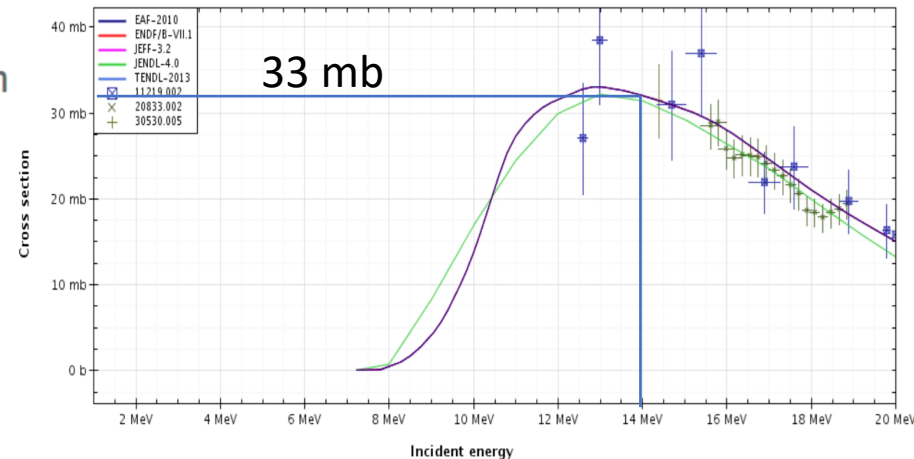
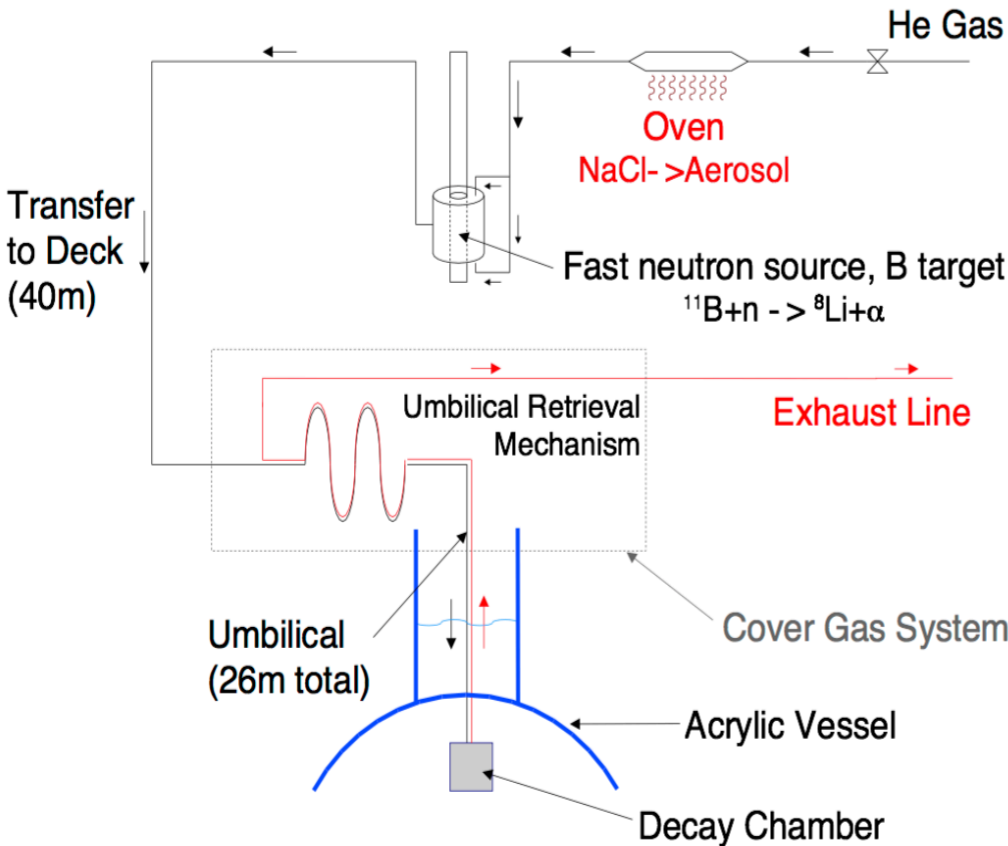
Using a DT generator: $^{11}\text{B}(n,\alpha)^8\text{Li}$

+ Transport ^8Li to the TPC using a gas flow system

Expected Statistics:

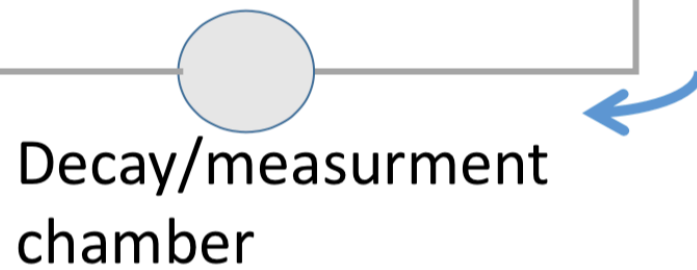
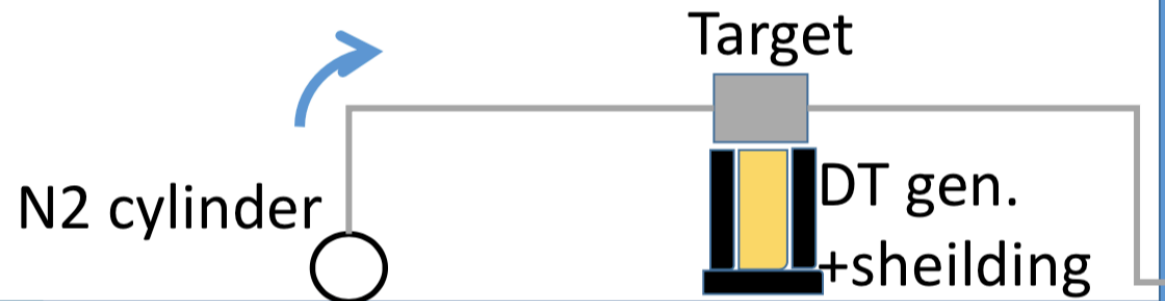
3.6×10^7

B11 (n,α)



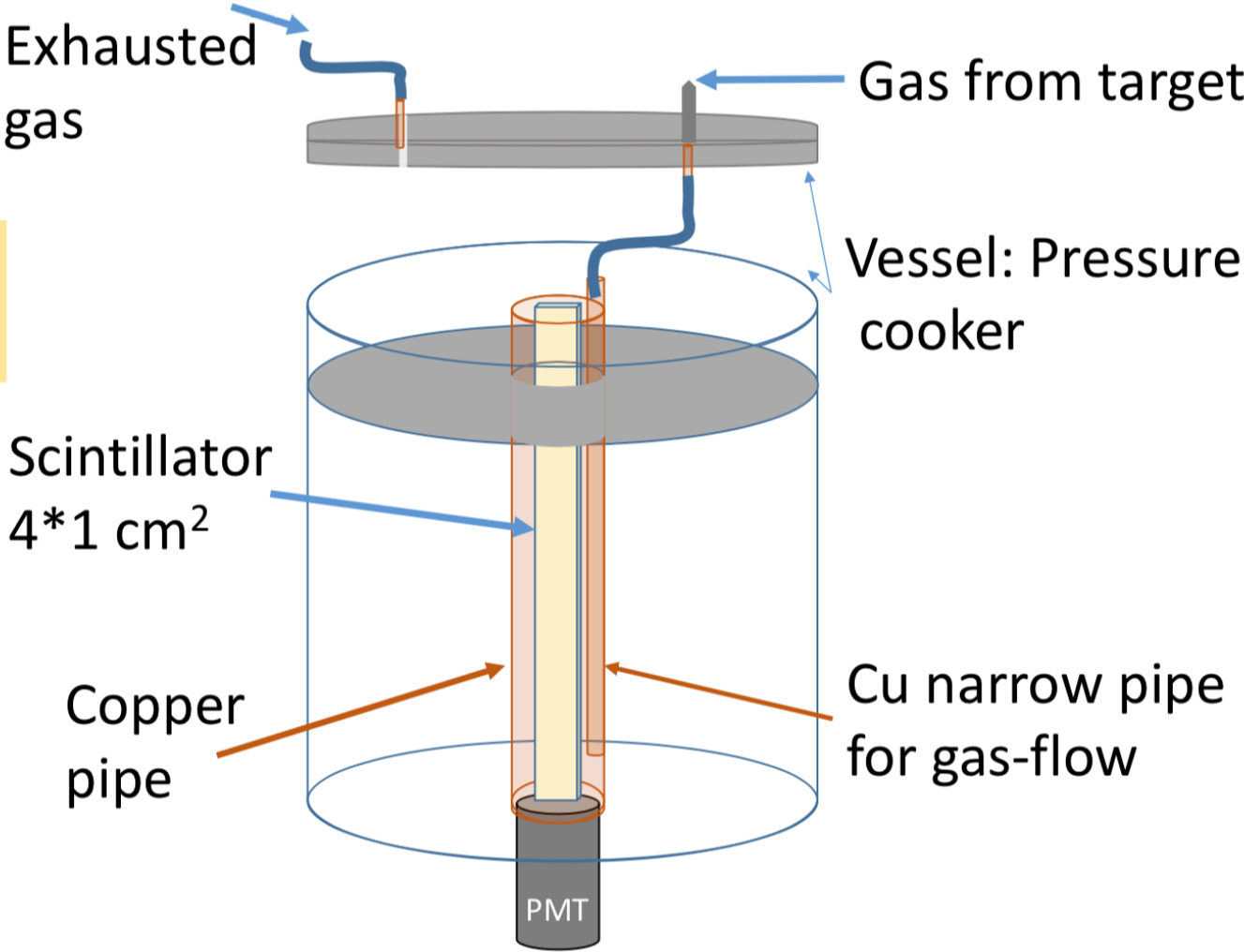
Based on the SNO ^8Li calibration system
arXiv: 0202024 (2002)

Hall Schematics
(not to scale)



Exhausted
gas

Decay/Measurement Chamber





Roll over image to zoom in

All American 30-Quart Pressure Cooker Canner

by All American

★★★★★ 2,921 customer reviews | 713 answered questions

Price: **\$343.00** ✓prime

FREE Delivery Tomorrow

if you order within 9 hrs 45 mins. [Details](#)

Only 2 left in stock - order soon.

Sold by [FastSavings](#) and [Fulfilled by Amazon](#). Gift-wrap available.

Eligible for [amazon smile](#) donation.

Size: **30 qt**

<p>10.5 qt</p> <p>\$232.80</p> <p>✓prime</p>	<p>15.5 qt</p> <p>used from \$218.99</p>	<p>21.5 qt</p> <p>\$279.95</p> <p>✓prime</p>	<p>25 qt</p> <p>\$299.95</p> <p>✓prime</p>	<p>30 qt</p> <p>\$343.00</p> <p>✓prime</p>
<p>41.5 qt</p> <p>\$494.95</p> <p>✓prime</p>				

- The All American 30-quart pressure cooker and canner holds approximately 19 standard regular mouth pint jars or 14 standard regular mouth quart jars; Perfect Canner for all your canning needs!
- Made of durable, hand-cast aluminum with an attractive, easy to clean satin finish; Easy on-off cover; Positive action clamping wing nuts permit easy opening and closing
- Sturdy phenolic top handle; Exclusive "metal-to-metal" sealing system for a steam-tight seal; No gaskets to crack, burn, replace or clean
- Easy to read geared steam gauge; Automatic overpressure release; Settings of 5 psi, 10 psi, and 15 psi
- 19 inches high with 12-1/4-inch inside diameter; made in USA

All American 30-Quart Pressure Cooker Canner

by All American

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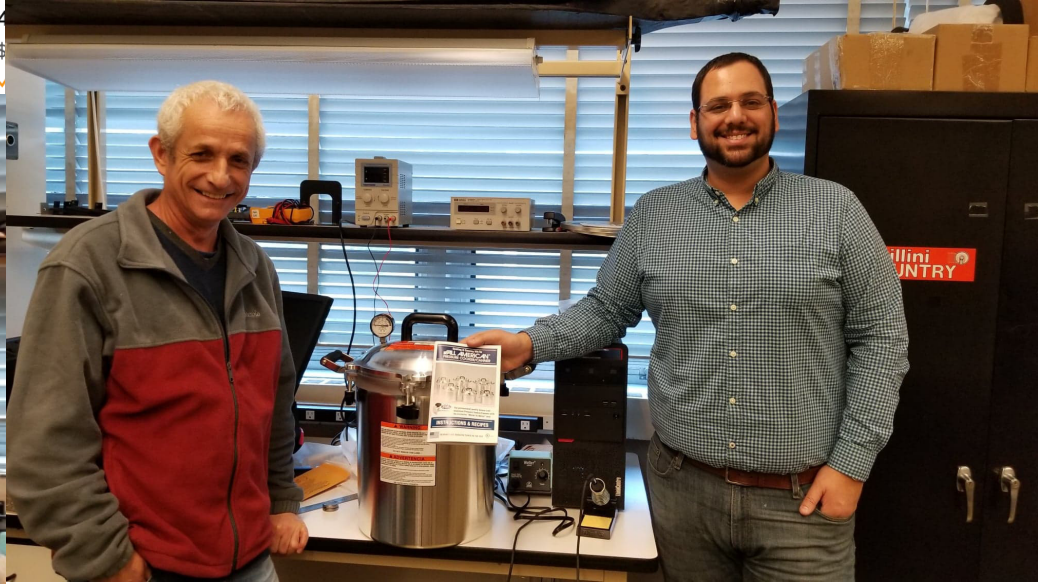
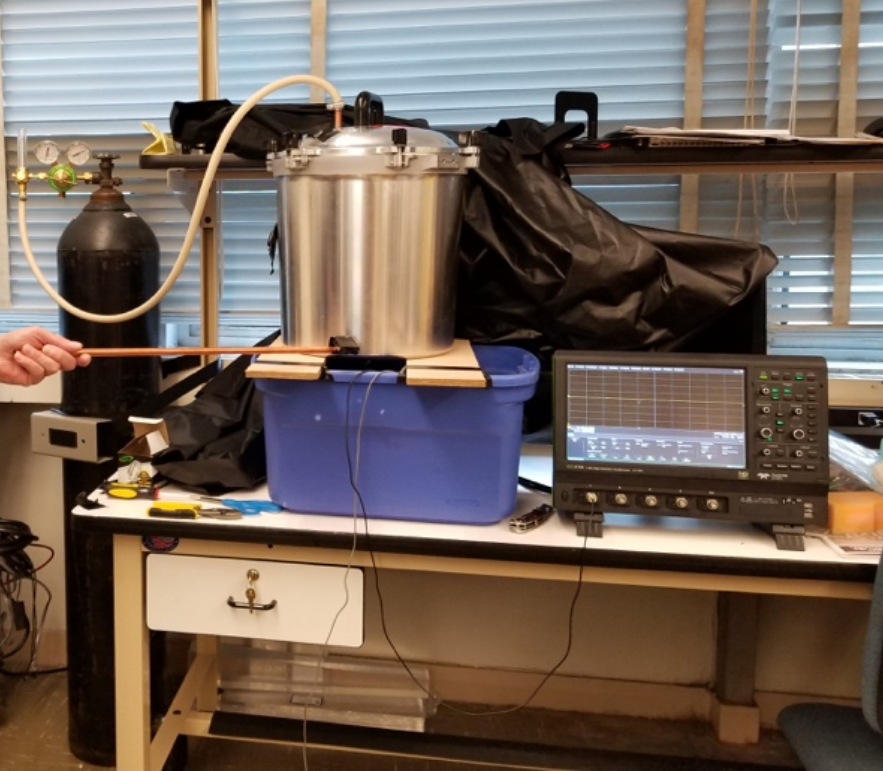
\$299.95

