

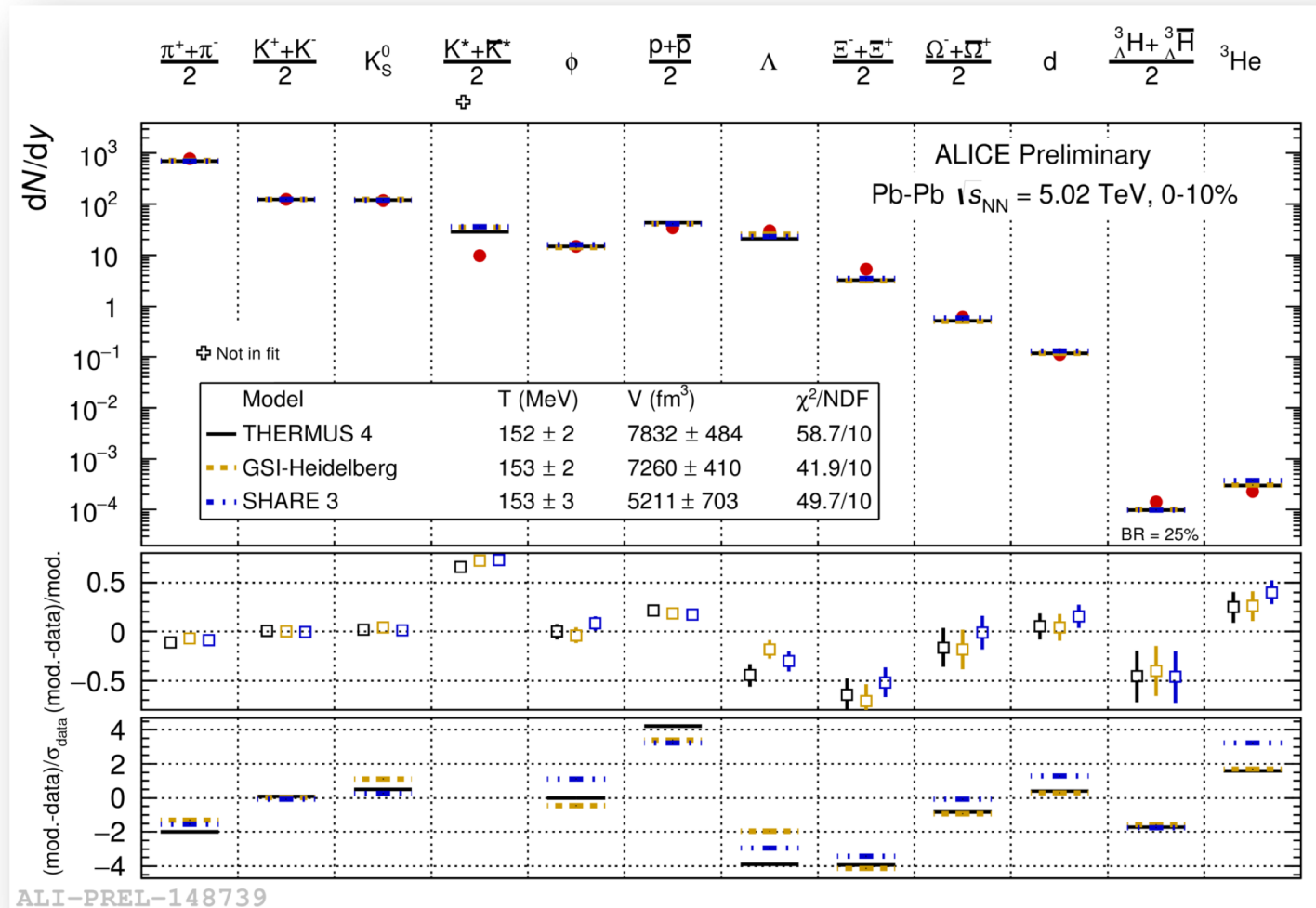
Light flavor hadron production from small to large systems at LHC energies

A. Kalweit, *CERN*

Introduction

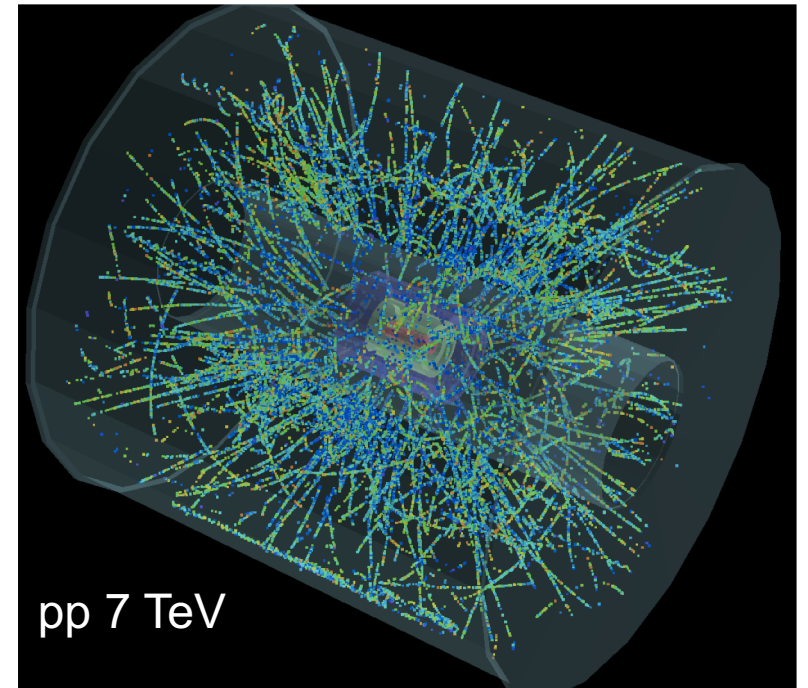
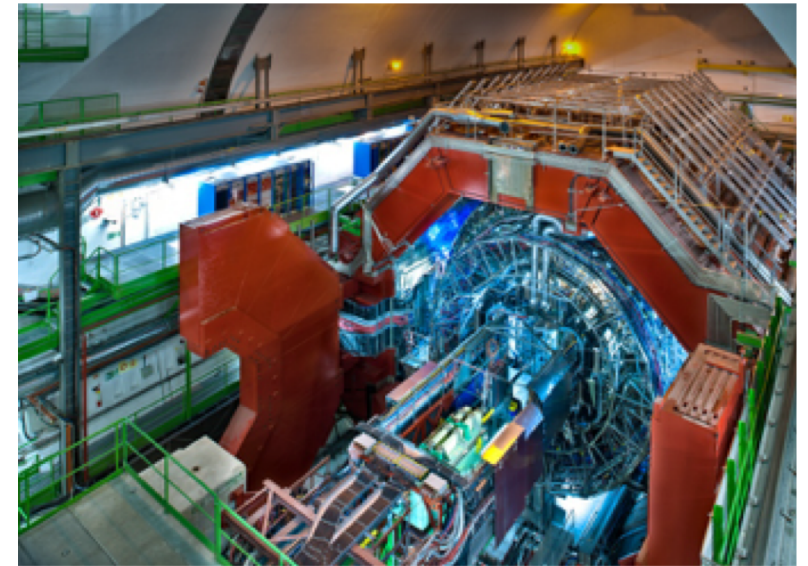
This fantastic plot is probably the most shown plot at this workshop! It seems everything can be described in Pb-Pb collisions.

- Is there still any open question?
- Does this picture break down in small systems?
- What are the future directions?
- What should we measure in future?



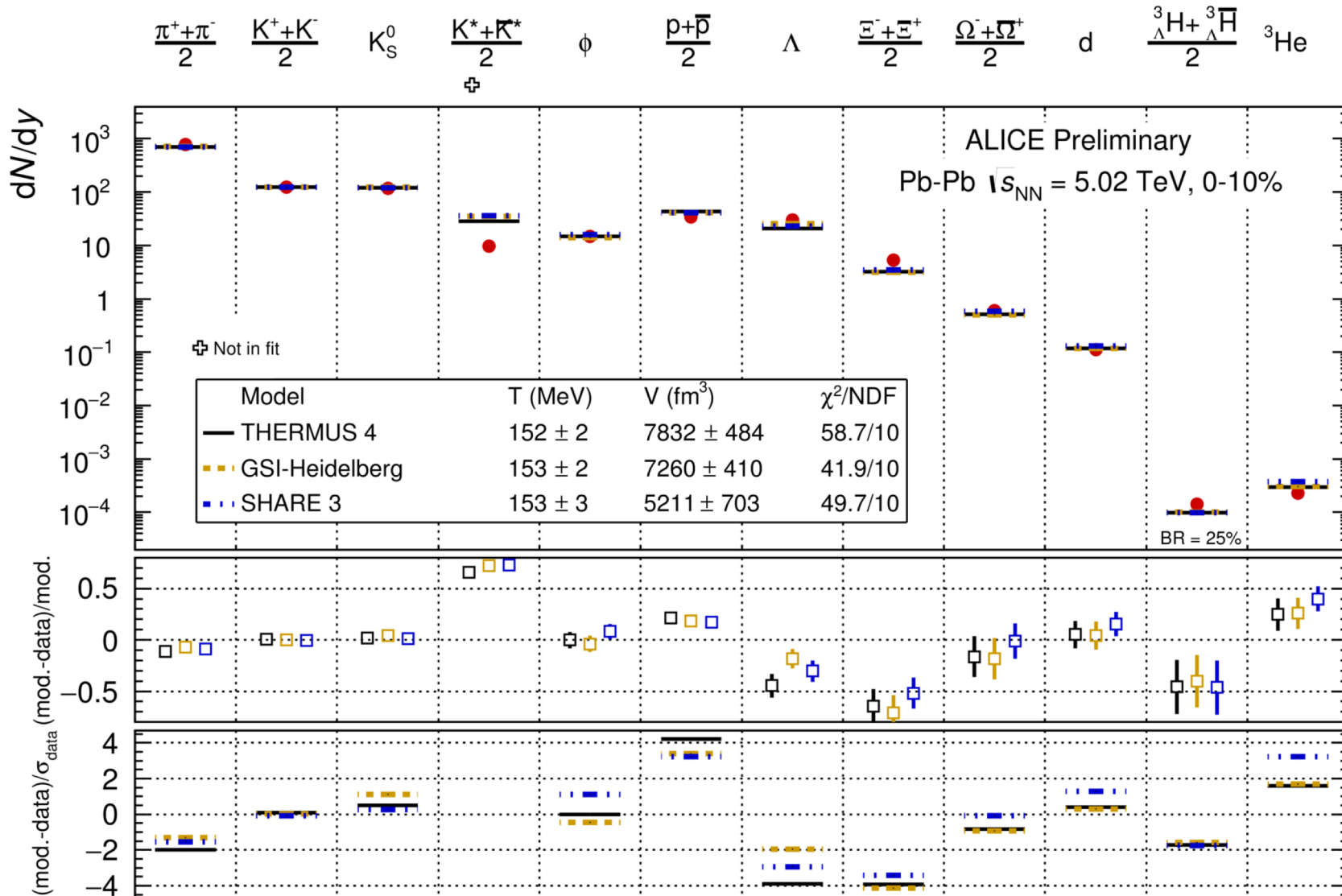
Overview

1. The origin and understanding of strangeness enhancement.
2. Towards intermediate p_T :
Particle production via recombination of strangeness and charm.
3. The (anti-)hyper-triton as the one particle which will clarify all questions.



1. Origin and understanding of strangeness enhancement

Thermal statistical model fits Pb-Pb 5.02 TeV



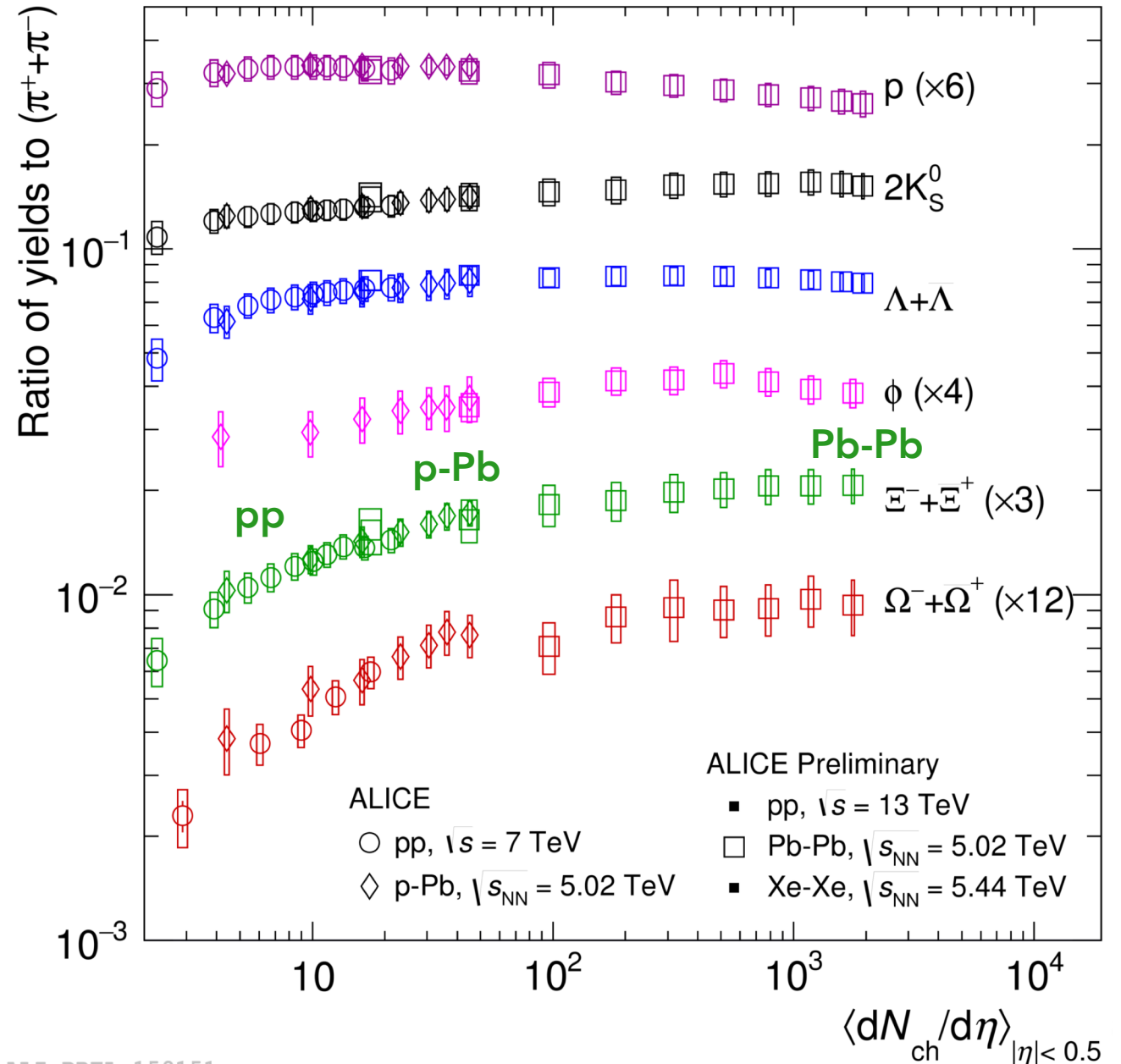
→ Also at 5.02 TeV, yields of light flavor hadrons are qualitatively well described by equilibrium thermal models over 7 orders of magnitude.

→ Fit at 5.02 TeV converges to slightly lower T_{ch} than at 2.76 TeV (153 w.r.t to 156 MeV) due to proton yield.

Particle chemistry across system size (1)

→ Smooth evolution of particle chemistry from small to large systems as function of charged particle multiplicity
 ⇒ common origin in all systems?

→ Increasing strangeness production with increasing multiplicity until saturation (grand-canonical plateau) is reached.

