A critical point in HIC?

Jan Steinheimer

10/17/2018



In collaboration with:

Y. Nara, Y. Wang, V. Vovchenko, Y. Ye, A. Mukherjee, Q. Li and H. Stöcker

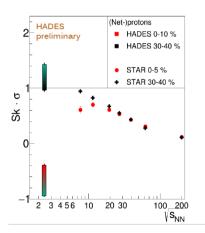
Published in part in:

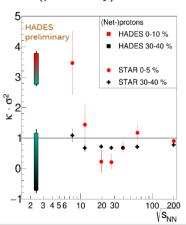
JS, Y. Wang, A. Mukherjee, Y. Ye, C. Guo, Q. Li and H. Stoecker, Phys. Lett. B 785, 40 (2018)

Y. Ye et al., arXiv:1808.06342 [nucl-th].

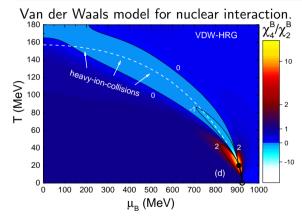
Fluctuations/correlations as possible interesting signatures for a CeP or phase transition

From STAR and HADES (preliminary)



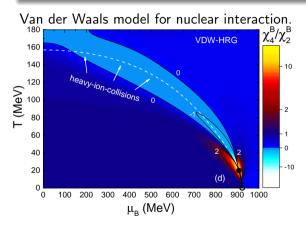


Thermodynamic calculations highlight the importance of nuclear interactions for the proper description of cumulant ratios at low beam energies.



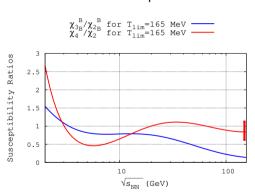
V. Vovchenko, M. I. Gorenstein and H. Stoecker, Phys. Rev. Lett. 118, no. 18, 182301 (2017)

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Including another sharp crossover to a deconfined phase.



A. Mukherjee, J. Steinheimer and S. Schramm, Phys. Rev. C **96**, no. 2, 025205 (2017)

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- Include nuclear potentials.

Introducing Potentials

To include nuclear interactions

Each hadron is represented by a Gaussian wave packet in phase space. The time evolution of the centroids (\mathbf{r}_i and \mathbf{p}_i) of the Gaussians obey Hamilton's equations,

$$\dot{\mathbf{r}}_i = \frac{\partial \langle H \rangle}{\partial |\mathbf{p}_i|}, \dot{\mathbf{p}}_i = -\frac{\partial \langle H \rangle}{\partial \mathbf{r}_i}.$$
 (1)

Here $\langle H \rangle$ is the total Hamiltonian function of the system, it consists of the kinetic energy of the particles and the effective interaction potential energy.

$$U = \alpha \left(\frac{\rho}{\rho_0}\right) + \beta \left(\frac{\rho}{\rho_0}\right)^{\gamma} + t_{md} \ln^2 [1 + a_{md}(\mathbf{p}_i - \mathbf{p}_j)^2] \frac{\rho}{\rho_0}.$$
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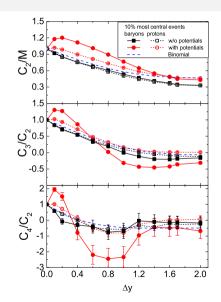
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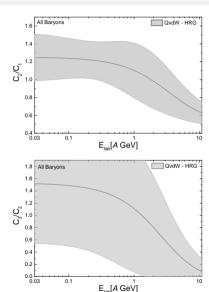
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What to expect as function of beam energy?

- Just follow the chemical FO curve \pm .
- These are GC values. Not directly comparable with finite acceptance.

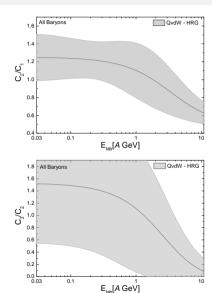
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What to expect as function of beam energy?

- Just follow the chemical FO curve \pm .
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- Large spread of possible values from the VdW-HRG model.
- Caveat: How reliable is the freeze out curve at such low beam energies?

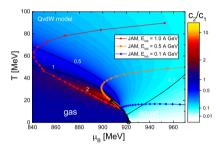


Trajectories estimates

 Use the transport models to estimate the trajectories in the VdW-HRG (Nuclear) phase diagram.

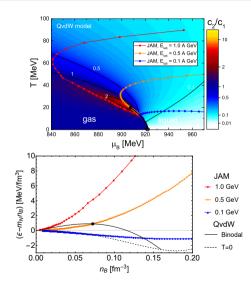
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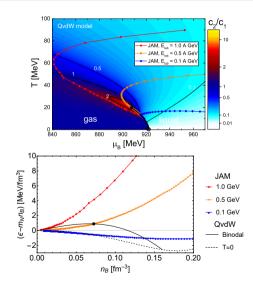
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- First in T and μ_B .
- Then in energy density and density
- 500 MeV hits the critical point.



Results from UrQMD and JAM -All baryons

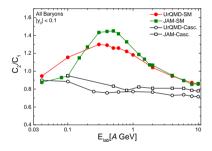
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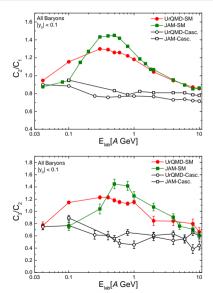
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- A clear peak shows up in 'All Baryons' at 500 MeV.
- Small model dependence in peak position



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- Small rapidity window to avoid effects from conservation.
- A clear peak shows up in 'All Baryons' at 500 MeV.
- Small model dependence in peak position
- Also visible in skewness.

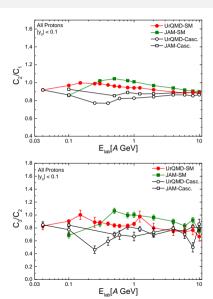


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Results from UrQMD and JAM -Protons

Measuring only protons decreases the signal, but still visible.



Discussion

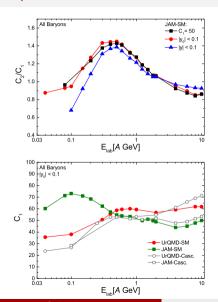
- Effect of clusters need to ba taken into account (can remove the signal), or all protons need to be counted
- Since it is a finite size system it is not really the critical point, but maybe a remnant.

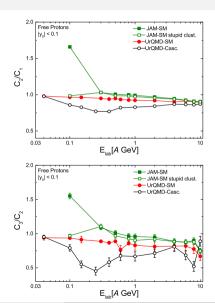
• Cancellation of attractive and repulsive forces.

Discussion

- Effect of clusters need to ba taken into account (can remove the signal), or all protons need to be counted
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- Cancellation of attractive and repulsive forces.
- Same energy as maximum of squeeze-out → soft EoS?
- Food for thought.

Backup





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Backup