✓prime

30 qt

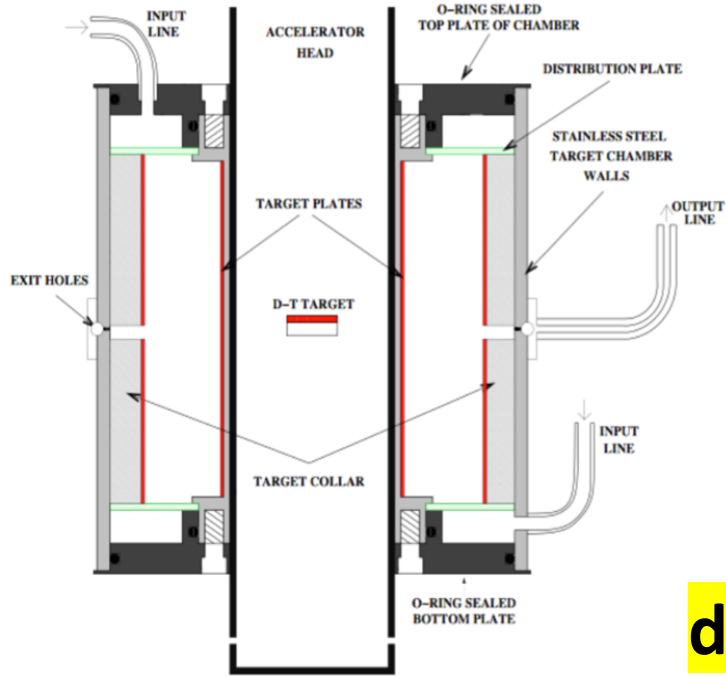
\$343.00

✓prime

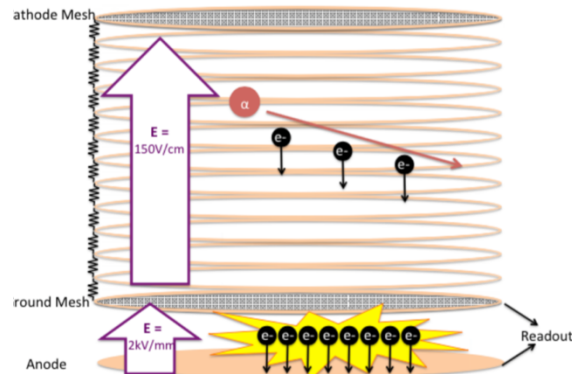


Currently working
on production &
transport rate
measurements

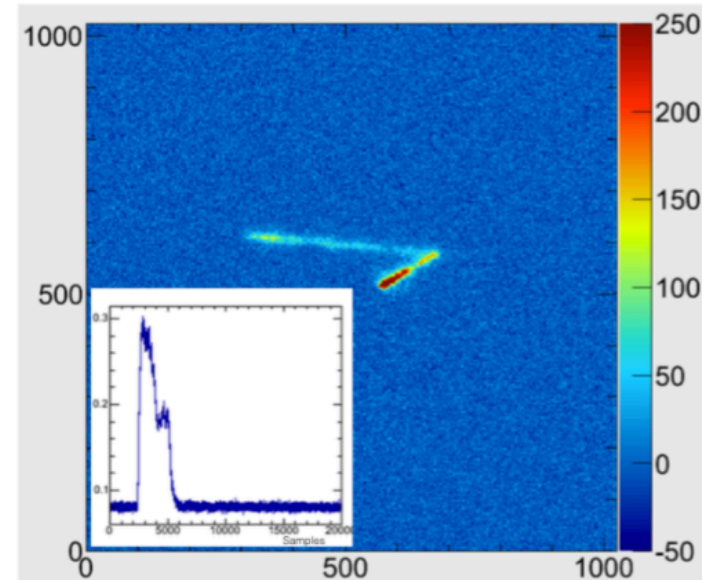
(1) Produce ^8Li



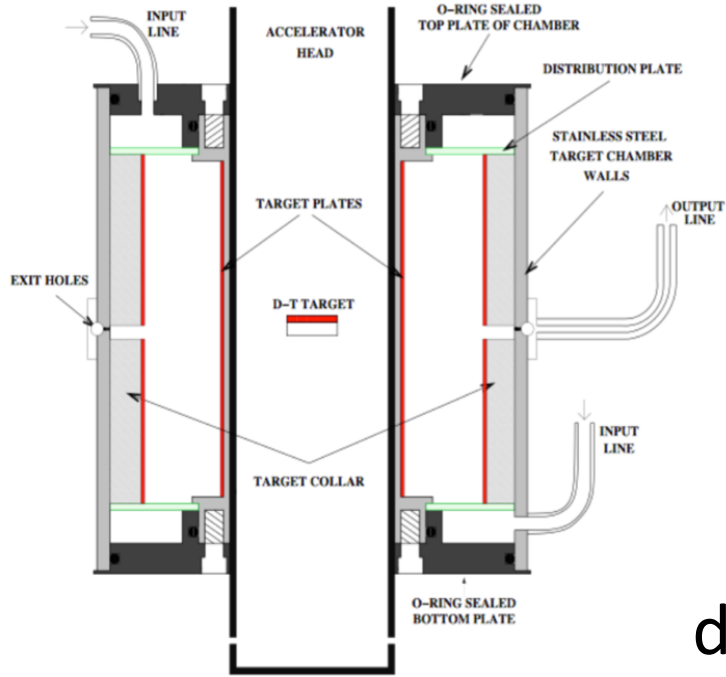
(2) Let it decay in our detector



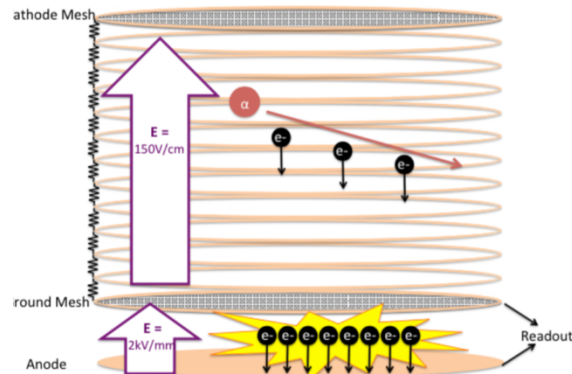
(3) Measure the decay products



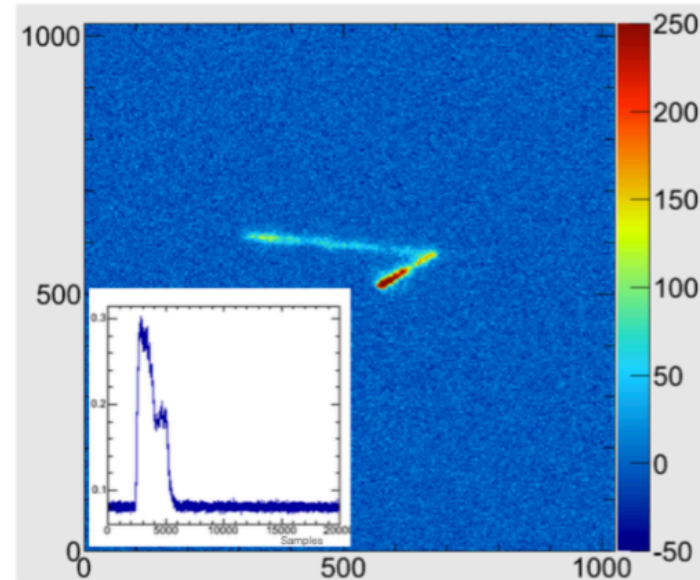
(1) Produce ^8Li



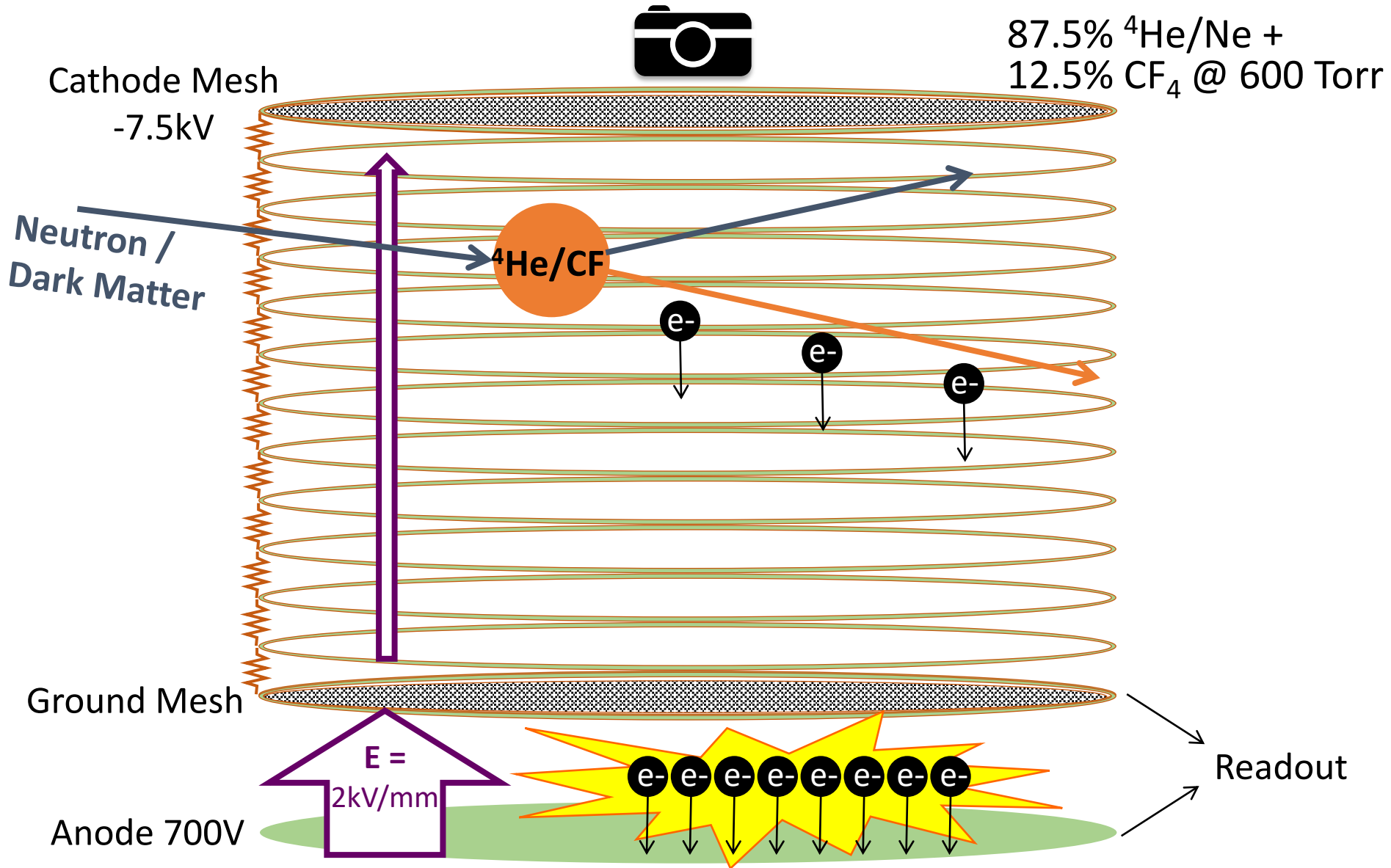
(2) Let it decay in our detector



(3) Measure the decay products



MITPC