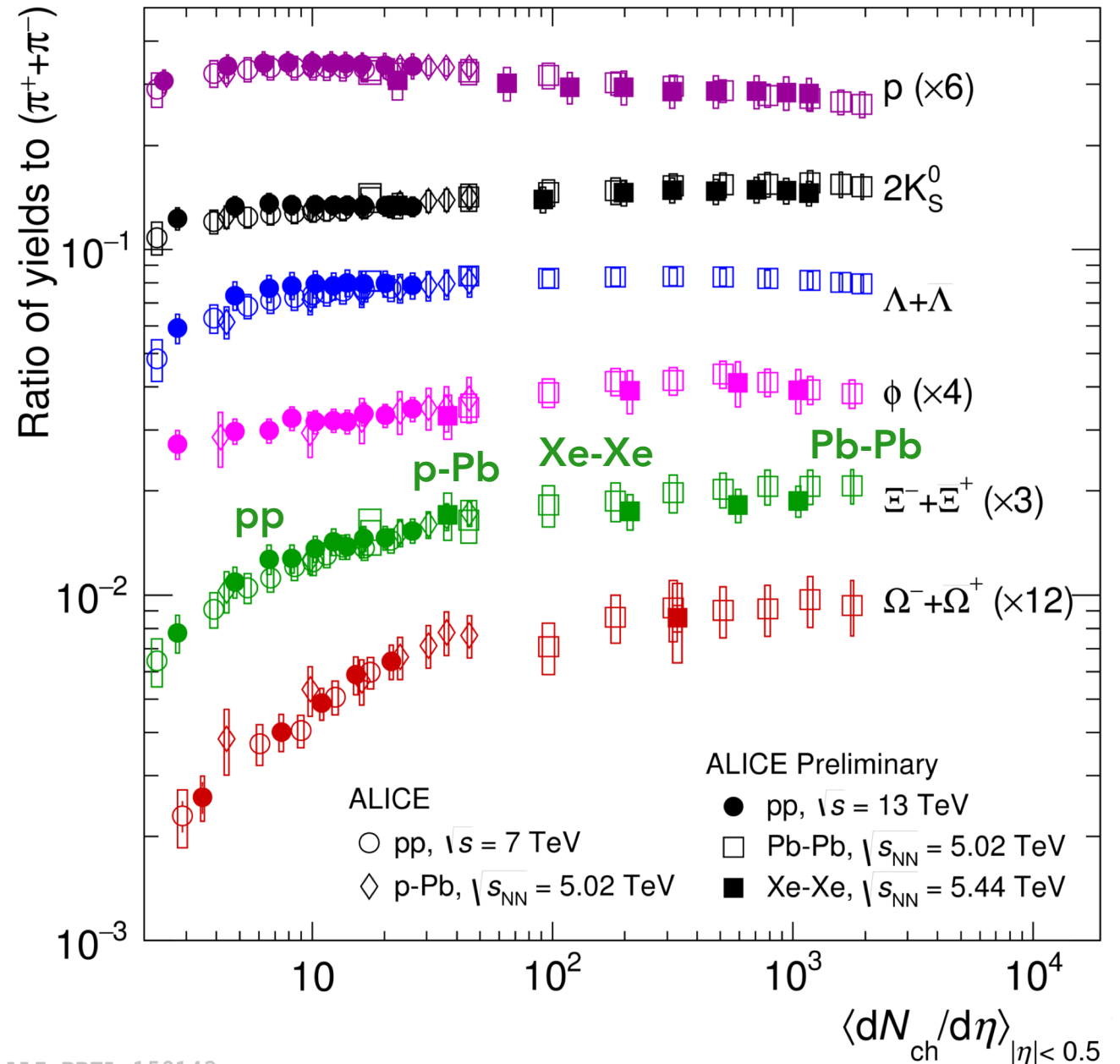


Particle chemistry across system size (2)

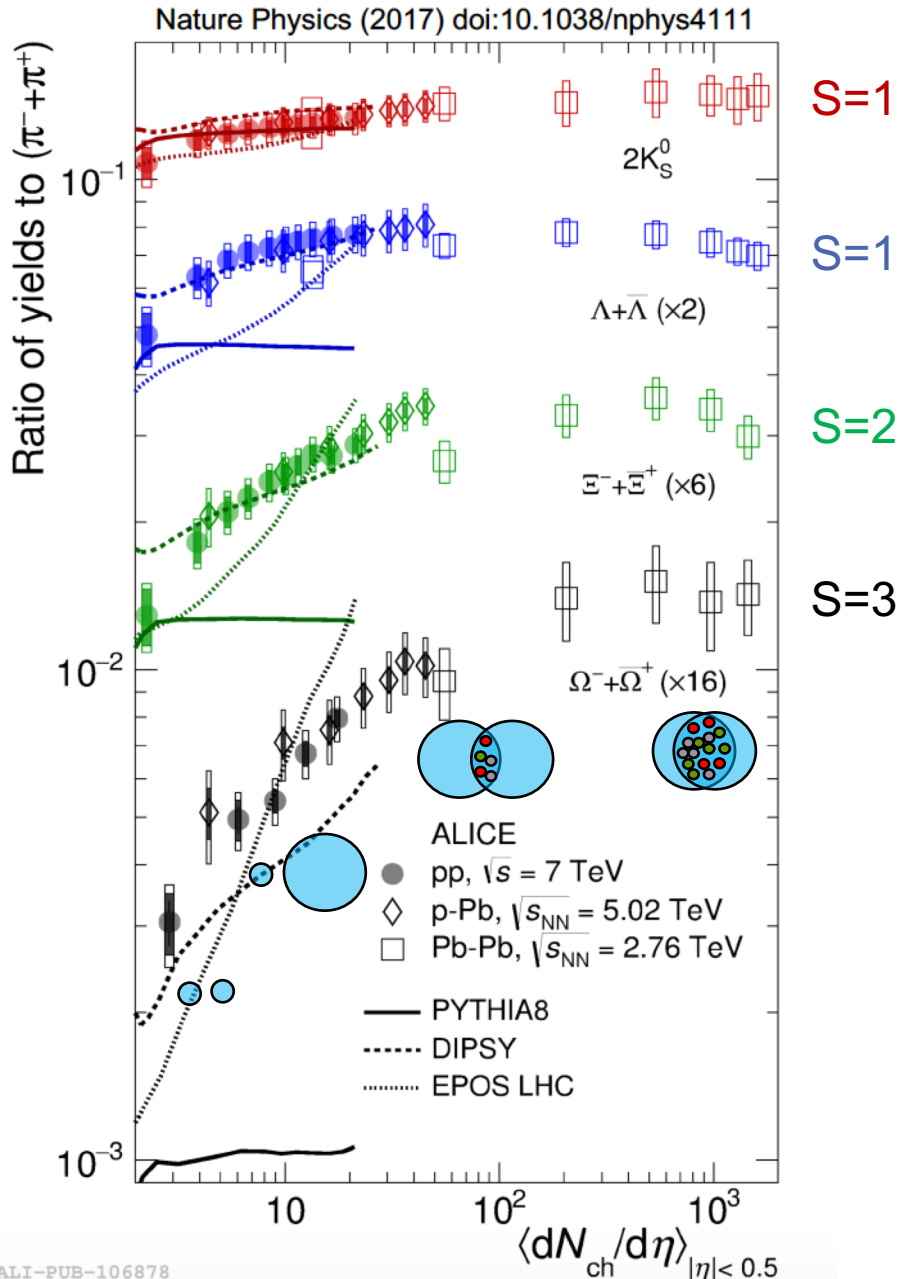
→ Smooth evolution of particle chemistry from small to large systems as function of charged particle multiplicity
 ⇒ common origin in all systems?

→ Increasing strangeness production with increasing multiplicity until saturation (grand-canonical plateau) is reached.

→ Confirmed with new pp $\sqrt{s}=13$ TeV and Xe-Xe data!



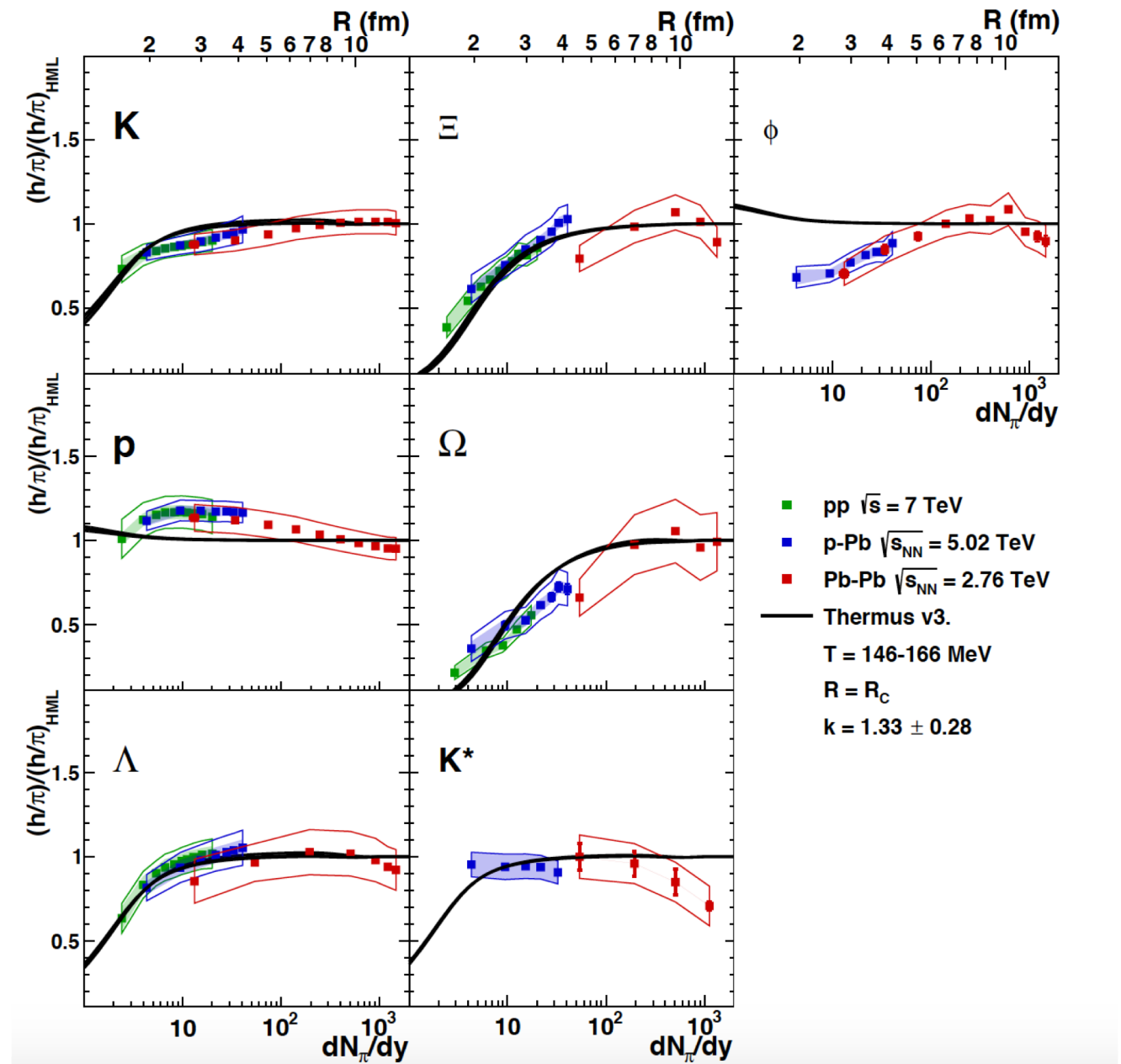
Hadrochemistry and strangeness enhancement (1)



- Smooth evolution of hadrochemistry observed from pp to pPb to Pb-Pb collisions as a function of charged particle multiplicity.
- Significant enhancement of strange to non-strange particle production observed in pp collisions.
- pp collision data allows to compare to a plethora of QCD inspired event generators:
 - **PYTHIA8** completely **misses** the behavior of the data (independent of switching ON/OFF color reconnection)
 - **DIPSY** (color ropes) describes the increase in strangeness production qualitatively but fails to predict protons correctly in its original version..
 - **EPOS-LHC** (core-corona) only qualitatively describes the trend.

Hadrochemistry (2)

- Heavy-ion view: the thermal-statistical hadronisation picture can be extended to smaller collision systems (strangeness canonical suppression).
- Does strangeness canonical enhancement explain everything? Is there any need for a microscopic modeling?



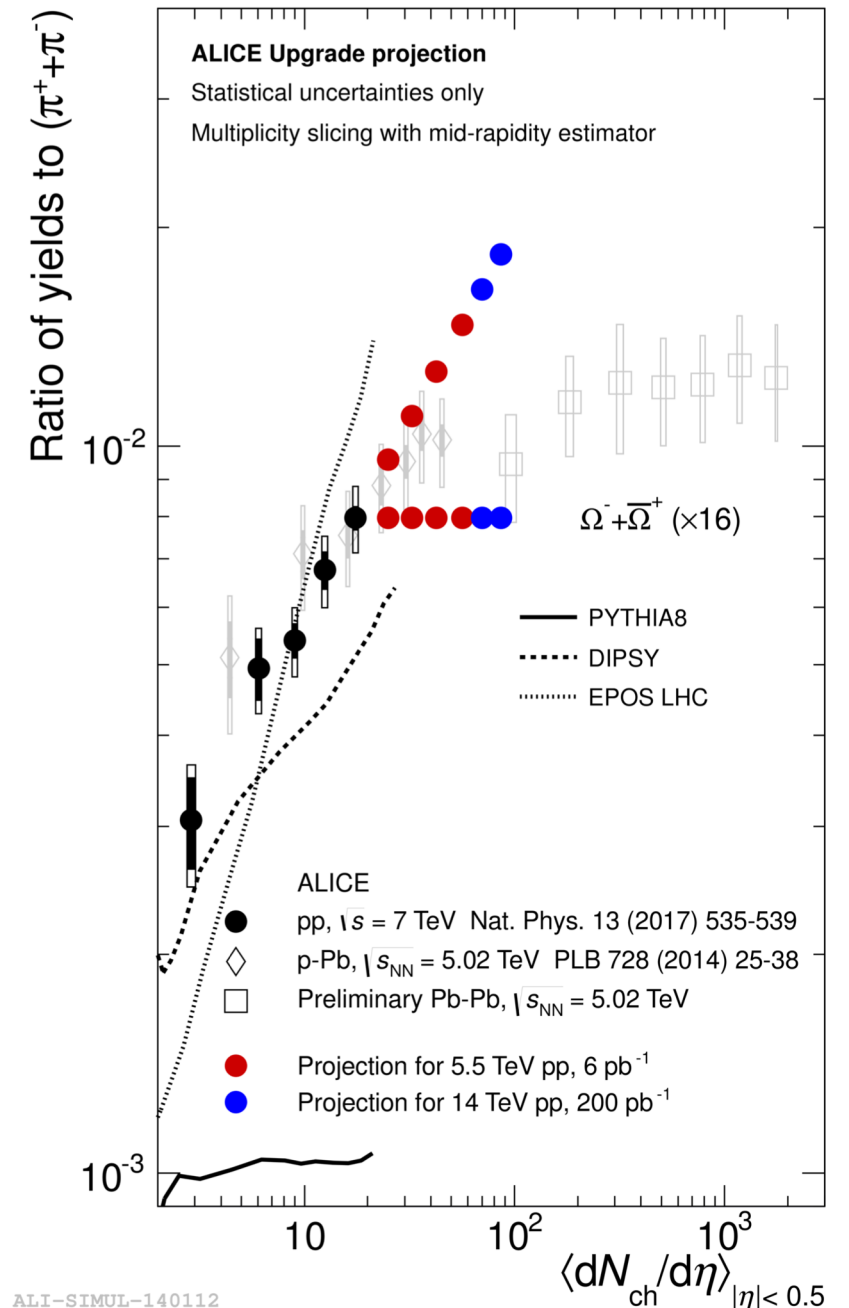
[V. Vislavicius, AK, arXiv:1610.03001]

Hadrochemistry (3)

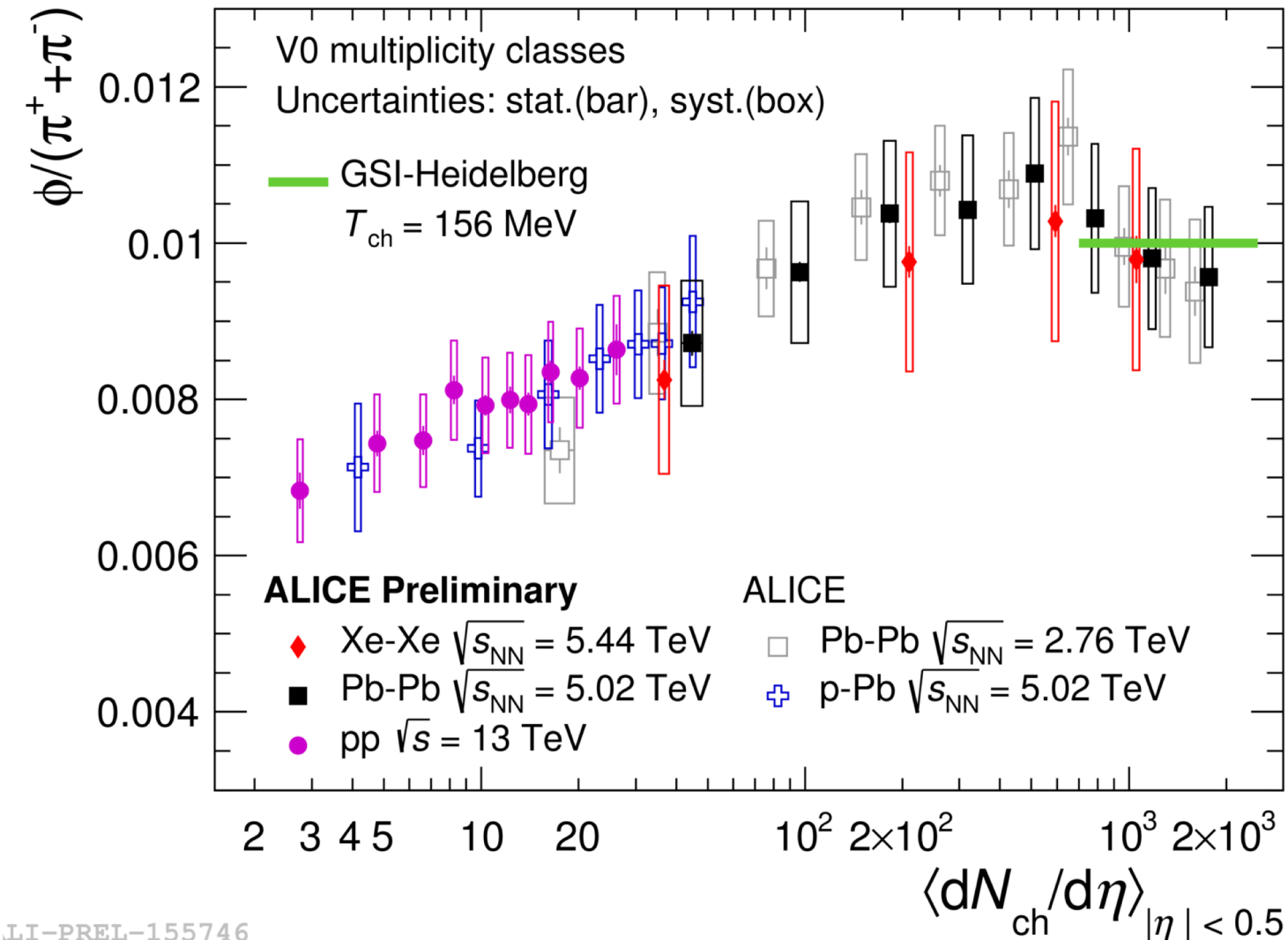
- Omega baryon is the most sensitive probe (needs $\sim 10\text{M}$ events for spectrum and dN/dy in highest multiplicity class).
- Run 3 and 4 will provide crucial tests:

Is the grand-canonical limit for particle production universally respected or is it violated in very high multiplicity pp collisions?

- Caveats:
 - Multiplicity estimators and selection biases.
 - Particle production in jets versus bulk
 - ...



The Φ meson

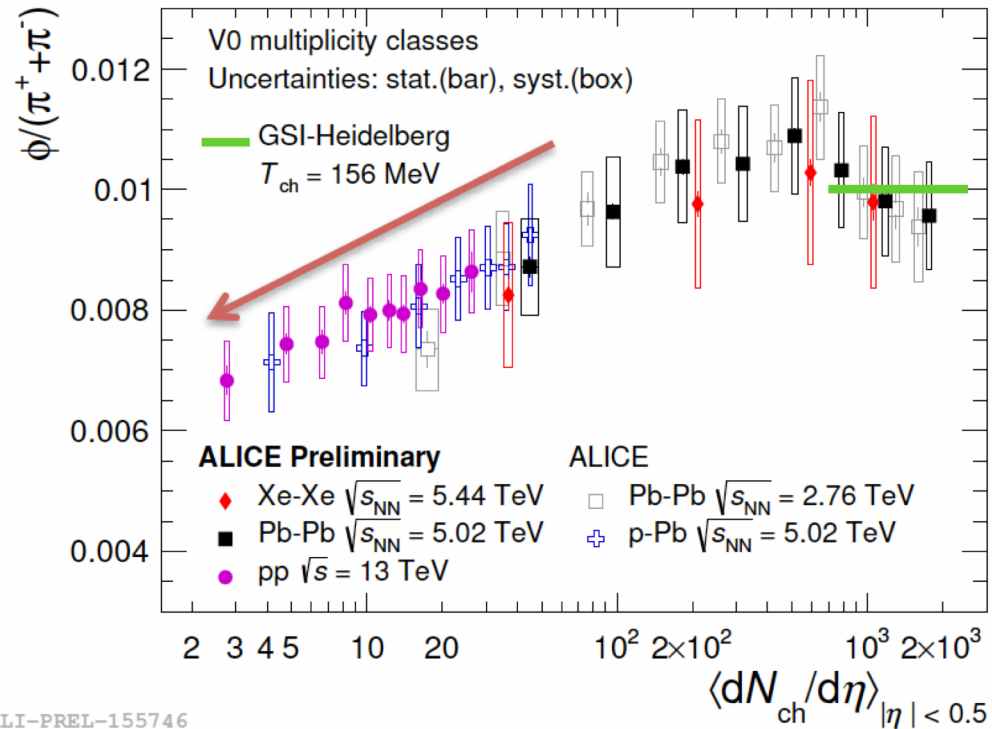


Significantly increasing trend of ϕ -meson ($s\bar{s}$) to pion ratio with increasing multiplicity

→ In contrast to expectation from simple strangeness canonical suppression: **favours non-equilibrium production of either only the ϕ or of all strange particles (γ_s)**

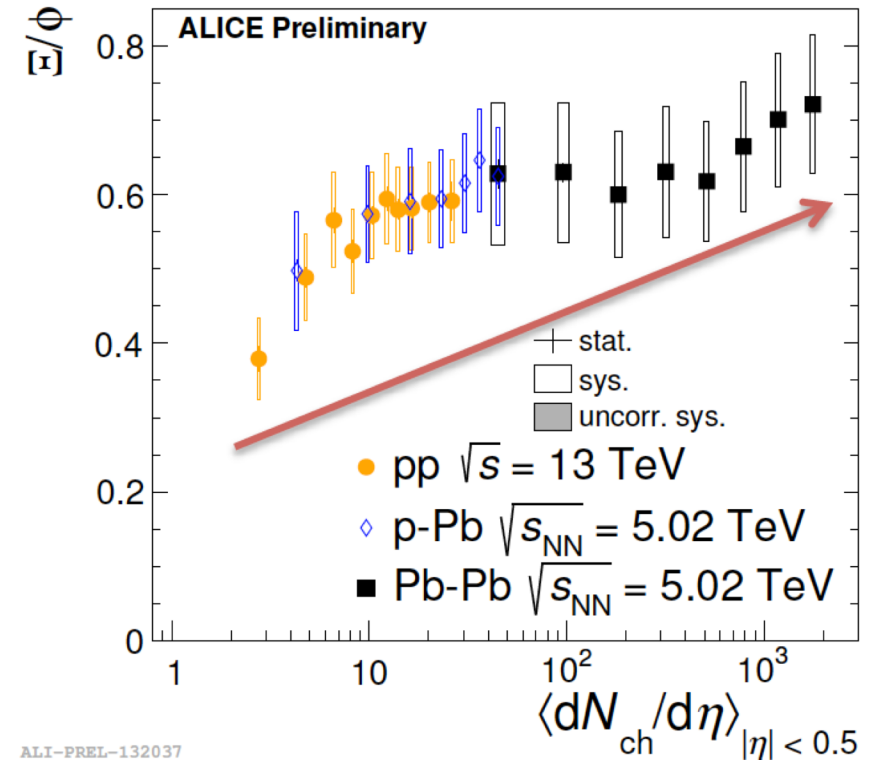
→ **Pivotal role of the ϕ -meson in the understanding of strangeness production with thermal-statistical, core-corona, and MC models.**

The Φ production meson in detail



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- $\Phi(S=0)$ yield in agreement with thermal model expectation in central Pb-Pb collisions
- But decreases towards smaller multiplicity in contrast to the expectation from strangeness canonical suppression

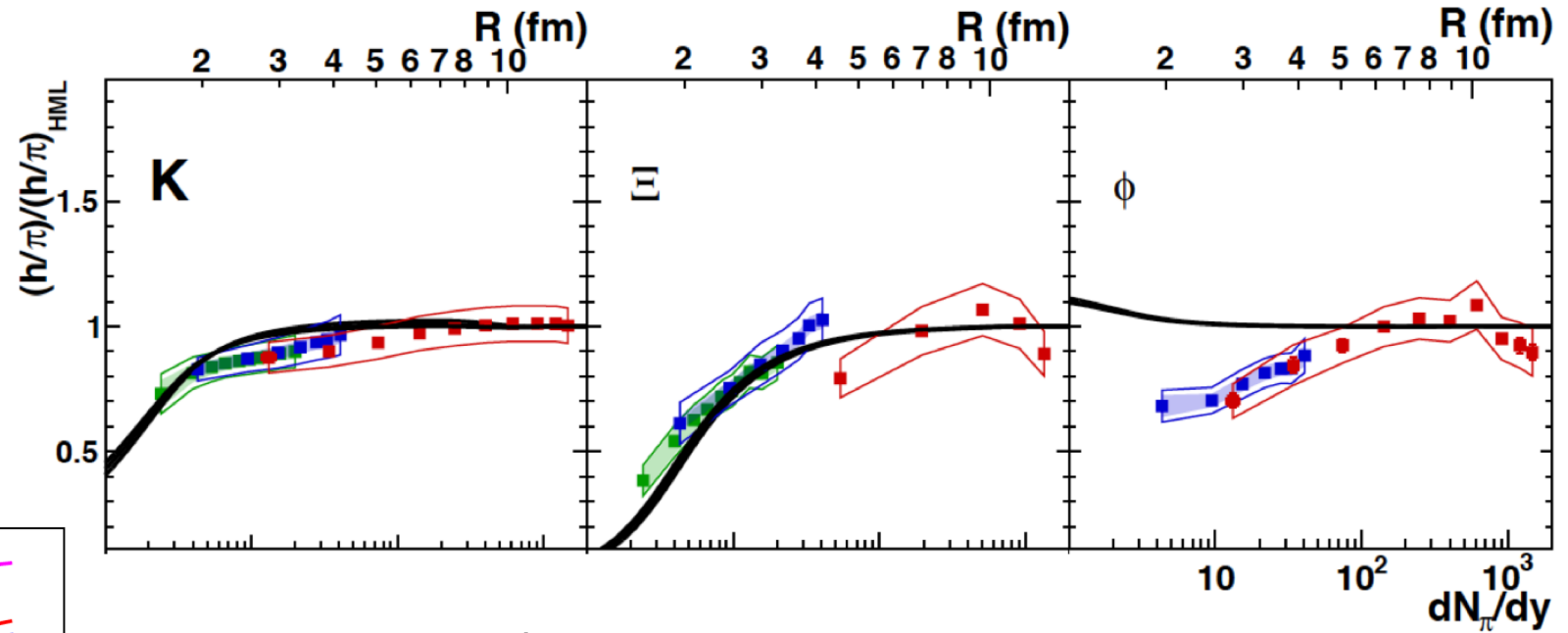
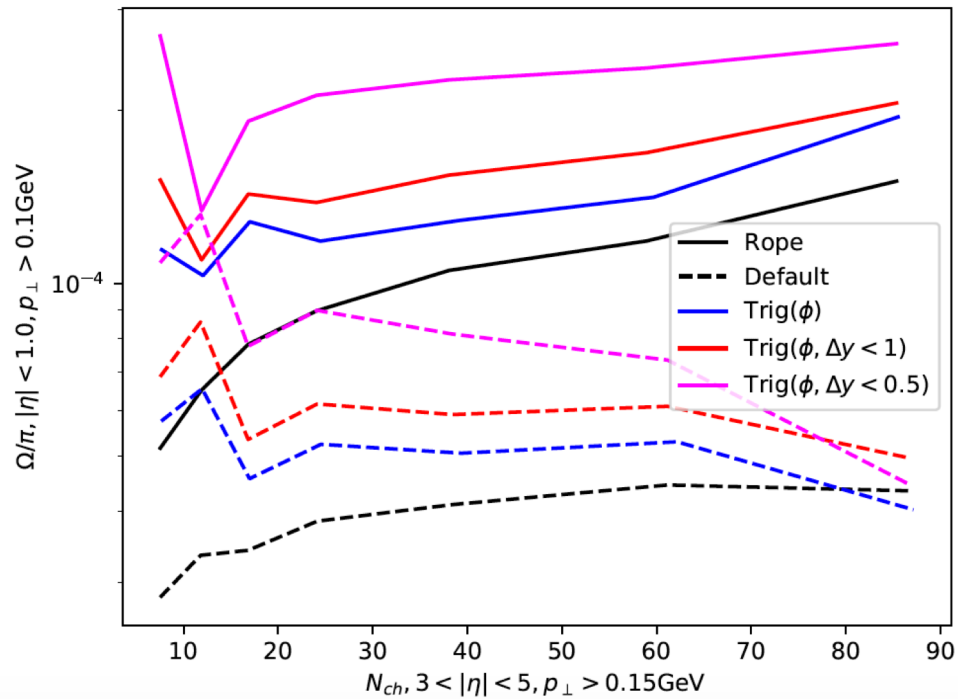


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- $\Xi(S=2)/\Phi(S=0)$ increases as a function of multiplicity in contrast to expectation from non-equilibrium production as quantified with strangeness suppression factor.

Understanding Φ -meson production

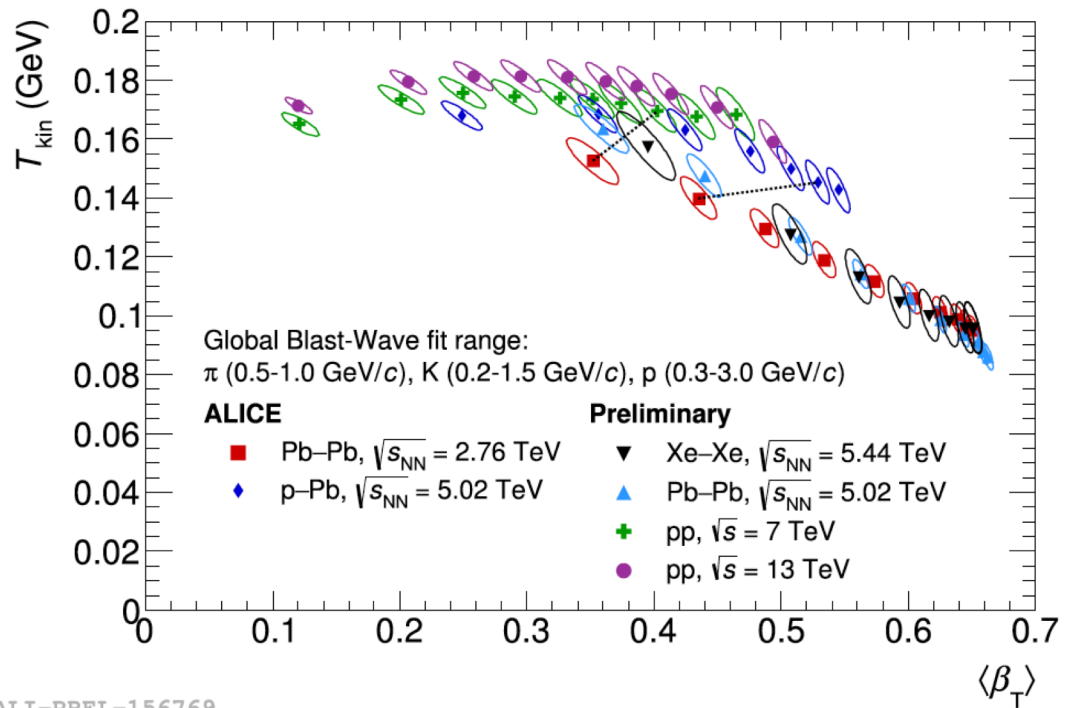
[C. Bierlich (Lund&CPH) at
Light Up! 2018 workshop]