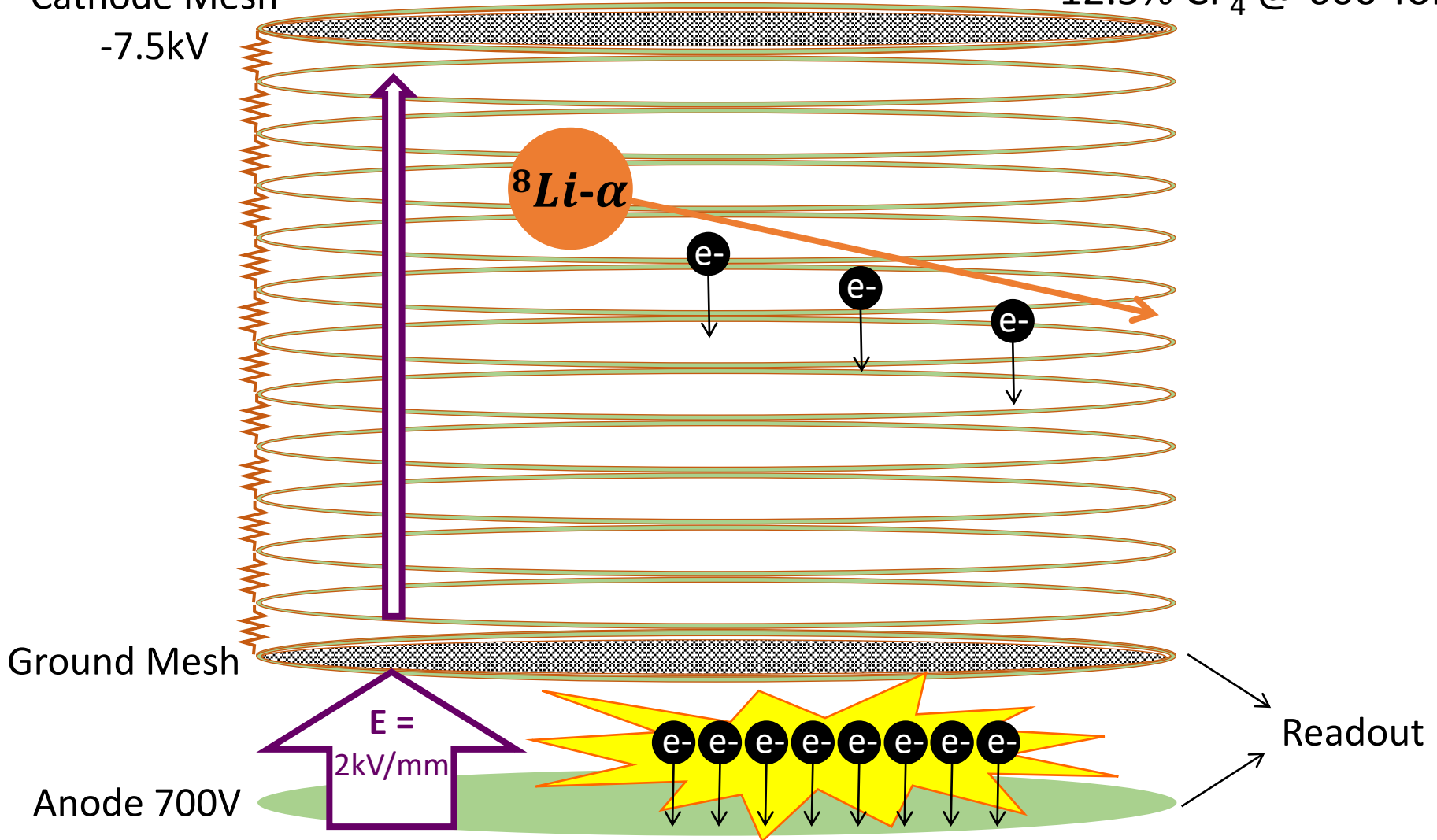


MITPC



87.5% $^4\text{He}/\text{Ne}$ +
12.5% CF_4 @ 600 Torr

Cathode Mesh
-7.5kV



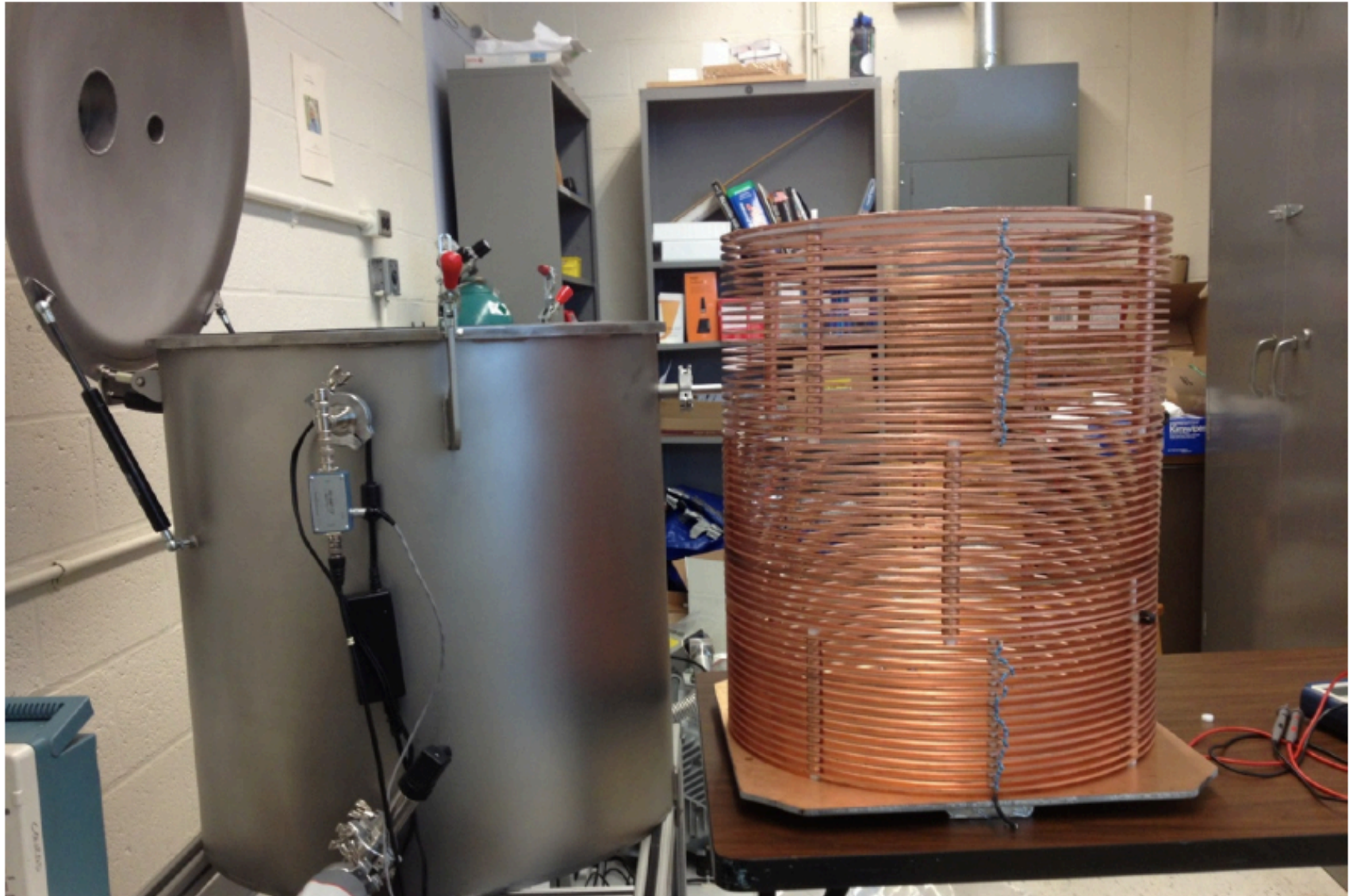
Ground Mesh

$E =$
2kV/mm

Anode 700V

Readout

MITPC

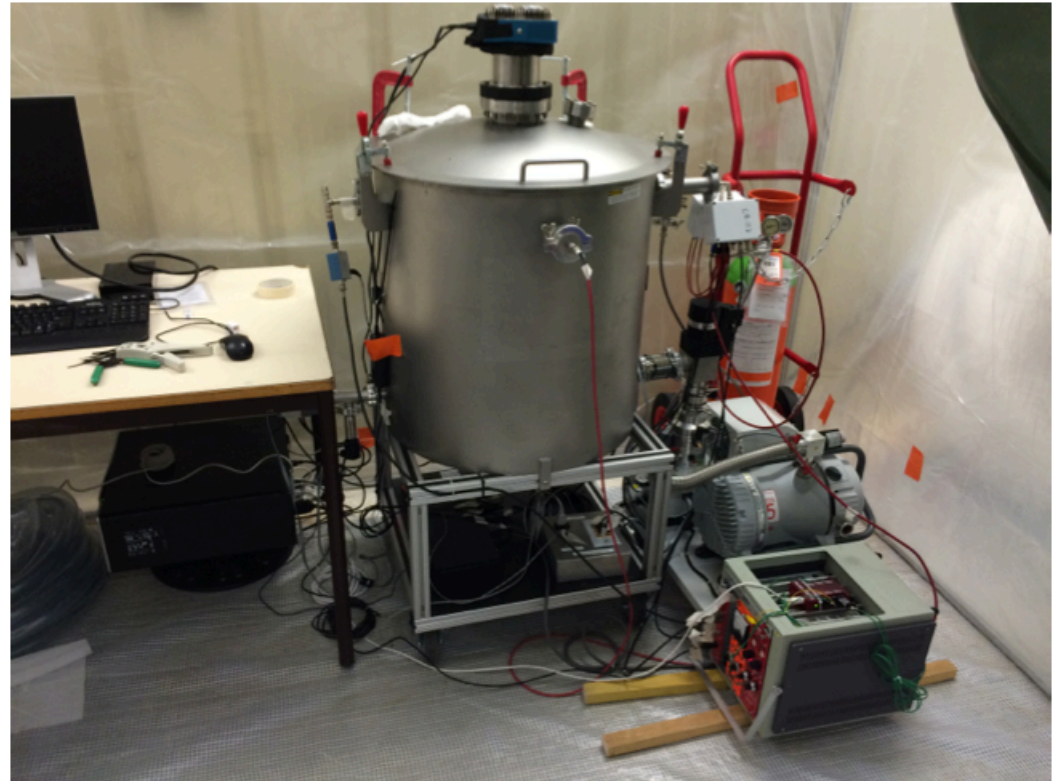


MITPC



Little MITPC

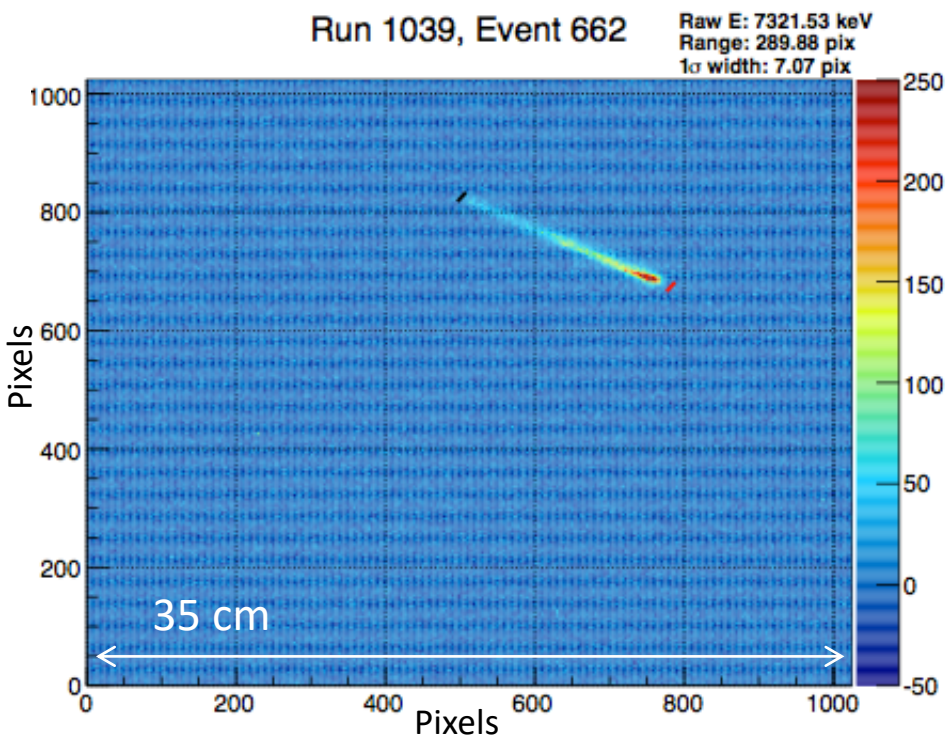
- 2.8L
- 0.2 – 10 MeV nuclear recoil
- 4 months of data at Double Chooz far hall
- Now at MIT for OLIVIA



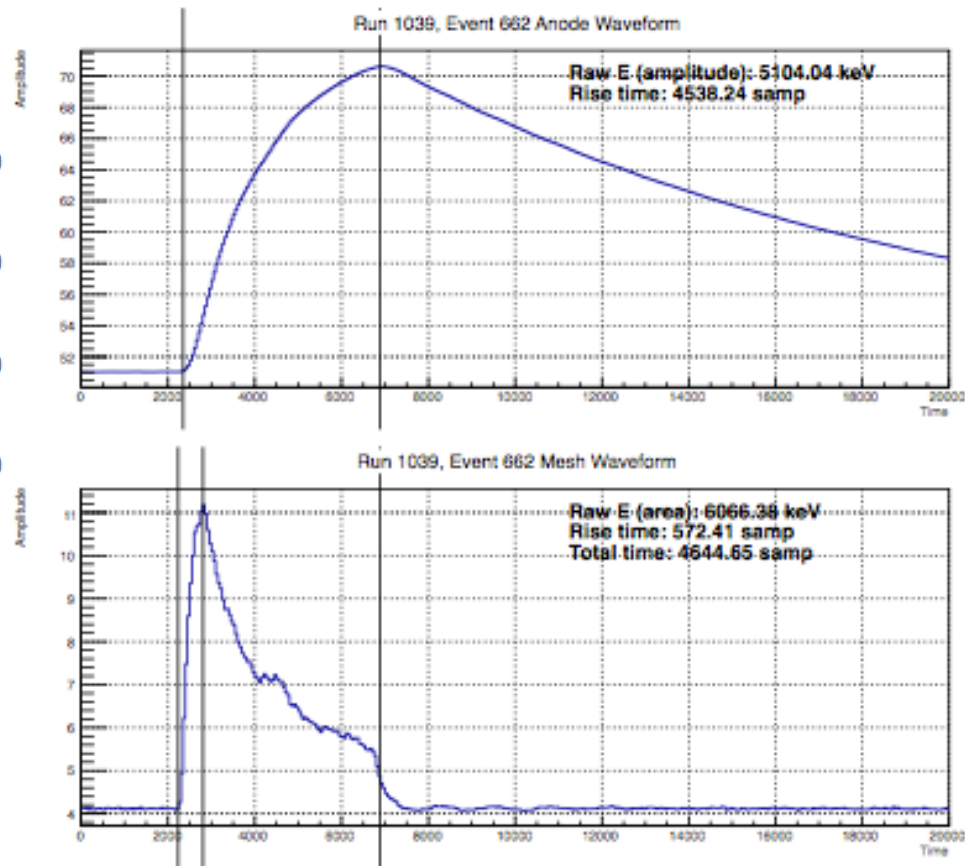
Big MITPC

- 60L
- 0.3 – 20 MeV nuclear recoil
- 7 months of data at Double Chooz near hall
- Now taking data at FNAL