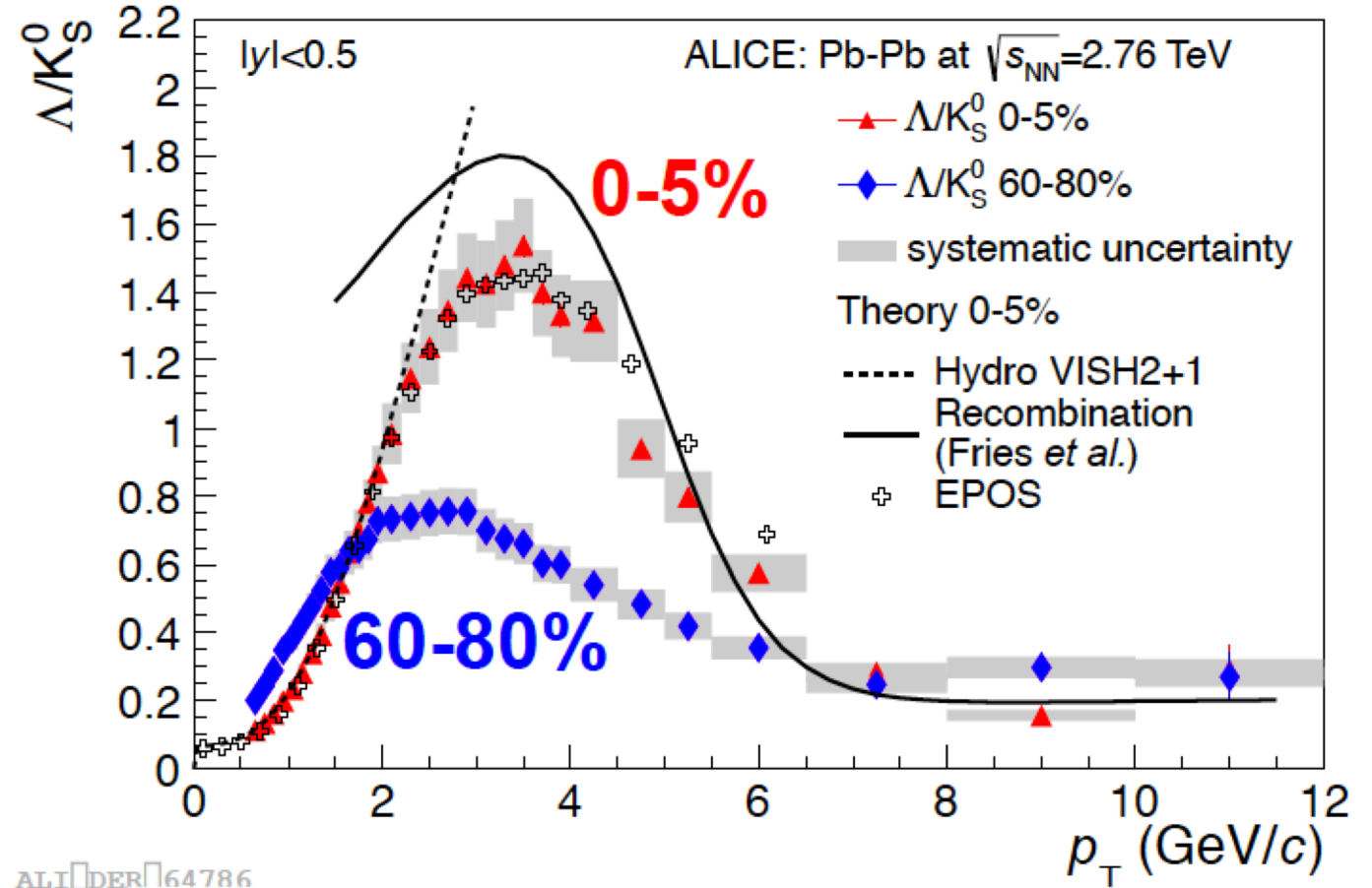
[V. Vislavicus, AK, arXiv:1610.03001]

2. Towards intermediate pT: recombination

Blast-wave and hydro

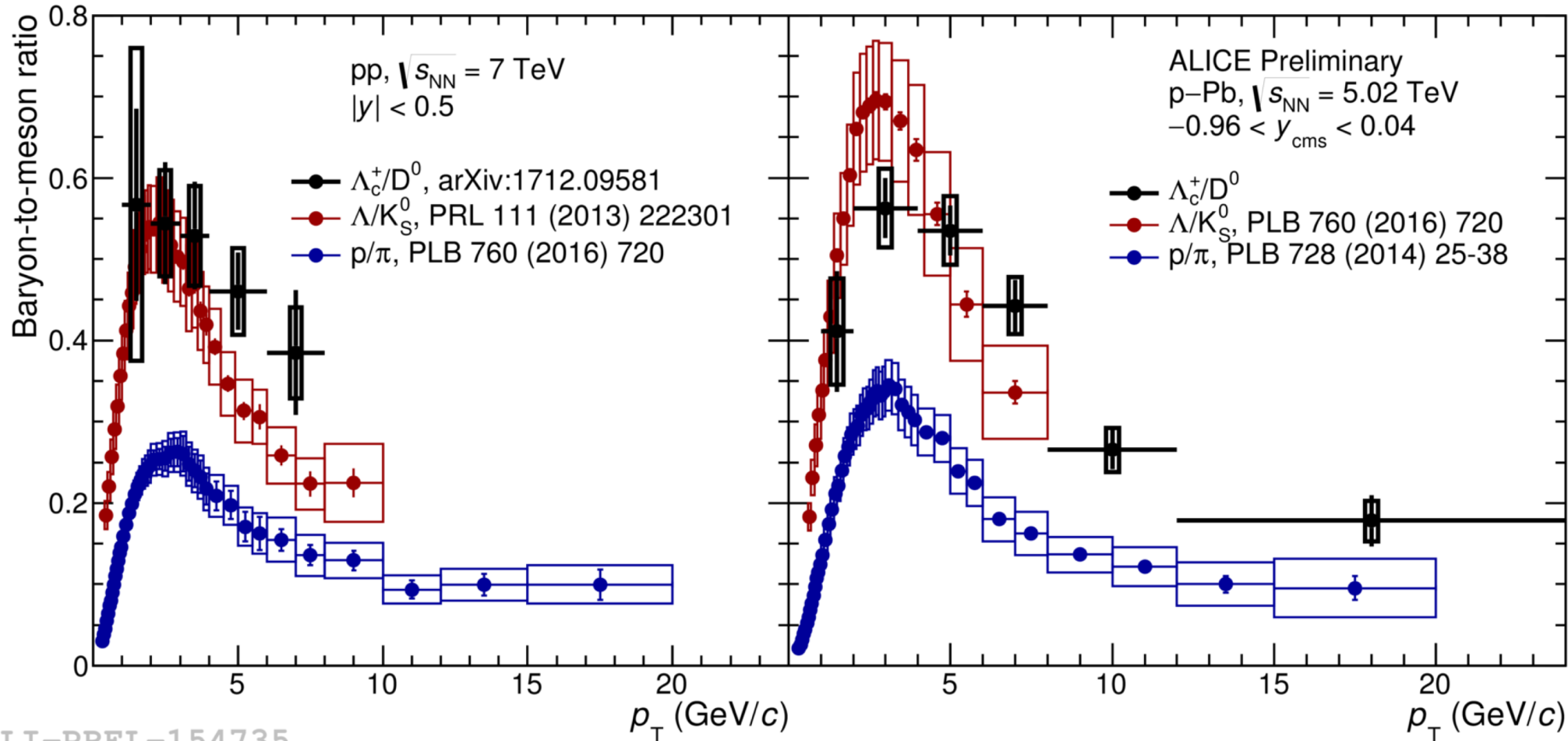


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Baryon to meson ratios in pp and p-Pb collisions

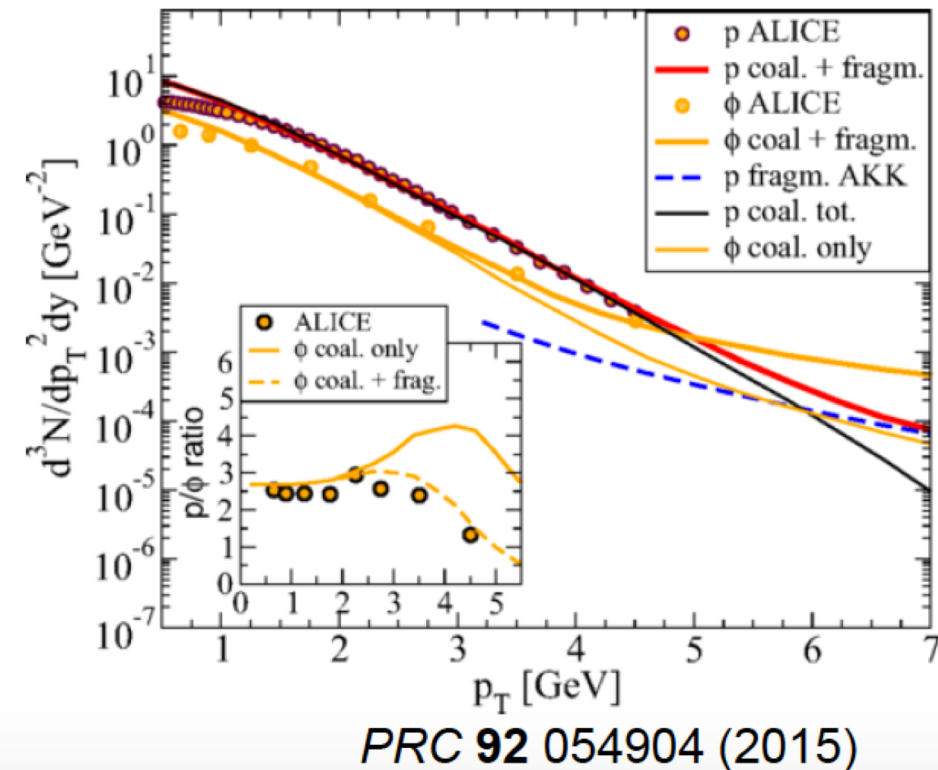
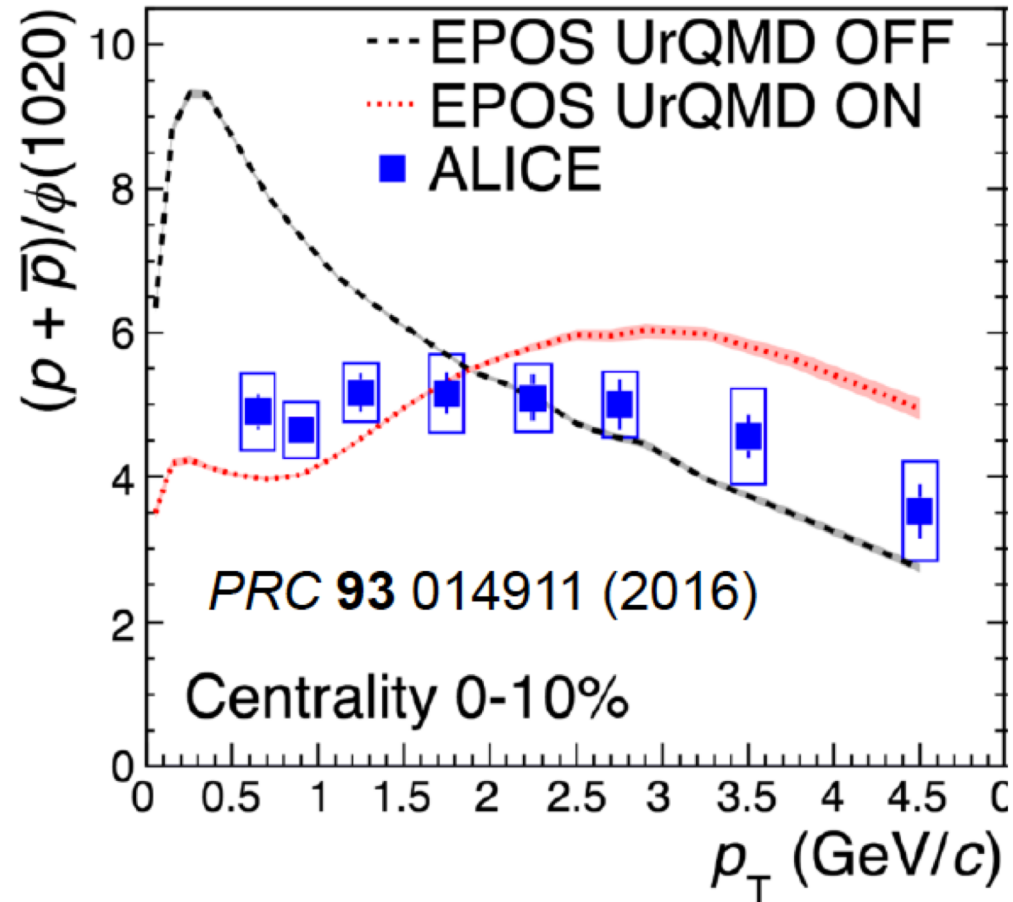


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→ Remarkable similarities of baryon to meson ratio in the charm sector with light flavor results.

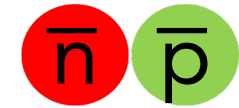
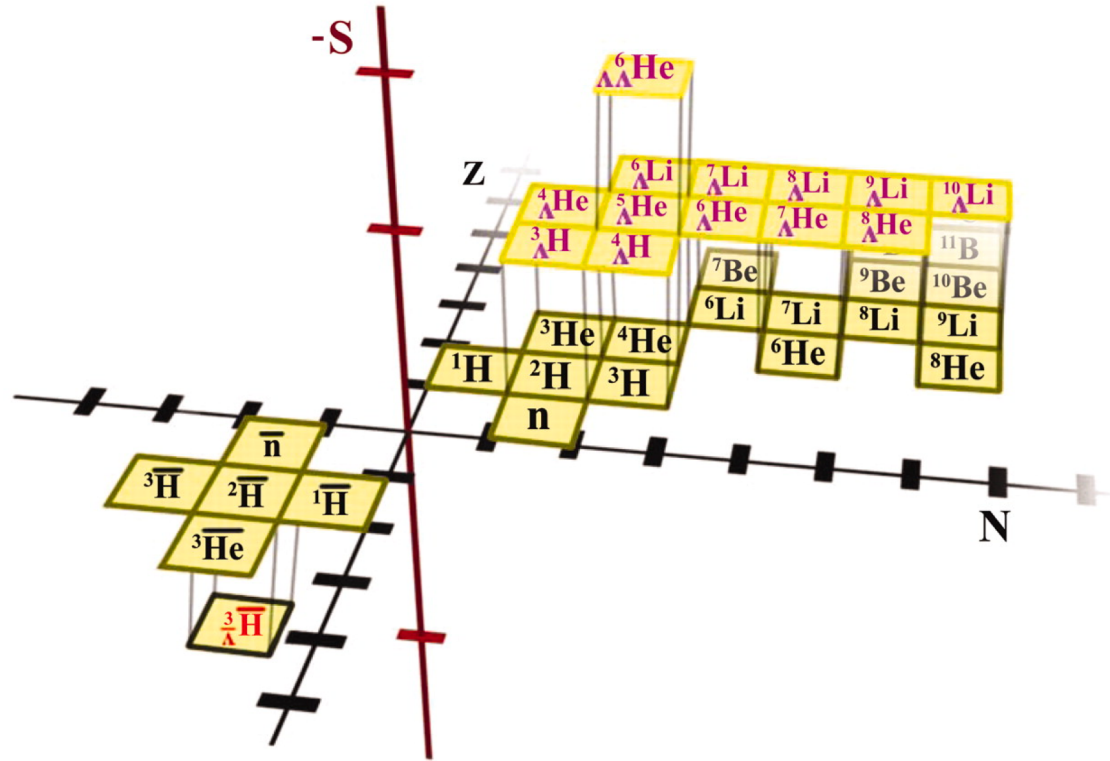
Φ meson

- Also here the Φ has a special as it is often argued that it is a meson with the same mass as the proton (a baryon) and thus should be flat in the hydro picture, but is this a coincidence?



4. The hyper-triton

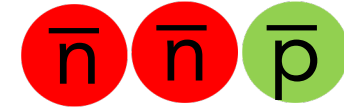
Light (anti-)nuclei



anti-deuteron



anti-hyper-triton



anti-triton

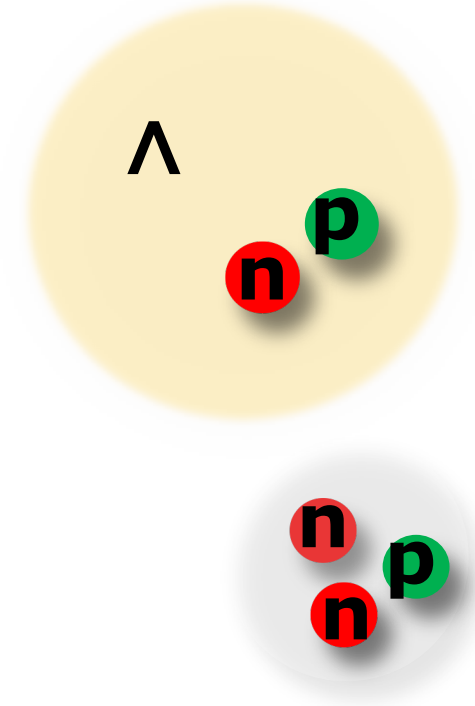
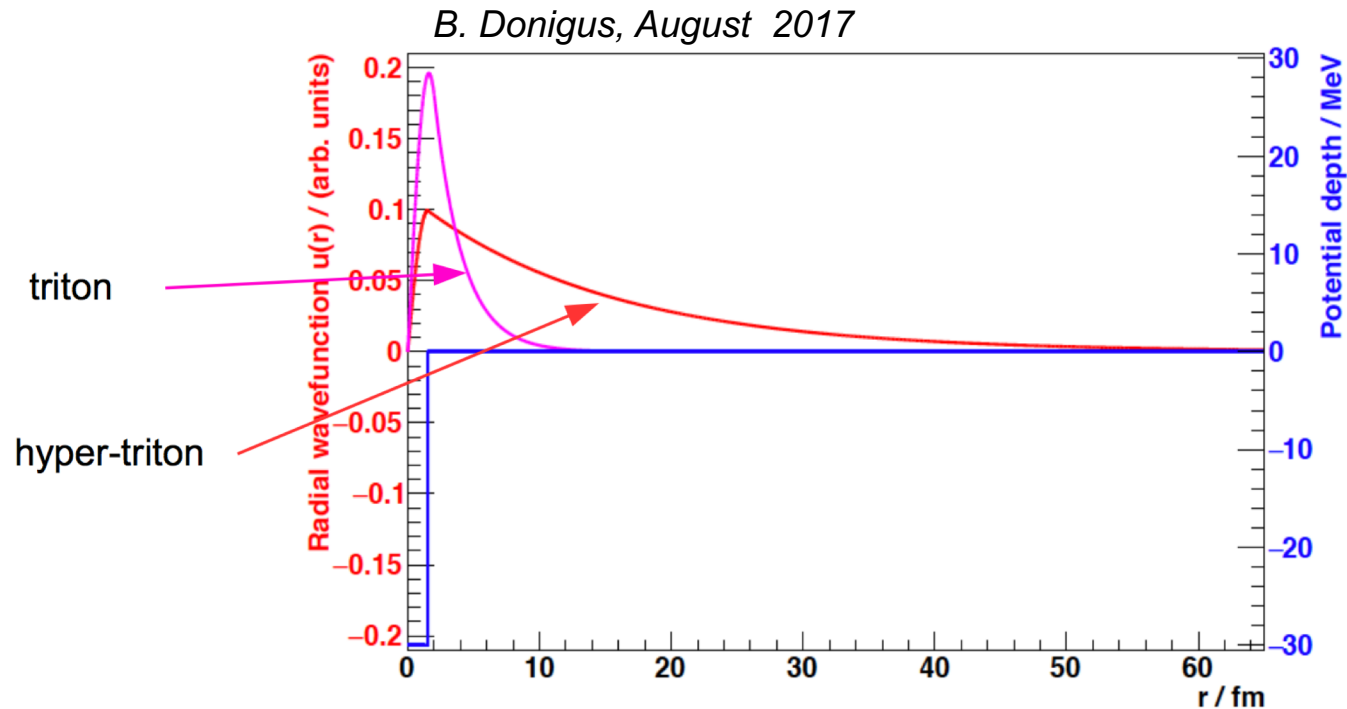


anti-helium3



anti-alpha

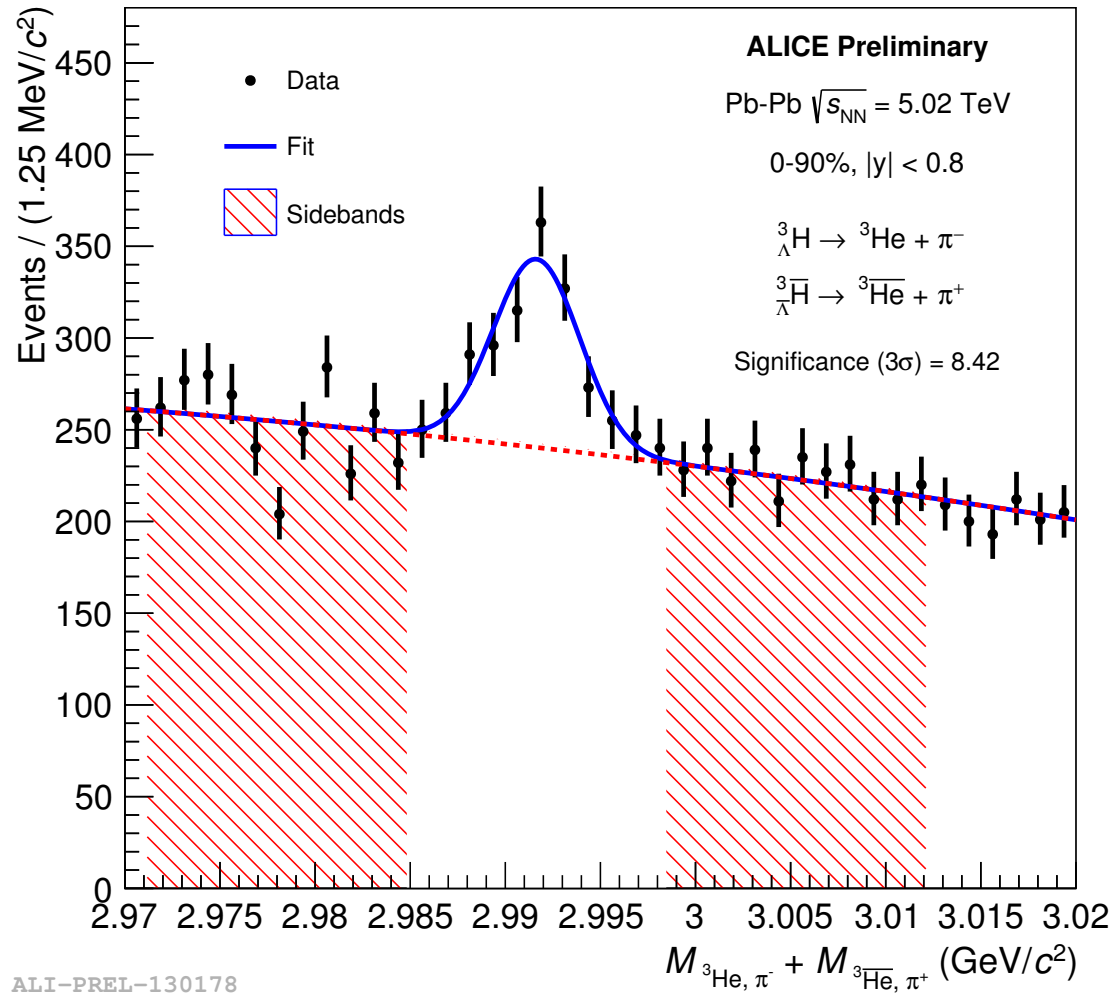
Object size and wave function



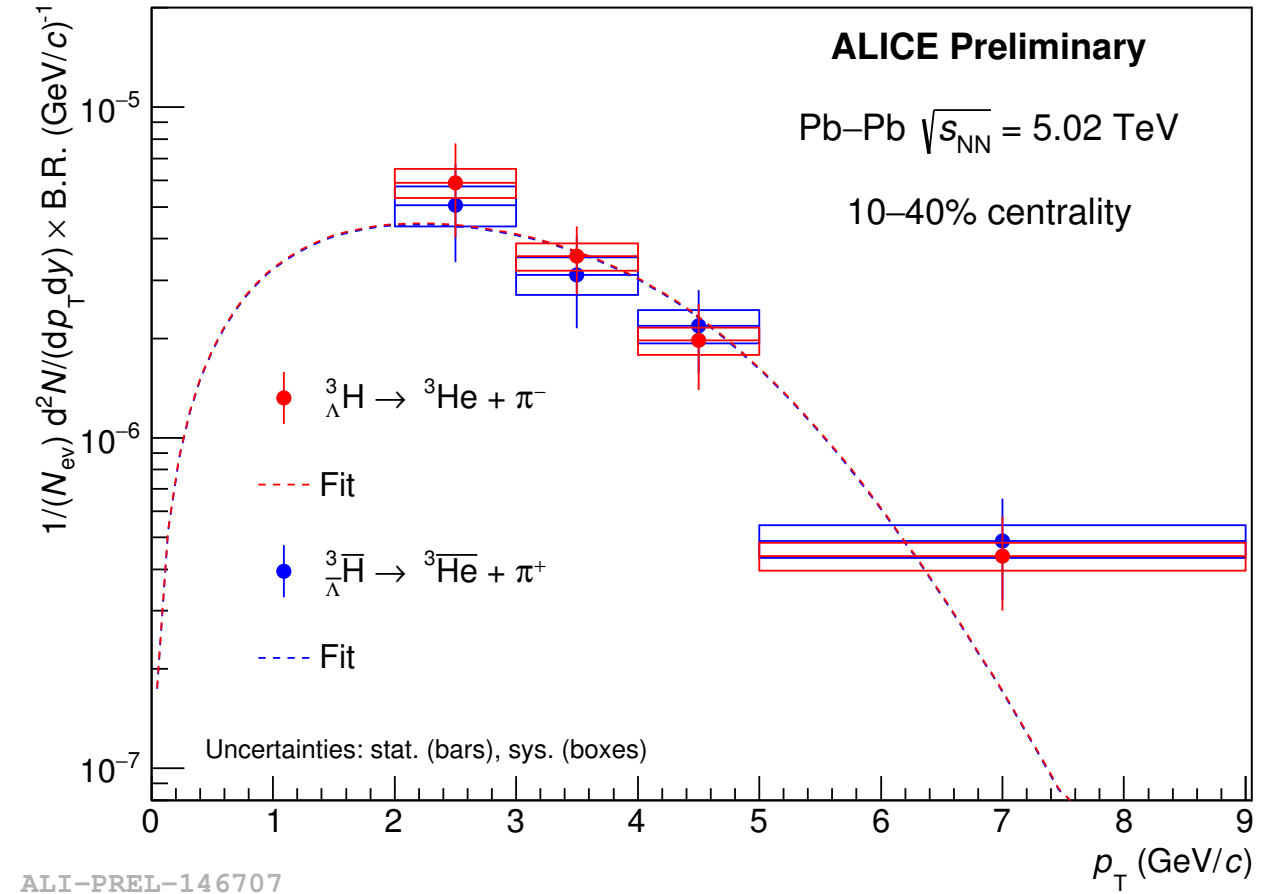
Wavefunction (red) of the hypertriton assuming a s-wave interaction for the bound state of a Λ and a deuteron. The root mean square value of the radius of this function is $\sqrt{\langle r^2 \rangle} = 10.6$ fm. In blue the corresponding square well potential is shown. In addition, the magenta curve shows a "triton" like object using a similar calculation as the hypertriton, namely a deuteron and an added nucleon, resulting in a much narrower object as the hypertriton.

See EMMI workshop,
<https://indico.gsi.de/event/6301/session/2/contribution/4/material/slides/0.pdf>