Event Readout for Alpha Track

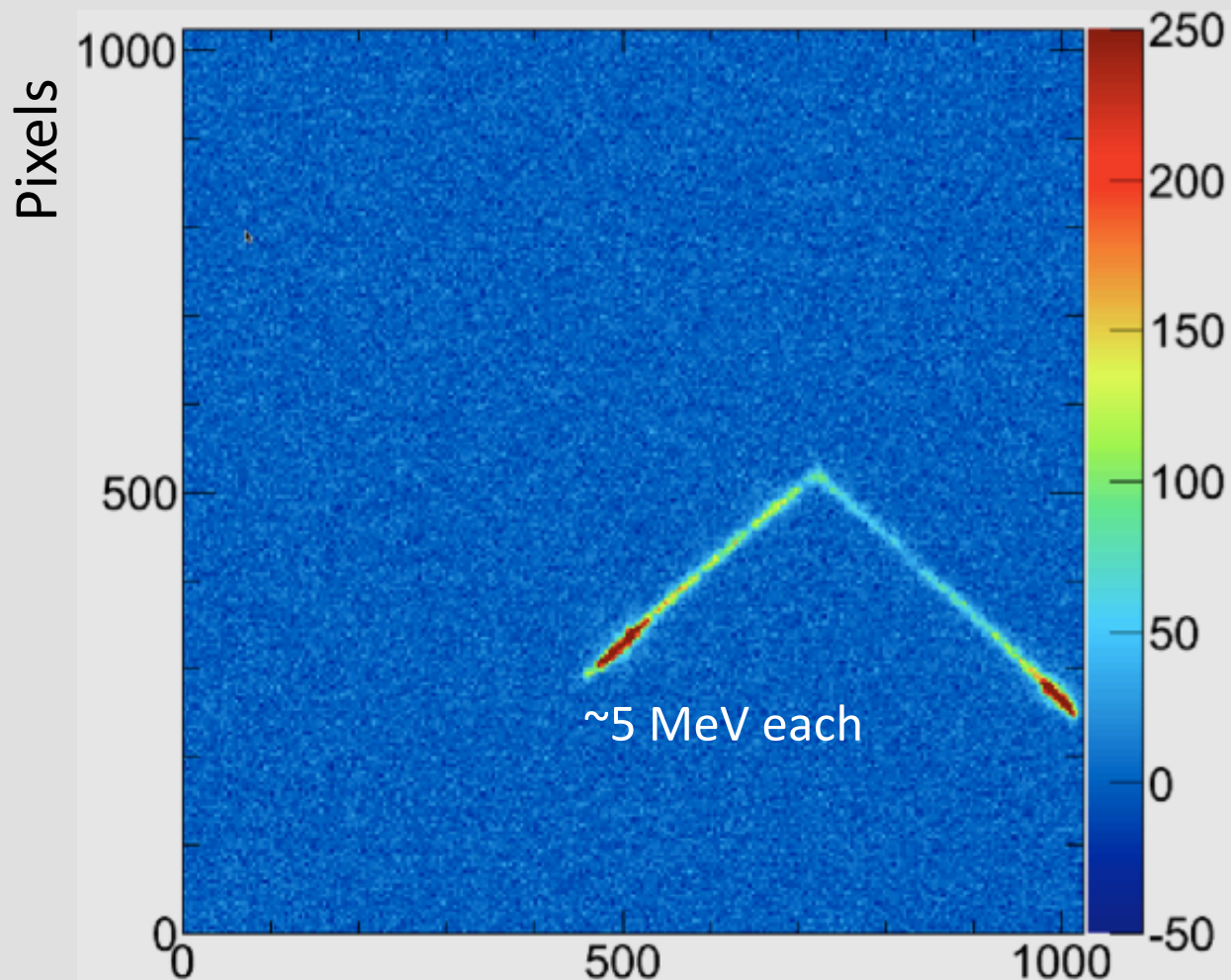


CCD readout



Waveform readouts: anode (top); mesh (bottom)

Two Alpha Event

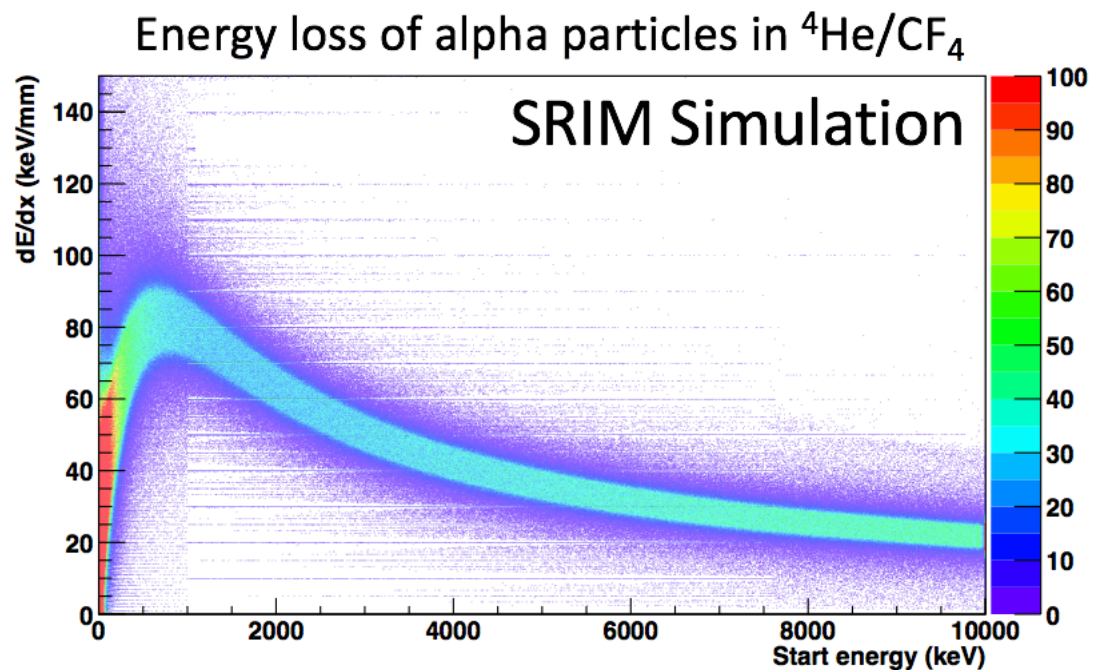
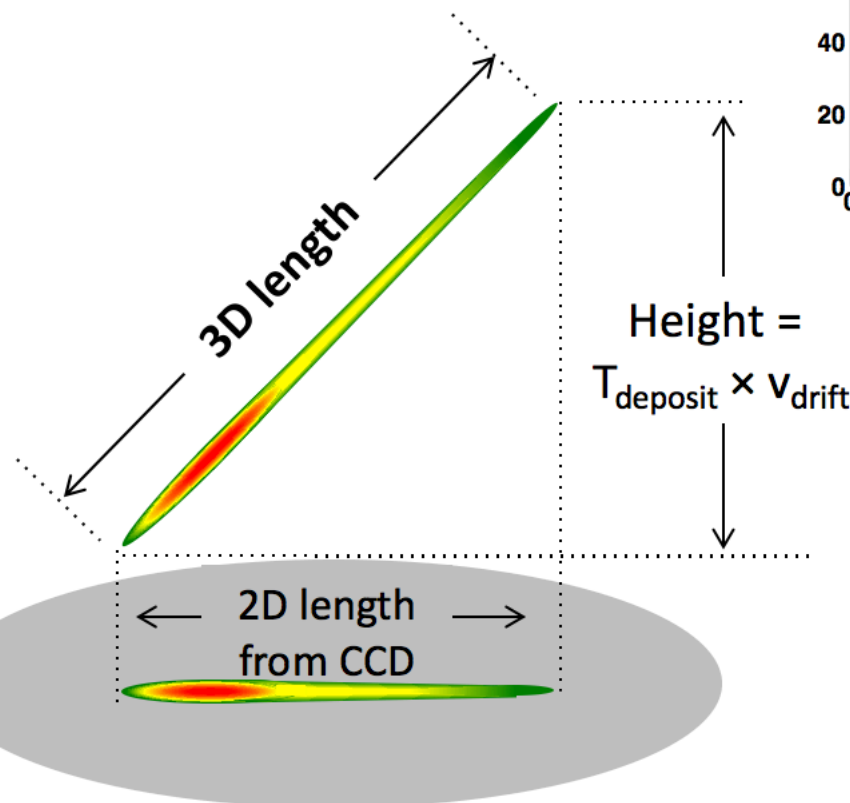