Hyper-triton

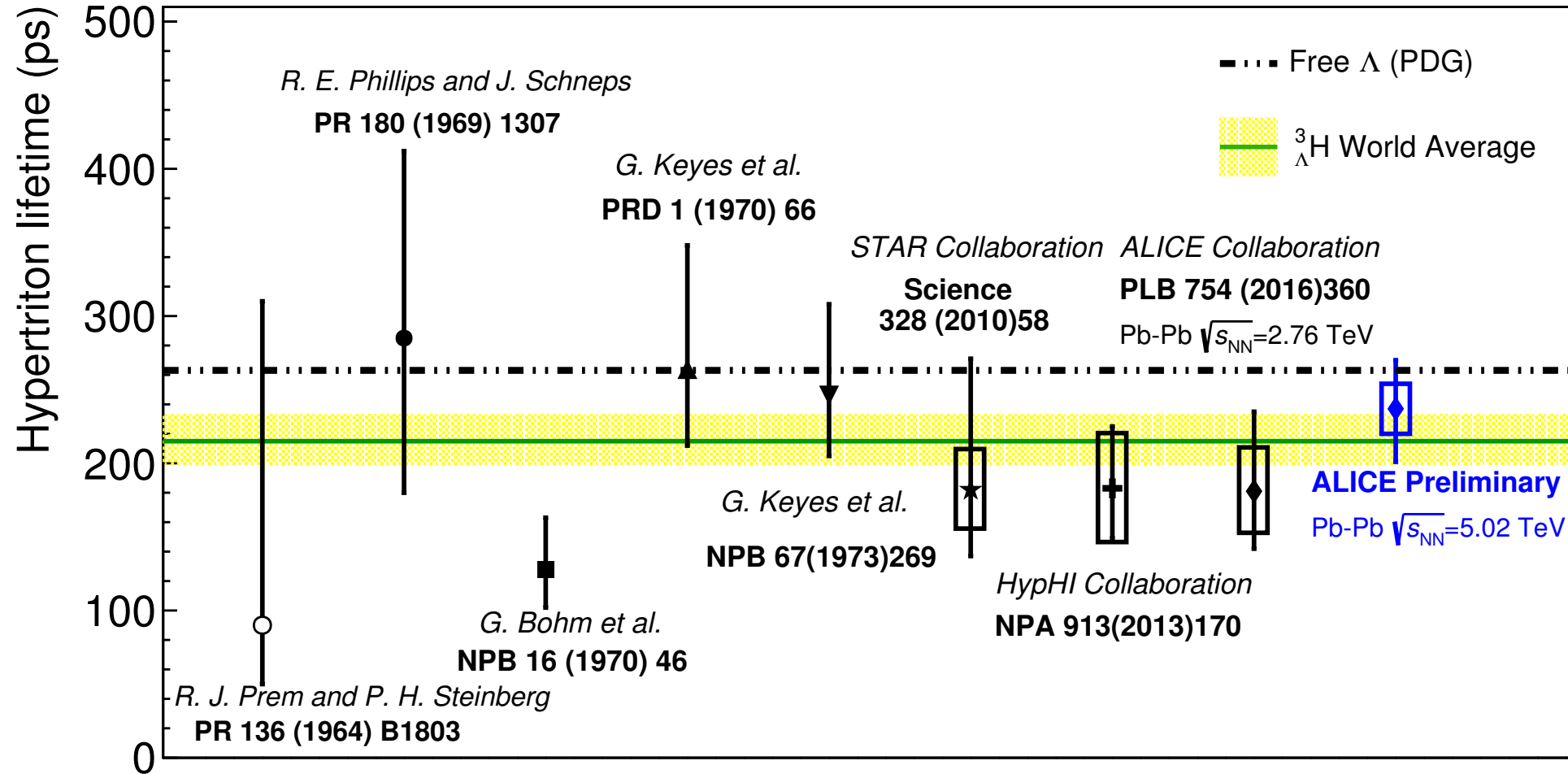


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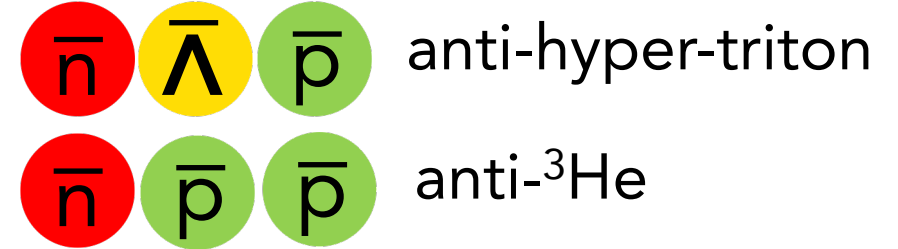
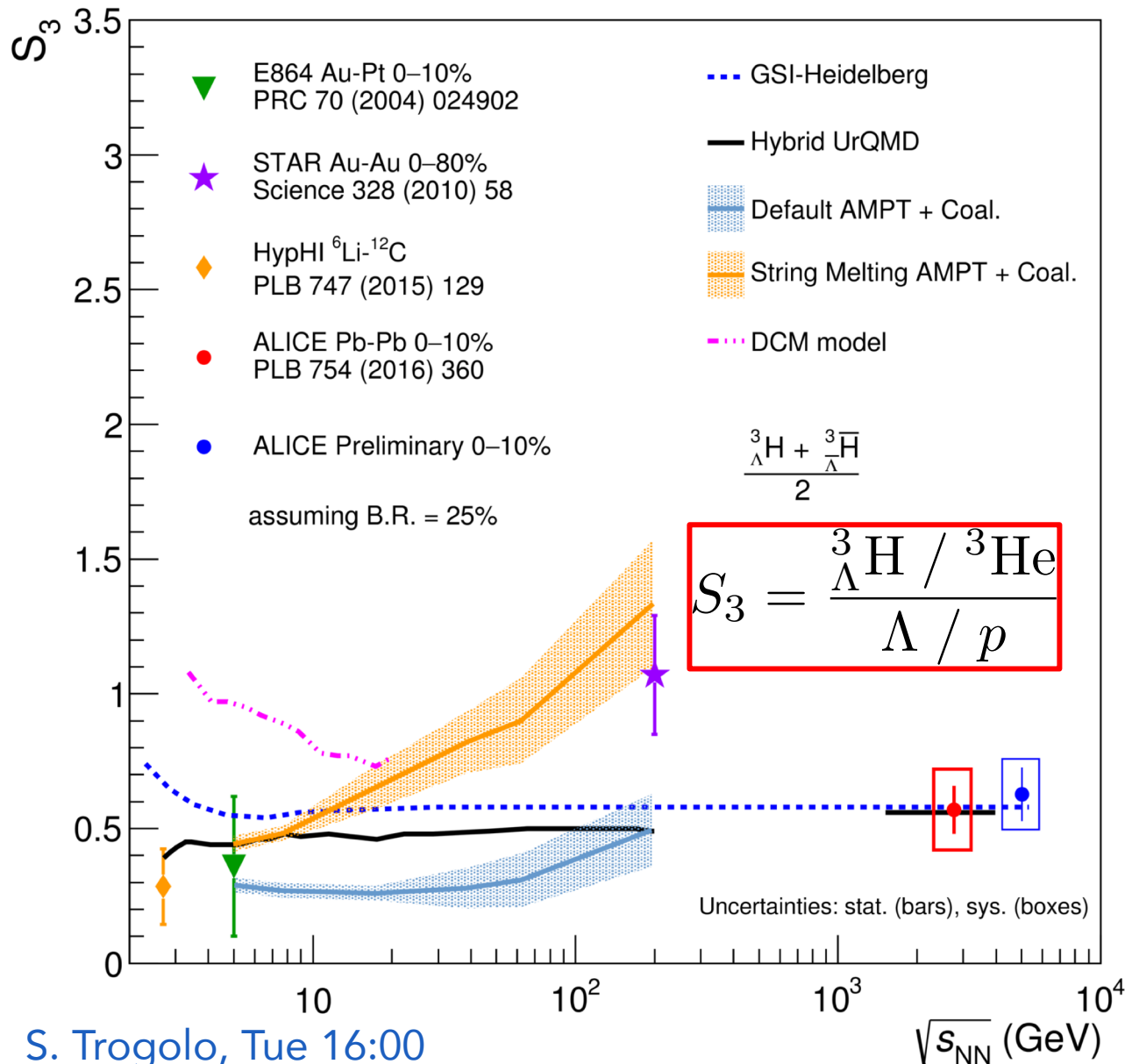
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Hyper-triton lifetime



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(anti-)hyper-triton in Pb-Pb collisions at 5.02 TeV



→ Yields of heavy and fragile objects such as (anti-)(hyper-)nuclei in agreement with thermal-statistical model predictions at *chemical* freeze-out.

→ No re-scattering of anti-nuclei in hadronic phase despite large dissociation cross-section.

→ Final-state coalescence after kinetic freeze-out requires more detailed modeling: *naive coalescence* ($S_3 \approx 1$) does not describe data.

Production models in a nutshell

Thermal production at chemical freeze-out/phase boundary

- Key parameters are mass and chemical freeze-out temperature: $dN/dy \sim \exp(-m/T_{ch})$
- Model provides yields but no p_T spectra (no dynamics)
→ works in Pb-Pb collisions → but how can loosely bound states survive?

Coalescence of nucleons at kinetic freeze-out

- Key parameters are nuclear wave functions, size of the (hyper)nucleus
- Production probability quantified by **coalescence parameter B_A**
- Model provides spectra
→ works in small systems → but how can "large" objects be created in a small system?

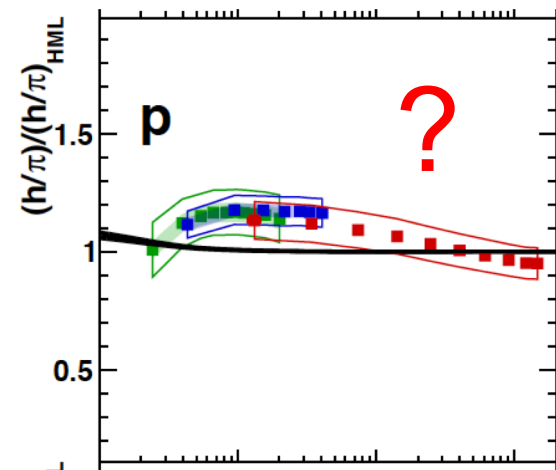
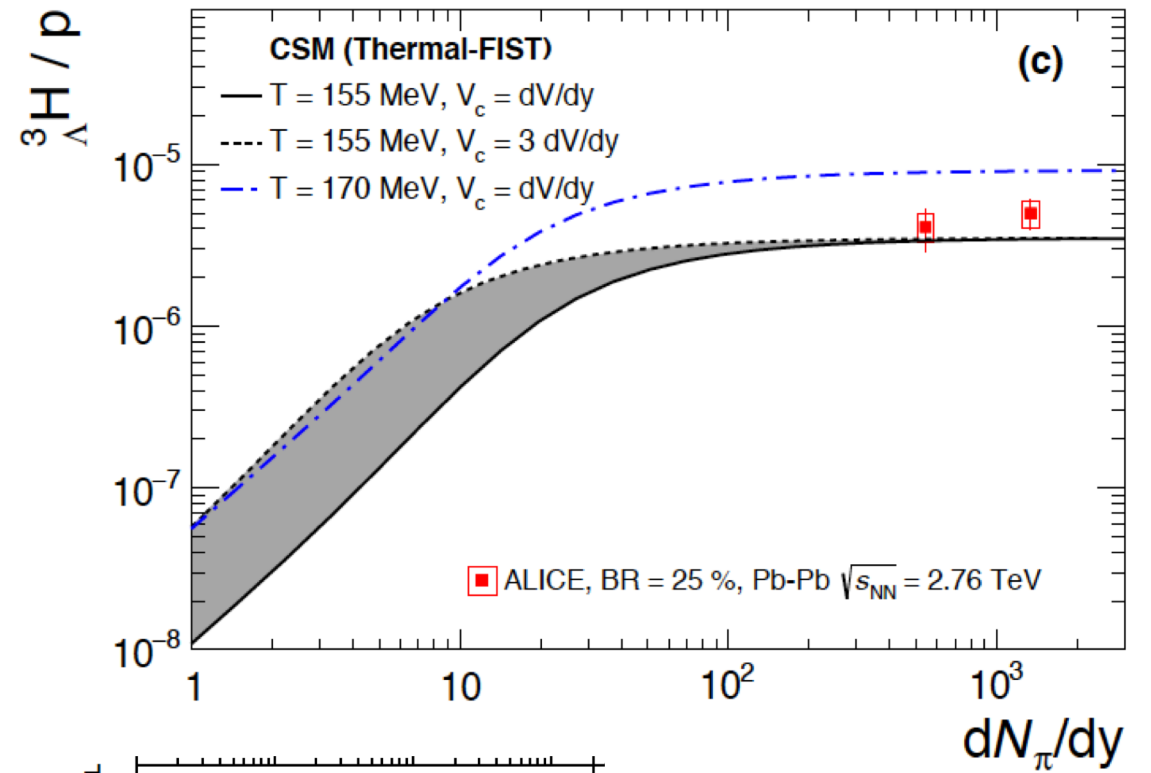
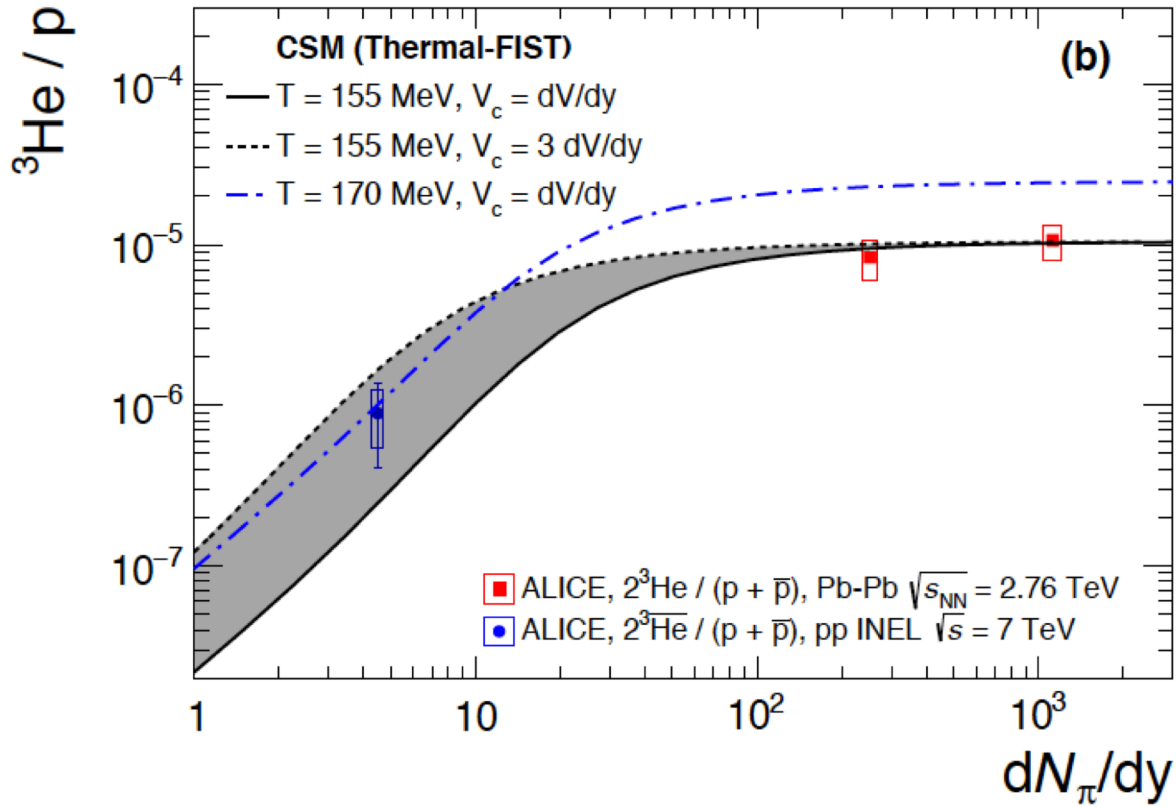
Production in the hadronic phase

- Are they in contrast? Up to which extent?
- For which system(s) do they provide a valid description?
- Can they describe all "objects" in their scope of validity?

The (anti-)nuclei riddle

- Fragile objects such as anti-nuclei should not be produced in thermal equilibrium at 156 MeV together with the non-composite objects, but why are they in perfect agreement with the model?
- Is it just a coincidence? Can coalescence models explain this? In my opinion, there is no convincing calculation on the market at the moment.
- N.B.: production rates in quantum mechanical coalescence models depend crucially on the size of the object with respect to the system size!
- Are multi-quark bags the way out (see [A. Andronic *et al.*, arXiv:1710.09425])?

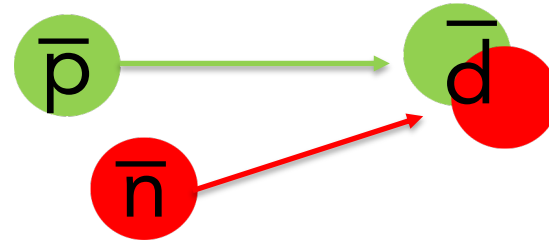
Full canonical calculations



Coalescence parameters B_A

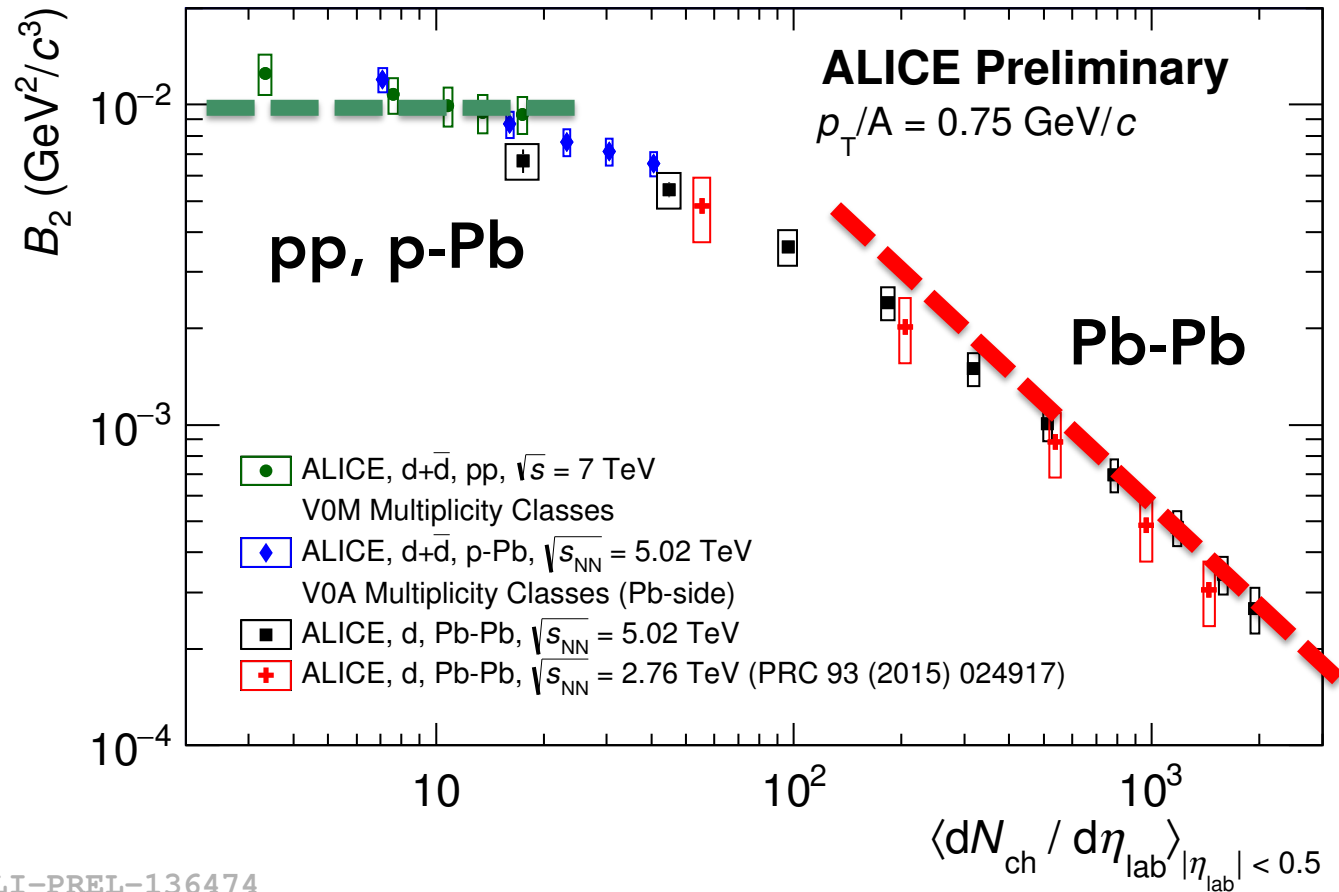
- (anti-)nuclei production by coalescence of (anti-)protons and (anti-)neutrons which are close by in momentum and position space. Roughly speaking:
“*deuteron* \propto *proton* \times *neutron* \Rightarrow *deuteron* \propto *proton*²”

$$E_d \frac{d^3 N_d}{dp_d^3} = B_2 \left(E_p \frac{d^3 N_p}{dp_p^3} \right)^2$$



- Spherical approximation: maximum momentum difference (coalescence momentum p_0) is approx. 100 MeV (5.3 MeV kinetic energy of a nucleon in the rest frame of the other).
- Can be implemented as an *afterburner* to standard event generators.