1024 pixels = 35.3 cm

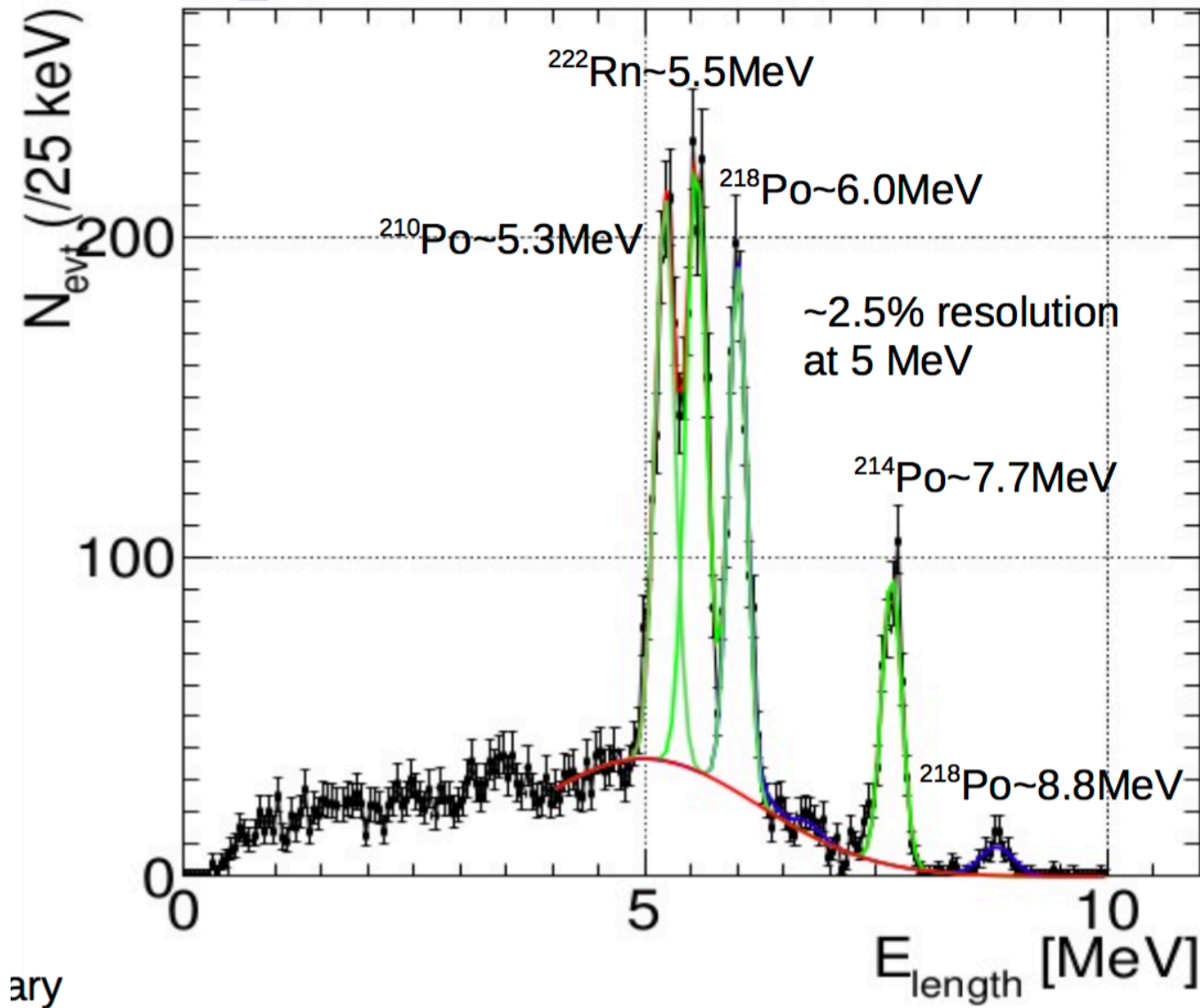
Pixels

Energy Reconstruction

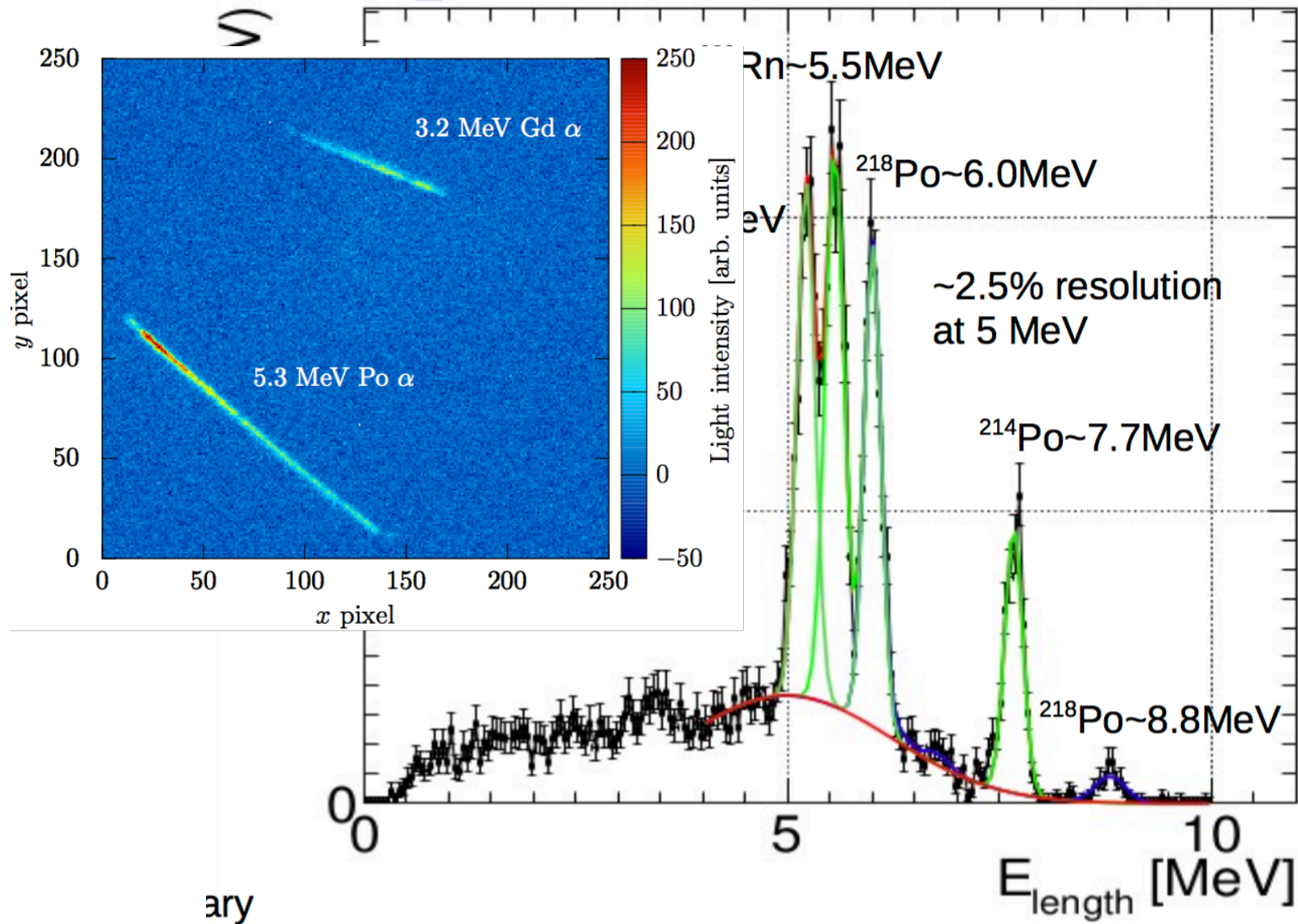
Energy Reconstruction from
3D track length



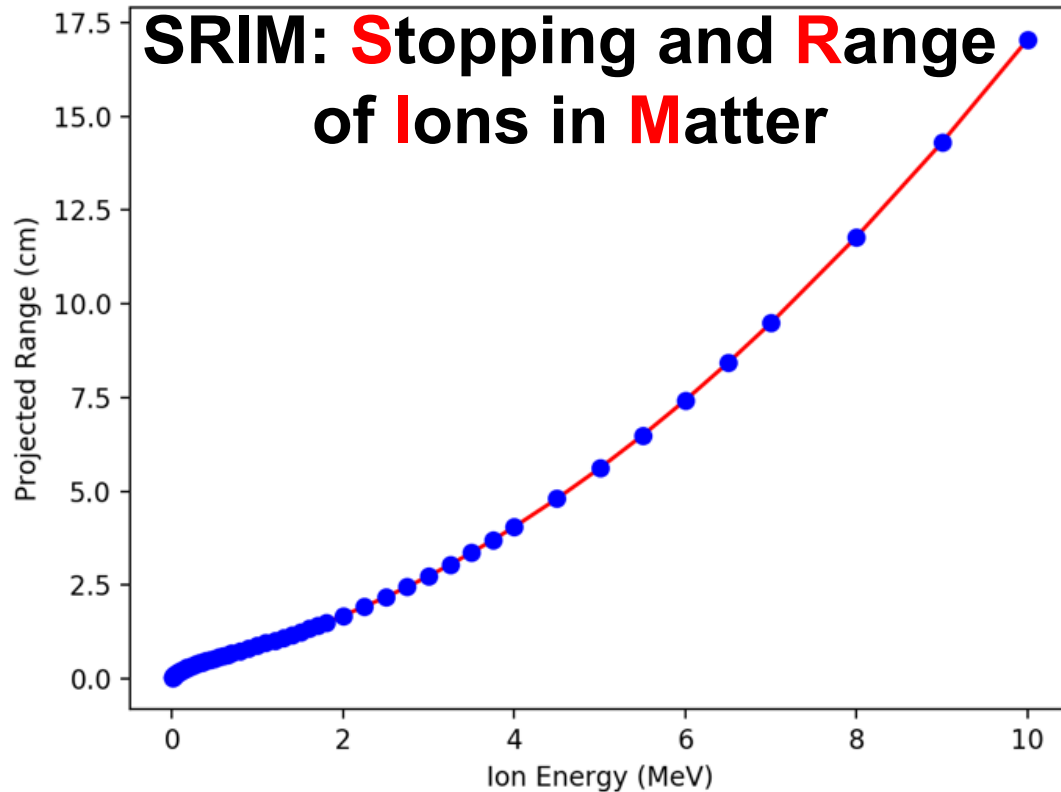
Energy Reconstruction



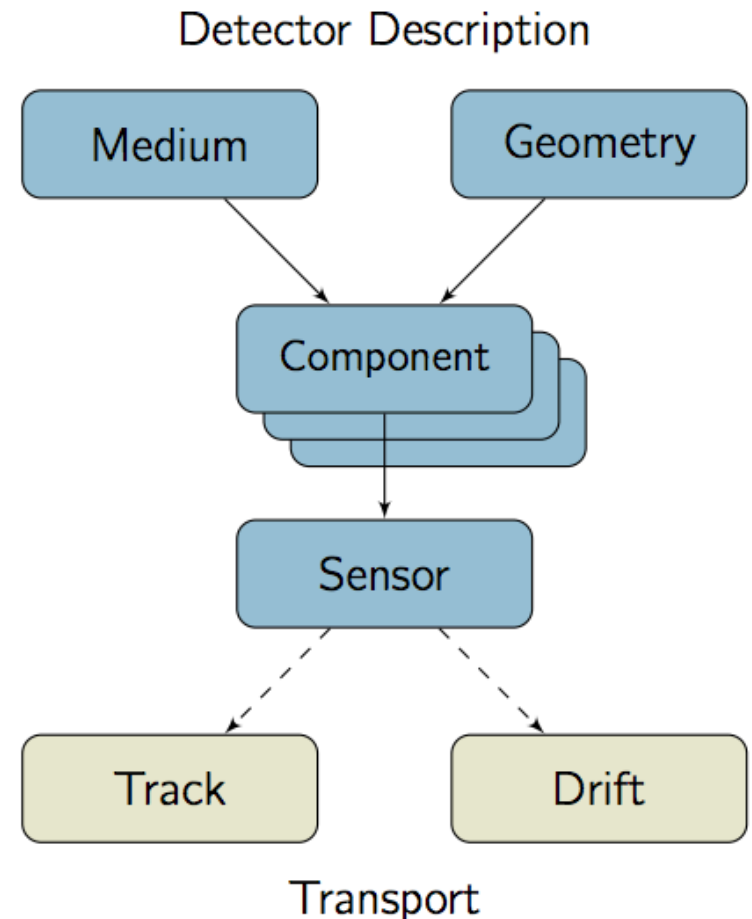
Energy Reconstruction



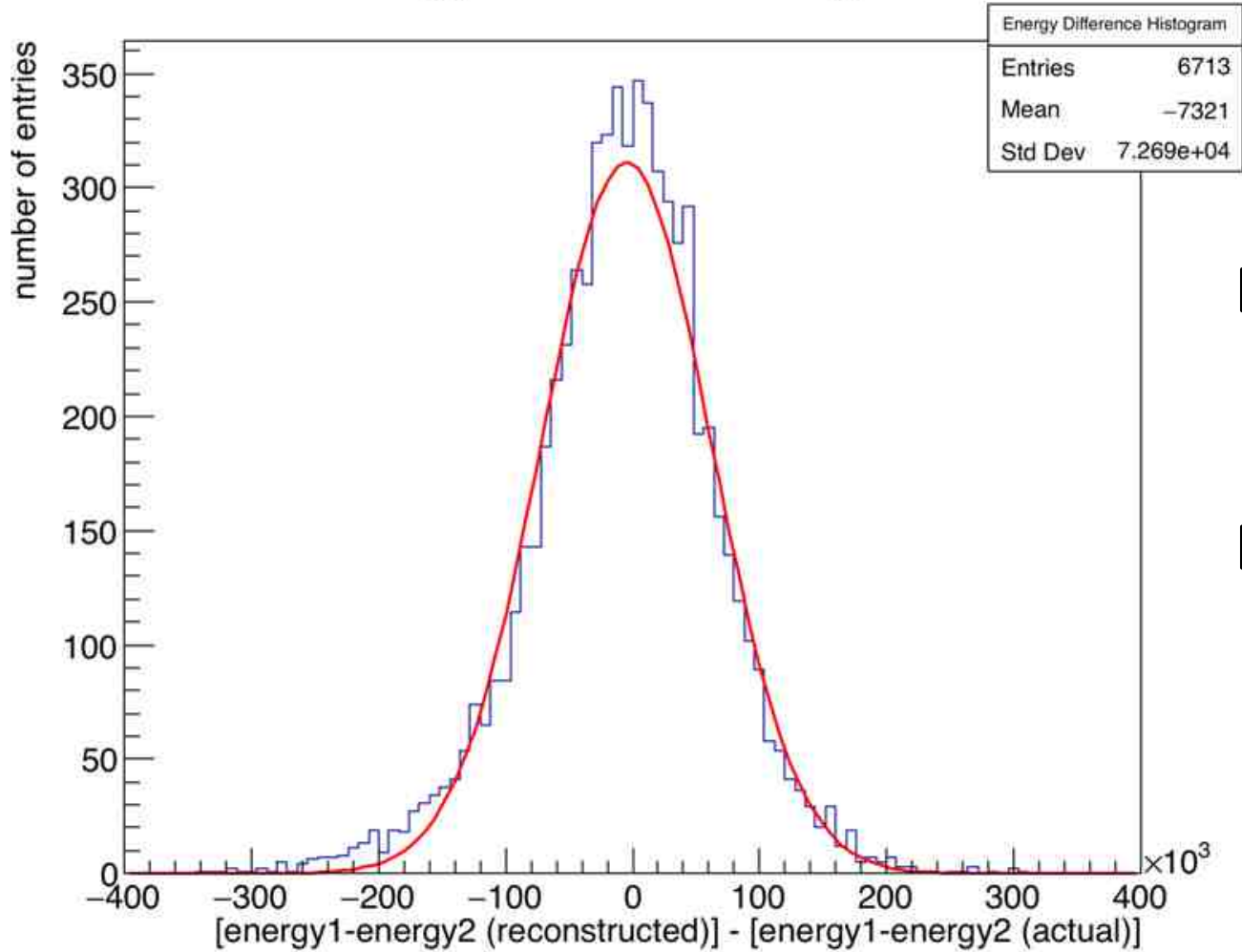
SRIM & Garfield Simulations



Goal: Reconstruct track length;
correlate to alpha energy.