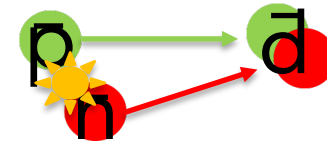
Coalescence models in heavy-ion (1)



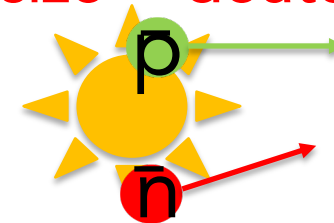
→ Very strong dependence of B_2 on collision geometry.

→ Two production regimes observed:

(a.) system size < deuteron size



(b.) system size > deuteron size



Fermi momentum and uncertainty principle

- “Close in phase-space” \leftrightarrow “Close in configuration and momentum space” sounds nice, but is quantum-mechanically ill defined due to the uncertainty principle!
- Imagine a point-like emission source (pp): phase-space reduces to momentum space and the **coalescence momentum**, becomes equal to the momentum of the nucleons in the bound nucleus (the “Fermi momentum” in large nuclei).
- Quantum-mechanically correct treatment: overlap of the source function with the **Wigner-function** of the nucleus.

$$P(x, p) = \frac{1}{\pi\hbar} \int_{-\infty}^{\infty} dy \psi^*(x + y) \psi(x - y) e^{2ipy/\hbar}$$



E. Wigner

Properties of (hyper-)nuclei for $A \leq 4$

Mass number	Nucleus	Composition	B_E (MeV)	Spin J_A	(Charge) rms radius λ_A^{meas} (fm)	Harmonic oscillator size parameter r_A (fm)	Refs.
$A = 2$	d	pn	2.224575 (9)	1	2.1413 ± 0.0025	3.2	[23, 24]
$A = 3$	^3H	pnn	8.4817986 (20)	1/2	1.755 ± 0.086	2.15	[25]
	^3He	ppn	7.7180428 (23)	1/2	1.959 ± 0.030	2.48	[25]
	$^3_{\Lambda}\text{H}$	p Λ n	0.13 ± 0.05	1/2	4.9 – 10.0	6.8 – 14.1	[2, 26]
$A = 4$	^4He	ppnn	28.29566 (20)	0	1.6755 ± 0.0028	1.9	[27, 28]
	$^4_{\Lambda}\text{H}$	p Λ nn	2.04 ± 0.04	0	2.0 – 3.8	2.4 – 4.9	[2, 26]
	$^4_{\Lambda\Lambda}\text{H}$	p $\Lambda\Lambda$ n	0.39 – 0.51	1	4.2 – 7.1	5.5 – 9.4	[2]
	$^4_{\Lambda}\text{He}$	pp Λ n	2.39 ± 0.03	0	2.0 – 3.8	2.4 – 4.9	[2, 26]

“Fragile”
objects!!!

Different size parameters!!!

Coalescence

- Nuclei form by coalescence of nucleons close enough in phase-space
- Density matrix approach used to calculate the coalescence probability
 - The source is rapidly expanding under radial flow (hydrodynamics)
 - The coalescence process is governed by the same correlation volume which can be extracted from HBT interferometry
 - For the source, $R_{\perp} \approx R_{\parallel} \approx R$ is assumed
 - Gaussian wave-functions (size parameter = r_A) for nuclei are assumed → *see next slides*

$$B_A = \frac{2J_A + 1}{2^A} \frac{1}{\sqrt{A}} \langle C_A \rangle \left(\frac{(2\pi)^{3/2}}{m_T \prod_{i=1,2,3} R_i} \right)^{A-1}$$

- The size of the source enters in the B_A and in the quantum-mechanical correction factor, $\langle C_A \rangle$
- $\langle C_A \rangle$ accounts for the size of the object being produced (r_A) → *see next slides*

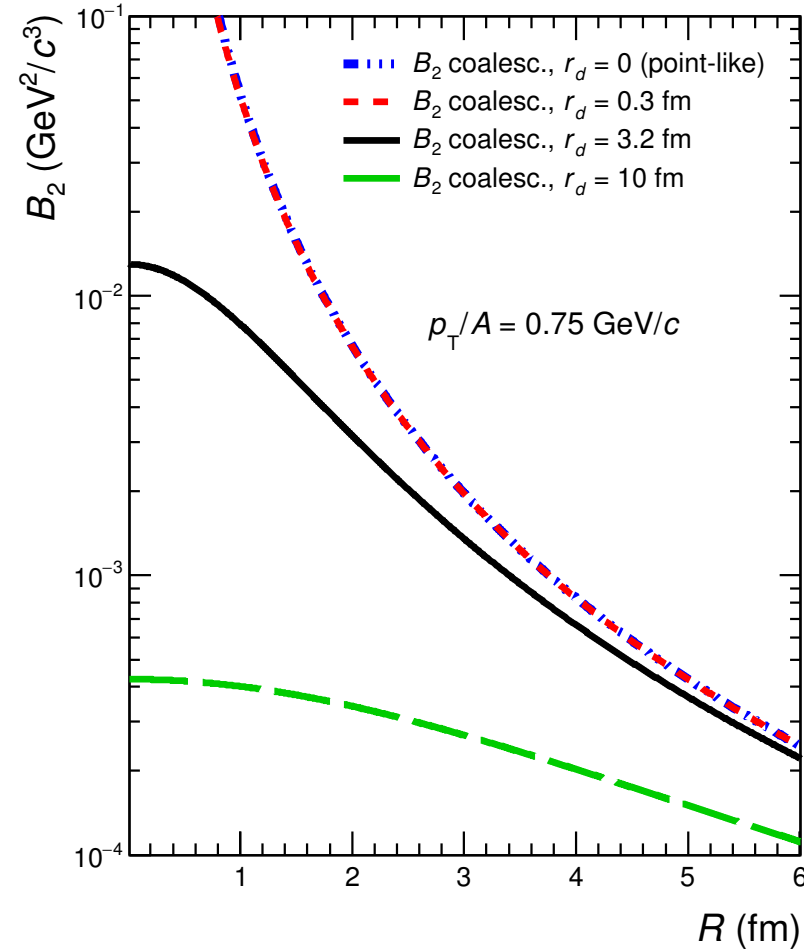
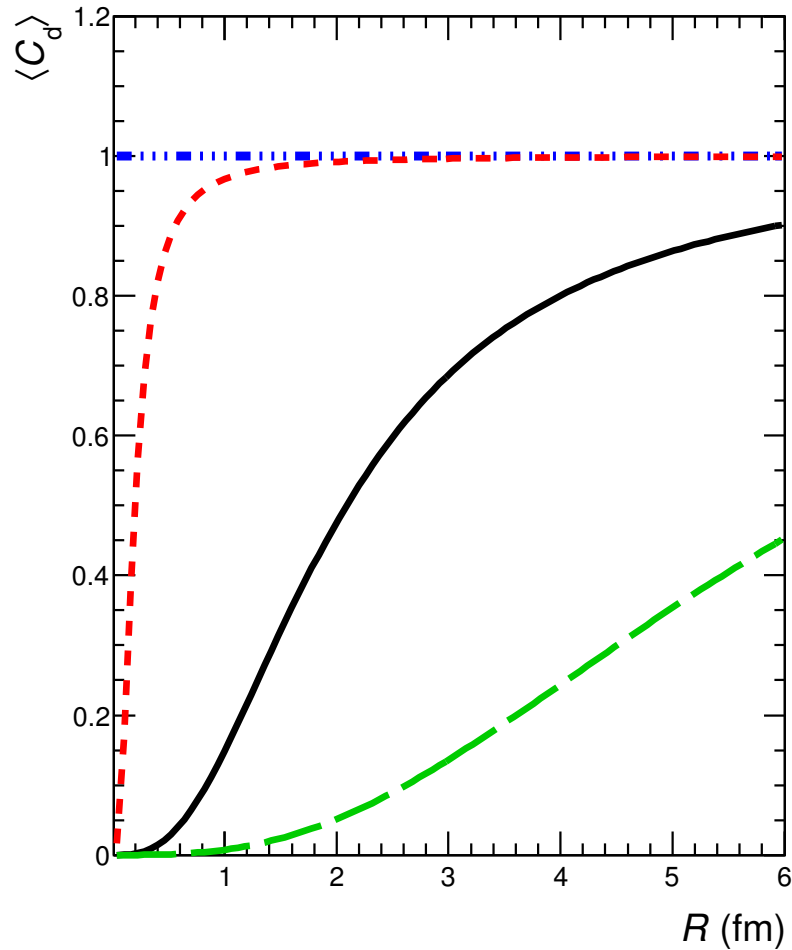
$$\langle C_A \rangle = \prod_{i=1,2,3} \left(1 + \frac{r^2}{4R_i^2} \right)^{-\frac{1}{2}(A-1)}$$

Length scale defined by the size of the object relative to the size of the system

Deuteron case

$$\langle C_d \rangle \approx \left[1 + \left(\frac{r_d}{2R(m_T)} \right)^2 \right]^{-3/2}$$

$$B_2 = \frac{3\pi^{3/2} \langle C_d \rangle}{2m_T R^3(m_T)}$$



Coalescence model:

- analytic expression for B_A
- explicit dependence on R, r_A, m_T

$$B_A = \frac{2J_A + 1}{2^A} \frac{1}{\sqrt{A}} \frac{1}{m_T^{A-1}} \left(\frac{2\pi}{R^2 + \left(\frac{r_A}{2}\right)^2} \right)^{3/2(A-1)}$$

Thermal model + blast-wave:

- Spectral shape of (hyper-)(anti-)nuclei and p from BW
- Normalization of spectra from thermal model
- Multiplicity \rightarrow radius mapping from parameterization

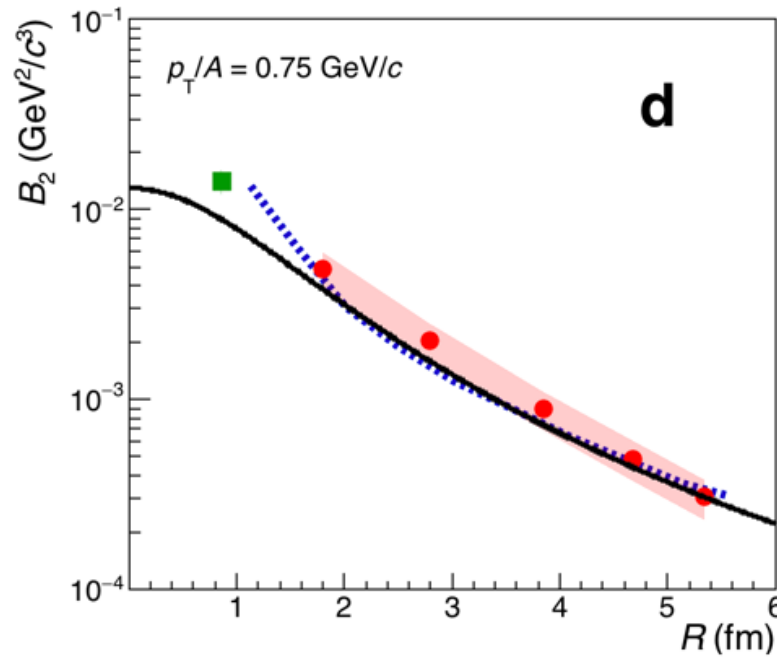
$$E_i \frac{d^3 N_i}{dp_i^3} = B_A \left(E_p \frac{d^3 N_p}{dp_p^3} \right)^A$$

Data:

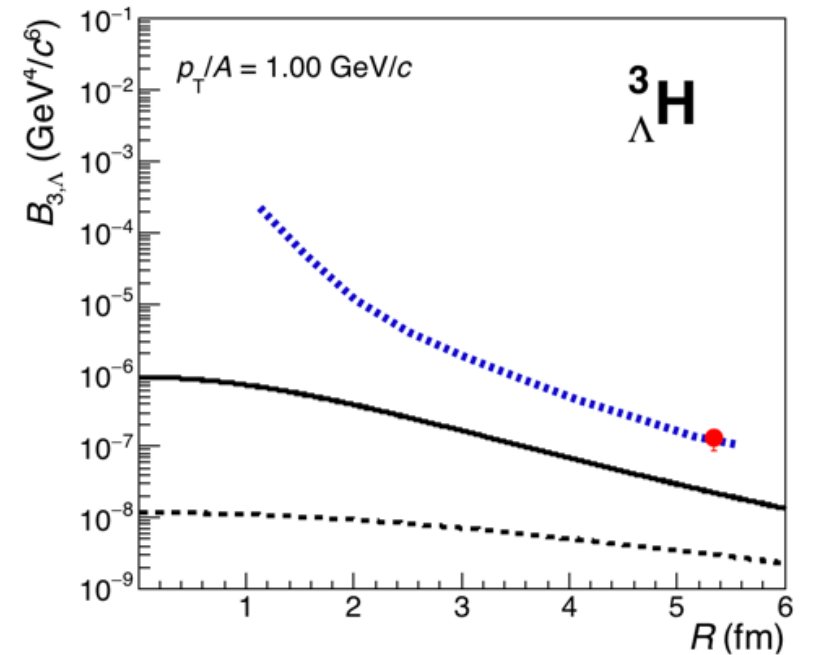
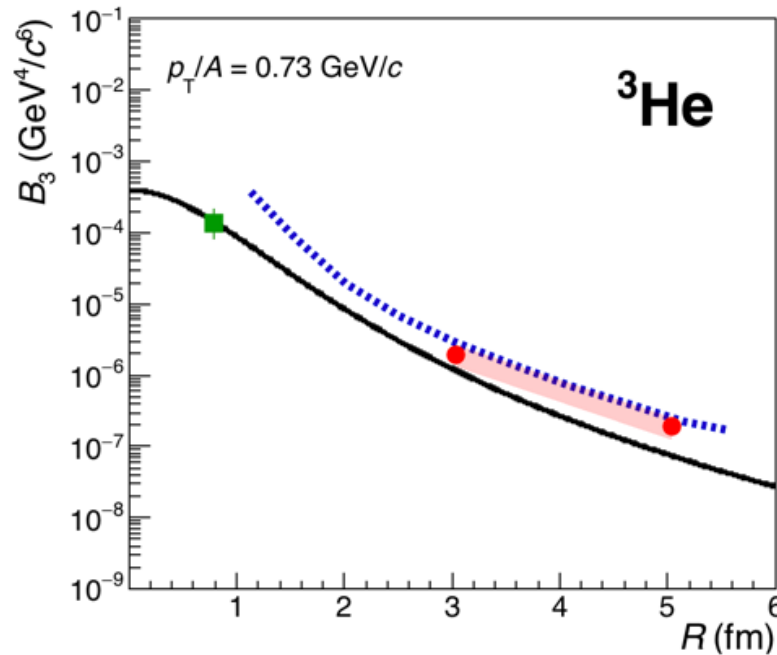
- B_A from measured (Hyper-)(anti-)nuclei and p spectra
- Multiplicity \rightarrow radius mapping from parameterization