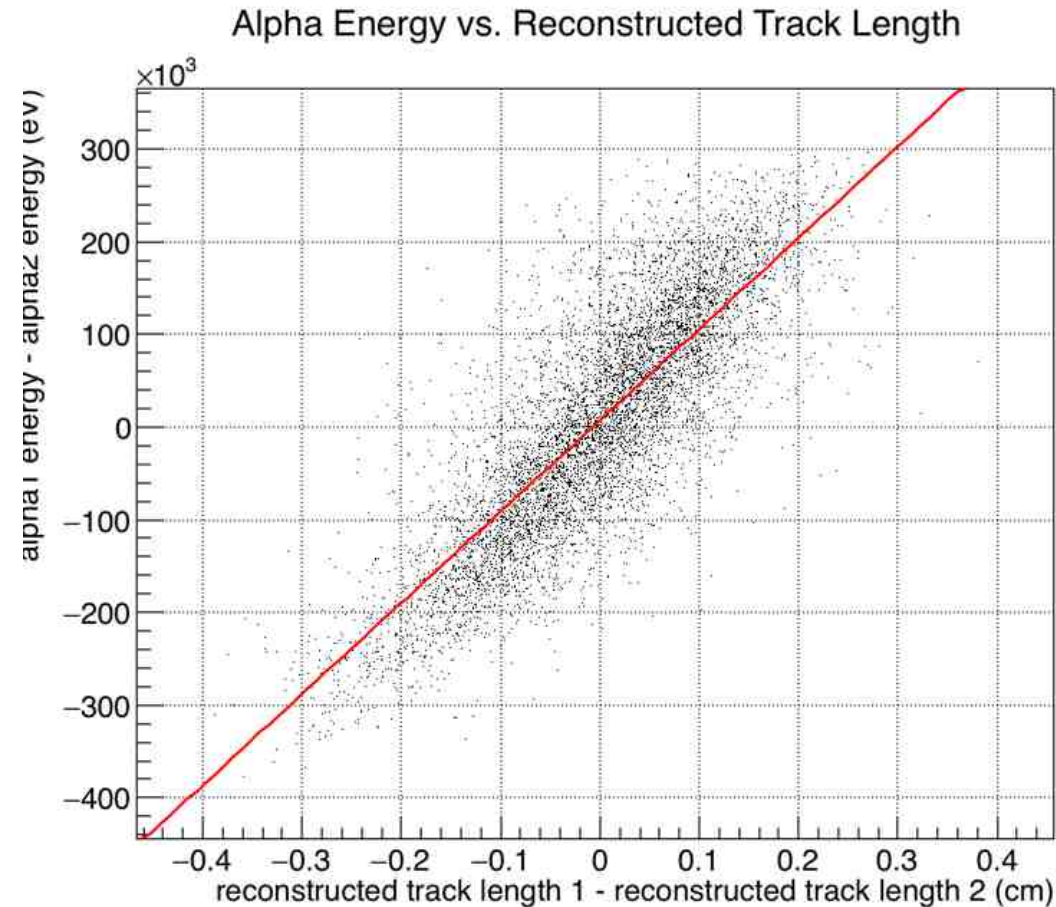
Energy Difference Histogram



Energy Resolution
of Data: 3.43%

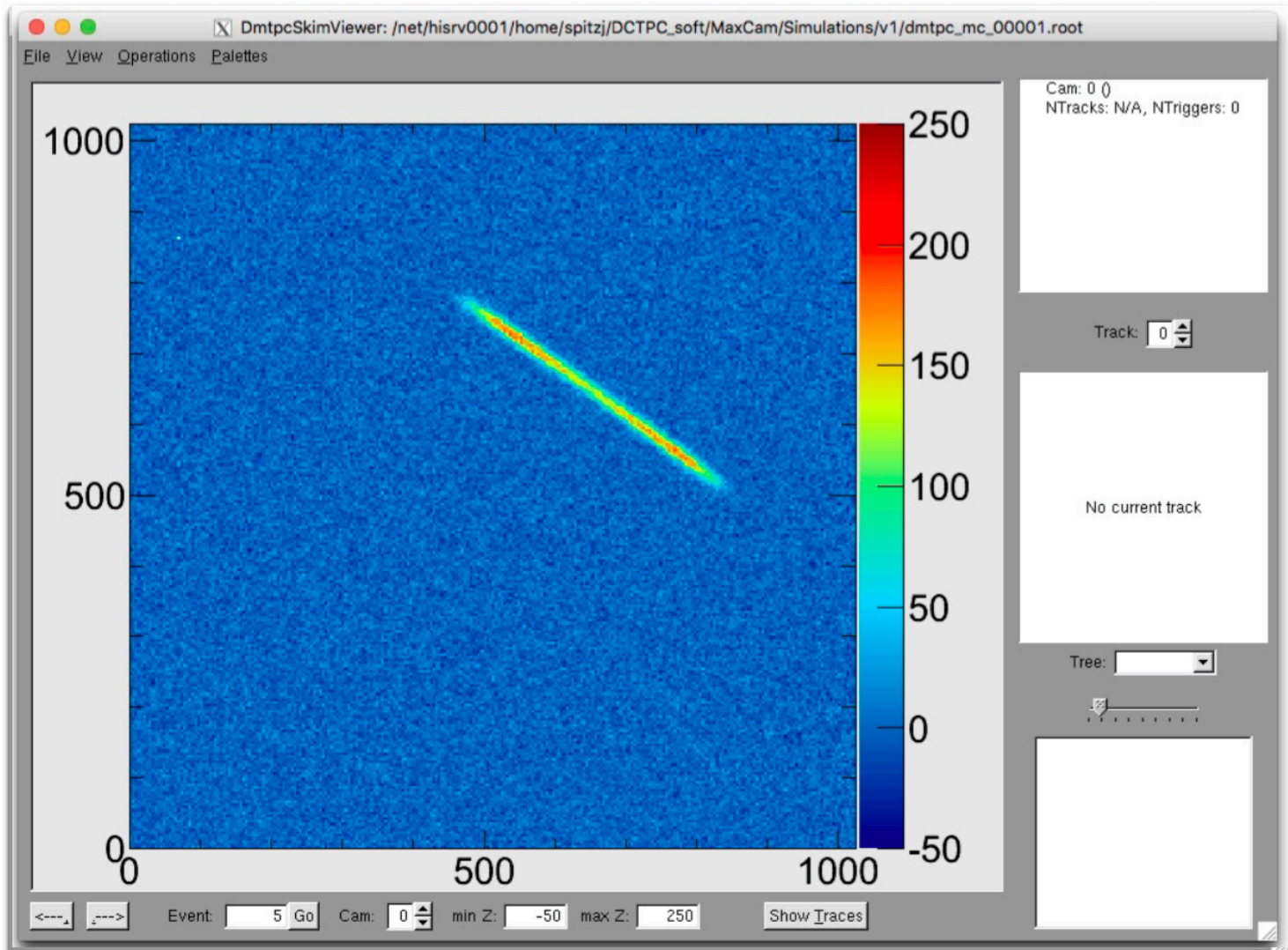
Energy Resolution
of fit: 3.15 %

1. Find farthest endpoints along x and y directions.
2. Find $\theta_{reconstructed}$ using plot of $\cos(\theta)$ vs. width.
3. Find z component of track length for each $z = \frac{1}{\tan(\theta_{reconstructed}) * \sqrt{x^2 + y^2}}$, where x , y , and z are the respective components of the track length (cm).
4. Find track length by taking $\sqrt{x^2 + y^2 + z^2}$