B_A vs R

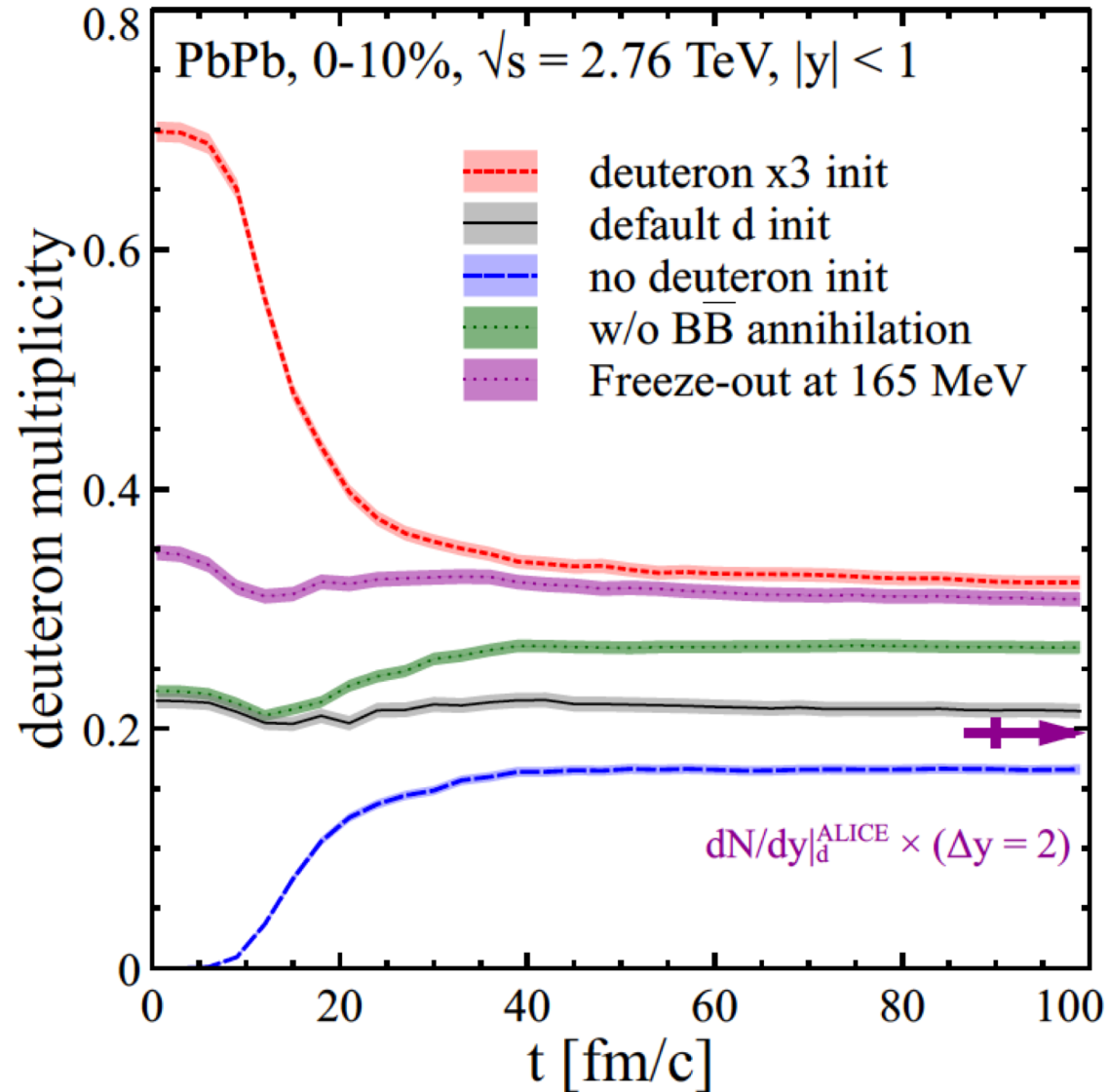
1. Thermal+BW and coalescence are fully consistent only for d and $R > 1.6$ fm, where they are also reproducing data
2. Difference between data and coalescence worsens for ${}^3\text{He}$ and ${}^3_{\Lambda}\text{H}$
 - *Wave function assumption?*
 - *Two-steps coalescence?*
 - *Excited state of the ${}^3_{\Lambda}\text{H}$?*
3. ${}^3_{\Lambda}\text{H}$ suppressed by about 2 orders of magnitude wrt ${}^3\text{He}$ in pp!
 - *Size of ${}^3_{\Lambda}\text{H}$?*



- ALICE, Pb-Pb $\sqrt{s_{NN}} = 2.76 \text{ TeV}$
- ALICE, pp $\sqrt{s} = 7 \text{ TeV}$ (INEL>0)
- ⋯ BW + GSI-Heidelberg ($T_{\text{chem}} = 156 \text{ MeV}$)
- B_A coalescence
- $r(d) = 3.2 \text{ fm}$
- $r({}^3\text{He}) = 2.48 \text{ fm}$
- $r({}^3_{\Lambda}\text{H}) = 6.8 \text{ fm}$
- ⋯ $r({}^3_{\Lambda}\text{H}) = 14.1 \text{ fm}$

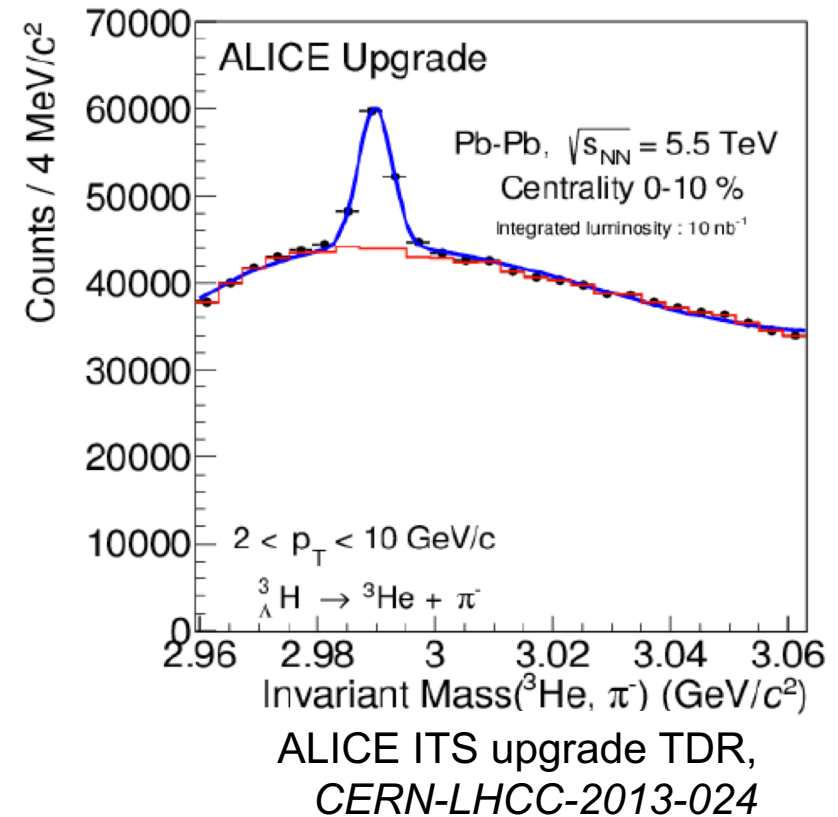


It would be nice to see this for hyper-triton!



Hyper-nuclei yield reach in Run 3+4

- High statistics sample of min bias Pb-Pb
- Improved tracking resolution from the ALICE ITS upgrade
- **$^3_{\Lambda}\text{H}$ reconstruction** feasible in 2-body and 3-body decay with charged products
 - Lower background but also lower B.R. for 2-body
- **B.R. not well known [1,2]**
- **precise evaluation of absorption cross section of $^3_{\Lambda}\text{H}$ and ^3He is needed**



	Mass (GeV/c ²)	Decay channel (B.R.)	dN/dy (SHM)
$^3_{\Lambda}\text{H}$	2.991	$^3_{\Lambda}\text{H} \rightarrow ^3\text{He} + \pi^-$ (25% [1]) $^3_{\Lambda}\text{H} \rightarrow d + p + \pi^-$ (41% [1])	1×10^{-4}
$^4_{\Lambda}\text{H}$	3.931	$^4_{\Lambda}\text{H} \rightarrow ^4\text{He} + \pi^-$ (50% [1])	2×10^{-7}
$^4_{\Lambda}\text{He}$	3.929	$^4_{\Lambda}\text{He} \rightarrow ^3\text{He} + p + \pi^-$ (32% [2])	2×10^{-7}

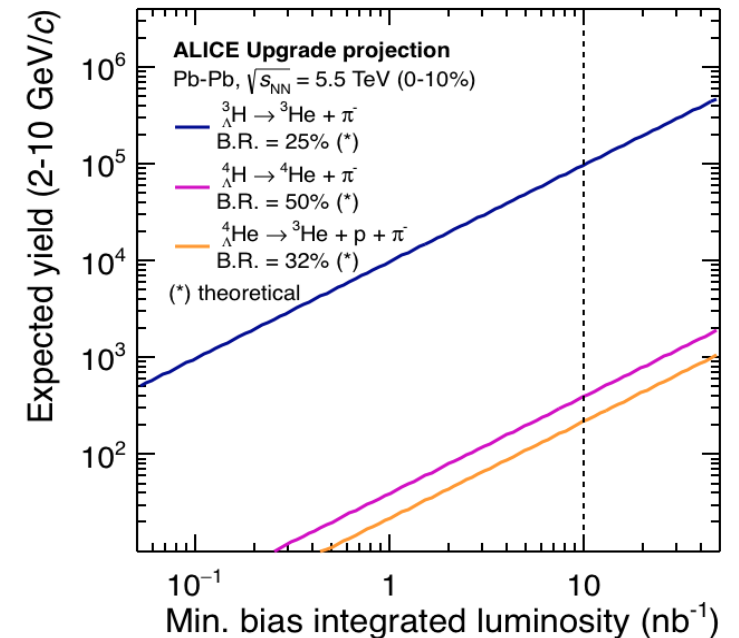
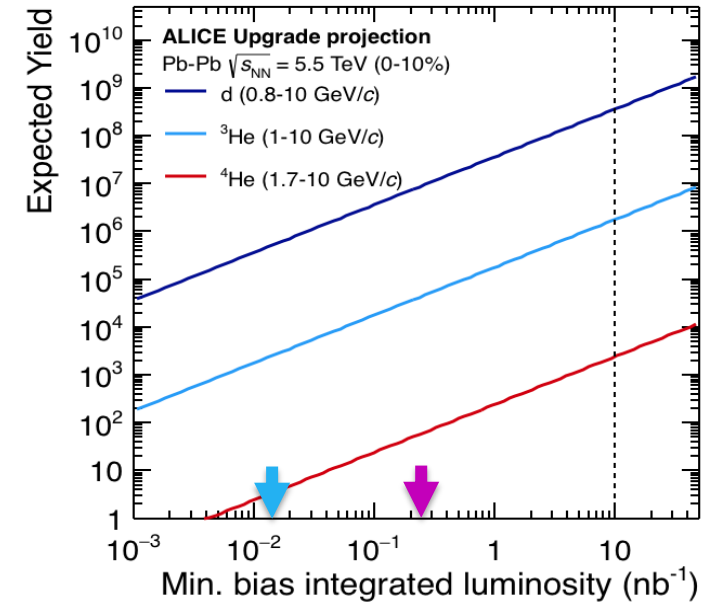
[1] H. Kamada et al., PRC 57, 1595 (1998), [2] H. Ota et al., NPA 639 (1998) 251-260

Outlook to LHC Run 3 and 4

The measurement of the **coalescence parameters** for composite objects with **different sizes** studied as a function of the **multiplicity** can be used to compare the light (anti-)(hyper-)nuclei production scenarios

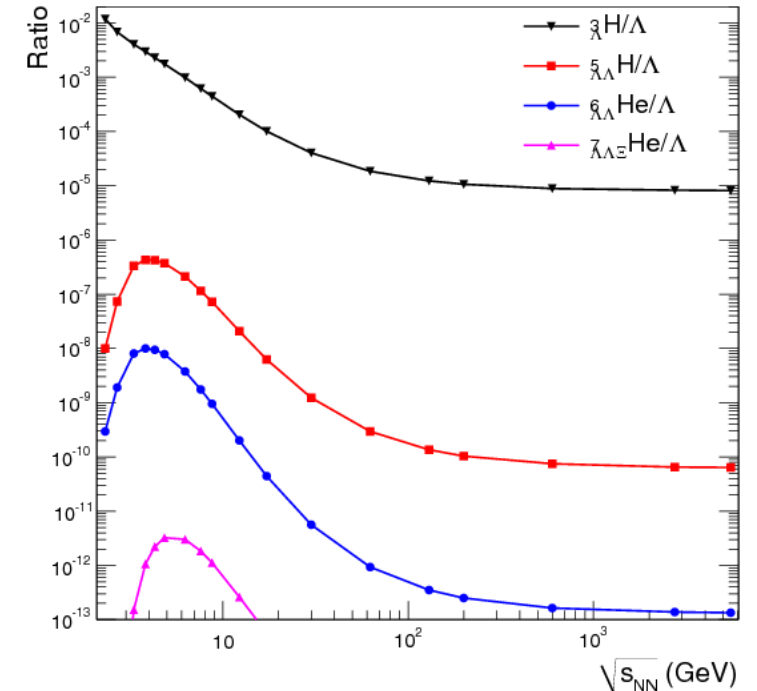
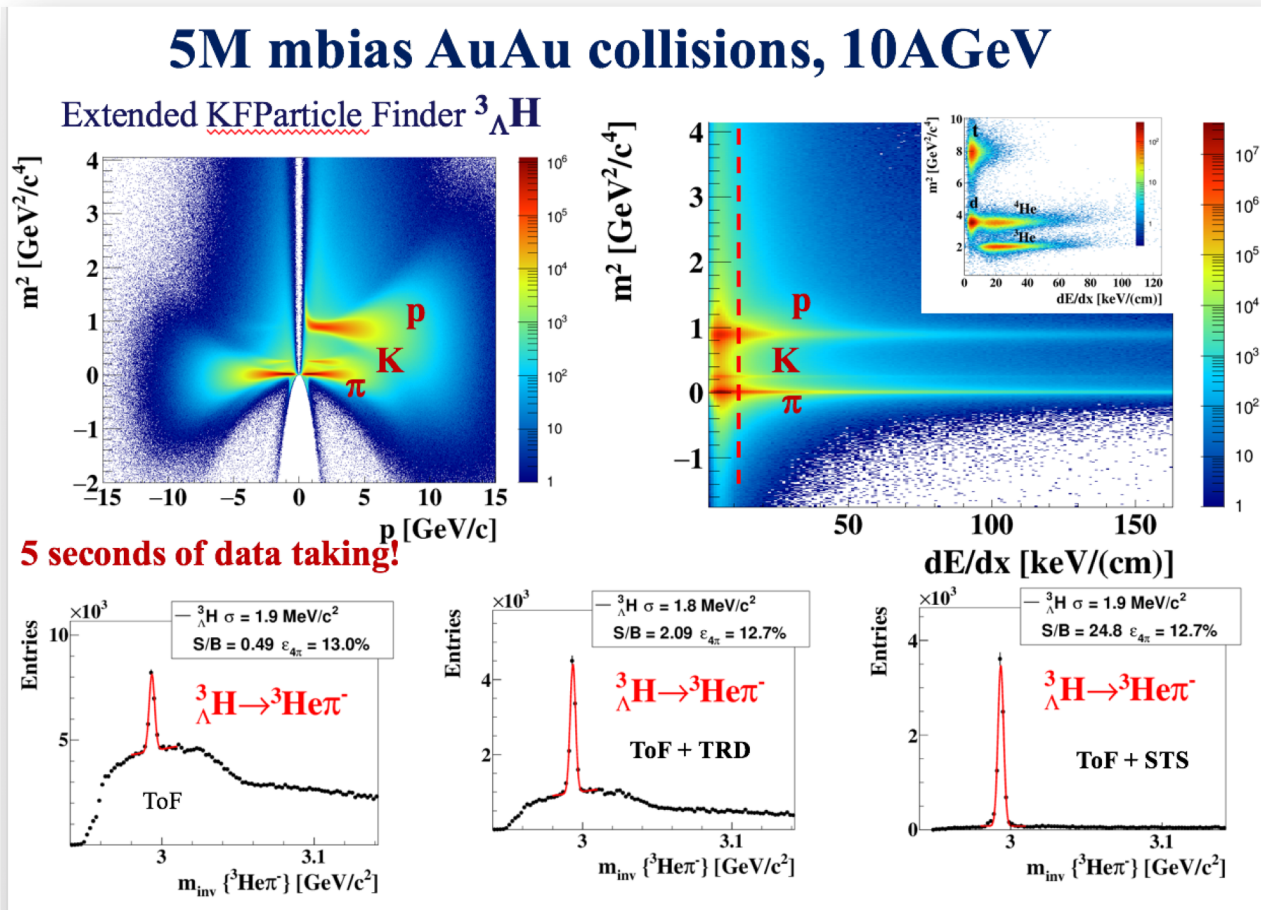
Physics case for Run3&4:

- Measure centrality dependence of the hypertriton in Pb-Pb
- Can we produce at all the hypertriton in pp collisions?
- Go more differential for $A = 3$
- Measure B_4 for ${}^4\text{He}$, ${}^4_{\Lambda}\text{H}$, ${}^4_{\Lambda}\text{He}$



Possibilities at FAIR

- Largest production probability of hyper-nuclei is at FAIR energies.
- See excellent talk of I. Vassiliev at EMMI Torino workshop:
<https://indico.gsi.de/event/6301/session/2/contribution/5/material/slides/0.pptx>



A. Andronic et al:
Phys.Lett. B697 (2011) 203-207

Summary and conclusions

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- ALICE has measured a wealth of results on the production of light flavor hadron production.
- Beautiful picture established in central heavy-ion collisions, but there is still a lot to do and to understand at *several frontiers*:
 - Anti- and hyper-nuclei production
 - Small systems and the phi meson
 - Intermediate p_T

**Thank
you!**

Proton-to-pion ratio