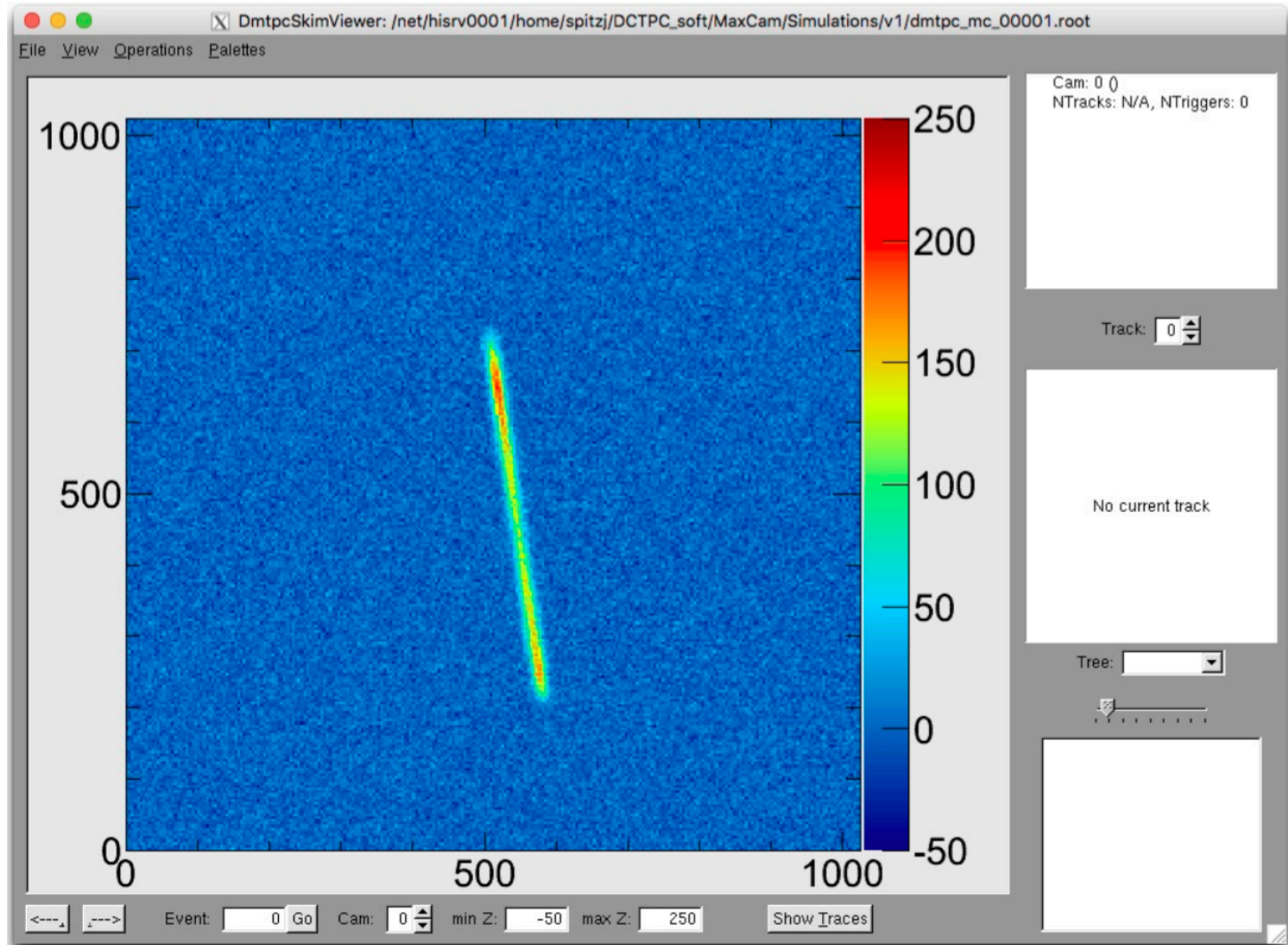
Sensitivity to ^8Li decay Alphas

'Typical' simulated events @ 200 Torr



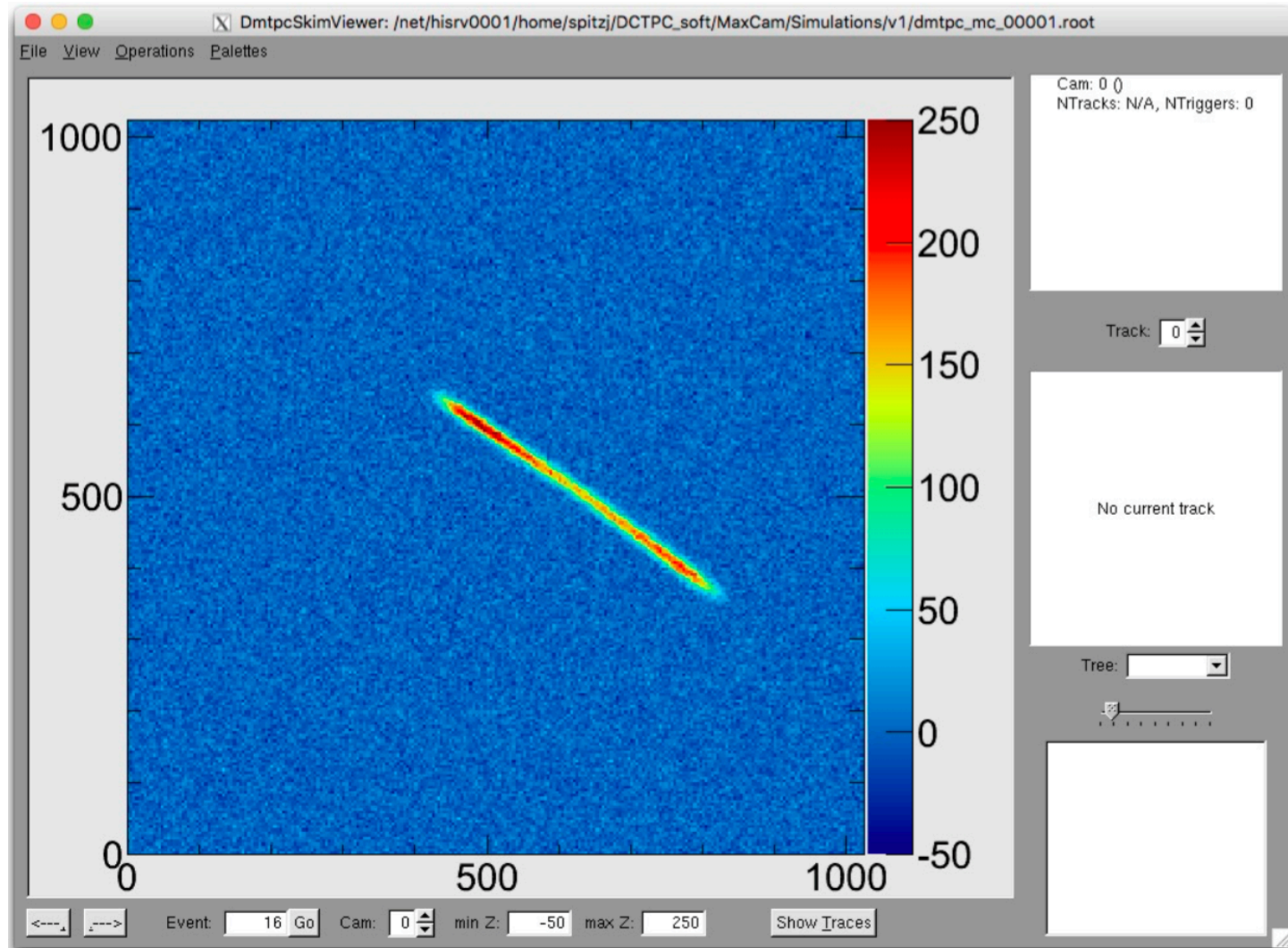
Sensitivity to ^8Li decay Alphas

‘Typical’ simulated events @ 200 Torr



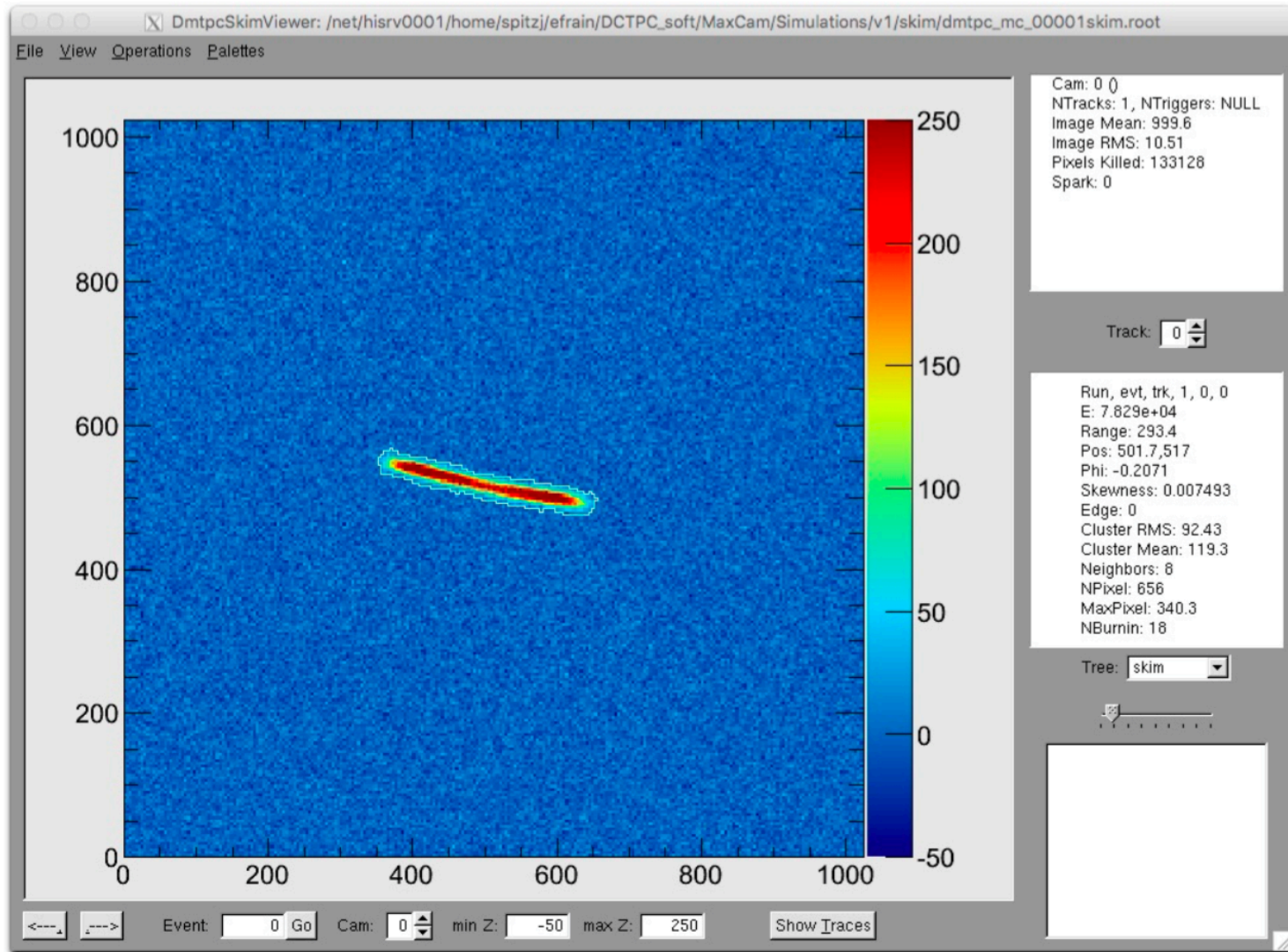
Sensitivity to ^8Li decay Alphas

'Typical' simulated events @ 200 Torr



Sensitivity to ^8Li decay Alphas

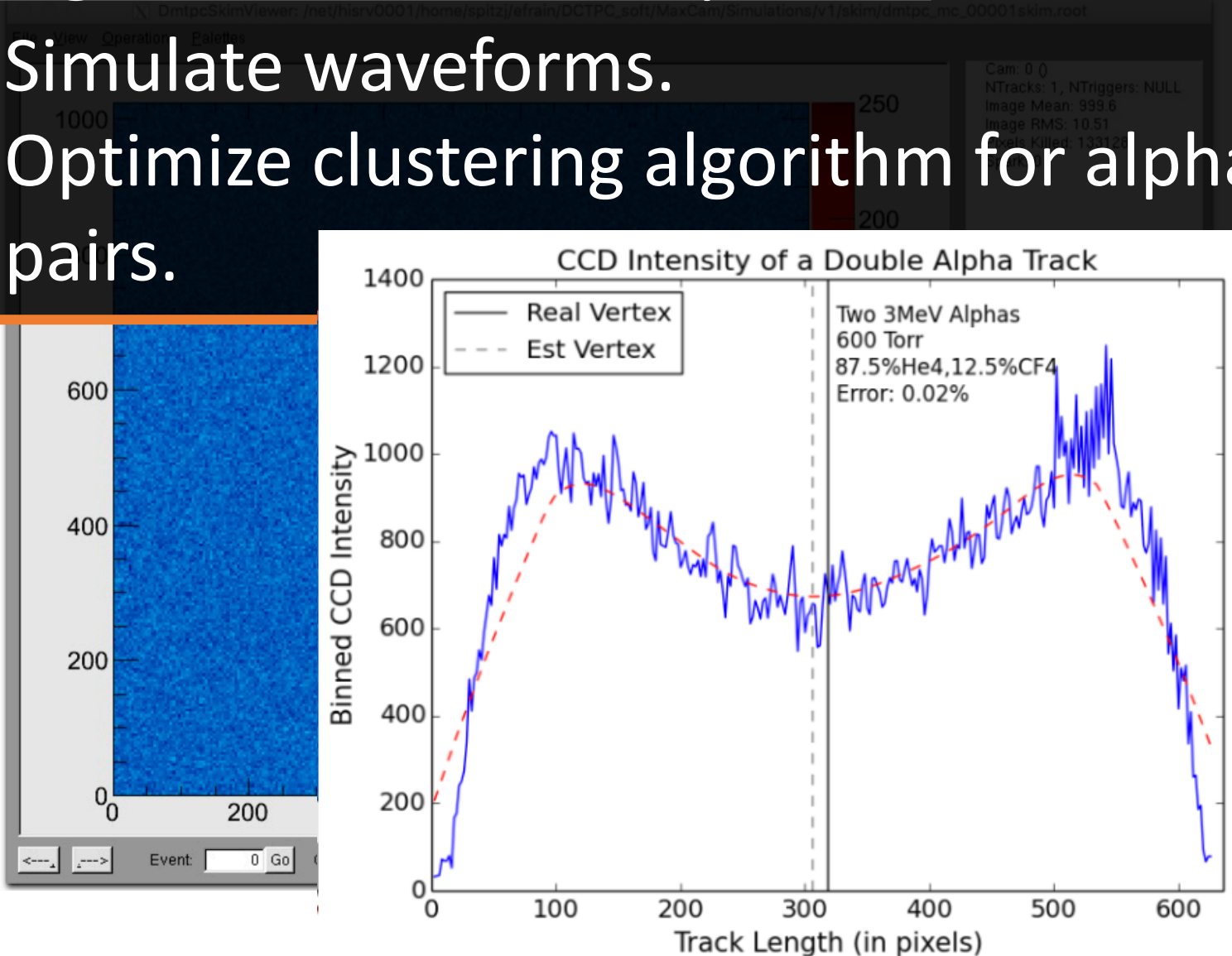
'Typical' simulated events @ 200 Torr



Sensitivity to ^8Li decay Alphas

Ongoing Simulation Development:

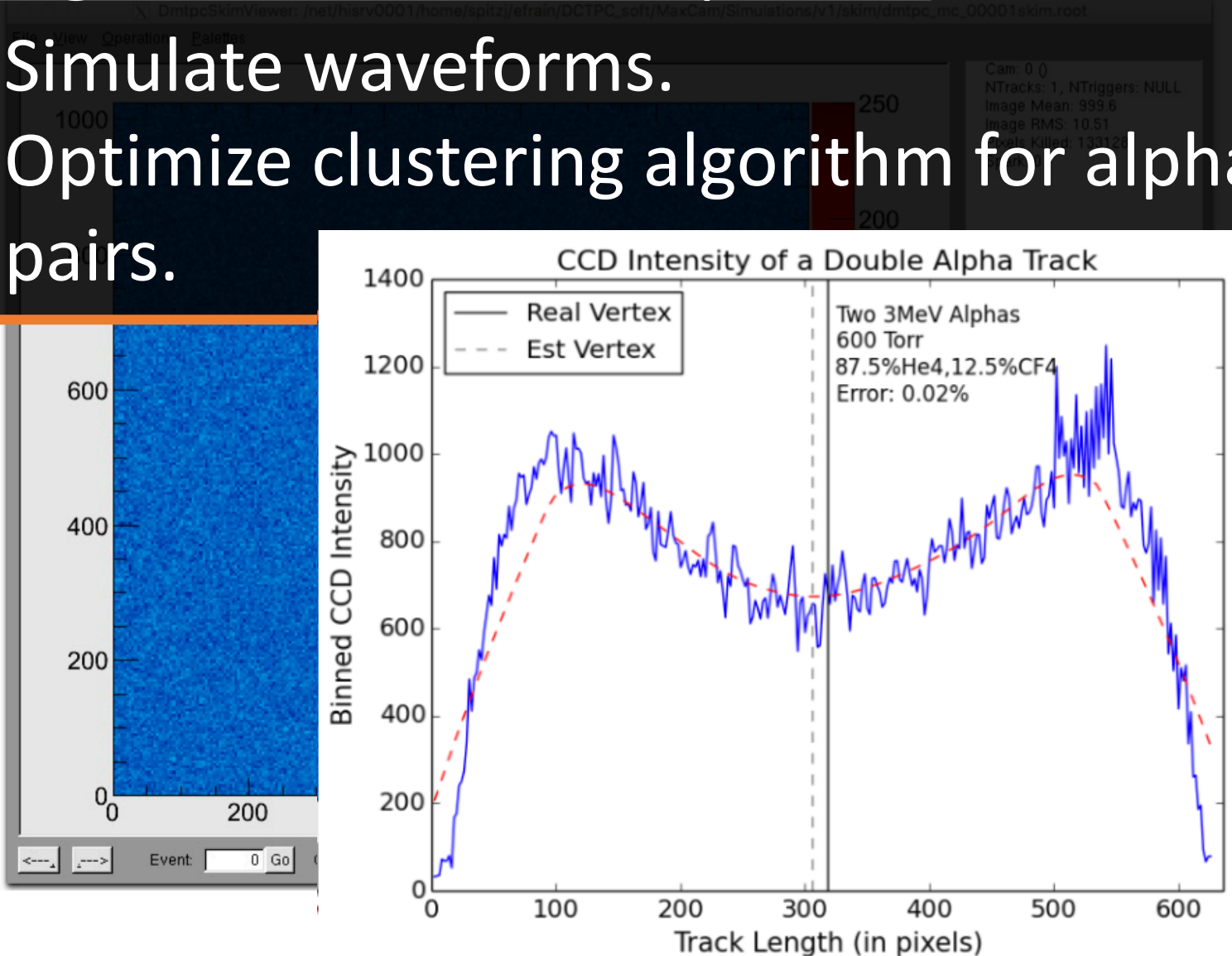
- Simulate waveforms.
- Optimize clustering algorithm for alpha pairs.



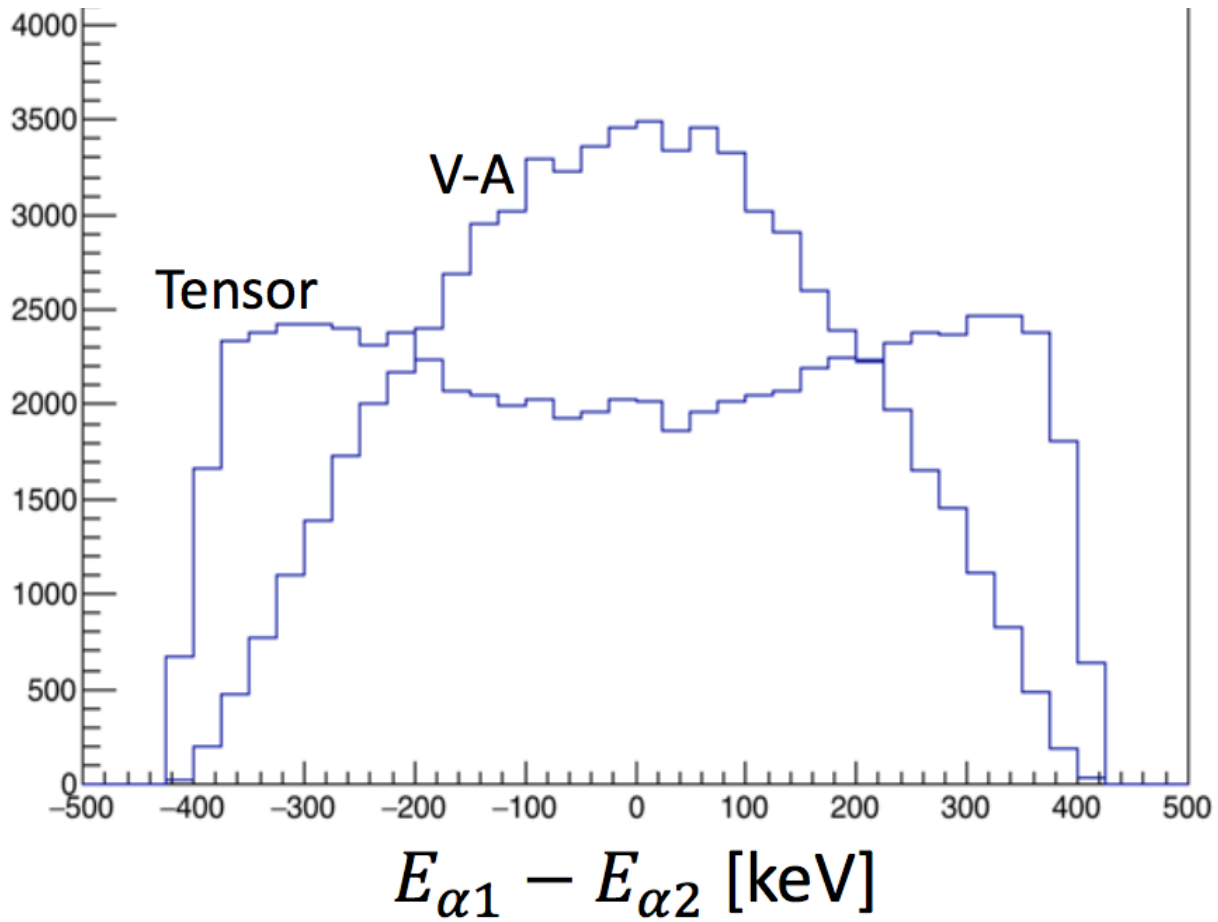
Sensitivity to ^8Li decay Alphas

Ongoing Simulation Development:

- Simulate waveforms.
- Optimize clustering algorithm for alpha pairs.



^8Li Physics (Tensor vs. V-A)



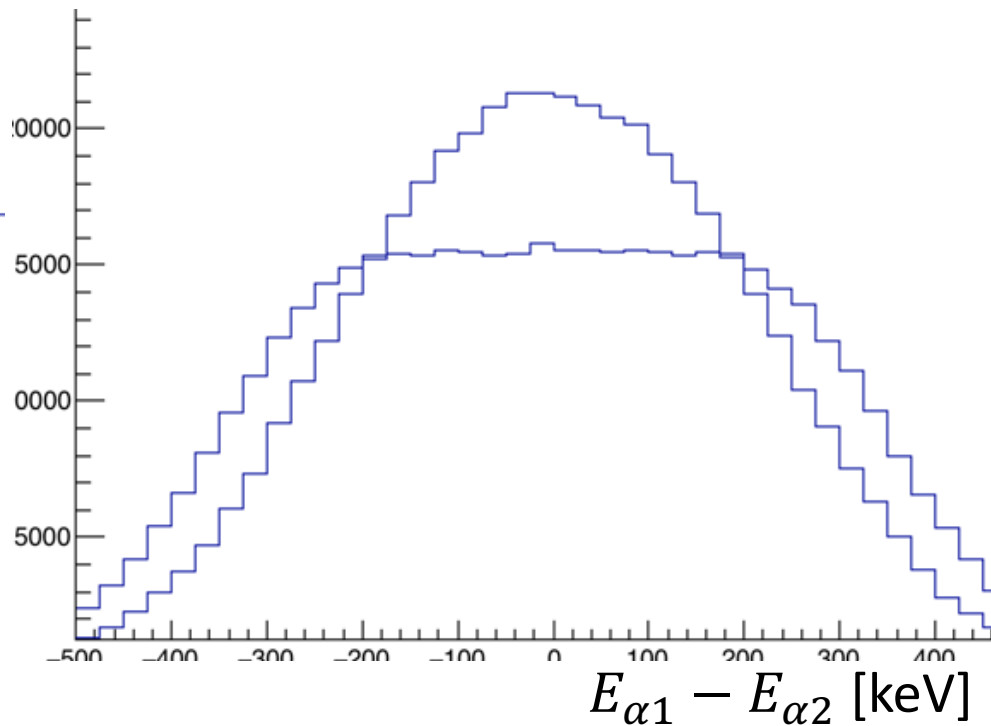
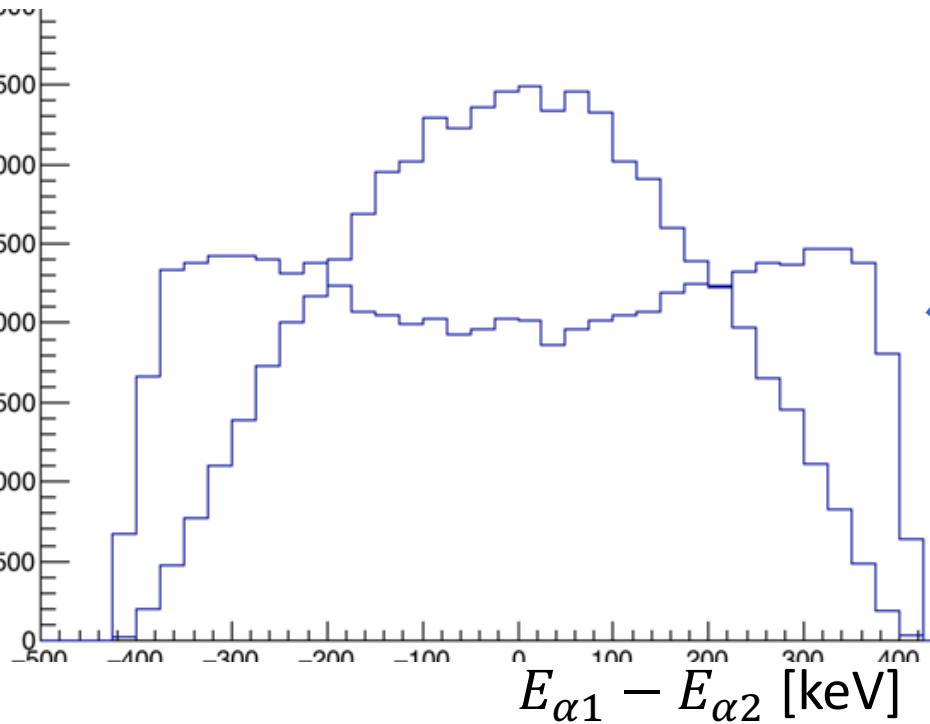
Resolution Effects

Nominal resolutions:

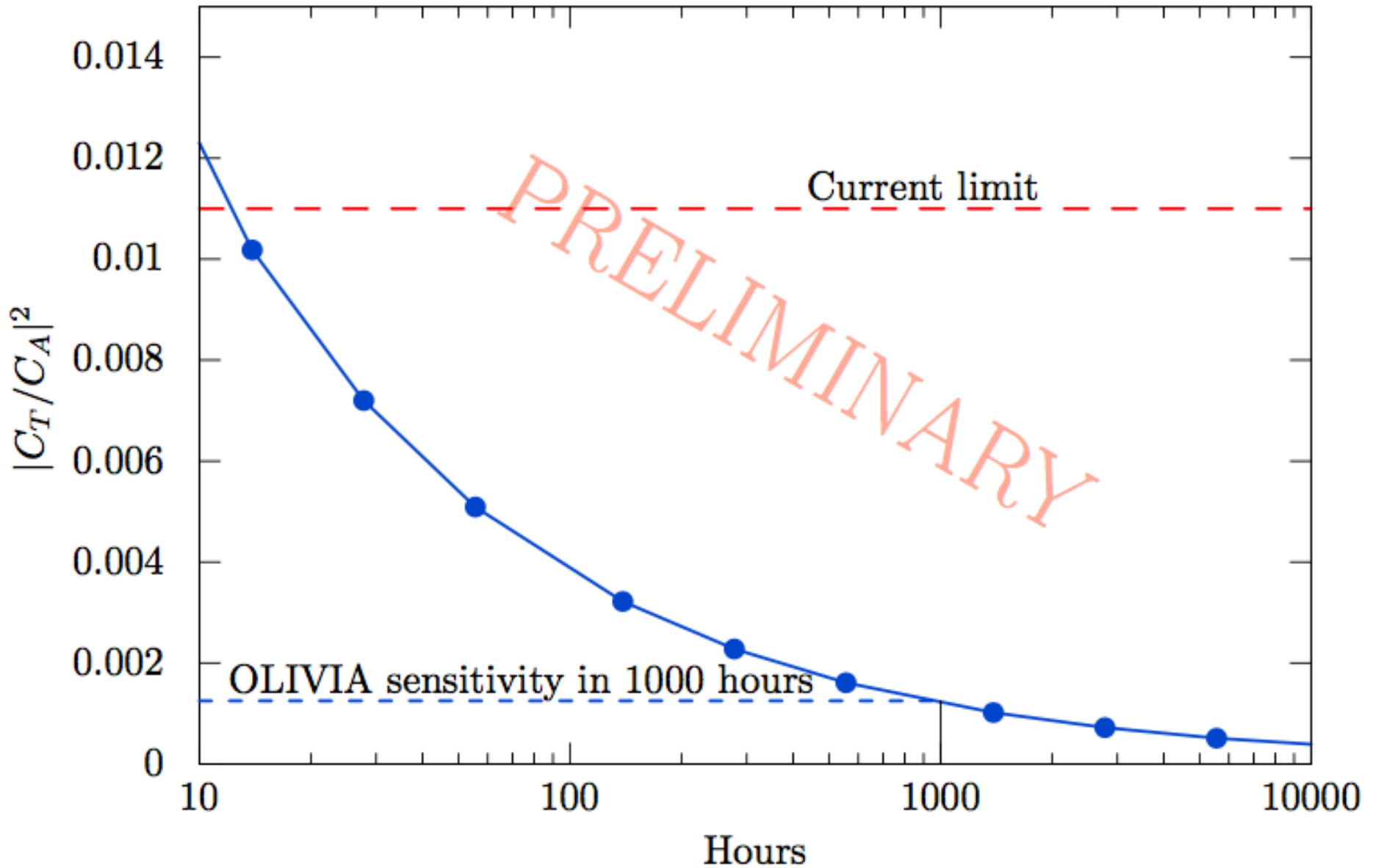
2% - Energy,

1° - In-Plane angle,

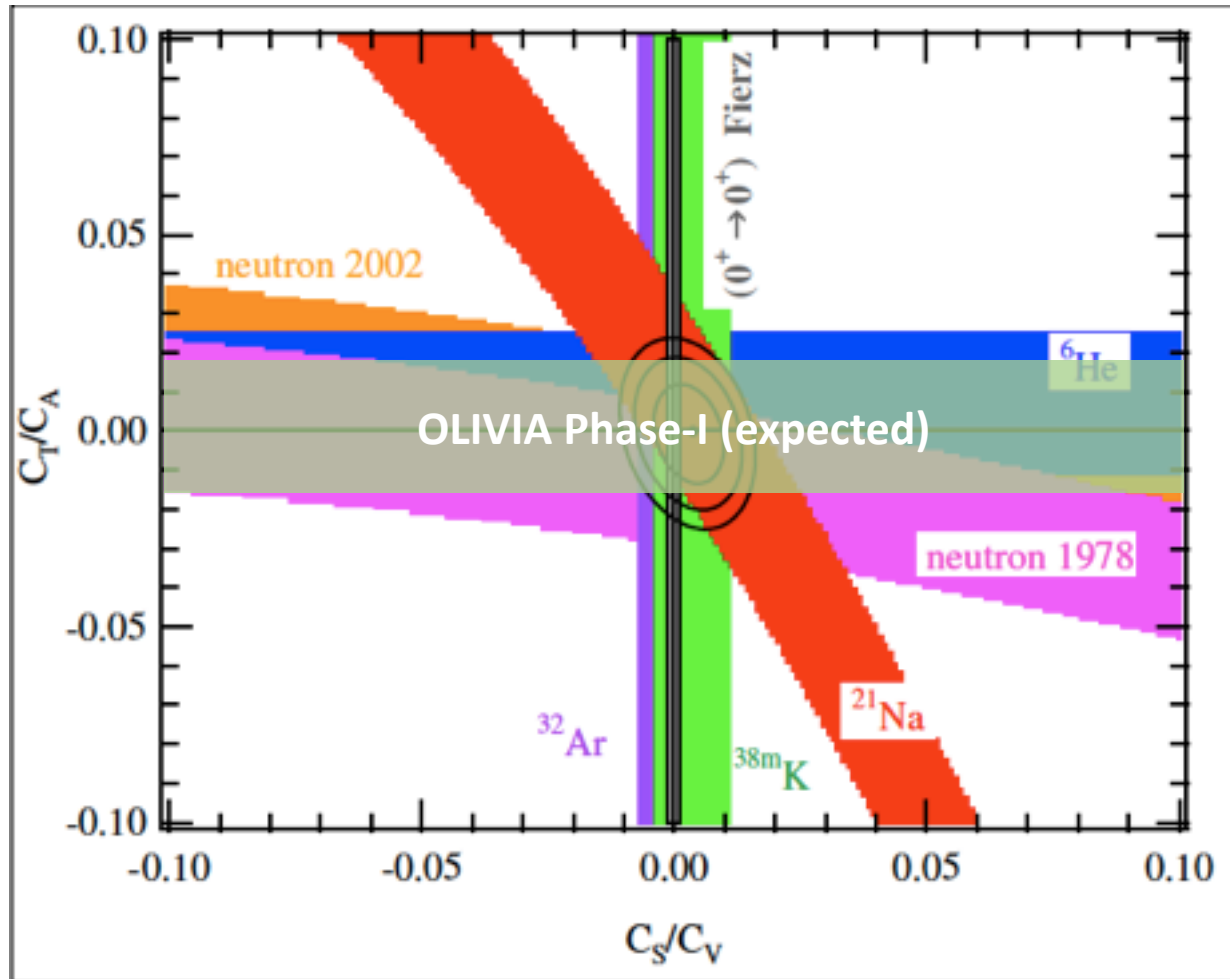
2° - out-of-plane angle.



Status and Outlook



Status and Outlook



Status and Outlook

- MITPC is a great, proven, 3D alpha detector!
- Based on the reported SNO rates we can measure 10^7 decays in 2 - 3 months of data taking.
- Finalizing simulations to optimize the resolutions and extract the expected C_T/C_A sensitivity.
- Initial DT feasibility runs planned for the summer.

HAPPY TO COLLABORATE !